



A STOCHASTIC MIXING MODEL FOR PREDICTING

EMISSIONS IN A DIRECT INJECTION DIESEL ENGINE

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## A TOGRADIE MIKING MODEL FOR PREDICTING

## EAISSIONS IN A DIRECT INJECTION DIESEL ENGINE

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#### ALAN JEFFREY BROWN

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Submitted to the Department of Ocean Engineering on September 1, 1986 in partial fulfillment of the requirements for the degree of Doctor of Philosophy in Combustion and Marine Systems Engineering

#### ABSTRACT

A Two-Step Approach for calculating slow and complex chemistry in inhomogeneous turbulent reactive flows, specifically in a direct injection diesel engine, was developed and evaluated. The first step in this approach is to complete a Multi-Dimensional Model (MDM) solution of the reactive flow. This was accomplished for a direct-injection diesel using the KIVA computer code developed at the Los Alamos National Laboratory. The output of this solution is used to define zones within the flow, and to calculate zone processes and mass flow between zones. A Stochastic Mixing Model (SMM) computer code was developed to recalculate turbulent mixing and chemistry using the MDM information. The SMM generates distributions of turbulent properties within each zone which are necessary to calculate slow emissions chemistry. The submodels included in the SMM are not intended to be unique, but only to represent one example of how this approach might be applied.

This approach was evaluated for consistency by analyzing zone property distributions, the effect of changing zone boundaries, the effect of increasing the number of zones and the variance of SMM results over multiple stochastic runs. The standard deviation of pressure, soot and Nitric Oxide (NO) decreased and meann values and distributions approached asymptotic limits with more elements and more zones. These results are consistent with the structure of the stochastic model. The approach was evaluated for accuracy by comparison to experimental results with different engine operating conditions. The NO calculations were not calibrated in any way to the experimental results and provided the best indicator for honestly evaluating the model's ability to predict slow chemistry. NO predictions and trends showed good agreement with the experimental data.

The Two-Step Approach shows great promise for calculating slow and complex chemistry in turbulent reactive flows. Limitations in our application were due primarily to deficiencies in the MDM solution and to externally-imposed economies on KIVA computer time.

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#### CHAPTER ONE

#### INTRODUCTION

#### 1.1 Overview

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Effective emissions control requires the simultaneous reduction of more than one pollutant. A trade-off exists in diesel engines between the reduction of soot and the reduction of Nitrogen Oxides (NO $_v$ -mostly Nitric Oxide with some Nitrogen Dioxide). NO, is a product of hot lean combustion and soot is a product of cooler rich combustion. Reducing one normally results in increasing the other, but their mechanisms are complex and influenced by many variables. Ultimately they depend on local composition and temperature which are controlled by engine variables such as compression ratio, intake air temperature and pressure, exhaust gas recirculation (EGR), cylinder geometry, engine speed, load, swirl, injection timing, fuel jet characteristics, and type of fuel. These mechanisms are very difficult to study empirically. A mathematical model of the diesel combustion process would allow its parameters to be varied independently to examine their effects on NO, and soot. Past models have not given satisfactory results or have been limited to a narrow range of applications. Few have even considered the problem of calculating slow emissions chemistry simultaneously with flow details in a turbulent reactive flow. Such calculations must consider turbulent distributions of temperature and species concentration, but this is a

formidable task in an already cumbersome unsteady, three-dimensional flow calculation. This research evaluates the feasibility of using a two-step modeling approach. A multi-dimensional model (MDM) solution to the reactive flow conservation equations is used to define zones within the engine cylinder, to specify the flow between these zones and to calculate evaporation, heat transfer and mixing intensity within the zones. A stochastic mixing model (SMM) uses this information to predict emissions.

#### 1.2 Background

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A description of direct-injection diesel combustion provides necessary insight into the complexity of this problem. Direct injection of fuel into the engine cylinder is used in medium and low speed diesel applications. Low speed diesels have flat or slightly concave pistons and relatively little initial air motion (quiescent). Medium speed diesels, which will be considered here, have deeper bowls inset into the piston. They depend on generating significant air flow and turbulence to achieve rapid and complete combustion.

Figure 1-1 shows the basic events in a four-stroke diesel combustion process. Figure 1-2 illustrates a medium speed diesel cylinder and fuel spray geometry. During intake, air is drawn through the intake valve by the descending piston. Bulk motion of the intake charge is controlled by the shape of the intake passage. Typical of most medium speed diesels is a significant swirl motion as indicated in Figure 1-2. The intake valve closes shortly after bottom dead center (BDC). High temperature and pressure are generated as the piston compresses the air and residual gases. Before reaching top dead center (TDC) liquid fuel

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is injected into the cylinder. The fuel spray is atomized upon leaving the injector and immediately begins evaporating. As the fuel spray entrains and mixes with the hot gases a spray structure develops. This is characterized by a rich liquid core at the center of the spray surrounded by a progressively leaner distribution of fuel and air. Ignition occurs after a chemical ignition delay period. The combustion region spreads rapidly, often from multiple sites, until the fuel already mixed within combustible limits is burned. Following this premixed burning phase combustion becomes mixing controlled and proceeds more slowly. A typical heat release rate curve for this process is shown in Figure 1-3. As the piston passes TDC, the hot, high pressure gases drive the piston down, delivering useful work. Near TDC injection stops. Turbulent mixing and combustion continues until essentially all the fuel is burned. Since diesel combustion is overall very lean, most of the fuel's chemical energy is released. NO, is produced in the hot, stoichiometric combustion regions. Soot is produced in the richer spray regions bordering the combustion zone. The quantity of soot reaches a maximum towards the end of injection, then decreases due to oxidation. Among the phenomena observed in the diesel combustion process are turbulent two-phase flow, moving boundaries, evaporation, turbulent mixing, ignition, combustion, slower emissions chemistry, convective heat transfer and radiation.

Despite its complexity, diesel combustion is still governed by the general equations for turbulent reactive flows, including conservation of mass, species, momentum and energy. Space and time resolution of this flow far exceeds present computer capabilities. The task is made manageable in state-of-the-art multi-dimensional models (MDM's) by con-

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sidering only mean local properties with additional assumptions or equations to replace turbulent fluctuation terms. Chemical reaction rates are also expressed in terms of mean local properties. These general equations with boundary conditions and various submodels are then solved in time and space.

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Because the reaction rates governing the production of soot and  $NO_{x}$ are much slower than those for combustion and have time scales of the same order as the turbulent fluctuations, the MDM cannot accurately predict emissions. The distribution of turbulent properties must be considered. In order to model more complex chemistry and consider the distribution of turbulent properties, compromises must be made in dealing with flow details. Otherwise, the solution becomes computationally unmanageable. Stochastic mixing models have gained broad acceptance for modeling turbulent mixing and combustion in various types of chemical reactors. The fundamental concept of these models is coalescence/dispersion micromixing. [1] Details of this method are provided in Appendix C. In its simplest form, initially-segregated equal-mass elements (reactants) are fed into a reactor. Randomly selected pairs of elements within the reactor are instantaneously mixed on a molecular level (coalesced) according to a prescribed mixing rate and then separated again into two elements of equal average intensive properties (dispersed). Finite rate batch chemistry proceeds in each element during the time interval between mixings. Elements within the reactor acquire a distribution of properties which control the overall reaction rates. There is no spatial resolution within the reactor. Each element is equally likely to be picked for mixing or, in cases with a discharge, for removal from the reactor. This method has been applied to a divided chamber

diesel [2] in a previous study at MIT. In this type of engine the fuel is injected into a highly-mixed prechamber for combustion and expansion into the engine cylinder. Unfortunately, direct injection diesel combustion cannot be described as well-mixed. The spatial distribution of the fuel spray and the cylinder geometry play important roles in this process. Ikegami and Shioji [53] use a stochastic single-zone method to calculate chemistry in a direct injection diesel, but their analysis assumes an initial distribution function for the fuel spray and requires a number of empirical parameters.

#### 1.3 The Two-Step Approach

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The purpose of a two-step approach to this problem is to provide a fundamentally-based method by which stocrastic mixing model techniques may be applied to an inhomogeneous reactive flow such as a direct-injection diesel engine in which flow details are likely to be critical to the calculation. The first step in this approach is to complete a MDM solution of the engine reactive flow. The output of this solution is used to define zones within the engine cylinder according to total fuel mass fraction (burned plus unburned fuel). Four such zones are labeled in Figure 1-2. These zones are not fixed in space, but are dependent on the constantly changing distribution of total fuel within the cylinder. Total mass, species mass, volume, chemical heat release, mass of fuel burned, mass of fuel evaporated, wall heat transfer and turbulent intensity are calculated for each zone at each timestep. Using conservation of mass and species, the net flow of total mass, liquid fuel, unburned fuel vapor, and burned fuel between each zone is calculated.

The second step is to model each of these zones as a stochastic

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mixing zone in a Stochastic Mixing Model (SMM). The flow and process information calculated by the MDM are used to specify flows between mixing zones and constrain evaporation, heat transfer, and mixing within the zones. Information is transferred only from the MDM to the SMM. Using this information the flow mixing and chemistry is recalculated by the SMM, resulting in species and temperature distributions for each zone as a function of time. In this way the distribution of turbulent properties is considered in the calculation of slow chemistry. Figure 1-4 illustrates the flow of information between the MDM and the SMM. Tables 2-1 and 2-2 define the variables used.

## 1.4 Goals and Objectives

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The goal of this thesis is to demonstrate the feasibility of this two-step approach for calculating slow and complex chemistry in turbulent reactive flows. The specific objectives are:

1. To develop a Stochastic Mixing Model computer code based on this two-step approach for calculating emissions in a direct-injection diesel engine.

2. To evaluate the SMM for consistency by analyzing zone distributions, the effect of changing zone boundaries, the effect of increasing the number of zones, the sensitivity to various physical and model parameters and the variance of final results over multiple stochastic runs.

3. To evaluate the SMM by comparison to MDM results which are recalculated, but unconstrained in the SMM such as: pressure, zone burned fuel, zone fuel mass fraction and species flow.

4. To evaluate the SMM by comparing predicted NO histories to experimental results with primary emphasis given to trends as engine conditions are changed. The submodels included in our Stochastic Mixing Model are not intended to be unique. Each was developed with great care to be consistent with the random selection principles fundamental to the method and the physical processes being modeled, but equally valid arguments could be made for other schemes. Our intent is to illustrate and evaluate one example of how this approach might be applied. CHAPTER TWO

THE MULTI-DIMENSIONAL MODEL

#### 2.1 Selecting a Multi-dimensional Model

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Engine combustion modeling has received much attention in recent years. Models have been developed, reviewed, classified and discussed at all levels of the academic and professional communities. Heywood [4] provides the most widely accepted classification scheme for these models. These classifications include zero-dimensional, quasi-dimensional and multi-dimensional models. Zero-dimensional models do not consider spatial variations within the cylinder and are essentially a thermodynamic analysis. Heat transfer is modeled as bulk heat loss and the mass burning rate is specified by an empirical function. Quasi-dimensional models go a step further and attempt to predict the burning and mixing rates from more fundamental physical variables that describe the spatial structure in a parametric manner. Typically, phenomenalogical models are used for the fuel spray behavior, ignition and mixing.[5] For our application, spacial details of the flow are required to define zones and specify the flow between zones. Therefore, zero or quasi-dimensional models are not adequate. The necessary spatial details are provided only by multi-dimensional models.

