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Acousto-optic technology for topographic feature extraction and image analysis

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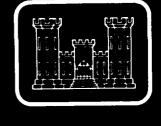
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20. Abstract (cont'd.)

A conclusion of this study was that A-O devices are potentially capable of implementing the feature extraction prefilter function very efficiently. Since the prefilter is the most computational intensive portion of the feature extraction process this is a significant result. The best application of A-O devices is in the implementation of transform-based prefilter algorithms. Under this contract transform-based algorithms were identified and developed which are invariant to feature translation, rotation and scale. This invariance is highly desirable since it reduces the number of distinct feature signatures which must be processed by the decision processor.

Some preliminary experiments were conducted using the Fourier-based algorithms, test images and A-O device which was a Deft sensor. This combination of algorithms and sensor was able to distinguish between three test patterns which were presented in arbitrary orientation and scale. The success rate was 80%. In spite of these promising results, present Deft sensors are not capable of distinguishing realistic features in aerial photographs. New Deft sensors, presently under development, are described which will significantly improve the capability of this sensor in feature extraction applications.

PREFACE

This report contains all findings of the acousto-optic technology study for feature extraction conducted by Deft Laboratories Inc. for the U.S. Army Engineer Topographic Laboratories. The work reported here was funded under Contract DAAK 70-79-C-0160. The work was conducted during the period of October 1979 through February 1981. The Contracting Office's Technical Representative was Mr. Joseph F. Hannigan.

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SUMMARY

The objective of this program was to develop, analyze and evaluate theoretical concepts and strategies for topographic feature extraction and image analysis using acousto-optic (A-O) technology.

A conclusion of this study was that A-O devices are potentially capable of implementing the feature extraction prefilter function very efficiently. Since the prefilter is the most computational intensive portion of the feature extraction process this is a significant result. The best application of A-O devices is in the implementation of transform-based prefilter algorithms. Under this contract transform-based algorithms were identified and developed which are invariant to feature translation, rotation and scale. This invariance is highly desirable since it reduces the number of distinct feature signatures which must be processed by the decision processor.

Some preliminary experiments were conducted using the Fourier-based algorithms, test images and an A-O device which was a Deft sensor. This combination of algorithms and sensor was able to distinguish between three test patterns which were presented in arbitrary orientation and scale. The success rate was 80%. In spite of these promising results, present Deft sensors are not capable of distinguishing realistic features in aerial photographs. New Deft sensors are presently under development which will significantly improve the capability of this sensor in feature extraction applications.

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I. INTRODUCTION

A. Project Overview

The objective of this program was to develop, analyze and evaluate theoretical concepts and strategies for topographic feature extraction and image analysis using acousto-optic (A-O) technology. In addition, functional block diagrams were to be prepared for the most promising concepts and strategies for the purpose of identifying essential and/or critical A-O elements and components.

During the execution of the program it became evident that the evaluation of theoretical concepts was sufficiently advanced so that additional effort, not required in the original contract, could be undertaken. This effort involved programming a group of promising feature extraction algorithms and performing experiments using an A-O device. The device used in these experiments was a Deft sensor.

The tasks which were executed during this program are listed below.

- 1. The open literature was searched in the areas of image processing, feature extraction and acousto-optic technology.
- 2. A survey was conducted and determination made of device capability and limitations of present A-O technology.
- 3. Theoretical concepts and strategies were analyzed and evaluated for topographic feature extraction and for implementation using A-O technology.
- 4. The most promising concepts and strategies were selected for further evaluation.
- 5. For these strategies algorithms were developed and programmed for a microprocessor-based experimental system. Experiments were conducted using this system and a Deft sensor. These experiments involved feature recognition using a small set of test images.
- 6. Functional block diagrams were developed for the most

promising strategies. Essential and/or critical A-O elements were identified.

7. For these A-O elements state-of-the-art capabilities were compared with required capabilities. Required improvements were determined as well as indication of the probability of obtaining such improvements.

This report details all findings of this study program.

B. General Feature Extraction System Model

The term "feature extraction" comes under the heading of pattern recognition. Large volumes of material have been written under this heading. The specific problem addressed by this study is how can A-O devices be used to find objects or "features" in aerial photographs? The emphasis, then, is on what functions A-O devices can perform and how these functions can be used to achieve the stated objective. In this context, only certain portions of the literature under pattern recognition has bearing on the problem to be solved.

It was felt at the beginning of this study that the only way to achieve meaningful results was to determine a model for a feature extraction system which has the general functional capability required. From this general model, more specific systems could be developed which utilize functions which can be efficiently performed by A-O devices. Concepts and strategies could then be chosen from the literature under pattern recognition which fit into these specific system models.

In order to provide a frame of reference, feature extraction will be considered in the context of the pattern-recognition system model shown in Figure 1. The transducer transforms the information content of the input (photolight intensity pattern) into a format suitable for further processing (electrical signal). The amount of information available in the photo image is enormous. A single video image may contain 10^4 - 10^8 bits of

information, while a photographic image can contain orders of magnitude more. However, the amount of information required to make a decision may be just a few tens of numbers. The purpose of the preprocessor is to reduce the information content of the image to a more manageable size. This process has also been termed filtering, prefiltering, feature or measurement extraction or dimensionality reduction. The output of the preprocessor is then passed to the decision processor where this information is used to classify the photo image. The decision processor may also control the transducer and preprocessor via feedback. In this manner the preprocessor function may be changed during the decision process. In like manner the transducer may be commanded to look at a different portion of the photo or perhaps change scale.

Figure 1 is a functional block diagram. These functions may be distributed over hardware subsystems in a number of ways. For example, the transducer might be a vidicon or CCD imager. Its function then is primarily bandwidth reduction and format conversion. The preprocessor and decision processor might then be implemented in software in a digital computer.

Another alternative configuration is considered in some detail in this report. In this configuration the transducer and preprocessor functions are performed in an acousto-optic device. The decision process is then carried out in a digital processor. In an all digital implementation the preprocessor function requires the bulk of the processing time since a large data base (image) must be operated on. The potential advantage of the acousto-optic implementation is that this time-consuming preprocessing function can be performed in whole or in part in the sensor itself.

A third configuration should be mentioned. In this configuration the transducer and preprocessor functions are performed by an optical processor. Many of the prefilter functions which can be computed in an optical processor can also be computed by acoustooptic devices. As a result, the large literature which deals with applications of optical processors can be utilized to develop preprocessing techniques for acousto-optic devices. The development of both optical processors and acousto-optic devices is currently receiving support because of their potential application in such areas as image preprocessing. At this time, optical processors are in a more advanced state of development than acousto-optic devices. However, acousto-optic devices offer the potential advantages of being cheaper, more rugged and not requiring precise optical alignment when compared to optical processors. In certain applications they may also prove to be more flexible since the function performed can be controlled electrically.

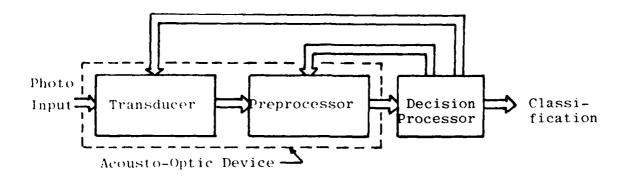


Figure 1 - Pattern Recognition System Model¹

II. ACOUSTO-OPTIC DEVICES

A. Introduction

In this section three acousto-optic devices are briefly described. Both physical and functional descriptions are provided. From these descriptions it will then be possible to determine which feature extraction algorithms are best suited for implementation using one or more of these devices. More detailed descriptions can be found in the references. The devices to be described are the following: the Deft sensor manufactured by Deft Laboratories Inc., an elastobirefringent light valve and a device developed by Thomson-CSF, France. Both the Deft sensor and the elastobirefringent light valve were developed by Drs. Kowel and Kornreich of Deft Laboratories. As a result we are more familiar with the present limitations and future potential of these devices. Section V is devoted to a discussion of this topic.

B. The Deft Sensor

The Deft sensor is a solid state device which utilizes the interaction of surface acoustic waves (SAW), a photoconducting film and an imaged light pattern to produce an electrical signal from which can be derived the magnitude and phase of the two-dimensional Fourier transform of the image pattern. The sensor may also be used to produce other useful image functions.

The operation of the sensor can be explained with the aid of Figure 2. The sensor is fabricated on a LiNbO₃ substrate which is a piezoelectric material. On this substrate is deposited a photoconducting film of CdS. An interdigital metal pattern is evaporated onto the CdS for the purpose of detecting and integrating the photocurrent. This pattern has the added function of sampling the image in one direction. Image sampling is required if base-band Fourier transform components are desired. The SAW are limited to high spatial frequencies. The spatial spectrum of the image must be translated into this band. To achieve a

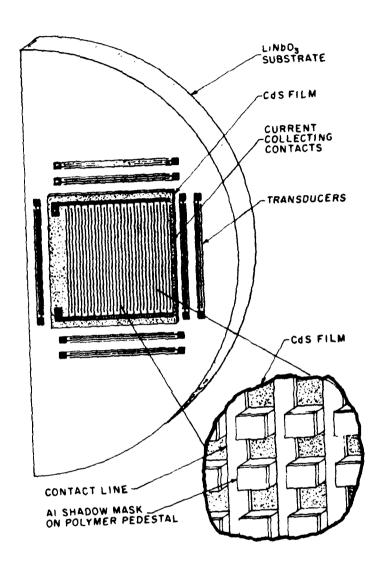


Figure 2 - Deft Sensor Construction

spatial sampling in the orthogonal direction the CdS can be overlayed with an Al shadow mask. As an alternative which has been used in more recent devices, only squares of CdS with the proper sample spacing are deposited. Interdigital transducers are used to generate two orthogonal surface acoustic waves in the substrate. The figure shows a number of transducers. However, only two are used to launch the orthogonal SAW's. The other transducers are redundant and not used.

To describe the operation of the sensor let g(t) and h(t) be the transducer input signals. Since LiNbO $_3$ is piezoelectric an electrical field is produced across the sensor. In the x direction the field is proportional to $g(t-x/v_x)$. In the y direction the field is proportional to $h(t-y/v_y)$. The parameters v_x and v_y are the SAW velocities of propagation in the x and y directions. At the same time, an image is focused on the grid of CdS squares. A current is generated in each square proportional to the average light intensity over that square, and these currents are modulated by the product, $g(t-x/v_x)$ $h(t-y/v_y)$, created by nonlinear mixing in the CdS film. The metal finger pattern sums each of the modulated current components over the grid. The resulting output current is o(t). It is given by

 $o(t) = \int \int \hat{I}(x,y)g(t-x/v_x)h(t-y/v_y)dxdy \tag{1}$ The image $\hat{I}(x,y)$ is the image focused on the sensor, I(x,y) modified by the grid sampling. The functions g(t), h(t) can be any arbitrary waveforms who's spectrum is within that of the interdigital transducers. This equation defines the function of the Deft sensor in its most general form.

A number of specific functions which can be realized by the sensor may have application in feature extraction. These will be discussed in the next section. A specific function which may have application in feature extraction is the two-dimensional Fourier transform. Since the performance of the Deft sensor in general applications can best be described in terms of its spectral response, computation of the two-dimensional Fourier transform using the sensor will be described here.

If g(t) and h(t) are sinusoids then o(t) yields components of the two-dimensional Fourier transform.

$$F(\omega_X, \omega_Y) = ffI(x,y)e^{-j(\omega_XX^{+}\omega_Yy)} dxdy$$

By varying the frequencies of the sinusoids different spatial frequencies can be probed. Let $\frac{1}{x}$, $\frac{1}{y}$ be the grid spacing in the x and y direction respectively in meters/cycle. Then the temporal frequency which corresponds to the origin of the spatial transform is given by $f_{O,X}$, $f_{O,Y}$ where

$$f_{O,X} = v_X/v_X, \quad f_{O,Y} = v_Y/v_Y$$
 (2)

For example, if $v_X = 0.1 \text{ mm/cycle}$, $v_X = 3800 \text{ m/s}$ then $f_{O,X} = 38 \text{ MHz}$.

$$\Delta f_{\mathbf{X}} = f_{\mathbf{0}, \mathbf{X}} / n_{\mathbf{X}} \tag{3}$$

Now let $\forall f$ be the temporal bandwidth of the x transducer. Then the number of resolvable frequencies in the x-direction is

$$r_{\mathbf{X}} = \frac{\nabla f_{\mathbf{X}}}{\Delta f_{\mathbf{X}}} = \frac{\nabla f_{\mathbf{X}}}{f_{\mathbf{O}, \mathbf{X}}/n_{\mathbf{X}}} = n_{\mathbf{X}} \frac{\nabla f_{\mathbf{X}}}{f_{\mathbf{O}, \mathbf{X}}}$$
(4)

That is, the number of resolvable components in the x direction is n_x times the percentage bandwidth of the x transducer. For example, if $\nabla f_x/f_{O,x} = 0.1$ and $n_x = 200$ then there will be 20

resolvable Fourier components in the x direction. For $\ell_{\rm x}=0.1$ mm/cycle this corresponds to a length of 20mm for the CdS portion of the sensor. In like manner, the number of resolvable frequencies in the y direction is given by

$$\mathbf{r}_{y} = \mathbf{n}_{y} \frac{\nabla f_{y}}{f_{0,y}} \tag{5}$$

The number of resolvable Fourier components is an important parameter in applications such as feature extraction. It is used to characterize the operation of the Deft sensor even when a function other than the Fourier transform is being computed. For example, consider the more general function

$$u = \int \int \hat{I}(x,y)g(x)h(y) dxdy$$
 (6)

to be computed by the sensor. Because of the limits of integration g and h can be replaced by their periodic extensions [g] and [h]. These functions will be defined by an example. Assume that g(x) = x and that the x limits of integration are from -1 to +1. Then the periodic extension of g(x) is shown in Figure 3.

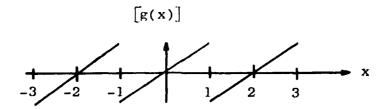


Figure 3 - Periodic Extension of g(x) = x

The function [h(y)] is likewise defined with respect to the limits of integration in the y direction. Because [g] and [h] are periodic they may be expanded in complex Fourier series.

$$[g] = \sum_{k=-\infty}^{\infty} c_{g,k} e^{(jk\pi x/2)}$$
(7)

$$\begin{bmatrix} h \end{bmatrix} = \sum_{k=-\infty}^{\infty} c_{h,k} e^{(jk\pi y/2)}$$
(8)

where $j = \sqrt{-1}$. Substituting these series in equation (6) and interchanging the order of integration and summation yields

$$u = \sum_{i=-\infty}^{\infty} \sum_{k=-\infty}^{\infty} c_{g,i} c_{h,k} \quad \text{ffi(x,y)} e^{j\pi(ix + ky)/2} dxdy$$
(9)

$$= \sum_{i=-\infty}^{\infty} \sum_{k=-\infty}^{\infty} e_{g,i} c_{h,k} F(i\pi/2, k\pi/2)$$
 (10)

where F is the two-dimensional Fourier transform of \hat{I} . Since the Deft sensor transducer bandwidths are limited, u can be approximated by the truncated series

$$\hat{u} = \sum_{i=-n}^{n} x \qquad \sum_{k=-n}^{n} y \qquad c_{g,i} c_{h,k} \quad F(i\pi/2, k\pi/2)$$
(11)

where n_x+1 , n_y+1 are the number of resolvable Fourier components along the ω_x and ω_y axis respectively. The error in computing u with the sensor is

$$\mathbf{u} - \hat{\mathbf{u}} = \sum_{|\mathbf{i}| > n_{\mathbf{X}}} \sum_{|\mathbf{k}| > n_{\mathbf{V}}} \mathbf{c}_{\mathbf{g}, \mathbf{i}} \quad \mathbf{c}_{\mathbf{h}, \mathbf{k}} \quad \mathbf{F}(\mathbf{i}\pi/2, \mathbf{k}\pi/2)$$
 (12)

This error depends on n_x , n_y and on the high frequency content of the image \hat{I} and of the kernal g(x)h(y). Hence, given a sensor with parameters n_x , n_y it is possible to determine which kinds of images may be viewed and which kinds of kernals may be utilized.

The Deft sensor is further described in a number of references 2,3,4.

C. Elastobirefringent Light Valve

A two-dimensional acoustic processor utilizing an elasto-birefringent light valve has been constructed and experiments conducted 5,6 . The experimental setup is shown in Figure 4. The light valve consists of a fused quartz cell. On the edges of this cell are attached two orthogonal transducers. When

these transducers are excited strain waves travel through the bulk of the cell. The total strain is the linear superposition of the two traveling strain waves. An image is focused on the region of the quartz where the two waves are superimposed.

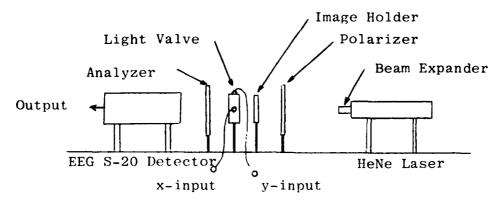


Figure 4 - Elastobirefringent Light Valve: Experimental Set-Up

Due to the strain induced birefringence, each ray of light splits into two orthogonally polarized phase velocities. It can be shown that the intensity modulation of each polarized wave has a component proportional to the strain squared. The image is produced by illuminating a transparency containing the image information with a well-collimated beam which has been polarized. The output of the light valve will have a desired component polarized orthogonal to the orientation of the input polarizer. This component is passed by the analyzer which is just another polarizer. The undesirable direct component is blocked by the analyzer. The desired component is then detected by a photodetector which performs an integration over the entire image. A chromium sampling grid is placed on the quartz cell to sample the image and translate its spatial spectrum into the passband of the transducers.

The function which can be computed by this processor can be described by equation (1) which is also used to describe the

Deft sensor. Hence, functionally this processor is equivalent to the Deft sensor. The differences between the two are primarily in implementation and in present and projected future performance. Concerning implementation, the light valve is a larger physical structure than the Deft sensor. The image source must be a transparency. By contrast, the Deft sensor can view either a transparency, a photograph or a real-world image since it operates much like a conventional camera. The elastobirefringent light valves which have been built to date exhibit a strong standing wave pattern which is a function of transducer frequency. This effect has limited their usefulness. Potential solutions to this problem are presented in Section V.

This light valve does have a couple of potential advantages compared with the Deft sensor. In the bulk mode devices it is not necessary to physically attach a metal pick-up grid. In the Deft sensor this grid has an undesirable effect of damping the SAW. This limits the practical size of Deft sensors since larger sensors would suffer a large, undesirable SAW attenuation across the sensor surface. Hence, the bulk devices could potentially be larger resulting in a greater number of resolvable Fourier components. A second advantage is that electrical feed-through is not a problem with the bulk devices. With the Deft sensor feed-through from the input transducer drive to the integrating metal grid is a problem.

However, the bulk device has a number of disadvantages when compared with the Deft sensor. Since bulk mode operation is required, the image must be focused with sufficient depth-of-focus so that the image is in focus throughout the 1-2mm thickness of the quartz cell. Higher acoustic fields are required to operate the bulk device. The light valves built to date use glued-on transducers. This is not desirable, particularly at higher frequencies where the transducers are smaller and more brittle. Finally, the physical non-linearity which is utilized in the bulk light valve is a much smaller effect than

that used in the Deft sensor. There is a large, undesirable unmodulated signal which feeds through the light valve. The purpose of the analyzer is to block this signal. However, it is difficult to fabricate sheet polarizers which are uniform enough over the 1 cm. illuminated length of the quartz cell. Hence, some of this feed-through signal will pass the analyzer and could saturate the detector. (This feed-through signal is analogous to the electrical feed-through encountered in the Deft sensor.)

D. Thomson - CSF Sensor

The Thomson - CSF sensor is a SAW device and has features in common with the Deft sensor. The device can be described as a two-dimensional separated media semiconductor convolver. It employes two pairs of SAW transducers deposited on a LiNbO $_3$ substrate. An 8 x 8 mm 2 matrix of p-n vidicon type diodes is pressed on 3000 A high randomly distributed posts. Output signals are picked up between the back electrode of the semiconductor and a semi-transparent ground electrode deposited on the bottom face of the piezoelectric medium. The device is shown in Figure 5. The x and y center frequencies are $f_{O,X}$ and $f_{O,Y}$. The useful output frequency then appears at frequency $2(f_{O,X} + f_{O,Y})$.

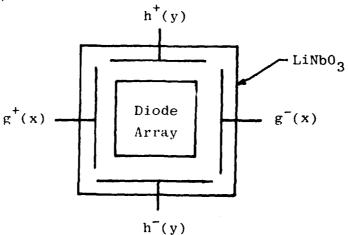


Figure 5 - Thomson - CSF Sensor

To generate the two-dimensional Fourier transform of an image focused on the diode array, the x input signals are chosen to be FM ramps of opposite slopes $\omega_{\mathbf{x}}^{\pm} = \omega_{\mathbf{x}}^{\pm} \pm \mathbf{u}t$. The y input signals are chosen to be CW signals with frequencies $\omega_{\mathbf{y}}^{\pm} = \omega_{\mathbf{y}}^{\pm} \pm 1/2 \Delta \omega_{\mathbf{y}}$. (That is, one x orientated transducer gets $\omega_{\mathbf{x}}^{\pm}$ and the other x orientated transducer gets $\omega_{\mathbf{x}}^{\pm}$. The same is true for y orientated transducers.) The instantaneous frequencies of these waveforms are shown in Figure 6 (solid lines).

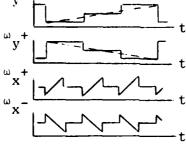


Figure 6 - Transducer Instantaneous Frequencies

With these inputs, the output signal component at 2(ω_{X} + ω_{y}) can be shown to have a modulation of the form

$$o(t) = \int \int \hat{I}(x,y) e^{j(-2utx/v}x^{+\Delta \omega}y^{/v}y) dxdy$$
 (13)

where $\mathbf{v}_{\mathbf{x}}$, $\mathbf{v}_{\mathbf{y}}$ are the SAW velocities of propagation. During a sweep of the x, FM ramps an entire row of the transform is read from the sensor. This sweep time need be no more than twice the propagation time across the sensor. Hence, data can be outputed potentially much faster than can be achieved using the Deft sensor. In the Deft sensor the x and y input waves must be CW signals which must propagate across the sensor before a single transform component is outputted. The frequencies of these waves are then stepped to output another component, etc. The Thomson - CSF sensor approach would be most useful if a raster-scan of the transform is desired. This is shown in Figure 7 (solid lines).

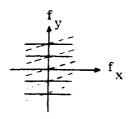


Figure 7 - Raster Scan of Transform Plane

If instead of stepping the y frequencies, the y frequencies are also ramps (dashed lines, Figure 6) then the transformed plane can also be raster-scanned along oblique lines with variable tilt angle (Figure 7, dashed lines). For example, it would be possible to scan the transform along radial lines passing through the transform origin. This is shown in Figure 8.

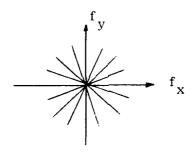


Figure 8 - Radial-Scanned Transform

This method of scanning will be shown in Section III to have application in feature extraction.

The primary difference between the Deft sensor and the Thomson - CSF sensor is the use of four vs. two transducers and the choice of waveforms leading to a fast scan of the transform. If random samples or samples at only a few spatial frequencies are all that is required then the Deft sensor would function just as rapidly as the Thomson - CSF sensor. It would be possible to operate a Deft sensor in the same manner as the Thomson - CSF sensor by also using four transducers and inputting FM ramp waveforms. Speed performance would then

equal the Thomson - CSF device. This modification has not been attempted to date. Note that the method used to speed-up data output is not applicable to the computation of the more general operator of equation (1).

The Thomson - CSF sensor is described in reference 7.

III. FEATURE EXTRACTION TECHNIQUES FOR ACOUSTO-OPTIC TECHNOLOGY

A. Introduction

During the execution of this contract a survey of techniques for feature extraction was carried out. The purpose of this survey was to determine techniques suitable for implementation using acousto-optic devices. The results of this survey are detailed in this chapter. From the techniques surveyed, two methods appear to offer promise both from an algorithmic standpoint and also because of suitability of implementation. These methods will be termed the method of invariant Fourier signatures (IFS) and the method of invariant moment signatures (IMS). Because of their promise, additional algorithmic development was carried out during the course of this contract. This work is reported in this section.

This section is divided into two parts. The first part is a general discussion of feature extraction. The second part is a comparison of some methods for feature extraction.

B. General Concepts

A general model for a feature extraction system is presented in Section 1B. This model is shown in Figure 1. Briefly, the transducer converts the image input light pattern to electrical signals. The preprocessor reduces the information context of the image to a more manageable size. The output of the preprocessor is then passed to the decision processor where this information is used to classify the photo image.

In Section II the operation and function of three A-O devices were considered. The general function performed by these devices is given by equation (1). This equation implies that the two-dimensional image information is processed by the sensor in such a way to result in a one-dimensional signal of reduced complexity. Hence, these devices could be potentially used to implement the combined function of transducer and preprocessor. Therefore, it is important to consider specific

examples of equation (1) and determine their utility in preprocessing. This will be done in this section.

The A-O devices considered do not seem useful for implementing the decision processor. There are a number of reasons for this. First of all, the output of the preprocessor will be an electrical signal. The A-O devices require an image input. Hence, the data format is not compatible. A survey of the types of algorithms commonly used for classification reveals that most of these cannot be implemented efficiently using A-O devices. In addition, they require greater accuracy than can be achieved with A-O devices. But most importantly, it is not necessary to use A-O devices for classification since the image information content has been reduced by the preprocessor to the point where a modest digital processor can handle this function. A survey of conventional classification methods is given in reference 8. An application of classification in aircraft identification is given in reference 9.

Before developing specific preprocessor functions some desirable properties of the transducer plus preprocessor will be discussed.

The first desirable property is feature isolation. sider a typical aerial image of natural terrain in which may be located one or more man-made features to be detected. natural terrain can be considered to be "noise" while the feature is a "signal". One of the functions of the preprocessor is to filter this signal from the noise. typical aerial photograph, most of the photo will be noise. the transducer were to view the entire photograph then the signal-to-noise ratio would be small and the preprocessor function would be more difficult to implement. A simple but effective way to improve the signal-to-noise ratio would be to limit the field of view of the transducer to only a portion of the photo and then scan the photo to search for features. Limiting the field of view has the effect of reducing the noise without reducing the signal as long as the feature to be detected remains completely within the field of view.

By scanning the photo is meant that the transducer views a portion of the photo and that portion is preprocessed. transducer then views another portion of the photo and preprocessing is repeated for that portion. This sequence of steps is continued until all portions of the image have been viewed. Scanning may or may not involve overlapping views. Scanning a square photo with a square aperture and no overlapping is shown in Figure 9. The same scan but with 50% overlap in both directions is shown in Figure 10. To simplify presentation the views for the overlap case are shown in four parts. These parts would overlap each other. The boundary of the photo is shown dashed. Now consider a feature which is completely enclosed by the circle shown in Figure 9. (The angular orientation of the feature is arbitrary.) Then if the photo was scanned as in Figure 9 the feature would lie across the boundary of four views and its detection would be difficult. However, if 50% overlapping of views is used as in Figure 10 then the feature lies totally within one view (in this case, view 48). As long as the radius of the circle was less than or equal to one quarter of the length of the square comprising each view and overlap was 50% the circle would lie completely within one view. Note that (neglecting missing squares at the edges of the photo) the number of views has increased by a factor of four.

These comments can be generalized. Let r be the radius of the smallest circle which completely encloses the feature. Obviously, r is independent of the angular orientation of the feature in the plane of the image. Assume that the aperture of the transducer imaged on the photo is square with length ℓ . Figure 11 shows one such aperture (large square). In the middle of this square is a smaller square. The area enclosed by this square is the locus of points of all circles of radius r which lie completely within the large square. Each view has such a small square associated with it. In order that the

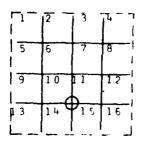


Figure 9 - Image Scanning: No Overlap

| <u></u> 1 | $\frac{7}{2}$ $\frac{13}{13}$ | 147 | | 1 2 9 3 3 3 1 1 1 | <u></u> |
|-----------|---|-----|-------------|-------------------|--------------|
| | | | 17 18 19 20 | | 41 42 43 |
| 5 | 6 7 | 8 | | 32 33 34 | |
| l | <u>L</u> l | | 21 22 23 24 | | 44 45 46 |
| 9 | 10 11 | 12 | 1 | 35 36 37 | |
| 1 | | | 25 26 27 28 | | 1 47 48 49 1 |
| 11 3 | 14 15 | 16 | | 38 39 40 | |
| L | <u> _ </u> | | 1 | | L |

Figure 10 - Image Scanning: 50% Overlap

feature lie totally within a view regardless of the position of the feature within the image, the views must overlap in such a way that the entire area of the photo is covered by the union of all these small squares. In that case, the total number of views must equal at least

total number of views =
$$\ell_T^2/(\ell - 2r)^2$$
 (14)

where ℓ_T is the length of the square photo. That is, the total number if views is greater or equal to the total area of the photo divided by the area of a square of length ℓ -2r.

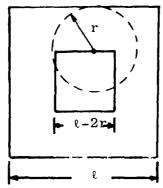


Figure 11 - Overlap Geometry

The signal-to-noise ratio (SNR) of the view will be defined to equal the area of the feature divided by the area of the view, Hence,

$$SNR \stackrel{<}{-} 2\pi r^2/\ell^2 \tag{15}$$

with maximum occuring when $\ell=2r$. However, in that case the total number of views required is infinite. Hence, there must be a tradeoff between SNR and total number of views to be processed. If the ratio r/ℓ_T is very small (small features) then a large number of views are required to achieve good SNR. For example, assume that $2r=\ell_T/50$ and that $\ell=12r$ then SNR $\ll \pi/72$ and the total number of views is 100.

In practice, the total number of views can be reduced somewhat by allowing some of the feature to be masked by the

transducer aperture. That is, r is chosen to be somewhat smaller than the value implied from the dimensions of the feature. To develop a general formula let $\ell = k_1 r$. Now reduce r to $k_2 r$. Then the total number of views is reduced by a factor of $(k_1-1)^2/(k_1-k_2)^2$. In the previous example $k_1=12$. Let $k_2=0.8$. That is, overlap will be reduced so that, in the worst case, only 80% of the largest feature dimension will be within a view. In this case the total number of views required is reduced by a factor of 0.9646. For a fixed value of k_2 this reduction will be greater for smaller values of $k_1>2$. For example, if $k_1=4$ and $k_2=0.8$ then the total number of views is reduced by a factor of 0.8789.

In terms of implementation, a single transducer and prefilter could be used to scan the photo in a number of steps. If high-speed operation was required more than one transducer and prefilter could view seperate views of the photo concurrently.

Another desirable property of the prefilter will now be discussed. By definition, the prefilter takes the large amount of information of the photo encoded as pixels and reduces it to a much smaller set of numbers. This process can be termed "dimensionality reduction". Ideally, the prefilter output should have the following properties:

- 1) Members of each feature class should show less variability than was the case before the prefilter.
- 2) The relative separation of each feature class should be increased.
- 3) There should be dimensionality reduction.

Consider first property 1). As an example of a feature class let the class include all square buildings in the photo. In this case, a square building is in the feature class regardless of its angular orientation or scale (size). It would be desirable for the prefilter to have the property that if the photo contains a square building in any position, orientation or scale then the prefilter output will contain a signal or

signature which is invariant to position, orientation or scale. Such a prefilter will be said to implement a position, rotation and scale invariant transformation. In certain cases it may be desirable that the transformation is only position and rotation invariant. (Example: small buildings are to be discriminated from large buildings.)

The best-known invariant transformation is the autocorrelation function. The first-order autocorrelation function defined in one dimension is

$$\phi_g^{-1}(\Delta) = \int g(x)g(x+\Delta) dx$$
 (16)

this function is invariant to translation.

Consider now property 2). As an example, assume that the prefilter input is a photo containing a square building. This building may be in any position, orientation and scale. The set of all outputs constitutes a class at the prefilter output. In this idealized situation, if the prefilter is invariant to translation, rotation and scale then this class contains but one output or signature. A more realistic consideration would have to include such effects as variation of building materials and color and lighting. Another class could be determined by considering all outputs for all possible orientations of "round storage tanks" in a photo. Now if the differences in all signatures of one class from all signatures in the other class is increased by prefiltering then relative separation has increased. This might be the case, for example, if noise, such as natural features, is filtered out by the prefilter.

However, in some cases relative separation may decrease. For example, consider the autocorrelation function. It is well-known that

$$\mathbf{F} \{\phi\} = |\mathbf{F}\{g\}|^2 \tag{17}$$

where F{} is the Fourier transform. Hence, two functions who's Fourier transforms have the same magnitude cannot be separated by using the autocorrelation functions. Functions which cannot

be separated include not only those which differ by a linear phase term (i.e., the translated versions of the same function) but also those which differ by a nonlinear phase term.

A function which avoids this difficulty is the higherorder autocorrelation function

 ϕ_g^n $(\Delta_1, \Delta_2, \cdots \Delta_n) = \int g(x)g(x+\Delta_1)g(x+\Delta_2)\cdots g(x+\Delta_n) dx$ (18) which can be shown to be unique for n-2 except for translation 10. However, note that the dimensionality has been <u>increased</u>. This conflicts with the third desirable property that there should be a dimensionality reduction.

In general, it is not possible to satisfy all three desirable features of a prefilter at the same time. It would seem to be important that there be a dimensionality reduction since, otherwise, the amount of information presented to the decision processor would be enormous.

Later in this chapter two classes of algorithms are presented which satisfy properties 1) and 3) but violate property 2). This would seem to be the lesser evil since the decision processor receives less information which has been formatted in such a way that the decision process is simplified. Since property 2) is violated, a square building, for example, may be mistaken for a round storage tank. However, this is less important than not detecting the feature. It is always possible to refine the decision process by human intervention. A feature extractor which signals the presence of a feature and indicates with some certainty what that feature is could be very useful for automatic aerial photo screening.

C. Transform Methods

Because of the scope of this project, this section will concentrate on prefilters which utilize transforms which can be implemented as a special case of equation (1). Transforms which will be considered are the two-dimensional Fourier transform, the two-dimensional image moments and the two-

dimensional Hadamard transform. Applications of the Fourier and Hadamard transform to image processing is surveyed by Pickholtz¹¹. The application of moments to image processing is discussed in a number of papers 9,12,13 .

1. Hadamard Transform

The Hadamard transform of an image which has been sampled and represented by the nxn matrix of pixel values $I(x_i, y_j)$ is $F(i,j) = \frac{1}{n} H_n IH_n$ (19)

the nxn matrix H_n consists of elements which are either +1 or -1. The Hadamard transform is orthonormal. As a result, the image is decomposed into basis images which are the two-dimensional Walsh functions. The rows and columns of the matrix H_n (which is symmetric) consists of the one-dimensional Walsh functions of order n. For n=8 these Walsh functions are shown in Figure 12.

| | | | Sequency |
|-----|-------|---------|----------|
| wal | (o,t) | +++++++ | 0 |
| wal | (1,t) | ++++ | 1 |
| wal | (2,t) | ++++ | 1 |
| wa1 | (3,t) | ++++ | 2 |
| wal | (4,t) | ++++ | 2 |
| wal | (5,t) | ++-+- | 3 |
| wal | (6,t) | +-++ | 3 |
| wa1 | (7,t) | +-+-+- | 4 |

Figure 12 - First Eight Walsh Functions

The notation + means +1 while - means -1. These functions are defined on the interval $0 \le t \le 1$ and may be periodically extended to span the real line. The Walsh functions may be thought of as square waves. Wal (6,t) is shown in Figure 13 a). For each of these functions, every occurrance of a transition from + to - or from - to + is called a zero crossing. One half the number of zero crossings of these functions is termed the sequency of the function. Sequency is analogous to frequency of sine and cosine functions.

The transform F(i,j) is a decomposition of the image into its orthonormal Walsh basis images. The potential advantage of this representation is that it may be possible to accurately approximate the image by using only a limited number of its Hadamard transform components. If so, this would facilitate feature extraction since the output of the Hadamard prefilter would be of lower dimensionality than the input.

The Hadamard transform also appears useful because of its ease of implementation. Because H_n only consists of +1 or -1 entries the matrix product represented by equation (19) can be computed without any multiplies. This is particularly useful in a digital processor where multiplications require more computation than do adds and subtracts. A high-speed digital processor which computes the Hadamard transform of an image for feature extraction is described in reference 14.

One potential disadvantage of the Hadamard transform is that it is not invariant to translation, rotation or scale of a feature in the image.

Consider now the computation of the Hadamard transform using acousto-optic devices. The potential application of the Deft sensor to computing the Hadamard transform has previously been discussed 3 . Consider the general function performed by A-O devices as defined by equation (1). Because the image I(x,y) has been sampled by the sampling grid to produce $\hat{I}(x,y)$, the functions g and h must be shifted in frequency into the band occupied by the image. Hence, g and h cannot be baseband Walsh functions. The appropriate choice is

$$g(t) = \sin \omega_{0,x} t \text{ wal}(i,t)$$
 (20)

$$h(t) = \sin \omega_{O,y} t \ wal(j,t)$$
 (21)

where $\omega_{O,X}$ and $\omega_{O,y}$ are the frequencies which will produce SAW's with wavelengths equal to the metal grid pattern in the x and y directions, respectively. These waveforms are shown in Figure 13.

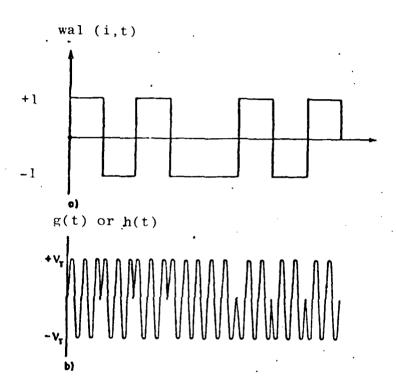


Figure 13 - Modulation of Sinusoid by a Walsh Function
a) Walsh function, b) Modulated Sinusoid

However, to be realistic, it is important to consider the limitations imposed by the bandwidth of the A-O device transducers. Since the Walsh functions are square waves they require unlimited bandwidth for exact representation. However, most of the spectral energy of these waveforms will lie below some maximum frequency. As long as the transducers pass frequencies within this bandwidth the A-O device can function as a Hadamard transformer. Walsh function spectrums have been derived in the form of recursive formulas ¹⁵. In order to present these formulas some additional notation is required. First, define the cal and sal functions

cal
$$(n/2,t) = wal(n,t)$$
; n even. (22)

$$sal((n+1)/2,t) = wal(n,t); n odd.$$
 (23)

Now define the Fourier transforms of these functions to be

$$C(n,f) = \int_{-1/2}^{+1/2} cal(n,t) e^{-j\omega t} dt$$
 (24)

$$S(n,f) = \int_{-1/2}^{1/2} sal(n,t) e^{-j\omega t} dt$$
 (25)

The interval $-1/2 \stackrel{<}{-} t \stackrel{<}{-} 1/2$ can be thought of as the time that the Walsh function acoustic wave will be on the active sensor area.

With these definitions the recursive formulas for C (n,f) and S (n,f) are given by

$$C(n,f) = \begin{cases} (-1)^{\lfloor n/1 \rfloor} & \cos (\pi f/2) & C(n/2,f/2); & n \text{ even} \\ j(-1)^{\lfloor n/2 \rfloor} & \sin (\pi f/2) & S((n+1)/2, f/2); & n \text{ odd} \end{cases}$$

$$S(n,f) = \begin{cases} -(-1)^{\lfloor \frac{n-1}{2} \rfloor} & \cos (\pi f/2) & S(n/2,f/2); & n \text{ even} \\ -j(-1)^{\lfloor \frac{n-1}{2} \rfloor} & \sin (\pi f/2) & C((n-1)/2,f/2); & n \text{ odd} \end{cases}$$

$$(27)$$

where [n/2] means the largest integer equal to or smaller than n/2.

Using these formulas the Fourier transform of the Walsh functions can be easily computed. The first few of these are shown in Tables 1 and 2. Each of these functions is a product of sines and cosines multiplied by a term of the form $\sin^2(\pi f/k)/(\pi f/k)$. The bandwidth of the Walsh functions is

$$\underline{\mathbf{n}}$$
 $\underline{\mathbf{j}} S(n, \mathbf{f})$

$$1 \qquad \frac{\sin^2(\pi f/2)}{\pi f/2}$$

$$2 \qquad \frac{-\cos(\pi f/2) \sin^2(\pi f/4)}{\pi f/4}$$

$$\frac{-\sin(\pi f/2) \sin (\pi f/4) \sin^2(\pi f/8)}{\pi f/8}$$

4
$$\frac{-\cos(\pi f/2) \cos(\pi f/4) \sin^2(\pi f/8)}{\pi f/8}$$

$$5 \frac{-\sin (\pi f/2) \cos(\pi f/4) \sin(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

6
$$\frac{\cos(\pi f/2) \sin(\pi f/4) \sin(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

7
$$\frac{\sin(\pi f/2) \sin(\pi f/4) \cos(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

8
$$\frac{-\cos(\pi f/2) \cos(\pi f/4) \cos(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

Table
$$1 - S(n, f)$$
 vs. n

 $\underline{\mathbf{n}}$ $\underline{\mathbf{C}}(\mathbf{n}, \mathbf{f})$

$$0 \qquad \frac{\sin(\pi f)}{\pi f}$$

1
$$\frac{\sin(\pi f/2) \sin^2(\pi f/4)}{\pi f/4}$$

$$2 \frac{-\cos(\pi f/2) \sin(\pi f/4) \sin^2(\pi f/8)}{\pi f/8}$$

$$3 \frac{\sin(\pi f/2) \cos(\pi f/4) \sin^2(\pi f/8)}{\pi f/8}$$

$$4 \qquad \frac{-\cos(\pi f/2) \cos(\pi f/4) \sin(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

$$5 \qquad \frac{-\sin(\pi f/2) \sin(\pi f/4) \sin(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

$$6 \qquad \frac{-\cos(\pi f/2) \sin(\pi f/2) \cos(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

$$7 \qquad \frac{-\sin(\pi f/2) \cos(\pi f/4) \cos(\pi f/8) \sin^2(\pi f/16)}{\pi f/16}$$

8
$$\frac{-\cos(\pi f/2) \cos(\pi f/4) \cos(\pi f/8) \sin(\pi f/16) \sin^2(\pi f/32)}{\pi f/32}$$

Table 2 - C(n,f) vs. n

determined by this term. In general, sal transforms from $S(2^n+1,f)$ through $S(2^{n+1},f)$ contain a term of the form $\sin^2(\pi f/2^{n+2})/(\pi f/2^{n+2})$ while cal transforms from $C(2^n,f)$ through $C(2^{n+1}-1,f)$ contain a term of the form $\sin^2(\pi f/2^{n+2})/(\pi f/2^{n+2})$. The half power point of this envelope function occurs at

$$f_{1/2} = .5816 \times 2^{n+2} \tag{28}$$

(that is $\sin^2(\pi f_{1/2}/2^{n+2})/(\pi f_{1/2}/2^{n+2}) = 1/\sqrt{2}$.) If the number of Hadamard transform components along one axis is doubled then the corresponding transducer bandwidth must also be doubled. An identical statement can be made concerning bandwidth requirements for an A-O Fourier transformer.

Consider now the bandwidth required to excite Walsh functions on the A-O sensor. The sequency of $S(2^{n+1},f)$ and $C(2^{n+1},f)$ is 2^{n+1} . A sine or cosine wave defined on the same interval (i.e., $0 \le x \le 1$) also has a sequency (i.e., number of zero crossings). For example, a sine or cosine wave with sequency 2^{n+1} has frequency

$$f_S = .5 \times 2^{n+2}$$
 (29)

From the discussion above, the frequency of this sinusoid is slightly lower than the half power point of $S(2^{n+1},f)$ and $C(2^{n+1},f)$. The maximum of the envelope occurs at $f=.3711 \times 2^{n+2}$ while the first zero of this function which is not at the origin occurs at $f=.6366 \times 2^{n+2}$. This is shown in Figure 14.

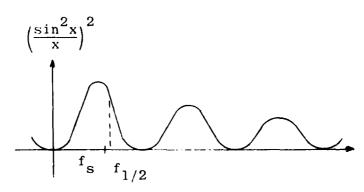


Figure 14 - Walsh/Fourier Bandwidth Relationship

However, because of the energy contained in the sidelobes of the envelope function it would seem advisable to require a bandwidth at least 2 or 3 times that required for sinusoids of the same sequency.

Because of the requirement of extra bandwidth, the use of A-O devices to compute Hadamard transforms is not as attractive as using these same devices to compute Fourier transforms. The utility of the Hadamard transform becomes important in implementations where it is costly to include multiplications. However, the A-O devices discussed in Section II are ideally suited for functional multiplication. Hence, using these devices to compute Hadamard transforms is probably not their best application.

2. Matched Filtering

The matched filter has long been used in communications systems as a means to filter a signal corrupted by additive noise. The extension of the matched filter to a two-dimensional signal (image) was first proposed by Vander Lugt 16,17 . Briefly, consider an image I(x,y) consisting of signal s plus noise n.

$$I(x,y) = s(x,y) + n(x,y)$$
 (30)

The matched filter is a linear filter with impulse response h(x,y) which filters the image in such a way to maximize the signal-to-noise ratio at the output. Let $F(\omega_x, \omega_y)$, $S(\omega_x, \omega_y)$, $N(\omega_x, \omega_y)$ and $H(\omega_x, \omega_y)$ be the two-dimensional Fourier transforms of I, s, n and h respectively. The noise is usually characterized by its power spectrum NN*. The signal-to-noise ratio is defined to be

signal-to-noise =
$$\left| \int \int SHe^{\int (\omega_{\mathbf{x}} \mathbf{x}^{+} \omega_{\mathbf{y}} \mathbf{y})} d\omega_{\mathbf{x}} d\omega_{\mathbf{y}} \right|^{2}$$

$$\int \int \overline{NN^{*} HH^{*} d\omega_{\mathbf{x}} d\omega_{\mathbf{y}}}$$
(31)

The signal-to-noise ratio is maximized over the filter output space if

$$H(\omega_{x}, \omega_{y}) = \frac{S^{*}(\omega_{x}, \omega_{y})}{NN^{*}}$$
(32)

the filter output is
$$m(x,y) = \text{ffHe}^{j(\omega} x^{x+\omega} y^y) \quad d\omega_x d\omega_y$$
 (33)

If the noise is white, (NN*, a constant), then the matched filter output is simply the correlation between the image and the desired object to be detected.

Now if the image contains the signal but offset to position $\Delta x, \Delta y$ then the correlation in the output will be shifted to $-\Delta x$, $-\Delta y$. There will be a peak in the output at this position. If the image contains multiple signals at various positions within the image then the output will also contain a number of correlation peaks. The matched filter is translation invariant in a limited sense. If the image contains a signal (feature) then the output will contain a correlation peak. However, if the signal is translated then the output peak is also translated. Strictly speaking, the output would be different (i.e., translated) so that the matched filter is not translation invariant. However, it is invariant in the sense that the correlation peak will occur somewhere only if the image contains the signal. Another way of looking at it is to say that the matched filter preserves the positional information about the signal. There is no dimensionality reduction since the matched filter output is a function of x and y. However, signal detection is improved.

Referring back to Section III A, if the image is scanned and broken into a number of views it may not be required to locate the position of a feature within a view. Rather,, the detection of a feature somewhere in the view may be adequate. Hence, the matched filter may preserve too much information. Perhaps by discarding this information a simpler implementation may result.

Now consider implementation of the matched filter using A-O devices. When the two-dimensional matched filter was first discussed by Vander Lugt he proposed implementing it using coherent optics. In this implementation the image is

first transformed using a Fourier transformer lens. The matched filter is then implemented in the Fourier domain by a spatial filter. The filtered transform is then passed through a second Fourier transformer lens. The output image contains bright spots corresponding to signals in the input image. This is a rather natural implementation for an optical processor since the various lenses and filters can be lined up on an optical bench and the information passes through the system in a parallel fashion. That is, the data stream is a two-dimensional light pattern throughout the processor.

Because A-O devices can compute two-dimensional Fourier transforms, an analogous system could be built using these devices. A block diagram of such a system is shown in Figure The image is viewed by an A-O device such as a Deft sensor. The sensor is used to compute the two-dimensional Fourier transform of the image. The transform is raster scanned by properly addressing A-O sensor No. 1. will have two outputs which are the real and the imaginary part of the Fourier transform. These transform components are multiplied by the corresponding components of the matched filter which are stored in a memory. A complex multiplication operation consisting of four real multiplies is required. weighted transform components are then input to two CRT's. Since the transforms are raster scanned, the data stream is in the correct format for the CRT. The real and imaginary parts of the Fourier transform, weighted by the matched filter, are displayed on CRT No. 1 and No. 2 respectively. functions are then viewed by A-O devices No. 2 and No. 3. may be possible to directly attach these sensors to fiber optic faceplate CRT's. Since the functions on the CRT's must remain constant for the period of time required to scan out the inverse transforms from the A-O devices, storage CRT's are required. The output of A-O devices Nos. 2 and 3 are then A/O converted and input to the decision processor. decision processor searches for correlation peaks in the

matched filter output and compares these peaks with a threshold valve in order to determine if the feature is contained in the image.

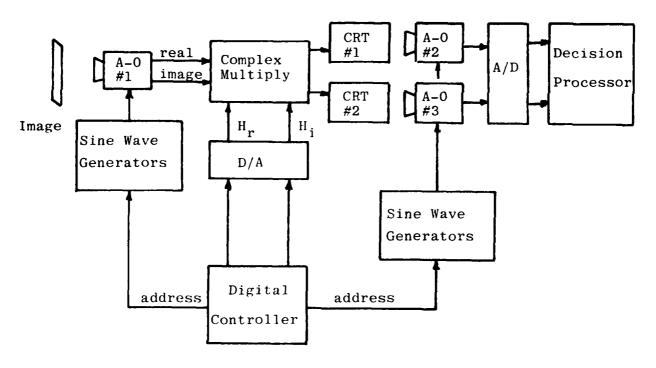


Figure 15 - Matched Filter: A-O Implementation

A disadvantage of this implementation is the requirement of three A-O devices and the need to generate a pictorial representation of the weighted image transform in order to utilize the second two A-O devices.

In order to avoid this complexity, consider the alternative of computing the matched filter in the image domain rather than the transform domain. The matched filter output is the convolution of I(x,y) with h(x,y). That is,

$$m(x,y) = \int \int I(\alpha,\beta)h(\alpha-x,\beta-y)d\alpha d\beta \qquad (34)$$

In order to compute this function by use of an A-O device which implements equation (1) the function h(x,y) must be decomposable into

$$h(x,y) = g(x)h(y)$$
 (35)

However, this will not generally be the case for arbitrary features to be detected. Hence, this approach cannot be taken.

In order to avoid the requirement for an inverse transform a third approach can be taken. As has been pointed out, the matched filter output preserves positional information which may not be required. Perhaps some implementation advantage can be gained by dispensing with this information. To this end, consider the matched filter for the autocorrelation function of I(x,y). The transform of this function is given by

$$FF* = (S+N)(S+N)* = SS*+SN*+S*N+NN*$$
 (36)

If the signal and the noise can be considered uncorrelated then SN* = S*N = 0 and

$$FF^* = SS^* + NN^* \tag{37}$$

In this case the signal is the autocorrelation function and the noise is NN*. The function FF* consists of signal plus added noise. Hence, the matched filter can be used to filter the signal from the noise. In this case the matched filter is given by

$$\hat{H}(\omega_{x}, \omega_{y}) = \frac{(SS^{*})^{*}}{(NN^{*})(NN^{*})^{*}} = \frac{(SS^{*})^{*}}{(NN^{*})^{2}}$$
(38)

The filter output is
$$\hat{m}(x,y) = \text{ffff*He}^{j(\omega}x^{x+\omega}y^{y)} d\omega x d\omega y \tag{39}$$

However since F has been replaced by FF*, any correlation peak indicating the signal or feature with transform SS* will occur at x = y = 0 at the matched filter output. it is only necessary to compute

$$\hat{\mathbf{m}}(\mathbf{o},\mathbf{o}) = \int \int \mathbf{F} \mathbf{F} + \hat{\mathbf{H}} d\omega_{\mathbf{x}} d\omega_{\mathbf{y}}$$
 (40)

This function is simpler to implement using A-O devices. functional block diagram is shown in Figure 16. The image is viewed by an A-O device. The device again is used to compute the two-dimensional Fourier transform of the image. sensor electronics are designed to output the magnitude of the Fourier transform rather than the real and imaginary parts. Computing the magnitude actually required less electronics than computing the real and imaginary part. This is because, in the second case, phase information must be preserved and a synchronous detector is required. Such a detector for a Deft sensor is described in reference 18, Section II. In the matched filter application the A-O device is scanned over the range of spatial frequencies of interest. The sensor output is squared and multiplied by the corresponding values of the matched filter H. Both the sensor output and H values are real which simplifies this computation. The output of the second multiplier is then integrated over all spatial frequencies. The integrator output is compared with a threshold value to determine if the signal (feature) is present.

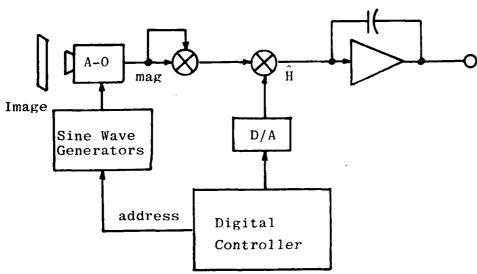


Figure 16 - FF* Matched Filter: A-O Implementation

The simplification in implementation when F is replaced by FF* is obvious from a comparison of Figure 15 with Figure 16. In the second case no CRT's are required. In addition, one rather than three A-O devices are required. The matched filter for SS* has some functional advantages and disadvantages when compared with the matched filter for S. The advantages are the following. First, there is a dimensionality reduction from input to output. This simplifies the decision processor. (A two-dimensional search is not required.) Second, the matched filter for SS* is invariant to translation which also simplifies the decision processor. The disadvantage of this matched filter is that the detection of a signal with transform SS* does not imply that the image contained the signal with transform S. All signals with transforms $|S|e^{j\phi(\omega_x,\omega_v)}$ will produce the same result at the matched filter output. Φ is an arbitrary phase function. Hence, this matched filter can be used to correctly detect features with transform S but will produce false alarms when certain other images are viewed. This disadvantage may be acceptable if the purpose of the feature extractor is to screen photos with a final decision on feature content being made by another means such as human observations.

As a final comment, neither types of matched filters considered here are invariant to feature rotation or scale change.

3. Method of Invariant Fourier Signatures

In this section some prefilter algorithms will be developed which compute feature signatures which are invariant to feature translation, rotation and scale. These algorithms are refinements of the matched filter of the image autocorrelation function which was developed in the previous section. Referring to equation (38), \hat{H} can be thought of as a weight function which is directly proportional to SS* and inversely proportional to (NN*)². The matched filter output at $\hat{m}(0,0)$ is simply the integral overall spatial frequencies of the

product of this weight function with FF*. As a result, all of the information contained in the fine structure of FF* is lost and not available to the decision processor. In fact, all the decision processor gets is a single number on which the decision is to be based.

There are some obvious drawbacks to this type of preprocessor. First, this matched filter is rather insensitive to the shape of the transform FF*. That is, there may be two dissimilar images I_1 and I_2 with transforms F_1 and F_2 such that

$$F_1F_1* + F_2F_2*$$
 (41)

and yet

This would lead to additional, undesirable false alarms. A second drawback which has been mentioned is that the matched filter is not invariant to either rotation or scale changes. Hence, to use matched filters for feature extraction a number of filters must be implemented for different angular orientations and scale factors. Matched filter degradation due to rotation and scale mismatch is discussed in reference 19.

Poor sensitivity of the preprocessor transform shape results because the two-dimensional image is reduced to a scaler. Better sensitivity may be obtainable if the preprocessor is modified so that its output is a vector rather than a scaler. A promising approach first taken by Lendaris and Stanley is to replace the double integral in equation (40) with n line integrals. That is, the product $FF * \hat{H}$ is integrated along n contours. These integrals are then the components of a n-vector which is the prefilter output. Two of the contours used by Lendaris and Stanley are shown in Figure 17.

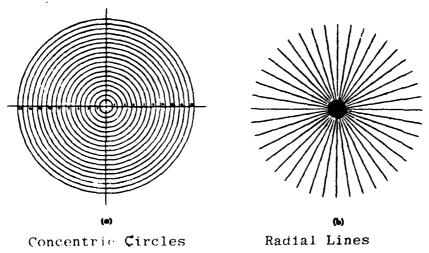


Figure 17 - Integration Contours

In their work they only used the magnitude of the Fourier transform. They did not implement the matched filter \hat{H} . They were concerned with computing prefilter outputs which are invariant to translation and rotation or to translation and scale but not both. In this section, a more general type of prefilter will be developed which can be invariant to translation, rotation and scale and also allow noise filtering which is analogous to matched filtering. However, to clarify the presentation some algorithms of Lendaris and Stanley will first be developed. These will then be generalized.

To begin, assume that either |F| or FF* is available from an A-O sensor. Also assume for now that F=S. That is, there is no noise and the image consists of only the feature to be detected. Now if the feature is translated by $\Delta x, \Delta y$ then the transform changes to $Fe^{-j(\Delta}x^{\omega}x^{+\Delta}y^{\omega}y)$. Hence both |F| and FF* do not change and these functions are said to be invariant to translation. We will now consider the two sets of contours of Figure 17 separately.

Consider first the set of concentric circles. Let the i-th circle have radius $\mathbf{r_i}$. The difference $\mathbf{r_i}$ - $\mathbf{r_{i-1}}$ need not be a constant. There are n contours. Let FF* or $|\mathbf{F}|$ be integrated around any of these contours. Now if the feature were to rotate through angle θ then this integral would not change.

This is because FF* or |F| would only rotate around the transform origin by the same angle. This will be true for all contours. Hence, the n-vector whose components are the n line integrals is invariant to rotation.

Now consider the second set of contours. Let the i-th radial line be at an angle θ_i from the ω_x -axis. The difference θ_i - θ_{i-1} need not be a constant. There are n contours. Let FF* or |F| be integrated along any of these contours. Now if the feature were to be scaled in size by α then |F| and FF* would be scaled in size by $1/\alpha$. As long as the radial lines extended far enough from the origin so that all the significant energy of the transform will be included in the contour integration for both scaled and unscaled feature, then in both these cases the line integration will remain approximately the same. This will be true for all contours. Hence, the n-vector who's components are the n line integrals is (approximately) invariant to scale.

Prefilters based on these algorithms can be implemented easily using Λ -0 sensors. The sensor spatial frequency address would be incremented along a contour. The sensor output would then be integrated along the contour. A simple integration formula such as the trapezoidal rule

$$\frac{1}{h} \left[\left[f(\mathbf{x}_{i}) - \frac{1}{2} (f(\mathbf{a}) + f(\mathbf{b})) \right] \approx f_{\mathbf{a}}^{\mathbf{b}} f(\mathbf{x}) d\mathbf{x}$$
(43)

where $h_s = x_i - x_{i-1}$ would probably be adequate. (Note that the Thomson - CSF sensor would be limited to scanning along radial lines. For a discussion refer to Section II D.)

The invariant properties of these algorithms appear to be very useful. They are also noteworthy because only a single Fourier transform is required and, therefore, they can be naturally implemented using a single A-O device. These algorithms were successfully used by Lendaris and Stanley to detect features in aerial photographs. They have also been used by Pernick, et al, in the screening of cervical cytological

 $samples^{21}$. However, these algorithms have some disadvantages.

The first disadvantage is that they do not consider the effect of noise. In the matched filter the output is enhanced by multiplying FF* by the weight function \hat{H} . If the image contains signal plus noise then it is not possible to weight FF* by \hat{H} before integrating along the contours because the feature is assumed to be either rotated or scaled by some unknown factor. Since \hat{H} is not invariant to these changes in the feature, the required weighting function is not known. The proper place to apply filtering is after the line integrations. Assume that signal and noise are uncorrelated so that equation (37) is satisfied. Since the integral of a sum equals the sum of the integrals then signal and noise will still be additive at the output of the contour integrations. (This implies that FF* is used. If |F| is used, signal and noise are no longer additive.) That is,

$$\phi_{FF*} = \phi_{SS*} + \phi_{NN*}$$
i i i

(44)

where ϕ is the i-th contour integral. Hence, the matched filter principle can be applied at the prefilter output after line integration. Let the weight to be applied to the output of the i-th line integral be w_i . Then from equation (32)

$$w_{i} = \frac{i}{(\cancel{\phi}NN^{*})^{2}}$$

$$(45)$$

To be specific, consider the case of concentric circles for contours. The feature to be detected has transform S. Since the algorithm has been shown to be invariant to feature rotation, w_i will also be invariant to feature rotation. (The noise does not change with feature rotation since feature and noise are assumed uncorrelated.) Hence, the set of weights is a constant n-vector which only depends on the noise and on the feature but not on the angular orientation of the feature. That is, the weight vector can be computed apriori. This will also be

the case when the contours consist of radial lines. In this case the feature has an arbitrary scale. However, the algorithm is invariant to scale so that ϕ SS* is constant. Hence the weight vector is again constant and can be computed aprioriusing equation (45)

In general, let the i-th component of the measurement vector be \mathbf{m}_{i} where

$$m_{i} = \phi FF* \tag{46}$$

then the prefilter output n-vector is given by V where

$$v^{T} = |w_{1}^{m}, w_{2}^{m}, ---, w_{n}^{m}|$$
 (47)

Given that matched filtering can be applied to these algorithms they still suffer a disadvantage in the case that the feature may have arbitrary position, rotation and scale. These algorithms are invariant to translation and rotation or translation and scale but not to all three. If the feature is present but suffers all three changes with respect to the reference feature with spectrum S then the output n-vector will not correspond to the reference output and detection may not be possible. It is, however, possible to generalize these algorithms so that the prefilter can be made invariant to all three feature changes.