Multi-dimensional models solve the fundamental mass, species, momentum and energy conservation equations in time and space. This re-

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quires mathematical descriptions or submodels for the fuel spray, ignition, combustion chemistry, heat transfer, and moving boundary surfaces. It requires a sophisticated numerical solution algorithm and a method for dealing with turbulent flow and combustion. This is a formidable task and computational fluid dynamics (CFD) with combustion is really only in its infancy. Our problem was to select a multi-dimensional model from existing computer codes, modify it to provide the particular data required for input to the Stochastic Mixing Model(SMM), and to run the code without major changes to its existing submodels. Codes with this level of sophistication cannot be used as a "black box". Running the code was challenging and educational. Among existing multi-dimensional models for internal combustion engine simulation, three stand out as being reasonably well-documented and as having solution algorithms and submodels which are "state-of-the-art" in their approach. These are:

1. PICALO (Piston-in-Cylinder Calculator) developed by CHAM of North America/Cummins Engine Co.

2. RPM (Reciprocating Piston Motion) developed at Imperial College, London by A.D. Gosman et al.

3. KIVA developed at Los Alamos National Laboratory by A.A.Amsden et al.

PICALO [6], working in conjunction with PHOENICS, a general-purpose flow analysis computer code, treats the two-phase flow as interpenetrating media using a continuum approach with coupling terms for mass, momentum and energy exchange between media. The conservative finitedifference numerical algorithm is fully implicit and iterative. A k- $\varepsilon$ model is used to model turbulence. Boundaries are treated as adiabatic and "no-slip". Instantaneous mixing-controlled chemical reac-

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tion is assumed.

The development and application of RPM has been well-documented for over a decade.[7,8,9,10,11,12] Most of the documented RPM versions use a curvilinear-orthogonal grid able to expand and contract in the axial direction. The conservative finite-difference numerical scheme is fully implicit and iterative. The most recent version uses a predictor/ corrector algorithm in place of the iterative technique. All versions use a combination of upwind and central differencing for the discrete convection and diffusion terms. A k- $\varepsilon$  model is used to model turbulence. Boundaries are treated using a "law-of-the-wall" technique. Most of RPM's published applications have been for cold flow, but in the cases where combustion was included [8,9] a combination of an Arrhenius rate equation for the chemically controlled phase and an eddy mixingmodel for the mixing controlled phase were used. A stochastic discreteparticle model is used to model the liquid spray. Although the RPM model was not selected for our use, the results presented in references [8] and [9] provide some interesting comparisons.

KIVA was selected for our application. A description of KIVA will be presented in the next section. The primary reasons for selecting KIVA were availability, excellent documentation, its ability to calculate multi-component chemistry, its extensive use of vector calculations and its computational efficiency at low Mach number.

### 2.2 Description of KIVA

KIVA is a finite-difference computer code for solving reactive fluid-flow problems in two or three dimensions. It is specifically designed to model the in-cylinder fluid dynamics of internal combustion

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engines including gas flow, liquid fuel injection, spray dynamics, evaporation, heat transfer, combustion, species transport, and mixing. KIVA uses an arbitrary-Lagrangian-Eulerian (ALE) mesh which facilitates calculations with curved and changing boundaries. The species and chemical reactions that can be represented in KIVA are not limited. The documentation for KIVA [13,14] is excellent and contains an extensive list of references and more detail than will be presented here.

## 2.2.1 KIVA Nomenclature

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A	Scaling constant of order .05
a <sub>mr</sub> , b <sub>mr</sub>	stoichiometric coefficients for species m in reaction r; a for reactants, b for products
amr, bmr	order of reaction for species m in reaction r
D	species diffusivity (same all species)
Δ	vector operator $\nabla = \frac{\partial}{\partial x} + \frac{\partial}{\partial y} + \frac{\partial}{\partial z}$
<sup>δ</sup> ij	Kronecker delta
f	drop distribution function
coll	rate of change in f due to drop collisions
F	drop acceleration
F-S	momentum transfered from spray droplets
h m	specific enthalpy of species m (datum at absolute zero)

I	specific internal energy (datum at absolute zero)
ĩ	heat flux vector
<sup>k</sup> fr, <sup>k</sup> br	forward and backward rate coefficients for reaction r
к	thermal conductivity
κ <sup>s</sup> c	Equilibrium constant for reaction s
<sup>µ</sup> air	air viscosity
μt	turbulent viscosity
vo	background kinematic viscosity
р	pressure
Pr	Prandtl number
q	<pre>subgrid-scale specific turbulent kinetic-energy (cm<sup>2</sup>/sec<sup>2</sup>)</pre>
فر	rate of chemical heat release
٩ <sub>s</sub>	spray energy source rate
۹ <sub>r</sub>	heat of reaction r
ė <sub>r</sub>	turbulent disipation source rate
Ŕ	rate of change in drop radius
ρ	total mass density (g/cc)
۹ <sub>1</sub>	fuel(ex: diesel) density
٥ <sub>m</sub>	species m mass density (g/cc)

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°°m change in  $\boldsymbol{\rho}_m$  due to chemical reaction change in fuel density  $(\rho_1^{\phantom{\dagger}})$  due to evaporation PS Sc Schmidt number viscous stress tensor đ time (s) t absolute temperature (K) Т i, rate of change in drop temperature fluid velocity (cm/s) u = ui + vj + wk u rate of change in drop gas turbulence velocity ů' kinetic progress rate for reaction r ωŗ molecular weight of species m mole of species m Χm

## 2.2.2 The Basic Equations

The conservation equations for mass, species, momentum and energy as expressed in KIVA are:

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \underline{u}) = \rho_{S}$$
(2.1)

$$\frac{\partial \rho_{m}}{\partial t} + \nabla \cdot (\rho_{m} \underline{u}) = \nabla \cdot [\rho D \nabla (\rho_{m} / \rho)] + \rho_{m}^{c} + \rho_{s} \delta_{m1}$$
(2.2)

$$\frac{\partial}{\partial t}(\rho \underline{u}) + \underline{\nabla} \cdot (\rho \underline{u} \underline{u}) = -\underline{\nabla} p + \underline{\nabla} \cdot \underline{g} + \underline{E}_{S}$$
(2.3)

$$\frac{\partial}{\partial t}(\rho I) + \nabla \cdot (\rho I \underline{u}) = -p \nabla \cdot \underline{u} + \underline{q} : \nabla \underline{u} - \nabla \cdot \underline{j} + \dot{Q}_{C} + \dot{Q}_{S} + \dot{Q}_{T}$$
(2.4)

where:

$$J = -K\nabla T - \rho D \sum_{m} h_{m} \nabla (\rho_{m} / \rho)$$
(2.5)

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State relations are for an ideal gas mixture. Chemical reactions are represented by:

$$\Sigma a_{mr} \chi_{m} \leftarrow \Sigma b_{mr} \chi_{m}$$
(2.6)

The chemical source term in the species continuity equation is then given by:

$$\hat{\rho}_{m}^{C} = \hat{W}_{m} \sum_{r} (b_{mr} - a_{mr})\hat{\omega}_{r} + \hat{W}_{m} \sum_{s} (b_{ms} - a_{ms})\hat{\omega}_{s}$$
(2.7)

and the chemical heat release in the energy equation by:

$$\dot{\mathbf{Q}}_{c} = \sum_{r} \mathbf{q}_{r} \dot{\mathbf{w}}_{r} + \sum_{s} \mathbf{q}_{s} \dot{\mathbf{w}}_{s}$$
(2.3)

Fast reactions are assumed to be in equilibrium. Slower reactions are advanced kinetically. Kinetic reaction rates are computed using:

$$\dot{\omega}_{r} = \kappa_{fr} \prod_{m}^{(\rho_{m}/W_{m})} \sum_{m}^{a'mr} - \kappa_{br} \prod_{m}^{(\rho_{m}/W_{m})} \sum_{m}^{b'mr}$$
(2.9)

where:

$$k_{fr} = A_{fr} T^{fr} exp(-E_{fr}^{+}/T)$$
(2.10)

$$k_{\rm br} = A_{\rm br} T^{\rm br} \exp(-E_{\rm br}^{+}/T)$$
(2.11)

Equilibrium reaction rates are implicitly determined from the equilibrium constraints:

$$\pi(\rho_m/W_m) \xrightarrow{b_m s^{-a_m s}} K_c^s(T)$$
(2.12)

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where:

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$$K_{c}^{s} = \exp(A_{s}lnT_{A} + B_{s}/T_{A} + C_{s} + D_{s}T_{A} + E_{s}T_{A}^{2})$$
  
 $T_{A} = T/1000$ 

Complete space and time resolution of a turbulent flow far exceeds present computer capabilities. KIVA assumes a Reynold's decomposition with mass or Favre averaging and applies the same conservation equations (2.1 thru 2.5) in terms of local mean properties to the turbulent flow. Reynold's decomposition expresses dependent variables as the sum of mean and fluctuating components. For an unsteady cyclic process this mean represents an ensemble mean or average over many cycles at a particular time in the cycle. Ensemble averaging of the decomposed conservation equations results in similar equations using local mean properties, but with additional terms containing products of the fluctuating components. There are more unknowns than equations. This is the turbulent closure problem. The most common closure scheme is to model these additional terms as a turbulent gradient flux and to replace the molecular transport coefficients with turbulent ones. The turbulent coefficients are then calculated using additional algebraic or partial differential equations to describe the turbulence. KIVA follows this scheme and calculates turbulent viscosity using a subgrid-scale turbulence model (SGS) with a single partial differential equation for subgrid turbulent kinetic energy:

$$\mu_{t} = A\rho Lq^{1/2} \qquad \mu = \rho v_{o} + \mu_{air} + \mu_{t}$$
(2.13)
$$K = \mu c_{o}^{2}/Pr \qquad D = \mu^{2}(\rho Sc)$$

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$$\frac{\partial}{\partial t} (\rho q) + \nabla \cdot (\rho q u) = -\frac{2}{3} \rho q \nabla \cdot u + \underline{g} : \nabla \underline{u} + \nabla \cdot (\mu \nabla q) - D \rho L^{-1} q^{3/2} + \dot{W}_{S}$$
(2.14)

KIVA also replaces temperature and concentrations in the chemical equations with local mean values assuming that the chemical reactions are fast enough not to be effected by turbulent fluctuations. This is not valid for the slower emissions chemistry. The rational for including the effects of turbulent fluctuations on slower chemistry is developed in Appendix C.

The fuel spray is modeled using a Monte Carlo discrete-particle technique. Discrete computational particles represent groups of droplets of similar physical properties. A drop distribution function, f, is used to specify these properties including location, velocity, radii, temperature and gas turbulence velocity. The gas turbulence velocity is added to the local mean gas velocity when calculating drag and vaporization rate. Drops may collide resulting in either coalescence or an exchange of momentum. The time evolution of f is given by the spray equation:

$$\frac{\partial f}{\partial t} + \nabla \cdot (fv) + \nabla \cdot (fE) + \frac{\partial}{\partial r} (fR) + \frac{\partial}{\partial T} (fT_d) + \nabla \cdot (fv') = \dot{f}_{coll} \qquad (2.15)$$

The droplet acceleration, F, is calculated from gas flow velocities using a drag coefficient. The rate of droplet radius change is calculated using the Frossling correlation. Heat conduction to the droplet is given by the Ranz-Marshall correlation. This set of coupled equations is solved to generate a time-dependent, spacially-resolved description of the particle motion. Exchange functions for mass, momentum and energy are calculated from this description of the spray and included as source terms in the gas flow conservation equations.

## 2.2.3 Numerical Solution

The basic equations are reformulated in integral form so that schemes explicitly conserving mass, species, momentum and energy may be implemented. The temporal difference scheme is explicit using an acoustic subcycling method at low Mach numbers. Spacial differencing is on an arbitrary Lagrangian /Eulerian grid (ALE). Spatial difference approximations use a control volume approach to conserve local properties.

Quantities are advanced one cycle, from time  $t^n$  to time  $t^{n+1}$ , in three phases. Phase A considers terms in the basic equations other than pressure and convection. Phase B is a Lagrangian sub-cycling calculation considering acoustic terms (pressure,work,spray particle drag) in which the vertices of the volume elements are assumed to move with the local fluid velocity. Phase C is the rezone phase, in which convective transport associated with moving the vertices from their Phase B locations to their final locations is calculated. Timesteps are adjusted each cycle based on minimum stability requirements.

The general structure of the code is Jhown in Figure 2-1. The code was written specifically for the CRI Cray-1 computer.

## 2.3 Modifications to KIVA

Six types of modifications were made to the documented version of KIVA [13] for our application:

1. Modifications for compatibility with the VAX/CRAY System at the Navy Research Lab, Washington, where most of the KIVA runs were made.

2. Modifications for calculating data for input to the Stochastic Mixing Model(SMM).

3. Modifications for using the MIT "standard" diesel fuel.

4. Modifications to increase diffusivity and the rate of combustion on the expansion stroke.

5. Other minor modifications adapting the code to this application.

Los Alamos National Lab(LANL) KIVA update 092085/
 1435. [15]

The update decks for these changes are listed in Appendix E.

Subroutine MDMOUT calculates zone properties for output to the SMM. KIVA computational cells are sorted by total fuel mass fraction (TFMF) into ten zones. Properties for each of these zones are calculated and written to an output file for subsequent post-processing and input to the SMM. These properties are listed in Table 2-1 and their relationship to the SMM illustrated in Figure 1-4.

The documented version of KIVA includes data for octane combustion. Specifying a different fuel in the input data requires changes to data statements in Subroutine RINPUT. This data includes fuel enthalpy, latent heat, and vapor pressure. The fuel used in our calculations is a multicomponent "standard" diesel fuel,  $C_{10.8}^{H}H_{8.7}$ . Coefficients used for calculating fuel enthalpy are from Reference [16]. Latent heat and vapor pressure values used are for dodecane [17].

The requirement to increase diffusivity on the expansion stroke will be discussed in Section 2.5. This was accomplished by gradually increasing variables ATKE, RPR and RSC after top dead center.

Originally, the law-of-the-wall heat transfer model predicted only

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7-8 per cent of the total heat release as heat loss to the wall. This was substantially lower than the 12-15 per cent expected. In order to compensate for this discrepancy the constant  $C_W$  in the following heat flux equation was increased from 1.125 to 2.0:

$$J_{w} = C_{w} (\tau/U)c_{p}(T - T_{w})$$
(2.16)

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A similar change was reported in constant volume bomb simulations using KIVA at Purdue University [18].

Ignition crank angle is specified as an input to the calculation. The code was modified to delay all chemistry until ignition at which point chemical reaction proceeded spontaneously. Spark ignition was not required.

A spray model update developed at LANL, but not included in the documented update, was used. In this update the spray turbulent kinetic energy is calculated independent of the flow turbulent kinetic energy and the particle diffusion algorithm is modified for spray turbulent correlation times smaller than the computational time step. These changes were required to achieve reasonable spray penetration without artificially changing the values of the input spray parameters.

#### 2.4 Selecting Model Parameters and Running KIVA

Complete KIVA input for the five test cases is listed in Appendix A. The following parameters required particular consideration for this application:

NX Number of radial cells. 22 for all runs.

NY Number of azimuthal cells. Set to 1 for this axisymmetric calculation. Although KIVA is capable of 3-D calculations, an axisymmetric geometry was chosen to conserve computer time.

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Number of axial cells. 18 for all runs. Grid points along the piston bowl were laid out on graph paper. Eleven planes were chosen for the squish region at the start of the run (-90° ATDC). Approximately 400 total cells were desired. Actual indices for the piston bowl are input variables KPO, RPO and ZPO. Figure 2-2 shows the resulting grid layout at -90° ATDC and TDC.

- LWALL +1 selects law-of-the-wall boundary conditions which were used for all calculations.
- NCHOP KIVA uses a CHOP routine to reduce the number of planes in the squish region as the piston approaches TDC. A minimum thickness of 3 cells in the squish region was chosen for all calculations. NCHOP=3. See Figure 2-2.

STROKE, Values for engine parameters were taken directly from SQUISH, the engine test data. [19] RPM,

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CONE, A hollow cone spray pattern must be used with an axisym-DCONE metric geometry to simulate the actual 8-hole spray pattern With moderate swirl and 8 holes this is a reasonable approximation. The injection angle used was from the engine test data. A spray included angle of 15 degrees was used for all runs.

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TEMPI Initial charge temperature and composition were specified RHO1-12 at -90° ATDC using the data supplied in the test results and the NASA equilibrium code to calculate burned composition. The initial charge includes air, water vapor, residual fraction, and EGR.

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A0,B0 These parameters were set to 0 and 1 respectively. This results in a weighted average between centered and upwind differencing for evaluating cell-faced quantities. The weighting factor is calculated each timestep for marginal stability. This is KIVA's least numerically diffusive differencing scheme.

UVFREE Set to 1.0 for all runs. Allows the velocities along flat vertical and horizontal walls to "float". Momentum loss for vertices one cell away from the wall is calculated using the law-of-the-wall. Velocities along walls where UVFREE=1.0 are then calculated as if the wall were not there. No-slip boundaries were found to be over-restrictive on the flow. This remains a problem on curved surfaces.

ADIA, A constant wall temperature (ADIA=0.,TWALL=400.) was used TWALL for all runs. マスシンシント 単手 アンシンシン

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CAIIGN Crank angle at ignition was specified as input. Its value was determined from the experimental pressure trace Chemistry is not allowed to occur until ignition.

TKEI, Various values for the turbulent parameters were tried DTKE, in the preliminary runs. Those specified in the KIVA docu-ATKE mentation were found to work well.

RPR,RSC Prandtl and Schmidt numbers of approximately 0.9 were used for all calculations. This differs from the value of 1/3 used in the documented KIVA test case.

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Reference [20] provides an excellent overview of modeling and measuring engine fuel sprays. A review of the engine spray literature indicates a broad range of predicted and measured Sauter Mean Radius. 9.5  $\mu$ m represents a typical initial SMR for  $\Delta p_{inj}$ =21 MPa. This value was used for all KIVA runs. ALL REPORTS

VELINJ An initial injector velocity of 166 m/s was calculated for  $\Delta p_{inj}$ =21 MPa and C<sub>D</sub>=0.76. This value was used for all KIVA runs.

MW1, Input chemical reaction properties were modified for HTF1, burning diesel fuel vice octane. CF1,AM1, BM1

Run times for an axisymmetric simulation from -90° to 80° ATDC were approximately 18 minutes on a CRAY X-MP/12 computer. Contour plots of the KIVA results were obtained by post-processing KIVA output data using Program KIVAPP.

### 2.5 KIVA Results

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In addition to the KIVA output to be processed and used by the SMM, contour and global property plots were generated in order to examine the multi-dimensional results more directly. This section will discuss the plots for Run 17 which is the basic retarded injection test case with an injection crank angle of -15°, swirl ratio of 2.46 and zero EGR. Figures 2-3 thru 2-7 are global plots of pressure, mass, and heat release rate versus crank angle. Figures 2-8 thru 2-20 are plots of velocity, spray particle distribution, total fuel mass fraction (TFMF), oxygen mass fraction, and temperature.

#### 2.5.1 Pressure, Mass and Heat Release Rate

Figure 2-3 compares the KIVA pressure trace with the test results for Test Case 17 [19]. The rapid rise in the KIVA trace has two probable causes. The global chemistry scheme used by KIVA does not include any precursive chemistry. Once ignition is allowed to occur the premixed portion of the fuel vapor is burned very rapidly, dependent only on temperature and equivalence ratio. Furthermore, the coarse grid spacing is larger than the actual flame thickness so that the burned mass is discretized to elements larger than the actual burned amount. This results in excessive flame speeds and faster burning.

The experimental data used in our analysis was obtained from experiments conducted at the University of Wisconsin-Madison (Chapter 4). Using a dump and quench technique, average cylinder NO versus crank angle was measured in a direct-injection diesel engine. [19] This data is difficult to obtain and so far as we know it is the only time-resolved, cylinder-averaged NO data available for DI diesels. The NO data from these experiments is internally very consistent and the procedures thorough and well-documented. Unfortunately, the experimental pressure traces have some questionable features. This can be seen in the Test Case 17 results, Figure 2-3. Prior to ignition, which occurs at -7.8° ATDC, the experimental trace shows a slight loss in pressure below the motoring trace. Once ignition occurs, the pressure increase seems to "fizzle out" instead of following a more conventional shape. These discrepancies occur to a varying degree in four of the five test cases. but in Test Case 19 these problems are not apparent. See Figure 2-4. Case 19 is also the only test case in which the peak experimental pressure exceeds that predicted by KIVA. This variable pressure loss may

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result from leakage around the dumping diaphragm (see Section 4.1) which was replaced after each dumping event, accounting for different leakage from run to run. Another uncertainty in these traces is the problem of unburned fuel. The KIVA simulation did not achieve complete combustion in any of the test cases. Although hydrocarbons were not measured in the experiment it was observed that combustion was poor and a great deal of smoke was generated. The extent to which KIVA is accurately predicting this problem is not known. This unknown prevented accurate heat release analysis of the experimental pressure trace to determine if leakage was occuring.

Despite these discrepancies, the KIVA results provide a reasonable approximation to the experimental data and are consistent when compared to each other. This is an important characteristic when evaluating trends in the SMM results. Figure 2-5 compares the KIVA pressure traces for the 5 test cases. (Table 4-2) Maximum pressure for the early injection case, Test 19, is 10 to 15 atmospheres higher than the other runs and occurs earlier. Maximum pressure for the two retarded injection cases with EGR, Tests 20 and 21, is 2-3 atmospheres lower than the cases without EGR, Tests 17 and 13. Test 20 has the lowest peak pressure. These comparisons are the same for the KIVA results and the experimental results.

The neat release rate, Figure 2-6, has a typical profile for diesel combustion with a reasonably long ignition delay. The large premixed burning spike is followed by diffusion or mixing controlled burning. The noise in this trace is attributed to the relatively coarse grid where the burning of a single grid cell has a significant effect on the overall heat release.

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Figure 2-7 shows mass of fuel injected, mass of fuel evaporated, and mass of fuel burned versus crank angle. Once ignition occurs, the mass evaporated trace shoots up much more quickly, closely following the mass of fuel injected. The problem with incomplete combustion is evident in the fuel mass burned plot. At approximately 20° ATDC there is a distinct elbow in the mass burned curve and by 80° only 85 per cent of the fuel has burned. This is attributed to a lack of large scale convective flow in the lower portion of the bowl and possibly to insufficient penetration of the fuel jet.

#### 2.5.2 Mean Local Properties

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Before analyzing the sequence of local property plots, a brief discussion of initial conditions is necessary. A fundamental assumption for axisymmetric calculations is that the 3-D flow structure during induction is short-lived. Gosman reports [11], "for axisymmetric chambers in the absence of complicating features such as port arrangements which produce pre-swirl, that: (i) The induction-generated mean flow pattern decays very rapidly during and after intake valve closure and the flow during compression is predominantly driven by piston motion. (ii) The induction generated turbulence also decays rapidly." However, in his experiments with a shrouded inlet valve a single strong tumbling vortex was found to persist long enough into compression to be sustained and enhanced by the compression. Our KIVA runs assume only solid body swirl (swirl ratios of 2.46 and 4.0) for the initial flow at  $-90^{\circ}$  ATDC, 30 degrees after IVC. Considering the use of a shrouded valve to generate swirl in the test engine and in light of Gosman's results, our assumed initial conditions may not be accurate, but they are necessary to

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achieve the computational savings of an axisymmetric solution.