To develop the more general algorithm, begin with the image I(x,y) with transform $F(\omega_{x^{-1/2}y})$. Form either |F| or FF^* which has been shown to be invariant to translation. (If matched filtering is to be applied later then FF^* should be used.) Then form the function

$$G(\rho,\theta) = |F(e^{\rho}\cos\theta, e^{\rho}\sin\theta)|$$
 (48)
or if FF* was formed,

$$G(\rho,\theta) = F(e^{\rho}\cos\theta, e^{\rho}\sin\theta) F*(e^{\rho}\cos\theta, e^{\rho}\sin\theta)$$
 (49)
That is, G is $|F|$ or FF* distorted exponentially in radius and expressed in polar coordinates. The function G is periodic in θ with period τ . Assume now that the image consists of signal

with no noise. Consider now the change in G when the signal or feature in I(x,y) suffers an arbitrary rotation and scale change. Let (r,γ) be the location of an arbitrary component of |F| or FF* before rotation and scale change. The location of the corresponding component in G is $(\ln r,\gamma)$. After rotation of the feature through angle ϕ and scaling by α the component in |F| or FF* will move to $(r/\alpha,\gamma+\phi)$. The location of the corresponding component in G is $(\ln r - \ln \alpha, (\gamma+\phi)_{mod\pi})$. That is, G will be translated by $-\ln \alpha$ along the ϕ direction and by ϕ along the θ direction (modulo π). Since |F| or FF* is invariant to translation, any combination of translation, rotation and scale change of the feature will result in only a translation in G. (G will also suffer a gain change to $|\alpha|^{-2}$ G but this is not important.)

Since the only change in G is a translation, by taking a second two-dimensional Fourier transform, this time of $G(\rho,\theta)$, and then forming the magnitude or magnitude squared of this second transform, a function is formed which is invariant to translation in G. Hence, this last function is invariant to translation, rotation and scale of the feature. This function

is
$$H(\omega_{\rho}, \omega_{\theta}) = \int_{\rho_{\min}}^{\rho_{\max}} \frac{\int_{\pi/2}^{\pi/2}}{G(\rho, \theta) e^{-j(\omega_{\rho}\rho + \omega_{\theta}\theta)} d\rho d\theta}$$
(50)

The functions |H| and HH^* are invariant to translation of G. Strictly speaking, this is true only along the lines parallel to the $\omega\rho$ -axis defined by

$$\omega_{\theta} = 2n$$
; n an integer (51)

This is because G is periodic in θ and should be expanded in a Fourier series rather than a Fourier integral in the θ -direction. The Fourier integral evaluated on the above lines reduces to the Fourier series.

Although $|H(\omega_{\rho}, n/\pi)|$ or $H(\omega_{\rho}, n/\pi)H^*(\omega_{\rho}, n/\pi)$ is a two-dimensional invariant function it is probably not necessary (and certainly not desirable from a computational standpoint) to compute this function. To develop more easily computable

invariant signatures, recourse is made to the Fourier transform projection theorem. Let $P_{\varphi}\big[G(\rho,\theta)\big]$ be the projection of G onto a line at angle φ from the ρ -axis. The projection theorem states that the one-dimensional Fourier transform of $P_{\varphi}\big[G\big]$ equals $H(\omega_{\rho},\omega_{\theta})$ restricted to a line through the origin of $(\omega_{\rho},\omega_{\theta})$ - space and at an angle φ to the ω_{ρ} -axis 22 . This line is shown dashed in Figure 18. Since $G(\rho,\theta)$ is periodic in θ , $P_{\varphi}\big[G\big]$ will also be periodic for $\varphi \neq 0$. Hence, $P_{\varphi}\big[G\big]$ should be expanded in a Fourier series rather than a Fourier transform. Let $F\{P_{\varphi}\big[G\big]\}$ be the Fourier series expansion of $P_{\varphi}\big[G\big]$. The terms of this series equal $H(\omega_{\rho},\omega_{\theta})$ evaluated at the intersection of the dashed line with the horizontal lines $\omega_{\Delta}=2n$.

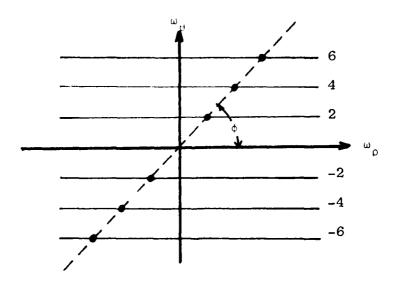


Figure 18 - $(\omega_p, \omega_\theta)$ - Space and F $\{P_\phi\}$ Line

Since |H| and HH^* are invariant, so is $|F\{|P_{\phi}\}|$ and $F\{P_{\phi}\}F^*\{P_{\phi}\}$. Now $F\{P_{\phi}\}$ contains only some of the information contained in H. It is conjectured that by properly choosing ϕ values experimentally, a set of invariant signatures could be developed which contain most of the useful information in H. The signature or signatures to be used may depend on the set of features to be recognized.

Because of the way this development has been carried out, it may not be clear how the invariant signatures are to be computed from the first Fourier transform $F(\omega_{x,}\omega_{y})$. This can be clarified with the aid of Figures 19 and 20. In the following it will be assumed that all processing after computation of the Fourier transform of the image will be done digitally. Hence, continuous functions must be sampled to get discrete samples for digital processing.

Figure 19 shows the domain of the pertinent part of F in (ω_{x}, ω_{y}) - space. F has been restricted to spatial frequencies ω_{x}, ω_{y} where ρ min $\leq \sqrt{\omega_{x}^{2} + \omega_{y}^{2}} \leq \rho$ max. Because of the mapping $\rho = e^{\rho}$, F will be only sampled on the concentric circles shown in Figure 19. There are n circles and their radii are e^{k} , e^{2k} , e^{3k}, e^{nk} where

$$k = \ln \rho_{\min} \tag{52}$$

$$\rho_{\text{max}} = e^{nk} \tag{53}$$

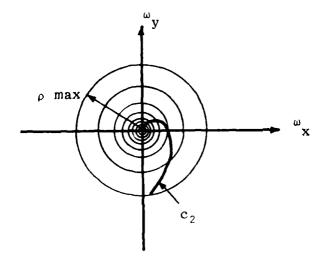
Because of the mapping from F to G, these circles in $(\omega_{\mathbf{X}}, \omega_{\mathbf{y}})$ -space will map to the dashed, equally spaced vertical lines shown in Figure 20 in (ρ,θ) - space. Since the image is a real intensity function

$$F(\omega_{X,\omega}) = F(-\omega_{X,-\omega})$$
 (54)

so that G is periodic in the θ -direction with period π .

Consider now the formation of the projection $P_{_{\varphi}}[G]$. $P_{_{\varphi}}$ is a function of a single variable μ where

$$\mu = \rho \csc \theta \tag{55}$$



<u>Figure 19</u> - (ω_x, ω_y) - Space Contours

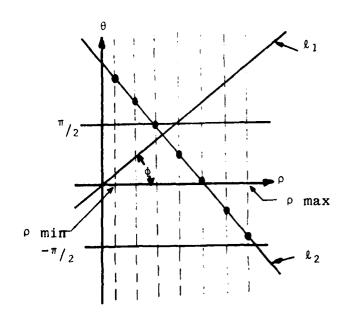


Figure 20 - (ρ, θ) - Space Contours

The domain of P_{ϕ} is the line through the origin of (ρ , θ) - space at angle θ to the $\rho\text{-axis.}$ This line is labeled ℓ_1 in Figure 20. P, will only be computed at a discrete set of points. Let μ_i be one of these points. To determine $P_{\mu}(\mu_i)$ a straight line is drawn which passes through the point $\mu_{\hat{\mathbf{1}}}$ and is at right angles to ℓ_1 . This line is labeled ℓ_2 in Figure 20. Now, to find $P_{\mu}(\mu_{i})$, simply integrate G along ℓ_{2} . Since G is only available along the vertical, dashed lines of Figure 20, a numerical integration is performed using sample points which are the intersection of £, with the vertical dashed lines. The values of G at this set of points is simply the function |F| or FF* evaluated at a set of points which is defined by the intersection of the n, concentric circles in Figure 19 with the curve which is the mapping of ℓ_2 from (ρ,θ) - space to $(\omega_{\mathbf{X}},\omega_{\mathbf{V}})$ - space. This curve is labeled c_2 in Figure 19. Note that c_2 is a spiral. This i always the case unless $\phi = 0^0$ or $\phi = 90^0$. If $\phi = 0^0$ then ℓ_2 is parallel to the vertical, dashed lines in Figure 20. In that case μ_i is chosen so that ℓ_2 coincides with one of these vertical lines. That is, c₂ will be a concentric circle. implies the |F| or FF* be integrated around a circle in order to compute P_{ϕ} (μ_{i}). If $\phi = 90^{\circ}$ then ℓ_{2} is parallel to the ρ -axis. In $(\omega_{\mathbf{v}}, \omega_{\mathbf{v}})$ - space the corresponding $c_{\mathbf{v}}$ will be a radial line. The intersection of this line with the n, concentric circles defines the sample points used to compute the numerical integration. These special cases where $\phi = 0^{\circ}$ or 90° result in contours which are similiar to the contours of Figure 17. only difference is the exponentially distorted spacing of circles. For any other value of $0^{\circ} < \phi < 90^{\circ}$ the integration contours are spirals. Hence, this algorithm is more general than the previously considered one.

Now for whatever ϕ angle used, the above procedure is repeated for each of the sample points $\mu_{\bf i}$. In this way, $P_{\phi}[G]$ is computed at a set of sample values. To increase efficiency

of the remaining computation, the number of sample values of P_{φ} is chosen to be a power of two. Now recall that the one-dimensional Fourier series of $P_{\varphi}\left[G\right]$ equals $H(\omega_{\rho},\omega_{\theta})$ restricted to a line through the origin of $(\omega_{\dot{\rho}},\omega_{\theta})$ -space and at an angle φ to the $\omega_{\dot{\rho}}$ -axis. Hence, the final step in the algorithm is to compute the Fourier series of P_{φ} . Since P_{φ} is only computed at a set of equally spaced samples, $\mu_{\dot{1}}$, a discrete Fourier transform (DFT) rather than a continuous Fourier series is computed. As long as the sample spacing is sufficiently fine to prevent significant aliasing, the substitution of the discrete Fourier transform for the Fourier series is acceptable. Since P_{φ} has been sampled at 2^{m} points, the DFT can be computed using an FFT algorithm.

In the above development, the functions F, G and H have been defined. However, in the actual calculations of the invariant signature $F\{P_{\varphi}\big[G\big]\}$ only the function F need be considered. In review, to compute the signature the following steps are required:

1) A set of radii defined by
$$r_i = e^{ik}$$
 (56)

for some constant k is chosen. These radii define the n, concentric circles. (For the special case that $\phi = 0^{\circ}$, n is chosen to be a power of two.)

- 2) A projection angle $0^{04} \phi^{90}$ is chosen.
- 3) An integer m is chosen to define the FFT length as 2^{m} .
- 4) If φ<90° then the following step is performed: For each 0- i- 2^m-1 |F| or FF* is integrated along the contour c₂ using samples with (polar) coordinates

$$(e^{\ell k}, (\ell-1)\phi + i\pi/2^m) \quad 1 \leq \ell \leq n \tag{57}$$

The result is a vector of length 2^m with each element of the vector corresponding to a difference value of i.

5) If, instead, $\phi = 90^{\circ}$ then the following step is performed: For each $0 \le i \le n$ | F| or FF* is integrated around each of the n, concentric circles. A discrete integration is performed by only sampling F discretely around each circle. n is chosen to be 2^m so that the resulting vector is of length 2^m . Each element corresponds to a different value of i.

- 6) An FFT is performed on the 2^m -vector.
- 7) Either the magnitude or the magnitude squared of the FFT output samples are computed.

The resulting 2^m -vector of real numbers is the desired signature. The above series of steps can be repeated for other values of \$\phi\$, if so desired. The above algorithm will be termed the method of invariant Fourier signatures (IFS). Elements of this algorithm are developed in a series of papers ²³, ²⁴, ²⁵, ²⁶, ²⁷. The procedure of exponentially distorting a function and then computing its Fourier transform can be shown to be equivalent to the Mellin transform ²³.

$$MT(\mu) = \int_{0}^{\infty} f(x)x^{-j\mu-1} dx$$
 (58)

In the above development the question of noise corruption was not considered. The invariant signatures which can be computed from the algorithm are only invariant in the noise-free case. We have all eady considered the application of the matched filter to the output of the prefilter defined by equation (47). Consider now the extension of this development to the more general prefilters developed above.

To begin, assume that the image I(x,y) consists of signal plus noise. That is, I is defined by equation (30). Assume also that signal and noise are uncorrelated so that equation (37) holds. Now let ϕ FF* be the result of integrating FF* along the i-th contour which may be a radial line, circle or spiral. Then with the above assumptions equation (44) still holds. That is, the exponential distortion of the radius does not effect this result. Define signal and noise to be $\mathring{s}(\mu)$ and $\mathring{n}(\mu)$ where

$$\tilde{s}(\mu_i) = \int SS^* - \frac{1}{n} \sum_{k=1}^{n} \int SS^*$$
(59)

$$\hat{n}(\mu_{i}) = \int NN^* - \frac{1}{n} \sum_{k=1}^{n} \int NN^*$$
(60)

That is $\mathring{s}(\mu_i)$ equals the result of the line integral at μ_i with the mean value over all iremoved. The same applies to $\mathring{n}(\mu_i)$. (Removal of the mean has not been considered to this point.) Define the transforms of \mathring{s} and \mathring{n} to be \mathring{s} and \mathring{N} respectively. That is

$$\hat{S} = F\{\hat{S}\} \tag{61}$$

$$\hat{N} = F\{\hat{n}\} \tag{62}$$

and define

$$\mathbf{\hat{F}}\{P_{\phi}[G]\} = \mathbf{\hat{S}} + \mathbf{\hat{N}}$$
(63)

 $(\mathring{F}\{P_{\phi}\})$ is simply $F\{P_{\phi}\}$ with the zero frequency term set to zero.) Now matched filtering can be applied since signal and noise are additive which follows from equation (44). However, to avoid another transform, we make the further assumption that \mathring{S} and \mathring{N} are uncorrelated so that

$$\mathbf{\hat{f}}\{\mathbf{P}_{\Phi}\}\mathbf{\hat{f}}^{*}\{\mathbf{P}_{\Phi}\} = \mathbf{\hat{S}}\mathbf{\hat{S}}^{*} + \mathbf{\hat{N}}\mathbf{\hat{N}}^{*}$$
(64)

The removal of the means was necessary to make this assumption a possibility. The corresponding matched filter weight function is

$$\hat{H} = \frac{\hat{S}\hat{S}^*}{(\hat{N}\hat{N}^*)^2} \tag{65}$$

The matched filter output is

$$\tilde{m}(o) = \int \tilde{f} \{P_{\phi}\} \tilde{f} * \{P_{\phi}\} \tilde{H} dv$$
where v is the frequency variable.

(66)

Notice that the result is a scaler rather than a 2^m vector. What has happened is that by adding matched filtering, the decision processor algorithm has been included with the preprocessor algorithm. The only additional computation required is to compare $\tilde{m}(o)$ with a threshold. Note the form of \tilde{H} . It is the output which would occur if only the signal (feature) were present divided by the square of the output due to the

noise alone. Hence, where a large noise contribution was expected the output would be de-emphasized. $\hat{m}(o)$ is simply the inner product of the prefilter output with the matched filter weight.

Finally, consider the implementation of any of these algorithms using A-O devices. A block diagram is shown in Figure 21.

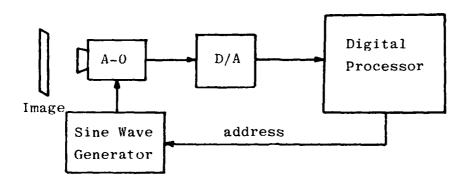


Figure 21 - Invariant Fourier Signatures: Implementation

The block diagram is rather simple. The A-O device is used to produce components of the two-dimensional Fourier transform of the image. The sample points are controlled by addressing the sensor. The remainder of the processing takes place in the digital processor. The amount of data memory required is 2^{m+1} words to hold the complex 2^m vector. Spatial frequency addresses can either be computed using a cordic algorithm addresses can either be computed using a cordic algorithm are vector or precomputed and stored in ROM. It can be seen that these algorithms are well-suited for implementation with A-O devices since the two-dimensional image information is immediately reduced to a much smaller set of numbers which can be post-processed in the digital processor.

In summary, a flexible class of algorithms has been developed which can be used as a feature extractor prefilter. These algorithms can be translation, rotation and scale

invariant. This is strictly true only in the case where no noise is present. However, matched filtering can be used to minimize the noise at the prefilter output. The parameter ϕ can be used to optimize the prefilter for the particular feature or class of features to be identified in the image set. The parameter ϕ can be arbitrarily chosen because A-O devices can be addressed at arbitrary spatial frequencies. Finally, these algorithms are well-suited for implementation using an A-O device for a Fourier transformer and a minicomputer as a post-processor.

4. Method of Invariant Moment Signatures

The method of moments is used in a number of disciplines. The utility of moments in feature extraction was first pointed out by Hu^{12} . It can be shown that algebraic combinations of image moments are invariant to translation, rotation and scale. This section is a discussion of image moments and how they can be computed using A-O devices.

The two-dimensional (p+q)-th moments of an image intensity function I(x,y) are defined by

$$m_{p,q} = \int \int x^p y^q I(x,y) dxdy$$
 (67)

It can be shown that the double sequence of moments $\{m_{p,q}\}$ is uniquely determined by I(x,y) and conversely, I(x,y) is uniquely determined by $\{m_{p,q}\}$ as long as I(x,y) satisfies certain conditions which are always met with real images 12 . A method of reconstructing I(x,y) from $\{m_{p,q}\}$ is given in reference 13.

The purpose of computing image moments is two-fold. First, the invariant functions of moments are desirable for feature extraction. Second, the possibility exists of replacing the image, which contains a large amount of information represented by its pixel values, with a much smaller set of moments $\{m_{p,q} \text{ such that p-p}_{max} \text{ and q-q}_{max}\}$. This is analogous to computing the two-dimensional Fourier

transform for the purpose of reducing the image information to a much smaller set of spatial frequencies.

Consider now the central moments which are defined by

$$\mu_{p,q} = \int \int (x - \bar{x})^p (y - \bar{y})^q I(x, y) d(x - \bar{x}) d(y - \bar{y})$$
 (68)

where

$$\bar{\mathbf{x}} = \mathbf{m}_{1.0} / \mathbf{m}_{0.0}$$
 (69)

$$\bar{y} = m_{0.1}/m_{0.0}$$
 (70)

It is well known that the central moments are invariant under translation of coordinates. Hence, the central moments are translation invariant. The central moments can be expressed in terms of the ordinary moments. For example

$$\mu_{0,0} = m_{0,0}$$
 (71)

$$^{\mu}_{1,0} = ^{\mu}_{0,1} = 0 \tag{72}$$

$$\mu_{2,0} = m_{2,0} - m_{0,0} \bar{x}^2$$
 (73)

$$\mu_{0,2} = m_{0,2} - m_{0,0} \, \bar{y}^2 \tag{74}$$

$$\mu_{1,1} = m_{1,1} - m_{0,0} \bar{x}\bar{y}$$
 (75)

Similar expressions are easily derived for all higher order moments with the use of equation (68). If, for example, the ordinary moments could be computed using an A-O device then the central moments could be formed in a digital post processor.

Consider the information contained in the first few moments

$$\{\mu_{0,0}, \mu_{1,0}, \mu_{0,1}, \mu_{2,0}, \mu_{0,2}, \mu_{1,1}\}$$

$$\mu_{0,0} = m_{0,0} = \text{fi}(x,y) dxdy$$
 (76)

represents the total image power. Both $\mu_{1,0}$ and $\mu_{0,1}$ are zero. However, the ordinary moments

$$m_{1 = 0} = \int \int x I(x, y) dxdy$$
 (77)

$$m_{O-1} = \int \int y l(x, y) dxdy$$
 (78)

locate the image centroid which is (\bar{x}, \bar{y}) where \bar{x} and \bar{y} have already been defined.

The above set of moments characterize the size, gross shape and orientation of the image. If only these moments are considered then the image moments are identical to the moments of an image consisting of the ellipse shown in Figure 22¹³. The parameters of this ellipse are given by

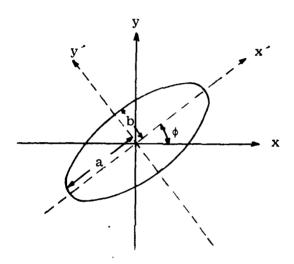


Figure 22 - Equivalent Image Ellipse

$$a = \left(\frac{\mu_{2,0} + \mu_{0,2} + \left[\left(\mu_{2,0} - \mu_{0,2}\right)^{2} + 4\mu_{1,1}^{2}\right]^{1/2}}{\mu_{0,0}/2}\right)^{1/2}$$
(79)

$$b = \left(\frac{\mu_{2,0} + \mu_{0,2} - \left[\left(\mu_{2,0} - \mu_{0,2}\right)^2 + 4\mu_{1,1}^2\right]^{1/2}}{\mu_{0,0}/2}\right)^{1/2}$$
(80)

$$\phi = (1/2) \tan^{-1} \left(\frac{2\mu_{1,1}}{\mu_{2,0} - \mu_{0,2}} \right)$$
 (81)

Hence, if only these moments are known then only very general information about the image shape is available. However, even in this case enough information may be available to achieve some feature extraction. For example, it should be possible to distinguish long, thin features such as roads, airport runways

and shorelines from compact features such as buildings and vehicles. Long, thin objects are characterized by a>>b or b>>a while compact features are characterized by a $^{\sim}$ b. Rotating the image results in change in the angle ϕ . However, image rotation will not change a or b. Hence, a and b are invariant to rotation. Because they are formed from central moments they are also invariant to translation. And, finally, because of the $\mu_{0,0}$ term in the denominator they are invariant to intensity changes.

Since a and b are invariant to translation and rotation so are

$$a^{2} + b^{2} = \frac{2(\mu_{2,0} + \mu_{0,2})}{\mu_{0,0}/2}$$
 (82)

$$a^{2} - b^{2} = \frac{2[(\mu_{2,0} - \mu_{0,2})^{2} + 4\mu_{1,1}^{2}]^{1/2}}{\mu_{0,0}/2}$$
 (83)

These last two moment invariants were used by Hu to distinguish between letters of the alphabet 12 .

Moments can be modified to be invariant to scale. Consider the scale change $x' = \alpha x$, $y' = \alpha y$. Then it is straightforward to show that the unprimed central moments $\mu_{p,q}$ will change to the primed central moments $\mu_{p,q}$ where

$$\mu_{p,q} = \alpha^{(p+q+2)} \mu_{p,q}$$
 (84)

To achieve invariance to scale first make use of the relationship

$$\mu_{0,0} = \alpha^2 \mu_{0,0} \tag{85}$$

so that

$$\alpha^{(p+q+2)} = \left(\frac{\mu_{0,0}}{\mu_{0,0}}\right)^{1+(p+q)/2}$$
 (86)

Substituting this expression into equation (84) and separating primed from unprimed terms yields

$$\frac{\mu'p,q}{(\mu_0,0)^{-1+(p+q)/2}} = \frac{\mu_p,q}{1+(p+q)/2}$$
(87)

$$\hat{\nu}_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,(-\mu_{p,q}/\mu_{0,0})}^{\mu_{p,($$

is invariant to scale. The moments $\overset{\sim}{\mu}_{p,\,q}$ will be termed scale-normalized moments.

The direct substitution of $\hat{\mu}$ moments for μ moments in the expressions for a,b, a^2+b^2 and a^2-b^2 yields invariants \hat{a},\hat{b} , $\hat{a}^2+\hat{b}^2$ and $\hat{a}^2-\hat{b}^2$ respectively. These invariants are translation, rotation and scale invariant. Note, although a,b and a^2+b^2 are invariant to intensity variation, \hat{a},\hat{b} and $\hat{a}^2+\hat{b}^2$ are not. To see this, let I(x,y) change to kI(x,y) then a,b and a^2+b^2 do not change while \hat{a} and \hat{b} change to $k^{-1/2}\hat{a}$ and $k^{-1/2}\hat{b}$ and $\hat{a}^2+\hat{b}^2$ changes to $k^{-1}(\hat{a}^2+\hat{b}^2)$. This is not necessarily a problem, it should be kept in mind when applying these formulas, however. It should be noted that the normalization given in equation (88) is not the only one possible. Another scalenormalized set of moments is given by 9,13

$$\hat{\mu}_{p,q} = \mu_{p,q} / (\mu_{2,0} + \mu_{0,2})^{(2+p+q)/4}$$
(89)

Up to this point moments and central moments have been defined. A few scalers have been given which are invariant to translation, rotation and scale. These results can be generalized. In references 12 and 13 it is shown that by including higher order moments, additional invariant scalers can be derived which are translation, rotation and scale invariant. Higher order moments contain more information about the image. In his paper 12 Hu was able to differentiate long, slender letters such as I or L from compact letters such as N or M using only $a^{2+}b^{2}$. However, he was not able to differenciate between letters which have about the same shape such as the pairs (W,M), (E,F) or (B,R). In a more recent paper 13 Teague has shown that moments up to at least the 11th or 12th order are needed to distinguish an E from an F.

Assume now that a sufficiently high number of moments are available so that m, invariant scaler functions of these moments could be computed. Then the m-vector of these scalers could serve as an invariant feature signature. This m-vector would then be the output of the prefilter. This approach has been used to identify aircraft, for example. 9

Consider now the computation of image moments using A-O devices. Two approaches to this problem will be considered. They are the following:

- 1. Computing image moments from the two-dimensional Fourier transform. The Fourier transform is computed by the A-0 device.
- 2. Computing image moments directly by modifying the A-0 device input signals g(x) and h(x) in equation 1.

First, consider the approach requiring the Fourier transform. Some of the results in this development will be applicable to the second approach. Given that the two-dimensional Fourier transform is available, it is possible to compute image moments from samples of the Fourier transform. Two methods of accomplishing this will be considered.

The first method can be developed as follows. Start with the Fourier transform of the image.

$$F(\omega_{X}, \omega_{Y}) = ffI(x, y)e^{-j(\omega_{X}X + \omega_{Y}Y)} dxdy$$
 (90)

Now expand the exponential in a power series and integrate term by term. The result is

$$F(\omega_{x}, \omega_{y}) = \sum_{p=0}^{\infty} \sum_{q=0}^{\infty} \frac{(-j)^{p+q}}{p!q!} m_{p,q} \omega_{x}^{p} \omega_{y}^{q}$$
(91)

so that

$$m_{p,q} = (-j)^{-(p+q)} \left[\left(\frac{\partial}{\partial \omega_{\mathbf{x}}} \right)^{p} \left(\frac{\partial}{\partial \omega_{\mathbf{y}}} \right)^{q} F(\omega_{\mathbf{x}}, \omega_{\mathbf{y}}) \right]_{\omega_{\mathbf{x}} = \omega_{\mathbf{y}}} = 0$$
 (92)

Hence, m_{p,q} can be derived from the partial derivatives of F evaluated at the origin. This approach has been considered by Teague 29 . Since $F(\omega_{_X},\omega_{_V})$ and not its partial derivatives

are available, the partial derivates must be approximated by numerical differentiation. Partial derivatives are replaced by finite differences

$$\left(\frac{\partial}{\partial \omega_{\mathbf{x}}}\right)^{\mathbf{p}} \left(\frac{\partial}{\partial \omega_{\mathbf{y}}}\right)^{\mathbf{q}} \mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}}) \stackrel{\sim}{\sim} \left(\Delta_{\omega_{\mathbf{x}}}\right)^{\mathbf{p}} \left(\Delta_{\omega_{\mathbf{y}}}\right)^{\mathbf{q}} \mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}})$$
 (93)

where

$$\Delta \omega_{\mathbf{x}} \mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}}) = \frac{\mathbf{F}(\omega_{\mathbf{x}} + \mathbf{h}, \omega_{\mathbf{y}}) - \mathbf{F}(\omega_{\mathbf{x}} - \mathbf{h}, \omega_{\mathbf{y}})}{2\mathbf{h}}$$
(94)

and

$$\Delta \omega_{\mathbf{y}} \quad \mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}}) = \frac{\mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}} + \mathbf{h}) - \mathbf{F}(\omega_{\mathbf{x}}, \omega_{\mathbf{y}} - \mathbf{h})}{2\mathbf{h}}$$
(95)

It can be shown 29 that in order to measure all moments of order n or less (i.e., p+q-n) requires $2n^2 + 2n+1$ distinct samples of the transform. The location of these samples is shown in Figure 23. In order to compute moments of order n or less, the required samples (which are the dots) are all located on or within the square labeled n.

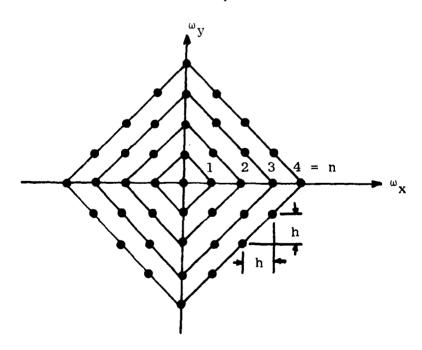


Figure 23 - Transform Sampling: Finite Differences

The only control on accuracy is the step size h. For high accuracy, h may be so small that all the samples are restricted to the area of the transform occupied by the d.c. sinc function. (The Fourier transform of an image will always contain a term centered at $\omega_x = \omega_y = 0$ due to the average light intensity of the image. This term is a square, two-dimensional sinc function because the A-O sensor is assumed to have a square aperture.) If this is the case then higher frequency components of the transform will not be utilized in the computation of the moments. While it is true that if the Fourier transform were known with infinite precision then decreasing h will always result in greater accuracy. The exact Fourier transform is an analytic function and so the entire transform can be reconstructed from the partial derivatives evaluated at $\omega_x = \omega_v = 0$. However, in practical A-O sensors, greater measurement accuracy can be achieved by utilizing Fourier transform data over the entire region of Fourier space which is available. The small effect of a high spatial frequency component on the partial derivatives at the origin will be error-prone whereas an accurate measurement at the high spatial frequency is possible. Hence, this method of computing moments does not appear wellsuited for implementation using A-O devices since there is no practical means available for controlling accuracy of computation.

Because of this problem an alternative method was developed under this contract. This method also uses samples of the Fourier transform. However, the sample spacing is fixed and the accuracy of the method is adjusted by adjusting the number of samples. In this method, higher accuracy requires higher spatial frequency components. The method seems well-suited for A-O device implementation and it will now be developed.

The starting point in this development is the defining

equation for two-dimensional moments, equation (67). Now the A-O device has a finite aperture. This aperture will be considered square. Because of this, the weight functions x^p.v^q are only required to have this form within the device aperture. Let these functions be periodically extended beyond the device aperture. This is shown for the one-dimensional case in Figure 24. The extension to two dimensions is straightforward. The device aperture is considered to be centered at x = 0 and to extend from x = -1 to x = +1. Four cases are shown in the figure. These are : a) p even and period = 2; b) p even and period = 4; c) p odd and period = 2; d) p odd and period = 8. The periodic extension of x^p is indicated with the notation $[x^p]$. The periodic extension of y^q is $[y^q]$. Over a single period, centered around x = 0, the functional definition of $[x^p]$ for the four cases shown in the figure are as follows:

p even and

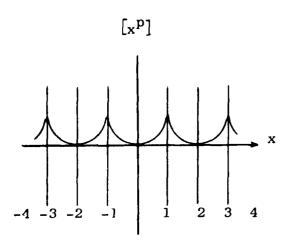
$$period = 2: [x^p] = x^p; -1 - x - 1$$
(96)

p even and period = 4:
$$[x^p]$$
 =
$$\begin{cases} 2 - (x+2)^p; & -2 - x - 1 \\ x^p; & -1 - x - + 1 \\ 2 - (x-2)^p; & +1 - x - + 2 \end{cases}$$
 (97)

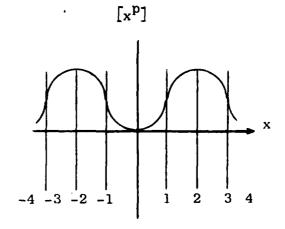
p odd and

period = 2:
$$[x^p] = x^p; -1 - x - 1$$
 (98)

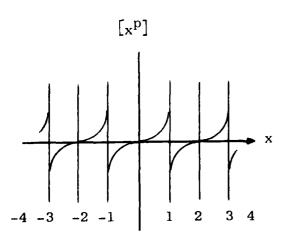
$$\begin{array}{lll}
p \text{ odd and} \\
period = 8: & [x^p] = \begin{cases}
-(x+4)^p & ; -4\overset{<}{-}x\overset{<}{-}3 \\
-2-(x+2)^p & ; -3\overset{<}{-}x\overset{<}{-}2 \\
-2+(x+2)^p & ; -2\overset{<}{-}x\overset{<}{-}1 \\
x^p & ; -1\overset{<}{-}x\overset{<}{-}+1 \\
2+(x-2)^p & ; +1\overset{<}{-}x\overset{<}{-}+2 \\
2-(x-2)^p & ; +2\overset{<}{-}x\overset{<}{-}+3 \\
-(x-4)^p & ; +3\overset{<}{-}x\overset{<}{-}+4
\end{array} \tag{99}$$



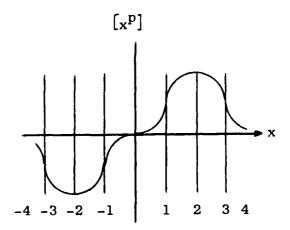
a. p even and period = 2



b. p even and period = 4



c. p odd and period = 2



d. p odd and period = 8

Figure 24 - Periodic Extensions of x^p

Since [xp] is periodic, it can be approximated by a finite sum of complex exponentials. There are a number of ways of achieving such an approximation. For example, the finite sum will be "best" in a mean squares sense if a truncated Fourier series is used.

An alternative method, the method of trigonometric interpolation, will be developed here 30. This method has the advantage that simple formulas are available for determining the coefficients of the expansion. The method can therefore be easily modified to produce exponential sum approximations to any periodically extended function for which a closed form formula exists without the need for an integration. integration is usually required to determine Fourier series coefficients.) The method is, therefore, well-suited for computer generation of the required coefficients. Although the method is very general, the following development will be restricted to the special case of interest, namely the expansion of $[x^p]$.

The method has the property that the approximation to $[x^p]$ will exactly equal $[x^p]$ on a set of grid points

$$x_i = iL/n; i = 0, \pm 1, \pm 2, \dots, \pm n$$
 (100)

where L is one half the period of [xp]. The number of points, n, is a parameter which can be set to achieve the required accuracy.

The approximations to $[x^p]$ and $[y^q]$ will be denoted by

$$g_p(x)$$
 and $h_q(y)$ respectively where
$$g_p(x) = \sum_{k=-n}^{n} c_k(p)e^{j(k\pi x/L)}$$
(101)

$$h_{q}(y) = \sum_{k=-n}^{n} c_{k}(q)e^{j(k\pi y/L)}$$
(102)

The notation $c_k(p)$, $c_k(q)$ for the coefficients is used to indicate that these are functions of the powers p and q.

The notation Σ means

Now refer back to Figure 24. The function $[x^p]$ has different properties depending on whether p is even or odd and the period 2, 4 or 8. If p is even and period = 2 then $[x^p]$ is continuous but the first derivative is discontinuous. If p is even and period = 4 then both $[x^p]$ and its first derivative are continuous. If p is odd and period = 2 then $[x^p]$ is discontinuous. If p is odd and period = 8 then both $[x^p]$ and its derivative are continuous. If either [xp] or its derivative is discontinuous at $x = \pm 1$ the error in the approximation near these points will be rather large unless n is large. Therefore, it appears better to use the periodic extensions shown in Figure 24 b. and c. These extensions will be exclusively used throughout the remainder of this development. Notice that if p is odd the period must be twice as long as when p is even. To account for this, L in equations (101) and (102) will henceforth be denoted, when necessary, by L_{e} or L_{o} for the even or odd case respectively. If the normalization of Figure 24 is used then $L_e = 2$ and $L_o = 4$.

The formula for finding $c_k(p)$ given $[x^p]$ is given in reference 30. First, express the complex coefficient $c_k(p)$ in terms of its real and imaginary parts

$$c_{\mathbf{k}}(\mathbf{p}) = \frac{\alpha_{\mathbf{k}}(\mathbf{p}) - j\beta_{\mathbf{k}}(\mathbf{p})}{2}$$
 (104)

where

$$\alpha_{\mathbf{k}}(\mathbf{p}) = \frac{1}{n} \sum_{\ell=-n}^{n} g_{\mathbf{p}}(\mathbf{x}_{\ell}) \cos(\mathbf{k} \pi \mathbf{x}_{\ell}/L)$$
 (105)

$$\beta_{\mathbf{k}}(\mathbf{p}) = \frac{1}{n} \sum_{\ell=-n}^{n} g_{\mathbf{p}}(\mathbf{x}_{\ell}) \sin(\mathbf{k} \pi \mathbf{x}_{\ell}/L)$$
 (106)

and $x_{\ell} = \ell L/n$. The formulas for $c_k(q)$, $\alpha_k(q)$ and $\beta_k(q)$ are the same except that p is replaced by q, x is replaced by y

and g_p is replaced by h_q everywhere they occur. Since the following development is identical for both g_p and h_q , only the case for g_p will be shown.

The function $g_p(x)$ equals $[x^p]$ at all of the 2n+1 points x (and also at all periodic extensions of these points). There will generally be some error between the mesh points. This will be investigated later.

Now \mathbf{g}_{p} is either an even or an odd function depending on whether \mathbf{p} is even or odd. For \mathbf{p} even

$$c_{k}(p) = 1/2 \alpha_{k}(p) \tag{107}$$

for p odd

$$c_{k}(p) = -1/2j \beta_{k}(p)$$
 (108)

For p even or odd L_e or L_o is used. To obtain equivalent accuracy, the mesh space should be the same in both cases. Since $L_o = 2L_e$ the number, n, of mesh points will be different in each case. Denote them as n_e and n_o for even and odd cases respectively. The formula for $c_k(p)$ and p even is then given by

$$p \text{ even: } c_{\mathbf{k}}(p) = \frac{1}{2n} \sum_{\ell=-n_{\mathbf{e}}}^{n_{\mathbf{e}}} g_{p}(\mathbf{x}_{\ell}) \cos(k\pi \mathbf{x}_{\ell}/L_{\mathbf{e}})$$
 (109)

$$= \begin{cases} 1; & p = 0 \text{ and } k = 0 \\ 0; & p = 0 \text{ and } k \neq 0 \\ \frac{1}{n} e, & \frac{1}{n} e \end{cases}$$
(110)

and for p odd,

p odd:
$$c_k(p) = -\frac{j}{2n} \sum_{\ell=-n_0}^{n_0} g_p(x_{\ell}) \sin(k\pi x_{\ell}/L_0)$$
 (111)

$$= -\frac{j}{n} \sum_{\ell=1}^{n} g_{p}(x_{\ell}) \sin(k\pi x_{\ell}/L_{o})$$
 (112)

where the notation E here means

$$\sum_{\ell=1}^{n} a_{\ell} = \sum_{\ell=1}^{n} a_{\ell} - 1/2 a_{n}$$
 (113)

If p is even then $g_p(x_\ell)\cos(k\pi x_\ell/L_e)$ is an even function. Likewise, if p is odd then $g_p(x_\ell)\sin(k\pi x_k, L_o)$ is an odd function. Because of this

$$c_{\mathbf{k}}(p) = c_{-\mathbf{k}}(p); p \text{ even}$$
 (114)

$$c_{k}(p) = -c_{-k}(p); p \text{ odd}$$
 (115)

These expressions reduce the number of multiplies required to compute $g_{D}(x)$ from equation (101) by a factor of two.

There is an additional symmetry present in $[x^p]$ which reduces the number of multiplies still further. The cases of p even and odd must be considered separately.

First, consider the case where p is even and p>0. Consider the function

$$\hat{g}_{p}(x) = g_{p}(x-1) -1$$
; p>0 and even (116)

in the interval $-1 \le x \le +1$ the function $\hat{g}_p(x)$ is an odd function while the function $\cos(k\pi(x-1)/L_e)$ is even in this same interval for k even and k>0. Hence, there will be no contribution to $c_k(p)$ from the points in this interval when k>0 and even. An examination of the function

$$\hat{g}_{p}(x) = g_{p}(x+1)-1$$
; p>0 and even (117)

in the interval $-1 \le x \le +1$ leads to the same result. Hence, for p>0 and even and k>0 and even $c_k(p)=0$.

Now consider the case the p is odd. Consider the function

$$g_{p}(x) = g_{p}(x-2); p \text{ odd}$$
 (118)

in the interval $-2 \le x \le +2$. The function $\overline{g}_p(x)$ is even in this interval while the function $\sin(k_\pi(x-2)/L_0)$ is odd in this same interval for k even and k>0. Hence, there will be no contribution to $c_k(p)$ from points in this interval when k>0

and even. An examination of the function

$$\bar{g}_{p}(x) = g_{p}(x+2); p \text{ odd}$$
 (119)

in the interval $-2 \le x \le +2$ leads to the same result. Hence, for p odd and k>0 and even, $c_k(p) = 0$. In summary:

$$c_{k}(p) = c_{-k}(p); p \text{ even}$$
 (120)

$$c_{k}(p) = c_{-k}(p); p \text{ odd}$$
 (121)

$$c_k(p) = 0$$
; p even and k>0 and even (122)

$$c_k(p) = 0$$
; p odd and k>0 and even (123)

Now consider the generalization to two-dimensions of the results to this point. Let $[x^p][y^q]$ be the periodic extension of x^py^q outside the square with corners (-1,-1), (-1,1), (1,-1), (1,1). Then $[x^p][y^q]$ can be approximated by $g_p(x)h_q(y)$ where

$$g_{p}(x)h_{q}(y) = \sum_{i=-n}^{n} \sum_{k=-n}^{n} c_{i}(p)c_{k}(q)e^{j\pi(ix/L+ky/L)}$$
(124)

where the various L's and n's are to be replaced by L_e , L_o , n_e , n_o - whichever is appropriate. Now consider the defining equation for $m_{p,q}$ equation (67). If the limits of integration are restricted to $-1 \le x, y \le +1$ then the kernal $x^p y^q$ can be replaced by $[x^p][y^q]$ without effecting the result. That is,

$$m_{p,q} = \int_{-1}^{1} \int_{-1}^{1} [x^{p}][y^{q}] I(x,y) dxdy$$
 (125)

Now approximate $[x^p][y^q]$ by $g_p(x)h_q(y)$

$$m_{p,q} \approx \int_{-1}^{1} \int_{-1}^{1} g_{p}(x) h_{q}(y) I(x,y) dxdy$$
 (126)

Now substitute the defining trigonmetric formulas for \mathbf{g}_p and \mathbf{h}_q and interchange integration and summation. The result is

$$m_{p,q} \sim \sum_{i=-n}^{n} \sum_{k=-n}^{n} c_{i}(p)c_{k}(q) \int_{-1}^{1} \int_{-1}^{1} I(x,y)e^{j\pi(ix/L+ky/L)} dxdy$$
(127)

$$= \sum_{i=-n}^{n} \sum_{k=-n}^{n} c_i(p) c_k(q) F(-\frac{i\pi}{L}, -\frac{k\pi}{L})$$
(128)

Since I(x,y) is real $F(\omega_x, \omega_y) = F*(-\omega_x, -\omega_y)$

so that

$$m_{p,q} \stackrel{n}{\sim} \stackrel{r}{\underset{i=-n}{\sum}} \stackrel{r}{\sim} \stackrel{c}{\underset{i=-n}{\sum}} c_{i}(p)c_{k}(q)F*(\frac{i\pi}{L}, \frac{k\pi}{L})$$
(129)

this is the desired result. It states that if $x^p y^q$ are approximated over the aperture $-1 \le x, y \le +1$ by the trigonometric series $g_p(x)h_q(y)$ with coefficients $c_i(p)$ and $c_k(q)$ then $m_{p,q}$ is approximated by the weighted double sum of two-dimensional Fourier transform samples with the same coefficients $c_i(p)$ and $c_k(q)$. Notice that when a larger value of n is used in order to increase accuracy then the Fourier transform must be sampled over a larger region of Fourier space.

Now, taking into account the symmetries present in the coefficients $c_i(p)$ and $c_k(q)$ and in the two-dimensional Fourier transform equation (129) can be simplified. First of all, define the notation

$$\sum_{i=0}^{n} a_i = \sum_{i=0}^{n} a_i - 1/2(a_0 + a_n)$$
(130)

then the summation approximating $m_{p,q}$ can be broken into four parts.

Since I(x,y) is real $F(\omega_x, \omega_y) = F^*(-\omega_x, -\omega_y)$ so that

$$m_{p,q} \gtrsim_{i=0}^{n} \sum_{k=0}^{n} \left[c_{i}(p) c_{k}(q) F^{*}(\frac{i\pi}{L}, \frac{k\pi}{L}) + c_{-i}(p) c_{-k}(q) F(\frac{i\pi}{L}, \frac{k\pi}{L}) \right]$$

Now F+F*=2 real (F), F-F*=2j imag(F) and taking advantage of the symmetries equations (120), (121), (122) and (123) the formula for $m_{p,q}$ can be broken into four pieces for the four cases

- 1. p and q even
- 2. p even and q odd
- 3. p odd and q even
- 4. p and q odd

These cases are the following:

case 1: p and q even

$$m_{p,q} = 2\sum_{i=0}^{r} \sum_{k=0}^{r} c_{i}(p)c_{k}(q) \left[real F(i\pi/L_{e},k\pi/L_{e}) + real F(i\pi/L_{e},-k\pi/L_{e})\right]$$

$$(133)$$

case 2: p even and q odd

case 3: p odd and q even

$$m_{p,q} = -2j \sum_{i=0}^{r} \sum_{k=0}^{r} c_{i}(p)c_{k}(q) \left[imag F(i\pi/L_{o}, k\pi/L_{e}) + imag F(i\pi/L_{o}, -k\pi/L_{e}) \right]$$

$$(135)$$

case 4: p and q odd

$$m_{p,q} = 2 \sum_{i=1}^{r} \sum_{i=1}^{r} c_{i}(p)c_{k}(q) \left[real F(i\pi/L_{o}, k\pi/L_{o}) - real F(i\pi/L_{o}, -k\pi/L_{o}) \right]$$

$$(136)$$

In all four cases, approximately three quarters of the combined coefficients $c_i(p)c_k(q)$ are zero since $c_i(p)=0$ when i>0 and even and $c_k(q)=0$ when k>0 and even. In all cases, $m_{p,q}$ is a real number. If p is even and q is odd or

p is odd and q is even then $c_i(p)c_k(q)$ is imaginary and $jc_i(p)c_k(q)$ is real. Sample spacing in the (ω_x,ω_y) - plane for the four cases above is shown in Figure 25. The dashed half square is the first zero of the two-dimensional sinc function which results from the average light intensity of the image. The transform is to be sampled at the intersection of all solid lines including the ω_x and ω_y -axis. The total number of samples depends on e_0 and e_0 . Notice that real or imaginary parts of the transform for samples which have the same e_0 -coordinate but opposite e_0 -coordinates are added or subtracted before being multiplied by $e_i(p)c_k(q)$.

Two Fortran computer programs have been written to compute the $c_i(p)$, $c_k(q)$ coefficients as defined by equations (105), (106), 107) and (108). These programs are listed in Appendix C.

The final topic which must be considered is how n_e and n_o are chosen to achieve a required accuracy in the approximations for $[x^p]$, $[y^q]$. To this end, two additional Fortran computer programs were written to analyze the error function

$$e_{p,n}(x) = [x^p] - g_p(x)$$
 (137)

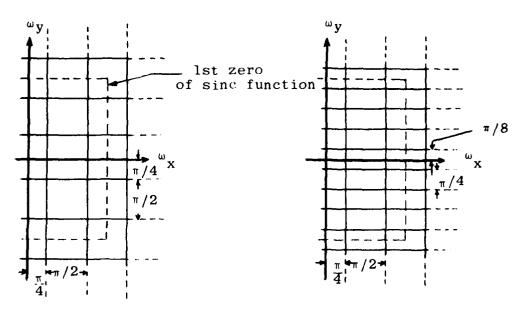
This is a function of x, the power p and the number of terms, 2n+1, in the summation defining $g_p(x)$, equation (101). Now because of the form of $g_p(x)$

$$e_{p,n}(x_i) = 0 \quad i = 0, \pm 1, \pm 2, \dots \pm n; \quad x_i = iL/n$$
 (138)

Because of the symmetries present it is easy to see that

$$\left| \mathbf{e}_{\mathbf{p},\mathbf{n}}(\mathbf{x}) \right| = \left| \mathbf{e}_{\mathbf{p},\mathbf{n}}(-\mathbf{x}) \right| \tag{139}$$

Hence, it is only necessary to examine $e_{p,n}$ for positive values of x. If p is even then we are only interested in $e_{p,n}$ over the interval $0 \le x \le x_{n/2}$ which is right-half of the sensor aperture (normalized). If p is odd then we are, instead, interested in $e_{p,n}$ over the interval $0 \le x \le x_{n/4}$. The Fortran



a. p and q even

b. p even and q odd

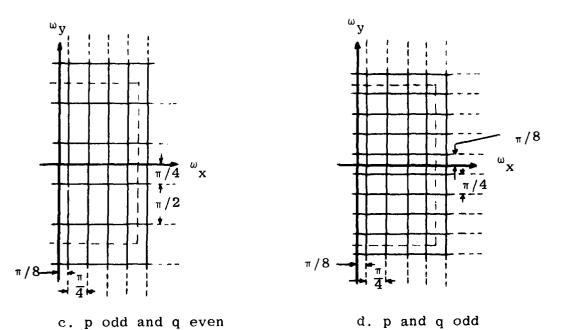


Figure 25 - Fourier Transform Sample Spacing for Moment Computation

programs allow the user to enter p, n/2 or n/4 and a mesh divisor m. The program then computes all the $c_i(p)$ coefficients and evaluates $e_{p,n}(x)$ at the points

$$x_i = iL/nm; i = 0,1,..., nm/n_p$$
 (140)

where $n_p = 2$ if p is even and $n_p = 4$ if p is odd. That is, the interval $x_i \le x \le x_{i+1}$ is divided into m parts.

Using these Fortran programs a study was conducted to determine the effect of n on the maximum error observed at the $1+nm/n_p$ grid points. The mesh divisor was fixed at m = 10 for all cases. Then p and n were varied and the maximum error overall the grid points observed and tabulated. For the cases p = 1 and n/4 = 1, 2 and 4 the error function is shown in Figure 26. Notice that the maximum error decreases by at least a factor of two for every doubling of n. tabulation of maximum error for the cases of $1 \le p \le 8$ and $n/n_p = 1$ 1,2,4 and 8 is given in Table 3. From this table it is seen that the maximum error increases for $n/n_{\rm p}$ fixed and increasing p. Likewise, if p is held constant then the maximum error decreases with increasing $n/n_{\rm p}$. Now $n/n_{\rm p}$ is the number of points in the interval 0 < x < 1 for which $e_{p,n}(x) = 0$. Notice that (approximately) the maximum error decreases by a factor of two when n/n_p is doubled and p held fixed. To investigate further, addition data was generated and tabulated in Table 4. From this table it is seen that the maximum error $|e_{p,n}|$ will remain approximately the same if when p is doubled n/n_p is also doubled. (More accurately, the maximum error is increasing slightly as p and n/n_{p} are progressively doubled.) Also note that for (approximately) the same error, n/n_{D} should be the same for p even and p odd. Since $n_p = 2$ for p even and $n_p = 4$ for p odd this implies that

$$n_{O} = 2n_{e} \tag{141}$$

for (approximately) the same error. A maximum $|e_{p,n}| = .03$ is an error of 3% of the full-scale value of $|x^p|$ in the interval $0 \le x \le 1$ which is 1.0.

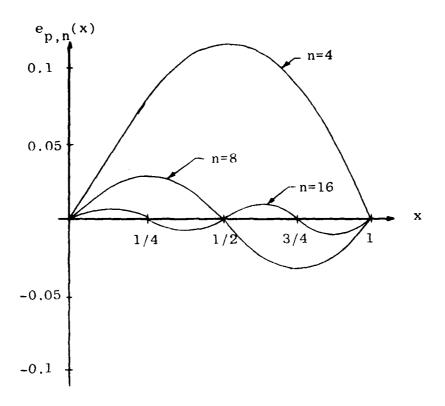


Figure 26 - $e_{p,n}(x)$ for p = 1 and n/4 = 1,2 and 4

| p n/np | 1 | 2 | 4 | 8 |
|--------|-----------|----------|----------|----------|
| 1 | .1173166 | .0353821 | .0098962 | .0026195 |
| 2 | .0560095 | .0172765 | .0045921 | .0011702 |
| 3 | .2697230 | .0526488 | .0138003 | .0035090 |
| 4 | . 3059095 | .1007140 | .0273291 | .0070052 |
| 5 | .4319005 | .1697540 | .0457383 | .0116845 |
| 6 | .4288390 | .2163066 | .0656872 | .0173221 |
| 7 | .5176162 | .2795536 | .0905453 | .0241607 |
| 8 | .5232109 | .3136496 | .1143713 | .0317055 |

Table 3 Maximum $|e_{p,n}(x)|$ vs. p and n/n_p

Now refer to Figure 25 in order to relate n/n_p , and n to the spatial frequency bandwidth of the acousto-optic sensor. The first zero of the average intensity sinc function is the location of spatial frequencies of one line pair per aperture. The intersection of this zero with the ω_x and ω_v - axis is

$$\omega_{X} = \omega_{Y} = \pi \tag{142}$$

A sensor with bandwidth of \mathbf{n}_{b} line pairs per aperture has usable bandwidth

$$0 \stackrel{<}{\sim} w \stackrel{<}{x} n_b^{\pi}$$

$$-n_b^{\pi \leq \omega} y^{\leq n_b^{\pi}}$$

Now $n_e = 2n/n_p$ and $n_o = 4n/n_p$. The bandwidth required for $g_p(x)$ is

p odd:
$$n_0^{\pi/8} = (4n/n_p)^{\pi/8} = (n/n_p)^{\pi/2}$$
 (143)

p even:
$$n_e^{\pi/4} = (2n/n_p)^{\pi/4} = (n/n_p)^{\pi/2}$$
 (144)

Equating with $n_{\mbox{\scriptsize b}}^{\mbox{\tiny T}}$ yields

$$n/n_{p} = 2n_{b} \tag{145}$$

Referring to Table 4, in order to compute up to 16th order moments with maximum $|e_{p,n}| \le .0336$ requires $n/n_p = 16$. Equation (145) then implies that the sensor bandwidth must be at least 32 line pairs per aperture along both the ω_x and ω_y -axis. Continuing with this example, if the sensor bandwidth was 16 line pairs per aperture then only 8th order moments could be computed with the same maximum $|e_{p,n}|$. However, if the error criteria was relaxed to maximum $|e_{p,n}| \le .0672$ then 16th order moments could be computed with a 16 line pair per aperture device. Table 3 and 4 or the computer programs of Appendix C can be used to determine the bandwidth required

| р | n/n _p | max e _{p,n} |
|----|------------------|----------------------|
| 2 | 2 | .0172765 |
| 4 | 4 | .0273291 |
| 8 | 8 | .0317055 |
| 16 | 16 | .0335946 |

| р | n/np | max e _{p,n} |
|----|------|----------------------|
| 1 | 2 | .0353821 |
| 3 | 4 | .0138003 |
| 7 | 8 | .0241607 |
| 15 | 16 | .0296186 |

a. p even

b. p odd

Table 4 - Maximum $|e_{p,n}(x)|$ vs. $p = n/n_p$ or $p = n/n_p - 1$

given the highest order moments to be computed along with the largest allowable error. This analysis has assumed that the Fourier transform can be computed with perfect accuracy. Errors in the transform will lead to additional errors in the computed moments.

Since the two-dimensional moments are computed as weighted sums of two-dimensional Fourier transform components, the implementation of a preprocessor using an A-O device can take the form of Figure 21. The A-O device is used to compute Fourier components and the weighting and summation is carried out in the digital processor. The digital processor is also used to compute the moment invariants. An advantage of this method of computing moment invariants is that the same hardware configuration can be used to compute moment invariants as well as to compute the invariant signatures developed in Section III. 3.C.

This would be desirable in applications where a decision is to be made based on prefilter outputs derived from more than one algorithm.

The algorithm for computing moments from the Fourier transform can be modified to provide some noise filtering. In aerial images it is often the case that the features of a signal that permit discrimination generally have significant high spatial frequency content in some frequency band 17. The noise contributes primarily to spatial frequencies outside this band. It may be desirable to weight the Fourier transform components to emphasize signal and de-emphasize noise. The algorithm permits a weight function of the form

$$W(\omega_{x}, \omega_{y}) = W_{x}(\omega_{x})W_{y}(\omega_{y})$$
 (146)

to be applied to the Fourier transform components prior to summation. These weights should be combined with the coefficients $c_i(p)$, $c_k(q)$. The composite coefficients are

$$\hat{c}_{i}(p) = W_{x}(i\pi/L)c_{i}(p)$$
 (147)

$$\hat{c}_{k}(q) = W_{v}(k\pi/L)c_{k}(q)$$
 (148)

These multiplications can be precomputed and stored. Hence, noise reduction can be added to the algorithm without the need for any additional on-line computations. Examples of W, functions are

$$W_{\mathbf{x}}(\omega_{\mathbf{x}}) = \begin{cases} 0; & \omega_{\mathbf{x}} < \omega_{\mathbf{c}} \\ 1; & \omega_{\mathbf{x}} \ge \omega_{\mathbf{c}} \end{cases}$$
(149)

which is a high-pass filter and

$$W_{\mathbf{x}}(\omega_{\mathbf{x}}) = \omega_{\mathbf{x}} \tag{150}$$

which is a derivative filter. It should be noted however that two-dimensional filters such as

$$\mathbf{w}_{\mathbf{x}}\mathbf{w}_{\mathbf{y}} = \mathbf{\omega}_{\mathbf{x}}\mathbf{\omega}_{\mathbf{y}} \tag{151}$$

have a directional bias. This is not totally consistant with the desire to compute invariant signatures. This topic needs further investigation.

Next, an alternative approach to computing image moments will be considered. This approach utilizes the development based on the method of trigonometric interpolation which was derived above.

The A-O devices which have been considered in this report which compute the function given by equation 1 are linear in g and h so that

$$\int \int \hat{I}(x,y) \sum_{i=0}^{n} \sum_{k=0}^{n} g_i(t-x/v_x) h_i(t-y/v_y) dxdy =$$

$$\begin{array}{ccc}
n & n \\
\Sigma & \Sigma & f / \hat{I}(x,y) g_{i}(t-x/v_{x}) h_{i}(t-y/v_{y}) & dxdy \\
i=0 & k=0
\end{array} (152)$$

This property allows an alternative means of computing moments. Rather than weighting and summing Fourier components in the frequency domain, the eigenfunctions can be weighted and summed in the time domain. The composite function is then applied to the A-O device. The A-O device output is then the

desired moment. The weighted eigenfunctions are given by equations (101) and (102). However, these are just the bandlimited approximations to $[x^p]$ and $[y^q]$ derived from the method of trigonometric interpolation. Hence, if the A-O device electrical inputs are the approximations to $[x^p]$ and $[y^q]$ then the device output will approximate $m_{p,q}$. This statement needs two qualifications. First, the device output will only equal m at the time instant when the SAW or BAW are aligned as shown in Figure 24. That is, there is only one instant per period when the acoustic waves line up on the sensor to give the correct weighting function. second qualification arises because of the image sampling caused by the metal grid pattern on the sensor. discussed in Section II. The origin of Fourier space is translated by fo,x and fo,y. To likewise translate the spectra of $g_n(x)$ and $h_n(y)$ they must be multiplied by $e^{j2\pi f}$ x.o and $e^{j2\pi f}$ y.o respectively. In an actual implementation, the complex exponentials would be replaced with real sinusoids and a synchronous detector used to preserve the phase information. Such a circuit is described in reference Hence, the sensor drive signals should be of the form

$$g(t) = g_{p}(t)\sin 2\pi f_{x,0}t$$
 (153)

$$h(t) = h_{q}(t)\sin 2\pi f_{y,0}t$$
 (154)

Now since g_p and h_q have been designed to be bandlimited, g and h will also be bandlimited and n can be chosen to achieve maximum accuracy given the A-O device bandwidth. Hence, all the previous analysis can be applied to this implementation also. The functions, equations (153) and (154) can be generated either by performing an analog multiplication of g_p or h_q with $\sin 2\pi ft$ or by precomputing time samples of g(t) and h(t) and storing these samples in a fast digital memory. The memory would then be read, D/A converted and the analog samples smoothed and applied to the A-O sensor. The sensor

output should be sampled in synchronism with the input so that this output is sampled and held at the instant when the correct portion of $g_p(x)h_q(y)$ is on the active sensor area. The implementation of such a preprocessor is shown in Figure 27.

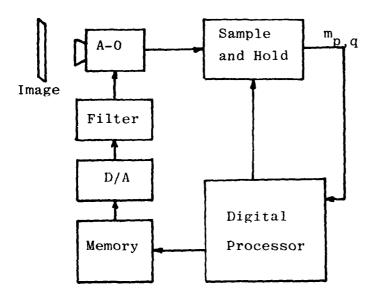


Figure 27 - Implementation: Method of Moments

D. Summary

This section began with a general discussion of prefilters. It was shown that the desirable property of feature isolation could be achieved by breaking the image into a number of smaller, overlapping views. By this means signal-to-noise ratio can be improved. Since A-O sensors cannot match the accuracy of a digital processor, feature isolation is useful since it relaxes the noise filtering requirements of the prefilter algorithm. However, the price paid is the need to process a number of views rather than a single aerial image.

The concept of feature invariance was introduced. A prefilter which is invariant to changes in the feature such

as translation or rotation or scale is very desirable. This is because the number of distinct signals at the prefilter output is greatly reduced which simplifies the decision processor. However, invariance usually leads to an undesirable reduction in separation between feature classes.

Because of the function performed by A-O sensors they are best suited to implement prefilters which utilize a separable transformation of the image of the form of equation (1). A number of such transformations were investigated.

The Hadamard transform is characterized as an orthonormal transform for which all the elements of the n x n transformation matrix \mathbf{H}_n are either + or -1. Because of this property, it is well-suited for digital implementation since additions rather than multiplications are required. Since the A-O sensors performs general multiplications as easily as multiplications by $^+$ 1, this special property of \mathbf{H}_n is of no advantage in an A-O implementation. Since A-O devices are bandlimited whereas Walsh functions are not bandlimited, A-O devices do not appear to be the most optimum means for computing Hadamard transforms.

A classical means for feature extraction is the matched filter. However, the A-O implementation of the matched filter is not desirable since both forward and inverse Fourier transforms are required. The matched filter for the image autocorrelation function leads to a much simpler A-O implementation since only a forward transform is required. This version of the matched filter is invariant to feature translation but not rotation or scale.

More complex algorithms were developed which utilize Fourier transform samples to compute feature signatures which are invariant to translation, rotation and scale. Since the transform is sampled, the amount of information in the image is reduced to the point where a modest digital processor can compute the remaining steps in the algorithm. These algorithms are well suited for an A-O device implementation consisting of

an A-O sensor and a digital post processor.

Image two-dimensional moments were introduced. Certain combinations of these moments can be invariant to feature translation, rotation and scale change. Two methods of computing these moments from the Fourier transform were presented. The second method is more accurate for A-O implementation since it utilizes Fourier samples over the entire bandwidth of the sensor. An alternative method of computing moments by time-weighting the electrical inputs to the A-O sensor was developed. Using this method, moments can be computed potentially much faster than by the Fourier transform method. However, a more complex hardware configuration is required.

In summary, there appear to be a number of potentially useful feature extraction algorithms which can be effectively implemented using A-O sensors.

IV. FEATURE EXTRACTION EXPERIMENTS WITH DEFT SENSORS

A. Introduction

For the purpose of sensor and algorithm evaluation, Deft Laboratories Inc. has developed a microprocessor-based Deft sensor operating system. This system consists of a MC6800-based microprocessor system, two digitally controllable sine wave generators, a Deft sensor and an electronics module for signal filtering and amplification. The system can interface with a tape recorder, teletype, storage CRT and an X-Y plotter. Assembly language programs can be written to implement signal processing algorithms. In addition, some resident software is available to make measurements of the Deft sensor output and to make pseudo-three dimensional plots of the magnitude of the Fourier transform.

Since this facility is available, it was decided to program one or more of the prefilter algorithms under study in order to make a preliminary evalution of the concept of implementation developed in Section III. The present experimental set-up has two limitations. First, the system is limited to evaluating Deft sensors. Second, the sensor drive functions g(t) and h(t) are limited to sinusoids. Because of this second limitation experiments were restricted to those algorithms which characterize the image by its two-dimensional Fourier transform. Algorithms which were programmed are the method of invariant Fourier signatures and the method of invariant moment signatures. However, because of a shortcoming of the Deft sensors which were available during this study, it was not possible to compute image moments with any accuracy. This shortcoming is presently being eliminated in a new sensor design. More will be said about present shortcomings in the next section. The method of invariant Fourier signatures is less sensitive to this problem so that a series of experiments were conducted. The results of these experiments are detailed here.

First, however, the computer programs which were written will be described. This will be followed by a description of the experiments which were conducted and the results of these experiments. The section closes with some conclusions.

- B. Feature Extraction Experimental Computer Programs
 - 1. Method of Invariant Moment Signatures

The flow diagram of this program is rather straightforward and is shown in Figure 28. When the program is entered
it requests that the sensor view a uniform image for calibration. When this image is in place the user types "C" and
the program makes a series of measurements near the transform
origin for the purpose of removing a linear phase term which
is present in the Deft sensor output. This phase function is
approximately of the form

$$\phi(\omega_{x}, \omega_{y}) = k_{x}\omega_{x} + k_{y}\omega_{y} + k_{o}$$
(155)

The computed Fourier transform is

$$\hat{F}(\omega_{x,\omega_{y}}) = F(\omega_{x,\omega_{y}})e^{-j\phi(\omega_{x,\omega_{y}})}$$
(156)

where F is the desired Fourier transform.

This phase function is undesirable. The constant k_0 is measured at the Fourier origin and removed from all data points. The linear phase also must be measured and its effects removed from each data point. The method of trigonometric interpolation is implemented in this program. Refer to Figure 24. If linear phase is not removed then the effect is to shift the aperture of the sensor out of the normalized aperture centered at x = y = 0 and extending to $x = \pm 1, y = \pm 1$. The image will then, in effect, be multiplied by $\begin{bmatrix} x^p \end{bmatrix}$, $\begin{bmatrix} y^q \end{bmatrix}$ outside the interval where these functions equal x^p, y^q . The result will no longer be the image moment. To remove the linear phase, k_x and k_y are measured by sampling the transform at two points on the ω_x -axis and two points on the ω_y -axis near the Fourier origin where the transform has a large magnitude. Since a

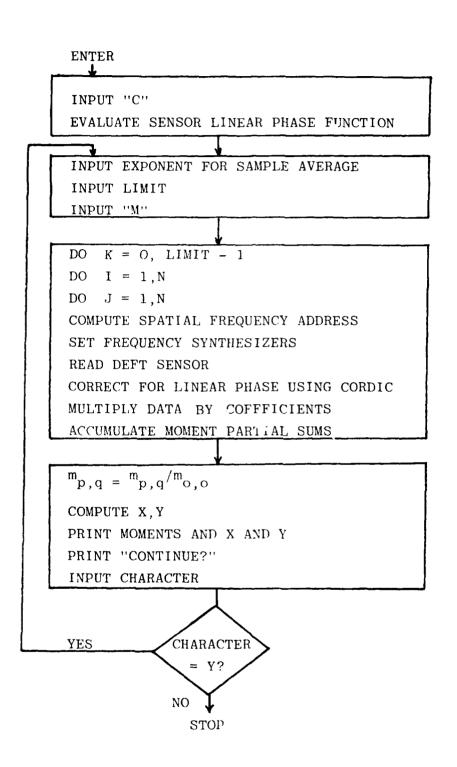


Figure 28 - Flow Diagram: Invariant Moment Signatures

uniform image has a transform which is a real function, any linear phase measured is due to the sensor and its associated electronics and should be removed. For example, if the sensor is measured at (0,0), $(\overset{\circ}{\omega}_{X},0)$ and $(o,\overset{\circ}{\omega}_{V})$ with result

$$\tilde{\mathbf{F}}(0,0) = A(0,0)e^{-j\phi(0,0)}$$
 (157)

$$\tilde{\mathbf{F}}(\tilde{\omega}_{\mathbf{x}},0) = \mathbf{A}(\tilde{\omega}_{\mathbf{x}},0)e^{-\mathrm{j}\phi(\tilde{\omega}_{\mathbf{x}},0)}$$
 (158)

$$\hat{F}(0, \hat{\omega}_{y}) = A(0, \hat{\omega}_{y}) e^{-j\phi(0, \hat{\omega}_{y})}$$
(159)

then

$$k_{O} = \phi(0,0) \tag{160}$$

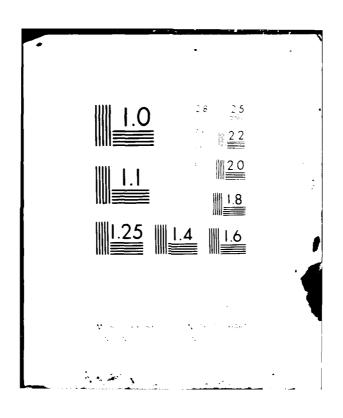
$$\mathbf{k}_{\mathbf{X}} = \frac{\phi(\tilde{\omega}_{\mathbf{X}}, 0) - \phi(0, 0)}{\tilde{\omega}_{\mathbf{X}}} \tag{161}$$

$$k_{y} = \frac{\phi(0, \tilde{\omega}_{y}) - \phi(0, 0)}{\tilde{\omega}_{y}}$$
 (162)

The program automatically makes these measurements and stores the corrections k_0 , k_x , and k_y . The computed linear phase is then removed from each transform sample during the course of the measurements when the test image is in place. The samples which are available to the microprocessor from the sensor are in the form of the real and imaginary components of the transform. To remove linear phase, these samples must be converted to a magnitude and phase representation, the phase correction computed and applied and then the result converted back to real and imaginary format. The conversion is accomplished using the CORDIC algorithm. The total time involved per correction is about the same as the time required to compute two multiplies.

Once the parameters k_0 , k_x and k_y have been measured the program request a sample average which is a power of two (2**S). The user then inputs the exponent Subsequent transform values will be sampled 2**S times per spatial frequency and averaged to improve the signal-to-noise ratio.

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The program in its present form is capable of computing all image moments from $m_{0,0}$ to $m_{8,8}$. To save time, if not all these are required, the user can specify a limit $\stackrel{<}{\sim} 8$. Then only moments from $m_{0,0}$ to $m_{limit-l, limit-l}$ will be computed.

Next the program requests the user to position the test image and type "M". The program then computes the two-dimensional moments using equations (133), (134), (135) and (136). These moments are then normalized by ${\rm m_{O,O}}$. It is easy to see that

$$m_{0,0} \stackrel{>}{=} m_{p,q}$$
 (163)

for any p and q. Hence,

$$\frac{m_{p,q}}{m_{0,0}} \stackrel{<}{\sim} 1 \tag{164}$$

Then two moment invariants are computed. These are

$$X = a^2 + b^2 \tag{165}$$

$$Y = a^2 - b^2 \tag{166}$$

where $a^2 \pm b^2$ are defined by equations (82) and (83). The computed moments and X and Y are then printed out. The program then asks the user if he would like to continue. If he types a "Y" the program loops back and asks for a new sample average. If any other character is typed the program jumps to the monitor program and displays "*". A sample run of the program is shown in Figure 29. The notation $2^{**\pm}$ (integer) means that the fixed point number to the left is to be multiplied by $2^{**\pm}$ (integer). This is floating point using powers of two rather than ten. In the figure the case LIMIT = 3 is shown. If this parameter were larger then a larger table (up to 8 x 8) would be printed out.

POSITION UNIFORM IMAGE. THEN TYPE C C COMPUTES M(P,Q) MOMENTS FROM TRANSFORM

SAMPLE AVERAGE IS 2**3
LIMIT = 3
POSITION TEST IMAGE. THEN TYPE M M
M(P,Q)

0 1 2 3 4 5 6 7
0 +.9999 +.0055 +.1848
1 -.1204 -.0181 -.0707
2 +.1851 -.0468 +.0183

X = +.7109 2**-01 Y = +.6048 2**-04

CONTINUE? Y

Figure 29 - Moments for Feature Extraction: Sample Run

For the particular implementation of the algorithm given in the program listed in Appendix B, the parameters $n_{\rm e}$ and $n_{\rm o}$ were set to be $n_e = 20$, $n_o = 40$ independent of p or q. This simplifies the computer program but results in run times which are longer than necessary because lower order moments can be accurately computed with much smaller values for n_e , n_o . coefficients which were used in the program are listed in Tables 5 and 6. These coefficients can be utilized by a Deft sensor with bandwidth of 10 line pair along the $\omega_{\mathbf{x}}$ -axis and ±10 line pairs along the ω_v -axis. (See Section III. C.4 for a discussion.) Since the sensor which was available had a resolution of at least 20 line pairs along the ω_{v} -axis and ±10 line pairs along the ω_y -axis, the available bandiwdth was sufficient for this application. Since ne and no were too large for the lower power p and q, most of the coefficients in these cases are very small except for a few which are associated with transform samples near the Fourier origin. For example, consider $c_{\mathbf{k}}(2)$. In this case only the first two or three coefficients are significant. Hence, lower order moments are insensitive to high spatial frequencies, as would

| k | c _k (0) | c _k (2) | c _k (4) | c _k (6) |
|----|--------------------|--------------------|--------------------|--------------------|
| 0 | 1.0000000 | 1.0000000 | 1.0000000 | 1.0000000 |
| 1 | 0.0 | -0.5160232 | -0.5864970 | -0.6093051 |
| 3 | 0.0 | 0.0191080 | 0.1043204 | 0.1456567 |
| 5 | 0.0 | -0.0041213 | -0.0239249 | -0.0501646 |
| 7 | 0.0 | 0.0014943 | 0.0088168 | 0.0202132 |
| 9 | 0.0 | -0.0006940 | -0.0041216 | -0.0097799 |
| 11 | 0.0 | 0.0003693 | 0.0022002 | 0.0053087 |
| 13 | 0.0 | -0.0002108 | -0.0012579 | -0.0030627 |
| 15 | 0.0 | 0.0001213 | 0.0007249 | 0.0017742 |
| 17 | 0.0 | -0.0000636 | -0.0003796 | -0.0009316 |
| 19 | 0.0 | 0.0000198 | 0.0001184 | 0.0002910 |
| | | L | | |

Table 5 - Program Coefficients for p,q Even

| k | c _k (1) | c _k (3) | c _k (5) | c _k (7) |
|----|--------------------|--------------------|--------------------|--------------------|
| 1 | -0.8109863 | -0.8729509 | -0.8872015 | -0.8926364 |
| 3 | 0.0904811 | 0.2270004 | 0.2633326 | 0.2780638 |
| 5 | -0.0328427 | 0.0826661 | 0.1262836 | 0.1463572 |
| 7 | 0.0169653 | -0.0288055 | -0.0660045 | -0.0868873 |
| 9 | -0.0104343 | -0.0107975 | -0.0356715 | -0.0539768 |
| 11 | 0.0071316 | 0.0060242 | 0.0202588 | 0.0345133 |
| 13 | -0.0052356 | 0.0042429 | 0.0124037 | 0.0227422 |
| 15 | 0.0040498 | -0.0027277 | -0.0081753 | -0.0155041 |
| 17 | -0.0032614 | -0.0016602 | -0.0056615 | -0.0109329 |
| 19 | 0.0027129 | 0.0011839 | 0.0040415 | 0.0079358 |
| 21 | -0.0023181 | 0.0009504 | 0.0029583 | 0.0058911 |
| 23 | 0.0020269 | -0.0007069 | -0.0022143 | -0.0044456 |
| 25 | -0.0018081 | -0.0004914 | -0.0016811 | -0.0033913 |
| 27 | 0.0016420 | 0.0003742 | 0.0012820 | 0.0025989 |
| 29 | -0.0015157 | 0.0003088 | 0.0009746 | 0.0019850 |
| 31 | 0.0014201 | -0.0002323 | -0.0007317 | -0.0014942 |
| 33 | -0.0013495 | -0.0001532 | -0.0005325 | -0.0010885 |
| 35 | 0.0012995 | 0.0001024 | 0.0003619 | 0.0007408 |
| 37 | -0.0012675 | 0.0000703 | 0.0002099 | 0.0004306 |
| 39 | 0.0012520 | -0.0000271 | -0.0000687 | -0.0001412 |

Table 6 - Program Coefficients for p,q Odd

be expected. The coefficients in Tables 5 and 6 are stored in the computer program in Tables with labels CO1, C23, C45 and C67. For example, C45 holds the coefficients for $c_{\bf k}(4)$ and $c_{\bf k}(5)$.

2. Method of Invariant Fourier Signatures

Since this algorithm uses the magnitude (or magnitude squared) of the Fourier transform, the phase correction described in the preceeding section is not required.

The overall flow diagram for the computer program is shown in Figure 30. A detailed flow diagram of projection computation is shown in Figure 31. The program contains a number of parameters which can be set to control the algorithm used. Projections can be computed which are the result of integration of the Fourier transform magnitude along radial lines, around (semi) circles or along spirals.

When the program is entered, the user is asked to specify a sample average as a power of two, S. Then all Fourier samples will be taken 2**S times and averages to improve signal-to-noise ratio. The user is then asked to specify circles or not circles. ("Circles" is a special case which requires different logic in the program.) If circles are chosen then the projection to be computed will contain 2**5 samples because the program always uses 32 radius values which are precomputed and stored in Table RVECT. The values of these radii satisfy the relationship given in equations (52) and (53). The projection results from integrating around the 2**5 semicircles.

If circles are not chosen the user can choose the parameter M in which case the projection will consist of 2**M samples. M should not be chosen larger than 6. M=5 is a good value to adequately sample the Fourier transform. If M=5 running time of the program is under one minute per image. The projection results from integrating the transform magnitude along 2**M radial lines or spirals.

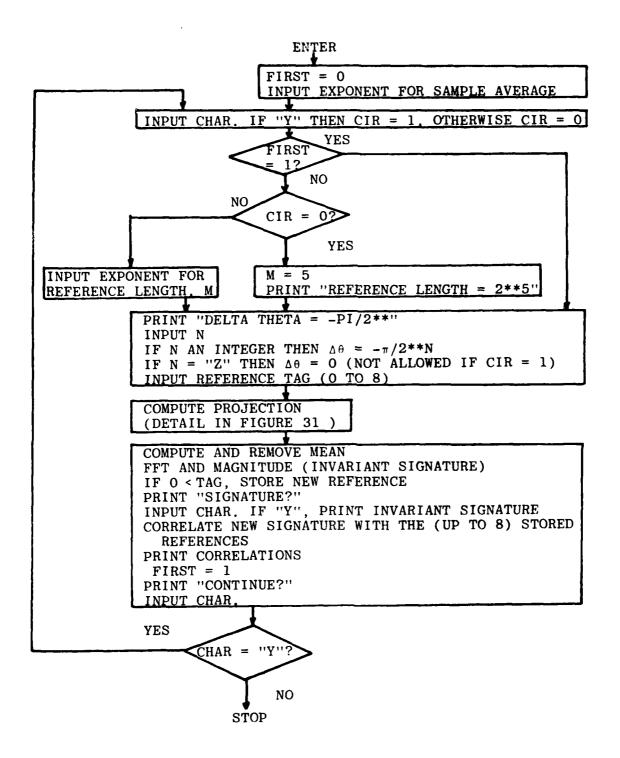


Figure 30 - Flow Diagram: Invariant Fourier Signatures

Maritin Country Comments

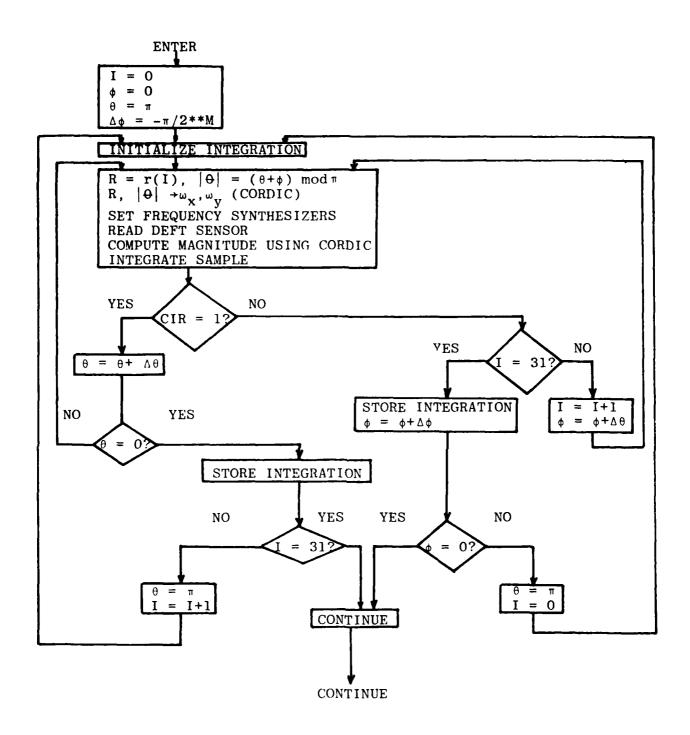


Figure 31 - Flow Diagram Detail: Projection Computation

The program then asks for the parameter $\Delta\theta$. $\Delta\theta$ has two functions depending on whether circles are chosen or not chosen. Consider "circles" first. In that case $\Delta\theta$ gives the angular spacing between samples along each semicircle. It also determines the number of samples which will be integrated along each semicircle. The finer the angle, the more the number of samples and the program running time. Again, $\Delta\theta = -\pi/2**5$ gives good sampling of the transform with a run time of under one minute. The polar coordinate of the kth sample along the i-th semicircle is given by

$$(\mathbf{r}, \tilde{\theta}) = (\mathbf{r}_{i}, (\pi + k\Delta\theta)_{\text{mod}\pi})$$
 (167)

where \mathbf{r}_i is the i-th radius. Angles are $mod\pi$ because the transform is symmetric across the origin.

Now consider the case of "not circles". In that case $\Delta\theta$ gives the amount of skew for the spirals. Each spiral consists of 32 samples (one for each of the 32 radii.) The polar coordinates of the i-th sample along the k-th spiral is given by

$$(\mathbf{r}, \overset{\circ}{\theta}) = (\mathbf{r}_{i}, (\pi + i\Delta\theta + k\Delta\phi)_{\text{mod }\pi})$$
 (168)

where

$$\Delta \theta = -\pi / 2^{**M} \tag{169}$$

If $\Delta\theta$ = 0 then the contours of integration will be radial lines rather than spirals. To get $\Delta\theta$ = 0, input "Z" when the program prints "DELTA THETA = -PI/2**". To get $\Delta\theta \neq 0$ enter the exponent instead. $\Delta\theta$ = 0 will not be accepted by the program when "circles" since this would result in an infinite loop.

Next the program requests a reference tag. The user responds by entering an integer from 0 to 8. This is stored in variable TAG. If TAG>0 then after the invariant signature is computed it will be stored in a table in position TAG. Up to 8 references can be stored in the table. References can be replaced at any time by a new reference. The purpose of

these references is to provide a means of performing some simple feature recognition experiments. The user can set up a number of reference images consisting of distinct features. The program then computes the invariant signatures and stores them in the table. Then the user can use the system to view new images which might be translated, rotated or scaled versions of the references. In that case the user enters 0 for the reference tag. If TAG=0 the signature is then correlated against all the reference signatures. Let $\{r_i\}$ be the 2**M samples of a reference and $\{x_i\}$ be the samples of a new signature. Then the correlation is defined by

correlation =
$$\frac{2^{m}}{\sum_{\substack{i=1\\i=1}}^{\Sigma} r_{i}x_{i}}$$

$$\sqrt{2^{m}}$$

$$\sum_{\substack{i=1\\i=1}}^{\infty} r_{i}^{2} \sqrt{2^{m}}$$

$$\sum_{\substack{i=1\\i=1}}^{\infty} x_{i}^{2}$$
(170)

This correlation is the basis for a simple decision processor. The signature is correlated with all reference signatures. These correlation coefficients are printed out by the program. The user can then observe these values and decide if the new image is a translated, rotated or scaled version of one of the references. A simple decision rule is to look for the largest correlation. If it is bigger than some threshold then the test image is considered to contain the feature corresponding to the reference signature at which maximum correlation occurred.

Returning to the discussion of the program, once the user enters the reference tag the program then computes the invariant signature. Sampling of the transform and integration of samples occurs in that portion of the program shown in Figure 31. There are two nested loops, one for each Fourier sample and one for each contour. The transform spatial frequency address is first computed ir polar coordinates and then converted to rectangular coordinates using the CORDIC algorithm. The sensor is addressed and data read. The sensor output is converted to magnitude and phase using the CORDIC

algorithm. The magnitude is then integrated using the trapezoidal rule. At the end of each contour, the resulting integration is stored by being pushed onto the microprocessor stack. At the end of the last contour there will be 2**M samples in the stack.

Next, the program computes the mean of these samples and substracts the mean from each sample. This improves the accuracy of the FFT algorithm which is applied to these samples. The algorithm uses fixed point arithmetic with a block floating point scaling scheme. If the mean is not removed the FFT output will have a large component in the zero frequency bin. This leads to poor scaling for the remainder of the FFT bins which are, typically, much smaller in magnitude. Removing the mean corrects for this problem.

The FFT output samples are then converted to magnitude and phase representation using the CORDIC algorithm. The resulting 2**M-vector of real numbers is the desired invariant signature.

The program then prints "SIGNATURE?". If the user enters "Y" the invariant signature is printed out. If instead "N" is entered, this is skipped. The program then stores the signature of TAG>0. It then correlates with all reference signatures and prints out the correlation coefficients.

The program then prints "CONTINUE?" Entering a "Y" causes the program to ask for new parameters for another run. Entering an "N" causes a jump to the monitor and a "*" is displayed.

A sample run of the program is shown in Figure 32. The algorithm used in this run was 2**5 radial lines. There was no sample averaging. The first three correlation tables represent three references. The fourth table gives the correlation of a misaligned feature with the three references. In the case shown, correlation with reference 1 was largest. The test object was reference 1 scaled by a factor of 0.9 in size.

```
FEATURE RECOGNITION
DEFT/PROJECTION/FFT

SAMPLE AVERAGE IS 2**0
CIRCLES?N
REFERENCE LENGTH=2**5
DELTA THETA=PI/2**Z
REFERENCE TAG=3
SIGNATURE? N

CORRELATION
1) 0.0000 2) 0.0000 3) 0.9999 4) 0.0000
5) 0.0000 6) 0.0000 7) 0.0000 8) 0.0000

CONTINUE? Y
CIRCLES?N
DELTA THETA=-PI/2**Z
```

CORRELATION

REFERENCE TAG=2 SIGNATURE? N

1) 0.0000 2) 0.9999 3) 0.7623 4) 0.0000 5) 0.0000 6) 0.0000 7) 0.0000 8) 0.0000

CONTINUE? Y
CIRCLES?N
DELTA THETA=-PI/2**Z
REFERENCE TAG=1
SIGNATURE? N

CORRELATION

1) 0.9999 2) 0.8576 3) 0.8727 4) 0.0000 5) 0.0000 6) 0.0000 7) 0.0000 8) 0.0000 CONTINUE?

Y
CIRCLES?N
DELTA THETA=-PI/2**Z
REFERENCE TAG=0
SIGNATURE? N

CORRELATION

1) 0.9795 2) 0.9364 3) 0.8578 4) 0.0000 5) 0.0000 6) 0.0000 7) 0.0000 8) 0.0000

Figure 32 - Invariant Fourier Signatures: Sample Run

C. Feature Extraction Experiments

The two computer programs which are described in the previous section were written for the purpose of performing some preliminary feature extraction experiments utilizing the algorithms developed in Section III and the hardware system described in this section. It was not the intent of these experiments to show detection of real features in aerial imagery. Rather, the purpose was to verify feasibility of both the algorithms and the sensor technology to detect features from a small set of controlled text patterns. In this way, directions for further improvements in both algorithms and sensors could be determined.

It was originally intended to perform experiments using the method of invariant Fourier signatures (IFS) and the method of invariant moment signatures (IMS). However, the program which computes moments from the Fourier transform gave poor results. The reasons for this were identified. It was determined that the program computes moments with large errors because of two shortcomings of the Deft sensors which were used in the experiment. Since being identified, steps are being taken to correct this problem in future Deft sensors. More will be said about this in Section V. Briefly, however, the two sensor shortcomings were the following:

1. Because of the current collecting metal bars used in the present sensor design strong reflections will occur in the surface acoustic wave propagating orthogonal to these bars. (Refer to Figure 2.) This is because the periodic structure of these bars reinforces the small reflections which occur at each bar. The effect of these reflections on the Fourier transform is to multiply the transform by a weight function of, say $\mathbf{W}_{\mathbf{x}}$. That is, the function which is available is $\tilde{\mathbf{F}}$ where

$$\tilde{\mathbf{F}} (\omega_{\mathbf{X}}, \omega_{\mathbf{Y}}) = \mathbf{W}(\omega_{\mathbf{X}}) \mathbf{F}(\omega_{\mathbf{X}}, \omega_{\mathbf{Y}})$$
 (171)

Visually, $|\tilde{F}|$ is a rippled version of |F|. This can be seen in any of the transform plots which are given in Section V. One problem caused by these ripples is that it is not possible to accurately determine the origin of the Fourier transform. The origin will always be located at the peak of the zero frequency sinc function. However, because of the ripples on this peak, the true maximum cannot be determined. It can be approximately determined by plotting the peak and visually determining the center.

The second problem with ripples is that the transform will contain errors because of $W(w_X)$. Refer to Tables 5 and 6 Notice that for the lower order moments the coefficients C_k are largest for small indices k. This implies that components of the transform nearest the origin will be most heavily weighted in computing these moments. Refer, for example to $C_k(2)$. It can be seen that the computed moment will depend primarily on the value of the transform at the origin minus the weighted value of the transform at $\omega = \pi/4$ (See Figure 25) If the peak of a ripple occurs at $\omega = 0$ and the trough of the ripple occurs at $\omega = \pi/4$ then the computed moment will be larger than the correct value. Other situations leading to other types of errors can be envisioned.

By examining the transform plots in Section V it is obvious that the large ripples shown there would lead to large errors in computing image moments. This proved to be the case in attempts to perform experiments. For example, in some cases moments $m_{p,q}$ where both p and q were even were computed to have negative values. However, these moments must always be positive.

The solution to this problem is to redesign the Deft sensor to eliminate the reflections. This is presently being done as will be detailed in the next section.

The second shortcoming arises from other inaccuracies in computing the Fourier transform. These will be discussed in Section V. As mentioned, when viewing a completely uniform image, the Deft sensor output contains a linear phase term which must be removed to compute moments. However, because the transform is computed with some error, the assumption of linear phase in only an approximation. In attempting to use the computer program it was determined that the assumption of linear phase was only approximately true. Hence, the undesirable phase function can only be approximately corrected for. is not a serious problem in the computation of low-order moments since they depend primarily on transform samples near the Fourier origin where on accurate phase correction can be made. However, the accurate computation of moments above the first few would require much better phase corrections. It is difficult to presently make such corrections for two reasons. First, the uniform, white image used as a text pattern has a transform whose magnitude is large over only a limited region of Fourier

space. It is only possible to measure phase in this region with this test pattern. Accuract phase measurement over the entire transform would require a large number of accurately positioned test patterns. Secondly, the Fourier transform output of the sensor is only an approximately linear function of light intensity. Hence, phase corrections measured at one intensity may be in error when the image to be analyzed has another average intensity.

Efforts are underway to improve the accuracy of the computed transform. This should lead to more predictable and accurate phase measurement and correction. These efforts are discussed in the next section.

An alternative solution would be to compute the moments of the image autocorrelation function rather than of the image. That is, use the magnitude of the Fourier transform rather than the real and imaginary parts. This solution circumvents the phase problem but may be undesirable in that some image information is lost.

The remainder of this section is a discussion of the experiments conducted using the method of invariant Fourier signatures. In Part B.2 of this section the flexibility of the computer program was described. The algorithm developed in Section III can be configured in a number of ways using constants entered into the program. These constants control the sample averaging of the data, the angle ϕ of the projection P ϕ and the number projections computed. In application, these parameters can be chosen to optimize the invariant signatures which are computed given a class of features to be detected. However, because of the scope of this program, only a limited

number of algorithm configurations were utilized. To be specific, two forms of the algorithm were used in all tests. These are integration along 32 radial lines and integration around 32 circles. No sample averaging was used in the experiments after it was determined that averaging did not affect the results. This was desirable since averaging increases program run time.

In all experiments, three reference objects were used.

These references are shown in Figure 32. The images consisted of a dark background with white features.



a. "Crossroads"

b. "Road"

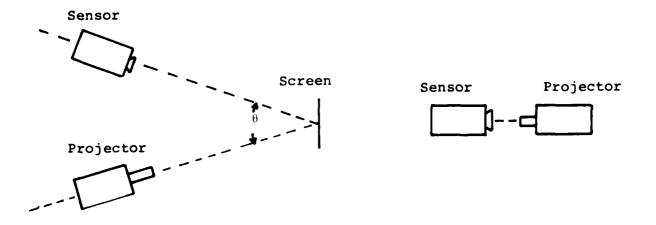
c. "Storage Tank"

Figure 33 Test Reference Features

These features are simple geometric objects. However, they resemble some important realistic features and were chosen on this basis. These features are a crossroads, a road and a compact, round structure such as a storage tank. The reference objects are meant to only be idealizations of these features. In particular, the images contain no background noise. A Viewlex projector with a rotating barrel was used to project the images which were in the form of slides. The 60 degree tilt of the images is a result of the Viewlex. The rotating barrel had a stop at which the slides were tilted 60 degrees. Rotation of images was then measured with respect to this stop. This 60

degree tilt has no significance.

The experimental set-ups which were used shown in Figure 33.



a. Indirect Projection

b. Direct Projection

Figure 34 Experimental Set-Ups

In some experiments the image was projected on a screen and the sensor viewed the projected image. The angle θ between projector and sensor was minimized to prevent image distortion. This setup was used in the experiments where image scale was to be varied. This was accomplished by moving the projector along the dashed line and refocusing. The size of the image was measured on the screen using a ruler. In the other experiments the lens on the Deft sensor module was removed and the projector was placed in line with the sensor. The image was then focused directly, at close range, onto the Deft sensor. To do this it was necessary to stop down the projector lens using the f-stop adjustment. The module was mounted on a triangular rail so that it could be accurately translated at right angles to the dashed line in Figure

33b. This was used in the experiments where the feature to be detected was a translated version of the reference. The lens barrel was rotated in experiments where the feature to be detected was a rotated version of the reference.

During the period of time when experiments were conducted, two Deft sensors were available for test. These will be labeled sensor #1 and #2. The experiments will now be described. In all experiments the first step was to compute the three reference signatures using the images of Figure 32 in their reference positions. Then the system was presented with the same images but either rotated, scaled or translated or a combination of these. The signature was then computed and correlated against the three reference signatures. The reference at which the highest correlation occured was then considered to be the detected feature. If this was the correct feature then the system "passed". If not, the system "failed". The specific experiments conducted were the following:

Image Rotation

Reference signatures were computed. The system was then presented with the same images but with the projector barrel rotated from 0 to 25 degrees in 5 degree steps.

Image Translation

Reference signatures were computed. The system was then presented with the same images but the sensor module was translated from 0 to 8 mm in 1 mm steps. The width of the active sensor area is 12.7 mm. Generally, translations of greater than 8 mm resulted in a significant part of some of the images falling outside the sensor active area.

Image Scale

Reference signatures were computed. The projector was then moved closer to the screen and refocused so that a dimension on one of the references was reduced by a factor of k. This was repeated for $k = \{.9, .8, .7, .6, .5\}$. The system was presented with the same three images at each position of the projector.

Image Translation with 5 Degree Offset

Reference signatures were computed. The projector lens barrel was then rotated 5 degrees. The system was then presented with the same images but with the sensor module translated from 0 to 8 mm in 1 mm steps.

Image Translation with 10 Degree Offset

Same as above but with a 10 degree offset after the reference signatures have been computed.

Image Translation with 15 Degree Offset

Same as above but with a 15 degree offset.

Image Rotation with k = .7 Scale Offset

Reference signatures were computed. The projector was then moved toward the screen until all image dimensions were reduced by a factor of 0.7. The system was then presented with the same images but with the projector barrel rotated from 0 to 25 degrees in 5 degree steps.

The results of these experiments are given in Tables 7, 8, 9, and 10. These tables give the number of passes and fails as a function of sensor, algorithm, experiment and reference pattern. Both algorithms performed approximately equally.

success rate = number of passes number of failures x100% (172)

If only the experiments of rotation, translation and scale are considered then the success rate for all experiments and patterns are as follows:

Sensor #1, 32 radial lines: 81.7% success rate

Sensor #1, 32 circles: 81.7% success rate

Sensor #2, 32 radial lines: 86.7% success rate

Sensor #2, 32 circles: 80.0% success rate

As can be noted, both sensor performed approximately equally.

| | | | Ref | eren | ce Pa | atte | rn | |
|----------------------------------|----|----|-----|------|-------|------|-------|----|
| | | 1 | 2 | | 3 | | Total | |
| Experiment | P | F | P | F | P | F | P | F |
| Rotation | 4 | 2 | 5 | 1 | 6 | 0 | 15 | 3 |
| Translation | 7 | 2 | 9 | 0 | 6 | 3 | 22 | 5 |
| Scale | 5 | 0 | 5 | 0 | 2 | 3 | 12 | 3 |
| Translation with 5 degree offset | 2 | 7 | 9 | 0 | 8 | 1 | 19 | 8 |
| Rotation with k=0.7 scale offset | 4 | 2 | 6 | 0 | 4 | 2 | 14 | 4 |
| Total: all experiments | 22 | 13 | 34 | 1 | 26 | 9 | 82 | 23 |

Table 7 - Feature Extraction Experimental Results: Sensor #1, 32 Radial Lines

| - | | I | Refe | rence | Pat | tter | n | |
|---|----|---|------|-------|-----|------|-------|----|
| | - | l | 2 | | 3 | | Total | |
| Experiment | P | F | P | F | Р | F | Р | F |
| Rotation | 6 | 0 | 6 | 0 | 6 | 0 | 18 | 0 |
| Translation | 7 | 2 | 6 | 3 | 7 | 2 | 20 | 7 |
| Scale | 3 | 2 | 5 | 0 | 3 | 2 | 11 | 4 |
| Translation with 5 degree | 5 | 4 | 6 | 3 | 8 | 1 | 19 | 8 |
| offset Rotation with k=0.7 scale offset | 6 | 0 | 5 | 1 | 3 | 3 | 14 | 4 |
| Total: all experiments | 27 | 8 | 28 | 7 | 27 | 8 | 82 | 23 |

Table 8 - Feature Extraction Experimental Results: Sensor #1, 32 Circles

| | Reference Pattern | | | | | | | |
|------------------------|-------------------|---|----|---|----|---|-------|---|
| | | 1 | 2 | | 3 | | Total | |
| Experiment | P | F | P | F | P | F | P | F |
| Rotation | 6 | 0 | 6 | 0 | 6 | 0 | 18 | 0 |
| Translation | 9 | 0 | 9 | 0 | 8 | 1 | 26 | 1 |
| Scale | 3 | 2 | 5 | 0 | 0 | 5 | 8 | 7 |
| Total: all experiments | 18 | 2 | 20 | 0 | 14 | 6 | 52 | 8 |

Table 9 - Feature Extraction Experimental Results: Sensor #2, 32 Radial Lines

| | Reference Pattern | | | | | | | |
|------------------------|-------------------|---|----|---|----|---|-------|----|
| | : | 1 | 2 | | 2 | | Total | |
| Experiment | Р | F | P | F | Ď | F | Þ | F |
| Rotation | 6 | 0 | 6 | 0 | 6 | 0 | 18 | 0 |
| Translation | 9 | 0 | 2 | 7 | 9 | 0 | 20 | 7 |
| Scale | 3 | 2 | 5 | 0 | 2 | 3 | 10 | 5 |
| Total: all experiments | 18 | 2 | 13 | 7 | 17 | 3 | 48 | 12 |

Table 10 - Feature Extraction Experimental Results: Sensor #2, 32 Circles

It was observed during the experiments that failure occurred more frequently where there was either a large translation, rotation or scale offset between references and test patterns. It has been determined that this is because of certain errors in the Deft sensor output. More will be said about these errors in Section V.

Some additional, more challenging experiments were performed using sensor #1. These experiments involved offsets of either translation and rotation or rotation and scale between reference and test images. The results of these experiments are also tabulated in Tables 7 and 8. For these experiments only, the success rates were the following:

Sensor #1, 32 radial lines: 73% success rate

Sensor #1, 32 circles: 73% success rate
as can be seen, the additional misalignment reduced the success
rate somewhat. This is a consequence of the same Deft sensor
errors alluded to above.

These experiments verify the premise of invariance to translation, rotation and scale. However, the success rates must be described as modest. Part of the difficulty can be traced to sensor performance, but another part may result form the algorithms which were used. Che of the features of an ideal prefilter mentioned in Section III is that the prefilter increases the between-class seperation of the feature classes. For the present experiments between-class seperation is measured by the crosscorrelation of signatures of each of the reference patterns.

Table 11 Reference Pattern Correlations

Reference Pattern

Reference Pattern

| | 1 | 2 | 3 |
|---|--------|--------|--------|
| I | 0.9754 | | |
| 2 | 0.9225 | 0.9961 | |
| 3 | 0.8151 | 0.7508 | 0.9749 |

a. Sensor #1, 32 Radial lines

Reference Pattern

Reference Pattern

| | 1 | 2 | 3 |
|---|--------|--------|--------|
| 1 | 0.9991 | | |
| 2 | 0.9877 | 0.9989 | |
| 3 | 0.9495 | 0.9751 | 0.9970 |

b. Sensor #1, 32 Circles

Reference Pattern

Reference Pattern

| | 1 | 2 | 3 |
|----|--------|--------|--------|
| 1 | 0.9943 | | |
| 2 | 0.8551 | 0.9982 | |
| 3. | 0.7819 | 0.9218 | 0.9696 |

c. Sensor #2, 32 Radial Lines

Reference Pattern

| , | | 1 | 2 | 3 | |
|-------------------|----|--------|--------|--------|--|
| | 1 | 0.9994 | *** | | |
| Reference Pattern | 2 | 0.9891 | 0.9996 | | |
| | 3. | 0.9522 | 0.9827 | 0.9990 | |

d. Sensor #2, 32 Circles

The crosscorrelations and auto correlations of the reference signatures are given in Table 11 for sensors #1 and #2 and for both algorithms. The entries represent the average of all values which were obtained in all the experiments tabulated in Tables 7 through 10. Notice that the crosscorrelation terms were not significantly smaller than the autocorrelation terms. This was particularly the case for the "circles" algorithm. Hence, between-class separation was not as large as might be desired. This drawback cannot be blamed on the sensor. Rather it is a consequence of the algorithms used. It is the feeling of this Author that the requirement of the second transform (FFT) tends to smooth the data in such a way that there are not large differences between the signatures of different reference patterns. It appears that by designing invariance into these algorithms and thereby decreasing the in-class seperation, the betweenclass seperation also decreases.

The experiments which were conducted used noise-free, idealized features. Since the performance reported here is only modestly successful it is evident that the present Deft sensor is not capable of detecting features in realistic aerial images making use of the algorithms developed in this report. It is possible that present sensors could be useful in more limited applications such as the detection of man-made vs. natural features. The utility of the Fourier transform in this application has been verified by Lendaris and Stanley. Their algorithms do not require a second transform and exhibit greater between-class seperation. However, they are not invariant to translation rotation and scale.

In order to take advantage of the more powerful algorithms developed in this report, a sensor which faithfully produces the Fourier transform is required. The basic requirements of the sensor output are the following:

- 1. The magnitude of the sensor transform should be invariant to feature translation.
- 2. If the feature rotates then the magnitude of the transform must also rotate.
- 3. In order to include filtering against additive noise the sensor must be linear. That is, if image I_1 has transform F_1 and image I_2 has transform F_2 then the combined image I_1+I_2 has transform F_1+F_2 .

V. ACOUSTO-OPTIC SENSOR CAPABILITIES: PRESENT AND PROJECTED

A. Introduction

This section deals with the present capabilities and limitations of the A-O devices considered in this study. Capabilities and limitations are considered in the context of feature extraction. Also considered are projected improvements and the probability of success.

Since the Deft sensor is presently receiving active development support by Deft Laboratories Inc., more detailed information can be provided on this sensor than the others which were discussed in Chapter 2. Recent and present Deft sensor development has been funded by NASA and by internal Deft Laboratories Inc. funds. The level of NASA funding for Deft sensor development in the last year is \$130,000.

This chapter begins with the elastobirefringent light valve. The Deft sensor is covered in the following section.

The Thomson - CSF sensor can be thought of as a specialized Deft sensor so that it will not receive a separate discussion.

B. Élastobirefringent Light Valve

This sensor is not presently receiving development support. Devices which have been developed to date should be considered experimental. In order to apply this sensor to feature extraction present device limitations must be overcome and manufacturing procedures developed. Two pears of additional development are required for this sensor to be compatible in performance with presently available Deft sensors.

Some aspects of current Deft sensor development could be utilized in improving the performance of the bulk acoustic wave (BAW) light valve. For example, a segmented transducer is currently under development which will produce wider transducer bandwidths. This new design could be used to increase the bandwidth of the BAW device also.

Other developments would have to be undertaken however, which are specifically required for the BAW sensor. In order

to achieve wider transducer bandwidths, small transducers with higher center frequencies are required. In the experimental BAW sensors, transducers were glued onto the quartz cell. The smaller transducers would be thinner and more brittle so that it would be necessary to sputter transducers directly onto the quartz cell.

Standing waves in the sensor have been mentioned as a current problem. These waves result from the reflection of the BAW from the cell boundaries. A number of techniques could be used to absorb the unwanted acoustic energy. For example, a larger cell could be used with only part of the cell serving as the active sensor volumn. The remainder of the cell would then be used as an absorbing volumn for the BAW. The edges of the cell could be joined with an absorbing material. The edges might also be sandblasted or made jagged to trap the acoustic energy. Another technique would be to drill small, random holes in the non-active volumn of the cell to scatter the BAW. This could be done using a laser.

Present sensors exhibit a number of other problems which are discussed in Section II. Two to three years are required to produce a device suitable for feature extraction application. Since this work is developmental, the probability of success is perhaps 0.5

C. Deft Sensor

The experimental results of Section IV indicate that presently available Deft sensors are capable of limited feature recognition. These sensors are being improved through a program of active support. Hence, the probability is good that improved sensors will be available which will have a realistic and significant feature recognition capability. This section will detail the current limitations and the steps being taken to correct these limitations.

The magnitude of the Fourier transform of the three reference features shown in Figure 32 as computed by a Deft

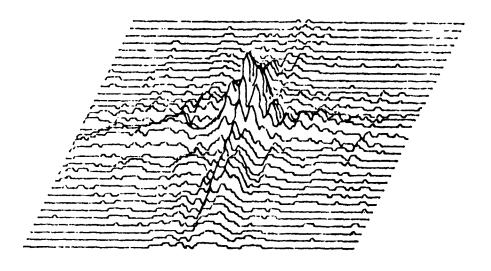
sensor are shown in Figures 34, 35 and 36. Figures 34 and 35 show the transform of two reference features in two different angular orientations. It can be seen that the transforms are (approximately) rotated versions of each other. Figure 36 shows the transform of a circle which was positioned at two locations on the sensor. These transforms are also (approximately) the same. The properties of translation invariance and transform rotatation are required for all the algorithms developed in this report. Hence, the Deft sensor is potentially very useful for feature extraction. However, these properties are only approximately true for present sensors. Deviations in these properties as well as some other limitations restrict the usefullness of present Deft sensors in feature extraction. Limitations exist in the following categories:

- 1. spatial bandwidth
- 2. acoustic reflections
- 3. CdS uniformity
- 4. transform phase accuracy
- 5. output signal level

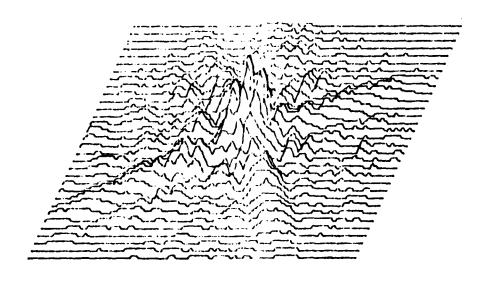
These categories will now be discussed one-by-one.

Present Deft sensors have spatial frequency bandwidths of ±10 line pairs along one transform axis and +20 line pairs along the other axis. A larger bandwidth is desirable for the following three reasons:

- 1. To distinguish between features which are only subtly different from each other, high frequency information is required since the transforms may only differ in high frequency content.
- 2. Since the Fourier transform scales as the inverse of the feature scale, small features have large transforms. Large spatial bandwidths are needed to "see" large transforms. If bandwidth is limited then the image must be magnified. This requires breaking the photograph into a large number of views thereby increasing processing time.
 - 3. If the scene contains "noise" which corrupts portions

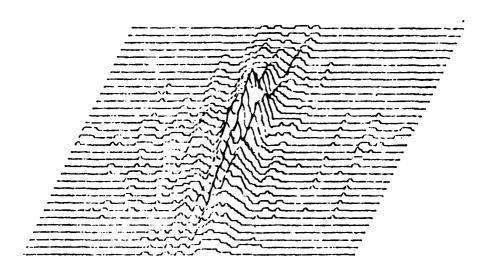


a. $\theta = 0$ degrees

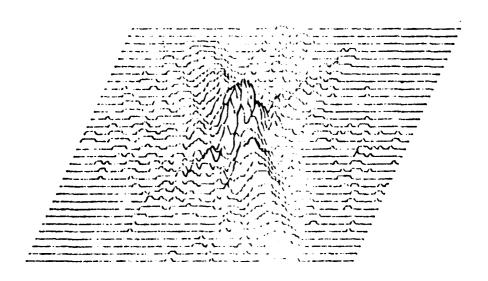


b. $\theta = 25$ degrees

Figure 35 - Deft Transform of "Crossroads" Feature

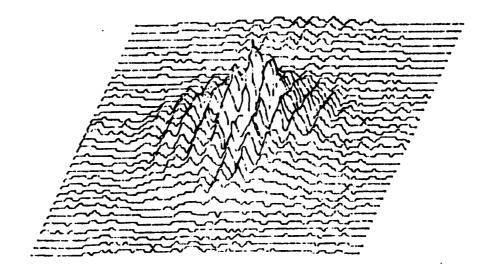


a. $\theta = 0$ degrees

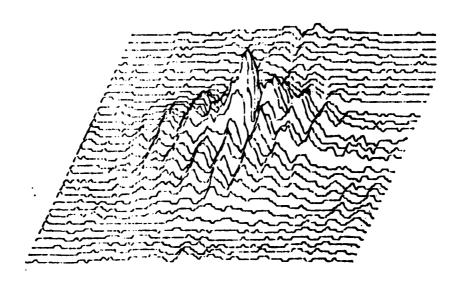


b. $\theta = 25 \text{ degrees}$

Figure 36 - Deft Transform of "Road" Feature



a. Circle at Center of Sensor



b. Circle at Edge of Sensor

Figure 37 - Deft Transform of Small Circle Feature

of the transform, a larger bandwidth may be required in order to have sufficient, useable transform components.

Deft sensors which will have larger bandwidths are under development. A sensor will be available by June 1981 which will have spatial frequency bandwidths of ±25 line pairs along one transform axis and +28 line pairs along the other axis. This sensor will be able to "see" approximately four times the number of spatial frequency components as do current devices. This will be termed a "medium resolution" sensor. A "high resolution" sensor is also planned which should be available by January 1982. This sensor will have a fourfold increase in resolvable spatial frequencies over the medium resolution sensor.

In order to improve resolution, the medium resolution sensor will be fabricated on 41.5° rotated z-cut LiNO3. The transducer center frequencies will also be increased from the present 35-40 MHz range to about 60 MHz. Increasing transducer center frequencies will result in a greater absolute bandwidth from a given percentage bandwidth. This is an attractive approach up to about 60MHz. Beyond this frequency, the mechanical loading of the metal grid pattern on the substrate leads to significant and undesirable damping of the SAW.

There are three advantages to using the new, 41.5° rotated z-cut LiNO $_3$. First, the coupling constants are larger than for the old cut. This means that more acoustic energy can be introduced into the sensor resulting in a larger output signal. Secondly, the spurious response of the sensor to a uniform image is smaller and further away from the main response peak than was the case for the old cut. A discussion of spurious acoustic modes in Deft sensors is found in Reference 31. If the sensor bandwidth were increased then the spurious would be within the bandwidth. Hence, it is important that the spurious is as small as possible. The third advantage is that with the rotated cut of LiNO $_3$ the number of transducer finger pairs required for optimum energy coupling decreased from 8 to 6 in

one direction and from 8 to 4.5 in the other direction. Fewer finger pairs mean a larger percentage bandwidth.

The high resolution sensor will include these improvements. This sensor will also include an improved transducer design. The new transducers will be segmented in order to reduce their capacitance. Reduced capacitance allows wider transducer bandwidths. The resulting bandwidth leads to a significantly greater utility of Deft sensors in feature extraction.

One of the limitations of current Deft sensors is that these devices exhibit acoustic reflections from the regularlyspaced metal pick-up fingers. These reflections lead to a scalloping of the transform magnitude. This is evident in Figures 34, 35 and 36. The ripples which can be seen make feature extraction more difficult. For example, in Figure 37 by moving the circle from the center to the edge of the sensor the shape and the number of ripples changes. The feature has remained the same but the transform is really not invariant to translation which is a requirement for the preprocessor algorithms. Now refer to Figures 35 and 36. Notice that when the feature is in two different angular orientations the ripples may or may not appear on the "arms" of the transform. Hence, the transform is really not just rotated when the image rotates. There is also a shape change which is not desired. A third problem with these ripples occurs in the computation of image moments. The lower order moments are sensitive to the partial derivatives of the transform at the origin. Because of the ripples, these derivatives are drastically altered. In addition, they also become a function of feature position. In summary, ripples caused by reflections are very undesirable.

The medium resolution sensor will incorporate a new metal finger pattern spacing which will eliminate the reflections. This new spacing causes reflections from metal lines to add distructively. An important advantage of this spacing is that critical metal-to-metal dimensions are not reduced. In

general, device yield goes down as metal-to-metal dimensions are reduced because it is then more likely that contaminates will cause shorts across the metal lines.

A problem with current Deft sensors is that the CdS squares on the sensor do not conduct uniformly. Measurements have been made showing up to 2:1 variation in light conductivity over a sensor. This variation weights the image function. In the transform domain the image transform is convolved with the transform of the weight function. This tends to broaden spectral peaks and reduce or eliminate sidelobes. We typically observe peaks which are twice as wide as theory predicts. CdS variation leads to another problem. The computed transform may not be invariant to translation or rotate as the image rotates. This is evident in Figures 34, 35 and 36.

It has been determined that film variation is a result of the method used to deposit CdS on the substrate. The material, in the form of a gas, is passed over the substrate in a furnace. The substrate is almost as large as the furnace tube so that flow rates near the substrate edges are faster than at the middle. We presently have on order a new furnace tube with a larger inner diameter. Uniform flow rates should give uniform CdS film. An additional solution is to reduce the flow rate into the furnace in order to reduce turbulance. The success of these changes will be measured when the new equipment is in-place.

Another problem which was discussed in Section IV is the inaccuracy of the transform phase computed by the sensor. This is important in the method of moments. Part of the phase error must come from the same sources which produce errors in the transform magnitude. However, the sensor contains a phase term which is a function of the electronics (amplifiers, filters) and not the transform. These electronics were not originally designed to provide a linear phase response. Some recent measurements have been made which show that, indeed, the phase is nonlinear. Since these filters must be redesigned to

accomodate the new medium resolution sensor, they will be redesigned to exhibit approximate linear phase response.

The final item to be considered is output signal level. Present output signals are of the order of a microamp. In order to amplify this signal and achieve a good signal-to-noise ratio at the amplifier output, a rather narrow amplifier bandwidth is required. This narrow bandwidth affects the rate at which the sensor drive frequencies can be changed. If signal-to-noise ratio was not a problem then drive frequencies could be stepped every two microseconds which is the time required to propagate the SAW across the sensor. This would allow 5 x 10^5 Fourier components to be addressed every second. But because of the need to narrow the output bandwidth, this rate is reduced to about 10^3 components per second. If the sensor output signal could be increased by a factor of 10 then 10^4 components per second would be possible.

The new medium resolution sensor will have an output signal approximately eight times as large as current sensors. This is because the 41.5° rotated z-cut LiNO $_3$ results in better coupling of energy into the SAW.

All the factors which have been identified as limiting the performance of the Deft sensor in feature extraction applications have been listed and improvements under development discussed. In a number of cases, expected improvements can be stated with high probability of success. In other cases, improvements must be determined after new devices are fabricated and tested. The medium resolution sensor will be available by June 1981. The high resolution sensor will be available by January 1982. These sensors should allow significant improvements in feature extraction capability. It is suggested that these new sensors be examined for their applicability to feature extraction at the time they they are available. This could be done with little cost by simply repeating the feature extraction experiments using the presently available computer programs and the new design sensors.

VI. SUMMARY AND CONCLUSIONS

The objective of this program was to develop, analyze and evaluate theoretical concepts and strategies for topographic feature extraction and image analysis using accustooptic (A-0) technology. To provide a frame of reference, a general feature extraction system model was developed in The most computation-intensive portion of the Section I. feature extraction process is the prefilter function. purpose of this function is to reduce the large information content of the image to a much smaller set of values which can then be input to the decision processor. An important conclusion of this study was that A-O devices are potentially capable of implementing the prefilter function very efficiently. The input/output function of these devices is defined by equation (1). The device input is an image which is then transformed, using equation (1), into an electrical signal which can be input to a digital decision processor. The A-O devices have a number of desirable properties in this application. First of all, the device input/output format is ideal for the application. Secondly, lasers or precise optical alignments are not required. Third, these devices are rugged and potentially inexpensive. Finally, the function defined by equation (1) is central to a number of promising prefilter algorithms.

Transform-based prefilter algorithms were examined in Section III. Algorithms were developed there which are invariant to feature translation, rotation and scale. This invariance is highly desirable since it reduces the number of distinct feature signatures which must be processed by the decision processor. These algorithms require, as input, either the image two-dimensional Fourier transform or the image two-dimensional moments. Either of these functions can be computed efficiently using A-O devices.

Some preliminary experiments were conducted using the Fourier-based algorithms, test images and an A-O device which

was a Deft sensor. These experiments verified the invariance properties of the algorithms. The microcomputer-based Deft system was able to distinguish between three test patterns which were presented to the system in arbitrary orientation and scale. The success rate was 80%.

In spite of these promising results, present Deft sensors are not capable of distinguishing realistic features in aerial photographs. Present sensor limitations are identified and discussed in Section V. New Deft sensors are presently under development which will significantly improve the capability of this sensor in feature extraction applications. The expected improvements in a number of parameters can be predicted fairly accurately. However, other parameters must be measured after the new devices are available. It is suggested that the best way of determining the applicability of new sensors to feature extraction is to rerun the experiments reported here using the already written computer programs but using the new sensors. Since the microprocessor-based Deft system is already in-place and the computer programs written, these investigations could be accomplished with only a few man-weeks of effort.

VII. REFERENCES

- 1. M. D. Levine, "Feature Extraction: A Survey," Proc. IEEE, Vol. 57, No. 8, pp. 1391-1407, Aug. 1969.
- 2. P. Kornreich, S. Kowel, A. Mahapatra and M. Mehter, "Mono-lithic Two-Dimensional Fourier Transformer," 1978 Int. Optical Computing Conference, pp. 49-54.
- 3. S. Kowel, P. Kornreich, A. Mahapatra, T. Szebenyi, A. Nouhi, "A Programmable, Multi-Function Processor," S.P.I.E. Tech. Symp. East, Washington, D.C., April 1979.
- 4. S. Kowel, "The Deft Camera," Optical Spectra, July 1980.
- 5. S. Kowel, D. Cleverly, A. Mahapatra, T. Szebenyi, P. Kornreich, "A Two-Dimensional Acoustic Processor," Int. Optical Computing Conference, pp. 35-39, 1978.
- 6. S. Kowel, D. Cleverly, A. Mahapatra, T. Szebenyi, P. Kornreich, S. Wanuga, "Two-Dimensional Photoacoustic Image Processing With Longitudinal Waves," Proc. Ultrasonics Symp. pp. 258-262, 1978.
- 7. H. Gautier, P. Ledu and C. Maerfeld, "Two-Dimensional Acoustic Fourier Transform of Optical Images," Proc. Ultrasonics Symp. 1979.
- 8. G. Nagy, "State of the Art in Pattern Recognition," Proc. IEEE, Vol. 56, No. 5, pp. 836-862, 1968.
- 9. S. Dudani, K. Breeding and R. McGhee, "Aircraft Identification by Moment Invariants," IEEE Trans. Computers, Vol. C-26, No. 1, pp. 39-45, 1977.
- 10. J. McLaughlin and J. Raviv, "Nth Order Autocorrelations in Pattern Recognition," IEEE Int. Symp. on Information Theory, Aug. 1967.
- 11. R. Pickholtz, "Investigation of Linear Transformations for Automatic Cartographic Analysis," Interim reports No. 1, 2 and 3, Contract No. DAAK 70-78-C-0045, 1978, 1979.
- 12. M. Hu, "Visual Pattern Recognition by Moment Invariants," IRE Trans. on Information Theory, pp. 179-187, Feb. 1962.
- 13. M. Teague, "Image Analysis via the General Theory of Moments," J. Opt. Soc. Am., Vol. 70, No. 8, pp. 920-930, Aug. 1980.
- 14. P. Chen and W. Seemuller, "Signal Signatures of Topographic Features Using Analog Technology," Report No. ETL-0185, U.S. Army Engineer Topographic Laboratories, Ft. Belvoir, Va. 1979.

- 15. G. Schreiber, "Bandwidth Requirements for Walsh Functions," Proc. Walsh Function Symp., pp. 46-51, 1970.
- 16. A. VanderLugt, "Signal Detection by Complex Spatial Filtering," IEEE Trans. on Information Theory, Vol. IT-10, pp. 139-145, April 1964.
- 17. A. VanderLugt, "Coherent Optical Processing," Proc. IEEE, Vol. 62, No. 10, pp. 1300-1319, Oct 1974.
- 18. S. Craig and A. Moyer, "Image Alignment and Correlation System," Final Report No. ETL-0237 for U.S. Army Contract DAAK70-78-C-0217, July 1980.
- 19. D. Casasent and A. Furman, "Sources of Correlation Degradation," Applied Optics, Vol. 16, No. 6, pp. 1652-1661, June 1977.
- 20. G. Lendaris and G. Stanley, "Diffraction-Pattern Sampling for Automatic Pattern Recognition," Proc, IEEE, Vol. 58, No. 2, pp. 198-216, Feb. 1970.
- 21. B. Pernick, R. Kopp, J. Lisa, J. Mendelsohn, H. Stone and P. Wohlers, "Screening of Cervical Cytological Samples Using Coherent OpticalProcessing. Part 1," Applied Optics, Vol. 17, No. 1, pp. 21-34, Jan. 1978.
- 22. R. Gordon and G. Herman, "Three-Dimensional Reconstruction from Projections: A Review of Algorithms," Int. Rev. of Cytology, Vol, 38, pp. 111-151, 1974.
- 23. D. Casasent and D. Psaltis, "New Optical Transforms for Pattern Recognition," Proc. IEEE, Vol. 65, No. 1, pp. 77-84, Jan. 1977.
- 24. D. Casasent and D. Psaltis, "Position, Rotation and Scale Invariant Optical Correlation," Applied Optics, Vol, 15, No. 7, pp. 1795-1799, July 1976.
- 25. D. Casasent and M. Kraus, "Polar Camera for Space-Variant Pattern Recognition," Applied Optics, Vol, 17, No. 10, pp. 1559-1561, May 1978.
- 26. D. Psaltis and D. Casasent, "Deformation Invariant Optical Processors Using Coordinate Transformations," Applied Optics, Vol. 16, No. 8, pp. 2288-2292, Aug. 1977.
- 27. D. Casasent and D. Psaltis, "Multiple-Invariant Space Variant Optical Processors," Applied Optics, Vol. 17, No. 4, pp. 655-659, Feb. 1978.

- 28. J. Volder, "The Cordic Trigonometric Computing Technique," IRE Trans. Comp., pp. 330-334, Sept. 1959.
- 29. M. Teague, "Optical Calculation of Irradiance Moments," Applied Optics, Vol. 19, No. 8, pp. 1353-1356, April 1980.
- 30. E. Isaacson and H. Keller, Analysis of Numerical Methods, John Wiley and Sons, 1966, Chapter 5, Section 5.1.
- 31. A. Mahapatra, S. Kowel, P. Kornreich, M. Mehter, "Spurious Acoustic Modes in Two-Dimensional Fourier Transform Devices," IEEE Trans. on Sonics and Ultrasonics, Vol, SU-25, No. 6, Nov. 1978.