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Figure 2-8 shows the location of fuel spray particles at three crank angles during injection. The fuel is injected from a point at the upper left hand corner of the axisymmetric plot. The left hand side of the plot is the centerline. The bottom curved surface is the piston bowl and the bottom flat surface is the top of the piston in the squish region. The right hand vertical surface is the cylinder wall and the flat top surface is the cylinder head. Injection starts at -15° ATDC and continues until  $+5^\circ$ . By  $-5^\circ$  reasonable penetration has been achieved, but combustion has started and evaporation is very rapid. By TDC evaporation has greatly reduced the penetration and only a few particles remain although injection is still going on.

Figures 2-9 thru 2-11 are plots of the swirl velocity. Note that since the swirl is in the negative direction the "L" in the plots represents the largest swirl velocities and the "H" represents the smallest. The swirl profile at -90° ATDC is strictly solid body with boundary layers. By -15.95°, just prior to the start of injection, the drag in the squish region is evident, but the profile is still basically solid body. There is a strongly swirling region at the radius just inside the squish region. This is due to the conservation of angular momentum of the squish flow. By -9.99° the momentum exchange between the flow and the fuel spray is evident. Its effect is to slow the swirl velocity down, conserving momentum. This is particularly true along the cylinder head where the spray's ability to entrain the swirling gas is limited. Conservation of angular momentum causes the swirl to increase as the piston passes TDC with the maximum swirl velocity increasing from 12.8 m/s at -90° to 14.7 m/s at +5° and then decaying to 9.4 m/s by +80° ATDC.

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Figures 2-12 thru 2-14 are plots of velocities in the axisymmetric plane. At -90° ATDC these velocities are zero at the cylinder head and equal to the piston speed at the piston with a hearly linear profile from piston to head. By -30° flow out of the squish region has already started to alter the initial flow condition. By -16° the squish flow has developed into a well-defined clockwise vortex in the piston bowl, but does not penetrate into the boundary layer cells. Injection starts at -15° ATDC. Injection is at a 24 degree angle with respect to the cylinder head. The velocities induced by the injection are an order of magnitude larger than the existing flow velocities. Since the plots are scaled to the highest velocities, plots from -10° to +10° ATDC are dominated by the spray and velocities away from the spray appear to be zero. The spray is able to entrain gas from below, but unable to entrain gas along the cylinder head. This results in a clockwise circulation into the base of the spray and out along the head as seen in Figure 2-13. Combustion starts at -7.2° ATDC. By +5° combustion is also having an effect on the flow. Velocities away from the combustion zone are augmented by the expansion of hot gases. By 10° the flow back into the squish region is well-defined. The excess from the flow along the cylinder head is bent down into the bowl generating another plockwise vortex. This vortex flow meets the combustion and spray generated flow in the middle of the bowl, creating a stagnation point. This stagnation point is also evident in the Total Fuel Mass Fraction (TFMF), oxygen and temperature plots. The flow is again dominated by the piston motion as the piston continues to move down.

Figures 2-15 thru 2-20 are contour plots of total fuel mass fraction (TFMF), oxygen mass fraction and temperature. They are best dis-

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cussed together at each crank angle. At -9.99° ignition has not occurred and evaporation is slow. Fuel vapor is confined to a small region around the center of the spray. The evaporative cooling effect is very evident in thee same region on the temperature plot. By -5° ATDC combustion has started. Note that the temperature plot indicates a maximum cell temperature of 3498 K. This is extremely high, well above the adiabatic flame temperature of 2940 K. The relatively large timestep, when applied to the stiff set of chemical-reaction equations, causes pressure and temperature overshoots in large rapidly-burning cells. The major impact of these temperature overshoots is to drive the NO\_ production rate calculated by KIVA way up. At TDC combustion is well underway. The premixed region extends out to the Low TFMF contour. Temperature profiles inside this region are very irregular with no distinct flame front. The oxygen inside this region is nearly depleted and the premixed burning phase is almost over. By 10° ATDC the temperature contours show a distinct diffusion flame front just behind the Low TFMF contour moving towards the curved portion of the bowl. During expansion the steep gradients are smoothed out by turbulent and numerical diffusion resulting in a large diffusive front. The expanding grid results in increasing and excessive numerical diffusion which quickly damps out all large scale convection. This limits the mixing between the large untouched air mass along the bottom of the bowl and the fuel-rich combustion region. The development of this large diffusive front coincides with the abrupt change in the burning rate seen in the burned fuel mass plot. The oxygen plots also show a very large region of unmixed air along the curved portion of the bowl. The mixing of fuel and air during the expansion process is severely limitied. Since the numerical diffus-

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ivity could not be reduced without a substantial decrease in grid spacing and a corresponding increase in run time it was decided to increase the diffusivity even further. In order to compensate for the loss of large scale convection and reduce the unburned fuel at the end of the cycle, diffusivity was artificially increased after TDC.

In summary, these plots provide a self-consistent picture of the mixing and combustion process although this picture differs somewhat from our understanding of what really happens in a DI diesel. We would expect greater penetration of the fuel spray, significant convective and large-scale turbulent flow lasting well into the expansion process and more complete mixing of fuel and air with most of the fuel being burned by +80° ATDC. Deficiencies can be explained by the simplicity of the initial conditions, the coarse computational grid, and the universal problem of modeling turbulence and turbulent boundary flows. These deficiencies become most significant during the expansion process. For now, KIVA provides the best multi-dimensional picture of diesel combustion available. It is not our purpose to validate or improve KIVA, but to evaluate a two-step approach for predicting emissions. Results are at least reasonable and internally consistent, particularly near TDC where most of the critical NO chemistry takes place. KIVA should provide an adequate input for evaluating the SMM approach.

#### 2.6 Processing KIVA Output

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Program PRCMDM, listed in Appendix F.1, processes the KIVA output for input to the SMM. Its relationship to KIVA and the SMM are illustrated in Figure 1-4. Table 2-1 defines the input variables to PRCMDM. In order to keep the quantity of data generated by KIVA within reasona-

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ble limits the KIVA output is presorted into ten zones. This limits the number of mixing zones in the SMM to ten, but allows any combination of these ten zones to be used. Table 2-2 lists the ten zones and the various combinations used in our analysis. Table 2-3 defines the output variables from PRCMDM to the SMM. PRCMDM has four functions:

1. Inputs data from KIVA.

2. Combines the ten zone KIVA data to achieve the iesired zone description.

3. Calculates the total mass flow, fuel vapor flow and burned fuel flow between zones using conservation of mass/ species.

4. Outputs data for input to the SMM.

Ten zone KIVA output data for Test Case 17 is shown in Figures 2-21 thru 2-46. The zone mass plots, Figures 2-21 and 2-22 illustrate the growth and disappearance of zones. At the start of injection, -15° ATDC, only the air zone, zone 10, exists. As fuel is evaporated cells become richer and they are rezoned into progressively richer zones. In this way richer zones grow out of leaner ones. The coarse grid has again caused significant noise in this data. Initially we were concerned about the effect of this noise on the SMM results. To determine the extent of this effect, one set of data was smoothed before input to the SMM. The difference between the results using the raw data and the results using the smoothed data was negligible and all subsequent runs were made using raw data.

The data was also checked for consistency. The total zone mass plus the total zone liquid mass equaled the original charge mass plus the mass of fuel injected. The total zone liquid mass plus the total zone fuel vapor mass plus the total zone burned fuel mass equaled the mass of fuel injected. Mean zone temperature was highest in the stoichiometric zone. Zone mixing intensity is maximum around TDC and in zones where the fuel spray is most prominent. Mixing intensity decays during expansion. Zone mean TFMF is progressively higher in richer zones and within zone limits. Total zone volume is equal to the cylinder volume. NO<sub>x</sub> mass fraction is highest in zones with the highest mean temperatures. Cumulative mass of fuel evaporated is equal to total zone fuel vapor mass plus total zone burned fuel mass less the original burned fuel mass. Total heat release agrees with total fuel burned and total wall heat transfer is about 15 percent of the total heat release.

#### CHAPTER 3

THE STOCHASTIC MIXING MODEL

#### 3.1 Assumptions

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The basic assumption underlying our two-step approach is that an inhomogeneous reactive flow, such as in a D.I. diesel engine, can be broken down into zones which individually may be modeled as stochastic mixing zones. It is further assumed that these zones are simply connected in series with a single flow in or out from the preceding zone and a single flow in or out to the next zone. Total fuel mass fraction (burned plus unburned) is used to define the zones. These zones are not fixed in space, but constantly change as the total fuel mass fraction distribution within the cylinder changes. There is no spatial resolution within the zones and each zone is considered to be perfectly macromixed. Figure 3-1 illustrates a typical zone arrangement. Output from a multi-dimensional model solution is used to define the zones, to specify the flow between zones and to constrain certain processes within the zones. It is also assumed that the slower emissions chemistry does not produce or use significant energy and is therefor only a perturbation of the major combustion and flow dynamics which are correctly modeled by the MDM.

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# 3.2 Model Overview and Structure

Prior to the start of injection only the air zone exists. As liquid fuel begins to evaporate and mix with the surrounding air other zones are created. The MDM specifies the flows into and out of these zones. These flows are updated in the SMM with data from the MDM at specific update times. Evaporation, heat transfer, mixing intensity and volume in the SMM are also specified by the MDM data. Mass in the SMM is broken up into equal mass units called elements. Each element consists of two primary components, unburned fuel vapor and burned gas. The burned gas fraction (BGFR) includes air and burned products. The BGFR is assumed to be in equilibrium for a given temperature, pressure and burned fuel fraction (FR). Zone mixing occurs by random selection of two elements within a mixing zone, coalescence of these two elements into a single element and separation back into two elements with equal intensive properties. When combustion criteria are met in a specific element all of the unburned fuel vapor (1-BGFR) is instantaneously converted to burned gas and a new equilibrium is calculated to include the additional burned fuel fraction. The SMM includes submodels for updating chemical properties, evaporation, heat transfer and volume.

Figures 3-2 and 3-3 illustrate the SMM's basic structure. Figure 1-4 illustrates the relationship between the SMM and the MDM. There are three primary inputs to the SMM:

1. Equilibrium data. Tables with standard enthalpy, specific heat, molecular weight, and equilibrium products are stored as a function of temperature, pressure and total equivalence ratio. These properties are calculated using the NASA equilibrium code as iescribed in Appendix D.

2. MDM data. The processed MDM output as described in

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Section 2.6 includes mass flow, zone fuel evaporated, zone volume, zone heat transfer, and zone mixing intensity.

3. NAMELIST data. Contains the SMM simulation control parameters, combustion and soot parameters, and fuel characteristics.

The equilibrium data and NAMELIST data are input at the start of the simulation by Program SMM. Program SMM updates the simulation time and initiates the mixing events. When it is time for the next MDM update, Program SMM calls Subroutine SMZ. Subroutine SMZ first completes the previous MDM timestep for each zone by updating the heat transfer, updating the chemical properties, and conserving volume. Subroutine SMZ then reads the MDM data for the next MDM timestep and uses it to specify the flow between zones and to update evaporation. It also calculates a new mixing time for each zone. The smallest of these mixing times is used by Program SMM as the basic simulation time increment. Once these updates have been made, control returns to Program SMM and mixing continues until the next update.

#### 3.3 Submodels

The following sections describe the various submodels included in the SMM. The fundamental structure of these submodels relies heavily on work done by Mansouri [2] and Sztenderowicz [21] although the overall structure and application is quite different.

### 3.3.1 Mixing

Program SMM calls Subroutine MIXING whenever it is time for a mixing event in a particular zone i. This subroutine performs zone mixing. Our basic approach requires that the individual zones be modeled as stochastic mixing zones. Appendix C describes the details of this method. Each mixing zone is perfectly macromixed with the degree of micromixing determined by the mixing intensity, 3<sub>i</sub>. The method used for mixing is coalescence/dispersion.