APPENDIX A - Method of Invariant Fourier Signatures Assembly Code Listing

This Appendix consists of a listing of the assembly language program which computes invariant Fourier signatures. This program was written to run on the Deft Laboratories' microprocessor-based test bed. All addresses and opcodes are hexadecimal. In the operand column of the statements the following symbols are used:

- \$ Hexadecimal Prefix
- % Binary Prefix
- H Hexadecimal Postfix
- D Decimal Postfix
- B Binary Postfix
- # Denotes Immediate Addressing Mode

The entry address for this program is \$2000.

METHOD OF INVARIANT FOURIER SIGNATURES

| 1800 TEMP1 RMB 1 1801 TEMP2 RMB 1 1802 TEMP3 RMB 1 1803 TEMP4 RMB 1 1804 TEMP5 RMB 1 1805 TEMP6 RMB 1 | • | | · · · · · · · · · · · · · · · · · · | | |
|---|----------------|------|-------------------------------------|-----|----------------|
| 1801 TEMP2 RMB 1 1802 TEMP3 RMB 1 1803 TEMP4 RMB 1 1804 TEMP5 RMB 1 1804 RMB 1 1804 RMB 1 1804 RMB 1 1807 RMB 1 1804 RMB 1 1804 RMB 1 1824 RMB 1 1825 RMB 1 1826 RMB 1 1827 RMB 1 1828 RMB 1 1828 RMB 1 1829 RMB 1 1830 RMB 1 1831 RMB 1 1831 RMB 1 1831 RMB 1 1833 RMB 1 1833 RMB 1 1833 RMB 1 1833 RMB 1 1835 RMB 1835 | \Box | 1800 | | ORG | \$1800 |
| 1802 TEHP3 RMB 1 1804 TEMP5 RMB 1 1804 TEMP5 RMB 1 1805 TEMP4 RMB 1 1805 TEMP4 RMB 1 1805 TEMP4 RMB 1 1806 RMB 1 1807 RMB 1 1808 RMB 1 1809 RMB 1809 | | | | RMB | 1 |
| 1803 TEMP4 RNB 1 1804 1805 TEMP5 RNB 1 1805 TEMP4 RNB 1 1806 BCD1 RNB 1 1807 BCD2 RNB 1 1807 BCD | | 1801 | TEMP2 | RMB | 1 |
| 1804 TEMPS RMB 1 1805 TEMP6 RMB 1 1806 BCD1 RMB 1 1807 BCD2 RMB 1 1807 BCD2 RMB 1 1824 COR1 RMB 1 1825 COR2 RMB 1 1826 COR3 RMB 1 1826 COR3 RMB 1 1826 COR4 RMB 3 1827 COR4 RMB 3 1828 COR70 RMB 1 1828 COR70 RMB 1 1828 COR70 RMB 1 1828 COR70 RMB 1 1830 UI1 RMB 1 1831 UI2 RMB 1 1832 UJ1 RMB 1 1833 UJ2 RMB 2 1835 DTIME RMB 1 1835 DTIME RMB 1 1835 DTIME RMB 1 1830 RMB 1830 RMB 1830 RMB 1830 RMB 1830 RMB 1830 RMB | . - | 1802 | TEMP3 | RMB | 1 |
| 1804 TEMPS RMB 1 1805 TEMP6 RMB 1 1806 BCD1 RMB 1 1807 BCD2 RMB 1 1807 BCD2 RMB 1 1824 COR1 RMB 1 1825 COR2 RMB 1 1826 COR3 RMB 1 1826 COR3 RMB 1 1826 COR4 RMB 3 1827 COR4 RMB 3 1828 COR70 RMB 1 1828 COR70 RMB 1 1828 COR70 RMB 1 1828 COR70 RMB 1 1830 UI1 RMB 1 1831 UI2 RMB 1 1832 UJ1 RMB 1 1833 UJ2 RMB 2 1835 DTIME RMB 1 1835 DTIME RMB 1 1835 DTIME RMB 1 1830 RMB 1830 RMB 1830 RMB 1830 RMB 1830 RMB 1830 RMB | | 1803 | TEMP4 | RMB | 1 |
| 1805 TEMP6 RMB 1 1807 BCD1 RMB 1 1807 BCD2 RMB 1 1824 COR1 RMB 1 1824 COR2 RMB 1 1825 COR2 RMB 1 1825 COR3 RMB 1 1827 COR4 RMB 3 1827 COR4 RMB 3 1827 COR4 RMB 3 1828 COR10 RMB 5 1828 COR10 RMB 5 1830 UI1 RMB 1 1831 UI2 RMB 1 1831 UI2 RMB 1 1833 VJ2 RMB 2 1833 VJ2 RMB 2 1835 DTIME RMB 1 1830 RMB 1 1830 COR5 | | | TEMP5 | | 1 |
| 1806 BCD1 RMB 1 1807 BCD2 RMB 1 1824 COR1 RMB 1 1824 COR1 RMB 1 1825 COR2 RMB 1 1825 COR2 RMB 1 1826 COR3 RMB 3 1826 COR3 RMB 3 1827 COR4 RMB 3 1828 COR9 RMB 1 1828 COR10 RMB 5 1830 UI1 RMB 1 1831 UI2 RMB 1 1832 UJ1 RMB 1 1832 UJ1 RMB 1 1833 UJ2 RMB 2 1835 DTIME RMB 1 1830 UI1 RMB 1 1830 UI1 RMB 1 1832 UJ2 RMB 2 1835 DTIME RMB 1 1830 UI1 RMB 1 1831 UJ2 RMB 2 1835 DTIME RMB 1 1832 UJ2 RMB 2 1835 DTIME RMB 1 1835 COR5 RMB 18 1883 COR5 RMB 18 1885 COR5 COR5 RMB 18 1885 COR5 C | []- | | | | 1 |
| 1807 BCD2 RMB 1 1824 COR1 RMB 1 1825 COR2 RMB 1 1826 COR3 RMB 1 1827 COR4 RMB 3 1827 COR4 RMB 3 1828 COR10 RMB 5 1828 COR10 RMB 5 1830 UI1 RMB 1 1831 UI2 RMB 1 1833 VJ2 RMB 2 1833 VJ2 RMB 2 1835 DTIME RMB 1 1830 ORG \$1830 1830 ORG \$1803 1831 FFTN RMB 2 1850 PUSHST RMB 1 1850 PUSHST RMB 1 1850 PUSHST RMB 1 1850 PUSHST RMB 1 1850 ORG \$1803 1883 FFTN RMB 2 1850 ORG \$1804 1850 ORG \$1805 18 | الأحا | | | | |
| 1824 | | | | | • |
| 1824 COR1 RMB 1 1825 COR2 RMB 1 1826 COR3 RMB 1 1827 COR4 RMB 3 1827 COR4 RMB 3 1828 COR7 RMB 1 1828 COR7 RMB 1 1830 UI1 RMB 1 1831 UI2 RMB 1 1833 VJ2 RMB 2 1833 DIIME RMB 1 1833 NSAMP RMB 1 1830 NSAMP RMB 1 1850 PUSHST RMB 1 1883 FFTN RMB 2 1883 FFTN RMB 2 1883 FFTN RMB 2 1886 RMB 1 1886 RMB 1 1887 FRST RMB 1 1888 FIRST RMB 1 1888 FIRST RMB 1 1888 FIRST RMB 1 1888 FIRST RMB 1 1889 RMB 1 1889 RMB 1 1889 P CIR RMB 1 1889 RMB 1 1890 RMB 1 1891 RMB 2 1891 RMB 3 1992 RMB 3 1993 RMB 3 1994 RMB 4 1994 RMB | | | BUDE | | 41874 |
| 1825 COR2 RMB 1 1826 COR3 RMB 1 1827 COR4 RMB 3 1828 COR7 RMB 5 1830 UI1 RMB 1 1831 UI2 RMB 1 1832 UJ1 RMB 1 1833 UJ2 RMB 2 1835 DTIME RMB 1 1830 NSAMP RMB 1 1831 NSAMP RMB 1 1835 DTIME RMB 1 1835 DTIME RMB 1 1836 COR5 RMB 18 1837 ORG \$1830 1838 FFTN RMB 2 1840 ORG \$1883 1840 ORG \$1883 1840 ORG \$1883 1840 ORG \$1880 1850 ORG \$1880 1860 ORG \$1880 | _ '9 | | 0004 | | |
| 1826 | • " | | | | - |
| 1827 | "" | | | | |
| 182A | 13 | | | | 1 |
| 1828 | | | | | 3 |
| 1830 | ·s | | | | 1 |
| 1831 UI2 RMB 1 1832 VJ1 RMB 1 1833 VJ2 RMB 2 1833 VJ2 RMB 2 1835 DTIME RMB 1 183D ORG \$183D . 183D NSAMP RMB 1 183E LOGS RMB 18 183S ORG \$1883 1883 FFTN RMB 2 1883 FFTN RMB 2 1880 FFTN RMB 9 1880 FFTN RMB 9 1880 FFTN RMB 9 1880 FFTN RMB 1 1885 FFTN RMB 1 1886 FFTN RMB 1 1886 FFTN RMB 1 1886 FFTN RMB 1 1886 FFTN RMB 1 1887 RMB 1 1888 N RMB 1 1888 N RMB 1 1898 N RMB 1 1898 TFTN RMB 1 1898 N RMB 2 1897 N RMB 2 1898 R RMB 3 1908 S2 RMB 8 1913 S3 RMB 8 1913 S3 RMB 8 1921 POS RMB 3 1924 NEG RMB 3 12948 B1880 B1885 1376 VECTIS EQU \$28AF | 7.0 | 182B | COR10 | RMB | 5 |
| 1832 | • ' | 1830 | UI1 | RMB | 1 |
| 1832 | | 1831 | UI2 | RMB | 1 |
| 1833 | 1.0 | | | | 1 |
| 1835 DIIME RMB 1 1830 | | | | | • |
| 183D | | | | | $\overline{1}$ |
| 183D NSAMP RMB 1 183E LOGS RMB 18 1850 PUSHST RMB 1 1883 ORG \$1883 1883 FFTN RMB 2 18E0 ORG \$18E0 18E0 REF RMB 8 18E8 FIRST RMB 1 18E8 N RMB 1 18EB N RMB 1 18EC I RMB 1 18EE TAG RMB 1 18EE TAG RMB 1 18EF THETA RMB 2 18F7 STACKS RMB 2 18F7 STACKS RMB 2 18F7 STACKS RMB 2 18FF RUNI RMB 3 1908 S2 RMB 8 1913 S3 RMB 8 1914 NGG RMB 3 1924 NEG RMB 3 1376 VECTIS EQU \$294E | | | or I allb. | | \$1830. |
| 183E | | | NCAMP | | |
| 1850 | — " | | | | |
| 1883 | 1 4_ | | | | 10 |
| 1883 FFTN RMB 2 18E0 | 25 | | PUSHSI | | 1 |
| 18E0 | ● 2€ | | | | |
| 18E0 | 27 | | FFTN | | |
| 18E8 | 20 | | | | |
| 18E9 CIR RMB 1 1 18EA M RMB 1 1 18EB N RMB 1 18EC I RMB 1 18ED P RMB 1 18EE TAG RMB 1 18EF THETA RMB 2 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18F9 RUN RMB 2 18FB RUNI RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1913 S3 RMB 8 1921 POS RMB 3 1924 REG RMB 3 1924 REG RMB 3 1924 REG RMB 3 1376 29AE BISBCD EQU 929AE | 29 | | | | 8 |
| 18EA M RMB 1 18EB N RMB 1 18EC I RMB 1 18ED P RMB 1 18EE TAG RMB 1 18EF THETA RMB 2 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F7 STACKS RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUNI RMB 2 18FB RUNI RMB 2 18FB RUNI RMB 4 1903 S1 RMB 4 1903 S1 RMB 8 1913 S3 RMB 8 1913 S3 RMB 8 1914 NEG RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 1376 VECTIS EQU \$1376 | 30 | | | | 1 |
| 18EB N RMB 1 18EC I RMB 1 18ED P RMB 1 18EE TAG RMB 1 18EF THETA RMB 2 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F7 STACKS RMB 2 18F7 RUN RMB 2 18F8 RUN1 RMB 2 18FB RUN1 RMB 2 18FB RUN1 RMB 4 1903 S1 RMB 8 1903 S1 RMB 8 1913 S3 RMB 8 1914 POS RMB 3 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 1376 VECT15 EQU \$29AE | | 18E9 | CIR | | |
| 18EC | 27. | 18EA | M | RMB | 1 |
| 18EC | נג | 18EB | N | RMB | 1 |
| 18ED P RMB 1 18EE TAG RMB 1 18EF THETA RMB 2 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUN RMB 2 18FF INT RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 1376 UECTIS EQU \$2A3F 1376 UECTIS EQU \$29AE | 34 | | <u> </u> | | |
| 18EE | 15 | | P | | 1 |
| 18FF THETA RMB 2 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUN1 RMB 2 18FB RUN1 RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1913 S3 RMB 8 1914 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | — | | TAG | | 1 |
| 18F1 DTHETA RMB 2 18F3 PHI RMB 2 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F7 RUN RMB 2 18FB RUN1 RMB 2 18FB RUN1 RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 3 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A3F 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$29AE | | | | | 2 |
| 18F3 PHI RMB 2 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUNI RMB 2 18FD STOP RMB 2 18FF INT RMB 4 1903 SI RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1914 POS RMB 3 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A3F 1385 ROTIS EQU \$1385 1376 VECTIS EQU \$29AE | | | | | |
| 18F5 DPHI RMB 2 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUNI RMB 2 18FD STOP RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AUG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 | | | | | |
| 18F7 STACKS RMB 2 18F9 RUN RMB 2 18FB RUN1 RMB 2 18FD STOP RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1376 1376 VECT15 EQU \$29AE | ı'' | | | | |
| 18F9 RUN1 RMB 2 18FB RUN1 RMB 2 18FD STOP RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 | - 1 T | | | | |
| 18FB RUN1 RMB 2 18FD STOP RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT1S EQU \$1385 3 1376 VECT1S EQU \$29AE | | | | | 2 |
| 18FD STOP RMB 2 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 3 1376 VECT15 EQU \$29AE | 42 | | | | |
| 18FF INT RMB 4 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$29AE | . 145 | | | | |
| 1903 S1 RMB 8 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$29AE | • | | | | _ |
| 1908 S2 RMB 8 1913 S3 RMB 8 1918 AVG RMB 6 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$29AE | 45 | | | | |
| 1913 S3 RMB 8 1918 AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | 144 | | | | |
| 1913 S3 RMB 8 191B AVG RMB 6 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | | 190B | | | |
| 1918 AVG RMB & 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 3 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | - | 1913 | S 3 | RMB | 8 |
| 1921 POS RMB 3 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | | | | RMB | 6 |
| 1924 NEG RMB 3 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | ▲ s:. | | | | |
| 2A3F PASC EQU \$2A3F 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 3 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | | | | | |
| 2A17 IDEX EQU \$2A17 1385 ROT15 EQU \$1385 3 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | [,- | | | | |
| 1385 ROT15 EQU \$1385 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | | | | | |
| 1376 VECT15 EQU \$1376 29AE BI\$BCD EQU \$29AE | | | | | |
| 29AE BISBCD EQU \$29AE | <u>[</u>]_ | | | | |
| | تار 🗢 | | | | |
| ZA4C RDDEFT EUU \$ZA4C | | | | | |
| | ت | 2A4C | RDDEFT | FUU | 72HTU ' |

METHOD OF INVARIANT FOURIER SIGNATURES

| | 29FE | | TUNE | EQU | \$29FE | |
|-----------|-------|-------------|-----------------|---------|---------------|--|
| <u> </u> | 2999 | | DELAY1 | EQU | \$2999 | |
| | 292F | | TRAPIN | EQU | \$292F | |
| | 2960 | | TRAPEX | EQU | \$2960 | |
| _ [:] | | | | | | |
| | 1000 | | FFT | EQU | \$1000 | |
| • | 2A2A_ | | WRITE | EQU | \$2A2A | and the second and the second |
| _ [*] | 8000 | | HATH | EQU | \$8000 | • |
| • | 290C | | PUSH42 | EQU | \$290C | |
| 9 | 28EF | | PUSH41 | EQU | \$28EF | |
| 1.04 | 28A3 | | PULL4 | EQU | \$28A3 | |
| | 2700 | | RCORR1 | EQU | \$2700 | |
| - ha | 277F | | RCORR2 | EQU | \$277F | |
| 1,3 | OFFF | | FFTVT | EQU | \$FFF | |
| | 0000 | | RO | EQU | \$0 | |
| | 0000 | | | ORG | \$0 | |
| | 0000 | 39 | | FCB | \$39 | |
| | 2000 | J , | | ORG | \$2000 | |
| | 2000 | | | UND | 4 2000 | |
| ["] | | | * | FEATURE | EVIDACTION D | BOCDAM |
| _ '* | | | * | | EXTRACTION P | |
| | | | * | | DJECTION/FFT | |
| , is | 2000 | CE 18 E0 | FEAT#1 | LDX | *REF | CLEAR REF(I) |
| [4] | 2003 | C6 08 | | LDAB | ‡8 | |
| | 2005 | 6F 00 | FE1 | CLR | 0 • X | |
| 74 | 2007 | 08 | | INX | | |
| , | 2008 | 5A | | DECB | | |
| | 2009 | 26 FA | | BNE | FE1 | |
| | 200B | 7F 18 E8 | | CLR | FIRST | |
| | 200E | BD FD A6 | | JSR | \$FDA6 | |
| 23 | 2011 | CE 25 7D | | LDX | \$LINE1 | |
| | 2014 | C6 13 | | LDAB | #19D | |
| | 2016 | BD 2A 3F | | JSR | PASC | |
| _ 1 | | | | JSR . | \$FDA6 | |
| | 2019 | BD FD A6 | | | | |
|): | 201C | CE 25 90 | | LDX | #LINE2 | |
| _ | 201F | C6 13 | | LDAB | \$19D | |
| | 2021 | BD 2A 3F | | JSR | PASC | |
| '× | 2024 | BD FD A6 | | JSR | \$FDA6 | parameter (10 to 10 to 1 |
| | 2027 | BD FD A6 | | JSR | \$FDA6 | |
| | 202A | CE 25 A3 | | LDX | #LINE3 | |
| • | 202D | C6 15 | | LDAB | \$21D | |
| | 202F | BD 2A 3F | | JSR | PASC | |
| | 2032 | BD FD 36 | | JSR | \$FD36 | INCH . |
| - 4 | | 84 OF | | ANDA | #\$0F | • |
| . ' | 2037 | B7 18 3E | | STAA | LOGS | |
| | 203A | C6 01 | | LDAB | #1 | ă. |
| - | 203C | 4A | FE2 | DECA | _ | |
| - | 203D | 20 03 | _ - | BLT | FE3 | |
| | 203F | 58 | | ASLB | . = - | |
| | 2040 | 20 FA | | BRA | FE2 | |
| 17 | 2042 | F7 18 3D | FE3 | STAB | NSAMP | |
| _ 1" | | | FE4 | JSR | \$FDA6 | |
| | 2045 | BD FD A6 | r 6 7 | | | |
| * | 2048 | CE 25 B8 | | LDX | \$LINE4 | |
| þi | 204B | C6 08 | | LDAB | \$8 | |
| | 204D | BD 2A 3F | | JSR | PASC | |
| _ - | 2050 | BD FD 36 | | JSR | \$FD36 | INCH |
| ,,, | 2053 | 5F | | CLRB | | |
| •'- | 2054 | 81 59 | | CMPA | # \$59 | |
| ٠, | 2056 | 26 01 | | BNE | FE5 | |
| <u> </u> | | | | | | |

| <u></u> | 2058 | 5C | | INCB | | YES |
|------------|------|----------|-------------|------|-----------|----------|
| | 2059 | F7 18 E9 | FE5 | STAB | CIR | 1 4 4 |
| 1.1 | 205C | 7D 18 E8 | | TST | FIRST | |
| | 205F | 27 02 | | BEO | FE6 | |
| | 2061 | 20 46 | | BRA | FE11 | |
| | 2063 | 7D 18 E9 | FE6 | TST | CIR | |
| \ <u></u> | 2066 | 27 12 | | BEQ | FE7 | |
| | 2068 | BD FD A6 | | JSR | \$FDA6 | |
| | 206B | CE 25 CO | | LDX | #LINE6 | |
| 1 | 206E | C6 15 | | LDAB | \$21D | |
| "1 | 2070 | BD 2A 3F | | JSR | PASC | |
| \oplus | | | | | | |
| '1 | 2073 | 86 05 | | LDAA | #5 | |
| 12 | 2075 | B7 18 EA | | STAA | M | |
| ; · | 2078 | 20 19 | | BRA | FE8 | |
|)* | 207A | BD FD A6 | FE7 | JSR | \$FDA6 | |
| 19 | 207D | CE 25 CO | | LDX | #LINE6 | |
| 17 | 2080 | C6 14 | | LDAB | #20D | |
|)**! | 2082 | BD 2A 3F | | JSR | PASC | - VIIAII |
|)**. | 2085 | BD FD 36 | | JSR | \$FD36 | INCH |
| 12: | 2088 | 81 5A | | CMPA | #\$5A | |
| 2 | 208A | 27 EE | | BEQ | FE7 | |
| 22 | 208C | 84 OF | | ANDA | #\$F | |
| 23 | 208E | 27 EA | | BEQ | FE7 | |
| 34 | 2090 | B7 18 EA | | STAA | M | |
| 2:1 | 2093 | 36 | FE8 | PSHA | | |
| i i | 2094 | 86 80 | | LDAA | #\$80 | |
| | 2096 | _5F | | CLRB | | |
| 28 | 2097 | 30 | | TSX | | |
| 29 | 2098 | 4D 00 | FE9 | TST | 0 • X | |
| sl | 209A | 27 06 | | BEQ | FE10 | |
| ים | 209C | 6A 00 | | DEC | 0 • X | |
| 1. | 209E | 47 | | ASRA | | |
| N. | 209F | 56 | | RORB | | |
| 134 | 20A0 | 20 F6 | | BRA | FE9 | |
| 25 | 20A2 | B7 18 F5 | FE10 | STAA | DPHI | |
| ન <u> </u> | 20A5 | F7 18 F6 | | STAB | DPHI+1 | |
| | 20A8 | 32 | | PULA | | |
| (get | 20A9 | BD FD A6 | FE11 | JSR | \$FDA6 | |
| 1 | 20AC | CE 25 D5 | | LDX | \$LINE7 | |
| / | 20AF | C6 13 | | LDAB | \$19D | |
| • | 20B1 | BD 2A 3F | | JSR | PASC | |
| ,•al | 20B4 | BD FD 36 | | JSR | \$FD36 | INCH |
| <i>†</i> | 20B7 | 81 5A | | CMPA | #\$5A | |
| 4. | 20B9 | 27 14 | | BEQ | FE12A | |
| 4 . | 20BB | 84 OF | | ANDA | #\$F | |
| 10 | 20BD | B7 18 EB | | STAA | N | |
| ai . | 20C0 | 36 | | PSHA | | |
| 44 | 20C1 | 86 80 | | LDAA | #\$80 | |
| .,. | 20C3 | 5F | | CLRB | | |
| ١ | 20C4 | 30 | | TSX | | |
| 5 . | 20C5 | 6D 00 | FE12 | TST | 0 • X | |
| 9.7 | 20C7 | 27 OE | | BEQ | FE13 | |
| b u | 20C9 | 6A 00 | | DEC | 0 • X | |
| | 20CB | 47 | | ASRA | | |
| 1 | 20CC | 56 | | RORB | | |
| | | | | BRA | FE12 | |
| | 20CD | 20 F6 | | DUM | LETS. | |

| T | 2002 | 2E D5 | | BGT | FE11 | |
|----------------|---------------------|----------|-------------|-------------|----------------|--|
| | 2004 | 36 | | PSHA | · - | |
| İ | 2005 | 4F | | CLRA | | |
| , | 2006 | 5F | | CLRB | | |
| .{ | 2007 | 87 18 F1 | FE13 | STAA | DTHETA | |
|] | 20DA | F7 18 F2 | | STAB | DTHETA+1 | |
| <u> </u> | 20DD | 32 | <u></u> | PULA | | and the second second of the second s |
| | 20DE | BD FD A6 | | JSR | \$FDA6 | |
| | 20E1 | CE 25 E8 | | LDX | #LINE8 | |
| <u></u> | 20E4 | C6 OE | | LDAB | \$14D | |
|] | 20E6 | BD 2A 3F | 7 | JSR | PASC | |
|] | 2059 | BD FD 36 | | JSR | \$FD36 | INCH |
| ` | 20EC | 84 OF | <u>'</u> | ANDA | #\$F | 211911 |
| " | 20EE | B7 18 EE | • | STAA | TAG | |
| 1 | 20F1 | 7F 18 F3 | | CLR | PHI | PHI=0 |
| | 20F4 | 7F 18 F4 | | CLR | PHI+1 | 1113-4 |
|] | 20F7 | CE CO OO | | LDX | #\$C000 | |
|] | 20FA | FF 18 EF | | STX | THETA | THETA=-PI/2 |
| | 20FD | 7F 18 EC | | CLR | I | rowin- Lara |
| 1 | 2100 | CE 00 00 | | LDX | ‡ 0 | |
| | 2103 | FF 19 18 | | STX | AVG . | |
| <u></u> | 2105 | FF 19 1D | | STX | AVG+2 | |
|] | 2109 | FF 19 1F | | STX | AVG+4 | |
| 1 | 210C | BF 18 F7 | | STS | STACKS | |
| 1 | 210E | BE OF FF | | LDS | #FFTVT | |
| 7 .t | 2112 | CE 00 00 | | LDX | \$ 0 | LOOP: EACH CONTOUR |
| | 2112 | FF 18 FF | | STX | INT | Tour of Energy Control |
| } | 2118 | FF 19 01 | | STX | INT+2 | |
|] | 211B | 7F 18 ED | | CLR | P | |
|] | 211E | 7F 18 E8 | | CLR | FIRST | |
| ٦ | 2121 | F6 18 EC | | LDAB | Î | LOOP! EACH SAMPLE |
| · | 2124 | 4F | , , | CLRA | • | war varioust will be |
| | 2125 | 58 | | ASLB | • | |
| ` | 2125 | 49 | | ROLA | | |
| ** | 2127 | CE 26 1A | | LDX | #RVECT | |
| "] | 212A | BD 2A 17 | | JSR | IDEX | |
| 7 | 2120 | A6 00 | | LDAA | 0,X | GET R(I) RADIUS |
| | 212F | B7 18 24 | ı | STAA | COR1 | |
| 4 | 2132 | A6 01 | • | LDAA | 1,X | |
| | $\frac{2132}{2134}$ | B7 18 25 | <u> </u> | STAA | COR2 | |
| O O | | B6 18 EF | | LDAA | THETA | ANGLE |
| 1 | 2137 | F6 18 F0 | | LDAB | THETA+1 | · · · · · · · · · · · · · · · · · · · |
| 1 | 213A 213D | FB 18 F4 | | ADDB | PHI+1 | |
| 1 | 2140 | B9 18 F3 | | ADCA | PHI | |
| 11 | | 8B 40 | • | ADDA | **40 | ADJUST QUADRANT |
| · ; | 2143 | 2B 10 | | BMI | FE16 | APOGGI GONDIANTI |
| " | 2145 | B7 18 00 | • | STAA | TEMP1 | |
| "] | 2147 | F7 18 01 | | STAB | TEMP2 | |
| ٩ | 2144 | 4F | | CLRA | IEIIFE | |
| | 2140 | | | CLRB | | |
| | 214E | 5F | | | TEMPO | |
| · | 214F | FO 18 01 | | SUBB | TEMP2 | |
| 57 | 2152 | B2 18 00 | • | SBCA | TEMP1 | |
| 53 | 2155 | 20 09 | | BRA | FE17 | |
| <u></u> | 2157_ | 5D | FE16 | TSTB | | |
| ,• | 2158 | 26 06 | | BNE | FE17 | |
| | 215A | 81 80 | | CMPA BNE | ##80 FE17 | |
| | 215C | 26 02 | | | | |

| | | - | | | , | | | |
|--|--------------|-----------|------|-----------------|---------------------------------------|--------------|------------------|---|
| | 215E 215F | 4F 5F | | | | CLRA CLRB | | |
| j | 2160 | | CO | | FE17 | ADDA | #\$CO | |
| | 2162 | B7 | | 2A | | STAA | CORP | |
| | 2165 | F7 | | 2B | | STAB | COR10 | |
| .] | 2168 | | | 26 | | CLR | COR3 | |
| | 216B | | | 27 27 | | CLR | COR4 | |
| ا | 216E | BD | | 85 | | JSR | ROT15 | POLAR TO RECTANGULAR |
| • | 2171 | | 18 | | | LDAA | COR1 | |
| | 2174 | F6 | 18 | | | LDAB | COR2 | |
| , | 2177 | | 00 | | | LDX | #5 | |
| 2 | 217A | 47 | | | FE18 | ASRA | | |
| , | 2178 | 56 | | | | RORB | | |
| | 217C | 09 | | | | DEX | | |
| 5 | 217D | 26 | FB | | | BNE | FE18 | |
| • | 217F | FB | | 17 | | ADDB | XZERO+1 | |
| - | 2182 | B9 | | 16 | | ADCA | XZERO | |
| • | 2185 | B7 | 18 | 02 | | STAA | TEMP3 | |
| 9l | 2188 | F7 | | 03 | · · · · · · · · · · · · · · · · · · · | STAB | TEMP4 | |
| - | 218B | BD | | AE | | JSR | BI\$BCD | |
| r <u>i</u> | 218E | | 18 | | | LDX | BCD1 | |
| 2 | 2191 | FF | | 30 | | STX | UI1 | |
| 2 | 2194 | B6 | 18 | | | LDAA | COR3 | |
| 4 | 2197 | | 18 | | | LDAB | COR4 | |
| 5 | 219A | | 00 | 05 | | LDX | ‡5 | |
| e¦ | 219B | 47 | | | FE19 | ASRA | | |
| , | 219E | 56 | | | | RORB | | |
| rej | 219F | 09 | | · | | DEX | | |
| 1 | 21A0 | | FB | | | BNE | FE19 | |
| d | 21A2 | | | 19 | | ADDB | YZERO+1 | |
| • | 21A5 | B9 | | 18 | | ADCA | YZERO | |
| τ' | 21A8 | | 18 | | | STAA | TEMP3 | |
| 3 | 21AB | | 18 | | | STAB | TEMP4 | <u>, </u> |
| 1 | 21AE | BD | | AE | | JSR | BISBCD | |
| S | 21B1 | | 18 | | | LDX | BCD1 | |
| ٩ | 21B4 | | | 32 50 | | STX | VJ1 | |
| u. | 21B7 | 7D 27 | | E O | | TST BEQ | FIRST FE19A | |
| • | 21BA | | 2A 4 | AC | | | | |
| · | 21BC 21BF | | 13 | | | JSR JSR | RDDEFT | MAG |
| 3 1 14 | 21BF 21C2 | | 29 | | | JSR | VECT15 TRAPIN | INTEGRATE |
| | 21C2 21C5 | 20 | | £ľ | | BRA | FE19B | THIERWIE |
| 2 | 21C7 | | 21 2 | 71 - | FE19C | JMP | FE15 | |
| a: _f | 21CA | | 18 | | FE19A | INC | FIRST | |
| •. | 21CB | BD | | | FE19B | JSR | TUNE | |
| <u></u> | 21D0 | 86 | | | | LDAA | #0 | |
| 7 | 21D0 21D2 | | 18 | 35 | | STAA | DTIME | |
| ٦ | 21D2 21D5 | BD | | | | JSR | DELAY1 | |
| | 21D8 | | 18 | | | TST | CIR | |
| -: c | 21D8 | 27 | 44 | | | BEQ | FE20 | |
| - . : | 21DD | | 18 (| EF | | LDAA | THETA | CIR=1 |
| 2 | 21E0 | | 18 | | | LDAB | THETA+1 | —————————————————————————————————————— |
| 3 | 21E3 | FB | 18 | | | ADDB | DTHETA+1 | |
| | | . – | 18 | | | ADCA | DTHETA | |
| 4 | 21E0 | D 7 | 70 . | | | | | |
| <u>, </u> | 21E6 21E9 | | | | | STAA | THETA | |
| s a | 21E9 21EC | 87 | | EF | | STAA STAB | THETA THETA+1 | THETA=THETA+DTHETA |

| • | | | | |
|------------|--------------------|------|-------------|--|
| | 21F2 26 D3 | BNE | FE19C | |
| l i | 21F4 B6 18 EF | LDAA | THETA | |
| i | 21F7 8B CO | ADDA | #\$C0 | |
| . | 21F9 26 CC | BNE | FE19C | |
| | | | | THETA-LDT 10 |
| 1 | 21FB BD 29 60 | JSR | TRAPFX | THETA=+PI/2 |
| `` | 21FE B6 19 02 | LDAA | INT+3 | man and the same of the same o |
| ! | 2201 36 | PSHA | | |
| 1 | 2202 B6 19 01 | LDAA | INT+2 | |
| | 2205 36 | PSHA | | |
| 0 | 2206 B6 19 00 | LDAA | INT+1 | |
| 님 | 2209 36 | PSHA | | |
| ,, | 220A B6 18 FF | LDAA | INT | |
| | 220D 36 | PSHA | | |
| ١,' | 220E B6 18 EC | LDAA | 1 | |
| | 2211 81 1F | CMPA | #31D | |
| | | | | |
| | | BEQ | FE23 | |
| ['] | 2215 7C 18 EC | INC | I | |
| ٠٠ | 2218 CE CO 00 | LDX | #\$C000 | |
| | 221B FF 18 EF | STX | THETA | |
| | 221E 7E 21 12 | JMP | FE14 | |
| . • | 2221 B6 18 EC FE20 | LDAA | I | |
| | 2224 81 1F | CMPA | \$31D | |
| | 2226 27 18 | BEQ | FE21 | |
| إهوا | 2228 7C 18 EC | INC | 1 | |
| <u> </u> | 2228 B6 18 EF | LDAA | THETA | |
| *** | | | THETA+1 | |
| | 222E F6 18 F0 | LDAB | | |
| · | 2231 FB 18 F2 | ADDB | DTHETA+1 | |
| . B | 2234 B9 18 F1 | ADCA | DTHETA | |
| .99 | 2237 B7 18 EF | STAA | THETA | |
| 30 | 223A F7 18 F0 | STAB | THETA+1 | |
| 2 | 223D 7E 21 21 | JMP | FE15 | |
| | 2240 BD 29 60 FE21 | JSR | TRAPFX | I=31 |
| . 1 | 2243 B6 19 02 | LDAA | INT+3 | |
| | 2246 36 | PSHA | | |
| 닉 | 2247 B6 19 01 | LDAA | INT+2 | |
| 30 | 224A 36 | PSHA | | |
| 1 | | | <u> </u> | |
| | 224B B6 19 00 | LDAA | INT+1 | |
| | | | 4171.7.4 | |
| | 224E 36 | PSHA | TAIT | |
| a. | 224F B6 18 FF | LDAA | INT | |
| • | 2252 34 | PSHA | B419 | |
| . vi | 2253 B6 18 F3 | LDAA | PHI | |
| | 2256 F6 18 F4 | LDAB | PHI+1 | |
| ' , | 2259 FB 18 F6 | ADDB | DPHI+1 | |
| | 225C B9 18 F5 | ADCA | DPHI | |
| 4 | 225F B7 18 F3 | STAA | PHI | PHI=PHI+DPHI |
| .] | 2262 F7 18 F4 | STAB | PHI+1 | |
| | 2265 7D 18 F4 | TST | PHI+1 | |
| . 1 | | BNE | FE22 | |
| | | | | |
| | 226A B6 18 F3 | LDAA | PHI | |
| l | 226D 80 80 | SUBA | **80 | |
| 27 | 226F 26 02 | BNE | FE22 | |
| 5.2 | 2271 20 10 | BRA | FE24 | |
| | 2273 CE CO 00 FE22 | LDX | ##C000 | |
| 1,1 | 2276 FF 18 EF | STX | THETA | and the second section of the section of the second section of the section of the second section of the section of th |
| | | CLR | 1 | |
| | | | | |
| | 2279 | JMP | FE14 | |

| ٠, | | | | PPAT | | | · |
|------------------|--------------|------|-----------|-------------|------|-----------|--|
| | 227F | 89 (| | FE23 | LDAA | #5 | |
| | 2281 | 20 0 |)3 | | BRA | FE25 | |
| 1,1 | 2283 | B6 1 | 8 EA | FE24 | LDAA | H | |
| 1.1 | 2286 | B7 1 | | FE25 | STAA | PUSHST | |
| . 17 | | | 9 1B | FE25A | | | AUG=AUG/2**H |
|) 1 | 2289 | | 7 15 | FEZJH | LDAB | AVG | HVU-HVU/ 244N |
| • | 228C | 57 | | | ASRB | | |
| 15 | 228D | F7 1 | 9 1B | | STAB | AVG | |
| ارا | 2290 | | 9 1C | | LDAB | AVG+1 | |
| 1 | 2293 | 56 | | | RORB | | |
| 17 | | | A 4A | | | A11614 | |
| 9 | 2294 | | 9 1C | | STAB | AVG+1 | |
| | 2297 | F6 1 | 9 1D | | LDAB | AVG+2 | |
| | 229A | 56 | | | RORB | | |
| 1 | 2298 | F7 1 | 9 1D | | STAB | AVG+2 | A CONTRACTOR OF THE PROPERTY O |
| 1 | 229E | | 9 1E | | LDAB | AVG+3 | • |
| \mathbf{I}_{1} | | | , , , , , | | | NVUTO | |
| 11 | 22A1 | 56 | | | RORB | | |
| • | 22A2 | | 9 1E | | STAB | AVG+3 | |
| H | 22A5 | F6 1 | 9 1F | | LDAB | AVG+4 | |
| 1.1 | 22A8 | 56 | | | RORB | | |
| - | 22A9 | | 9 1F | | STAB | AVG+4 | |
| 17 | | | | | | | |
| | 22AC | | 9 20 | | LDAB | AVG+5 | |
| 2 | 22AF | 56 | | | RORB | | |
| 22 | 22B0 | F7 1 | 9 20 | | STAB | AVG+5 | |
| 21 | 22B3 | 4A | | | DECA | | |
| | 22B4 | 26 D | 17 | | BNE | FE25A | |
| 74 | | | | | | FEZJM | |
| - 51 | 2286 | 30 | | | TSX | | |
|) . | 22B7 | | 9 21 | | CLR | POS | |
| 2. | 22BA | 7F 1 | 9 22 | | CLR | POS+1 | |
| 25 | 22BD | | 9 23 | | CLR | POS+2 | |
| 25 | 22C0 | 86 F | | | LDAA | ##FF | |
| 29 | | | | | | | |
| 30 | 22C2 | | 9 24 | | STAA | NEG | |
| þ | 22C5 | | 9 25 | | STAA | NEG+1 | |
| 127 | 22C8 | B7 1 | 9 26 | | STAA | NEG+2 | |
| 103 | 22CB | A6 0 | 3 | FE258 | LDAA | 3 • X | REMOVE MEAN |
| 1 | 22CD | | 9 20 | | SUBA | AVG+5 | |
| 34 | | | | | STAA | 3,X | |
| , 13 | 22D0 | A7 0 | | | | | |
| 14 | 2202 | A6 0 | | | LDAA | 2,X | |
| | 22D4 | B2 1 | 9 1F | | SBCA | AVG+4 | |
| ' | 22D7 | A7 0 | 2 | | STAA | 2•X | |
| 7 | 2209 | A6 0 | | | LDAA | 1 • X | |
| 1 - | 22DB | | 9 1E | | SBCA | AVG+3 | |
| 14.4 | | | | | _ | | |
| | 22DE | A7 0 | | | STAA | 1,X | |
| 4.1 | 22E0 | A6 0 | | | LDAA | 0 , X | |
| _ | 22E2 | B2 1 | 9 1D | | SBCA | AVG+2 | · · · · · · · |
| | 22E 5 | A7 0 | | | STAA | 0 • X | |
| Į, | 22E7 | 2B 1 | | | BMI | FE25C | FIND SCALE FACTOR |
| 1 - | | | | | ORAA | POS | |
| (6) | 22E9 | | 9 21 | | | | |
| 1. | 22EC | | 9 21 | | STAA | POS | |
| - | 22EF | A6 0 |)1 | | LDAA | 1,X | |
| | 22F1 | | 9 22 | | DRAA | POS+1 | |
| | 22F4 | | 9 22 | | STAA | POS+1 | |
| | | | | | LDAA | 2,X | |
| 1. | 22F7 | A6 0 | | | | | |
| ا"م | 22F9 | | 9 23 | | DRAA | POS+2 | |
| 34 | 22FC | B7 1 | 9 23 | | STAA | P0S+2 | |
| مم | 22FF | 20 1 | | | BRA | FE25D | |
| 1 L | 2301 | | 9 24 | FE25C | ANDA | NEG | and the second s |
| | 2304 | | 9 24 | , ,,200 | STAA | NEG | |
| | | | | | | | |
| _ | 2307 | A6 C | /1 | | LDAA | 1,X | |
| | | | | | | | |

| • | | | |
|------------|---------------------|------|---|
| (i | 2309 B4 19 25 | ANDA | NEG+1 |
| | 230C B7 19 25 | STAA | NEG+1 |
| | 230F A6 02 | LDAA | 2,X |
| 1, | 2311 B4 19 26 | ANDA | NEG+2 |
| | 2314 B7 19 26 | STAA | NEG+2 |
| | | | |
| ' | | | . I grad the territorial and the second date of the party of the second design of the second |
| | 2318 08 | INX | |
| | 2319 08 | INX | |
| | 231A 08 | INX | |
| · o | 231B BC 10 00 | CPX | #FFTVT+1 |
| | 231E 26 AB | BNE | FE25B |
| 1.7 | 2320 B6 19 24 | LDAA | NEG |
| 1 | 2323 F6 19 25 | LDAB | NEG+1 |
| | 2326 78 19 26 | ASL | NEG+2 |
| | 2329 CE 00 00 | LDX | \$0 |
| | 232C 59 FE25I | | |
| _ [7] | 232D 49 | ROLA | |
| | | | CCAEC |
| 1 | 232E 24 04 | BCC | FE25F |
| _ 14 | 2330 08 | INX | |
| | 2331 OC | CLC | |
| , | 2332 20 F8 | BRA | FE25E |
| | 2334 FF 19 24 FE25 | STX | NEG |
| | 2337 B6 19 21 | LDAA | POS |
| 24 | 233A F6 19 22 | LDAB | P0S+1 |
| 1,1 | 233D 78 19 23 | ASL | POS+2 |
| <u> </u> | 2340 CE 00 00 | LDX | \$0 |
| | 2343 59 FE256 | | |
| <u> </u> | 2344 49 | ROLA | |
| | | | reasu |
| | 2345 25 04 | BCS | FE25H |
| | 2347 08 | INX | |
| • * | 2348 OD | SEC | |
| | 2349 20 F8 | BRA | FE256 |
| • | 234B FF 19 21 FE25 | | POS |
| 1 | 234E B6 19 22 | LDAA | POS+1 |
| 15 | 2351 BO 19 25 | SUBA | NEG+1 |
| | 2354 2B 06 | BMI | FE25I |
| · | 2356 B6 19 25 | LDAA | NEG+1 |
| | 2359 B7 19 22 | STAA | POS+1 |
| • | 235C 86 11 FE25 | | \$17D |
| | 235E BO 19 22 | SUBA | POS+1 |
| | 2361 2F 27 | BLE | FE25L |
| | | STAA | POS+1 |
| 7 | | | |
| _ | 2366 30 | TSX | DOC14 CCALC DOUB |
| | 2367 F6 19 22 FE25. | | POS+1 SCALE DOWN |
| ! | 236A A6 00 FE25 | | 0,X |
| ; s | 236C 47 | ASRA | |
| | 236D A7 00 | STAA | 0,X |
| - | 236F A6 01 | LDAA | 1+X |
| , (| 2371 46 | RORA | |
| | 2372 A7 01 | STAA | 1•X |
| — , | 2374 A6 02 | LDAA | 2•X |
| ,, | 2376 46 | RORA | |
| | 2377 A7 02 | STAA | 2.X |
| | | LDAA | 3,X |
| Γ' | 2379 A6 03 | | TTA |
| _ | 237B 46 | RORA | 7. V |
| | 237C A7 03 | STAA | 3•X |
| <u> </u> | 237E 5A | DECB | |
| | _ | | |

| • | | | | | | | | |
|----------------|-------------|---------------|----------------|-------------|-------------|------|--------------|--|
| | 237F | 26 | EÀ | | | BNE | FE25K | |
| [.] | 2381 | 08 | | | | INX | | |
| 1,1 | 2382 | 08 | | | | INX | | |
| 1. | 2383 | 08 | | | | INX | | |
| | 2384 | 08 | | | | INX | | |
| | 2385 | | 10 | ٥٥ | | CPX | #FFTVT+1 | |
| | 2388 | 26 | DD | | | BNE | FE25J | |
| | 238A | | 18 | 50 | FE25L | LDAA | PUSHST | |
| j* | 238D | 5F | 10 | 30 | FEZJL | CLRB | ruanai | |
| * | | | 4.8 | XA | | | CPT | |
| 19 | 238E | | 10 | | | JSR | FFT | FFT |
| [1] | 2391 | | 18 | | | LDAA | FFTN | |
| 12 | 2394 | | 18 | B4 | | LDAB | FFTN+1 | |
| 13 | 2397 | 47 | | | | ASRA | | |
| 14 | 2398 | 56 | | | | RORB | | |
| 5 | 2399 | | 00 | | | LDX | *R0 | |
| 10 | 239C | BD | | 17 | | JSR | IDEX | |
| [-] | 239F | | | FD | | STX | STOP | |
| , • | 23A2 | CE | 00 | 00 | | LDX | #R0 | |
| 9 | 23A5 | FF | 18 | F9 | | STX | RUN | |
| | 23A8 | | 18 | | FE26 | LDX | #COR1 | PULL FFT/MAG/STORE |
| . . | 23AB | 32 | | | | PULA | · · - | |
| 2° 22 23 | 23AC | A7 | 00 | | | STAA | 0,X | |
| [,] | 23AE | 32 | •• | | | PULA | | |
| 1 1 | 23AF | A7 | Δ1 | | | STAA | 1 • X | |
| 33 | 23B1 | 32 | <u> </u> | | | PULA | | |
| 3 | 23B2 | | 02 | | | STAA | 2,X | |
| T'i | | | VZ | | | | 211 | |
| 27 | 23B4 | 32 | 7.2 | | | PULA | | |
| 29 30 | 2385 | | 03 | - , | | STAA | 3,X | |
| 129 | 2387 | | 13 | | | JSR | VECT15 | |
| 30 | 23BA | | 18 | | | LDX | RUN | |
| þ, | 2380 | | 18 | 24 | | LDAA | COR1 | |
| jazi | 23CO | AZ | | | | STAA | 0 , X | |
| 3: | 23C2 | | 18 | 25 | | LDAA | COR2 | |
| 34 | 23C5 | A7 | 01 | | | STAA | 1 • X | |
| 19 | 23C7 | 08 | | | | INX | | |
| 14 | 23C8 | 08 | | | | INX | | |
| 3 | 2309 | FF | 18 | F9" | | STX | RUN | and the state of t |
| i., | 23CC | BC | 18 | FD | | CPX | STOP | |
| 4, | 23CF | 26 | | | | BNE | FE26 | |
| 401 | 23D1 | | 18 | F7 | | LDS | STACKS | |
| •1 | 23D4 | | FD | | | JSR | \$FDA6 | |
| ובח | 2307 | | 25 | | | LDX | #LINE9 | |
| <u> </u> | 23DA | _ <u>cs</u> _ | | | | LDAB | #11D | |
| 1 | 23DC | | 2A | 3F | | JSR | PASC | |
| i. | 23DF | | FD | | | JSR | \$FD36 | INCH |
| Í.——— | 23E2 | 81 | | | | CMPA | **59 | |
| 46 | | | | | | BNE | FE29 | |
| 40 | 23E4 | 26 | | ^^ | | | | |
| 4 | 23E6 | | 00 | | | LDX | #RO | |
| ** | 23E9 | | 18 | ry | | STX | RUN | |
| | 23EC | 86 | | | | LDAA | •1 | |
| ř | 23EE | | 18 | | | STAA | _ <u>I</u> | |
| B.: | 23F1 | | | A6 | | JSR | \$FDA6 | |
| | 23F4 | | FD | | | JSR | \$FDA6 | |
| B: B: | 23F7 | | 18 | F9 | FE27 | LDX | RUN | PRINT SIGNATURE |
| | 23FA | Aá | 00 | | | LDAA | 0,X | a ment in the second of the se |
| 1. | 23FC | | 18 | 02 | | STAA | TEMP3 | |
| <u> </u> , | 23FF | A6 | | | | LDAA | 1,X | |
| <u></u> | | | | | | | | |

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|-------------|-------|----------|-------------|-------|-----------------|---------------------------|
| i | 2401 | B7 18 03 | • | STAA | TEMP4 | |
| | 2404 | 08 | | INX | | |
| 1 | 2405 | 08 | | INX | | |
| | 2406 | FF 18 F9 | | STX | RUN | |
| 1 | 2409 | BD 29 AE | | JSR | BI\$BCD | |
| | 240C | CE 18 06 | | LDX | #BCD1 | |
| ļ ——— | 240F | BD 2A 2A | | JSR | WRITE | |
| İ | 2412 | CE 18 07 | | LDX | #BCD2 | |
| ! | | BD 2A 2A | | JSR | WRITE | |
| | 2415 | | | | | |
| 1 | 2418 | 86 20 | | LDAA | #\$.20 #EDGG | St AND |
| 1 | 241A | BD FD 80 | | JSR | \$FD80 | BLANK |
| 1 | 241 D | BD FD 80 | | JSR | \$FD80 | |
| | 2420 | 86 18 EC | | LDAA | I | |
| 1 | 2423 | 48 | | asla | | |
| <u> </u> | 2424 | 24 05 | | BCC | FE28 | |
| 6 | 2426 | BD FD A6 | | . JSR | \$FDA6 | |
| 1 | 2429 | 86 01 | | LDAA | , #1 | |
| ij | 242B | B7 18 EC | FE28 | STAA | I | |
| | 242E | FE 18 F9 | | LDX | RUN | |
| | 2431 | BC 18 FD | | CPX | STOP | |
| | 2434 | 26 C1 | | BNE | FE27 | |
| 1 | 2436 | BD FD A6 | FE29 | JSR | \$FDA6 | |
| 1 | 2439 | BD FD A6 | 1 64/ | JSR | \$FDA6 | |
| 1 | | | | | | |
| ·L | 243C | CE 26 01 | | LDX | #LINE10 #11D | |
| | 243F | C6 0B | | LDAB | | |
| | 2441 | BD 2A 3F | | JSR | PASC | |
| | 2444 | BD FD A6 | | JSR | \$FDA6 | |
| 4 | 2447 | 86 01 | | LDAA | \$1 | |
| 1 | 2449 | B7 18 EC | | STAA | I | |
| • | 244C | B6 18 EC | FE30 | LDAA | I | |
| , | 244F | B1 18 EE | | CMPA | TAG | |
| | 2452 | 26 53 | | BNE | FE33 | |
| j | 2454 | 16 | | TAB | | |
| 4 | 2455 | 8D 02 | | BSR | FE30A | |
| 13 | 2457 | 20 20 | | BRA | FE32 | |
| 4 | 2459 | B6 18 EA | FE30A | LDAA | M | |
| · . —— | 245C | B7 18 00 | | STAA | TEMP1 | |
| | 245F | 4F | | CLRA | • | |
| | 2460 | 58 | FE31 | ASLB | | |
| ed | 2461 | 49 | | ROLA | | |
| 씍 | 2462 | 7A 1B 00 | | DEC | TEMP1 | |
| | | 26 F9 | | BNE | FE31 | |
| <u> </u> | 2465 | | | | LEST | |
| | 2467 | 58 | | ASLB | | |
| | 2468 | 49 | | ROLA | 400 | |
| ٠, | 2469 | CE 00 00 | | LDX | \$ R0 | U-841948447414 |
| | 246C | BD 2A 17 | | JSR | IDEX | X=R0+I*2**(M+1) |
| '1 | 246F | FF 18 FB | | STX | RUN1 | |
| ·• | 2472 | CE 00 00 | | LDX | ‡ R0 | |
| | 2475 | FF 18 F9 | | STX | RUN | |
| | 2478 | 39 | | RTS | | |
| | 2479 | FE 18 F9 | FE32 | LDX | RUN | STORE NEW SIGNATURE IN R(|
| 14 | 247C | A6 00 | | LDAA | 0,X | |
| ul. | 247E | E6 01 | | LDAB | 1 + X | |
| 4 | 2480 | 08 | | INX | | |
| | 2481 | 08 | | INX | | |
| | 2482 | FF 18 F9 | | STX | RUN | |
| | | FE 18 FB | | LDX | RUN1 | |
| | 2485 | LE 10 LB | | LDV | VOLT | |

| • | | | | | | | | |
|---------------|------|----|-----|-------------|------|------|-------------|--------------------------|
| $ \Omega$ | 2488 | AZ | 00 | | | STAA | 0,X | |
| ادا 🗨 | 248A | E7 | 01 | | | STAB | 1 • X | |
| | 248C | 08 | | | | INX | | |
| 1.1 | 248D | 08 | | | | INX | | |
| | 248E | | 18 | FR | | STX | RUN1 | |
| | 2491 | | 18 | | | LDX | RUN | |
| | 2494 | | 18 | | | CPX | STOP | |
| _ | 2497 | | EO | - 5 | | BNE | FE32 | |
| | | | 18 | ne | | LDX | #REF-1 | |
| . 3 | 2499 | | | | | LDAB | AKEL-1 | |
| _ ['9 | 249C | Fő | 18 | EL | | | 1 | |
| D i" | 249F | 4F | | | | CLRA | 7500 | |
| | 24A0 | | 2A | 1/ | | JSR | IDEX | |
| 3 | 24A3 | | | | | LDAA | \$1 | |
| | 24A5 | | 00 | | | STAA | 0 • X | SET REF(I)=1 |
| _ s | 24A7 | | 18 | EC | FE33 | LDAB | I | |
| 1.4 | 24AA | 4F | | | | CLRA | | |
| | 24AB | CE | 18 | DF | | LDX | #REF-1 | |
| - hal | 24AE | BD | 2A | 17 | | JSR | IDEX | |
| 1 | 24B1 | | 00 | | | LDAA | 0 • X | |
| | 24B3 | | 01 | | | CMPA | #1 | |
| ، يا | 2485 | 27 | | | | BEQ | FE34 | |
| 22 | 24B7 | | 18 | 06 | | CLR | BCD1 | |
| | 24BA | 7F | 18 | | | CLR | BCD2 | |
| | 24BD | 7E | 25 | | | JMP | FE37 | |
| | 24C0 | | | | FE34 | LDAB | I | REF(I)=1 |
| 100 | 2463 | | 94 | EL | FEST | BSR | FE30A | NEF \ A 7-4 |
| ن ا | | | 77 | | | | FESUM | |
| - 1" | 24C5 | 4F | 4.0 | | | CLRA | 4048 | |
| _ 29 | 2406 | | 18 | ^- | | LDAB | #24D | |
| 9 29 | 2408 | | 19 | V3 | | LDX | # 51 | 01 00 07 NED7 |
| 30 | 24CB | | 00 | | FE35 | STAA | 0 • X | \$1,\$2,\$3 NFPZ |
| _ P : | 24CD | 08 | | | | INX | | |
| D [32] | 24CE | 5A | | | | DECB | | |
| 1 | 24CF | | FA | | | BNE | FE35 | |
| 34 | 24D1 | | 80 | | | LDAA | **80 | |
| 14 | 24D3 | | 19 | | | STAA | S1+7 | |
| × | 24D6 | | 19 | | | STAA | 52+7 | |
| | 24D9 | | 19 | | | STAA | 53+7 | |
| | 24DC | FE | 18 | F9 | FE36 | LDX | RUN | CORRELATE R(O) WITH R(I) |
| | 24DF | | 00 | | | LDAA | 0 • X | |
| 40[| 24E1 | B7 | 18 | 02 | | STAA | TEMP3 | |
| • | 24E4 | A6 | 01 | | | LDAA | 1 • X | |
| | 24E6 | | 18 | 03 | | STAA | TEMP4 | |
| ده. | 24E9 | 08 | | | | INX | | |
| الما | 24EA | 08 | | | | INX | | |
| J., | 24EB | | 18 | F9 | | STX | RUN | |
| أممأ | 24EE | | 18 | | | LDX | RUN1 | <u> </u> |
| 11 | 24F1 | | 00 | | | LDAA | 0 • X | |
| | 24F3 | | 18 | 04 | | STAA | TEMP5 | |
| 17 | 24F6 | | 01 | | | LDAA | 1,X | |
| _ | 24F8 | | 18 | 05 | | STAA | TEMP6 | |
| | 24FB | | 10 | - - | | INX | 7 may 17 mg | |
| [} | | 80 | | | | INX | | |
| _ [*] | 24FC | | 10 | C P | | STX | RUN1 | |
| | 24FD | | 18 | | | | | |
| 1 | 2500 | | 18 | | | LDX | PERP3 | ENGLIGHT THE |
| _ *1 | 2503 | | 27 | | | JSŘ | RCORR1 | ACCUMULATE |
| ď | 2506 | | 18 | | | LDX | RUN | |
| ئ | 2509 | BC | 18 | FD | | CPX | STOP | |
| | | | | | | | = | |

| | 2500 | -37 | - 65 | | | BAIE | PP7/ |
|---------------|----------------------|----------|----------|-------------|---------|-------------|--|
| | 250C 250E | | CE | | | BNE | FE36 PCORP2 91//92+93\+#A 5 |
| 1. | | | 27 | | | JSR | RCORR2 81/(S2*S3)**0.5 |
| ; | 2511 2514 | | 29 | | | JSR | BI\$BCD |
| 11 | 2514 | | | EC | FE37 | LDAA | I #\$30 |
| j | 2517 2519 | 8A BD | | | • | ORAA JSR | |
| <u>'</u> | 251 <u>9</u> 251C | | FD | | | | \$FD80 PRINT I \$\$29 |
| 1 | 251C 251E | | 29 FD | | | LDAA JSR | ##29 #FD80 PRINT *)* |
| | 251E | | 20 | | | LDAA | ##20 |
| | 2521 2523 | |) FD | | | JSR | \$FDBO BLANK |
| 1 | 2523 2 526 | | 30 | | | LDAA | \$FD00 BEHRN \$\$30 |
|] | 2528 | BD | | | | JSR | \$FD80 PRINT O |
| <u> </u> | 252B | | 2E | | | LDAA | #\$2E |
| Ţ | 252D | | FD | | | JSR | \$FD80 PRINT "." |
| 1 | 2530 | | 18 | | | LDX | #BCD1 |
| ,, | 2533 | BD | | | | JSR | WRITE CORR |
| ,} | 2536 | | 18 | | | LDX | ♦BCD2 |
| • | 2539 | BD | | 2A | | JSR | WRITE |
| | 253C | | | | | LDAA | **20 |
| | 253E | | | 80 | | JSR | \$FUBO BLANK |
| • | 2541 | | | | | JSR | \$FD80 |
| .1 | 2544 | | ~ | | | LDAA | I |
| οĺ | 2547 | | | | | CMPA | ±4 |
| .24 | 2549 | | 03 | | | BNE | FE38 |
| | 254B | BD | FD | AG | | JSR | \$FDA6 |
| e | 254E | 7C | 18 | EC | FE38 | INC | 1 |
| | 2551 | | 18 | | | LDAA | 1 |
| 4 | 2554 | 81 | 09 | | | CMPA | 1 9 |
| 74 | 2556 | 26 | 1F | | | BNE | FE39 |
| , xol | 2558 | | FD | | | JSR | \$FDA6 |
| | 255B | CE | 26 | OC | | LDX | \$LINE11 |
| • | 255E | | | | | LDAB | ♦10D |
| · | 2560 | | 2A | | | JSR | PASC |
| , 1 | 2563 | | FD | | | JSR | \$FD36 INCH |
| 15 | 2566 | | 59 | | | CMPA | # \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ |
| 4 | 2568 | 26 | | | | BNE | FE40 |
| | 256A | | 18 | EA | | LDAA | M |
| | 256D | 81 | | | | CMPA | \$5 F6784 |
| | 256F | 27 | | | | BEQ | FE38A |
| | 2571 2574 | | 20 | | FE38A | JAP | FE11 |
| ? ?I | 257 4 2577 | | 20 | | FE39 | 9ML 9ML | FE4 FE30 |
| ' | 2577 257A | | 24 FE | | FE40 | JMP | \$FE2D FANTOM |
| | 257A 257D | /E | r E | ZIJ | LINE1 | EQU | TANIUN . |
| | | 44 | 48 | 44 | LINE- | FCC | 'FEATURE ' |
| | 257D 2585 | | 45 | | | FCC | 'RECOGNITION' |
| 1 | 2585 2590 | ٦z | 45 | 43 | LINE2 | EQU | * KECOGNITION |
| Í | 2590 2590 | 44 | 45 | 44 | LT14## | FCC | DEFT/PROJECTION/ |
| ! | 2540 2540 | | 45 | | | FCC | 'FFT' |
| | 25A3 | 70 | 40 | 7 | LINES | EQU | # |
| | 25A3 | 57 | 41 | 4ħ | F 711P- | FCC | 'SAMPLE AVERAGE' |
| | 25B1 | | 49 | | | FCC | ' IS 2**' |
| H | 25B8 | 20 | 47 | 23 | LINE4 | EQU | 13 2** * |
| ما | 2588 | 43 | 49 | 57 | F711- | FCC | CIRCLES?' |
| <u> </u> | 25C0 | 75 | 47 | 34 | LINE6 | EQU | # |
| | 25C0 | 52 | 45 | 44 | F714F- | FCC | REFERENCE LENGTH' |
| | | | | | | FCC | /=2**5' |
| | 25D0 | 3D : | てつ | 74 | | | -/ |

| | 2505 | | | LINET | EQU | * |
|-----|------|-------|-----------|--------------|-----|---|
| i | 25D5 | 44 45 | 4C | | FCC | 'DELTA THETA≃-PI/' |
| 4 | 25E5 | 32 2A | 2A | | FCC | '2* *' |
| | 25E8 | | | LINES | EQU | * |
| | 25E8 | 52 45 | 46 | | FCC | 'REFERENCE TAG=' |
| • | 25F6 | | | LINE9 | EQU | * |
| | 25F6 | 53 49 | 47 | | FCC | 'SIGNATURE?" |
| | 2601 | | | LINE10 | EQU | * |
| 1 | 2601 | 43 4F | 52 | | FCC | 'CORRELATION' |
| 3 | 260C | | | LINE11 | EQU | * |
| ! | 260C | 43 4F | 4E | | FCC | 'CONTINUE? ' |
| - 2 | 2616 | | | XZERO | EQU | * |
| 1) | 2616 | OF 11 | | | FCB | \$F,\$11 3857 |
| | 2618 | | | YZERO | EQU | * |
| | 2618 | OD AA | | | FCB | \$D,\$AA 3498 |
| • | 261A | . — | | RVECT | EQU | * |
| . [| 261A | 07 2B | 07 | | FCB | \$7,\$2B,\$7,\$C8,\$8,\$72,\$9,\$2B |
| • | 2622 | 09 F4 | OA | | FCB | \$9,\$F4,\$A,\$CE,\$B,\$BA,\$C,\$BB |
| , | 262A | OD Di | 0E | | FCB | \$D,\$D1,\$E,\$FF,\$10,\$47,\$11,\$AB |
| | 2632 | 13 2E | 14 | | FCB | \$13,\$2E,\$14,\$D1,\$16,\$99,\$18,\$87 |
| 12 | 263A | 1A A0 | 10 | | FCB | \$1A,\$AO,\$1C,\$E6,\$1F,\$5F,\$22,\$B |
| 22 | 2642 | 24 F6 | 28 | | FCB | \$24,\$F6,\$28,\$1E,\$2B,\$8C,\$2F,\$45 |
| 23 | 264A | 33 4F | 37 | | FCB | \$33,\$4F,\$37,\$B1,\$3C,\$74,\$41,\$9E |
| 24 | 2652 | 47 3A | 4D | | FCB | \$47,\$3A,\$4D,\$50,\$53,\$EB,\$5B,\$17 |
| | 265A | | | | END | |