Each zone consists of N equal mass elements. Turbulent mixing within zone i is characterized by the mixing intensity:

$$B_{i} = \frac{1}{\tau_{m_{i}}}$$
(3.1)

where  $\tau_{mi}$  is the characteristic time for all elements in the zone i ensemble to undergo one mix. For N<sub>i</sub> elements, the time between element mixing events,  $t_{mi}$  is:

$$t_{m_{i}} = \frac{1}{N \beta_{i}}$$
(3.2)

A single mixing event in zone i consists of the following:

1. Two elements within zone i are chosen at random. This is accomplished using a random number generator which produces values of a single random variable that is evenly distributed between zero and one. This value is multiplied by the number of elements in the zone and rounded up to the nearest integer. This integer identifies the element number, i. The probability that any one element will be chosen is  $1/N_i$ .

2. The properties of each element are updated.

3. The elements are combined and then separated again into two elements with equal properties, conserving species mass and enthalpy.

4. If the new elements satisfy the combustion criteria after mixing, they are burned.

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The characteristic mixing time,  $\tau_{mi}$ , is the same order of magnitude as the kinetic update time, consequently  $t_{mi}$  becomes very small for large values of N<sub>i</sub>. The value of  $t_{mi}$  is updated for each zone at the start of each MDM timestep and the smallest of the zone mixing times is used by Program SMM for the basic simulation timestep.

### 3.3.2 Flow

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Subroutine SMZ calls Subroutine FLOW at the start of each MDM timestep. As discussed in Section 2.5, Program PROCMDM uses conservation of mass to calculate net mass flow, fuel vapor mass flow, and burned fuel mass flow between zones. These flows represent convection, turbulent diffusion, and the rezoning of cells to richer or leaner zones due to changes in their total fuel mass fraction. These are net flows. They do not consider all exchanges back and forth across zone boundaries.

- The flow between zones in the model must be accomplished within the model structure. This means exchanging elements between two ensembles of elements. In order to develop an effective algorithm for modeling the flow, the following objectives and constraints were considered:

1. Zone elements must be kept intact.

2. The selection of elements should adhere to the basic "random selection" criteria to the greatest extent possible.

3. The exchange of elements must transfer the correct net mass flow (FM).

4. The exchange of elements must transfer the correct amounts of fuel vapor (FMV) and burned fuel (FMBF). To accomplish this, combustion in each zone must approximate the MDM and the flow algorithm must include one for one exchange of elements across the boundary in addition to the net flow.

5. The resulting overall distribution of elements according to total fuel mass fraction should be continuous at zone boundaries and should converge to a single distribution as the number of zones increases.

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A number of alternative algorithms were tried. The following algorithm best satisfied our objectives and constraints (Refer to Figure 3-1):

1. Calculate the number of elements required to flow between zones to satisfy the net total mass flow (FM). The net mass flow between any two zones will be from a donor zone to a receiving zone. Arrows in Figure 3-1 indicate the positive direction, but FM, FMV and FMBF may be independently positive or negative.

2. The flows are considered is sequence, starting with flow number one. (FM(1),FMV(1),FMBF(1))

3. Elements in the donor zone are sorted into three groups: (1) Elements containing fuel vapor (total fuel mass fraction greater than the upper limit for combustion), (2) Elements rich in burned fuel (burned fuel fraction greater than the lower limit for combustion) and (3) Lean elements (other).

4. When selecting the flow elements, if the required fuel vapor flow (FMV) is in the same direction as the total flow (FM) and exceeds the required burned fuel flow (FMBF), random elements are selected from Group 1 in the donor zone and added to the receiving zone. If the required burned fuel flow (FMBF) is in the same direction as the total flow (FM) and exceeds the required fuel vapor flow (FMV), random elements are selected from Group 2 in the donor zone and added to the receiving zone. Otherwise random elements are selected from Group 3 in the donor zone and added to the receiving zone. If the elements in a particular group run out and an element is required, a random element is selected from all the remaining elements in the donor zone and added to the receiving zone. This net flow process is continued until the total mass flow requirement (FM) is satisfied.

5. Once the net total mass flow has been achieved there may still be significant discrepancies in fuel vapor (FMV) and burned fuel (FMBF) flows. These discrepancies are cor-

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rected by exchanging elements one for one between the two zones. Elements in both zones are sorted into the groups as described in item 3 above. One element is selected from each zone according to the same criteria as item 4 above. These elements are exchanged between the two zones. This process is repeated until the fuel vapor and burned fuel flows are within tolerance or one of the groups runs out of elements.

Subroutine FLOW accomplishes the net flows and calls Subroutines MIXINGA or MIXINGB if one for one exchange is required to accomplish the correct fuel vapor and burned fuel flows. Subroutine MIXINGA is used for flow to and from the air zone. Subroutine MIXINGB is used for all other flows.

# 3.3.3 Evaporation Model

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The amount of fuel evaporated in each zone during the next MDM timestep is input with the MDM data by Subroutine SMZ at the start of each MDM timestep. If this amount exceeds the mass of one element and if there are already elements in the zone with which the fuel vapor can mix, Subroutine SMZ calls Subroutine EVAP.

Subroutine EVAP selects a random element already in the zone, updates its properties and mixes it with a pure fuel vapor element. The sensible and latent heat required to bring a liquid fuel element to saturation temperature and evaporate it is subtracted from the enthalpy of the mixed elements. Otherwise species mass and enthalpy are conserved as in a normal mixing event. The elements are separated into two elements with equal properties. This process is repeated until the mass of fuel vapor added is equal to the required evaporated fuel mass for the timestep. Required evaporation in excess of the mass of an integer

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number of elements is carried over to the next MDM timestep.

## 3.3.4 Ignition Delay and Combustion Model

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Elements are tested to determine if they satisfy the combustion criteria whenever chemical properties are updated and before and after each mixing event. Subroutine PROP is called by Subroutine SMZ when the time since the last kinetic update exceeds the specified kinetic update time and prior to the mixing of two elements. If an element contains unburned fuel Subroutine PROP will call Subroutine CMBUST. Subroutine CMBUST is also called after mixing if the mixed elements contain unpurned fuel. If an element satisfies the combustion criteria, Subroutine CMBUST instantaneously burns the element at constant pressure to equilibrium products. A new temperature is calculated for the products by Subroutine BTEMP and the element's burned gas fraction (BGFR) is set to one.

The combustion criteria are:

1. The element must contain unburned fuel. (BGFR < 1)

2. The element's ignition preparation factor must exceed one. (PREP, > 1).

3. The element's total fuel equivalence ratio must be within combustible limits.  $(\phi_L < \phi < \phi_R)$ 

The ignition delay preparation factor in element i is calculated as follows:

$$PREP_{i} = \int \frac{dt}{\tau_{id_{i}}(t)} = \sum_{j} \frac{\Delta t_{j}}{\tau_{id_{i}}(t_{j})}$$
(3.3)

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where the ignition delay time is expressed as [22]:

$$\tau_{id_{i}}(t_{j}) = 3.45E-3 p^{-1.02} exp(2100/T_{i})$$
 (s) (3.4)

Combustible equivalence ratio limits of 0.3 to 1.5 were found to best reproduce zone combustion as predicted by KIVA.

The SMM combustion model is not constrained by the combustion predicted in the KIVA solution. Two significant problems with the KIVA solution (Section 2.5) made this necessary: (1) KIVA's initial burning was too fast, (2) Excessive numerical diffusion damped out large scale convection and mixing, resulting in significant unburned fuel. The SMM was able to correct these deficiencies to some extent, but in the process the quantity of burned versus unburned fuel in the SMM solution was very different from the KIVA solution. This caused problems with the SMM flow algorithm which is constrained to match the flow of burned and unburned fuel in the KIVA solution. Ideally, if the KIVA solution were correct, the SMM combustion should be constrained to agree.

# 3.3.5 Heat Transfer Model

Wall heat transfer is updated at the end of each MDM timestep by Subroutine QWALL. QWALL is called by Subroutine SMZ. The wall heat transfer calculated by KIVA includes only convection/conduction. Radiation heat transfer is not calculated by KIVA. The purpose of Subroutine QWALL is to distribute the zone heat transfer specified by KIVA among the zone elements. The heat transfer to a particular element is assumed to be proportional to its surface area and to the temperature difference between the element and the wall:

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$$Q_i = h A (T_i - T_w) = (mv_i)^{2/3} (T_i - T_w)$$
 (3.5)

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where:

- $Q_i = Wall heat transfer for element i.$
- T. = Wall temperature.
- T, = Temperature of element i.
- v, = Specific volume of element i.

Given that this relationship is true for all elements:

$$Q_{i} = \frac{Q_{w} v_{i}^{2/3} (T_{i} - T_{w})}{\sum_{i} v_{i}^{2/3} (T_{i} - T_{w})}$$
(3.6)

 ${\bf Q}_i$  is added to the element enthalpy for each element.

# 3.3.6 Volume Constraint

In addition to conservation of mass, species and energy, the total volume of all the elements must be equal to the actual cylinder volume. This constraint effects conservation of energy through the PV term in the First Law. Considering conservation of energy for one element:

$$\Delta E_{i} = Q_{i} - W_{i} = Q_{i} - \int_{1}^{2} p dV_{i}$$
(3.7)

or:

$$\Delta H_{i} = Q_{i} + \int_{1}^{2} V_{i} dp = Q_{i} + .5[V_{i}(t_{1}) + V_{i}(t_{2})]\Delta p \qquad (3.8)$$

where:

 $\Delta H_i = H_i(t_2) - H_i(t_1) = change in enthalpy of element i$ 

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 $Q_i$  = heat transfer into element i

 $\mathcal{I}_{i}$  = volume of element i

p = pressure

The volume constraint is updated at time  $t_2$ . At this time all other MDM timestep processes have been completed (mixing, combustion, heat transfer). These processes are accomplished at constant pressure with no volume constraint. The additional enthalpy change which results from adiabatically updating the element volume may be expressed as:

$$[\Delta H_{i}]_{volume} = mc_{p}(t_{2},)[T_{i}(t_{2}) - T_{i}(t_{2},)] = .5[V_{i}(t_{1}) + \frac{mR_{i}(t_{2},)T_{i}(t_{2})}{p(t_{2})}]\Delta p$$
where: (3.9)

t, = start of the MDM timestep

 $t_{2}$ , = end of the MDM timestep before the volume update  $t_{2}^{'}$  = end of the MDM timestep after the volume update  $c_{p}(t) = c_{p}(t_{2}) =$  specific heat at constant pressure  $R(t) = R(t_{2}) =$  gas constant

Subroutine VOLUME uses an iterative technique to calculate new element temperatures and a new SMM pressure while satisfying the volume constraint. Solving for  $T_i(t_2)$ , Equation (3.9) becomes:

$$T_{i}(t_{2}) = \frac{T_{i}(t_{2}) + .5v_{i}(t_{1})\Delta p/c_{p}(t_{2})}{1 - \frac{.5R(t_{2})\Delta p}{c_{p}(t_{2})}}$$
(3.10)

The iterative procedure is as follows:

1. A value for  $p(t_2)$  is assumed. For the first iteration  $p(t_2)=p(t_1)$ . Afterwards  $p(t_2)$  is calculated on the previous iteration.

2.  $\Delta p = p(t_{2}) - p(t_{1})$ .

3. New element temperatures and volumes are calculated using Equation (3.10) and the ideal gas law.

4. Total element volume is calculated and compared to the required value. If the total element volume is within tolerance the iteration stops and element properties are updated. If not, a new value for  $p(t_2)$  is calculated using:

$$[p(t_2)]_{new} = \left[\frac{V_{SMM}}{V_{MDM}}\right] [p(t_2)]_{old}$$
(3.11)

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 $V_{\text{SMM}} = \Sigma (\text{mv}_i) = \text{sum of the element volumes}$ 

 $T_{\rm MDM}$  = Required total cylinder volume

This value is used to start another iteration.

Subroutine VOLUME is called by Subroutine SMZ at the end of every MDM timestep.

3.3.7 NC Model

Nitric oxide (NO) is the predominant oxide of nitrogen produced in an engine. The principal source of NO is the oxidation of atmospheric oxygen. In lean and near-stoichiometric mixtures the principal reactions governing the formation of NO are those proposed by Zeldovich: [23]

$$1. 0 + N_{2} = NO + N$$
(3.12)

$$2. N + 0_{2} = N0 + 0$$
(3.13)

Lavoie, Heywood and Keck [24] suggest an extension to this mechanism especially for rich mixtures:

$$3. N + OH = NO + H$$
 (3.14)

Assuming a steady-state approximation for the nitrogen atom concentration, [N], and using this extended Zeldovich mechanism, rate expressions recommended by Bowman [25] reduce to the following simplified expression:

$$\frac{d[NO]}{dt} = 2k_1^+[O][N_2] \left[ \frac{1 - [NO]^2 / K[O_2][N_2]}{1 + k_1^+[NO] / (k_2^+[O_2]] + k_3^+[OH])} \right] (gmole/cc.s), (3.15)$$

where:

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[] = species concentration (gmole/cc)  
$$k_{r}^{+}, k_{\bar{r}}^{-}$$
 = forward and backward reaction coefficients  
K =  $(k_{1}^{+}/k_{1}^{-})(k_{2}^{+}/k_{2}^{-})$ 

Since NO production in the post-flame gases dominates flame-front produced NO, combustion and NO formation processes are assumed to be decoupled. Concentrations of O, O2, OH, H and N2 may then be approximated by their equilibrium values:

$$\frac{d[NO]}{dt} = \frac{2k_1^{+}U_2(1 - \alpha^2)}{\rho_1(1 + \alpha U_3)} \quad (gmole/cc \cdot s) \quad (3.16)$$

where:

	T <sub>i</sub>	-	temperature of element	i (K)
	۶ <sub>i</sub>	=	gas density of element	i (g/cc)
	[] <sub>e</sub>	2	equilibrium species com	ncentration (gmole/cc)
	α	=	[NO]/U <sub>1</sub>	
	U <sub>1</sub>	3	[NO] <sub>e</sub>	
	U2	=	[N <sub>2</sub> ] <sub>e</sub> [0] <sub>e</sub>	
	U <sub>3</sub>	3	$\frac{k_{1}^{+}[N_{2}]_{e}[O]_{e}}{k_{2}^{+}[N]_{e}[O_{2}]_{e} + k_{3}^{+}[N]_{e}[OH]}$	_ ] <sub>e</sub>
	× <sub>1</sub> +	=	7.6E13 exp(-38000/T <sub>i</sub> )	(cc/gmole•s) [26]
•	×₂	3	1.5E9 exp(-19500/T <sub>i</sub> )	(cc/gmole•s) [26]
	×3	2	4.1E13	(cc/gmole•s) [26]

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Subroutine PROP updates NO concentration in an element using Equation (3.16). Equilibrium values for U1, U2, and U3 are provided in the NASA equilibrium data for a range of temperatures, pressures and equivalence ratios of the burned gas. Subroutine SPECNO interpolates between the tabular values to calculate U1, U2, and U3 at the specified temperature, pressure and equivalence ratio.

# 3.3.8 Soot Model

Diesel particulates consist primarily of soot on which some unburned hydrocarbons have been absorbed. The individual particles are found to be clusters of many small spheres or spherules of carbon. [27] A typical composition of dry soot might be  $CH_{.27}O_{.22}N_{.01}$ , but this varies widely. Spherules have a concentric lamellate structure much like the layers of an onion. Spherules vary in diameter between 10 and 80 nm, but most are in the 15-30 nm range. Spherule density is approximately 1.8 g/cc.

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Most of the information available on the fundamentals of soot formation comes from studies in simple premixed and diffusion flames, stirred reactors, shock tubes, and constant volume combustion bombs. [28] Soot measurements in DI diesel engines and in similar fuel rich diffusion flames show high concentrations of soot in and around the fuel-rich cores. This indicates that pyrolysis is an important source of soot. Amann and Siegla [27] conclude that the production of diesel particulates involves a complex series of chemical and physical processes. These are represented in Figure 3-4.

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The precise details of the chemistry leading to the formation of soot are not well understood. Figure 3-5 represents a simple mechanistic model for the nucleation of soot. [28] At low temperatures an aromatic hydrocarbon can produce soot via a relatively fast, direct route that involves condensation of the aromatic rings into a graphitelike structure. This production increases with temperature up to around 1800K. Experiments by Prado and Lahaye [29] support such a condensation mechanism. Above 1800K, a slower indirect route is favored that requires break-up into smaller fragments which polymerize to ultimately form soot nuclei. An ionic mechanism proposed by Howard [30] may also contribute to soot formation, but it does not appear to be a major contributor.

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Given the very limited knowledge about these mechanisms and the total lack of quantitative prediction methods, we ultimately selected an empirical correlation for predicting soot formation. Wang, Matula and Farmer [31] studied soot formation for toluene behind reflected shock waves over the temperature range 1400 K to 2500 K and the pressure range 2.5 to 10 atmospheres using a laser beam attenuation technique. Their results were consistent with the nucleation mechanism discussed above and they included two correlations, one with oxygen in the mixture and one without. This provides a low oxygen limit on the formation rate rather than having a rate which gets very large as the oxygen goes to zero. The large temperature and pressure range of their data approaches that found in diesel combustion.

The correlation equation of the apparent soot formation rate for toluene/argon/oxygen mixtures is given by:

 $R_{\text{soot}} = \frac{5.55 \times 16 \left[C_{7}H_{8}\right]^{2.59} \left[\operatorname{Ar}\right]^{\cdot 13} \exp\left[-41.8/\operatorname{RT} - 48.1\sigma\left(1/\operatorname{RT} - 1/\operatorname{RT}_{m}\right)\right]}{\left[O_{2}\right]^{\cdot 71}}$   $(g/\operatorname{cc} \cdot s) \qquad (3.17)$ 

where:

[] = species concentration (gmole/cc) R = Universal gas constant T<sub>m</sub> = 1800 K o for T  $\leq$  T<sub>m</sub> f for T > T<sub>m</sub>

For toluene/argon mixtures (low  $0_2$  limit):

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These rate equations were multiplied by a calibrating constant (SOOTC) and applied directly in the model with:

$$[C_{7}H_{8}] = [C_{10.8}H_{18.7}]$$
(3.19)

$$[Ar] = \rho_1 / MW - [C_{10.3}H_{18.7}] - [O_2]$$
(3.20)

$$\frac{1}{m} = \frac{1}{m} \frac$$

where:

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 $v_i = \text{specific volume of element i } (cc/g)$ 

The purpose of the calibrating constant is to relate the rate of sooting for diesel fuel in a turbulent flow to that of toluene in a shock tube experiment. All the soot mass formed during a timestep is assumed to take the form of new spherules of density  $\rho_{\rm soot}$  and radius  $r_{\rm o}$ . The soot surface area contributed by these new spherules is:

$$\Delta A_{form_{i}} = \frac{\frac{3m_{soot_{i}}}{\rho_{soot_{o}}}}{\rho_{soot_{o}}} \quad (cm^{2})$$
(3.22)

Decurring simultaneously with soot formation is soot oxidation. Park and Appleton [32] have shown that the surface reaction rate for the oxidation of soot in a flame is nearly the same as that for pyrolytic graphite. In lean and near-stoichiometric mixtures where 02 is the primary oxidant the semi-empirical formula proposed by Nagle and Strickland-Constable [33] has proven very satisfactory for predicting this reaction rate. Measurements taken by Neoh and Howard [34] indicate that in fuel rich flames the OH radical becomes the principal oxidant and that the rate predicted by Nagle and Strickland-Constable under-predicts soot oxidation. This effect could be significant in the richer region of the diesel fuel spray where most of the soot is formed, although the overall diesel equivalence ratio is very lean. Since the quantitative effect of the OH radical has not been thoroughly evaluated for the full range of equivalence ratios encountered in diesel combustion, only the Nagle and Strickland-Constable formula will be used here:

$$\omega_{\text{ox}_{i}} = 12 \left[ \frac{\kappa_{\text{A}} p_{\text{O2}} \chi}{1 + \kappa_{\text{Z}} p_{\text{O2}}} + \kappa_{\text{B}} p_{\text{O2}} (1 - \chi) \right] \quad (g/\text{cm}^{2} \cdot s)$$
(3.23)

where:

 $x = \frac{1}{1 + k_T / k_B p_{02}}$   $k_A = 20. \exp(-15000/T)$   $k_B = 4.46E-3 \exp(7640/T_i)$   $k_T = 1.51E5 \exp(-48000/T_i)$   $k_T = 21.3 \exp(2060/T_i)$ 

 $p_{02}$  = partial pressure of  $D_{2}$  in element i (atm)

After formation and oxidation during kinetic timestep, 2t, the final soot mass becomes:

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and the final soot area becomes:

$$A_{\text{soot}_{i,2}} = A_{\text{soot}_{i,1}} \left( \frac{m_{\text{soot}_{i,2}}}{m_{\text{soot}_{i,1}}} \right)^{2/3} (\text{cm}^2)$$
(3.25)

where:

 $\sum_{i=1}^{n}$ 

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 $\omega_{\text{ox}}$  = soot oxidation surface recession rate (g<sup>2</sup>/cm ·s)  $m_{\text{soot}_{i,j}}$  = mass of soot in element i at time j (g)

A soot = surface area of soot in element i at time j 
$$(cm^2)$$
  
i,j

Subroutine PROP calls Subroutine SOOT which calculates soot formation. Subroutine PROP calculates soot oxidation and updates the quantity of soot in each element.

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CHAPTER FOUR

### EXPERIMENTAL DATA

## 4.1 Data Requirement

In order to evaluate the Stochastic Mixing Model it was necessary to obtain or generate test data. The calculation of Nitric Oxide (NO) by the SMM is dependent on only one calibrating constant. This is the scaling factor for mixing intensity. This constant is adjusted to match the mass of fuel burned in each zone and the overall pressure trace to the MDM results. This adjustment does not consider NO and does not consider experimental results. Consequently, NO is an unbiased indicator of how well the SMM method is predicting slow chemistry. The SMM provides cylinder averaged NO mass fraction as a function of crank angle. Most diesel NO data is derived from either probe sampling, spectroscopic analysis or exhaust measurements. Probe studies provide local NO measurements at various crank angles, but do not provide cylinderaveraged values. Spectroscopic analysis is severely limited in direct injection diesels because of the opaque diesel spray and overwhelming soot radiation. Exhaust measurements do not resolve crank angle dependence. One technique that does provide this data is to dump and quench the cylinder contents for chemical analysis at various crank angles. Fortunately, the University of Wisconsin-Madison has had an ongoing study using this technique and their results will be used in our analysis. [19,35,36,37,38] The specific test cases we have used are those

discussed in Reference [35].

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# 4.2 Description of the Test Engine and Apparatus

The test engine used at the University of Wisconsin is a singlecylinder direct-injection diesel engine. The specifications for this engine are listed in Table 4-1. Dumping of the cylinder contents is achieved by cutting a one-inch diameter steel diaphragm mounted in the cylinder head, allowing the cylinder gas to expand into a quench chamber. This process is repeated at various crank angles for a fixed engine operating condition, providing a history of cylinder-averaged NO over the combustion cycle. EXERTED ESSENT EXCLARED FOR A CONTRACTOR

Figure 4-1 is a diagram of the cylinder head and combustion chamber. This head was specifically designed and manufactured for their experiments. It contains a one inch diameter dumping port, injector hole, exhaust port, and intake port with a shrouded intake valve. The shrouded intake valve allows experiments at various swirl ratios. Shroud adjustment was calibrated at steady flow conditions for a reasonable range of swirl values using a paddle-wheel transducer.