STATEMENTS =710

--- 4

FREE BYTES =16551

NO ERRORS DETECTED

| 1880 | | ORG | \$1880 |
|------|----------------|------------|--|
| 18B0 | BLKSF | RMB | 1 |
| 18B1 | H | RHB | i |
| 18B2 | TFLAG | RMB | 1 |
| 1883 | N | RMB | 2 |
| 1885 | | | 2 |
| | LE | RMB | |
| 1887 | ANGLE | RMB | 2 |
| 1889 | L | RMB | 1 2 |
| 18BA | LE1 | RMB | 2 |
| 18BC | THETA | RMB | 2 |
| 18BE | ī | RMB | 2 |
| 1800 | I | RMB | . Zana anakan kalan manakan kaban kalan kaba |
| 18C2 | BUT1R | RMB | 2 |
| 18C4 | BUT1I | RMB | 2 |
| 18C6 | BUT2R | RMB | 2 |
| 1808 | BUT2I | RMB | 2 |
| 18CA | IP | RMB | 2 |
| 18CC | II | RMB | 2 |
| 18CE | NV2 | RMB | 2 2 |
| 18D0 | NM1 | RMB | 2 |
| 18D2 | K | RHB | 2 |
| 1804 | JJ | RHB | 2 |
| 1806 | BSN | RMB | 2 |
| 1808 | POS | RMB | 2 |
| 18DA | NEG | RMB | 2 |
| 18DC | BSN1 | RMB | 2 |
| 1824 | | ORG | \$1824 |
| 1824 | COR1 | RMB | 1 |
| 1825 | COR2 | RHB | 1 |
| 1826 | COR3 | RMB | - 1 |
| 1827 | COR4 | RMB | |
| 1828 | DNUP1 | RMB | · - 1 |
| 1829 | DNUP2 | RMB | • |
| 182A | CORP | RMB | |
| 182B | COR10 | RMB | • |
| 1800 | CONTO | ORG | \$1800 |
| 1800 | CORS | RHB | The second secon |
| 1801 | CORA | RMB | 1 |
| 1802 | COR7 | RMB | 1 |
| | COR8 | RMB | |
| 1803 | | | 1 |
| 1804 | COR11 | RMB RMB | 4 |
| 1805 | COR12 COR13 | RMB | |
| 1806 | COR14 | RMB | 4 |
| 1807 | | | 4 |
| 1808 | COR15 | RMB | 1 |
| 1809 | CORIG | RMB | 1 |
| 180A | COR17 | RMB | 1 |
| 180B | COR18 | RMB | 1 |
| 1800 | CFLAG | RMB | 1 |
| 180D | COR19 | RMB | 2 |
| 180F | ITER | RHB | 1 |
| 1000 | | ORG | \$1000 |
| 1 | * | | TINE FFT |
| | * | | IMAG ALTERNATE IN STACK |
| · | * | | WITH A ACCUM=M FOR |
| | * | | FT# B=0 FOR FORWARD FFT# |
| | | | R INVERSE FFT |

| | 1000 1003 | 7F CE | 18 | BQ B1 | FFT | CLR LDX | BLKSF #M | |
|------------------|--------------|----------|------|-----------|---------------------------------------|-------------|--|--|
| 7 1. | 1006 | | 00 | | | STAA | 0 , X | н |
| 1. | 1008 | | 01 | | | STAB | 1,X | TFLAG |
| | 100A | | 01 | | | LDAB | #1 | |
| 1. | 100C | 40 | | | | INCA | | |
| | 100D | 40 | | | | INCA | - | * |
| \ | 100E | 00 | | | | CLC | | |
| | 100F | 6F | 02 | | | CLR | 2•X | |
| 15 | 1011 | 59 | | | F1 | ROLB | | |
| | 1012 | 24 | 04 | | | BCC | F2 | |
| 4 | 1014 | 6F | 03 | | | CLR | 3,X | |
| | 1016 | 05 |) | | | DEX | | The state of the second of the |
|)'.' | 1017 | 50 | ; | | | INCB | | |
| ` | 1018 | 46 | 1 | | F2 | DECA | | |
| 7.0 | 1019 | 26 | FA | | | BNE | F1 | |
|) ^[-] | 101B | E7 | , 03 | | | STAB | 3,X | N=2**(M+2) |
| + <u> </u> | 101D | | 18 | | | LDX | #M | |
| | 1020 | | 02 | | | LDAA | 2 • X | |
| | 1022 | | 03 | | | LDAB | 3,X | |
| | 1024 | 58 | | | | ASLB | | |
| 22 | 1025 | 49 | | | | ROLA | | |
|) [4] | 1026 | | 04 | | | STAA | 4,X | LE=2**(H+3) |
| 24 | 1028 | | 05 | | | STAB | 5,X | |
| , | 102A | | 00 | | | LDAA | 0 • X | |
|) · | 102C | | 80 | | | LDAB | #\$80 | |
| | 102E | | . 07 | | | CLR | 7,X | |
| '9 | 1030 | OC | | | | CLC | | |
|) • • | 1031 | 56 | | | F3 | RORB | | |
| 20 1 | 1032 | | 04 | | | BCC | F4 | |
| | 1034 | | 06 | | | CLR | 6,X | |
| | 1036 | 08 | | | | INX | | |
| : | 1037 | 54 | | | | RORB | | |
| | 1038 | 44 | - | | F4 | DECA | 67 | |
| افہ (ا | 1039 | | F6 | | | BNE | F3 | ANOLE-244/4E MV |
| 19 | 103B | | 06 | w | | STAB | 6,X | ANGLE=2**(15-M) |
| ; | | | 18 | B1 | | LDX | \$H | |
|) | 1040 | | 01 | | | TST | 1+X F4A | |
| | 1042 | 4F | OA | | | BGT CLRA | <u> </u> | FORWARD FFT |
| , | 1044 1045 | | | | | CLRB | | FUNWARD FFT |
| • | 1045 | 5F | 07 | | | SUBB | 7,X | |
| · - | 1048 | | 06 | | | SBCA | 3,X | |
| • | 104A | | 04 | | | STAA | 6+X | ANGLE=-ANGLE |
|) | 104G | | 07 | | | STAB | 7,X | mies mies |
| | 104E | | 01 | | F4A | LDAA | * 1 | |
| | 1050 | | 08 | | 1 711 | STAA | 8,X | |
| | 1052 | | 18 | 27 | F5 | LDX | N | MAIN LOOP |
| | 1052 | | 12 | | | JSR | BSCALE | |
| | 1058 | | 18 | | | ADDA | BLKSF | |
| ' <u>.</u> | 105B | | 18 | | | STAA | BLKSF | BLOCK FLOAT POINT SCALE F |
| 61 | 105E | | 18 | | | LDX | PLE | Taring and Lab |
| | 1061 | | 00 | | | LDAA | 0,X | |
| - | 1063 | | 01 | | | LDAB | 1 • X | |
| | 1065 | 44 | | | · · · · · · · · · · · · · · · · · · · | LSRA | The same of the sa | |
| | 1066 | 56 | | | | RORB | | |
| ١. | | | | | | ,,, | | |

| • | | | | | | | | |
|-------------|-------|----|-------|-------------|------|------------|--|--------------|
| | 1049 | | 01 | | STAB | 1,X | | |
| 11 | 106B | 44 | | | LSRA | | | |
| ļ | 106C | 56 | | | RORB | | | |
| ·i | 106D | | 05 | | STAA | 5,X | | |
|] | 106F | E7 | | | STAB | 6,X | LE1=LE/2 | |
| <u> </u> | 1071_ | | 02 | <u></u> | LDAA | 2,X | Province of the second of the control of the second of the | _ |
| | 1073 | | 03 | | LDAB | 3,X | | |
| ! | 1075 | 58 | | | ASLB | | | |
| | 1076 | 49 | | | ROLA | | | |
| 4 | 1077 | | 02 | | STAA | 2,X | ANGLE=2*ANGLE | • |
| | 1079 | | 03 | | STAB | 3,X | | |
| | 107B | | 07 | | CLR | 7.X | THETA=0 | |
| | 107D | | 08 | | CLR | 8,X | | |
| | 107F | | 09 | | CLR | 9•X | | |
| Ĺ | 1081 | | 04 | | LDAA | #4 | | |
| ,[| 1083 | AZ | OA | | STAA | 10D,X | J=4 | |
|] | 1085 | 30 | | F6 | TSX | | | |
| { | 1086 | 09 | | | DEX | | | |
| | 1087 | 09 | | | DEX | | | |
| | 1088 | | 18 C2 | | STX | BUT1R | | |
| | 108B | CE | 18 BE | | LDX | # J | | |
| | 108E | A6 | 00 | | LDAA | 0 • X | | |
| 4 | 1090 | E6 | 01 | | LDAB | 1,X | | |
| 4 | 1092 | A7 | 0E | | STAA | 14D•X | II=J | |
| | 1094 | | OF | | STAB | 15D,X | | |
| | 1096 | EB | | | ADDB | 5,X | | |
| | 1098 | A9 | | | ADCA | 4,X | | |
| | 109A | | 02 | | STAA | 2,X | I=J+STKPTR-1 | |
| | 109C | | 03 | | STAB | 3,X | | |
| | 109E | | 18 BA | F7 | LDX | #LE1 | | |
| | 10A1 | | 00 | | LDAA | 0,X | a para anggan panggan panggan (sa an milima sama) menggapan diberhaman di sebigai (sama) di anamah (sebigai ma | |
| | 10A3 | | 01 | | LDAB | 1,X | | |
| | 10A5 | EB | | | ADDB | 7,X | | |
| | 10A7 | | 06 | | ADCA | 6,X | | |
| i | 10A9 | | 10 | | STAA | 16D,X | IP=I+LE1 | |
| ì | 10AB | | 11 | | STAB | 17D•X | | |
| | 10AD | FF | 18 CO | | LDX | <u> </u> | BUTTERFLY | |
| | 10B0 | A6 | | | LDAA | Ō,X | | |
| | 10B0 | B7 | | | STAA | BUT1R | | |
| , | 1085 | A6 | | | LDAA | 1,X | | |
| 1 | 10B3 | | 18 C3 | | STAA | BUT1R+1 | | |
| r | 10B/ | | 02 | | LDAA | 2,X | | • |
| | 10BC | | 18 C4 | | STAA | BUT1I | | |
| | | | | | LDAA | 3,X | | |
| | 10BF | | 03 | | STAA | BUT1I+1 | | ~ |
| | 1001 | | 18 C5 | | LDX | IP | | |
| 1 | 1004 | | 18 CA | | LDA | 0,X | | |
| ĺ | 1007 | | 00 | | | | | |
| 1 | 1009 | | 18 C6 | | STAA | BUT2R | | |
| | TOCC | | 01 | | LDAA | 1,X | | |
| | 10CE | | 18 C7 | | STAA | BUT2R+1 | | |
| | 10D1 | | 02 | | LDAA | 2,X | | |
| | 10D3 | | 18 C8 | | STAA | BUT2I | | |
| 1 | 10D6 | | 03 | | LDAA | 3,X | | |
| | 1008 | | 18 C9 | | STAA | BUT2I+1 | | |
| | 10DB | | 18 C2 | | LDX | #BUTIR | | |
| | 10DE | | 00 | | LDAA | 0 · X | | |
| | 10E0 | | 01 | | LDAB | 1 • X | | |

| TOES ER 02 | ADDB | 5,X | |
|-----------------|--------|-----------------|--|
| 10E4 A9 04 | ADCA | | |
| 10E6 B7 18 24 | STAA | | |
| 10E9 F7 18 25 | STAB | | |
| 10EC A6 02 | LDAA | 2,X | |
| 10EE E6 03 | LDAB | 3,X | |
| 10F0 EB 07 | ADDB | 7,X | |
| 10F2 A9 06 | · ADCA | 6,X | |
| 10F4 B7 18 26 | STAA | COR3 | |
| _ 10F7 F7 18 27 | STAB | COR4 | |
| 10FA 7F 18 2A | CLR | CORT | |
| 10FD 7F 18 2B | CLR | COR10 | |
| 1100 BD 13 85 | JSR | ROT15 | |
| 1103 FE 18 CO | LDX | I | |
| 1106 B6 18 24 | LDAA | COR1 | |
| 1109 A7 00 | STAA | 0,X | |
| 110B B6 18 25 | LDAA | COR2 | |
| 110E A7 01 | STAA | 1,X | |
| 1110 B6 18 26 | LDAA | COR3 | |
| 1113 A7 02 | STAA | 2,X | |
| 1115 B6 18 27 | LDAA | COR4 | |
| 1118 A7 03 | STAA | 3,X | |
| 111A CE 18 C2 | LDX | #BUT1R | |
| 111D A6 00 | LDAA | 0,X | |
| 111F E6 01 | LDAB | | |
| 1121 EO 05 | SUBB | 5, X | |
| 1123 A2 04 | SBCA | 4,X | |
| 1125 B7 18 24 | STAA | CORI | |
| 1128 F7 18 25 | STAB | COR2 | |
| 112B A6 02 | LDAA | 2,X | |
| 1120 E6 03 | LDAB | 3,X | |
| 112F E0 07 | SUBB | 7,X | |
| 1131 A2 06 | SBCA | 6 • X | |
| 1133 B7 18 26 | STAA | COR3 | |
| 1136 F7 18 27 | STAB | COR4 | |
| 1139 FE 18 BC | LDX | THETA | |
| 113C FF 18 2A | STX | CORF | |
| 113F BD 13 85 | JSR | ROT15 | |
| 1142 FE 18 CA | LDX | IP | |
| 1145 86 18 24 | LDAA | CORI | |
| 1148 A7 00 | STAA | 0,X | |
| 114A B6 18 25 | LDAA | COR2 | |
| 1140 A7 01 | STAA | 1,X | |
| 114F B6 18 26 | LDAA | COR3 | |
| 1152 A7 02 | STAA | 2,X | |
| 1154 B6 18 27 | LDAA | COR4 | |
| 1157 A7 03 | STAA | 3,X | |
| 1159 CE 18 B3 | LDX | ₽N | |
| 115C A6 02 | LDAA | 2,X | |
| 115E E6 03 | LDAB | 3,X | |
| 1160 EB 0E | ADDB | 14D,X | |
| 1162 A9 OB | ADCA | 13D,X | |
| 1164 A7 OD | STAA | 13D,X | Tatale |
| 1166 E7 OE | STAB | 14D,X | I=I+LE |
| 1168 A6 02 | LDAA | 2,X | the control of the co |
| 116A E6 03 | LDAB | 3, X | The second secon |
| 116C EB 1A | ADDB | 26D,X | |
| | | ~ <i>UU</i> 7 A | |

| - [] | 116E | A9 | 19 | · | ADCA | 25D,X | |
|--------------|------|-----|----------|-------------|--------------|------------|--|
| D | 1170 | A7 | 19 | | STAA | 25D,X | II=II+LE |
| | 1172 | | 1A | | STAB | 26D•X | · · · · · · · · · · · · · · · · · · · |
| 1-1 | 1174 | | 01 | | SUBB | 1 • X | II-N |
| | 1176 | | 00 | | SBCA | 0 • X | |
| | 1178 | | 07 | | BLT | F7A | |
| | 117A | | 08 | | BGT | F8 | |
| | 117C | 5D | | | TSTB | | |
| | 1170 | | 02 | | BEQ | F7A | |
| 4 | 117F | | 03 | | BRA | F8 | |
| | 1181 | 7E | | F7A | JMP | F7 | |
| | 1184 | Aá | | F8 | LDAA | 9 . X | |
| , - | 1186 | | OA | | LDAB | 10D,X | and the second of the second o |
| | 1188 | EB | | | ADDB | 5,X | |
| | 118A | | 04 | | ADCA | 4,X | |
| | 118C | | 09 | ···· | STAA | 9,X | THETA=THETA+ANGLE |
| | 118E | E7 | | | STAB | 10D,X | ING IN-ING INTRIOCE |
| | | | | | LDAA | 11D,X | |
| •1 | 1190 | | OB | | | | |
| | 1192 | | 30 | | LDAB ADDB | 12D+X | |
| | 1194 | CB | | | | *0 | |
| | 1196 | | 00 0B | | ADCA | | J=J+ 4 |
| _ ! | 1198 | | | | STAA | 11D,X | J=JT4 |
| ₽ ¦ | 119A | | 0C | | STAB | 12B,X | . 1 24 |
| ,'1 | 119C | E0 | | | SUBB | 8,X | J-LE1 |
| _ | 119E | | 07 | | SBCA | 7•X | |
| | 11A0 | | 07 | | BLT | F8A | |
| | 11A2 | | 08 | | BGT | F9 | |
| _ ! | 11A4 | 5D | | | TSTB | EDA | |
| | 11A5 | | 02 | | BEQ | F8A | |
| , M | 11A7 | | 03 | | BRA | F9 | ALCOHOLOGIC TO COMPANY TO A COMPANY TO SERVE THE PROPERTY OF T |
| _ = | 11A9 | | 10 85 | F8A | JMP | F4 | 1 -1 14 |
| D | 11AC | 6C | | F7 | INC | 6•X | L=L+1 |
| , , | 11AE | | 06 | | LDAA | 6,X | |
| _ 14 | 11B0 | | 18 B1 | | SUBA | M | L-M |
| | 1183 | | 03 | | BGT | F9A | |
| 4 | 1185 | | 10 52 | | JMP | F5 | |
| | 11B8 | | 00 | F9A | LDAA | 0,X | BIT REVERSAL |
| | 11BA | | 01 | | LDAB | 1 • X | |
| | 11BC | 47 | | | ASRA | | |
| | 11BD | 56 | | | RORB | | |
| A | 11BE | | 1 B | | STAA | 27D,X | NV2=N/2 |
| | 1100 | | 1C | | STAB | 28D.X | e de la composition della comp |
| ~ . | 1102 | | 00 | | LDAA | 0,X | |
| | 11C4 | | 01 | | LDAB | 1 • X | |
| - | 1106 | | 04 | | SUBB | #4 | |
| 1 | 11C8 | | 00 | | SBCA | ‡ 0 | |
| | 11CA | | 1 D | | STAA | 29D,X | NM1=N-4 |
| — ∦ | 11CC | | 1E | | STAB | 30D,X | |
| | 11CE | 6F | 21 | | CLR | 33D,X | |
| | 11D0 | | 04 | | LDAA | #4 | |
| – | 11D2 | | 22 | | STAA | 34D,X | JJ=4 |
| B2 | 1104 | | 19 | | CLR | 25D,X | |
| 61 | 11D6 | | 1A | | STAA | 26D,X | II=4 |
| امغ 🍑 | 1108 | 30 | | | TSX | | |
| ' | 1109 | -08 | | | INX | | |
| • | 11DA | 08 | | | INX | | |
| ₩ | 1108 | | 18 CO | | STX | I | I=STKPTR+3 |
| | | | | | | | |

| ــــــغ | IIDE | FF 18 | BE | | STX | | J≠I |
|-------------------|------|-------|-----------|-------------|----------------------|----------------|----------------|
| 1 | 11E1 | CE 18 | | E10 | | J | J-1 |
| .i | 11E4 | A6 06 | DH | F10 | LDX | #LE1 | |
| ` | 11E6 | E6 07 | | | LDAA | | |
| 'l | | | | | LDAB | 7 · X | I-J |
| | 11E8 | E0 05 | | • | SUBB | 5•X | 1-3 |
| L | 11EA | A2 04 | | | SBCA | 4 • X | |
| : 1 | 11EC | 2C 4A | 20 | • | BGE | F11 | |
| Ì | 11EE | | BE | • | LDX | j | |
| | 11F1 | A6 00 | | | LDAA | 0 • X | |
| † | 11F3 | B7 18 | C2 | | STAA | BUT1R | |
| | 11F6 | A6 01 | | | LDAA | 1,X | |
| | 11F8 | B7 18 | <u>C3</u> | | STAA | BUT1R+1 | |
| : | 11FB | A6 02 | | | LDAA | 2,X | |
| i | 11FD | B7 18 | C4 | | STAA | BUT1I | |
| L | 1200 | A6 03 | | | LDAA | 3,X | |
| | 1202 | B7 18 | | | STAA | BUT1I+1 | |
| 1 | 1205 | FE 18 | CO | | LDX | I | |
| | 1208 | A6 00 | | | LDAA | 0 • X | |
| | 120A | E6 01 | | | LDAB | 1,X | |
| ! | 120C | FE 18 | BE | | LDX | J | |
| | 120F | A7 00 | | | STAA | 0 + X | |
| | 1211 | E7 01 | | | STAB | 1 • X | |
| | 1213 | FE 18 | CO | | LDX | Ī | |
| | 1216 | A6 02 | | | LDAA | 2,X | |
| | 1218 | E6 03 | | | LDAB | 3,X | |
| 4 | 121A | | ÐΕ | | LDX | J | |
| i. | 1210 | A7 02 | | | STAA | 2,X | |
| | 121F | E7 03 | | | STAB | 3, X | |
| l | 1221 | | CO | | LDX | I | |
| , | 1224 | B6 18 | | | LDAA | BUT1R | |
| | 1227 | A7 00 | | | STAA | 0,X | |
| t | 1229 | B6 18 | C3 | | LDAA | BUT1R+1 | |
| ; | 122C | A7 01 | | | STAA | 1,X | |
| <u> </u> | 122E | B6 18 | CA | | LDAA | BUTII | |
| İ | 1231 | A7 02 | ₩ 7 | | STAA | 2,X | |
| | 1233 | B6 18 | CE | | LDAA | BUT1I+1 | |
| · | 1235 | A7 03 | | | STAA | 3,X | |
| | | | BA | F11 | LDX | ♦LE1 | |
| • | 1238 | A6 14 | PH | FAA | LDA | 20D,X | |
| | 123B | | | | LDAB | | |
| 34 | 123D | E6 15 | | | STAA | 21D,X 24D,X | K=NV2 |
| 1 | 123F | A7 18 | | | STAB | | N=N∨∠ |
| - | 1241 | E7 19 | | E T | | 25D,X | |
| | 1243 | EO 18 | | F12 | SUBB | 27D,X | K-JJ |
| | 1245 | A2 1A | | | SBCA | 26D,X | |
| | 1247 | 2C 24 | | | BGE | F13 | |
| 1 | 1249 | A6 04 | | | LDAA | 4,X | |
| 1 | 124B | E6 05 | | | LDAB | 5,X | |
| | 124D | E0 19 | | | SUBB | 25D,X | |
| , | 124F | A2 18 | | | SBCA | 24D,X | |
| | 1251 | A7 04 | | | STAA | 4,X | ノ=J-K |
| · • | 1253 | E7 05 | | = | STAB | 5,X | |
| | 1255 | A6 1A | | | LDAA | 26D,X | |
| 1 | 1257 | E6 1B | | | LDAB | 27D•X | |
| | 1259 | E0 19 | | | SUBB | 25D•X | |
| | 1258 | A2 18 | | | SBCA | 24D+X | |
| | | | | | CTAA | A/8 V | 1 1 1 1 |
| | 125D | A7 1A | | | STA A Stab | 26D•X | リリ= リード |

| 3 E 5 4 | 6 1 | | | LDAA | 24D,X | |
|---|--|--|---|---|--|--|
| 5 4 | | | | LDAB | 25D,X | |
| | 17 | | | ASRA | | |
| 7 4 | 54 | | | RORB | | |
| , , | 7 18 | 3 | | STAA | 24D,X | K=K/2 |
| | 7 19 | | | STAB | 25D,X | |
| | 20 D | | | BRA | F12 | AND THE RESIDENCE OF THE PARTY |
| | 16 04 | | F13 | LDAA | 4,X | |
| FE | 6 0 | 5 | | LDAB | 5,X | |
| | | | | ADDB | 25D,X | |
| 3 A | 9 18 | 3 | | ADCA | 24D,X | |
| 5 A | 17 04 | 4 | | STAA | 4+X | J=J+K |
| 7 E | 7 0 | 5 | | STAB | 5,X | |
| 9 A | 16 06 | 5 | | LDAA | 6+X | |
| B E | 6 07 | 7 | | LDAB | 7+X | |
| D C | B 04 | + | | ADDB | ‡ 4 | |
| F 8 | 9 00 |) | | ADCA | # 0 | |
| 1 A | 7 06 | 5 | | STAA | 4.X | I=I+4 |
| 3 E | 7 07 | 7 | | STAB | | |
| 5 A | 16 16 | 4 | | LDAA | 26D,X | |
| 7 E | 6 11 | 3 | | LDAB | | |
| | B 15 | • | | ADDB | 25D,X | |
| B A | 9 18 | 3 | | ADCA | 24D•X | |
| D A | 7 16 | 4 | | STAA | 26D,X | JJ=JJ+K |
| FE | 7 11 | 3 | | STAB | 27D,X | |
| 1 A | 6 12 | 2 | | LDAA | 18D,X | |
| 3 E | 6 13 | 5 | | | 19D.X | |
| 5 C | B 04 | 1 | | ADDB | ‡ 4 | |
| 78 | 9 00 | , | | ADCA | ‡ 0 | |
| 9 A | 7 12 | 2 | | STAA | 18D•X | II=II+4 |
| | | | | STAB | 19D.X | The first manner of the second |
| | | | | SUBB | 23D,X | II-NM1 |
| | | | | SBCA | 22D•X | |
| | | | | BLT | F15 | |
| | | Š | | BGT | F14 | |
| | | ··· | | TSTB | | |
| | | 1 | | BEQ | F15 | |
| B 3 | 9 | | F14 | RTS | | |
| | F 11 | L E1 | F15 | JHP | F10 | |
| アファファ 30000000000000000000000000000000000 | 71 E A A E A E A E A E A E A E A E A E A | 71 EB 1973 A9 18 1975 A7 04 06 07 B E6 07 07 B E6 18 19 18 19 EB 19 18 19 EB 1 | 71 EB 19 73 A9 18 75 A7 04 77 E7 05 79 A6 06 78 E6 07 70 CB 04 77 89 00 11 A7 06 13 E7 07 105 A6 1A 107 E6 1B 109 EB 19 108 A9 18 109 EB 19 109 A7 1A 109 E7 13 109 E7 13 | 71 EB 19 73 A9 18 75 A7 04 77 E7 05 79 A6 06 78 E6 07 70 CB 04 77 89 00 71 A7 06 73 E7 07 75 A6 1A 77 E6 1B 79 EB 19 78 A9 18 78 E7 18 78 E7 18 78 E7 18 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 12 79 E8 13 70 E8 13 70 | 71 EB 19 73 A9 18 ADDB 75 A7 04 STAB 77 E7 05 STAB 79 A6 06 LDAB 78 E6 07 LDAB 78 89 00 ADCA 78 89 00 ADCA 78 61 A7 06 STAB 79 A6 1A LDAB 79 E8 19 ADDB 79 E8 19 ADDB 79 E8 19 ADDB 70 E8 18 ADDB 70 E | ## ADDB |

| . ['] | | | | - | | INE BSCALE |
|--|------|------|------|-------------|------|--|
| | | | | | | LING OF DATA IN STACK |
| | | | | <u>*</u> | | CONSISTS OF N/2, 2 BYTE |
| • | | | | * | | ENTER WITH N IN X REG. |
| • | | | | * | | BLOCK SCALE FACTOR IN A REG. |
| • | 12AC | | 8 D6 | BSCALE | STX | BSN |
| | 12AF | | 8 DC | | STX | BSN1 |
| 13 | 12B2 | | 0 00 | | LDX | #0 |
| 1, | 1285 | | 8 D8 | | STX | POS |
| ۱۵ | 1288 | | FFF | | LDX | #SFFFF |
| | 12BB | | 8 DA | | STX | NEG |
| 2 | 12BE | 30 | | BS1 | TSX | |
| | 12BF | 98 | | | INX | |
| 4 | 1200 | 08 | | | INX | |
| <u> </u> | 12C1 | 08 | | BS1A | INX | |
| 18 | 12C2 | 08 | _ | | INX | |
| [17] | 1203 | E6 0 | | | LDAB | 1,X |
| • | 1205 | A6 0 | | | LDAA | 0,X |
| | 1207 | 28 0 | | | BMI | B\$2 |
| . ! | 1209 | BA 1 | | | ORAA | POS |
| 2. | 12CC | | 8 D9 | | ORAB | POS+1 |
| 22 | 12CF | | 8 D8 | | STAA | POS |
| 23 | 12D2 | | 8 D9 | | STAB | POS+1 |
| 24 | 1205 | 20 0 | | | BRA | BSO |
| . 5 | 1207 | | 8 DA | BS2 | ANDA | NEG |
|) | 12DA | | 8 DB | | ANDB | NEG+1 |
| | 12DD | | 8 DA | | STAA | NEG |
| | 12E0 | F7 1 | | | STAB | NEG+1 |
|) | 12E3 | | 8 D6 | BSO | LDAA | BSN |
| 30 | 12E6 | | 8 D7 | | LDAB | BSN+1 |
| 11 | 12E9 | COO | | | SUBB | \$2 |
|) . | 12EB | 82 0 | | | SBCA | #0 |
| \\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\ | 12ED | | 8 D6 | | STAA | BSN |
| 34 | 12F0 | | 8 D7 | | STAB | BSN+1 |
| العد (| 12F3 | 2E C | C | | BGT | BS1A |
| 4 | 12F5 | 5D | | | TSTB | |
| · · · | 12F6 | 26 C | 9 | | BNE | BSIA |
|) ['] • | 12F8 | B6 1 | 8 DA | | LDAA | NEG |
| | 12FB | | B DB | | LDAB | NEG+1 |
| • 31 | 12FE | CE 0 | 0 00 | | LDX | \$ 0 |
| 11 | 1301 | 58 | | BS4 | ASLB | |
| 100 | 1302 | 49 | | | ROLA | |
| | 1303 | 24 0 | 3 | | BCC | BS5 |
| ** | 1305 | 08 | | | INX | |
| | 1306 | 20 F | 9 | | BRA | BS4 |
| 14 | 1308 | 09 | | BS5 | DEX | |
|) • 1 | 1309 | 09 | | | DEX | |
| 14 | 130A | FF 1 | 8 DA | | STX | NEG |
| 1 | 130D | B6 1 | 8 D8 | | LDAA | POS |
|) | 1310 | F6 1 | 8 D9 | | LDAB | P0S+1 |
| | 1313 | CE 0 | 0 00 | | LDX | # 0 |
| 92] | 1316 | OD | | | SEC | |
| , <u>b</u> | 1317 | 59 | | | ROLB | |
| 50 | 1318 | 20 0 | 1 | | BRA | BS6A |
| | 131A | 58 | | B96 | ASLB | The state of the s |
|). | 1318 | 49 | | BSAA | ROLA | |
| | 131C | 25 0 | 3 | | BCS | BS7 |

| 131E | 06 | | | • | INX | | |
|----------|----|----|--------------|------|--------------|---------------|--------------------|
| 131F | | F | • | | BRA | BS4 | |
| 1321 | 05 | | | BS7 | DEX | | |
| 1322 | 05 | | | | DEX | | |
| 1323 | | 11 | | | STX | POS | |
| 1326 | CE | | | | LDX | #POS | ** |
| 1329 | | 0 | | | LDAB | 1 • X | |
| 132B | | 0; | | | SUBB | 3,X | |
| 132D | | 0 | | | BHI | BS8 | |
| 132F | | 0 | | | LDAA | 3,X | |
| 1331 | | 0 | | | STAA | 1 • X | |
| 1333 | 6I | | | BS8 | TST | 1 • X | POS+1=SCALE FACTOR |
| 1335 | | 0 | 2 | | BNE | BS9 | |
| 1337 | 4F | | | | CLRA | | |
| 1338 | 39 | | | | RTS | | BLOCK 8.F.=0 |
| 1339 | 30 | | | BS9 | TSX | | |
| 133A | 90 | | | | INX | | |
| 133B | 08 | | | | INX | | |
| 133C | 0E | | | BS9A | INX | | SCALE DATA |
| 133D | 08 | | | | INX | | |
| 133E | | 1 | | | LDAA | POS+1 | |
| 1341 | | 1 | | | BMI | BS11 | |
| 1343 | | | 3 D8 | | STAA | POS | |
| 1346 | | 0 | | | LDAA | 0 • X | |
| 1348 | | 0 | Ĺ | | LDAB | 1,X | |
| 134A | 58 | | | BS10 | ASLB | | |
| 134B | 45 | | | | ROLA | | |
| 134C | | | 3 D8 | | DEC | POS | |
| 134F | | F | | | BGT | BS10 | |
| 1351 | | 0 | | | BRA | BS12 | |
| 1353 | | 0 | | BS11 | LDAA | 0 , X | |
| 1355 | | 0 | L | | LDAB | 1 • X | |
| 1357 | 47 | | | | ASRA | | |
| 1358 | 56 | | | 2010 | RORB | A V | |
| 1359 | | 00 | | BS12 | STAA | 0,X | |
| 135B | | 0 | | | STAB | 1,X | |
| 135D | Bá | | DC | | LDAA | BSN1 | |
| 1360 | | | g DD | | LDAB | BSN1+1 | |
| 1363 | | 0: | | | SUBB | \$2 \$0 | |
| 1365 | | 0 | | | SBCA STAA | BSN1 | |
| 1367 | | | 3 DC 3 DD | | STAB | BSN1+1 | |
| 136A | | 11 | | | BGT | BS9A | |
| 136D | | C | , | | TSTB | 907M | |
| 136F | 50 | | | | | DCDA | |
| 1370 | | C | | | BNE | BS9A POS+1 | |
| 1372 | | | 3 D9 | | LDAA RTS | PUSTI | |
| 1375 | 39 | 7 | | | V12 | | |

| | | | • | * | 000000 | A1 000 5 5 4 11 4 | 1750 1750AT10NG |
|------------|--------------|------------------|----|---|--------------|-------------------|--|
| `} | 1374 | - A - A - E | | # ************************************ | | | ITER ITERATIONS VECTOR: 15 ITERATIONS |
|] | 1376 | 86 OF 87 18 | ۸F | VECT15 | LDAA STAA | #15D ITER | AFCIOK! 12 LIEKHITOWS |
| J | 137g | | | HECT | | COR9 | VECTOR: ITER ITERATIONS |
| | 1378 | _7F 18 _7F 18 | | VECT | CLR CLR | COR10 | VECTOR: TIER TIERRITURS |
| , i | 1381 | 86 01 | 25 | | LDAA | #1 | |
| | 1383 | 20 07 | | • | BRA | LCORO | |
| 4 | 1385 | 86 OF | | ROT15 | LDAA | ₱15D | ROTATION: 15 ITERATIONS |
| į | 1387 | B7 18 | OF | K0113 | STAA | ITER | NOTHI LONG 20 LIENNI 2010 |
| 2 | 138A | 86 80 | VI | ROT | LDAA | #\$80 | ROTATION: ITER ITERATION |
| - | 1386 | | D9 | LCORO | LDX | *DLO | |
| •: | 138F | FF 18 | | LUUNU | STX | COR19 | |
| Ì | 1393 | CE 18 | | | LDX | ♦COR5 | |
| • | 1395 | A7 OC | | | STAA | \$C,X | |
| 4 | 1397 | A6 2A | | | LDAA | \$2A,X | |
| • | 1399 | A7 0A | | | STAA | \$A,X | |
| 7 | 1398 | 6F OB | | ···· | CLR | \$B,X | |
| | 139B | A6 24 | | | LDAA | \$24.X | |
| · | 139F | E6 25 | | | LDAB | \$25,X | |
| 2 | 13A1 | BD 14 | 91 | | JSR | SCALE | |
| 2 | 13A4 | A7 00 | | | STAA | 0 • X | |
| ┥ | 1344 | A6 26 | | | LDAA | \$26 • X | |
| 5 | 13A8 | E6 27 | | | LDAB | \$27,X | and the second of the second o |
| t. | 1344 | BD 14 | 91 | | JSR | SCALE | |
| | 13AB | A7 01 | | | STAA | 1 • X | |
| 4 | 13AF | A6 00 | | | LDAA | 0 • X | |
| 9 | 13B1 | A4 01 | | | ANDA | 1 • X | |
| o | 13B3 | A7 01 | | | STAA | 1,X | |
| • | 1389 | 27 OC | | | BEQ | LCORI | |
| • | 13B7 | A6 25 | | | LDAA | \$25,X | |
| ` <u> </u> | 1389 | A7 24 | | | STAA | \$24.X | |
| " | 138B 138D | 6F 25 | | | CLR | \$25.X | |
| 3 | 138F | A6 27 | | | LDAA | \$27,X | |
| 4 | 1301 | A7 26 | | | STAA | \$26,X | |
| | 1363 | 6F 27 | | | CLR | \$27.X | |
| • | 1305 | 6F 02 | | LCOR1 | CLR | 2 • X | |
| · | 1307 | 6F 03 | | | CLR | 3 • X | |
| | 1309 | 6F 08 | | | CLR | 8,X 9,X | |
|). Izi | 13CB | 6F 09 | | | CLR | | |
| · | 1300 | 6F 28 | | | CLR | \$28,X | |
| | 13CF | 84 E0 | | | LDAA ANDA | \$24,X \$\$E0 | |
| | 13D1 | 2C 01 | | | BGE | LCOR2 | |
| j | 1303 | 43 | | | COMA | LUNZ | |
| pat | 13D4 | E6 26 | | LCOR2 | LDAB | \$26+X | |
| | 13D4 | C4 E0 | | | ANDB | #\$E0 | |
| | 1308 | 20 01 | | | BGE | LCOR3 | |
| , | 13DA | 53 | | | COMB | | |
| 1.1 | 13DB | E7 29 | | LCOR3 | STAB | \$29,X | |
| | 1300 | टंड ठा | | | LDAB | 81 | |
| u | 13DF | E7 00 | | | STAB | 0,X | |
| 4 | 13E1 | AA 29 | | | ORAA | \$29.X | |
| | 13E3 | 27 05 | | | BEQ | LCOR3A | The many of the common section of the common |
| • | 1365 | BD 14 | | | JSR | DOWN2 | |
| | 13E9 | 6A 00 | | | DEC | 0,X | |

The second secon

| 13EA | 6F | 04 | | LCOR3A | CLR | 4,X | |
|-------------------|----------|----------|------------|-------------|------|---------------|--|
| 13EC | | OF | | | LDAA | \$F,X | |
| 13EE | | 05 | | | STAA | 5,X | |
| 13F0 | | | 32 | | LDX | *CTABLE | |
| 13F3 | | 18 | | | STX | COR13 | |
| 13F6 | | | | LCOR4 | LDX | COR13 | MAIN LOOP |
| 13F0_ 13F9 | | 00 18 | VO. | LCUR. | LDA | 0+X | TIMAN LUUP |
| 13FB | | 01 | | | LDAB | 1,X | |
| | | ΛŢ | | | | 470 | |
| 13FD | <u> </u> | | | | INX | | |
| 13FE | 08 | | Λ4 | | | C0047 | |
| 13FF | | 18 | | | STX | COR13 | |
| 1402 | | 18 | OD | | LDX | COR19 | المنتسب المساوية المساوية المساوية المساوية |
| 1405 | 08 | | | | INX | | |
| 1406 | 08 | | | | INX | | |
| 1407 | | | OD | | STX | COR19 | |
| 140A | | | 00 | | LDX | #COR5 | |
| 140D | | 14 | AB | | JSR | TSTCFL | |
| 1410 | | 03 | | | BGE | LCOR5 | |
| 1412 | | 14 | A4 | | JSR | COMP | |
| 1415 | | 2B | | LCOR5 | ADDB | \$2B,X | |
| 1417 | | 2A | | | ADCA | \$2A,X | |
| 1419 | | 2A | | | STAA | \$2A,X | |
| 141B | | 2B | | | STAB | \$2B,X | THETA DONE |
| 141D | A6 | 26 | | | LDAA | \$26,X | |
| 141F | | 27 | | | LDAB | \$27.X | |
| 1421 | | 14 | | | JSR | TSTCFL | |
| 1424 | | 03 | | | BGE | LCOR6 | |
| 1426 | | 14 | A4 | | JSR | COMP | |
| 1429 | | | D 5 | LCOR6 | JSR | DOWN | |
| 142C | | | 00 | | LDX | #COR5 | |
| 142F | | 03 | | | ADDB | 3,X | THE RELEASE CONTRACTOR CONTRACTOR IN CONTRACTOR OF THE PROPERTY OF THE PROPERT |
| 1431 | | 02 | | | ADCA | 2,X | |
| 1433 | | 02 | | | STAA | 2,X | |
| 1435 | | 03 | | | STAB | 3,X | X DONE |
| 1437 | | 24 | | | LDAA | \$24,X | |
| 1439 | | 25 | | | LDAB | \$25,X | |
| 143B | | 14 | ΔŔ | | JSR | TSTCFL | |
| 143E | | 03 | , | | BLT | LCORT | |
| 1440 | | 14 | ΔΔ | | JSR | COMP | |
| 1443 | | | | LCORT | JSR | DOWN | |
| 1446 | | | 00 | 2011/ | LDX | ‡COR 5 | |
| 1449 | | 09 | ~~ | | ADDB | 9,X | |
| 1448 | | 08 | | | ADCA | 8,X | |
| 144D | | 26 | | | STAA | \$26,X | |
| | | | | | STAB | \$27.X | Y DONE |
| 144F | | 27 | | | | | 1 DURE |
| 1451 | | 2A | | | LDAA | \$2A,X | |
| 1453 | | OA | | | STAA | \$A,X | |
| 1455 | | 05 | | | DEC | 5.X | and the second s |
| 1457 | | 02 | | | LDX | 2,X | |
| 1459 | | 18 | | | STX | COR1 | |
| 145C | | | 26 | | LDX | COR3 | |
| 145F | | | 08 | | STX | CORIS | |
| 1462 | | | 05 | | LDAA | COR12 | |
| 1465 | | 8F | | | BNE | LCOR4 | |
| 1467 | CE | 18 | 00 | | LDX | ♦COR5 | |
| 146A | 6D | 00 | | | TST | 0 • X | |
| 146C | | 03 | | | BEQ | LCORB | |

| · | 146E | BU 14 BC | | JSR | DOWN2 |
|-------------|------|----------|-------------|---------|---|
| | 1471 | 6D 01 | LCOR8 | TST | 1,X |
| | 1473 | 27 1B | LCONG | BEQ | LCOR12 |
| | 1475 | A6 24 | | LDAA | \$24,X |
| | 1477 | A7 25 | | STAA | \$25,X |
| | 1479 | 2A 06 | | BPL | LCOR9 |
| | 147B | 86 FF | · _··· | LDAA | ##FF |
| | 147D | A7 24 | | STAA | \$24,X |
| | 147F | 20 02 | | BRA | LCOR10 |
| | 1481 | 6F 24 | LCOR9 | CLR | \$24,X |
| 1 | 1483 | A6 26 | LCOR10 | LDAA | \$26,X |
| | | | LCORIO | | |
| | 1485 | A7 27 | | STAA | \$27,X |
| | 1487 | 2A 05 | | BPL | LCOR11 |
| | 1489 | 86 FF | | LDAA | ##FF |
| | 148B | A7 26 | | STAA | \$26.X |
| | 148D | 39 | | RTS | |
| | 148E | 6F 26 | LCOR11 | CLR | \$26,X |
| | 1490 | 39 | LCOR12 | RTS | |
| | | | * | | |
| | | | * | | DECOM E CADED TO A |
| | | | * | | RESCALE FACTOR IN A |
| | 1491 | 4D | SCALE | TSTA | 1.007 |
| | 1492 | 27 07 | | BEQ | LSC3 |
| | 1494 | 43 | | COMA | T-22 |
| | 1495 | 27 03 | | BEQ | LSC2 |
| | 1497 | 86 00 | LSC1 | LDAA | \$0 |
| | 1499 | 39 | | RTS | |
| | 149A | 50 | LSC2 | NEGB | |
| | 149B | C4 80 | LSC3 | ANDB | **80 |
| | 149D | 27 02 | | BEQ | LSC4 |
| | 149F | 20 F6 | | BRA | LSC1 |
| | 14A1 | 86 01 | LSC4 | LDAA | #1 |
| | 14A3 | 39 | | RTS | |
| | | | * | | |
| | | | * | DETUDNO | DIO DOMO THIA D |
| | | | # | | 2'S COMP IN A.B |
| | 1444 | 50 | COMP | NEGB | 1.004 |
| | 14A5 | 25 02 | | BCS | LCP1 |
| | 14A7 | 40 | | NEGA | |
| | 14A8 | 39 | | RTS | |
| | 14A9 | 43 | LCP1 | COMA | |
| | 14AA | 39 | | RTS | |
| | | | * | | |
| | | | * | | |
| | | | * | | CONDITION CODE REGISTOR STATE |
| | 14AB | 6D OC | TSTCFL | TST | \$C,X |
| | 14AD | 2E 0A | | BGT | LT2 |
| | 14AF | 6D OA | | TST | \$A,X |
| | 14B1 | 2C 03 | | BGE | LT1 |
| | 14B3 | 6D OB | | TST | \$B,X |
| | 14B5 | 39 | | RTS | |
| | 14B6 | 6D OC | LT1 | TST | \$C,X |
| | 1488 | 39 | | RTS | |
| | 14B9 | 6D 26 | LT2 | TST | \$26,X |
| | 14BB | 39 | | RTS | u take med etti o tit muses van saaraan kahen ja meemist aa tiineel vii |
| | | | • | | |
| | | | * | | |

| | 14BC | A6 2 | 24 DOWN2 | LDAA | \$24,X |
|----------------|-------|----------|--|--------------|--|
| | 14BE | E6 2 | | LDAB | \$25,X |
| i : | 14C0 | 47 | - | ASRA | |
| | 14C1 | 56 | معاملته بد سپيمين ديايت، اياد بدر ادبي | RORB | |
| , | 14C2 | 47 | | ASRA | |
| ا | | | | RORB | |
| <u> </u> | 1403 | 56 | N A | | 424.V |
| , , | 1404 | A7 2 | | STAA | \$24,X |
| | 1406 | | 25 | STAB | \$25,X |
| *, | 1408 | A6_2 | | LDAA | \$26,X |
| 3 | 14CA | E6 2 | ! 7 | LDAB | \$27.X |
| " | 14CC | 47 | | ASRA | |
| <u>'</u> | 14CB | 56 | | RORB | and the second of the second o |
| i | 4 405 | A-7 | | ACDA | |
| | 14CE | 47 54 | | ASRA RORB | |
| 1 | 14CF | 56 |) 4 | | 474.V |
| 2 | 14D0 | A7 2 | | STAA | \$26+X |
| } | 1402 | E7 2 | ./ | STAB | \$27•X |
| ·L | 14D4 | 39 | 48- | RTS | |
| | | | * | | |
| | | | * | RETHING | A.B SCALED DOWN 2**-(1-2) BITS |
| , | 14D5 | EE 0 | D DOWN | LDX | \$D,X |
| 2 <u>1</u> | | | | | |
| 4 .1 | 14D7 | 6E 0 | | JMP | 0 , X |
| ·• | 14B9 | | E DLO | BRA | DL8 |
| 3 | 14DB | 39 | | RTS | |
| | 14DC | 39 | | RTS | |
| | 14DD | 39 | ~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~ | RTS | |
| 1 | 14DE | 39 | | RTS | |
| 1 | 14DF | 20 2 | | BRA | DL7 |
| 41 | 14E1 | 20 2 | | BRA | DL6 |
| | 14E3 | 20 1 | | BRA | DL5 |
| | 14E5 | 20 1 | | BRA | DL4 |
| 4 | 14E7 | 20 1 | | BRA | DL3 |
| 4 | 14E9 | 20 1 | | BRA | DL2 |
| s | 14EB | 20 0 | | BRA | DL1 |
| 의 러 | 14ED | 20 1 | | BRA | DL9 |
| 1 | 14EF | 20 1 | | BRA | DL11 |
| | | 20 1 | | | DL12 |
| | 14F1 | | | BRA | |
| | 14F3 | 20 2 | | BRA | DL13 |
| 1 | 14F5 | 20 2 | | BRA | DL14 |
| : | 14F7 | 20 2 | | BRA | DL15 |
| • | 14F9 | 20 2 | | BRA | DL16 |
| | 14FB | 47 | DL1 | ASRA | The second secon |
| | 14FC | 56 | | RORB | |
| | 14FD | 47 | DL2 | ASRA | |
| , | 14FE | 56 | | RORB | |
| . [| 14FF | 47 | DL3 | ASRA | |
| · } | 1500 | 56 | | RORB | |
| : | 1501 | 47 | DL4 | ASRA | |
| • | | | DL4 | | |
| | 1502 | 56 | a | RORB | |
| | 1503 | 47 | DL5 | ASRA | |
| | 1504 | 56 | | RORB | |
| 1 | 1505 | 47 | DL6 | ASRA | |
| ⊷İ | 1506 | 56 | | RORB | |
| | 1507 | 47 | DL7 | ASRA | <u></u> |
| | 1508 | 56 | | RORB | |
| | | | DL8 | | |
| | 1509 | 39 | 111 💌 | RTS | |

| 14 | 150A | 8D IE | DL9 | BSR | SWITCH |
|------------|------|---------|-------------|------|---|
| | 150C | 39 | DL10 | RTS | |
| | | | | | |
| Ĺ | 150B | 8D 1B | DL11 | BSR | SWITCH |
| | 150F | 20 17 | | BRA | DL22 |
| 31 | 1511 | 8D 17 | DL12 | BSR | SWITCH |
| i.i | 1513 | | | BRA | DL21 |
| ·L | | | | | · - · · · · · · · · · · · · · · · · · · |
| | 1515 | 8D 13 | DL13 | BSR | SWITCH |
| •: | 1517 | 20 OD | | BRA | DL20 |
| | 1519 | 8D OF | DL14 | BSR | SWITCH |
| - | 151B | 20 08 | | BRA | DL19 |
| 7 | | | 51.45 | | |
| | 151D | BD OB | DL15 | BSR | SWITCH |
| 4 | 151F | 20 03 | | BRA | DL18 |
| | 1521 | 8D 07 | DL16 | BSR | SWITCH |
| | 1523 | 57 | - | ASRB | |
| | | | 21.40 | | |
| | 1524 | 57 | DL18 | ASRB | |
| 4 | 1525 | 57 | DL19 | ASRB | |
| 1 | 1526 | 57 | DL20 | ASRB | |
| 41 | 1527 | 57 | DL21 | ASRB | |
| | 1528 | 57 | DL22 | ASRB | |
| | | | DLEE | | |
| | 1529 | 39 | | RTS | |
| : | | | * | | |
| 2. | 152A | 16 | SWITCH | TAB | |
| . 11 | 152B | 2A 03 | | BPL | SW1 |
| | | 86 FF | | | #\$FF |
| ′*1 | 152D | | | LDAA | *** |
| | 152F | 39 | | RTS | |
| | 1530 | 4F | SW1 | CLRA | |
| : , | 1531 | 39 | | RTS | |
| 4 | | | # | | |
| | 1670 | | CTABLE | EQU | * |
| 1 | 1532 | | CIRPLE | | · |
| :ol | 1532 | 40 00 | | FCB | \$40,0 |
| , | 1534 | 20 00 | | FCB | \$20.0 |
| | 1536 | 12 E4 | | FCB | \$12,9E4 |
| | 1538 | 09 FB | | FCB | 9,\$FB |
| ——— | | | | FCB | 5,811 |
| 541 | 153A | 05 11 | | | |
| : | 153C | 02 8B | | FCB | 2,\$8B |
| aj. | 153E | 01 46 | | FCB | 1,\$46 |
| | 1540 | 00 A3 | | FCB | 0,\$A3 |
| | 1542 | 00 51 | | FCB | 0,651 |
| | | | | | |
| | 1544 | 00 29 | | FCB | 0,\$29 |
| • | 1546 | 00 14 | | FCB | 0,814 |
| • | 1548 | 00 OA | | FCB | 0,\$A |
| .1 | 154A | 00 05 | | FCB | 0,5 |
| | 154C | - 00 03 | | FCB | 0,3 |
| • | | | | | |
| | 154E | 00 01 | | FCB | 0,1 |
| | 4554 | 00 01 | | FCB | 0,1 |
| | 1550 | 00 01 | | END | |

STATEMENTS =762

FREE BYTES =16485

NA RE DETECTED

| • | | | | | |
|--------------|--------|---------------|--------------|----------|--|
| | 1800 | | | ORG | \$1800 |
| | 1800 | | TEMP1 | RMB | 1 |
| [:1 | 1801 | | TEHP2 | RMB | 1 |
| 1. | 1802 | | TEMP3 | RMB | 1 |
| | 1803 | | TEMP4 | RMB | ī |
| | 1804 | | TEMP5 | RMB | 1 |
| 1 | 1805 | | TEMP6 | RMB | The state of the s |
| .1 | 1806 | | BCD1 | RMB | ī |
| | 1807 | | BCD2 | RMB | |
| 1, | 1808 | | CTR | RMB | 1 |
| :1 | 1809 | | CTR1 | RMB | 1 |
| · , | 1824 | | CIRI | ORG | - |
| 1 | | · | | RMB | \$1824 |
| | 1824 | | COR1 COR2 | | ቆ 1 |
| ' | 1825 | | | RMB | . |
| 1 | 1826 | | COR3 | RMB | |
| 1 2 | 1827 | | COR4 | RMB | 3 |
| 11 | 182A | | CORP | RMB | 1 |
| 11 | 182B | | COR10 | RMB | 5 |
| | 1830 | | UII | RMB | 1 |
| 1 | 1831 | | UI2 | RMB | 1 |
| | 1832 | | VJ1 | RMB | 1 |
| 221 | 1833 | | VJ2 | RMB | 2 |
|) +4 | 1835 | | DTIME | RMB | 8 |
| .4 | 183D | | NSAMP | RMB | |
| | 183E | | LOGS | RMB | 16 |
| 1 | 184E | | STACK1 | RMB | 1 |
| _ | 184F | | STACK2 | RMB | 1 |
| 4 | 1850 | | PUSHST | RMB | 1 |
| ** | 18A1 | | | ORG | \$18A1 |
| , 1 | 18A1 | | SIGNI | RMB | 1 |
| , | 18A2 | | SIGNO | RMB | 1 |
|). | 18EC | | | ORG . | \$18EC |
| | 18EC | | I | RMB | 1 |
| 14 | 18ED | | P | RMB | 2 |
| [a] | 18EF | | THETA | RMB | 4 |
| 4 | 18F3 | | PHI | RMB | 2 |
| | 18FF | | • • • | ORG | \$18FF |
| 1 | 18FF | | INT | RMB | 4 |
| - | 1903 | | 51 | RMB | 8 |
| | 190B | | 52 | RMB | 8 |
| | 1913 | | 53 | RMB | 8 |
|) ••: | 191B | | AVG | RMB | 6 |
| · | 8000 | | HATH | EQU | \$8000 |
| | 330F | | SYNDET | EQU | \$330F |
| ' | 33B8 | | MUXSEL | EQU | \$33B8 |
| | 1376 | | VECT15 | EQU | \$1376 |
| 1 | 2700 | | 450113 | ORG | \$2700 |
| ا | 2700 | | • | | TINE RCORR |
| 7 | | | | | ATION OF TWO REAL SEQUENCES |
| | | | # | | S1,S2,S3 FLOAT PT NS. |
| 1 | | | T | PCC!MIII | LATE IN EXTERNAL LOOP; ENTER AT RCORRI |
| 1 | | | | | TS TO CURRENT SAMPLE |
| b ! | | | # _ | | AT RCORR2 TO COMPUTE S1/(S2*S3)**0.5 |
| 53 | | | # 0000001 | | |
| P. | | FF 18 00 | RCORR1 | STX | TEMP1 |
| _ | | A6 00 | | LDAA | 0,x |
| | つフハモ ! | E6 01 | | LDAB | 1,X |
|) | | BD 28 7E | | JSR | PUSH82 |

| [| 270A | | 18 | 00 | | LDX | TEMP1 | |
|-------------|---------------|-----|----------|-----------|-----------------|------|----------------|--|
| ' ' | 270D | | 02 | | | LDAA | 2,X | |
|], | 270F | | 03 | | | LDAB | 3,X | |
|]· [| 2711 | | 28 | Æ | | JSR | PUSH82 | |
| • | 2714 | 86 | | | | LDAA | #1 | |
| • | 2716 | | 2A | | | JSR | MATH1 | X(I)*Y(I) |
| | 2719 | | 19 | | | LDX | # 51 | |
| | 271C | | 28 | 64 | | JSR | PUSH88 | |
| i* | 271F | | 06 | | | LDAA | \$ 6 | |
| 10 | 2721 | | 80 | | | JSR | HATH | S1=S1+X(I)*Y(I) |
| i 1 | 2724 | | 19 | | | LDX | \$ \$1 | |
| 13 | 2727 | | 28 | | | JSR | PULL8 | |
| ' | 272A | | 18 | 00 | | LDX | TEMP1 | |
| <u> </u> | 272D | | 00 | | | LDAA | 0 • X | |
| 15 | 272F | | 01 | | | LDAB | 1,X | |
| 1.0 | 2731 | | 28 | | | JSR | PUSH82 | |
| <u>}</u> ,, | 2734 | | 18 | 00 | | LDX | TEMP1 | |
| 'B | 2737 | | 00 | | | LDAA | 0,X | |
| 9 | 2739 | | 01 | | | LDAB | 1,X | |
| l. : | 273B | | 28 | Æ | | JSR | PUSH82 | |
| | 273E | 86 | | | | LDAA | \$1 | |
| 22 | 2740 | | 2A | | | JSR | MATH1 | X(I)*X(I) |
| 23 | 2743 | | 19 | | | LDX | ♦52 | |
| 74 | 2746 | | 28 | 64 | | JSR | PUSH 88 | |
| -51 | 2749 | | 06 | | | LDAA | #6 | AA AA AA AA AA AA AA AA AA AA AA AA AA |
| [.• 13 | 274B | | 80 | | | JSR | HATH | S2=S2+X(I)*X(I) |
| ; <u> </u> | 274E | | 19 | | | LDX | \$ \$2 | |
| | 2751 | | 28 | | | JSR | PULL8 | |
| 79 | 2754 | | 18 | 00 | | LDX | TEMP1 | |
| 30 | 2757 | | 02 | | | LDAA | 2,X | |
| ن | 2759 | | 03 | | | LDAB | 3,X | |
| 2. | 275B | | 28 | | | JSR | PUSH82 | |
| 13, | 275E | | 18 | 00 | ,, , | LDX | TEMP1 | |
| 14 | 2761 | | 02 | | | LDAA | 2,X | |
| 13 | 2763 | | 03 | | | LDAB | 3,X | |
| 4 | 2765 | | 28 | 7E | | JSR | PUSH82 | |
| | 2768 | | 01 | | | LDAA | \$1 | W/T1#W/F1 |
| | 276A | | | EB | | JSR | MATH1 | Y(I)*Y(I) |
| | 276D | | 19 | | | LDX | #S3 | |
| 402 | 2770 | | 28 | 64 | | JSR | FUSH88 | |
| 1 | 2773 | | 06 | | | LDAA | \$6 | AT_V/T\&Y/T\ |
| انه. | 2775 | | 80 | | | JSR | MATH | S3=Y(I)*Y(I) |
| . 1 | 2778 | | 19 | | | LDX | #53 | • |
| | 277B | | 28 | 4A | | JSR | PULL8 | |
| , | 277E | 39 | | - <u></u> | | RTS | | · |
| 44 | 277F | | 19 | | RCORR2 | LDX | \$ \$2 | |
| !• | 2782 | | 28 | | | JSR | PUSH88 | |
| 4 | 2785 | | 19 | | | LDX | #93 | |
| | 2788 | | 28 | 64 | | JSR | PUSHEE | |
| · *, | 278B | | 01 | | | LDAA | #1 | 00407 |
| ا الأ | 278D | | 2A | | | JSR | MATH1 | S2 * S3 |
| 82 83 | 2790 | | 19 | | | LDX | \$ \$2 | |
| 20 | 2793 | | 28 | | | JSR | PULL8 | 555W |
| <u>,,</u> | 2796 | | 19 | | | LDX | 52 | COPY |
| `SS. | 2799 | | 19 | | | STX | S3 | |
| | 77 9 C | E E | 10 | Λħ | | LDX | S2+2 | |
| · · | 279C 279F | | 19 19 | | • | STX | S3+2 | |

| • | | | | | | | |
|------------|--------------|------|----------------|----------|---------------|--------------|--|
| | 27A2 | | 9 OF | | LDX | S2+4 | |
| | 27A5 | | 9 17 | | STX | 53+4 | |
| | 27A8 | | 9 11 | <u> </u> | LDX | 92+6 | |
| } | 27AB | | 9 19 | | STX | 53+6 | |
| | 27AE | | 19 1A | | LDA | S3+7 | EXP |
| ·L | 27B1 | 47 | : <u></u> | | ASFA | | |
| ! | 2782 | | 9 1A | | STA | 93+7 | 83=INITIAL ITERATE |
| | 27B5 | |)A | | LDA | #10D | |
| | 27B7 | | 18 00 | | STA | TEMP1 | |
| * | 27BA | | 9 08 | RC1 | LDY — | ♦ 52 | |
| | 27BD | | 28 64 | | JS ₽ | PUSH88 | |
| " | 2700 | | 19 13 | | LDY | \$ 53 | |
| | 2703 | | 28 64 | | JSP | PUSH88 | |
| | 2706 | | 22 | | LDA | \$2 | |
| · | 2708 | | 30 00 | | JS₽ LD% — | MATH | X=92/93 |
| 6] | 27CB | | 19 13 | | JSF | \$53 | |
| | 27CE | | 28 64 | | | PUSH88 | |
| <u></u> | 27D1 | 86 (| | | LD64 | #6 | |
| • | 2703 | | 30 00 | | JSR TSX | MATH | X=X+53 |
| | 2706 | 30 | \ → | | DEÇ | 5 W | |
| | 27D7 27D9 | 6A (| 19 13 | | LD) - | 7,X | X=0.5X |
| 1 | 27DC | | 19 13 28 4A | | JS ₽ | # \$3 | |
| 의 | 27DF | | 18 00 | | DEÇ | PULL8 | |
| "} | 27UF | | 18 00 | | BNE | TEMP1 | |
| > | 27E4 | | 19 03 | | LDX | RC1 | COULDE DOOT DOVE |
| • | 27E7 | | 28 64 | | JS# | #S1 | SQUARE ROOT DONE |
| · | 27EA | | 19 13 | | LDy — | PUSH88 | |
| .aj | 27ED | | 28 64 | | JS# | #S3 | |
| | 27ED | | 02 | | LD64 | PUSH88 | |
| <u>-</u> ! | 27F2 | | 30 00 | | JSF | #2 MATH | |
| 1 | 27F2 27F5 | | 19 03 | | LD | MATH | |
| | 27F8 | | 28 4A | | JSF | ∳S1 PULL8 | C1-C1//C7+071++A # |
| | 27FB | | 19 0A | | LD44 | S1+7 | S1=S1/(S2*S3)**0.5 |
| | 27FE | 2E | | | BGT | RC4 | |
| N | 2800 | 50 | - | | NELS | NUT | |
| | 2801 | | 19 03 | | LDY | #S1 | THE COLUMN TWO IS NOT THE OWN THE PARTY OF T |
| | 2804 | 5D | | RC2 | TS 13 | 431 | FLOAT TO FIX |
| | 2805 | 27 | 17 | | BEG | RC3 | I DON'T TO TAX |
| , | 2807 | A6 (| | | LDFa - | 0,X | |
| • | 2809 | 47 | - - | | ASM | VIA | |
| 421 | 280A | A7 (| 00 | | STH | 0 , X | |
| | 280C | -A6 | | | LD66 | - ĭ,ŷ | |
| | 280E | 46 | | | ROF. | | |
| | 280F | A7 (| 01 | | STA | 1 • X | |
| ·al | 2811 | A6 (| | | LDre | 2,X | |
| | 2813 | 46 | - - | | ROF | | |
| -4 | 2814 | A7 (| 02 | | STA | 2,X | |
| | 2816 | A6 | | | LDG | 3,X = | • |
| | 2818 | 46 | - - | | ROF | U/ A | |
| | 2819 | A7 (| 03 | | STA | 3,X | |
| 82 | 2818 | 5A | | | DEG - | 374 | |
| 51) | 281C | 20 (| E6 | | BR+ | RC2 | |
| eni Eni | 281E | | 19 03 | RC3 | LDs | # S1 | |
| | 2821 | 4F | | | CLA | 401 | |
| | 2822 | | 28 C9 | | JSF | PUSH44 | |
| | 2022 | | ~ ~ / | | - | アレンハサラ | |
| | 2825 | 86 | | | LDis | ##DC | |

| . ; | 2827 | 36 | | | | PSHA | | ************************************** |
|--------------|--|--|----------------------|-------------|-------------|--|---------------|--|
| į | 2828 | 84 | 46 | | | LDAA | ##46 | |
| | 282A | 36 | _ | | | PSHA | | |
| | 282B | 86 | 03 | | | LDAA | \$\$03 | |
| | 282D | 36 | | | | PSHA | | |
| <u></u> | 282E | 4F | | | | CLRA | | |
| | 282F | 36 | | | • | PSHA | | SF=65536*32768/10000 |
| | 2830 | 86 | | | - | LDAA | #9 | |
| | 2832 | | 80 | | | JSR | MATH | SCALE FOR BCD |
| 4 | 2835 | | 19 | 03 | | LDX | \$ \$1 | |
| 1 | 2838 | 4F | | | | CLRA | | |
| 1 | 2839 | | 28 | | | JSR | PULL4 | |
| i | 283C | | 19 | | | LDX | S1+2 | |
| .{ | 283F | | 18 | 02 | | STX | TEMP3 | |
| | 2842 | 39 | | | | RTS | | |
| • | 2843 | | 27 | | RC4 | LDX | #\$270F | EXP>0 |
| 4 | 2846 | | 18 | 02 | | STX | TEMP3 | |
| | 2849 | 39 | | | | RTS | | |
| ! | | | | | * | | | |
| , | | | | | * | | TINE PULLS | |
| | | | | | * | | FLOATING PT N | |
| 1 | | | | | * | | TS TO MSB | |
| 1 | 284A | 33 | | . – | PULL8 | PULB | A# 4 # 4 4 | |
| · | 284B | | 18 | 4E | | STAB | STACK1 | |
| | 284E | 33 | | | | PULB | ATARKA | |
| • | 284F | | 18 | 4F | | STAB | STACK2 | |
| | 2852 | C6 | 08 | | - KB | LDAB | \$8 | |
| 4 | 2854 | 32 | ^^ | | P8 | PULA | Λ. V | |
| 29 | 2855 | A7 | 00 | | | STAA | 0 • X | |
| ol | 2857 | 08 | | | | INX | | |
| 1 | 2858 | 5A 26 | FO | | • | DECB BNE | P8 | |
| | 2859 | | | AF | | LDAB | STACK2 | |
| u | 2858 | | 18 | 47 | | PSHB | 31 HURZ | |
| (4) (4) | 285E | 37 | 10 | AF | | LDAB | STACK1 | |
| i | 285F | | 18 | 75 | | PSHB | JINUNI | |
| 7 | 2862 2863 | 37 39 | | | | RTS | | |
| | £003 | J7 | | | * | | | |
| | • | | | | * | SUBROW | TINE PUSH88 | |
| | | | | | * | | N FLOATING PT | N ON STACK |
| • 1 | | | | | * | | TS TO MSB | |
| -21 | 2864 | 33 | | | PUSH88 | PULB | . = | |
| | 2865 | | 18 | 4E | | STAB | STACKI | |
| | 2868 | 33 | | | | PULB | - · · | |
| | _ | | 19 | 4F | | STAB | STACK2 | |
| 41 | 2849 | F / | | | | | | |
| 4: | 2869 286C | | | | | LDAB | \$8 | |
| 4: | 286C | C6 | 08 | | P8 8 | FDAA FDAB | #8 7:X | |
| 41 | 286C 286E | C6 A6 | 08 | | P88 | | | |
| 4: | 284C 284E 2870 | C6 A6 36 | 08 | | P88 | LDAA PSHA | | |
| 4: | 286C 286E 2870 2871 | C6 A6 36 09 | 08 | | P88 | LDAA PSHA DEX | | |
| 41 | 286C 286E 2870 2871 2872 | C6 A6 36 09 5A | 08 07 | | P88 | LDAA PSHA DEX DECB | 7,X | |
| 41 | 286C 286E 2870 2871 2872 2873 | C6 A6 36 09 5A 26 | 08 07 F9 | | P88 | LDAA PSHA DEX DECB BNE | 7,X P88 | |
| 40 | 286C 286E 2870 2871 2872 2873 2875 | C6 A6 36 07 5A 26 F6 | 08 07 | | P88 | LDAA PSHA DEX DECB | 7,X | |
| 41 | 286C 286E 2870 2871 2872 2873 2875 2878 | C6 A6 36 09 5A 26 F6 37 | 08 07 F9 18 | 4F | P88 | LDAA PSHA DEX DECB BNE LDAB PSHB | P88 STACK2 | · |
| 41 | 286C 286E 2870 2871 2872 2873 2875 2878 2879 | C6 A6 36 09 5A 26 F6 37 F6 | 08 07 F9 | 4F | P88 | LDAA PSHA DEX DECB BNE LDAB PSHB LDAB | 7,X P88 | |
| 41 | 286C 286E 2870 2871 2872 2873 2875 2878 | C6 A6 36 09 5A 26 F6 37 | 08 07 F9 18 | 4F | P88 | LDAA PSHA DEX DECB BNE LDAB PSHB | P88 STACK2 | |

The state of the s

| | | | | * | SUBROUTINE PUSH82 PUSHES 2 BYTE NUMBER ON STACK |
|-------------|--------------|----------|------------|---------------------------------------|---|
| | | | | . | CONVERTS TO FLOAT |
| | | | | <u> </u> | MSB IN A, LSB IN B |
| | 287E | F7 1 | 18 50 | PUSH82 | |
| | 2881 | 33 | | | PULB |
| | 2882 | | 18 4E | | STAB STACK1 |
| | 2885 | 33 | . J 76 | | PULB |
| | 2886 | | 18 4F | | STAB STACK2 |
| | 2889 | 5F | | | CLRB |
| | 288A | 37 | | | PSHB |
| | 2888 | 37 | | | PSHB |
| | 288C | 37 | | | PSHB |
| | 288D | 37 | | | PSHB |
| | 288E | 37 | | | PSHB |
| | 288F | 37 | | | PSHB |
| | 2890 | | 18 50 | | LDAB PUSHST |
| | 2893 | 37 | _ • | | PSHB |
| | 2894 | 36 | | | PSHA |
| | 2895 | 86 (| 07 | | LDAA #7 |
| | 2897 | | 90 00 | | JSR MATH NFPN |
| | 289A | | 18 4F | | LDAB STACK2 |
| | 289D | 37 | | | PSHB |
| | 289E | | 18 4E | | LDAB STACK1_ |
| | 28A1 | 37 | | - | PSHB |
| | 28A2 | 39 | | | RTS |
| | | | | * | |
| | | | | * | SUBROUTINE PULL4 |
| | | | | * | PULLS 4 BYTES OFF STACK |
| | | | | * * * * * * * * * * * * * * * * * * * | STORES MSB IN X+A |
| | 28A3 | 33 | | PULL4 | PULB |
| | 28A4 | | 18 4E | | STAR STACK1 |
| | 28A7 | 33 | | | PULB |
| | 28A8 | | 18 4F | | STAB STACK2 |
| | 28AB 28AC | 4D | 5 4 | | TSTA BEQ LP42 |
| | 28AE | 27 (| / <u>a</u> | LP41 | INX |
| | 28AF | 08 4A | | FL41 | DECA |
| | 28B0 | 27 (| 12 | | BEQ LP42 |
| | 28B2 | 20 1 | | | BRA LP41 |
| | 28B4 | 32 | - | LP42 | PULA |
| | 28B5 | A7 (| 00 | | STAA 0.X |
| | 2887 | -32 - | | | PULÁ |
| | 2888 | A7 (| 51 | | STAA 1,X |
| | 28BA | 32 | - - | | PULA |
| | 2888 | A7 (| 02 | | STAA 2,X |
| | 28BD | 32 | | | PULA |
| | 28BE | A7 (| 20 | | STAA 3.X |
| | 28CO | | 18 4F | | LDAB STACK2 |
| | 28C3 | 37 | •• | | PSHB |
| | 28C4 | | 18 4E | | LDAB STACK1 |
| | | 37 | | | PSHB |
| | 2808 | 39 | | | RTS |
| | | | | * | |
| | | | | * | SUBROUTINE PUSH44 |
| | | | | * | PUSHES 4 BYTE NUMBER ONTO STACK |
| | | | | _ | MSB IN X+A |

| <u>*</u> | 7060 | | PUSH44 | PULB | |
|------------------|------|------------|--------------|----------|--|
| | 28C9 | 33 | | | DTACK! |
|) | 28CA | F7 18 | 42 | STAB | STACK1 |
| 3 | 28CD | 33 | | PULB | A THE RESERVE TO THE |
| 1.1 | 28CE | F7 18 | 4F | STAB | STACK2 |
| [4] | 28D1 | 4D | | TSTA | |
| []•] | 28D2 | 27 06 | | BEQ | LP442 |
| , | 28D4 | 08 | LP441 | INX | • |
| | 28D5 | 4A | | DECA | |
| | 28D6 | 27 02 | | BEQ | LP442 |
| | 2808 | 20 FA | ··· | BRA | LP441 |
| | 28DA | A6 03 | LP442 | LDAA | 3,X |
| 7 [.,] | 28DC | 36 | _, | PSHA | |
| 17 | 28DD | A6 02 | | LDAA | 2,X |
| 1 | 28DF | 36 VZ | | PSHA | 478 |
| | | | | | 1.0 |
| J | 28E0 | A6 01 | | LDAA | 1,X |
| [•] | 28E2 | 36 | | PSHA | A W |
| | 28E3 | A6 00 | | LDAA | 0,X |
| | 28E5 | 36 | | PSHA | |
| 6 | 28E6 | F6 18 | 4F | LDAB | STACK2 |
| 14 | 28E9 | 37 | | PSHB | |
| 2 | 28EA | F6 18 | 4E | LDAB | STACK1 |
| 22 | 28ED | 37 | | PSHB | |
| 21 | 28EE | 39 | | RTS | |
| 24 | | | * | | |
| \ <u>.</u> | | | | SUBROU | TINE PUSH41 |
| | | | * | | 4 BYTE NUMBER ONTO STACK |
| j.,, | • | | • | | YTES ARE SIGN BITS |
| | | | | | WITH LS BYTE IN A REG |
| . (J | 28EF | 33 | PUSH41 | PULB | WITH ED DITE IN H NEO |
| ,] | 28F0 | | | STAB | STACK1 |
| | | F7 18 | <u> 46</u> | | SINUNI |
| ٦. | 28F3 | 33 | ^ - | PULB | OTACKO |
| 1 22 | 28F4 | F7 18 | 47 | STAB | STACK2 |
|) I | 28F7 | 36 | | PSHA | |
| 124 | 28F8 | 48 | | ASLA | 1.8444 |
|) - 4 | 28F9 | 24 04 | | BCC | LP411 |
| 36 | 28FB | 86 FF | | LDAA | #SFF NEGATIVE |
| | 28FD | 20 01 | | BRA | LP412 |
| | 28FF | 4F | LP411 | CLRA | POSITIVE |
| | 2900 | 36 | LP412 | PSHA | |
| 4.4 | 2901 | 36 | | PSHA | |
| | 2902 | 36 | | PSHA | |
| 7 : 47] | 2903 | F6 18 | 4F | LDAB | STACK2 |
| | 2908 | 37 | | PSHB | and the second s |
| | 2907 | F6 18 | 4E | LDAB | STACK1 |
| 7 (| 290A | 37 | | PSHB | _ · · · - · · - |
| 1 | 290B | 39 | | RTS | |
| | 2700 | J , | * | | |
|) jj | | | . | GIIBBUII | TINE PUSH42 |
| i*** | | | | | 4 BYTE NUMBER ONTO STACK |
| - | | | T | | |
|) [7] | | | # | | YTER ARE SIGN BITS |
| js | | | * | | WITH LS BYTE IN B, NEXT LS BYTER IN A |
| B 2 | 290C | F7 18 | 50 PUSH42 | STAB | PUSHST |
| ba | 290F | 33 | | PUL B | |
| 5 4 | 2910 | F7 18 | 4E | STAB | STACK1 |
| [] h | 2913 | 33 | | PULB | in the time of the committee of the particle of the committee of the commi |
| ٠, | 2914 | F7 18 | 4F | STAB | STACK2 |
| 7 | 2917 | F6 18 | | LDAB | PUSHST |
| <u> </u> | 271/ | 10 10 | <u> </u> | FNUD | I GALL |
| | | | | | |

| | 291A | 37 | | | | PSHB | | |
|-------------|--------------|------------|-------|-----|-------------|---------|------------------|--|
|) | 291B | 36 | | | | PSHA | | |
| , Yi | 291C | 48 | | | | ASLA | | |
| 1. | 291D | | 04 | | | BCC | LP421 | |
| 15 | 291F | 86 | FF | | | LDAA | # \$FF | NEGATIVE |
| ´ [.] | 2921 | | 01 | | | BRA | LP422 | |
| 1 | 2923 | 4F | - 7.5 | | LP421 | CLRA | | POSITIVE |
| | 2924 | 36 | | | LP422 | PSHA | | |
| 1. | 2925 | 36 | | | | PSHA | | |
| | 2926 | | 18 | 4F | | LDAB | STACK2 | |
| | 2929 | 37 | | •• | | PSHB | | |
| ,, | 292A | | 18 | AF | | LDAB | STACK1 | |
| ! ! | 292D | ~ 37 | | | | PSHB | | * * * * · · · · · · · · · · · · · · · · |
| 1. | 292E | 39 | | | | RTS | | |
| 7 | 2/25 | 3, | | | • | N/0 | | |
| 1 | | | | | * | CHERNIT | INE TRAPIN | |
| | | | | | * | | IDAL INTEGRATION | |
| 7 , | 292F | E 4 | 18 | 50 | TRAPIN | LDAB | P | |
| " | 2932 | | 19 | | T1 | LDAA | INT+3 | |
| i | 2732 2935 | | 18 | | 1.4 | ADDA | COR2 | |
| J . | | | | | | | | |
| · | 2938 | | 19 | | | STAA | INT+3 | |
| 21 | 293B | | 19 | _ | | LDAA | INT+2 | |
| -1 | 293E | | | 24 | | ADCA | COR1 | |
| 7* | 2941 | | 19 | | | STAA | INT+2 | |
| . ' | 2944 | | 19 | 00 | | LDAA | INT+1 | |
| | 2947 | | 00 | ^^ | | ADCA | * 0 | |
| , | 2949 | | 19 | | · | STAA | INT+1 | |
| 29 | 294C | | 18 | FF | | LDAA | INT | |
|) | 294F | | 00 | | | ADCA | #0 | |
| 10 | 2951 | | 18 | FF_ | | STAA | INT | |
| | 2954 | 5D | | | | TSTB | | |
|) | 2955 | | 03 | | | BEQ | T2 | |
| | 2957 | <u>5A</u> | = == | | | DECB | | |
| 4 | 2958 | | DB | | | BRA | 71 | |
| * | 295A | | 01 | | T2 | LDAA | \$1 | |
| '4 | 295C | | 18 | ED | | STAA | <u>P</u> | |
| | 295F | 39 | | | | RTS | | |
| | | | | | * | | | |
| | | | | | . <u>*</u> | | INE TRAPFX | |
| • | | | | | * | | AMPLE: TRAP INT | |
| | 2960 | | 02 | | TRAPFX | LDAA | \$2 | |
| 42' | 2962 | | 29 | | | JSR | DELAY1 | |
| | 2965 | | 2A | | | JSR | RDDEFT | |
|) | 2968 | | 13 | | | JSR | VECT15 | |
| , | 296B | | 18 | | | CLR | P | |
| , 4 | 296E | | 29 | | | JSR | TRAPIN | |
| | 2971 | | 18 | FF | | LDX | #INT | |
| •• | 2974 | | 21 | | | LDAA | \$21 • X | And the second of the second o |
| | 2976 | | 03 | | | ADDA | 3,X | |
| • | 2978 | | 21 | | | STAA | \$21 · X | |
| 1 | 297A | | 20 | | | LDAA | \$20,X | |
| P. | 297C | | 02 | | | ADCA | 2.X | |
| ادم | 297E | | 20 | | | STAA | \$20,X | |
| - | 2980 | A6 | 1F | _ | | LDAA | 91F • X | |
| | 2982 | A9 | 01 | | | ADCA | 1,X | - |
| | 2984 | | 1F | | | STAA | \$1F,X | |
| • | 2707 | 77 | 1 | | | | | |
| 7 | 2986 | | 1E | | | LDAA | \$1E,X | |

| 1 | 2988 | A9 | 00 | | | ADCA | 0,X |
|----------------------------|--|---|--|--|--------|---|--|
| à ' | 298A | A7 | 1E | | | STAA | \$1E,X |
| | 298C | | 1D | | | LDAA | \$1D,X |
| 1. | 298E | | 00 | | | ADCA | * 0 |
| | 2990 | | 1 D | | | STAA | \$1D•X |
| | 2992 | | 10 | | | LDAA | \$1C,X |
| \° | | | | | | | |
| i t | 2994 | | 00 | | | ADCA | ‡0 |
|) | 2996 | | 1C | | | STAA | \$1C,X |
| · | 2998 | 39 | | | | RTS | |
| | | | | | * | | |
| 11.1 | | | | | * | | INE DELAY1 |
| -2 | | | | | * | 9.996MS | *DTIME DELAY |
| 1. | 2999 | B6 | 18 | 35 | DELAY1 | LDAA | DTIME |
|) . | 299C | 4D | | | D1 | TSTA | |
| 11 | 299D | 27 | 05 | | | BEQ | D2 |
| | 299F | | 04 | | | BSR | DELAY |
| J] | 29A1 | 4A | V - V | | | DECA | arts to TT T |
| 1.1 | 29A2 | | F8 | | | BRA | Di |
| | 29A4 | 39 | <u> </u> | | D2 | RTS | |
| , | 2744 | 37 | | | _ | KIS | |
| 1 - | | | | | * | | ************************************** |
| · | | | | | * | | INE DELAY |
| 22 | 29A5 | | 02 | CA | DELAY | LDX | #\$2CA |
|):i | 29A8 | 09 | | | LDY1 | DEX | |
| 74 | 29A9 | | 02 | | | BEQ | LDY2 |
| | 29AB | 20 | FB | | | BRA | LDY1 |
|) ['] - | 29AD | 39 | | | LDY2 | RTS | |
| 1, 3 | | | | | * | | |
| 20 | | | | | * | SUBROUT | INE BISBCD |
| 39 | | | | | * | POSITIV | E BINARY IN TEMP3, TEMP4 |
| 30 | | | | | * | | BCD IN BCD1, BCD2 |
| 1 1 | 29AE | 7 F | 18 | 06 | BISBCD | CLR | BCD1 |
| | | | | | | CLR | BCD2 |
| ٠. | | | 18 | | | | |
|) | 29B1 | 7 F | 18 | •• | | | |
| <u> </u> | 29B1 29B4 | 7F 86 | 10 | | | LDAA | ♦16D |
| 151 <u>1</u> 141 141 | 29B1 29B4 29B6 | 7F 86 87 | 10 | 09 | | LDAA STAA | #16D CTR1 |
| | 29B1 29B4 29B6 29B9 | 7F 86 B7 BF | 10 18 18 | 09 04 | | STAA STS | #16D CTR1 TEMP5 |
| | 2981 2984 2986 2989 2980 | 7F 86 87 8F 8E | 10 18 18 18 | 09 04 01 | | STAA STS LDS | #16D CTR1 TEMP5 #TEMP3-1 |
| | 2981 2984 2986 2989 2980 2980 | 7F 86 87 8F 8E | 10 18 18 19 08 | 09 04 01 | LBIB1 | LDAA STAA STS LDS LDAA | #16D CTR1 TEMP5 #TEMP3-1 #8D |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 | 7F 86 B7 BF 8E 86 B7 | 10 18 18 18 | 09 04 01 | LBIB1 | STAA STS LDS LDAA STAA | #16D CTR1 TEMP5 #TEMP3-1 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 | 7F 86 87 8F 8E 86 87 33 | 10 18 18 19 08 | 09 04 01 | | STAA STS LDS LDAA STAA PULB | #16D CTR1 TEMP5 #TEMP3-1 #8D |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 | 7F 86 B7 BF 8E 86 B7 33 | 10 18 18 19 08 18 | 09 04 01 | LBIB1 | LDAA STAA STS LDS LDAA STAA PULB ASLB | #16D CTR1 TEMP5 #TEMP3-1 #8D CTR |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 | 7F 86 B7 BF 8E 86 B7 33 58 24 | 10 18 18 18 08 18 | 09 04 01 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC | #16D CTRI TEMP5 #TEMP3-1 #8D CTR |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 | 7F 86 87 8E 86 87 33 58 24 86 | 10 18 18 18 08 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA | 7F 86 87 8E 86 87 33 58 24 86 88 | 10 18 18 18 08 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 | 7F 86 87 8E 86 87 33 58 24 86 | 10 18 18 18 08 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CD | 7F 86 87 8E 86 87 33 58 24 86 88 | 10 18 18 18 08 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CD 29CE | 7F 86 87 8E 86 87 33 58 24 86 88 19 87 | 10 18 18 18 08 18 12 01 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CD 29CE | 7F 86 87 86 87 33 58 24 86 88 19 87 | 10 18 18 18 08 18 12 01 18 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA | #16D CTR1 TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CB 29CE 29D1 29D4 | 7F 86 87 86 87 33 58 24 86 88 19 87 86 89 | 10 18 18 18 08 18 12 01 18 | 09 04 01 08 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C8 29CA 29CB 29CB 29CE 29D1 29D4 29D6 | 7F 86 87 86 83 58 24 86 88 19 87 86 89 19 | 10 18 18 08 18 12 01 18 18 00 | 09 04 01 08 07 07 06 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA | \$16D CTRI TEMPS \$TEMP3-1 \$8D CTR LBIB3 \$1 BCD2 BCD2 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CB 29CB 29CB 29CB 29CB 29CB 29CB | 7F 86 87 86 87 33 58 24 88 89 19 87 | 10 18 18 08 18 12 01 18 18 00 18 | 09 04 01 08 07 07 06 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA STAA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CB 29CB 29CB 29D1 29D4 29D6 29D7 29DA | 7F 86 87 33 58 88 89 87 86 87 7A | 10 18 18 19 08 18 12 01 18 18 18 00 18 | 09 04 01 08 07 07 06 | | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA STAA DEC | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #0 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CB 29CB 29CB 29D1 29D4 29D4 29D7 29DA 29DD | 7F 86 87 358 246 88 19 86 97 77 27 | 10 18 18 08 18 12 01 18 18 00 18 18 18 | 09 04 01 08 07 07 06 06 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA STAA DEC BEQ | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #00 BCD1 CTR1 LBIB4 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CB 29CB 29CB 29D1 29D4 29D4 29D7 29DA 29DD | 7F 86 87 358 246 88 19 86 89 19 7A 27 86 | 10 18 18 08 18 12 01 18 18 00 18 18 18 18 | 07 07 07 06 08 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA STAA DEC BEQ LDAA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #00 BCD1 CTR1 LBIB4 BCD2 |
| | 29B1 29B4 29B6 29B9 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CB 29CB 29D1 29D4 29D4 29D7 29DA 29DF 29DF | 7F 867 867 358 266 BB 197 B69 197 76 BB | 10 18 18 08 18 12 01 18 18 00 18 18 18 | 07 07 07 06 08 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADCA DAA STAA DEC BEQ LDAA ADDA | #16D CTRI TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #00 BCD1 CTR1 LBIB4 |
| | 29B1 29B4 29B6 29B6 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CB 29CA 29CD 29D1 29D4 29D7 29DA 29DD 29DF 29E2 29E5 | 7F6 B7 B8 B8 B8 B8 B8 B8 B8 B9 B8 B9 B8 B9 B8 B8 B9 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 | 10 18 18 08 18 12 01 18 18 18 18 18 18 18 18 | 07 04 01 08 07 07 06 09 07 07 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADDA DAA STAA DEC BEG LDAA ADDA | #16D CTR1 TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #0 BCD1 CTR1 LBIB4 BCD2 BCD2 BCD2 BCD2 |
| | 29B1 29B4 29B6 29B6 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CB 29CA 29CD 29D1 29D4 29D7 29DA 29DF 29DF 29E2 29E5 | 7F6 B7 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 | 10 18 18 18 12 01 18 18 18 18 18 18 18 | 07 04 01 08 07 07 06 09 07 07 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA DAA STAA DEC BEG LDAA ADDA DAA STAA DEC BEG LDAA ADDA DAA STAA | #16D CTR1 TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #0 BCD1 CTR1 LBIB4 BCD2 BCD2 BCD2 BCD2 BCD2 BCD2 |
| | 29B1 29B4 29B6 29B6 29BC 29BF 29C1 29C4 29C5 29C6 29C8 29CA 29CB 29CA 29CD 29D1 29D4 29D7 29DA 29DD 29DF 29E2 29E5 | 7F6 B7 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 B8 | 10 18 18 08 18 12 01 18 18 18 18 18 18 18 18 | 07 04 01 08 07 07 06 09 07 07 | LBIB2 | LDAA STAA STS LDS LDAA STAA PULB ASLB BCC LDAA ADDA DAA STAA LDAA ADDA DAA STAA DEC BEG LDAA ADDA | #16D CTR1 TEMP5 #TEMP3-1 #8D CTR LBIB3 #1 BCD2 BCD2 BCD1 #0 BCD1 CTR1 LBIB4 BCD2 BCD2 BCD2 BCD2 |

The second secon

| 6_ | | | |
|--------------|---------------------------------------|----------|--|
| П | 29EF 19 | DAA | |
| b ' | 29F0 B7 18 06 | STAA | BCD1 |
| 1 | 29F3 7A 18 08 | DEC | CTR |
| - 4 | 29F6 27 C7 | BEQ | LBIB1 |
| _ ' | 29F8 20 CB | BRA | LBIB2 |
| . , | 29FA BE 18 04 LBIB4 | | TEMP5 |
| L | 29FD 39 | RTS | CONFORMATION OF THE PROPERTY O |
| . (| | KIS | |
|) . , | • | CURROU | TIME TIME |
| i.r | * * * * * * * * * * * * * * * * * * * | | TINE TUNE |
| _ 1 | 29FE 86 18 30 TUNE | LDAA | UI1 |
| | 2A01 B7 EE 21 | STAA | \$EE21 |
| 1 | 2A04 B6 18 31 | LDAA | UI2 |
| 4 | 2A07 B7 EE 20 | STAA | \$EE20 |
|) : | 2AOA B6 18 32 | LDAA | VJ1 |
| . i | 2AOD B7 EE 11 | STAA | \$EE11 |
| 1 | 2A10 B6 18 33 | LDAA | VJ2 |
| | 2A13 B7 EE 10 | STAA | \$EE10 |
| | 2A16 39 | RTS | |
| 1 - | * | | |
|) | * | SUBROU | TINES IDEX |
| | 2A17 FF 18 00 IDEX | STX | TEMP1 |
| ſ | 2A1A FB 18 01 | ADDB | TEMP2 |
| i | 2A1D B9 18 00 | ADCA | TEMP1 |
| 24 | 2A20 B7 18 00 | STAA | TEMP1 |
| 1 4 | 2A23 F7 18 01 | STAB | TEHP2 |
| | 2A26 FE 18 00 | LDX | TEHP1 |
| , | 2A29 39 | RTS | I POH A |
| į :- | | KIS | |
| _ i | * | CHECOH | TINE WRITE |
| 201 | 2424 A4 AA HDITE | | 0,X |
| | 2A2A A6 00 WRITE | | V/A |
| | 2A2C 44 | LSRA | |
| | 2A2D 44 | LSRA | |
| | 2A2E 44 | LSRA | |
| - 1 | 2A2F 44 | LSRA | 4474 |
| • | 2A30 8A 30 | ORAA | ##30 |
| *i | 2A32 BD FD 80 | JSR | \$FD80 |
| | 2A35 A6 00 | LDAA | 0,X |
| | 2A37 84 OF | ANDA | #\$0F |
| | 2A39 8A 30 | ORAA | \$\$30 |
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| 2A58 FF 18 28 STX COR4+1 2A5E FF 18 28 STX COR4+1 2A5E FF 18 28 STX COR4+1 2A61 27 2D BED RD2 2A63 BD 63 BSR READSN 2A63 CE 18 00 LDX \$1800 2A66 A6 26 LDAA \$26*X 2A6A AB 01 ADDA 1*X 2A6C A7 26 STAA \$25*X 2A70 A9 00 ADCA 0*X 2A72 A7 25 STAA \$25*X 2A74 A6 24 LDAA \$25*X 2A76 A9 A1 ADCA \$41*X 2A78 A7 24 STAA \$22*X 2A78 A7 29 STAA \$22*X 2A78 A7 29 STAA \$22*X 2A80 A6 28 LDAA \$29*X 2A80 A6 28 LDAA \$29*X 2A84 A7 28 STAA \$22*X 2A84 A7 28 STAA \$22*X 2A84 A7 28 STAA \$22*X 2A84 A7 28 STAA \$22*X 2A84 A7 28 STAA \$22*X 2A84 A7 28 STAA \$22*X 2A86 A6 27 LDAA \$27*X 2A86 A6 27 LDAA \$27*X 2A86 A6 27 STAA \$27*X 2A86 A6 27 STAA \$27*X 2A86 A6 27 STAA \$27*X 2A86 A6 28 LDAA \$27*X 2A86 A6 28 STAA \$28*X 2A86 A6 27 STAA \$27*X 2A86 A6 28 STAA \$28*X 2A86 A6 27 STAA \$27*X 2A86 A6 28 STAA \$28*X 2A86 A7 28 STAA \$28*X 2A86 A7 28 STAA \$28*X 2A86 A7 28 STAA \$28*X 2A86 A7 28 STAA \$28*X 2A86 A7 28 STAA \$28*X 2A86 A7 27 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A86 A7 28 STAA \$27*X 2A87 A7 B8 2A98 A7 24 STAA \$22*X 2A99 A7 B8 2A99 A7 A STAA \$24*X 2A99 A7 A STAA \$24*X 2A91 A6 25 LDAA \$25*X 2A91 A6 25 LDAA \$25*X 2A91 A6 25 LDAA \$25*X 2A92 A7 B8 2A93 A7 25 STAA \$25*X 2A94 A7 STAA \$24*X 2A94 A7 STAA \$24*X 2A96 A7 25 STAA \$25*X 2A97 A6 27 LDAA \$25*X 2A98 A7 26 STAA \$25*X 2A98 A7 26 STAA \$25*X 2A91 A6 27 LDAA \$25*X 2A91 A6 28 LDAA \$25*X 2A91 A6 28 LDAA \$25*X 2A92 A7 B8 2A93 A7 26 STAA \$25*X 2A94 A7 STAA \$24*X 2A94 A7 STAA \$24*X 2A94 A7 STAA \$25*X 2A94 | |
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| 2A74 A6 24 LDAA \$24,X 2A76 A7 A1 ADCA \$A1,X 2A78 A7 24 STAA \$24,X 2A7C A8 03 ADDA 3,X 2A7E A7 29 STAA \$29,X 2A8D A6 28 LDAA \$29,X 2A8D A6 28 LDAA \$29,X 2A8D A6 28 LDAA \$29,X 2A8D A6 28 STAA \$28,X 2A8D A7 28 STAA \$22,X 2A8D A7 27 LDAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A7 27 STAA \$27,X 2A8D A6 3E RD2 LDAA \$3E,X 2A92 A7 08 STAA B7,X 2A92 A7 08 STAA B7,X 2A94 AD 08 RD3 TST B7,X 2A94 AD 08 RD3 TST B7,X 2A96 A6 24 LDAA \$24,X 2A98 A7 24 STAA \$24,X 2A98 A7 24 STAA \$24,X 2A98 A7 24 STAA \$24,X 2A98 A7 24 STAA \$25,X 2A98 A7 25 STAA \$25,X 2A98 A7 26 STAA \$25,X 2AAA 46 RDAA 2AAA A7 A8RA 2AAA A7 A7 STAA \$29,X 2ABB A7 B B7 B8 B8A RDB 2ABB FE B8 25 RD4 LDX COR2 | |
| 2A76 A9 A1 ADCA \$41 x 2A78 A7 24 STAA \$24 x 2A7A A6 29 LDAA \$29 x 2A7C A8 03 ADDA 3, x 2A7E A7 29 STAA \$29 x 2A8C A6 28 LDAA \$28 x 2A82 A9 02 ADCA 2, x 2A84 A7 28 STAA \$27 x 2A88 A9 A2 ADCA \$42 x 2A8A A7 27 STAA \$27 x 2A8B A9 A2 ADCA \$42 x 2A8B 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E x 2A92 A7 08 STAA 8, x 2A94 60 08 RD3 TST 8, x 2A94 60 08 RD3 TST 8, x 2A94 60 08 RD3 TST 8, x 2A96 A7 24 STAA \$24 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 24 STAA \$25 x 2A98 A7 25 STAA \$25 x 2A98 A7 26 STAA \$25 x 2AAA A7 25 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$25 x 2AAA A7 27 STAA \$27 x 2AAA A7 27 STAA \$27 x 2AAA A7 27 STAA \$27 x 2AAA A7 28 STAA \$28 x 2AAA A7 27 STAA \$27 x 2AAA A7 27 STAA \$27 x 2AAA A7 28 STAA \$27 x 2AAA A7 28 STAA \$27 x 2AAA A7 28 STAA \$27 x 2AAA A7 27 STAA \$27 x 2AAA A7 28 STAA \$27 x 2AAA A7 28 STAA \$28 x 2AAA A7 28 STAA \$28 x 2AAA A7 29 STAA \$29 x 2AAA A7 29 STAA \$29 x 2AAA A7 29 STAA \$29 x 2AAB A7 29 STAA \$29 x 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A78 A7 24 STAA \$24, X 2A7A A6 29 LDAA \$27, X 2A7C A8 03 ADDA 3, X 2A7E A7 29 STAA \$29, X 2A80 A6 28 LDAA \$28, X 2A82 A9 02 ADCA 2, X 2A84 A7 28 STAA \$28, X 2A84 A7 28 STAA \$27, X 2A88 A9 A2 ADCA \$27, X 2A88 A9 A2 ADCA \$27, X 2A88 A7 27 STAA \$27, X 2A86 A6 08 DEC 8, X 2A86 C6 08 DEC 8, X 2A87 A7 08 STAA 8, X 2A92 A7 08 STAA 8, X 2A94 A0 08 RD3 TST 8, X 2A94 A0 08 RD3 TST 8, X 2A94 A0 08 RD3 TST 8, X 2A94 A7 ASRA 2A9A A7 ASRA 2A9B A7 24 STAA \$24, X 2A9B A7 24 STAA \$25, X 2A9B A7 24 STAA \$25, X 2A9F A6 RORA 2AAA A6 RORA 2AAA A6 RORA 2AAA A6 RORA 2AAA A7 27 STAA \$25, X 2AAA A6 RORA 2AAA A7 27 STAA \$25, X 2AAA A6 RORA 2AAA A7 27 STAA \$25, X 2AAA A6 RORA 2AAA A7 28 STAA \$26, X 2AAA A6 RORA 2AAA A7 28 STAA \$26, X 2AAA A7 2AAA A7 ASRA 2AAA A7 2B STAA \$27, X 2AAA A7 ABRA 2AAA A7 29 STAA \$27, X 2AAA A7 ABRA 2AAA A7 29 STAA \$29, X 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A7A A6 29 LDAA \$29, X 2A7C AB 03 ADDA 3, X 2A7E A7 29 STAA \$29, X 2A80 A6 28 LDAA \$28, X 2A82 A9 02 ADCA 2, X 2A84 A7 28 STAA \$28, X 2A84 A7 27 LDAA \$27, X 2A88 A9 A2 ADCA \$A27, X 2A8A A7 27 STAA \$27, X 2A8C 6A 08 DEC 8, X 2A8C 6A 08 DEC 8, X 2A9C 2A7 OB ASE, X 2A9A A7 OB STAA 8, X 2A9A A7 OB STAA 8, X 2A9A A7 OB STAA 8, X 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A7 ASE 2A9A A8 26 LDAA \$25, X 2A9A A8 27 LDAA \$25, X 2A9A A8 28 LDAA \$26, X 2AAA A8 A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 A8 A8 2AAA A8 A8 2AAA A8 A8 A8 2AAA A8 A8 A8 2AAA A8 A8 2AAA A8 A8 2AAA A8 A | |
| 2A7C AB 03 ADDA 3,X 2A7E A7 29 STAA \$29+X 2A80 A6 28 LDAA \$28-X 2A84 A7 28 STAA \$28-X 2A84 A7 28 STAA \$28-X 2A88 A9 A2 ADCA \$27-X 2A88 A9 A2 ADCA \$A2-X 2A88 A7 27 STAA \$27-X 2A86 A6 08 DEC 8,X 2A86 A6 08 DEC 8,X 2A92 A7 08 STAA \$25-X 2A94 A0 08 RD3 TST 8,X 2A94 A0 08 RD3 TST 8,X 2A94 A0 08 RD3 TST 8,X 2A94 A7 ASRA 2A98 A7 24 STAA \$24-X 2A9A A7 ASRA 2A9B A7 24 STAA \$24-X 2A9B A7 24 STAA \$25-X 2A9F 46 RORA 2AA0 A7 25 STAA \$25-X 2AA4 46 RORA 2AA5 A7 26 STAA \$26-X 2AA4 46 RORA 2AAA 46 RORA 2AAA 46 RORA 2AAA A7 27 STAA \$27-X 2AAB A7 27 STAA \$27-X 2AAB A7 28 STAA \$27-X 2AAB A7 28 STAA \$27-X 2AAB A7 28 STAA \$27-X 2AAB A7 28 STAA \$27-X 2AAB A7 28 STAA \$28-X 2AAB A6 29 LDAA \$28-X 2ABA A6 29 LDAA \$28-X 2ABA A6 29 LDAA \$29-X 2ABA A6 29 LDAA \$29-X 2ABA A7 29 STAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB A6 29 LDAA \$29-X 2ABB FE IB 25 RD4 LDX COR2 | |
| 2A7E A7 29 STAA \$29,X 2A80 A6 28 LDAA \$28,X 2A82 A9 02 ADCA 2,X 2A84 A7 28 STAA \$28,X 2A84 A7 28 STAA \$28,X 2A86 A6 27 LDAA \$27,X 2A88 A9 A2 ADCA \$A2,X 2A8A A7 27 STAA \$27,X 2A8C 6A 08 DEC 8,X 2A8E 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 A7 ASRA 2A98 A7 24 STAA \$24,X 2A9A A7 ASRA 2A9B A7 24 STAA \$25,X 2A97 A6 STAA \$25,X 2A97 A6 RORA 2AA0 A7 25 LDAA \$25,X 2AA4 46 RORA 2AA0 A7 25 STAA \$26,X 2AA4 46 RORA 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA 46 RORA 2AAA A7 27 STAA \$24,X 2AAA A7 27 STAA \$27,X 2AAA A7 27 STAA \$28,X 2AAA A7 27 STAA \$27,X 2AAA A7 28 STAA \$28,X 2AAA A7 29 STAA \$28,X 2ABA A7 29 STAA \$29,X 2ABA A7 29 STAA \$29,X 2ABA A7 29 STAA \$29,X 2ABA A7 29 STAA \$29,X 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A80 A6 28 | |
| 2A82 A9 02 ADCA 2,X 2A84 A7 28 STAA \$28,X 2A86 A6 27 LDAA \$27,X 2A88 A9 A2 ADCA \$A2,X 2A8A A7 27 STAA \$27,X 2A8C 6A 08 DEC 8,X 2A9C 6A 08 DEC 8,X 2A9A 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A96 A6 24 LDAA \$24,X 2A98 A6 24 LDAA \$24,X 2A98 A6 24 LDAA \$25,X 2A98 A6 25 LDAA \$25,X 2A97 46 RORA 2A9A 47 ASRA 2A9A 46 RORA 2AAA A7 25 STAA \$25,X 2AAA 46 RORA 2AAA A7 27 STAA \$26,X 2AAA 46 RORA 2AAA A7 27 STAA \$27,X 2AAA 46 RORA 2AAA A7 27 STAA \$27,X 2AAA A6 28 LDAA \$28,X 2AAA A6 28 LDAA \$29,X 2ABA A7 29 STAA \$29,X 2ABA A7 29 STAA \$29,X 2ABA A7 29 STAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A84 A7 28 STAA \$28,X 2A86 A6 27 LDAA \$27,X 2A88 A9 A2 ADCA \$42,X 2A8C 6A 08 DEC 8,X 2A8E 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E,X 2A92 A7 08 STAA 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A94 A7 ASRA 2A98 A7 24 STAA \$24,X 2A98 A7 24 STAA \$24,X 2A97 A6 25 LDAA \$25,X 2AA7 A6 25 STAA \$25,X 2AA2 A6 26 LDAA \$25,X 2AA2 A6 26 LDAA \$25,X 2AA3 A7 26 STAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAA A7 28 STAA \$28,X 2AAB A7 29 STAA \$28,X 2AB3 A6 29 LDAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB5 A7 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A86 A6 27 LDAA \$27,X 2A88 A9 A2 ADCA \$A2,X 2A8A A7 27 STAA \$27,X 2A8C 6A 08 DEC 8,X 2A8E 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E,X 2A92 A7 08 STAA 8,X 2A94 6D 08 RD3 TST 8,X 2A94 6D 08 RD3 TST 8,X 2A96 27 23 BEQ RD4 2A98 A6 24 LDAA \$24,X 2A9A 47 ASRA 2A9B A7 24 STAA \$24,X 2A9D A6 25 LDAA \$25,X 2A9F A6 RORA 2AAO A7 25 STAA \$25,X 2AAO A7 25 STAA \$25,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 25 STAA \$26,X 2AAO A7 26 STAA \$26,X 2AAO A7 27 STAA \$27,X 2AAO A7 27 STAA \$27,X 2AAO A7 28 STAA \$28,X 2AAO A7 28 STAA \$28,X 2AAO A7 29 STAA \$29,X 2ABI A6 29 LDAA \$29,X 2ABI A6 29 STAA \$29,X 2ABI A6 STAA \$20,X 2ABI A6 STAA \$20,X 2ABI A6 STAA \$20,X 2ABI A6 STAA \$20,X 2ABI A6 STAA \$20,X 2ABI A6 STAA \$20, | |
| 2A88 A9 A2 | |
| 2A8A A7 27 STAA \$27, X 2A8C 6A 08 DEC 8, X 2A8E 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E, X 2A92 A7 08 STAA 8, X 2A94 6D 08 RD3 TST 8, X 2A96 27 23 BEQ RD4 2A98 A6 24 LDAA \$24, X 2A9A 47 ASRA 2A9B A7 24 STAA \$24, X 2A9B A7 24 STAA \$25, X 2A9F A6 25 LDAA \$25, X 2AAO A7 25 STAA \$25, X 2AAO A7 25 STAA \$26, X 2AAA 46 RORA 2AAA 46 RORA 2AAA A6 27 LDAA \$27, X 2AAA 46 RORA 2AAA A7 27 STAA \$26, X 2AAA 46 RORA 2AAA A7 27 STAA \$27, X 2AAA 46 RORA 2AAA A7 27 STAA \$28, X 2AAA 46 RORA 2AAA A7 27 STAA \$28, X 2AAA 46 RORA 2AAA A7 27 STAA \$28, X 2AAA 46 RORA 2AAA A7 29 STAA \$28, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABA A7 29 STAA \$29, X 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A8C 6A 08 DEC BrX ARI ARI ARI ARI ARI ARI ARI ARI ARI ARI | |
| 2A8E 20 CE BRA RD1 2A90 A6 3E RD2 LDAA \$3E,X 2A92 A7 08 STAA B,X 2A94 6D 08 RD3 TST 8,X 2A96 27 23 BEQ RD4 2A98 A6 24 LDAA \$24,X 2A98 A7 ASRA 2A9B A6 25 LDAA \$25,X 2A9F A6 RORA 2A9A A7 STAA \$25,X 2A9A A6 26 RORA 2AAA A6 26 RORA 2AAA A6 27 LDAA \$25,X 2AAA A6 27 LDAA \$27,X 2AAA A7 26 STAA \$26,X 2AAA A6 27 LDAA \$27,X 2AAA A7 27 STAA \$27,X 2AAA A7 27 STAA \$28,X 2AAA A6 28 LDAA \$28,X 2AAA A6 29 LDAA \$29,X 2AB3 A6 RORA 2AB3 A6 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB6 A7 18 08 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A90 A6 3E RD2 LDAA \$3E,X 2A92 A7 08 STAA 8,X 2A94 6D 08 RD3 TST 8,X 2A96 A6 24 LDAA \$24,X 2A98 A6 24 LDAA \$24,X 2A98 A7 24 STAA \$24,X 2A9D A6 25 LDAA \$25,X 2A9D A6 25 LDAA \$25,X 2A9D A6 26 RORA 2AA0 A7 25 STAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAA A7 27 STAA \$27,X 2AAA A7 27 STAA \$28,X 2AAA A7 27 STAA \$29,X 2AAB A6 29 LDAA \$29,X 2ABB A6 29 STAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB FE 18 25 RD4 LDX COR2 | |
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| 2A94 6D 08 RD3 TST 8,X 2A96 27 23 BEQ RD4 2A98 A6 24 LDAA \$24,X 2A9A 47 ASRA 2A9B A7 24 STAA \$24,X 2A9F 46 RORA 2AAA A6 RORA 2AAA A6 RORA 2AAA A6 RORA 2AAA A7 A6 27 LDAA \$27,X 2AAA A6 RORA 2AAA A7 A6 27 LDAA \$27,X 2AAA A6 RORA 2AAA A7 26 STAA \$27,X 2AAA A6 RORA 2AAA A7 27 STAA \$27,X 2AAA A6 RORA 2AAA A7 28 LDAA \$28,X 2AAA A6 RORA 2AAA A7 28 STAA \$28,X 2AAA A7 29 LDAA \$29,X 2ABB A7 29 STAA \$29,X 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A96 27 23 BEQ RD4 2A98 A6 24 | |
| 2A98 A6 24 LDAA \$24,X 2A9A 47 ASRA 2A9B A7 24 STAA \$24,X 2A9D A6 25 LDAA \$25,X 2A9F 46 RORA 2AA0 A7 25 STAA \$25,X 2AA2 A6 26 LDAA \$25,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAA A6 RORA 2AAA A7 27 STAA \$28,X 2AAA A6 RORA 2AAA A7 28 STAA \$28,X 2AAA A7 29 LDAA \$29,X 2AB3 A6 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A9A 47 2A9B A7 24 2A9D A6 25 2A9F 46 2AA0 A7 25 2AA2 A6 26 2AA4 46 2AA5 A7 26 2AA7 A6 27 2AAA 47 2AAA A7 2AAAA A7 2AAA A7 2AAA A7 2AAA A7 2AAA A7 2AAA A7 2AAA A7 2AAAA A7 2AAA A7 2AAAA A7 2AAAA A7 2AAAAA A7 2AAAAA A7 2AAAAAAAA A7 2AAAAAAAAAA | |
| 2A9B A7 24 STAA \$24,X 2A9D A6 25 LDAA \$25,X 2A9F 46 RORA 2AA0 A7 25 STAA \$25,X 2AA2 A6 26 LDAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AAA 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAE A6 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A9D A6 25 LDAA \$25,X 2A9F 46 RORA 2AA0 A7 25 STAA \$25,X 2AA2 A6 26 LDAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB5 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2A9F 46 2AA0 A7 25 3TAA \$25,X 2AA2 A6 26 LDAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AAO A7 25 STAA \$25,X 2AA2 A6 26 LDAA \$26,X 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AAA A7 27 STAA \$27,X 2AAA A7 27 STAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AA2 A6 26 | |
| 2AA4 46 RORA 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AA5 A7 26 STAA \$26,X 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AA7 A6 27 LDAA \$27,X 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X 2AAC A6 28 LDAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB4 A7 29 STAA \$29,X 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AA9 47 ASRA 2AAA A7 27 STAA \$27,X ZAAC A6 28 LDAA \$28,X ZAAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X ZAB4 A7 29 STAA \$29,X ZAB6 7A 18 68 DEC CTR ZAB9 20 D9 BRA RD3 ZABB FE 18 25 RD4 LDX COR2 | |
| ZAAC A6 28 LDAA \$28,X 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 68 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AAE 46 RORA 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AAF A7 28 STAA \$28,X 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AB1 A6 29 LDAA \$29,X 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AB3 46 RORA 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AB4 A7 29 STAA \$29,X 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2AB6 7A 18 08 DEC CTR 2AB9 20 D9 BRA RD3 2ABB FE 18 25 RD4 LDX COR2 | |
| 2ABB FE 18 25 RD4 LDX COR2 | = |
| | |
| TARE EE 18 34 STY CORT | |
| | |
| عمل 2AC1 FE 18 28 LDX COR4+1 | |
| 2AC4 FF 18 26 STX COR3 | |
| 2AC7 39 RTS | |
| | |
| * SUBROUTINE READSN | |

| | 2AC8 | 84 | 03 | | READSN | LDAA | •3 |
|-------------|--------------|-----|----------|------------|--------|-------------|--|
| | 2ACA | | 33 | RR | | STAA | MUXSEL |
| | 2ACD | | 18 | | | LDX | #TEMP1 |
| | 2ADQ | | 33 | | | JSR | SYNDET |
| | 2AD3 | | 18 | | | TST | TEMP1 |
| | 2AD6 | | 00 | VV | | BSR | SGNSET |
| | 2AD8 | | 18 | | | STAA | SIGNI |
| | 2ADB | | 18 | | | TST | TEMP3 |
| | 2ADE | | 04 | VZ | | | SGNSET |
| | 2AEO | | 18 | A7 | | BSR | |
| | 2AE3 | 39 | | HZ | | STAA RTS | SIGNO |
| | ZMES | 37 | | | • | KIS | |
| | 2464 | | | · | * | | OFTONO |
| | 2AE4 2AE6 | | 03 FF | | SGNSET | BPL | SETPOS #\$FF |
| | | | | | | LDAA | ##rr |
| | 2AE8 | 39 | | | 057000 | RTS | |
| | 2AE9 | 4F | | | SETPOS | CLRA | |
| | 2AEA | 39 | | | | RTS | |
| | | | | | * | DIN 5 | |
| | 2AEB | 33 | | A - | MATH1 | PULB | CTACKI |
| | 2AEC | | 18 | 4E | | STAB | STACK1 |
| | 2AEF | 33 | | | | PULB | |
| | 2AF0 | | 18 | 4F | | STAB | STACK2 |
| | 2AF3 | 30 | | | | TSX | A |
| | 2AF4 | | OF | | | LDAB | 15D,X |
| | 2AF6 | | 80 | | | CHPB | \$\$80 |
| | 2AF8 | | 05 | | | BEQ | M11 |
| | 2AFA | | 80 | 00 | | JSR | HATH |
| | 2AFD | | 06 | | | BRA | M13 |
| | 2AFF | | 08 | | M11 | LDAA | \$8 |
| | 2801 | _33 | | | M12 | PULB | The second secon |
| | 2802 | 44 | | | | DECA | . |
| | 2803 | | FC | | | BNE | M12 |
| | 2805 | | 18 | 4F | M13 | LDAB | STACK2 |
| | 2808 | 37 | | | | PSHB | OTACK4 |
| | 2B09 | | 18 | 4E | | LDAB | STACK1 |
| | 2B0C | 37 | | | | PSHB | , the second section of the section of t |
| | 2BOD | 39 | | | • | RTS | |
| | | | | | * | | |
| | 2BOE | | FD | | PRINT | JSR | \$FDA6 |
| | 2B11 | | 18 | EC | | LDX | ♦I |
| | 2814 | | 01 | | | LDAB | \$1 |
| | 2B16 | | FD | 74 | | JSR | \$FD74 |
| | 2819 | | 20 | | | LDAA | \$\$20 |
| | 2B1B | | FD | | | JSR | \$FD80 |
| | 281E | | 18 | | | LDX | ♦UI1 |
| | 2821 | | 2A | | | JSR | WRITE |
| | 2B24 | | 18 | | | LDX | ♦UI2 |
| | 2B27 | | 2A | | | JSR | WRITE |
| | 282A | | 20 | | | LDAA | \$\$20 |
| | 2B2C | | FD | | | JSR | \$FD80 |
| | 2B2F | | 18 | | | LDX | \$ ₩11 |
| | 2B32 | | 2A | | · | JSR | WRITE |
| | 2835 | | 18 | | | LDX | ♦ VJ2 |
| | 2B38 | | 2A | | | JSR | WRITE |
| | 2838 | | 20 | | | LDAA | \$\$20 |
| | 2B3D | | FD | | | JSR | \$FD80 |
| | | | | | | LDX | |

METHOD OF INVARIANT FOURIER SIGNATURES

| 2845 B 2848 S | 6 02 D FD 74 6 20 | LDAB JSR LDAA | \$2 \$FD74 \$\$20 | |
|--------------------------------------|---------------------------------------|----------------------------------|----------------------------------|---------------------------------------|
| 284D C 2850 C 2852 B 2855 3 | D FD 80 E 18 F3 6 02 D FD 74 | JSR LDX LDAB JSR RTS | \$FD80 \$PHI \$2 \$FD74 | |
| 2856 | | END | | |
| STATEMENTS | | | | |
| NO ERRORS D | | | | |
| 7 | | | | |
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APPENDIX B - Method of Invariant Moments Assembly Code Listing

This Appendix consists of a listing of the assembly language program which computes invariant Fourier signatures. This program was written to run on the Deft Laboratories' microprocessor-based test bed. All addresses and opcodes are hexadecimal. In the operand column of the statements the following symbols are used:

- \$ Hexadecimal Prefix
- % Binary Prefix
- H Hexadecimal Postfix
- D Decimal Postfix
- B Binary Postfix
- # Denotes Immediate Addressing Mode

The entry address for this program is \$2000.