Figure 4-2 is a diagram of the dumping system. Its major components are the quench chamber, the ball valve which isolates the quench chamber from the engine immediately after dumping, the connecting tube which holds the diaphragm and cutting mechanism, the cutter actuating mechanism, and the pressure safety valve. The diaphragm is held at one end of the connecting tube by clamping between outer and inner concentric tubes. The cutter is a third concentric tube which slides inside the inner clamping tube. When the cutter tube is forced down by the actuating mechanism the diaphragm is sheared around its circumference.

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The rapidly expanding cylinder gases cause it to fold upward around a diagonal cross-member. This process takes about 0.1 ms. 80% of the cylinder gases are collected. The quench tank is isolated from the connecting tube and engine by a ball valve. The tank is designed to provide an adequate volume of helium quenching gas and to dissipate the shock produced by the inflow.

Figure 4-3 is a schematic of the dumping and control system. The dumping event is triggered by a signal from a magnetic pickup placed on the camshaft. This signal is received by a timing circuit which actuates the cutter mechanism solenoid and synchronizes engine shutdown and isolation. This includes closing the ball valve, the engine intake and exhaust valves, and the fuel cut-off valve.

The engine is equipped with an electric dynamometer and a digital counter to measure speed. Fuel consumption is measured using a fuel weighing balance and electronic timer. Air supply is measured using a critical flow orifice. Cylinder pressure is measured using a piezoelectric transducer.

A complete test run proceeds as follows:

1. The engine is started and warmed up.

2. With the diaphragm in place and the ball valve open, the quench tank is pumped out using a vacuum pump and refilled with helium. This is repeated several times to ensure that all air has been removed from the system. The final helium pressure is set slightly above atmospheric. Quench tank temperature and pressure are recorded.

3. The triggering signal is set to occur at the desired crank angle. This value will only approximate the dump angle. The actual value is obtained by analyzing the cylinder pressure trace.

4. The timing circuit is activated and the cylinder is

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dumped on the next complete cycle after receipt of the triggering signal.

5. The cylinder pressure recorder is also activated for the dumping cycle.

6. A portion of the collected gas in the quench tank is passed through a drier and filter and stored in a Tedler bag for gas analysis. A Barber Colman gas chromatograph (GC) is used to measure  $O_2, N_2, CH_4, CO$  and  $CO_2$ . Non-dispersive infrared (NDIR) analysis is also used to measure  $CO_2$ . The remainder of the gas is passed through a chemiluminescent analyzer (CLA) for NO and NO<sub>x</sub> analysis.

# 4.3 The Test Cases

Table 4-2 describes the five test cases. Safety considerations limited the engine speed to 1000 RPM and the engine load to an overall equivalence ratio of 0.5. Runs using an eight-hole injector were made at two swirl ratios, zero and ten percent EGR, and two injection timings.

Each NO versus crank angle history represents a series of cylinder dumps at constant engine conditions. The effect of cycle-to-cycle variations was analyzed by multiple dumps at a single crank angle. For NO levels below 1000 ppm the variation was less than 10 percent. For NO levels above 1000 ppm it was less than 2 percent.

Complete test data and pressure traces are listed in Appendix G. Note that NO mass fractions must be multiplied by a correction factor to account for helium dilution.

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### CHAPTER FIVE

#### MODEL EVALUATION AND SENSITIVITY

### 5.1 Sensitivity to Simulation Parameters

The first step in evaluating the Stochastic Mixing Model approach is to consider its internal consistency: its sensitivity to important model and physical parameters and the variance in results for different stochastic runs with all other parameters held constant. To accomplish this we analyzed the effect of varying the total number of elements, the mixing intensity scaling factor, and the number and definition of the zones on the results and on element distributions.

#### 5.1.1 Number of Elements

The total number of elements used in the SMM is a critical model parameter. The number of elements is determined by the individual element mass (ELMM), specified as a model input parameter, and the total mass of injected fuel and intake air per cycle, specified by the engine operating conditions. A random number generator is used in many of the SMM submodels to select elements for mixing and exchange with other zones. Included in the model input parameters is a random number seed which determines the series of random numbers selected for a particular run. A different random number seed will result in different element selection and a different solution. Dutput is averaged over a number of

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stochastic runs with different random number seeds. Figures 5-1 and 5-2 show mean maximum pressure, mean maximum NO and mean maximum soot versus the total number of elements used in the runs. Each data point represents the mean of ten stochastic runs with different random number seeds. Each run uses 10 zones, a mixing intensity factor of 1.1 and MDM data for Test Run 17. Four different element sizes were used for element totals of 1437, 2875, 5750 and 11500 (ELMM=0.0012, 0.0006, 0.0003, and 0.00015 g). The curves connect the four mean data points. The vertical lines indicate the standard deviation and the tick marks indicate the 95 per cent confidence interval for the mean value. [51] Two important observations may be made about this data. First, the standard deviation decreases with more elements and second the mean value changes with the number of elements, approaching an asymptotic limit with more elements. Both of these observations are as expected and may be attributed to the stabilization of the distribution of element properties with more elements. To achieve continuous distributions of properties within each zone requires a sufficient number of elements. As these distributions approach their limiting values they become less sensitive to further increases in the number of elements and to changes in the random elements chosen. Figure 5-3 shows the distribution of elements for these cases as a function of total fuel mass fraction and the number of elements. These distributions converge as the number of elements is increased. Typical of all the distributions examined is that they start off with a large group of elements that are very rich and a large group that are very lean. These two groups should gradually mix and converge with increased crank angle to a distribution centered on the overall fuel mass fraction. This occurs in our results although our distributions always have a

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significant number of very lean elements left at the end. This is due to the incomplete mixing predicted by KIVA.

Computer run time for the SMM varies directly with the number of elements, so for computational efficiency of a single run it is desirable to have fewer elements. However, standard deviation decreases with the number of elements and fewer runs are required with more elements for the same computational accuracy. A compromise number of 5750 elements (ELMM=0.0003 g) was selected for the remainder of our runs. Mean results for this number of elements are within 5 per cent of their asymptotic values and the 95 per cent confidence factor range for ten runs is less than plus or minus 5 per cent. Run time from the start of injection to 40° ATDC for one run on a VAX 750 is approximately 90 minutes.

### 5.1.2 Mixing Intensity Scaling Factor

Most important among the physical parameters is the mixing intensity scaling factor (CBETA). As shown in Equation C.16 mixing intensity may be derived from basic principles to within a linear scaling factor. This scaling factor must be specified in the model input. Figure 5-4 shows cylinder pressure, mass of fuel burned, NO, and soot versus crank angle and CBETA. Included are plots of the experimental test results, the KIVA results and the SMM results. Each SMM curve represents the mean of 10 stochastic runs with 5750 elements and 10 zones, using MDM data for Test Case 17.

Initial burning and pressure rise in the SMM are slower than the KIVA results. This may be attributed to the ignition delay submodel included in the SMM which slows down this initial burning phase. KIVA

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does not consider pre-ignition chemistry and its initial burning is too rapid. For the range of mixing intensity factors considered, the maximum pressure predicted by the SMM is reasonably close to the KIVA results. Increasing CBETA results in increased burning and higher pressures. This is consistent with increased mixing. With CBETA fixed, trends in maximum pressure predictions at other engine operating conditions are also consistent with the KIVA and experimental data. The SMM pressure trace eventually converges with the KIVA and experimental results. The discrepancy in the pressure traces from peak pressure to convergence is attributed to possible diaphragm leakage in the experimental results and to incomplete combustion predicted by KIVA, which may be seen in the mass-burned plot. The value of CBETA selected for comparison to the experimental data (CBETA=0.9) was chosen to give the best matchup between SMM and KIVA pressure traces. Experimental results were not considered in determining CBETA.

The shape and the magnitude of the NO curves agree well with the experimental results for this test case. NO concentration increases with CBETA, pressure and mass-burned. This is consistent with increased mixing and earlier combustion.

Unlike NO, soot formation predictions are dependent on a calibrating constant (SOOTC). The value used (SOOTC=0.001) was chosen to give agreement between exhaust soot predicted by the SMM (Test Run 17, CBETA equal to 0.9) and the experimental results. Since toluene combustion generates far more soot than diesel fuel, this constant is substantially different from unity. The application of the toluene shock-tube correlations to the diesel environment is, however, highly speculative. This value was held constant for all subsequent runs. In order to use the

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experimental results to calibrate the soot submodel it was necessary to convert an exhaust Bosch Number to percent Carbon. [52] Soot calculations made by the SMM are considered qualitatively and are not used for quantitative evaluation of the model. The soot curves show a maximum near the end of injection followed by rapid oxidation. Increased mixing reduces the amount of soot produced and increases the amount of soot oxidized. This is consistent with our general knowledge about diesel soot emissions.

Figure 5-5 shows the distribution of elements as a function of total fuel mass fraction and mixing intensity at different crank angles. As CBETA increases, the rich and lean peaks converge more rapidly resulting in narrower and taller distributions. This is consistent with more mixing.

### 5.2 Sensitivity to Zones

The number and definition of stochastic mixing zones used in the SMM is fundamental to the basic hypothesis of our approach and a critical parameter in determining the results. We assume that an inhomogeneous flow may be broken down into a discrete number of zones which individually may be modeled as well-mixed on a microscopic scale. The validity of this hypothesis is dependent on local turbulent length scales and turbulent intensities. "Well-mixed" implies that any element within a zone is equally likely to mix with any other element in the same zone, however, this is not valid if the zone is much larger than the typical turbulent length scale. Increasing the number of zones and consequently decreasing their size should improve the validity of our hypothesis. We would expect that as the number of zones is increased and our hypothesis

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becomes valid, the results should converge to a solution. Increasing the number of zones would eventually become computationally unmanageable and other model hypothesis, such as having simply-connected zones, would begin to breat down. Our concern was that this might occur before converging to a solution.

As discussed in Section 2.6, the KIVA output is sorted into 10 zones. Any combination of these ten zones may be used in the SMM. Table 2-2 lists the zone definitions used in our analysis. Runs were made using 5,7,8,9 and 10 zones. Two different 8 zone definitions were used: one with more division around stoichiometric and one with more division richer than stoichiometric. All runs were made using 5750 total elements, with CBETA equal to 0.3, and using MDM data for Test Case 17.

Figure 5-6 shows cylinder pressure, fuel-mass burned, NO concentration and soot versus crank angle and zone definition. Included are the SMM, KIVA and experimental results. The results for 5 zones are very different from the others. The fuel-mass burned versus crank angle plot is much slower and has a different shape. Cylinder pressure for 5 zones is less and does not ultimately converge with the other cases. The shape of the soot profile is again dramatically different for the 5 zone case. With 8 zones the curves begin to converge. Pressure and burned fuel plots are very similar for 8, 9 and 10 zones. The NO and soot curves are more sensitive to small changes in temperature and converge more slowly, but the difference for 9 and 10 zones is very small. Of the two cases with 8 zones, more subdivision around stoichiometric results in a distribution most similar to the 9 zone case. This may be attributed to there being more elements and greater temperature sensi-

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tivity to fuel mass fraction in the near-stoichiometric interval.

The most critical mechanism by which the zone definition effects these results appears to be through the fuel mass fraction distribution. Figure 5-7 shows these distributions for the various zone definitions. Increasing the number of zones results in more boundaries across which the flow is specified and increasingly constrains the overall distribution. The larger zones in the 5 and 7 zone models tend to develop large peaks in their fuel mass fraction distribution around zone means. This effect is much less evident with more zones where the fuel is forced to be in the appropriate zone and fuel mass fraction interval. The distributions with more zones have more elements in the stoichiometric region. This results in higher mean temperatures, higher pressures, more NO and less soot. The distributions converge rapidly with more than 3 zones. This is consistent with our mixing hypothesis. Ten zones are used in the runs for comparison to the experimental results.