| (1) | 1802 | | ORG | \$1802 |
|----------|------|----------|-----|---------------|
| 1 ' | 1802 | TEMP3 | RMB | 1 |
| 3 | 1803 | TEMP4 | RMB | 3 |
| . | 1806 | BCD1 | RMB | 1 |
| | 1807 | BCD2 | RMB | 1 |
| 1.] | 182A | BCDZ | ORG | \$182A |
| L | | | | 4102H |
| | 182A | COR9 | RMB | |
| , , i | 182B | COR10 | RMB | 5 |
| | 1830 | UI1 | RMB | |
| 10 | 1831 | UI2 | RMB | 1 |
| il - | 1832 | VJ1 | RMB | 1 |
| 12 | 1833 | VJ2 | RMB | 2 |
| | 1835 | DTIME | RMB | 1 |
| ١., | 1836 | I | RMB | 1 |
| s | 1837 | J | RMB | 1 . |
| | 1838 | K | RMB | 1 |
| !. | 1839 | XST | RMB | 2 |
| - a | 183B | VVJ1 | RMB | <u></u> |
| 1 | 183C | VVJ2 | RMB | 1 |
| | 183D | NSAMP | RMB | 1 |
| | 183E | LOGS | RMB | • |
| • | | | | |
| -1 | 183F | DX DY | RMB | 2 |
| ,, | 1841 | | RMB | 2 |
| | 1843 | DDY | RMB | <u>2</u> |
| | 1845 | PO | RMB | 2 |
| | 1847 | PX | RMB | 2 |
| 12 : | 1849 | PY | RMB | 2 |
| . 8 | 184B | SIGN | RMB | 3 |
| 291 | 184E | STACK1 | RMB | ì |
| 0 | 184F | STACK2 | RMB | 1 |
| | 1850 | PUSHST | RMB | 1 |
| | 1851 | LIMIT | RMB | 1 |
| ; | 18E0 | | ORG | \$18E0 |
| 14 | 18E0 | IPX | RMB | 2 |
| | 18E2 | IPY | RMB | 2 |
| أم | 18E4 | × | RMB | 8 |
| | 18EC | 🗘 | RMB | 8 |
| | 1850 | | ORG | \$1850 |
| | | MAA | | |
| | 1850 | MOO | RMB | \$200 |
| •) | 8000 | MATH | EQU | \$B000 |
| • | 29EC | MATH1 | EQU | \$29EC |
| -21 | 2AF0 | BI\$BCD | EQU | \$2AF0 |
| | 2800 | FL\$BCD | EQU | \$2800 |
| | 281F | FL2 | EQU | \$281F |
| | 2961 | SAMP | EQU | \$2961 |
| | 2976 | SAMPLE | EQU | \$2976 |
| | 2A0F | FZERO | EQU | \$2A0F |
| ** | 2907 | INCX | EQU | \$29D7 |
| - | 2872 | ACCUR | EQU | \$2872 |
| | 285A | PUSH88 | EQU | \$2B5A |
| | | PULL8 | EQU | \$2B40 |
| | 2840 | SOROOT | EQU | |
| | 2A2A | | | \$2A2A |
| | 2017 | PASC | EQU | \$2C17 |
| | 2002 | WRITE | EQU | \$2002 |
| | 2002 | CO1 | EQU | \$2CC2 |
| | 1012 | C23 | EQU | \$2D12 |
| | 7 6 | C 45 | EQU | \$2D62 |

| • | | | | | | |
|----------------|--------------|-------------|-------------|------|-----------------|--|
| | 2082 | | C67 | EQU | \$2DB2 | |
| ,; | 2000 | | | ORG | \$2000 | |
| 3 | 2000 | BD FD A | | JSR | \$FDA6 | |
| 4 | 2003 | CE 24 9 | 7 | LDX | \$LINE1 | |
| 5 | 2006 | C6 24 | | LDAB | #36D | |
| • | 2008 | BD 2C 1 | 7 | JSR | PASC | |
| , · | _200B | BD FD 36 | CB1 | JSR | \$FD36 | INCH |
| . 1 | 200E | 81 43 | | CMPA | \$\$43 | |
| 9 j | 2010 | 26 F9 | | BNE | CB1 | |
| 13 | 2012 | FE 25 7 | 7 | LDX | XZERO | MEASURE PO,PX,PY |
| | 2015 | FF 18 3 | ס | STX | UI1 | |
| 4 | 2018 | FE 25 7 | | LDX | YZERO | |
| , | 201B | FF 18 3 | | STX | VJ1 | and the second section of the second section of the second section of the second section of the second section of the second section of the second section of the second section secti |
| i | 201E | 86 80 | - | LDAA | * \$80 | |
| , | 2020 | B7 18 31 | D | STAA | NSAMP | |
| .6 | 2023 | 86 07 | | LDAA | ♦ 7 | |
| ,.] | 2025 | B7 18 31 | F | STAA | ĽÓGS | |
| | 2028 | 86 02 | | LDAA | * 2 | |
| 1 | 202A | B7 18 3 | 3 | STAA | DTIME | |
| , | 202B | BD 29 6 | | JSR | SAMP | |
| h | 2030 | B7 18 45 | | STAA | PO | |
| 22 | 2033 | F7 18 4 | | STAB | P0+1 | |
| 22 | 2036 | CE 99 9 | | LDX | * \$9993 | |
| 24 | 2038 | FF 18 31 | | STX | DX | |
| T 1 | 2037 203C | CE 00 0 | | LDX | ♦7 | The second section of the second section of the second section of the second section of the second section of the second section secti |
| Ĺ | 203C 203F | FF 18 4: | | STX | DY | |
| | 203F 2042 | BD 29 D | | JSR | INCX | |
| | 2042 | BD 29 6 | | JSR | SAMP | |
| [a] | 2045 | FO 18 4 | | SUBB | PO+1 | |
| 2 | 2048 2048 | B2 18 4 | | SBCA | PO PO | |
| | 204B | B7 18 4 | | STAA | PX | |
| J | 204E 2051 | F7 18 4 | | STAB | PX+1 | |
| • | 2051 | FE 25 7 | | LDX | XZERO | |
| 11i | 2057 | FF 18 3 | | STX | UII | |
| 10 | 205/ 205A | BD 24 40 | | JSR | INCY | |
| | 205A 205D | BD 29 6 | | JSR | SAMP | |
| 7 | 2050 | FO 18 4 | | SUBB | PO+1 | |
| | 2063 | B2 18 4 | | SBCA | PO | |
| | | B7 18 49 | | STAA | PY | |
| | 2066 | F7 18 4 | | STAB | PY+1 | |
| •.1 | 2069 | | | JSR | \$FDA6 | ENTER TO SKIP CALIBRATIO |
| • , | 206C | BD FD A | | LDX | #LINE2 | EMIEW IN SUIL CHEIDKHILL |
| 47 | 206F | | | LDAB | \$38D | |
| • | 2072 | C6 26 | 7 | JSR | PASC | |
| | 2074 | BD 2C 13 | | | \$FDA6 | |
| | 2077 | BD FD A | | JSR | | |
| 144 | 207A | BD FD A | | JSR | SFDA6 | |
| -1 | 207D | CE 24 E | | LDX | #LINE3 | |
| 48 | 2080 | C6 15 | ·· | LDAB | #21D | the state of the s |
| | 2082 | BD 2C 1 | | JSR | PASC | |
| | 2085 | BD FD 3 | D | JSR | \$FD36 | |
| · | 2088 | 84 OF | | ANDA | ##0F | |
| 5. | 208A | B7 18 3 | Ł | STAA | LOGS | |
| 53 | 208D | C6 01 | | LDAB | #1 | |
| 50 | 208F | 4A | FE2 | DECA | | |
| , | 2090 | 2D 03 | | BLT | FE3 | |
| | 2002 | 60 | | ASLB | | |
| | 2092 2093 | 58 20 FA | | BRA | FE2 | |

| • | | | | | | |
|-----------------|------|----------|------|------------|--------------|--|
| | 2095 | F7 18 3D | | STAB | NSAMP | |
| | 2098 | BD FD A6 | | JSR | \$FDA6 | |
| | 209B | CE 25 71 | | LDX | #LINE11 | |
| 1 | 209E | C6 06 | | LDAB | \$ 6 | |
|) ⁽¹ | 20A0 | BD 2C 17 | | JSR | PASC | |
| • | 20A3 | BD FD 36 | | JSR | \$FD36 | |
| | 20A6 | 84 OF | | ANDA | #\$0F | |
| | 20A8 | B7 18 51 | | STAA | LIHIT | |
| , o | 20AB | BD FD A6 | FEJA | JSR | \$FDA6 | |
| | 20AE | CE 24 F6 | | LDX | #LINE4 | |
| 1.2 | 20B1 | C6 21 | | LDAB | #33D | |
| | 20B3 | BD 2C 17 | | JSR | PASC | |
| | 2086 | BD FD 36 | | JSR | \$FD36 | |
| s | 2089 | 81 4D | | CHPA | #\$4D | |
| 18 | 20BB | 26 F9 | | BNE | FE4 | |
| , , | 20BD | FE 25 79 | | LDX | YZERO | |
| 10 | 20C0 | FF 18 32 | | STX | VJ1 | |
| 9 | 20C3 | FF 18 3B | | STX | VVJ1 | |
| ! i 20 | 20C6 | CE 99 93 | | LDX | #\$9993 | |
| , i | 2009 | FF 18 3F | | STX | DX | |
| 22 | 20CC | FF 18 43 | | STX | DDY | |
| 1 | 20CF | CE 00 07 | | LDX | #\$7 | |
| 24 | 20D2 | FF 18 41 | | STX | DY | |
| | 20D5 | 86 02 | | LDAA | ‡2 | |
|) . | 20D7 | B7 18 35 | | STAA | DTIME | |
| | 20DA | CE 00 00 | | LDX | * 0 | |
| 28 | 20DD | FF 18 E2 | | STX | IPY | |
| | 20E0 | CE 1B 50 | | LDX | #M00 | |
| 20 | 20E3 | 86 40 | | LDAA | #64 | |
| , | 20E5 | BD 2A OF | FE5 | JSR | FZERO | INITIALIZE M(P,Q) |
|) '. | 20E8 | 4A | | DECA . | | |
| 3 (| 20E9 | 26 FA | | BNE | FE5 | |
| .4 | 20EB | 7F 18 37 | | CLR | J | |
|) 5 | 20EE | B6 18 37 | FE6 | LDAA | j | WY LOOP |
| '30 | 20F1 | 27 04 | | BEQ | FE7 | |
| | 20F3 | 84 03 | | ANDA | #3 | |
| | 20F5 | 27 4F | | BEQ | FE13A | |
| | 20F7 | FE 25 77 | FE7 | LDX | XZERO | INITIALIZE WX LOOP |
| ** | 20FA | FF 18 30 | | STX | UI1 | |
|) •i | 20FD | CE 00 00 | | LDX | # 0 | |
| 4.1 | 2100 | FF 18 E0 | | STX | IPX | |
| * | 2103 | 7F 18 36 | | CLR | I | |
|),' | 2106 | B6 18 36 | FE8 | LDAA | I | WX LOOP |
| · ! | 2109 | 27 07 | | BEQ | FE9 | |
| 14 | 210B | 84 03 | | ANDA | #3 | |
| | 210D | 27 39 | | BEQ | FE13B | |
| ī—— | 210F | 44 | | LSRA | | |
| | 2110 | 25 OD | | BCS | FE10 | |
| ٠. ٤٠ | 2112 | BD 29 76 | FE9 | JSR | SAMPLE | X**P EVEN |
| P.2 | 2115 | B6 18 37 | | LDAA | J | |
| 53 | 2118 | 27 12 | | BEQ | FE11 | |
| 7.7 | 211A | 44 | | LSRA | | |
| Ba | ZIIM | 77 | | | | |
| 9.0 | 211B | 25 31 | | BCS | FE14 | The state of the s |
| | | | | BCS BRA | FE14 FE11 | X**P ODD |

| | 2122 | B6 18 37 | | LDAA | J | |
|--|--------------|----------------|----------|------|--|--|
| | 2125 | 27 43 | | BEQ | FE17 | |
| ! | 2127 | 44 | | LSRA | | |
| | 2128 | 25 5D | | BCS | FE20 | |
| f i | 212A | 20 3E | | BRA | FE17 | |
| Ì | 212C | CE 18 50 | FE11 | LDX | #M00 | X**P EVEN, Y**Q EVEN |
| | 212F | 7F 18 38 | | CLR | Κ . | |
| | 2132 | B6 18 38 | FE12 | LDAA | Ř | |
| | 2135 | 5F | | CLRB | ** | |
| | 2136 | 84 09 | | ANDA | \$ 9 | |
| ; 1 | | | | | | |
| | 2138 | 26 01 | | BNE | FE13 | |
| | 213A | 5C | | INCB | | The state of the s |
| | 213B | 4F | FE13 | CLRA | | |
| | 213C | BD 28 72 | | JSR | ACCUM | |
| | 213F | 8C 1D 50 | | CPX | #M00+512D | |
| | 2142 | 26 EE | | BNE | FE12 | |
| | 2144 | 20 5C | | BRA | FE23 | |
| | 2146 | 20 6A | FE13A | BRA | FE24 | |
| | 2148 | 20 58 | FE13B | BRA | FE23 | |
| | 2146 214A | 20 38 20 A2 | FE13C | BRA | FE6 | |
| | | | | | | |
| | 214C | 20 88 | FE13D | BRA | FE8 | VALE FLEW VALE ATE |
| | 214E | CE 1B 50 | FE14 | LDX | #M00 | X**P EVEN, Y**Q ODD |
| | 2151 | 7F 18 38 | | CLR | K | |
| | 2154 | B6 18 38 | FE15 | LDAA | K | |
| | 2157 | 84 09 | | ANDĀ | 19 | The second section of the second section of the second section of the second section s |
| | 2159 | 5F | | CLRB | | |
| | 215A | 4A | | DECA | | |
| | 215B | 26 01 | | BNE | FE16 | |
| | 215D | 5C | | INCB | | • |
| | 215E | 86 01 | FE16 | LDAA | #1 | |
| | | | | JSR | ACCUM | |
| | 2160 | BD 28 72 | | | | |
| | 2163 | BC 1D 50 | | CPX | #M00+512B | |
| | 2166 | 26 EC | | BNE | FE15 | |
| | 2168 | 20 38 | | BRA | FE23 | W. A. B. B. W. A. B. B. B. B. B. B. B. B. B. B. B. B. B. |
| | 216A | CE 18 50 | FE17 | LDX | ● M00 | X**P ODD, Y**Q EVEN |
| | 216D | 7F 18 38 | | CLR | K | |
| | 2170 | B6 18 38 | FEIB | LDAA | К | |
| | 2173 | 84 09 | | ANDA | # 9 | |
| | 2175 | 5F | | CLRB | | |
| | 2176 | 81 08 | | CMPA | 48 | |
| | 2178 | 26 01 | | BNE | FE19 | |
| | 217A | 5C | | INCB | · - | |
| | 217B | 86 02 | FE19 | LDAA | *2 | |
| | | | F 6, 1 7 | JSR | ACCUM | |
| | 217D | BD 28 72 | | | | |
| | 2180 | 8C 1D 50 | | CPX | #M00+512D | |
| | 2183 | 26 EB | | BNE | FE18 | |
| | 2185 | 20 1B | | BRA | FE23 | |
| | 2187 | CE 1B 50 | | LDX | ⊕ M00 | X**P ODD, Y**Q ODD |
| | 218A | 7F 18 38 | | CLR | K | |
| | 218D | B6 18 38 | | LDAA | K | |
| | 2190 | 84 09 | | ANDA | \$ 9 | |
| | 2192 | 5F | · | CLRB | | |
| | 2172 | 81 09 | | CHPA | ‡ 9 | |
| | | J1 V7 | | | | |
| | | | | | | |
| | 2195 | 26 01 | | BNE | FE22 | |
| | 2195 2197 | 26 01 5C | | INCB | To the transfer of the section of the section of | |
| ** * * * * * * * * * * * * * * * * * * | 2195 | 26 01 | FE22 | | #3 ACCUM | |

| • | | | | | | | | |
|---------------------|--------------|----------|------------------|----------|-------------|-------|------------|--|
| | 219D | 8C | 1 D | 50 | · •- | CPX | #M00+512B | |
| | 21A0 | 26 | EB | | | BNE | FE21 | |
| 1,1 | 21A2 | | 18 | 36 | FE23 | INC | I | |
| 1. | 21A5 | | 24 | | | JSR | INCXP | |
| , | 21A8 | | 29 | | | JSR | INCX | |
| ` . | 21AB | | 18 | | | LDAA | I | |
| | 21AE | | 28 | _99_ | | CMPA | \$40D | The Control of the Co |
| J.i | 2180 | | 9A | | | BNE | FE13D | |
| | 21B0 21B2 | | 18 | 77 | FE24 | INC | J | |
| | 21B5 | <u> </u> | 24 | 3/ | FEZ7 | JSR | INCYP | |
| [] | 21BS 21B8 | | | | | JSR | INCY | |
| , [] | | | 24 | | | | | |
| ' | 2188 | | 18 | 3/ | | LDAA | <u>J</u> | |
| 1 | 21BE | | 28 | | | CMPA | #40D | |
| 1 14 | 21C0 | | 88 | | | BNE | FE13C | NORMAL TOP MOURNER |
| 1,—— | 21C2 | | 1B | | | LDX | #M00+8 | NORMALIZE MOMENTS |
| " | 21C5 | | | | | STX | XST | |
| , þ. [,]] | 2108 | | 18 | | FE25 | LDX | XST | |
|) • <u> </u> | 21CB | | 2B | | | JSR | PUSH88 | |
| 1.0 | 21CE | | 1 B | | | LDX | #M00 | |
| 1 | 21D1 | | 2B | 5A | | JSR | PUSH88 | |
| í² | 21D4 | | 02 | | <u> </u> | LDAA | \$2 | |
| 77 | 21D6 | | 80 | | | JSR | MATH | M(P,Q)/M(O,O) |
| , ¹ 23 | 21D9 | | 18 | | | LDX | XST | |
| 24 | 21.DC | | 2B | | | _ JSR | PULL8 | |
| | 21DF | FF | 18 | 39 | | STX | XST | |
| j - | 21E2 | 80 | 1D | 50 | | CPX | #M00+512D | |
| | 21E5 | 26 | E1 | | | BNE | FE25 | |
| . 8 | 21E7 | CE | 1B | 60 | | LDX | #M00+16D | M(0,2) |
| , 29 | 21EA | BD | 28 | 5A | | JSR | PUSH88 | |
| Jan . | 21ED | CE | 1 B | DO | | LDX | ♦M00+128D | H(2,0) |
| <u></u> | 21F0 | BD | 2B | 5A | | JSR | PUSH88 | |
| , ¹ ; | 21F3 | 86 | 06 | | | LDAA | ‡ 6 | |
| ` • | 21F5 | BD | 80 | 00 | | JSR | MATH | |
| м | 21F8 | | 1B | | | LDX | \$400H\$ | M(0,1) |
| ; ¹⁵ | 21FB | BD | | 5A | | JSR | PUSH88 | |
| , 30 | 21FE | | 1 B | | | LDX | #H00+8 | |
| | 2201 | | 28 | | | JSR | PUSH88 | |
| ; | 2204 | | 01 | | | LDAA | #1 | |
| • | 2206 | | 29 | FC | | JSR | MATH1 | |
| | 2209 | | - 5 5 | | | LDAA | #5 | |
| , . | 220B | | 80 | 00 | | JSR | MATH | |
| # 1 42 | 220E | | 1B | | | LDX | #M00+64D | M(1,0) |
| | 2211 | | 28 | | | JSR - | PUSH88 | |
| ۱ | 2214 | | 1 B | | | LDX | \$M00+64D | |
|) | 2217 | | 2B | | | JSR | PUSH88 | |
| | 2217 221A | | 01 | <u> </u> | | LDAA | \$1 | |
| , 4 | 221H 221C | | 29 | Er | | JSR | MATH1 | |
| י " | | | 05 | | | LDAA | #5 | |
| ,7 | 221F | | | AX- | | JSR | MATH | |
| | 2221 | | 80 | | | LDX | #M00 | |
|) ⁵ | 2224 | | 18 | | | JSR | | |
| \$ | 2227 | | 28 | JA | | | PUSH88 | |
| , i | 222A | | 02 | ^^ | | LDAA | | |
| וויי | 222C | | 80 | | | JSR | HATH | |
| | 222F | | 18 | | | LDX | \$X | "W MOMENT FINISHES """ |
| | 2732 | | 28 | | | JSR | PULL8 | X MOMENT INVARIANT |
| 1 | 2235 | | 19 | | | LDX | #M00+72B | M(1,1) |
| <u> </u> | 2238 | BD | 2B | 5A | | JSR | PUSH88 | |
| | | | | | | | | |

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| • | | | | | | | |
|-------------|------|----|-----|------|------------|--------------|--|
| | 223B | CE | 19 | 58 | LDX | \$M00+8 | M(0,1) |
| , I | 223E | RD | 28 | 5A | JSR | PUSH88 | |
| ' i | 2241 | | 1B | | LDX | #M00+64D | M(1,0) |
| , } | | | | | | | 114747 |
| 11 | 2244 | | 28 | ⊋R | JSR | PUSH88 | |
| , ' · } | 2247 | 86 | | | LDAA | *1 | |
| 4 | 2249 | BD | 29 | EC | JSR | MATH1 | |
| : | 224C | | 05 | | LDAA | #5 | • |
| | 224E | | 80 | ۸۸ | JSR | MATH | |
| 1 | | | | | | | |
| i' | 2251 | | 18 | | LDX | ♦ Y | |
| ्रेवे | 2254 | BD | 2B | | JSR | PULL8 | |
| | 2257 | CE | 18 | EC | LDX | \$ Y | |
| - 2 | 225A | BD | 2B | 5A | JSR | PUSH88 | |
| | 225D | | 18 | | LDX | ♦ Y | |
| | | | | | | | |
| t | 2260 | BD | | JH . | JSR | PUSH88 | |
| 1 | 2263 | | 01 | | LDAA | *1 | |
| 10 | 2265 | BD | 29 | EC | JSR | HATH1 | |
| 11 | 2268 | 30 | | | TSX | | |
| 4.9 | 2269 | | 07 | | INC | 7•X | |
| <u> </u> | | | 07 | | INC | 7,X | |
| •* | 226B | | | | | | M/A 45 |
| | 226D | | 1 B | | LDX | \$40048 | H(0,1) |
| · | 2270 | | 28 | | JSR | PUSH88 | |
| : 2 | 2273 | CE | 1B | 58 | LDX | \$+00H\$ | |
| <u>' 1</u> | 2276 | BD | 2B | 5A | JSR | PUSH88 | |
| 24 | 2279 | 86 | | | LDAA | #1 | |
| | 2278 | | 29 | EC | JSR | MATH1 | and the second of the second |
| • | | | | | | #M00+64D | H(1,0) |
| | 227E | | | 90 | LDX | | H(1)V/ |
| | 2281 | | _2B | | JSR | PUSH88 | |
| - 9 | 2284 | | 1 B | | LDX | #M00+64B | |
| • | 2287 | BD | 2B | 5A | JSR | PUSH88 | |
| · ભ | 228A | 86 | 01 | | LDAA | *1 | |
| | 228C | | 29 | FC | JSR | MATH1 | The state of the s |
| • | 228F | | 05 | | LDAA | \$ 5 | |
| | 2291 | | 80 | ^^ | JSR | HATH | |
| | | | | | | | W/3.AV |
| • | 2294 | | 18 | | LDX | #M00+128D | M(2,0) |
| 51 | 2297 | | 2B | 5A | JSR | PUSH88 | |
| ı | 229A | | 06 | | LDAA | \$ 6 | |
| | 2290 | BD | 80 | 00 | JSR | HATH | |
| | 229F | CE | 1B | 60 | LDX | #M00+16D | H(0,2) |
| | 22A2 | | 2B | | JSR | PUSH88 | |
| | 22A5 | | -05 | | LDAA | ♦5 | |
| | | | | 00 | JSR | | |
| | 22A7 | | 80 | | | HATH | |
| *21 | 22AA | | 18 | | LDX | \$Y | |
| | 22AD | | 2B | | JSR | PULL8 | |
| | 22B0 | | 18 | | LDX | • Y | |
| | 2283 | BD | 2B | 5A | JSR | PUSH88 | |
| 44 | 2286 | | 18 | | LDX | ♦ Y | |
| | 2289 | | | | JSR | PUSH88 | |
| | 22BC | 86 | | | LDAA | \$1 | |
| , T | | | | PK | | | with a contract of the contrac |
| | 22BE | | 29 | EL | JSR | IHTAM | |
| | 22C1 | | 06 | | LDAA | •6 | |
| | 22C3 | | 80 | | JSR | MATH | Y**2 |
| | 22C8 | BD | ZA | 2A | JSR | SQROOT | |
| * | 22C9 | | 1 B | | LDX | ● M00 | |
| نبو | 22CC | | 28 | | JSR | PUSH88 | |
| · · · · · · | 22CF | | 02 | | LDAA | \$2 | The contract of the contract o |
| | 22D1 | | 80 | 00 | JSR | MATH | |
| | | | | | | | |
| <u></u> | 22D4 | UE | 18 | EU | LDX | ♦ Y | |

| 3 4 | 22D7 22DA 22DD | CE 1 | B 40 B 50 | · | JSR LDX | PULL8 | Y MOMENT INVARIANT |
|----------------|----------------------|------|--------------|-------------|------------|-----------------|--|
| 3 | | | B 50 | | LDX | #MOO | |
| 3 | 22DD | | | | | | |
| | | 86 4 | | | LDAA | #\$40 | |
| 41 | 22DF | A7 0 | | | STAA | 0 • X | |
| " i | 22E1 | 6F 0 | | | CLR | 1 • X | |
| • | 22E3 | 6F 0 | | | CLR | 2,X | and the same of th |
| , | 22E5 | SF 0 | 3 | | CLR | 3+X | |
| 3 | 22E7 | 6F 0 | 4 | | CLR | 4+X | |
| 9 | 22E9 | SF 0 | 5 | | CLR | 5,X | |
| 10 | 22EB | 6F 0 | 6 | | CLR | 6+X | |
| 11 | 22ED | 86 0 | 1 | | LDAA | #1 | |
| 12 | 22EF | A7 0 | 7 | | STAA | 7•X | |
| 13 | 22F1 | BD F | | | JSR | \$FDA6 | |
| | 22F4 | CE 2 | | | LDX | #LINE5 | PRINT MOMENTS |
| 15 | 22F7 | C6 0 | | | LDAB | \$ 6 | |
| , , | 22F9 | | C 17 | | JSR | PASC | |
| 1,7 | 22FC | BD F | | | JSR | \$FDA6 | |
| | 22FF | CE 2 | | | LDX | #LINE6 | |
| - <u> </u> | 2302 | C6 3 | | | LDAB | #62D | |
| [] .ef | 2304 | BD 2 | | | JSR | PASC | |
| 2.1 | 2307 | | 8 36 | | CLR | I | |
| 22 | 230A | CE 1 | | | LDX | *M00 | |
| | 230D | FF 1 | | | STX | XST | |
| امط | 230D 2310 | | D A6 | FE26 | JSR | \$FDA6 | |
| <u> </u> | 2310 | | | | LDAA | | |
| <i>c</i> - | | | 8 36 | | ORAA | I #\$30 | |
| | 2316 | | | | | | |
| <u></u> | 2318 | BD F | | | JSR | \$FD80 | |
| | 231B | | 8 37 | EE93 | CLR | j | |
| | 231E | | 8 37 | FE27 | LDAA | J | |
| *] | 2321 | B1 1 | | | CMPA | LIMIT | |
| 3 [,] | 2324 | 2A 2 | | | BPL LDX | FE28 \$LINE6 | |
| [! | 2326 | | 5 1D | | | | |
| 131 | 2329 | C6 0 | | | LDAB | ♦2 | |
| ı * ! | 232B | | C 17 | | JSR | PASC | |
| 1 | 232E | | 8 39 | | LDX | XST | |
| * | 2331 | BD 2 | | | JSR | FL\$BCD | |
| | 2334 | B6 1 | | | LDAA | SIGN | |
| | 2337 | BD F | | | JSR | \$FD80 | |
| | 233A | 86 2 | | | LDAA | ##2E | |
| • 1 | 233C | BD F | | | JSR | \$FD80 | |
| · i | 233F | CE 1 | | | LDX | #BCD1 | |
| •21 | 2342 | BD 2 | | | JSR | WRITE | |
| • | 2345 | CE 1 | | | LDX | ♦BCD2 | |
| • | 2348 | BD 2 | | | JSR | WRITE | |
| | 234B | FE 1 | 8 39 | FE28 | LDX | XST | |
| 4 | 234E | 08 | | | INX | - | |
| • | 234F | 08 | | | INX | | |
| 4 | 2350 | 08 | | | INX | | |
| | 2351 | 08 | | | INX | | |
| • | 2352 | 08 | | | INX | | |
| آ·م | 2353 | 08 | | | INX | | |
| B2 | 2354 | 08 | | | INX | | |
| 3.1 | 2355 | 80 | | | INX | | |
| | 2356 | FF 1 | 8 39 | | STX | XST | |
| 30 | 2359 | | 9 37 8 37 | | INC | J. | · · · · · · · · · · · · · · · · · · · |
| Ì | 235C | | 8 37 | | LDAA | Ĵ | |
| · . | | | | | | - | |

| | 2361 | 26 | BB | | | BNE | FE27 |
|-----------------|--------------|-------|----|---------------|-------|------|-------------|
| | 2363 | | 18 | 34 | | INC | I |
| | 2366 | | 18 | | | LDAA | ī |
| | 2369 | | 18 | | | CMPA | LINIT |
| | 236C | 2B | | . | | BMI | FE26 |
| ł | 236E | | FD | 44 | | JSR | \$FDA6 |
| l | 2371 | | FD | | | JSR | \$FDA6 |
| | 2374 | | 25 | | | LDX | \$LINE7 |
| | 2377 | Cé | | Jb | | LDAB | \$3 |
| | 2379 | | 20 | 17 | | JSR | PASC |
| | 237C | | 18 | | | LDX | ♦X |
| j | 237F | | 28 | | | JSR | FL2 |
| l | 2382 | | 18 | | | LDAA | SIGN |
| | 2385 | | FD | | | JSR | \$FD80 |
| | 2388 | 86 | | 90 | | LDAA | \$\$2E |
| | 238A | | FD | 00 | | JSR | \$FDBO |
| 1 | 238D | | 18 | | | LDX | ♦BCD1 |
| Í | 2390 | | 20 | | | JSR | WRITE |
| 'I | 2393 | | 18 | | | LDX | ♦BCD2 |
| | 2373 | | 2C | | | JSR | WRITE |
| | 2376 | | 25 | | | LDX | \$LINE8 |
| | 2377 239C | C6 | | JE_ | | LDAB | \$4 |
| 1 | 237C 239E | | 2C | 17 | | JSR | PASC |
| Ï | 237E | | 18 | | | TST | X+7 |
| 1 | 23A4 | 2A | | ED | | BPL | FE30 |
| i | 23A6 | 4F | 11 | | | CLRA | FESO |
| | 23A7 | 5F | | | | CLRB | |
| | 23A8 | | 18 | 25 | | SUBB | X+7 |
| | 23AB | 82 | | C.D | | SBCA | \$\$FF |
| 1 | 23AD | | 18 | 02 | | STAA | TEMP3 |
| | 23B0 | | 18 | | | STAB | TEMP4 |
| | 23B3 | 86 | | VJ | | LDAA | \$\$2D |
| | 2385 | | OB | | | BRA | FE31 |
| | 2387 | | 18 | ED | FE30 | LDAA | X+7 |
| | 23BA | | 18 | | , 230 | STAA | TEHP4 |
| | 23BD | | 18 | | | CLR | TEMP3 |
| - | 23C0 1 | 8g | | | | LDAA | \$\$2B |
| | 23C2 | | FD | RΛ | FE31 | JSR | \$FD80 |
| | 23C5 | | 2A | | , | JSR | BI\$BCD |
| | 2308 | CE | | | | LDX | ♦BCD2 |
| | 23CB | | 2C | | | JSR | WRITE |
| | 23CE | | 25 | | | LDX | \$LINE9 |
| | 23D1 | ~ C6_ | | - | | LDAB | #5 |
| | 23D3 | | 2C | 17 | | JSR | PASC |
| | 23D3 | | 18 | | | LDX | ●Y |
| . - | 2300 | | 28 | | | JSR | FL2 |
| 7 | 23DC | | 18 | | | LDAA | SIGN |
| · i | 23DF | | FD | | | JSR | \$FD80 |
| · | 23E2 | 86 | | ~~~ | | LDAA | \$\$2E |
| • | 23E4 | | FD | 80 | | JSR | \$FD80 |
| | 23E7 | | 18 | | | LDX | ♦BCD1 |
| | 23EA | | 2C | | | JSR | WRITE |
| 1 | 23ED | | 18 | | | LDX | ♦BCD2 |
| 4 | 23F0 | | 2C | | | JSR | WRITE |
| · | 23F3 | | 25 | | | LDX | \$LINE8 |
| | 23F6 | Ce | | ~~ | | LDAB | - 44 |
| | 23F8 | | 2C | 17 | | JSR | PASC |
| | 43F0 | | 46 | 1/_ | | | THE |

| $\overline{\Box}$ | 23FB | 7D 18 F3 | | TST | Y+7 | 1 |
|--|--|--|-------------------|--|--|--|
| | 23FE | 2A 11 | | BPL | FE34 | |
| | 2400 | 4F | | CLRA | | |
| 1, | 2401 | 5F | | CLRB | · · · · · · · · · · · · · · · · · · · | |
| | 2402 | F0 18 F3 | | SUBB | Y+7 | |
| | 2405 | 82 FF | | SBCA | #\$FF | |
| | | | | STAA | TEMP3 | and the same of the commence o |
| | 2407 | B7 18 02 | | STAB | TEMP4 | |
| | 240A | F7 18 03 | | | #\$2D | |
| | 240D | 86 2D | | LDAA | | |
| ١٩ | 240F | 20 OB | | BRA | FE35 | |
| | 2411 | B6 18 F3 | FE34 | LDAA | Y+7 | |
| 12 | 2414 | B7 18 03 | | STAA | TEMP4 | |
| - 12 | 2417 | 7F 18 02 | | CLR | TEMP3 | |
| | 241A | 86 2B | | LDAA | #\$2B | |
| 15 | 241C | BD FD 80 | FE35 | JSR | \$FD80 | |
| 10 | 241F | BD 2A FO | • | JSR | BISBCD | |
| • " | 2422 | CE 18 07 | | LDX | #BCD2 | |
| 1.0 | 2425 | BD 2C 02 | | JSR | WRITE | |
| . 31 | 2428 | BD FD A6 | | JSR | \$FDA6 | |
| | 242B | BD FD A6 | | JSR | \$FDA6 | |
| 12. | 242E | 86 07 | | LDAA | ** 07 | |
| 22 | 2430 | BD FD 80 | | JSR | \$FD80 | |
| ■ 3 | 2433 | CE 25 67 | | LDX | #LINE10 | |
| 24 | 2436 | C6 0A | | LDAB | #10D | |
| 25 | 2438 | BD 2C 17 | | JSR | PASC | |
| ● 15 | 243B | BD FD 36 | | JSR | \$FD36 | |
| 2. | 243E | 81 59 | | CMPA | #\$59 | |
| 20 | 2440 | 26 03 | | BNE | FE36 | |
| ● ≈ | 2442 | 7E 20 AB | | JMP | FE3A | |
| | | | | | | PANTOM |
| 30 | 2445 | 7E FE 2D | FE36 | JMP | \$FE2D | FANTOM |
| 30 | 2445 | 7E FE 2D | FE36 | JMP | \$FE2D | FANTUR |
| 30 | | | * | | | FANIUN |
| 31 32 33 33 33 33 33 33 33 33 33 33 33 33 | 2448 | B6 18 33 | FE36 * INCY | LDAA | VJ2 | FANIUN |
| 31 32 33 34 34 34 34 34 34 34 34 34 34 34 34 | 2448 2448 | B6 18 33 BB 18 42 | * | LDAA ADDA | | FANIUN |
| 30 31 32 32 33 34 | 2448 2448 244E | B6 18 33 BB 18 42 19 | * | LDAA ADDA DAA | VJ2 DY+1 | FANIUN |
| 30 31 32 32 34 35 36 | 2448 2448 | B6 18 33 BB 18 42 19 B7 18 33 | * | LDAA ADDA DAA STAA | VJ2 DY+1 VJ2 | PANTUN |
| 30 31 32 32 34 35 36 | 2448 2448 244E | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 | * | LDAA ADDA DAA STAA LDAA | VJ2 DY+1 VJ2 VJ1 | FANIUN |
| 30 31 22 33 34 35 35 | 2448 2448 244E 244F | B6 18 33 BB 18 42 19 B7 18 33 | * | LDAA ADDA DAA STAA | VJ2 DY+1 VJ2 | PANIUN |
| 30 31 22 33 34 35 36 | 2448 2448 244E 244F 2452 2455 2458 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 | * | LDAA ADDA DAA STAA LDAA ADCA DAA | VJ2 DY+1 VJ2 VJ1 DY | PANIUN |
| 30 31 22 33 34 35 36 38 | 2448 2448 244E 244F 2452 2455 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA | VJ2 DY+1 VJ2 VJ1 DY | PANTUN |
| 30 31 32 33 34 35 35 36 | 2448 2448 244E 244F 2452 2455 2458 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 | PANTUN |
| 30 31 32 33 34 35 36 36 36 40 | 2448 2448 244E 244F 2452 2455 2458 2459 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA | VJ2 DY+1 VJ2 VJ1 DY | PANTUN |
| 30 31 32 33 34 35 36 36 | 2448 2448 244E 244F 2452 2455 2458 2459 245C | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 | PANTUN |
| 30 31 32 34 35 36 36 40 42 42 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 245F | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 | PANTUR |
| 30 31 32 31 32 34 35 36 36 42 42 42 | 2448 2448 2446 2447 2452 2455 2458 2459 2450 2456 2456 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 19 B7 18 3C BB 18 44 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 | PANTUN |
| 30 31 31 32 34 35 30 30 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 19 B7 18 3C BB 18 44 | * | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA ADDA DAA STAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 | PANTUN |
| 30 31 31 32 34 35 36 30 40 40 40 40 40 40 40 40 40 40 40 40 40 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 2466 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 19 B7 18 3C | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA DAA STAA LDAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 | PANTUN |
| 30 31 32 31 34 35 36 30 40 41 42 42 42 44 44 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 2466 2469 246C | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 3C BB 18 44 19 B7 18 3C B6 18 3B B9 18 43 19 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 | PANTUN |
| 30 31 31 32 34 35 36 36 37 40 47 47 47 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 2466 2469 246C 246D | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 32 B6 18 32 B7 18 32 B6 18 32 B6 18 32 B7 18 36 B8 18 44 19 B7 18 38 B9 18 43 19 B7 18 38 | * | LDAA ADDA DAA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA DAA STAA LDAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ2 DDY+1 | PARIUN |
| 30 31 32 33 34 35 36 36 37 40 40 40 40 40 40 40 40 40 40 40 40 40 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 2466 2469 246C | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 30 BB 18 44 19 B7 18 30 B8 18 43 19 | * | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA ADDA STAA LDAA ADDA STAA LDAA ADDA STAA LDAA ADCA DAA STAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ2 DDY+1 | PARIUN |
| 30 31 31 32 33 34 35 34 40 40 41 41 40 41 41 41 41 41 41 41 41 41 41 41 41 41 | 2448 2448 244E 244F 2452 2455 2458 2459 245C 245F 2462 2463 2466 2469 246C 246D | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 32 B6 18 32 B7 18 32 B6 18 32 B6 18 32 B7 18 36 B8 18 44 19 B7 18 38 B9 18 43 19 B7 18 38 | * | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA ADDA STAA LDAA ADDA STAA LDAA ADDA STAA LDAA ADCA DAA STAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ2 DDY+1 | PARIUN |
| 30 31 32 33 34 35 36 36 37 40 41 42 42 42 43 44 44 44 45 46 47 48 48 48 48 48 48 48 48 48 48 48 48 48 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 2457 2462 2463 2466 2469 2460 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 30 B6 18 38 B9 18 43 19 B7 18 38 | * INCY | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA ADDA STAA LDAA ADDA STAA LDAA ADDA STAA LDAA ADCA DAA STAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ2 DDY+1 | PANTUN |
| 30 31 32 33 34 35 36 36 37 40 41 42 42 42 43 44 44 45 46 47 47 48 48 48 48 48 48 48 48 48 48 48 48 48 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 2457 2462 2463 2464 2467 2460 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 30 B6 18 38 B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B | * | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA STAA LDAA ATCA DAA ATCA DAA STAA LDAA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 DDY VVJ1 | PANTUN |
| 30 31 32 33 34 35 36 37 42 42 42 42 43 44 45 46 47 48 48 48 48 48 48 48 48 48 48 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 2457 2462 2463 2466 2469 2460 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 30 B6 18 38 B9 18 43 19 B7 18 38 B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B | * INCY | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADCA DAA LDAA ADCA DAA LDAA ADCA LDAA LDA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 DDY VVJ1 IPX IPX+1 | PANTUN |
| 30 31 32 33 34 35 36 37 42 42 42 42 43 44 45 46 47 48 48 48 48 48 48 48 48 48 48 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 2457 2462 2463 2466 2469 2460 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 38 B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B | * INCY | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADCA DAA 2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 DDY VVJ1 IPX IPX+1 PX+1 | PARIUN |
| 30 31 32 33 34 35 36 37 40 40 40 40 40 40 40 40 40 40 40 40 40 | 2448 2448 2448 2446 2452 2455 2458 2459 245C 245F 2462 2463 2466 2469 2460 2470 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 3C BB 18 44 19 B7 18 3C B6 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B | * INCY | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA DAA STAA LDAA ADCA DAA ADCA DAA ADCA DAA ADCA DAA ADCA DAA ADCA ADCA ADCA ADCA ADCA ADCA ADCA | VJ2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 DDY VVJ1 IPX IPX+1 PX+1 PX | FARIUN |
| 30 31 32 33 34 35 36 37 40 40 40 40 40 40 40 40 40 40 40 40 40 | 2448 2448 2446 2447 2452 2455 2458 2459 245C 2457 2462 2463 2466 2469 2460 2470 | B6 18 33 BB 18 42 19 B7 18 33 B6 18 32 B9 18 41 19 B7 18 32 B6 18 30 BB 18 44 19 B7 18 38 B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B B9 18 43 19 B7 18 3B | * INCY | LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADDA DAA STAA LDAA ADDA STAA LDAA ADCA DAA STAA LDAA ADCA DAA 2 DY+1 VJ2 VJ1 DY VJ1 VVJ2 DDY+1 VVJ2 VVJ1 DDY VVJ1 IPX IPX+1 PX+1 | FARIUN |

| 2483 | 39 | | | RTS | |
|----------|---------|------|--------|------|--|
| | | | * | | |
| 2484 | B6 18 | 3 E2 | INCYP | LDAA | IPY |
| 2487 | F6 18 | 3 E3 | | LDAB | IPY+1 |
| 248A | FB 18 | 3 4A | | ADDB | PY+1 |
| 248D | B9 18 | 49 | | ADCA | PY — |
| 2490 | B7 18 | 3 E2 | | STAA | IPY |
| 2493 | F7 18 | 3 E3 | | STAB | IPY+1 |
| 2496 | 39 | | | RTS | |
| | | | * | | |
| | | | * | | |
| 2497 | | | LINE1 | EQU | ************************************** |
| 2497 | 50 4F | | | FCC | 'POSITION UNIFORM IMAGE.' |
| 24AE | 20 54 | 48 | | FCC | ' THEN TYPE C ' |
| 24BB | | | LINE2 | EQU | * |
| 24BB | 43 4F | | | FCC | 'COMPUTES H(P,Q) MOHENTS' |
| 24D2 | 20 4 | 5 52 | | FCC | ' FROM TRANSFORM' |
| 24E1 | | | LINE3 | EQU | * |
| 24E1 | 53 41 | L 4D | | FCC | 'SAMPLE AVERAGE IS 2**' |
| 24F6 | | | LINE4 | EQU | * |
| 24F6 | 50 4F | | | FCC | 'POSITION TEST IMAGE.' |
| 250A | 20 54 | 48 | | FCC | ' THEN TYPE H ' |
| 2517 | | | LINE5 | EQU | * |
| 2517 | 4D 28 | 3 50 | | FCC | 'H(P,Q)' |
| 251D | | | LINE6 | EQU | * |
| 251D | 20 20 | | | FCC | ' 0 1 2' |
| 2533 | 20 20 | 20 | | FCC | ' 3 4 5 6 7' |
| 255B | | | LINE7 | EQU | * |
| 255B | 58 31 | 20 | | FCC | 'X= ' |
| 255E | | | LINES | EQU | * |
| 255E | 20 32 | 2 2A | | FCC | '2** ' |
| 2562 | | | LINE9 | EQU | * |
| 2562 | 20 20 | 59 | | FCC | γ= ' |
| 2567 | | | LINE10 | EQU | * |
| 2567 | 43 4F | - 4E | | FCC | 'CONTINUE? ' |
| 2571 | | | LINE11 | EQU | * |
| 2571 | 4C 49 | 4D | | FCC | 'LIHIT=' |
| 2577 | | | XZERO | EQU | * |
| 2577 | 38 57 | , | | FCB | \$38,\$57 |
| 2579 | | | YZERO | EQU | * |
| 2579 | 34 98 | 3 | | FCB | \$34,\$98 |
| 2578 | | | | END | |

STATEMENTS =557

FREE BYTES =18705

NO ERRORS DETECTED

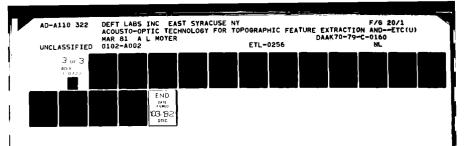


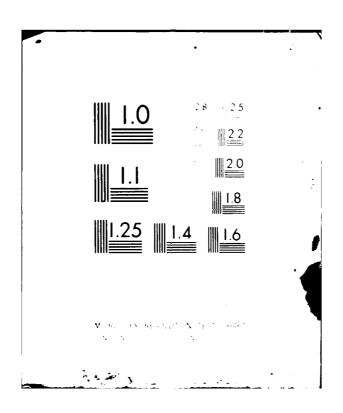
| | 1800 1800 1801 1802 | TENP1 | ORG RMB | \$1800 1 |
|-------------|------------------------------|------------|------------|--|
| | 1801 | | RMB | 1 |
| | | | | - |
| | 1907 | TEMP2 | RMB | |
| | | TEMP3 | RMB | 1 |
| [°L | 1803 | TEMP4 | RMB | 1 |
| 1 1 | 1804 | TEMP5 | RMB | · · · · · · · · · · · · · · · · · · · |
| | 1805 | TEMP6 | RMB | |
| | 1806 | BCD1 | RMB | . |
| | 1807 | BCD2 | RMB | |
| _ " | 1808 | CTR | RMB | <u>.</u> |
| | 1809 | CTR1 | RMB | 44004 |
| 1 | 1824 | 0001 | ORG | \$1824 |
| | 1824 | COR1 | RMB | . • |
| | 1825 | COR2 | RMB | • |
| | 1826 | COR3 | RMB | |
| | 1827 | COR4 | RMB | 3 |
| | 182A | CORP | RMB | |
|] | 182B 1830 | COR10 | RMB RMB | 5 |
| 191 | 1831 | UI1 UI2 | RMB | . |
| ₩ 22 224 | | | RMB | • |
| | 1832 1833 | VJ1 VJ2 | RMB | 2 |
| 22 | 1835 | DTIME | RMB | 1 |
| 1 24 | 1836 | | RMB | 1 |
| [] | 1837 | <u>I</u> | RMB | |
| | 1838 | K | RMB | 1 |
| U , | 1839 | XST | RMB | 2 |
| 28 | 183B | VVJ1 | RMB | |
| | 183C | VVJ2 | RMB | 1 |
| • | 183D | NSAMP | RMB | 1 |
| 1 1 | 183E | LOGS | RMB | |
| | 183F | DX | RMB | 2 |
| | 1841 | DY | RMB | 2 |
| :4 | 1843 | DDY | RMB | 2 2 |
| .3 | 1845 | PO | RMB | 2 |
| — | 1847 | PX | RMB | 2 |
| · ' | 1849 | PY | RMB | 2 |
| • | 184B | SIGN | RMB | 3 |
| | 184E | STACK1 | RMB | 1 |
| 4. | 184F | STACK2 | RMB | 1 |
| | 1850 | PUSHST | RMB | ī |
| 4: | 1851 | LIMIT | RMB | 1 |
| · | 18A1 | | ORG | \$18A1 |
| • | 18A1 | SIGNI | RMB | 1 |
| * | 18A2 | SIGNQ | RMB | 1 |
| .6 | 18E0 | | ORG | \$18E0 |
| | 18E0 | IPX | RMB | 2 |
| - 4 | 18E2 | IPY | RMB | 2 |
| | | | | The second secon |
| • | 18E4 | X | RMB | 8 |
| <u> </u> | 18EC | Y | RMB | 8 |
| 62 | 18F4 | REAL1 | RMB | 2 |
| اَندُ 🗎 | 18F6 | REAL2 | RMB | 2 |
| - | 18F8 | IMAG1 | RMB | 2 |
| 1. | 18FA | IMAG2 | RHB | 2 |
| | 8000 | HATH | EQU | \$8000 |

| 1385 | | ROT15 | EQU | \$1385 |
|------|-------------|-------------|------|--|
| 1376 | | VECT15 | EQU | \$1374 |
| 330F | | SYNDET | EQU | \$330F |
| 3388 | | MUXSEL | EQU | \$3388 |
| 2800 | | HUNDEL | ORG | \$2800 |
| 2000 | | * | | RTS FLPN TO BCD |
| | | | | NTS TO FLPN |
| | | • | | ENTRY REQUIRES MAG<1. IF NOT, BCD SET TO 9999 |
| 2800 | E6 07 | FL\$BCD | LDAB | 7.X NORHAL ENTRY |
| 2802 | | FLABCD | BGT | FL5 |
| 2804 | | | NEGB | |
| 2805 | | FL1 | TSTB | |
| 2804 | | | BEQ | FL2 |
| 2808 | | | LDAA | 0,X |
| 280A | | | ASRA | |
| 280 | | | STAA | 0,X |
| 2801 | | | LDAA | 1,X |
| 280F | | | RORA | |
| 2810 | | | STAA | 1,X |
| 2812 | | | LDAA | 2,X |
| 2814 | | | RORA | 6 /11 |
| 2815 | | | STAA | 2,X |
| 2817 | | | LDAA | 3,X |
| 2819 | | | RORA | |
| 281A | | | STAA | 3,X |
| 2810 | | | DECB | |
| 2810 | | | BRA | FL1 |
| 281F | | FL2 | TST | O,X FRACTION ONLY |
| 2821 | | | BPL | FL3 |
| 2823 | | | CLRA | , |
| 2824 | | | JSR | PUSH41 |
| 2827 | | | CLRA | |
| 2828 | | | JSR | PUSH44 |
| | | | | |
| 2828 | 86 OC | | LDAA | #12D |
| 2820 | | | JSR | MATH |
| 2830 | | | LDAA | ♦\$2 D |
| 2832 | | | STAA | SIGN |
| 2835 | | | BRA | FL4 |
| 2837 | | FL3 | CLRA | |
| 2838 | | | JSR | PUSH44 |
| 283B | | | LDAA | \$\$2B |
| 2830 | | - | STAA | SIGN |
| 2840 | | FL4 | LDAA | ##DC . |
| 2842 | | | PSHA | |
| 2843 | | | LDAA | \$\$4 6 |
| 2845 | | | PSHA | |
| 2846 | | | LDAA | #\$03 |
| 2846 | | · · · | PSHA | to the term of the second seco |
| 2849 | | | CLRA | |
| 284A | | | PSHA | |
| 2848 | | | LDAA | \$ 9 |
| 2840 | BD 80 00 | | JSR | HATH |
| 2850 | | _ | LDX | #TEMP1 |
| 2853 | 4F | | CLRA | The second secon |
| 2854 | BD 2B 99 | | JSR | PULL4 |
| 2857 | | | JSR | BI\$BCD |
| | | | | |

| • | | | | | |
|------------------|----------------------|----------------------|-------|------|-----------------|
| | 285A | 39 | | RTS | |
| : | 285B | 6D 00 | FL5 | TST | 0,X |
| l.i | 285D | 2A 07 | _ | BPL | FL6 |
| | 285F | 86 2D | | LDAA | \$\$2D |
| , | 2861 | B7 18 4B | | STAA | SIGN |
| ا | 2864 | 20 05 | | BRA | FL7 |
| · | | | | | |
| | 2866 | 86 2B | FL6 | LDAA | \$\$2B |
| 9 | 2868 | B7 18 4B | | STAA | SIGN |
| * ! | 286B | CE 99 99 | FL7 | LDX | \$\$9999 |
| 9 | 286E | FF 18 06 | | STX | BCD1 |
| 4 | 2871 | 39 | | RTS | |
| 2 | | | * | | |
| 1 | | | * | | |
| | | | * | | |
| | 2872 | 5D | ACCUM | TSTB | |
| <u></u> | 2873 | 26 03 | HOOOH | BNE | ACO |
|] | 2875 | 7E 29 55 | ACAA | JMP | AC13 |
|] | | | ACOA | | |
| •[| 2878 | F6 18 38 | AC0 | LDAB | K |
| ə i | 287B | C4 07 | | ANDB | \$7 |
| 1 | 287D | F1 18 51 | | CMPB | LIMIT |
| | 2880 | 2A F3 | | BPL | ACOA |
| . | 2882 | F6 18 38 | | LDAB | K |
| 3 | 2885 | C4 38 | | ANDB | # \$38 |
| 4 | 2887 | 57 | | ASRB | |
| | 2888 | 57 | | ASRB | |
|]] | 2889 | 57 | | ASRB | |
| | 288A | F1 18 51 | | CMPB | LIHIT |
| <u></u> | 288D | 2A E6 | | BPL | ACOA |
| 2 | | | | | XST |
| ~! | 288F | FF 18 39 | | STX | A31 |
| 어 | 2892 | 16 | | TAB | |
| | 2893 | 27 14 | | BEQ | AC1 |
| | 2895 | 5A | | DECB | |
| 3 [| 2896 | 27 1F | | BEQ | AC2 |
| 4 | 2898 | 5A | | DECB | |
| s | 2899 | 27 2A | | BEQ | AC3 |
| 4 | 289B | B6 18 F6 | | LDAA | REAL2 |
| | 289E | F6 18 F7 | | LDAB | REAL2+1 |
| | 28A1 | FO 18 F5 | | SUBB | REAL1+1 |
| | 28A4 | B2 18 F4 | | SBCA | REAL1 |
| | 28A7 | 20 28 | | BRA | AC4 |
| 7 | 28A9 | B6 18 F4 | AC1 | LDAA | REAL1 |
| 21 | | F6 18 F5 | no i | LDAB | REAL1+1 |
| | 28AC | | | | |
| | 28AF | FB 18 F7 | | ADDB | REAL2+1 |
| | 2882 | B9 18 F6 | | ADCA | REAL2 |
| | 2885 | 20 1A | | BRA | AC4 |
| 6 | | | | | |
| 1 | 2887 | B6 18 F8 | AC2 | LDAA | IMAG1 |
| • | 28BA | F6 18 F9 | | LDAB | IMAG1+1 |
| ! | 2880 | FO 18 FB | | SUBB | IMAG2+1 |
| | 2800 | B2 18 FA | | SBCA | IMAG2 |
| | 28C3 | 20 OC | | BRA | AC4 |
| | 2805 | | ACT | LDAA | IMAG1 |
| | ∠8じつ | B6 18 F8 | AC3 | | |
| ·[| | | | LDAB | IMAG1+1 |
| : ' | 28C8 | F6 18 F9 | | | |
| 2 | 28C8 28CB | FB 18 FB | | ADDB | IMAG2+1 |
| 5.2 5.3 ja | 28C8 28CB 28CE | FB 18 FB B9 18 FA | - | ADCA | IMAG2 |
| 55 55 55 | 28C8 28CB | FB 18 FB | AC4 | | |

| • | | | |
|------------|--|------|--|
| (| 2807 84 07 | ANDA | •7 |
| • ' | 28D9 47 | ASRA | |
| - | 28DA 27 OB | BEQ | AC5 |
| 1,1 | 28DC 4A | DECA | |
| _ 1 | 28DD 27 OD | BEQ | AC6 |
| | | | nuo |
| 1 | 28DF 4A | DECA | and the same of th |
| 1. | 28E0 27 0F | BEQ | AC7 |
| • | 28E2 CE 2D B2 | LDX | #C67 |
| | 28E5 20 OD | BRA | AC8 |
| 1 | 28E7 CE 2C C2 AC5 | LDX | ♦ C01 |
| | 28EA 20 08 | BRA | AC8 |
| | | LDX | ₽ C23 |
| | | | |
| | 28EF 20 03 | BRA | ACB |
| | 28F1 CE 2D 62 AC7 | LDX | ‡ C45 |
| | 28F4 4F AC8 | CLRA | |
| | 28F5 F6 18 37 | LDAB | J |
| | 28F8 58 | ASLB | |
| | 28F9 49 | ROLA | |
| 1 | | | They |
| _ | 28FA BD 2A C8 | JSR | IDEX |
| ₽ | 28FD A6 00 | LDAA | 0,X |
| | 28FF E6 01 | LDAB | 1,X |
| . 2 | 2901 BD 2B 74 | JSR | PUSH82 CJ(Q) |
| | 2904 86 01 | LDAA | #1 |
| | 2906 BD 29 EC | JSR | MATH1 |
| | 2700 BB 27 EC 2707 B6 18 38 | LDAA | - K |
| | | | |
| ₽, | 290C 84 38 | ANDA | * \$38 |
| ı | 290E 47 | ASRA | |
| | 290F 47 | ASRA | |
| | 2910 47 | ASRA | |
| | 2911 47 | ASRA | |
| | 2912 27 0B | BEQ | AC9 |
| | 2914 4A | DECA | |
| | | BEQ | AC10 |
| | 2915 27 OD | | NCIV |
| *1 | 2917 4A | DECA | 4.64.4 |
| | 2918 27 OF | BEQ | AC11 |
| 4 | 291A CE 2D B2 | LDX | #C67 |
| | 291D 20 0D | BRA | AC12 |
| | 291F CE 2C C2 AC9 | LDX | ‡ C01 |
| • | 2922 20 08 | BRA | AC12 |
| | | | ♦ C23 |
| _ | | | |
| • | 2927 20 03 | BRA | AC12 |
| 4.1 | 2929 CE 2D 62 AC11 | LDX | ♦C45 |
| - | 292C 4F AC12 | CLRA | |
| • | 292D F6 18 36 | LDAB | I |
| - | 2930 58 | ASLB | |
| i., | 2931 49 | ROLA | |
| | | JSR | IDEX |
| D " | | | |
| | 2935 A6 00 | LDAA | 0,X |
| | 2937 E6 01 | LDAB | 1,X |
| | 2939 BD 2B 74 | JSR | PUSH82 CI(P) |
| • | 293C 86 01 | LDAA | #1 |
| e 1 | 293E BD 29 EC | JSR | HATHI |
| ! | 2941 FE 18 39 | LDX | XST |
| | | JSR | PUSH88 M(P,Q) |
| | 2944 BD 2B 5A | | |
| | 2947 86 06 | LDAA | \$6 |
| | 2949 BD 80 00 | JSR | MATH |
| - | 294C FE 18 39 | LDX | XST |
| | —————————————————————————————————————— | | |





| <u> </u> | 294F | 20 | 28 | 40 | | JSR | PULL8 |
|---------------------|-------------------|----------|----------|-----------|---------------|--------------|--|
| | _ | | | 39 | | | |
| | 2952 2955 | FE 08 | 10 | 37 | AC13 | LDX INX | XST |
| | 2956 | 08 | | | HUIS | INX | |
| | 2957 | 08 | | | | INX | |
| ' [.] | 2958 | 80 | | | | INX | |
| 1, | 2959 | 08 | | | | INX | . The companies of the second of the companies of the com |
| | 295A | 08 | | | | INX | |
| 7 9 | 295B | 08 | | | | INX | |
| 10 | 295C | 08 | | | | INX | |
| , | 295D | | 18 | 38 | | INC | K |
| , i | 2960 | 39 | | | | RTS | |
| | | | | | * | | |
| | | | | | * | | |
| | 2961 | BD | 2A | 96 | SAMP | JSR | TUNE |
| | 2964 | | 2A | | - | JSR | DELAY1 |
| 1 | 2967 | BD | | 24 | | JSR | RDDEFT |
| !. | 296A | BD | | 76 | | JSR | VECT15 |
|) [] | 296D | 4F | | - | | CLRA | |
| | 296E | 5F | | | | CLRB | |
| 22 | 296F | FO | | | | SUBB | COR10 |
| 23 | 2 9 72 | | 18 | 2A | | SBCA | COR9 |
| P+ | 2975 | 39 | | | | RTS | |
| 5 | | | | | * * | | |
| 10 | 2976 | BD | | 96 | SAMPLE | JSR | TUNE 1ST QUAD |
| 39 | 2979 | | | DB | | JSR | DELAY1 |
| , o | 297C | | 2C | | | JSR | RDDEFT |
| r i | 297F | B4 | 18 | | | LDAA | PO |
| | 2982 | F6 | | | | LDAB | P0+1 |
| | 2985 | | 18 | | | ADDB . | IPX+1 |
| ,10 | 2988 | B9 | | | | ADCA | IPX |
|) 34 1. i | 298B | FB | | | | ADDB | IPY+1 |
| . N | 298E | | 18 | | | ADCA | IPY |
| . ; | 2991 | | 18 | | | STAA STAB | CORP COR10 |
|) <u>+</u> | 2994 2997 | | 18 13 | | | JSR | ROT15 |
| ecl | 299A | | 18 | | | LDX | COR1 |
| ac | 277H 299D | | 18 | | | STX | REAL1 |
| 47 | 29A0 | | 18 | | | LDX | COR3 |
| \ <u>-</u> | 29A3 | | | F8 | | STX | IMAG1 |
| | 29A6 | | 2A | | | JSR | TUNE1 4TH QUAD |
| 7 | 29A9 | | | DB | | JSR | DELAY1 |
| i a | 29AC | | | 24 | | JSR | RDDEFT |
| 1. | 29AF | | | 45 | | LDAA | PO |
| - 3 | 2982 | | | 46 | | LDAB | P0+1 |
| | 2985 | | | EI | | ADDB | IPX+1 |
|) | 29B8 | | | ΕO | | ADCA | IPX |
| | 29BB | | | E3 | | SUBB | IPY+1 |
| 52 | 29BE | | | E2 | | SBCA | IPY |
| 831 | 29C1 | | | 2A | | STAA | CORP |
| P | 29C4 | | | 2B | | STAB | COR10 |
| 162 | 2907 | | | 85 | | JSR | ROT15 |
| 1 56 | 29CA | | 18 | | | LDX | COR1 |
| : | 29CD | FF | 18 | Fb | | STX | REAL2 |

| <u> </u> | 2900 | FE | 18 | 26 | | LDX | COR3 |
|------------------|--------------|-----------------|----------------|----------|-------|--------------|--|
| i . | 2903 | | 18 | | | STX | IMAG2 |
| | 29D4 | 39 | • | • • • • | | RTS | |
| 1. | | | | | * | | |
|) 3 | | | | | * | | |
| - | | | A . Mar. | | * | | and the contract of the contra |
| 1. | 29D7 | | 18 | | INCX | LDAA | U12 |
| 1.1 | 29DA 29DD | 19 | 18 | 40 | | ADDA DAA | DX+1 |
| ' | 29DE | | 18 | 71 | | STAA | UI2 |
| | 29E1 | | 18 | | | LDAA | UI1 |
| | 29E4 | | 18 | | | ADCA | DX |
| | 29E7 | - 19 | | | | DAA | |
| 1. | 29E8 | | 18 | 30 | | STAA | UI1 |
| . , | 29EB | 39 | | | | RTS | |
| ,• | | | | | * | | |
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| -i - | 29EC | 33 | 4.0 | A == | HATH1 | PULB | NTARKE |
| | 29ED | | 18 | 42 | | STAB PULB | STACK1 |
| 1 | 29F0 29F1 | <u>33</u> | 18 | AE | | STAB | STACK2 |
| | 29F4 | 30 | 10 | 71 | | TSX | JINONZ |
| D | 29F5 | | OF | | | LDAB | 15D•X |
| | 29F7 | | 80 | | | CHPB | \$\$BO |
| | 29F9 | | 05 | | | BEQ | M11 |
| T _{orp} | 29FB | BD | 80 | 00 | | JSR | MATH |
| | 29FE | | 06 | | | BRA | M13 |
| اد (| 2A00 | 86 | 08 | | M11 | LDAA | \$8 |
| | 2A02 | 33 | | | M12 | PULB | |
| _ | 2A03 | 44 | | | | DECA | Men |
|) | 2A04 | | FC | 45 | M13 | BNE LDAB | M12 STACK2 |
| · (| 2A06 2A09 | <u>70</u> 37 | 18 | <u> </u> | ura | PSHB | SIAUNZ |
| 1" | 2A0A | | 18 | ΔF | | LDAB | STACK1 |
| J | 2A0D | 37 | | | | PSHB | |
| | ZAOE | 39 | | | | RTS | , on the particular the strong particular particular particular particular through the south through t |
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| | 2AOF | | 00 | | FIERO | CLR | 0,X |
| | 2A11 | | 01 | | | CLR | 1,X |
| 4.1 | 2A13 | | 02 | | | CLR CLR | 2,X 3,X |
| _i | 2A15 2A17 | | 03 04 | | | CLR | 4,X |
| • | 2A17 | | 05 | | | CLR | 5,X |
| | 2A1B | | 06 | | | CLR | 6,X |
| • | 2A1D | | 80 | | | LDAB | \$\$80 |
| ., | 2A1F | | 07 | | | STAB | 7•X |
| · | 2A21 | 08 | <u></u> - | | | INX | A CONTRACTOR OF THE PROPERTY O |
| | 2A22 | 08 | | | | INX | |
| - i | 2A23 | 08 | | | | INX | |
| é: | 2A24 | 08 | | | | INX | |
| 53 | 2A25 | 08 | | | | INX | |
| 54 | 2A26 | 80 | ~. | | | INX | The companies of the agent of the control of the particular of the control of the |
| • | 2A27 | 80 | | | | INX INX | |
| | 2A28 2A29 | 08 39 | | | | RTS | |
| <u> </u> | 4H47 | 37 | | | | N10 | |

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| | | . <u> </u> | * | | ROOT OF | FLPTN IN STACK |
| | 2A2A | 33 | SQROOT | PULB | | |
| | 2A2B | F7 18 4E | | STAB | STACK1 | |
| | 2A2E | 33 | | PULB | | d . |
| | 2A2F | F7 18 4F | | STAB | STACK2 | |
| | 2A32 | 30 | | TSX | | |
| | 2A33 | C6 18 | · | LDAB | #24D | |
| | 2A35 | 09 | SQ1 | DEX | | |
| | 2A36 | 5A | | DECB | | |
| | 2A37 | 26 FC | | BNE | SQ1 | |
| | 2A39 | FF 18 39 | | STX | XST | |
| | 2A3C | C6 08 | | LDAB | #8D | |
| | 2A3E | A6 1F | SQ2 | LDAA | 31D,X | |
| | 2A40 | 36 | | PSHA | | |
| | 2A41 | 09 | | DEX | | |
| | 2A42 | 5A | | DECB | | |
| | 2A43 | 26 F9 | | BNE | SQ2 | |
| | 2A45 | A6 1F | | LDAA | 31D,X | |
| | 2A47 | 47 | | ASRA | | |
| | 2A48 | A7 1F | | STAA | 31D,X | |
| | 2A4A | 86 OA | | LDAA | #10D | |
| | 2A4C | B7 18 08 | | STAA | CTR | _ |
| | 2A4F | FE 18 39 | SQ3 | LDX | XST | MAIN LOOP |
| | 2A52 | C6 10 | | LDAB | #16D | |
| | 2A54 | A6 1F | 804 | LDAA | 31D,X | |
| | 2A56 | 36 | | PSHA | | |
| | 2A57 | 09 | | DEX | | |
| | 2A58 | 5A | | DECB | | |
| | 2A59 | 26 F9 | | BNE | SQ4 | |
| | 2A5B | 86 02 | | LDAA | #2 | |
| | 2A5D | BD 80 00 | | JSR | HATH | Y=X/IT |
| | 2A60 | FE 18 39 | | LDX | XST | |
| | 2A63 | C6 08 | | LDAB | #8 | |
| | 2A65 | A6 17 | SQ5 | LDAA | 23B,X | |
| | 2A67 | 36 | | PSHA | | |
| | 2A68 | 09 | | DEX | | |
| | 2A69 | 5A | | DECB | | |
| | 2A6A | 26 F9 | | BNE | SQ5 | |
| | 2A6C | 86 06 | | LDAA | #6 | |
| | 2A6E | BD 80 00 | | JSR | HATH | Y=Y+IT |
| | 2A71 | FE 18 39 | | LDX | Tex | |
| | 2A74 | 6A OF | | DEC | 15D•X | |
| | 2A76 | C4 08 | | LDAB | \$8 | |
| | 2A78 | 32 | SQ6 | PULA | | |
| | 2A79 | A7 10 | | STAA | 16D•X | |
| | 2A7B | 08 | | INX | | |
| | 2A7C | 5A | | DECB | | |
| | 2A7D | 26 F9 | | BNE | SQ6 | |
| | 2A7F | 7A 18 08 | | DEC | CTR | |
| | 2A82 | 26 CB | · · · · · · · · · · · · · · · · · · · | BNE | SQ3 | |
| | 2A84 | C4 08 | | LDAB | #8 | |
| | 2A86 | 32 | 8 07 | PULA | | |
| | 2A87 | A7 10 | | STAA | 16D.X | and the second s |
| | 2A89 | 08 | | INX | | |
| | 2A8A | 5A | | DECB | | |

| 2A8 | B | 26 | F9 | | | BNE | \$07 |
|------------|--------------|-----------|----|----------|--------------|-------------|--|
| 2A8 | | Fb | | 4F | | LDAB | STACK2 |
| 2A9 | | 37 | | | | PSHB | |
| 2A9 | | F6 | 18 | 4E | | LDAB | STACK1 |
| 249 | | 37 | | • | | PSHB | |
| 2A9 | | 39 | | | | RTS | |
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| 2A9 | 7 | B6 | 10 | 30 | TUNE | LDAA | UII |
| 2n7 2A9 | | B7 | | | IUNE | STAA | \$EE11 |
| | | | | | | | UI2 |
| 2A9 | | | 18 | | | LDAA | |
| 2A9 | | | EE | | | STAA | \$EE10 |
| 244 | | | | 32 | | LDAA | VJ1 |
| 2AA | | B7 | | | | STAA | \$EE21 |
| 2AA | | | 18 | | | LDAA | VJ2 |
| 2AA | | B7 | EE | 20 | | STAA | \$EE20 |
| 2AA | E | 39 | | | | RTS | |
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| 2AA | | B6 | | | TUNE1 | LDAA | UII |
| 2AB | | B7 | | | | STAA | \$EE11 |
| 2AB | 5 | B6 | | | | LDAA | UI2 |
| 2AB | 18 | B7 | | | | STAA | \$EE10 |
| 2AB | B | B6 | 18 | 3B | | LDAA | VVJ1 |
| 2AB | E | B7 | ΕE | 21 | | STAA | \$EE21 |
| 2AC | | | 18 | | | LDAA | VVJ2 |
| 2AC | | B7 | | | | STAA | \$EE20 |
| 2AC | | 39 | | | | RTS | |
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| | | | | | * | • | |
| 2AC | 8 | FF | 18 | 00 | IDEX | STX | TEMPI |
| 2AC | | FB | | | | ADDB | TEMP2 |
| 2AC | | B9 | | 00 | | ADCA | TEHP1 |
| 2AD | | 87 | | 00 | | STAA | TEHP1 |
| 2AD | | | 18 | | | STAB | TEMP2 |
| | | FE | | | | LDX | TEMP1 |
| 2AD | | | 18 | <u> </u> | | RTS | IERFA |
| 2AD | A | 39 | | | • | KIS | |
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| | _ | | | | # 251 444 | . 544 | RTIME |
| 2AD | | Bé | 18 | 35 | DELAY1 | LDAA | DTIME |
| 2AD | | 40 | | | D1 | TSTA | |
| 2AD | | 27 | | | | BEQ | D2 |
| 2AE | | 8D | 04 | | | BSR | DELAY |
| 2AE | 3 | 4A | | | | DECA | |
| 2AE | | 20 | FØ | | | BRA | D1 |
| 2AE | | 39 | | | D2 | RTS | |
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| 2AE | 7 | CE | 02 | CA | DELAY | LDX | ♦\$2CA |
| 2AE | | 09 | V. | | LDYI | DEX | W. W. Community of the support of th |
| ZAE | | 27 | 02 | | LUII | BEQ | LDY2 |
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| 2AF3 76 2AF6 86 2AF8 B1 2AFB B1 2AFB B1 2AFB B1 2AFB B1 2BO1 86 2BO3 B2 2BO4 36 2BO7 56 2BO8 24 2BO6 B1 2BO6 B1 2BO6 B1 2BO6 B1 2BO7 B1 2BO8 B1 2BO8 B1 2BO8 B1 2BO8 B1 2BO8 B1 2BO8 B1 2BO9 B | | * | RTS | |
|---|-----------------|--------------|-------------|---------------------------------------|
| 2AF3 76 2AF6 86 2AF8 B1 2AFB B1 2AFE 81 2B01 86 2B03 B2 2B06 33 2B07 56 2B08 26 2B0A 86 2B0C B1 2B10 B2 2B10 B2 2B16 89 2B16 89 2B16 89 2B16 89 2B17 76 2B18 19 2B17 76 2B18 19 2B18 1 | F 18 04 | # BI\$BCD | CLR | BCD1 |
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| 2803 B3 2806 33 2807 56 2808 24 2808 24 2800 B1 2807 19 2810 B2 2813 B6 2816 89 2816 89 2817 76 2817 22 2828 B2 2828 B2 2828 B2 2828 B2 2831 19 2832 B2 2833 76 2836 22 2837 39 2844 33 2845 F7 2848 C6 | | LBIB1 | LDAA | ♦8D |
| 2806 3: 2807 56 2808 26 2808 26 280C B1 280F 19 2810 B2 2813 B6 2816 89 2816 89 2817 20 2817 20 2818 19 2828 B6 2828 B6 2828 B6 2828 B6 2831 19 2832 B6 2835 76 2838 20 2836 B6 2837 39 2840 30 2841 F7 2844 30 2845 F7 2848 C6 | 7 18 08 | | STAA | CTR |
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| 2BOC BI 2BOF 19 2BOF 19 2B10 B2 2B13 B6 2B16 89 2B18 19 2B17 76 2B1F 20 2B21 B6 2B24 BI 2B28 B2 2B28 B2 2B28 B2 2B28 B2 2B31 19 2B32 B3 2B35 76 2B38 20 2B37 39 2B41 F7 2B44 30 2B45 F7 2B48 C6 | 4 12 | | BCC | LBIB3 |
| 2B0F 19 2B10 B2 2B13 B6 2B16 89 2B16 89 2B18 19 2B17 76 2B1F 22 2B21 B6 2B24 B1 2B28 B2 2B28 B2 2B28 B2 2B28 B2 2B31 19 2B32 B3 2B35 76 2B38 22 2B36 B2 2B37 39 2B41 F7 2B44 32 2B45 F7 2B48 C6 | 6 01 | | LDAA | *1 |
| 2810 B2 2813 B6 2816 89 2816 89 2817 B1 2817 B2 2817 C2 2817 C2 2824 B1 2824 B1 2828 B2 2828 B2 2828 B2 2831 19 2832 B2 2835 76 2838 C2 2837 C3 2841 F2 2844 C6 2848 C6 | B 18 07 | | ADDA | BCD2 |
| 2813 B6 2816 89 2818 19 2819 B2 2817 76 281F 20 2824 B1 2824 B1 2827 19 2828 B6 2828 B6 2828 B6 2831 19 2832 B6 2833 76 2836 20 2837 39 2840 30 2841 F7 2844 30 2845 F7 2848 C6 2848 C6 2848 A6 2848 A6 2848 A6 2846 56 2847 26 | 9 | | DAA | |
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| 2819 B2 281C 76 281F 22 2821 B6 2824 B1 2827 19 2828 B2 2828 B2 2828 B2 2831 19 2832 B2 2835 76 2838 20 2837 39 2840 33 2841 F2 2844 33 2845 F7 2848 C6 2848 A2 2848 A2 2846 56 2847 26 | 9 00 | | ADCA | \$0 |
| 2B1C 76 2B1F 27 2B2F 28 2B2A B1 2B2A B1 2B2B B6 2B2B B6 2B2B B6 2B31 19 2B32 B1 2B35 76 2B38 27 2B38 2 | | | DAA | |
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| 2824 BI 2827 19 2828 B2 2828 B3 2828 B3 2831 19 2832 B3 2835 7/ 2838 27 2838 27 2836 BI 2837 39 2841 F7 2844 33 2845 F7 4 2848 C4 2848 A3 2845 F7 4 2848 A3 2845 F7 4 2848 A3 2845 F7 4 2848 A3 2845 F7 4 2848 A3 2845 F7 4 2848 A3 2847 O1 2846 5/ 2847 26 | 7 1B | | BEQ | LBIB4 |
| 2827 19 2828 86 2828 86 2828 86 2831 19 2832 86 2835 76 2838 27 2838 27 2838 27 2838 27 2838 27 2838 27 2848 66 2848 66 2848 67 2848 66 2848 67 | | | LDAA | BCD2 |
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| 2828 B6 282E B9 2831 19 2832 B3 2835 76 2838 27 2838 27 2836 B6 2837 39 2841 F7 2844 37 2845 F7 2848 C6 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 | | | DAA | |
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| 2B31 19 2B32 B3 2B35 76 2B38 27 2B3A 26 2B3C B8 2B3F 39 2B41 F7 2B44 33 2B45 F7 2B48 C6 2B4A 32 2B4B A7 2B4B A7 2B4B A7 2B4F 26 | | | LDAA | BCD1 |
| 2B32 B3 2B35 7/ 2B36 23 2B3A 26 2B3C B6 2B3F 39 2B41 F3 2B41 F3 2B45 F3 2B48 C6 2B48 C6 2B48 A3 2B48 A3 | 9 18 06 | | ADCA | BCD1 |
| 2B35 76 2B38 27 2B38 27 2B3A 20 2B3C B8 2B3F 35 2B41 F7 2B44 33 2B45 F7 2B48 C6 2B4A 32 2B4B A3 2B4B A3 2B4B A3 2B4F 26 | | | DAA . | 2024 |
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| 2B3A 20 2B3C BE 2B3F 35 2B41 F7 2B44 33 2B45 F7 2B48 C6 2B48 A2 2B4B A2 2B4 | A 18 08 7 C7 | | DEC BEQ | CTR LBIB1 |
| 2B3C Bi 2B3F 39 2B41 F7 2B44 33 2B45 F7 2B48 C4 2B48 A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 2B4B A2 | | | BRA | LBIB2 |
| 2B3F 39 2B40 33 2B41 F7 2B44 33 2B45 F7 2B48 C4 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 2B48 A2 | O CB | LBIB4 | LDS | TEHP5 |
| 2840 33 2841 F7 2844 33 2845 F7 2848 C4 284A 33 284B A3 284B A3 284B A3 284B A3 284B A3 284B A3 284B A3 | E 18 04 | CDIBA | RTS | IENTS |
| 2840 33 2841 F7 2844 33 2845 F7 2848 C6 284A 32 284B A7 284B A7 284B A7 284E 56 284F 26 | . 7 | • | KI3 | |
| 2840 33 2841 F7 2844 33 2845 F7 2848 C6 284A 32 284B A7 284B A7 284B A7 284E 56 284F 26 | | | | |
| 2840 33 2841 F7 2844 33 2845 F7 2848 C6 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2848 A7 2846 56 2847 26 | | * | | |
| 2841 F7 2844 33 2845 F7 2848 C4 284A 32 284B A7 284D O1 284E 56 284F 26 | 3 | PULL8 | PULB | |
| 2844 33 2845 F7 2848 C6 284A 32 284B A7 284D 01 284E 56 284F 26 | 7 18 4E | | STAB | STACKI |
| 2845 F7 2848 C4 284A 32 284B A7 284D 04 284E 54 284F 24 | | | PULB | · · · · · · · · · · · · · · · · · · · |
| 2848 Cd 284A 33 284B A3 284D Od 284E 56 284F 26 | 7 18 4F | | STAB | STACK2 |
| 2848 A3 2848 A3 2840 O1 284E 56 284F 26 | 6 08 | | LDAB | \$8 |
| 2848 A7 2840 00 284E 56 284F 26 | | P8 | PULA | |
| 284D 00 284E 56 284F 26 | 7 00 | | STAA | 0•X |
| 284E 56 284F 26 | 8 | | INX | |
| | A | | DECB | |
| 2851 F | 6 F9 | | BNE | P8 |
| | 6 18 4F | | LDAB | STACK2 |
| 2B54 37 | 7 | | PSHB | |
| | 6 18 4E | | LDAB | STACK1 |
| 2858 3 | | | PSHB | |
| 4 2B59 39 | 9 | | RTS | |

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| - | 2B5A | 33 | | | PUSH88 | PULB | ATANA | |
| 1 | 2B5B | | 18 | 4E | | STAB | STACK1 | |
| ì | 285E | 33 | | | | PULB | 57 4 54 5 | |
| • | 2B5F | | 18 | 4F | | STAB | STACK2 | |
| | 2B62 | | 08 | | | LDAB | ● 8 | |
| | 2B64 | | 07 | | P8 8 | LDAA | 7•X | |
| 1: | 2866 | 36 | | | | PSHA | | |
| 4 | 2B67 | 09 | | | | DEX | | |
| 1 | 2B68 | 5A | | | | DECB | | |
| ļ | 2869 | | F9 | | | BNE | P88 | |
| | 286B | | 18 | 4F | | LDAB | STACK2 | |
| | 286E | 37 | | | | PSH B | | |
| | 2B6F | F6 | 18 | 4E | | LDAB | STACK1 | |
| , | 2872 | 37 | | | | PSHB | | |
| .i | 2B73 | 39 | | | | RTS | | |
| a) | | | | | * | | | |
| | | | | | * | | | |
| | | | | | * | | | |
| | 2874 | F7 | 18 | 50 | PUSH82 | STAB | PUSHST | |
| -2 | 2B77 | 33 | | | | PULB | | |
| | 2878 | | 18 | 4E | | STAB | STACK1 | |
| 2.0 | 2B7B | 33 | | | | PULB | | |
| | 287C | | 18 | 4F | | STAB | STACK2 | |
| 1 | 2 B 7F | 5F | | •• | | CLRB | | |
| | 2B80 | 37 | | | | PSHB | | |
| | 2881 | 37 | | | | PSHB | | |
| ' | 2882 | 37 | | | | PSHB | | |
| W | 2883 | 37 | | | | PSHB | | |
| | 2884 | 37 | | | | PSHB | | |
| | 2B85 | 37 | | | | PSHB. | | |
| | 2B86 | | 18 | 50 | | LDAB | PUSHST | |
| | 2B89 | 37 | | <u> </u> | | PSHB | 7 001101 | |
| , | 2B8A | 36 | | | | PSHA | | |
| | 2B8B | | 07 | | | LDAA | \$ 7 | |
| 7 | 288D | | 80 | ΔΔ. | | JSR | HÁTH | NFLPTN |
| : | 2B90 | | | | | LDAB | STACK2 | W.P. IA |
| | 2B70 2B93 | 37 | 10 | 71 | | PSHB | SIMUNE | |
| | 2873 2894 | | 18 | AF | <u>.</u> | LDAB | CTACK1 | |
| +u1 | | 70 37 | 10 | 76 | | PSH B | STACK1 | |
| • | 2897 | | | | | RTS | | |
| | 2898 | 39 | | | - | | | |
| • | | | | | . | | | |
| | | | | | . | | | |
| i | 2899 | 33 | | | PULL4 | PULB | | |
| 1.1 | | | | AF | r ull 7 | STAB | STACK. | |
| | 2B9A | | 18 | 76 | | PULB | STACK1 | |
| ·•• | 2B9D | 33 | | | | | OTANUS | The second secon |
| | 289E | | 18 | 4 | | STAB | STACK2 | |
| | 2BA1 | 4D | | | | TSTA | 1.040 | |
| | 2BA2 | | 06 | | | BEQ | LP42 | |
| | 2BA4 | 08 | | | LP41 | INX | | |
| ** | 2BA5 | 4A | | | | DECA | | |
| 50 | 2BA6 | | 02 | | | BEQ | LP42 | |
| | 2BA8 | | FÄ | | | BRA | LP41 | |
| | 2BAA | 32 | | | LP42 | PULA | | |
| | 2BAB | | 00 | | | STAA | 0 • X | |

| • | | | | | |
|------------------|----------------|---------------|----------------|--------------|--|
| | 2BAD | 32 | | PULA | |
| | 2BAE | A7 01 | | STAA | 1,X |
| 3 | 2BB0 | 32 | | PULA | |
| • | 2BB1 | A7 02 | | STAA | 2.X |
| 1 | 2 B B3 | 32 | | PULA | |
| • | 2BB4 | A7 03 | | STAA | 3,X |
| | 2BB6 | F6 18 | 4F | LDAB | STACK2 |
| e | 2BB9 | 37 | | PSHB | |
| • | 2BBA | F6 18 | 4E | LDAB | STACK1 |
| 10 | 2B8D | 37 | T | PSHB | |
| " | 2BBE | 39 | | RTS | |
| ·* | | | * | | |
| 12 | | | * | | |
| 4 | | | * | | |
| 5 | 2BBF | 33 | PUSH44 | PULB | |
| • | 2BC0 | F7 18 | 4E | STAB | STACK1 |
| 4 | 2BC3 | 33 | | PULB | |
| • | 2BC4 | F7 18 | 4F | STAB | STACK2 |
| , | 2BC7 | 4D | | TSTA | |
| • | 2BC8 | 27 06 | | BEQ | LP442 |
| | 2BCA | 08 | LP441 | INX | |
| 2 | 2BCB | 4A | | DECA | |
| 4 | 2BCC | 27 02 | | BEQ | LP442 |
| 14 | 2BCE | 20 FA | | BRA | LP441 |
| ·, | 2BD0 | A6 03 | LP442 | LDAA | 3,X |
| | 2BD2 | 36 | | PSHA | _ · · · • |
| | 2BD3 | A6 02 | | LDAA | 2,X |
| | 2BD5 | 36 | | PSHA | |
| 9 | 2BD6 | A6 01 | | LDAA | 1,X |
| ۵ | 2BD8 | 36 | | PSHA | |
| | 2BD9 | A6 00 | | LDAA | 0,X |
| : | 2BDB | 36 | | PSHA | **** |
| 1, | 2BDC | F6 18 4 | 4F | LDAB | STACK2 |
| 4 | 28DF | 37 | •• | PSHB | |
| a l | 2BEO | F6 18 | 4E | LDAB | STACK1 |
| 4 | 2BE3 | 37 | · - | PSHB | |
| | 28E4 | 39 | | RTS | |
| | | - | * | | |
| , | | | * | | |
| ſ | | | * | | |
| 1 | 2BE5 | 33 | PUSH41 | PULB | |
| य | 2BE6 | F7 18 4 | | STAB | STACK1 |
| <u></u> | | 33 | | PULB | With the same of t |
| | 2BEA | F7 18 4 | lF | STAB | STACK2 |
| | 2BED | 36 | ** | PSHA | |
| 4 | 2BEE | 48 | | ASLA | |
| .] | 2BEF | 24 04 | | BCC | LP411 |
| 1 | 2BF1 | 86 FF | | LDAA | ##FF |
| | 2BF3 | 20 01 | | | |
| • | 2BF 3 2BF 5 | 20 01 4F | LP411 | BRA | LP412 |
| | | | | CLRA | |
| , | 29F6 | 36 | LP412 | PSHA | |
| 2 31 | 2BF7 | 36 | | PSHA | |
| | 2BF8 | 36 | | PSHA | 074040 |
| · | 2BF9 | F6 18 4 |) | LDAB | STACK2 |
| | 2BFC | 37 | | PSHD | 874844 |
| - - | 2BFD 2C00 | F6 18 4 | 1 E. | ldab Pshb | STACK1 |
| | | | | 22 22 24 10 | |

| 2C42 A7 27 STAA \$27, X 2C44 6A 08 BEC 8, X 2C46 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E, X 2C4A A7 08 STAA 8, X 2C4C 6D 09 RD3 TST 8, X 2C4E 27 22 BEG RD4 2C70 A6 24 LDAA \$24, X 2C72 47 ASRA 2C72 47 STAA \$22, X 2C73 A7 24 STAA \$22, X 2C75 A6 25 LDAA \$25, X 2C76 A6 26 LDAA \$25, X 2C76 A6 26 LDAA \$25, X 2C77 A6 RORA 2C76 A6 27 STAA \$22, X 2C77 A6 27 LDAA \$22, X 2C77 A6 27 LDAA \$22, X 2C77 A6 27 LDAA \$22, X 2C77 A6 27 LDAA \$22, X 2C77 A6 27 LDAA \$22, X 2C81 A7 27 STAA \$22, X 2C82 A7 27 STAA \$22, X 2C82 A7 27 STAA \$22, X 2C83 A6 29 LDAA \$28, X 2C84 A6 8 STAA \$27, X 2C84 A6 RORA 2C87 A7 28 STAA \$27, X 2C88 A6 29 LDAA \$27, X 2C89 A6 29 LDAA \$27, X 2C80 A7 29 STAA \$27, X 2C80 A7 29 STAA \$27, X 2C80 A7 29 STAA \$27, X 2C81 A7 29 STAA \$27, X 2C82 A7 29 STAA \$27, X 2C82 A7 29 STAA \$27, X 2C82 A7 29 STAA \$27, X 2C82 A7 29 STAA \$27, X 2C83 BD 33 SS SS SS SS SS SS SS SS SS SS SS SS | ir. | | | | | * | | |
|--|--------------------|-------|------------|----|----------------|----------------|-------|---------------|
| 2C44 | | | | | | JEIT UJ | | |
| 2C64 20 CE BRA RD1 | š.[| | | | | SETPHS | | - |
| 2044 6A 08 DEC 8,X 2046 20 CE BRA RD1 2108 A4 3E RD2 LDAA 63E,X 2104 A7 08 RD3 TST 8,X 2104 A7 08 RD3 TST 8,X 2104 A7 08 RD3 TST 8,X 2105 A2 24 LDAA 624,X 2107 A6 24 LDAA 624,X 2107 A6 25 LDAA 625,X 2107 A6 25 LDAA 625,X 2107 A6 26 LDAA 626,X 2107 A6 26 LDAA 626,X 2107 A6 26 LDAA 626,X 2107 A6 27 LDAA 626,X 2107 A7 26 STAA 626,X 2107 A7 26 STAA 627,X 2108 A7 27 STAA 627,X 2108 A7 27 STAA 627,X 2108 A7 28 STAA 628,X 2108 A6 28 LDAA 628,X 2108 A6 29 LDAA 628,X 2108 A6 29 LDAA 627,X 2108 A6 29 LDAA 628,X 2109 20 DA BRA RD3 2108 A6 29 LDAA 628,X 2109 20 DA BRA RD3 2108 A6 29 LDAA 628,X 2109 20 DA BRA RD3 2108 A6 29 LDAA 628,X 2109 20 DA BRA RD3 2108 A6 29 LDAA 628,X 2109 20 DA BRA RD3 2108 BD 33 B6 JSR HUXSEL 2108 BD 33 B6 JSR HUXSEL 2108 BD 33 B6 JSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET 2108 BD 34 BSR SGNSET | ام | 2CBD | 86 | | | | LDAA | |
| 2C44 4A 08 DEC 8,X 2C46 20 CE BRA RD1 2C46 A6 3E RD2 LDAA 83E,X 2C46 A7 08 STAA 8,X 2C46 A7 08 STAA 8,X 2C46 A7 08 BBG RD4 2C46 A7 08 BBG RD4 2C46 A7 08 BBG RD4 2C46 A7 08 BBG RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$25,X 2C75 A6 25 LDAA \$25,X 2C76 A6 26 LDAA \$25,X 2C77 A6 RORA 2C78 A7 25 STAA \$25,X 2C77 A6 C7 LDAA \$26,X 2C77 A6 27 LDAA \$26,X 2C77 A6 27 LDAA \$27,X 2C81 47 ASRA 2C82 A7 27 STAA \$27,X 2C84 A6 28 LDAA \$27,X 2C84 A6 28 LDAA \$28,X 2C84 A6 28 LDAA \$28,X 2C87 A7 28 STAA \$28,X 2C88 A6 RORA 2C87 A7 28 STAA \$28,X 2C88 A6 RORA 2C88 A6 RORA 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C89 A6 29 LDAA \$29,X 2C88 A6 RORA 2C99 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STAA \$27,X 2C98 FF 18 26 STA \$27,X 2C98 FF 18 27 STA \$27,X 2C98 FF 18 27 STA \$27,X 2C98 FF 18 27 STA \$27,X 2C98 FF 18 27 STA \$27,X 2C9 | , | oree | 24 | 07 | | # GONGET | RPI | SETPOS |
| 2C44 4A 08 DEC 8-X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA 83E, X 2C4C AD 08 RD3 TST 8, X 2C4C AD 08 RD3 TST 8, X 2C4C 27 22 BEG RD4 2C70 A6 24 LDAA 824, X 2C72 47 ASRA 2C73 A7 24 STAA 825, X 2C77 A6 2C78 A7 25 STAA 825, X 2C76 A6 26 LDAA \$26, X 2C77 A6 C7 LDAA \$26, X 2C78 A7 26 STAA \$26, X 2C78 A7 27 LDAA \$27, X 2C78 A7 26 STAA \$27, X 2C78 A7 27 LDAA \$27, X 2C82 A7 27 LDAA \$27, X 2C84 A6 28 LDAA \$29, X 2C84 A6 28 LDAA \$29, X 2C84 A6 29 LDAA \$29, X 2C88 A6 RORA 2C87 A7 28 STAA \$29, X 2C88 A6 RORA 2C89 A6 29 LDAA \$29, X 2C88 A6 RORA 2C97 A7 28 STAA \$29, X 2C88 A6 RORA 2C97 A7 28 STAA \$29, X 2C88 A6 RORA 2C98 A6 29 LDAA \$29, X 2C88 A6 RORA 2C99 A6 29 LDAA \$29, X 2C88 A6 RORA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 STAA \$27, X 2C98 FF 18 26 STX COR2 2C98 FF 18 26 STX COR2 2C98 FF 18 26 STX COR3 2C98 FF 18 27 STA SIMON 2CAP BD 33 BB SS SSSET 2CAP BD 33 BB SSS SSSET 2CAP BD 33 BB SSS SSSET 2CAP BT 18 A1 STAA SIGNI 2CB2 7D 18 02 TST TEMP3 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET | -4 | | | | | * | | |
| 2C44 4A 08 DEC 8-X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA 83E, X 2C4C AD 08 RD3 TST 8, X 2C4C AD 08 RD3 TST 8, X 2C4C 27 22 BEG RD4 2C70 A6 24 LDAA 824, X 2C72 47 ASRA 2C73 A7 24 STAA 825, X 2C77 A6 2C78 A7 25 STAA 825, X 2C76 A6 26 LDAA \$26, X 2C77 A6 C7 LDAA \$26, X 2C78 A7 26 STAA \$26, X 2C78 A7 27 LDAA \$27, X 2C78 A7 26 STAA \$27, X 2C78 A7 27 LDAA \$27, X 2C82 A7 27 LDAA \$27, X 2C84 A6 28 LDAA \$29, X 2C84 A6 28 LDAA \$29, X 2C84 A6 29 LDAA \$29, X 2C88 A6 RORA 2C87 A7 28 STAA \$29, X 2C88 A6 RORA 2C89 A6 29 LDAA \$29, X 2C88 A6 RORA 2C97 A7 28 STAA \$29, X 2C88 A6 RORA 2C97 A7 28 STAA \$29, X 2C88 A6 RORA 2C98 A6 29 LDAA \$29, X 2C88 A6 RORA 2C99 A6 29 LDAA \$29, X 2C88 A6 RORA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 DA BRA ROBA 2C90 STAA \$27, X 2C98 FF 18 26 STX COR2 2C98 FF 18 26 STX COR2 2C98 FF 18 26 STX COR3 2C98 FF 18 27 STA SIMON 2CAP BD 33 BB SS SSSET 2CAP BD 33 BB SSS SSSET 2CAP BD 33 BB SSS SSSET 2CAP BT 18 A1 STAA SIGNI 2CB2 7D 18 02 TST TEMP3 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET 2CB2 BD 04 BBR SGNSET | ij | 2U.BR | 37 | | | * | NI3 | |
| 2C44 4A 08 DEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA 83E,X 2C4C A7 08 STAA 8,X 2C4C AD 08 RD3 TST 8,X 2C4C 27 22 BEQ RD4 2C70 A6 24 LDAA 824,X 2C72 A7 ASRA 2C73 A7 24 STAA 825,X 2C77 A6 2C78 A7 25 STAA 825,X 2C7A A6 26 LDAA 826,X 2C7A A6 26 LDAA 826,X 2C7A A6 27 LDAA 827,X 2C7A A6 27 LDAA 827,X 2C7A A6 28 LDAA 827,X 2C7A A6 29 LDAA 827,X 2C7A A6 29 LDAA 827,X 2C7A A6 28 LDAA 827,X 2C82 A7 27 STAA 827,X 2C82 A7 27 STAA 827,X 2C82 A7 27 STAA 827,X 2C82 A7 27 STAA 827,X 2C84 A6 28 LDAA 827,X 2C84 A6 28 LDAA 827,X 2C85 A6 CRAA 2C86 A6 RORA 2C87 A7 28 STAA 827,X 2C88 A6 29 LDAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 27 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 827,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 28 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STAA 828,X 2C88 A6 STA | | | | | AZ | | | DIUNU |
| 2C44 4A 08 BEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA 83E-X 2C4A A7 08 STAA 8,X 2C4C 4D 09 RD3 TST 8,X 2C4E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$25,X 2C75 A6 25 LDAA \$25,X 2C76 A6 26 LDAA \$25,X 2C77 A6 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$26,X 2C7A A6 26 LDAA \$26,X 2C7A A6 26 LDAA \$27,X 2C7B A7 26 STAA \$27,X 2C81 47 ASRA 2C82 A7 27 STAA \$27,X 2C81 47 ASRA 2C82 A7 27 STAA \$28,X 2C84 A6 28 LDAA \$29,X 2C84 A6 28 LDAA \$29,X 2C85 A6 29 LDAA \$29,X 2C86 A6 RORA 2C87 A7 28 STAA \$28,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$29,X 2C88 A6 PLDAA \$27,X 2C88 A6 PLDAA \$28,X 2C89 A6 PLDAA \$27,X 2C88 A6 PL | | | | | | | | |
| 2C64 40 08 BRC BYX 2C64 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E X 2C6A A7 08 STAA 8,X 2C6C 40 09 RD3 TST BY 8,X 2C6E 27 22 BEG RB4 2C70 A6 24 LDAA \$24 X 2C72 47 4 2C73 A7 24 STAA \$25 X 2C75 A6 25 LDAA \$25, X 2C76 A7 25 STAA \$25, X 2C77 A6 RORA 2C78 A7 25 STAA \$26 X 2C70 A6 27 LDAA \$26 X 2C77 A6 STAA \$27 X 2C78 A6 27 LDAA \$27 X 2C78 A6 27 LDAA \$27 X 2C81 47 ASRA 2C81 47 ASRA 2C82 A7 27 STAA \$27 X 2C84 A6 28 LDAA \$29 X 2C85 A6 RORA 2C87 A7 28 STAA \$29 X 2C88 A6 RORA 2C87 A7 28 STAA \$29 X 2C88 A6 RORA 2C87 A7 29 STAA \$29 X 2C88 A6 RORA 2C87 A7 29 STAA \$29 X 2C88 A6 RORA 2C87 A7 29 STAA \$29 X 2C88 A6 RORA 2C87 A7 29 STAA \$29 X 2C88 A6 RORA 2C87 A7 29 STAA \$29 X 2C88 A6 RORA 2C90 20 DA BRA RD3 2C77 E 18 25 RD4 LDX COR2 2C79 FF 18 26 STX COR1 2C79 FF 18 26 STX COR1 2C79 FF 18 26 STX COR1 2C79 FF 18 26 STX COR1 2C79 BF 18 26 STX COR1 2C79 BF 18 26 STX COR1 2C79 BF 18 26 STX COR1 2C79 BF 18 26 STX COR1 2C79 B 33 6F JSR HUXSEL 2CA4 B 33 6F JSR SGNSET 2CA6 B 30 C BSR SGNSET 2CA6 B 30 C BSR SGNSET 2CA6 B 37 18 A1 STAA SIGNI | | | | | 02 | - - | | |
| 2C44 4A 08 BEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA 83E,X 2C4A A7 08 STAA 8,X 2C4C 6D 09 RD3 TST 8,X 2C4C 27 22 BEG RD4 2C70 A6 24 LDAA \$24,X 2C72 47 2C73 A7 24 STAA \$25,X 2C75 A6 25 LDAA \$25,X 2C76 A6 26 LDAA \$25,X 2C77 A6 RORA 2C78 A7 25 STAA \$26,X 2C7A A6 26 LDAA \$26,X 2C7A A6 26 LDAA \$27,X 2C7A A6 26 LDAA \$27,X 2C7B A7 26 STAA \$26,X 2C7F A6 27 LDAA \$27,X 2C81 47 ASRA 2C82 A7 27 STAA \$27,X 2C84 A6 28 LDAA \$28,X 2C84 A6 28 LDAA \$28,X 2C84 A6 28 LDAA \$29,X 2C84 A6 29 LDAA \$29,X 2C84 A6 29 LDAA \$29,X 2C84 A6 29 LDAA \$29,X 2C84 A6 RORA 2C87 A7 28 STAA \$29,X 2C88 A6 RORA 2C87 A7 28 STAA \$29,X 2C88 A6 RORA 2C87 A7 28 STAA \$29,X 2C88 A6 RORA 2C87 B7 STAA \$27,X 2C88 A6 RORA 2C87 B7 STAA \$27,X 2C88 A6 RORA 2C87 B7 STAA \$28,X 2C88 A6 RORA 2C88 BA BC CRA 2C89 A6 29 LDAA \$29,X 2C88 A6 RORA 2C89 A6 29 STAA \$29,X 2C88 A6 RORA 2C99 FF 18 26 STA COR1 2C90 FF 18 28 LDX COR2 2C90 FF 18 28 LDX COR2 2C90 FF 18 28 LDX COR3 2C91 B7 STA STA STA COR1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 26 STX COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 COR3 2C98 FF 18 C | •2: | | | | | ~ + | | |
| 2C44 6A 08 | | | | | | | BSR | SGNSET |
| 2C44 6A 08 DEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA \$3E.X 2C4C A7 08 STAA 8,X 2C4C 6D 08 RD3 TST 8,X 2C4C 27 22 BEQ RD4 2C70 A6 24 LDAA \$24.X 2C72 47 ASRA 2C73 A7 24 STAA \$25.X 2C75 A6 25 LDAA \$25.X 2C77 A6 RORA 2C78 A7 25 STAA \$25.X 2C7A A6 26 LDAA \$26.X 2C7C A6 RORA 2C7B A7 26 STAA \$26.X 2C7F A6 27 LDAA \$27.X 2C81 A7 ASRA 2C82 A7 27 STAA \$27.X 2C84 A6 28 LDAA \$27.X 2C84 A6 28 LDAA \$29.X 2C86 A6 RORA 2C87 A7 28 STAA \$29.X 2C88 A6 RORA 2C89 A6 29 LDAA \$29.X 2C88 A6 RORA 2C80 A7 27 STAA \$29.X 2C88 A6 RORA 2C80 A7 27 STAA \$29.X 2C80 A6 29 LDAA \$27.X 2C80 A6 CP STAA \$27.X 2C80 A6 RORA 2C80 A7 27 STAA \$29.X 2C80 A6 CP STAA \$29.X 2C80 A6 CP STAA \$29.X 2C80 A6 CP STAA \$27.X 2C80 A6 RORA 2C80 A7 27 STAA \$29.X 2C80 A6 CP STAA \$27.X 2C80 A6 CP STAA \$28.X 2C80 A7 CP STAA \$29.X 2C80 A6 CP STAA \$27.X 2C80 A6 CP STAA \$28.X 2C80 A7 CP STAA \$27.X 2C80 A6 CP STAA \$27.X 2C80 A6 CP STAA \$27.X 2C80 A6 CP STAA \$28.X 2C80 A7 CP STAA \$28.X 2C80 A6 CP STAA \$28.X 2C80 A7 CP STAA \$28.X 2C80 A7 CP STAA \$28.X 2C80 A6 CP STAA \$28.X 2C80 | | | | | | | | |
| 2C44 6A 08 DEC BYX 2C64 20 CE BRA RD1 2C68 A6 3E RD2 LDAA 93E;X 2C6A A7 08 STAA 8;X 2C6E 27 22 BEG RD4 2C70 A6 24 LDAA \$24;X 2C72 47 2C73 A7 24 STAA \$25;X 2C77 A6 RORA 2C78 A7 25 STAA \$25;X 2C7A A6 26 LDAA \$26;X 2C7C A6 27 LDAA \$26;X 2C7F A6 27 LDAA \$27;X 2C7F A6 27 LDAA \$27;X 2C81 47 ASRA 2C81 47 ASRA 2C82 A7 27 STAA \$28;X 2C84 A6 28 LDAA \$28;X 2C84 A6 28 LDAA \$28;X 2C85 A6 29 LDAA \$29;X 2C87 A7 28 STAA \$29;X 2C88 A6 RORA 2C88 A6 RORA 2C88 A6 RORA 2C89 A6 29 LDAA \$29;X 2C88 A6 RORA 2C89 A6 29 LDAA \$29;X 2C88 A6 RORA 2C99 CD DA BRA RD3 2C99 FF 18 26 STA COR2 2C99 FF 18 24 STX COR1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C99 FF 18 26 STX COR3 2C98 FF 18 27 STA STA STX COR3 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 28 LDX COR4+1 2C98 FF 18 26 STX COR3 2C91 SD 33 S8 SEADSN LDAA \$3 2C61 SD 35 SEADSN LDAA \$3 2C61 SD 35 SEADSN LDAA \$3 2C61 SD 35 SEADSN LDAA \$3 2C61 SD 3 | | | | | | | | |
| 2C44 4A 08 | | | | | | | | |
| 2C64 6A 08 | × | | | | | KEAUSN | | |
| 2C44 6A 08 | | | . . | | | * | | 4- |
| 2C44 6A 08 | 4 | | | | | * | | |
| 2C64 6A 08 | | 2UYE | 37 | | | * | K13 . | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6C 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 2C77 A6 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$25,X 2C7A A6 26 LDAA \$26,X 2C7C 46 RORA 2C7B A7 26 STAA \$26,X 2C7F A6 27 LDAA \$27,X 2C81 47 ASRA 2C82 A7 27 STAA \$27,X 2C84 A6 28 LDAA \$28,X 2C86 46 RORA 2C87 A7 28 STAA \$28,X 2C88 A6 29 LDAA \$29,X 2C88 A6 29 LDAA \$27,X 2C88 A6 29 LDAA \$27,X 2C88 A6 29 LDAA \$27,X 2C88 A6 29 LDAA \$27,X 2C89 A6 29 LDAA \$27,X 2C80 A7 29 STAA \$28,X 2C80 A7 29 STAA \$27,X 2C81 B2 STAA \$27,X 2C82 B4 BA RORA 2C87 B7 STAA \$28,X 2C88 B4 RORA 2C88 B4 RORA 2C89 B6 B7 STAA \$28,X 2C89 B7 STAA \$29,X 2C88 B7 STAA \$27,X 2C88 B7 STAA \$28,X 2C89 B7 STAA \$27,X 2C88 B7 STAA \$28,X 2C89 B7 STAA \$27,X 2C88 B7 STAA \$28,X 2C89 B7 STAA \$27,X 2C88 B7 STAA \$28,X 2C89 B7 STAA \$27,X 2C88 | | | | 18 | 26 | | | COR3 |
| 2C44 6A 08 | w | | | | | | | |
| 2C44 6A 08 | ,9 | 2095 | FF | 18 | 24 | | STX | |
| 2C64 6A 08 | | | FE | 18 | | RD4 | LDX | COR2 |
| 2C64 6A 08 | .• | | | | | | | |
| 2C44 6A 08 | | | | | | | | |
| 2C64 6A 08 | 1'*! | | | 20 | · - | | | 470.Y |
| 2C64 6A 08 DEC BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6C 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C77 A6 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$25,X 2C7A A6 26 LDAA \$26,X 2C7C A6 RORA 2C7B A7 26 STAA \$26,X 2C7F A6 27 LDAA \$27,X 2C81 47 ASRA 2C81 47 ASRA 2C82 A7 27 STAA \$27,X 2C84 A6 28 LDAA \$27,X 2C84 A6 28 LDAA \$27,X 2C86 46 RORA 2C87 A7 28 STAA \$28,X | 1. 1 6 1 | | | 29 | | | | \$29,X |
| 2C64 6A 08 | 22 | | | | | | | |
| 2C64 6A 08 | · , | 2086 | 46 | | | | RORA | |
| 2C64 6A 08 DEC B;X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RB4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 2C77 46 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$25,X 2C7A A6 26 RORA 2C7B A7 26 STAA \$26,X 2C7F A6 27 LDAA \$27,X 2C7F A6 27 LDAA \$27,X 2C81 47 ASRA | | 2C84 | A6 | | | | LDAA | |
| 2C64 6A 08 DEC 8,X 2C64 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 2C77 46 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$26,X 2C7C 46 RORA 2C7D A7 26 STAA \$26,X 2C7F A6 27 LDAA \$27,X | 1 | | | 27 | | | | \$27,X |
| 2C64 6A 08 DEC B;X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E;X 2C6A A7 08 STAA B;X 2C6C 6D 08 RD3 TST B;X 2C6E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24;X 2C72 47 ASRA 2C73 A7 24 STAA \$24;X 2C75 A6 25 LDAA \$25;X 2C77 46 RORA 2C78 A7 25 STAA \$25;X 2C7A A6 26 LDAA \$26;X 2C7C 46 RORA 2C7D A7 26 STAA \$26;X | , a | | | | | | | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 2C77 46 RORA 2C78 A7 25 STAA \$25,X 2C70 A6 26 LDAA \$26,X 2C70 A6 26 RORA | !7 | | | | | | | |
| 2C44 6A 08 DEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA \$3E,X 2C4A A7 08 STAA 8,X 2C4C 6D 08 RD3 TST 8,X 2C4E 27 22 BEQ RB4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 2C77 46 RORA 2C78 A7 25 STAA \$25,X 2C7A A6 26 LDAA \$26,X | - | | | 24 | | | | \$24.¥ |
| 2C64 6A 08 DEC 8,X 2C64 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RB4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X RORA 2C78 A7 25 STAA \$25,X | | | | 26 | | | | \$261X |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RB4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X 2C75 A6 25 LDAA \$25,X 7 2C77 46 RORA | | | | | | | | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEG RB4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA 2C73 A7 24 STAA \$24,X | 7 | 2C77 | 46 | | | | | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X 2C72 47 ASRA |]. .} | | | | | | | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RD4 2C70 A6 24 LDAA \$24,X | 10 | | | 24 | | | | \$24,X |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X 2C6E 27 22 BEQ RD4 | 1.1 | | | 47 | | | | 76718 |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 2C68 A6 3E RD2 LDAA \$3E,X 2C6A A7 08 STAA 8,X 2C6C 6D 08 RD3 TST 8,X | | | | | | | | |
| 2C44 6A 08 DEC 8,X 2C46 20 CE BRA RD1 2C48 A6 3E RD2 LDAA \$3E,X 2C4A A7 08 STAA 8,X | 1 | | | | | _RD3 | | |
| 2C64 6A 08 DEC 8,X 2C66 20 CE BRA RD1 | ' . | | | | | | | |
| 2C64 6A 08 DEC 8,X | 1. | | | | | RD2 | | |
| | . } | | | | | | | |
| | | 2C62 | | | | | STAA | \$27,X 8.Y |

| • | | | | | |
|--------------|------|---------|----------|-------|------------------------------|
| ٠ | 2CC2 | | C01 | EQU | * |
| _1; | 2CC2 | 40 00 9 | | FCB | \$40,0,\$98,\$33 |
| | | 00 00 | | | |
| | 2CC6 | | | FCB | 0,0,98,995 |
| !• | 2CCA | 00 00 F | | FCB | 0,0,4FB,4CD |
| | 2CCE | 00 00 (|)2 | FCB | 0,0,2, 9 2C |
| - . | 2CD2 | 00 00 F | E | FCB | 0,0,\$FE,\$AB |
| | 2CD6 | 00 00 0 | | FCB | 0,0,0,8EA |
| _ ' | | | | | |
| 3 | 2CDA | 00 00 F | | FCB | 0,0,8FF,855 |
| - [a] | 2CDE | 00 00 0 | | FCB | 0,0,0,\$85 |
| | 2CE2 | 00 00 F | F | FCB | 0,0,\$FF,\$96 |
| | 2CE6 | 00 00 0 | 00 | FCB | 0,0,0,\$59 |
| | | | | | |
| '2 | 2CEA | | | FCB | 0,0,\$FF,\$B5 |
| 3- | 2CEE | 00 00 (| | FCB | 0,0,0,\$42 |
| _ '.' | 2CF2 | 00 00 F | F | FCB | 0,0,\$FF,\$C6 |
| 1.5 | 2CF6 | 00 00 0 | 00 | FCB | 0,0,0,\$36 |
| | 2CFA | 00 00 F | | FCB | 0,0,\$FF,\$CF |
| _]'•] | | | | | |
| | 2CFE | 00 00 (| | FCB | 0,0,0,830 |
| j. | 2D02 | 00 00 F | | FCB | 0,0,\$FF,\$D5 |
| | 2D06 | 00 00 (| , | FCB | 0,0,0, 12B |
| <u> </u> | 2B0A | 00 00 F | | FCB | 0,0,\$FF,\$D7 |
| | 2DOE | 00 00 (| | FCB | 0,0,0,\$29 |
| - 1 } | | 00 00 1 | | | |
| 53 | 2D12 | | C23 | EQU | * |
| 24 | 2D12 | 40 00 9 | 70 | FCB | \$40,0,\$90,\$44 |
| 24 | 2D16 | BD F4 1 | LD | FCB | \$BD,\$F4,\$1D,\$E |
| 15 | 201A | 00 00 0 | | FCB | 0,0,\$A,\$95 |
| _ 1." | 2D1E | 02 72 1 | | FCB | 2,\$72,\$FC,\$51 |
| D ii | | | | | |
| i | 2D22 | 00 00 F | | FCB | 0,0,\$FE,\$9F |
| 26 | 2D26 | FF 7A | 00 | FCB | \$FF,\$7A,0,\$C5 |
| | 2D2A | 00 00 0 | 00 | FCB | 0,0,0, \$8B |
| 130 | 2D2E | 00 31 F | | FCB | 0,\$31,\$FF,\$A8 |
| <u> </u> | 2D32 | 00 00 F | | FCB | 0,0,\$FF,\$CB |
| _ þ'. | | | | | |
| 24, | 2D36 | FF EA (| | FCB . | \$FF,\$EA,0,\$27 |
| | 2D3A | 00 00 0 | | FCB | 0,0,0,\$1F |
| 34 | 2D3E | OO OC F | F | FCB | 0,\$C,\$FF,\$EA |
| | 2D42 | 00 00 F | -F | FCB | 0,0,8FF,8F1 |
| | 2D46 | FF FA (| | FCB | \$FF,\$FA,0,\$C |
| ″ <u> </u> | | | | | |
| ,* | 2D4A | 00 00 0 | | FCB | 0,0,0,8A |
| _ | 2D4E | 00 04 F | F | FCB | 0,4,\$FF,\$F9 |
| • | 2D52 | 00 00 F | :F | FCB | 0,0,\$FF,\$FC |
| .40 | 2D56 | FF FF (| | FCB | \$FF,\$FF,0,3 |
| | 2D5A | 00 00 | | FCB | 0,0,0,2 |
| • | | | | | |
| _ ed | 2D5E | 00 01 (| | FCB | 0,1,0,0 |
| • | 2062 | | C45 | EQU | * |
| • | 2D62 | 40 00 8 | 3E | FCB | \$40,0,\$8E,\$71 |
| → | 2D66 | B4 EF 2 | | FCB | \$B4,\$EF,\$21, \$B 5 |
| - I | 2D6A | 00 00 1 | | FCB | 0,0,\$10,\$2A |
| _] | | | | FCB | \$D,\$5A,\$F7,\$8E |
| | 2D6E | OD 5A F | | | |
| .44 | 2D72 | 00 00 F | | FCB | 0,0,8FB,870 |
| | 2076 | FC F1 (|)2 | FCB | \$FC, \$F1, 2, \$98 |
| 1, | 207A | 00 00 0 | | FCB | 0,0,1,496 |
| → . | 2D7E | 01 21 7 | | FCB | 1,\$21,\$FE,\$F5 |
| Ĭ | | | | FCB | 0,0,\$FF,\$47 |
| _ [] | 2082 | 00 00 F | | | |
| | 2D86 | FF 7A (| | FCB | \$FF,\$7A,0,\$84 |
| _ M | 2D8A | 00 00 0 | 00 | FCB | 0,0,0,\$61 |
| · | 2D8E | 00 48 1 | | FCB | 0,848,6FF,688 |
| - i - | 2D92 | 00 00 1 | | FCB | 0,0,8FF,8CA |
| V , | | | | | |
| <u> </u> | 2D96 | FF D8 (| <i>,</i> | FCB | \$FF,\$D8,0,\$2A |

| | 2D9A | 00 | 00 | 00 | | FCB | 0,0,0,\$20 |
|-------|------|------------|----|----|-------|-----|---|
| 1 | 2D9E | 00 | 18 | FF | | FCB | 0,\$18,\$FF, \$E 9 |
| | 2DA2 | 00 | 00 | FF | | FCB | 0,0,\$FF,\$F0 |
| | 2DA6 | FF | F5 | 00 | | FCB | \$FF,\$F5,0,\$C |
| | 2DAA | 00 | 00 | 00 | | FCB | 0,0,0,7 |
| ļ | 2DAE | 00 | 04 | FF | | FCB | 0,4,\$FF,\$FF |
| | 2DB2 | | | • | C67 | EQU | * · · · · · · · · · · · · · · · · · · · |
| | 2DB2 | 40 | 00 | 8D | | FCB | \$40,0,\$8D,\$BF |
| | 2DB6 | B 2 | 03 | 23 | | FCB | \$B2,3,\$23,\$98 |
| 1 | 2DBA | 00 | 00 | 12 | | FCB | 0,0,\$12,\$BC |
| Ì | 2DBE | 12 | A5 | F4 | | FCB | \$12,\$A5,\$F4,\$ E2 |
| : | 2DC2 | 00 | 00 | F9 | | FCB | 0,0,\$F9,\$18 |
| · | 2DC6 | F9 | 95 | 04 | | FCB | \$F9,\$95,4,\$6B |
| | 2DCA | 00 | 00 | 02 | | FCB | 0,0,2,\$E9 |
| | 2DCE | 02 | 96 | FE | | FCB | 2,\$96,\$FE,\$5 |
| i | 2DD2 | 00 | 00 | FE | | FCB | 0,0,\$FE,\$9B |
| | 2DD6 | FE | C1 | 01 | | FCB | \$FE,\$C1,1,4 |
| | 2DDA | 00 | 00 | 00 | | FCB | 0,0,0,\$C1 |
| | 2DDE | 00 | AE | FF | | FCB | 0,\$AE,\$FF,\$EF |
| | 2DE2 | 00 | 00 | FF | | FCB | 0,0,\$FF,\$92 |
| | 2DE6 | FF | 9D | 00 | | FCB | \$FF,\$9D,0,\$55 |
| | 2DEA | 00 | 00 | 00 | | FCB | 0,0,0,\$41 |
| | 2DEE | 00 | 3A | FF | | FCB | 0,\$3A,\$FF,\$ DO |
| • | 2DF2 | 00 | 00 | FF | | FCB | 0,0,\$FF,\$DD |
| | 2DF6 | FF | E2 | 00 | | FCB | \$FF,\$E2,0,\$18 |
| | 2DFA | 00 | 00 | 00 | | FCB | 0,0,0,\$E |
| | 2DFE | 00 | OA | FF | | FCB | 0,\$A,\$FF,\$FC |
| | 2E02 | CE | | | DUMMY | LDX | \$\$4000 |
| | 2E05 | FF | 18 | 24 | | STX | COR1 |
| | 2E08 | CE | 00 | 00 | | LDX | ‡0 |
| | 2EOB | FF | 18 | 26 | | STX | COR3 |
| | 2E0E | 39 | | | | RTS | • |
| | 2EOF | | | | | END | |
| | | | | | | | |

| ST | A | T | EM | EN | TS | ={ | 33 | 2 |
|----|---|---|----|----|----|----|----|---|

FREE BYTES =16585

NO ERRORS DETECTED

APPENDIX C - Fortran Code Listings

This Appendix consists of listings of Fortran programs which can be used to compute the coefficients $c_k(p)$ which are defined by equations (104), (105) and (106). These coefficients are used to compute image moments from the image Fourier transform. The program PEVEN computes the coefficients for the case that p is even. The program PODD computes the coefficients for the case that p is odd.

This Appendix also contains listings of the programs EVENER and ODDER. These programs were used to obtain the data which is presented in Figure 26 and Tables 3 and 4. EVENER evaluates equation (137) for the case of p even. ODDER evaluates the same equation for the case of p odd.

```
PEVEN
       PI=3.1415927
       TYPE 10
       FORMAT(' COMPUTES CK(P); P EVEN')
 10
       TYPE 20
                 15
 20
       FORMAT('
       TYPE 30
       FORMAT(' INPUT N/2, P(MAX)')
 30
       TYPE 20
       ACCEPT 40.N
       ACCEPT 40,NPM
       FORMAT(13)
       N=N+N
       TYPE 20
       TYPE 50
 50
       FORMAT(' COEFFICIENTS
                               (REAL)()
       TYPE 20
       TYPE 60
       FORMAT('
                               CK(P)
                                         OCTAL')
 60
       DO 105 NP=0,NPM,2
       DO 100 K=0,N,1
       C=0.
       IF(NP.EQ.0) C=.5
       DO 90 L=1,N,1
       X=2.*FLOAT(L)/FLOAT(N)
       IF(X.GT.1.) GO TO 70
       FX=X**FLOAT(NP)
       GO TO 80
       FX=2-(X-2)**FLOAT(NP)
 70
       ARG=FLOAT(K)*PI*X/2.
80
       IF(L.EQ.N) C=C-.5*FX*COS(ARG)
90
       C=C+FX*COS(ARG)
       C=C/FLOAT(N)
       NC=.5+32768.*C
       IF(NC.LT.0) NC=65536+NC
 100
       TYPE 110,K,NP,C,NC
 105
       TYPE 20
                         ',F11.7,'
                                     (+06)
 110
       FORMAT(13,15,'
       STOP
       END
 **
```

```
PODD
          PI=3.1415927
          TYPE 10
          FORMAT(' COMPUTES CK(P)) P ODD')
    10
          TYPE 20
          FORMAT(' ')
    20
          TYPE 30
    30
          FORMAT(' INPUT N/4, P(MAX)')
          TYPE 20
          ACCEPT 40.N
          ACCEPT 40,NPM
    40
          FORMAT (13)
          N=N+N+N+N
          TYPE 20
          TYPE 50
    50
          FORMAT(' COEFFICIENTS
                                 (IMAGINARY)')
          TYPE 20
          TYPE 60
    60
          FORMAT('
                                  CK(P)
                                             OCTAL')
                     κ
          DO 140 NP=1,NPM,2
          DO 130 K=1,N,1
22
          C=0.
          DO 120 L=1,N,1
          X=4.*FLUAT(L)/FLUAT(N)
          IF(X.GT.1.) GO TO 70
          FX=X**FLOAT(NP)
          GO TO 110
          IF(X.GT.2.) GO TO 90
    70
          FX=2.+(X-2.)**FLOAT(NP)
    80
          GO TO 110
    90
          IF(X.GT.3.) GO TO 100
          FX=2.-(X-2.)**FLOAT(NP)
          GO TO 110
          FX=-(X-4.)**FLOAT(NP)
    100
          ARG=FLOAT(K)*PI*X/4.
    110
          IF(L.EU.N) C=C-.5*FX*SIN(ARG)
          C=C+FX*SIN(ARG)
    120
          C=-C/FLOAT(N)
          NC=.5+32768.*C
          IF(NC.LT.0) NC=65536+NC
          TYPE 150, K,NP,C,NC
    130
    140
    150
          FORMAT (13,15,'
                             ',F11.7,'
                                          (,06)
          STOP
          END
    **
```

ιca

```
EVENER
      DIMENSION CFF(50)
      PI=3.1415927
      TYPE 10
      FORMAT(' COMPUTES ER(P,X); P EVEN')
10
      TYPE 20
15
20
      FORMAT('
      TYPE 30
      FORMAT(' INPUT N/2, P')
30
      TYPE 20
      ACCEPT 40,NP
40
      FORMAT(13)
      N=N+N
      TYPE 20
      DO 100 K=0,N,1
      C=0.
      IF(NP.EQ.0) C=.5
      DO 90 L=1,N,1
      X=2.*FLOAT(L)/FLOAT(N)
      IF(X.GT.1.) GO TO 70
      FX=X**FLOAT(NP)
      GO TO 80
70
      FX=2-(X-2)**FLOAT(NP)
80
      ARG=FLOAT(K)*PI*X/2.
      IF(L.EQ.N) C=C-.5*FX*COS(ARG)
      C=C+FX*COS(ARG)
90
      C=C/FLOAT(N)
100
      CFF(K+1)=C
      TYPE 110
      FORMAT(' INPUT MESH DIVISOR=M')
110
      TYPE 20
      ACCEPT 40.M
      TYPE 20
      TYPE 120
120
      FORMAT (" Q
                         ER(P,2*0/MN)')
      NQS=.5*FLOAT(N*M)
      DO 140 NG=0,NGS,1
      X=FLOAT(2*NQ)/FLOAT(M*N)
      ARG=PI*X/2.
      ER=0.
      DO 130 K=1,N,T
      ARGK=ARG*FLOAT(K)
      ER=ER-CFF(K+1)*COS(ARGK)
130
      ER=ER-.5*(CFF(1)-CFF(N+1)*COS(ARGK))
      ER=2.*ER+X**FLOAT(NP)
      TYPE 150,NQ,ER
140
      FORMAT(14, ',F11.7)
150
      TYPE 160
      FORMAT (' TO CONTINUE TYPE 1')
160
      TYPE 20
      ACCEPT 40.N
      IF(N-1)170,15,170
      STOP
170
      END
```

```
ODDER
      DIMENSION CFF(50)
      PI=3.1415927
      TYPE 10
10
      FORMAT(' COMPUTES ER(P,X); P ODD')
15
      TYPE 20
20
      FORMAT(' ')
      TYPE 30
      FORMAT('INPUT N/4, P')
30
      TYPE 20
      ACCEPT 40,N
      ACCEPT 40,NP
40
      FORMAT (13)
      N=N+N+N+N
      TYPE 20
      DO 130 K=1,N,1
      C=0.
      DO 120 L=1,N,1
      X=4.*FLOAT(L)/FLOAT(N)
      IF(X.GT.1.) GO TO 70
      FX=X**FLOAT(NP)
      GO TO 110
70
      IF(X.GT.2.) GO TO 90
      FX=2. F(X-2.) **FLOAT(NP)
80
      GO TO 110
      IF(X.GT.3.) GO TO 100
90
      FX=2.-(X-2.)**FLOAT(NP)
      GO TO 110
100
      FX=-(X-4.)**FLGAT(NP)
110
      ARG=FLUAT(K)*PI*X/4.
      IF(L.EQ.N) C=C-.5*FX*SIN(ARG)
120
      C=C+FX*SIN(ARG)
      C=C/FLOAT(N)
130
      CFF(K+1)=C
      TYPE 140
      FORMAT( INPUT MESH DIVISOR=M')
140
      TYPE 20
      ACCEPT 40,M
      TYPE 20
      TYPE 150
      FORMAT(' Q
150
                        ER(P,2*Q/MN)')
      NOS=.25*FLOAT(N*M)
      DO 170 NO=0,NOS,1
      X=FLOAT(4*NQ)/FLOAT(M*N)
      ARG=PI*X/4.
      ER=0.
      DO 160 K=1,N,1
      ARGK=ARG*FLOAT(K)
      ER=ER-CFF(K+1)*SIN(ARGK)
160
      ER=2.*ER+X**FLOAT(NP)
170
      TYPE 180,NQ,ER
                     (,F11.7)
180
      FORMAT(14,'
      TYPE 190
190
      FORMAT(' TO CONTINUE TYPE 1')
      TYPE 20
      ACCEPT 40.N
      IF(N-1) 200,15,200
200
      STOP
      END
```

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