### 5.3 Comparison to the MDM Results

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Sections 5.1 and 5.2 compare SMM results to global MDM results such as average cylinder pressure, fuel-mass burned, NO and soot. The ability of the SMM to reproduce individual zone processes as specified by the MDM solution is also important. Figures 5-8 thru 5-11 compare zone fuel mass fraction and zone fuel-mass burned in the SMM and MDM.

As described in Section 3.3.4, SMM combustion is not constrained by KIVA. The ignition delay predicted by the SMM compares very well with the KIVA ignition delay, which is specified by the experimental results and provided as input to KIVA. (See Figs. 5-8 and 5-9) However, once combustion is allowed to occur in the KIVA solution it takes off much

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too rapidly. The SMM combustion is constrained by the pre-ignition chemistry criteria and proceeds more slowly. This is particularly apparent in the richer zones where lower temperatures and the rich combustion constraint result in much slower SMM combustion rates. Except for Zone 1, the two plots ultimately converge, but quickly start to diverge again as the stable concentration gradients predicted by the KIVA solution prematurely slow KIVA combustion after +20° ATDC.

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The decision not to constrain SMM combustion was made because of the apparent deficiencies in the KIVA combustion solution, but the cost of this decision is seen in the Total Fuel Mass Fraction plots (Figs. 5-10 and 5-11). The quantity of burned versus unburned fuel in the SMM solution was very different from the KIVA solution. This caused problems with the SMM flow algorithm which attempts to match the flow of burned and unburned fuel to the KIVA solution. Burned and unburned-fuel flow errors are less than two percent of the total fuel before +20°, but increase to as much as 20 percent of the total fuel after +20°. As a result, the zone fuel-mass fractions do not precisely match KIVA, particularly after +20° ATDC. Ideally, if the KIVA solution were correct, the SMM combustion should be constrained to agree. Because of the apparent deficiencies in the KIVA combustion solution we chose to have the best agreement occur early in the cycle and around top dead center. Most of the critical NO chemistry is complete by 20° ATDC so that evaluation of our two-step approach is still valid using NO as a criteria. We should, however, be cautious with any conclusions dependent on results after 20° ATDC.

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# CHAPTER SIX

# COMPARISON TO EXPERIMENTAL RESULTS AND ANALYSIS

# 6.1 Comparison to Experimental Results

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The next step in evaluating the Stochastic Mixing Model approach is the comparison of model results to experimental results and trends. This section compares model predictions to the experimental test case results described in Section 4.3. The experimental results include data for two injection timings, two swirl ratios and two levels of exhaust gas recirculation (ECR). KIVA and SMM runs were made for each of these test cases. SMM results represent the mean of 10 stochastic runs with identical engine operating conditions, but different random number seeds. All the SMM runs use a mixing intensity factor (CBETA) of 0.9 and approximately 5750 elements (ELMM=0.0003 g). Table 6-1 summarizes the important features of the model and experimental results. Figures 6-1 through 6-6 are plots of these results.

The pressure traces and fuel-mass burned plots provide important global comparisons. Unfortunately, the comparison of pressure traces was a problem for two reasons: (1) Initial KIVA combustion was too rapid and combustion during the expansion stroke was incomplete. These effects were partially corrected in the SMM by not constraining the SMM combustion to agree with KIVA, but as a result their pressure traces represent different heat release profiles. (2) The experimental pres-

sure traces start out looking normal, but for Test Cases 17, 18, 20 and 21 they seem to "fizzle out". This discrepancy was discussed in Section 2.5.1 and is attributed to possible leakage around the dumping diaphragm - in the test engine. The mixing intensity scaling factor used for subsequent comparison runs (CBETA=0.9) was selected to best match the maximum SMM pressure to the maximum KIVA pressure for Test Case 17. Once this was done, the maximum SMM pressure compared well to the maximum KIVA pressure for each run. This is an important indication of model consistency. Ignition delay and initial pressure rise predicted by the SMM compare well with the experimental results. Towards the end of the cycle the incomplete mixing of fuel and air predicted by KIVA leaves some very rich zones with significant unburned fuel. The fuel-mass burned results for both KIVA and the SMM show only 80-90 percent burned fuel at +80° ATDC. In zones where the mean fuel mass fraction is within combustible limits the SMM ultimately mixes and burns more fuel than KIVA, but in richer zones many elements never satisfy combustible limits and do not burn. The SMM fuel-mass burned results are consistent with the experimental results in that the two high swirl cases (18 and 21) and the early injection case (19) result in more complete combustion, but the SMM is not able to burn all the fuel because of the KIVA constraints.

NO results will be discussed one test case at a time, comparing the results of advanced injection timing, increased swirl and increased EGR 'to the basic test case, Test Case 17. The curves from all five test cases are plotted together in Figure 6-6. The ability of the SMM to predict NO is an excellent quantitative indication of its ability to predict slow chemistry. There are no calibrating factors in the NO

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calculation and the bulk of the NO chemistry occurs prior to  $+20^{\circ}$  ATDC where the SMM results are most valid.

NO results for Test Case 17 are plotted in Figure 5-1. The NO plot shows excellent agreement with the experimental data although the experimental results show a slight increase towards the end of the cycle while the SMM results are nearly constant. NO results for Test Case 18 are plotted in Figure 6-2. The increased swirl in this case results in less fuel spray penetration and increased mixing intensity. Ultimately more of the fuel is mixed and burned than in Test Case 17, but due to less penetration, premixed combustion is less and combustion occurs in a richer mixture. This results in lower burned-gas temperatures, less NO and more soot. The NO reduction from Test Case 17 to Test Case 18 is approximately 40 percent in the SMM versus 26 percent in the experimental results. NO results for Test Case 19 are plotted in Figure 6-3. Agreement between the SMM and the experimental NO results is not as good as in the other cases. The SMM predicts only a 31 percent increase in NO between Case 17 and Case 19 (10° injection advance) versus a 90 percent increase in the experimental results. This 90 percent increase is in agreement with that predicted in other experiments with similar operating conditions. [52] The SMM NO trace does not start up as quickly and falls off at +20° ATDC. Possible causes of this disagreement include: (1) Breakdown of the model after +20° ATDC (results are more consistent before +20°). (2) Inaccuracy of the KIVA initial flow conditions which would have a greater impact in the advanced injection case. (3) Inaccuracy of KIVA initial ourning due to the lack of pre-ignition chemistry in our application. NO results for Test Case 20 are plotted in Figure 5-4. Ten percent EGR results in higher gas heat capacities

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and lower temperatures. This results in less NO and more soot. Again the SMM results agree reasonably well with the experimental results. The SMM predicts a 55 percent reduction in NO between Test Case 17 and Test Case 20 versus a 58 percent decrease in the experimental results. NO results for Test Case 21 are plotted in Figure 6-5, showing the combined effect of increasing swirl and EGR. The SMM predicts a 58 percent reduction in NO between Test Case 17 and Test Case 21 versus a 66 percent decrease in the experimental results.

Two limitations must be considered when analyzing the soot results: (1) The expression for soot production, Equation 3.17, includes a calibrating constant. The soot constant (SOOTC=0.001) used for all the comparison runs was selected to match the soot loading at +80° ATDC in the SMM to the experimental results for Test Case 17. The application of the toluene shock-tube correlations to the diesel environment is, as stated before, highly speculative. (2) Important soot chemistry occurs after +20° ATDC where the SMM assumptions begin to break down. Because of these limitations the quantitative validity of the soot results is unclear and they are only discussed qualitatively.

In all cases (Figs. 6-1 thru 6-5), the soot plot reaches a maximum around the end of injection and then rapidly oxidizes. Maximum soot is approximately two orders of magnitude larger than the soot at exhaust. The hump at +20° ATDC is attributed to the soot production rate (Equation 3.17) increasing as element temperatures approach 1800 K. Cylinder gas temperatures are well above 1800 K at TDC and drop below 1800 K during expansion, passing through this maximum around +20° ATDC. The irate-off between this effect, decreasing unburned fuel and rapid soot oxidation is a possible explanation for this hump occurring to a varying

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degree in each of the test cases. Trends in the final soot loading for all test cases are correct, but only Test Case 19 shows good agreement in magnitude with the experimental results. Both the experimental and SMM results indicate a 25 percent reduction in soot from Test Case 17 to Test Case 19 at +80° ATDC. Better agreement for Test Case 19 than for the other test cases is attributed to the soot chemistry being more nearly complete for Cases 17 and 19 by +20° ATDC where the SMM results are most valid. Significant soot oxidation is still in progress after +20° for the other test cases.

### 6.2 Learning from the SMM Results

In addition to predicting global properties such as pressure, soot, and NO the SMM can provide detailed information about the reactive flow not obtainable from laboratory measurements. Examples of this are the turbulent distribution of fuel mass fraction and NO in the combustion chamber.

Figures 6-7 through 6-10 are fuel mass fraction and mass weighted NO distributions as a function of total fuel mass fraction broken down by zones. The mass-weighted NO distributions are calculated as follows:

mass-weighted NO = 
$$\frac{\sum_{i=j}^{NO}}{N}$$
 (ppm) (6.1)

where:

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[NO]<sub>i</sub> = mass fraction of NO in element i
N = total number of elements in all zones
j = all elements in the ΔTFMF increment

The total fuel mass fraction increment used is 0.01. Refer to the zone definitions in Table 2-3.

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In Test Case 17 at -5° ATDC (Fig. 6-7) the individual zone distributions are not yet fully developed. The fuel is dispersed over all the zones and many of the elements are very lean (4856 of 5644 elements are air zone elements). NO (Fig. 6-8) is most significant around stoichiometric and in the leaner elements and zones. In the early injection case, Test Case 19, injection is complete and, although there are still many lean elements, all of the zones have a broad and significant TFMF distribution with a fairly flat zone total. The NO, produced primarily in the stoichiometric elements, has mixed very rapidly into other elements and zones. The quantity and broad distribution of NO in even the richest zones (1 and 2) is surprising.

By 5° ATDC (Fig. 6-9) the typical "two-hump" TFMF distribution has developed in both test cases. This shape is due to the fuel vapor, which is introduced as pure vapor elements, gradually mixing in with air elements. These two groups of elements, starting from the right and left of the TFMF distribution, gradually converge. Case 19 has proceeded further in converging than Case 17 because of its earlier injection. Zone 1 has nearly disappeared by +5° in Case 19 while it is the dominant rich zone in Case 17. The NO (Fig. 6-10) has dispersed even more completely by this time and the mass-weighted NO distribution begins to correspond closely with the TFMF distribution although there is still a definite peak around stoichiometric. The concentration of NO is significant even in Zone 1.

By 25° ATDC the double humps in the TFMF plots (Fig. 6-13) have nearly merged. The distributions in Test Case 19 continue to be more peaked and narrow. The NO distribution in both cases (Fig. 6-14) conforms closely to the TFMF distribution except for the air zone elements

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where there is no NO. This indicates nearly homogeneous mixing of NO among the combustion zone elements and little mixing with the air zone elements segregated by the KIVA solution.

#### CHAPTER SEVEN

# SUMMARY, CONCLUSIONS AND RECOMMENDATIONS

This thesis proposes and evaluates a Two-Step Approach for calculating slow and complex chemistry in inhomogeneous turbulent reactive flows, specifically in a direct-injection diesel engine. The first step is to complete a Multi-Dimensional Model (MDM) solution of the reactive flow. This is accomplished for a direct-injection diesel using the KIVA computer code. The output of this solution is used to define zones within the flow, and to calculate zone processes and mass flow between zones. A Stochastic Mixing Model (SMM) computer code was developed to recalculate turbulent mixing and chemistry using the MDM information. The SMM generates distributions of turbulent properties within each zone which are necessary to calculate the slow emissions chemistry. This approach is evaluated for consistency by analyzing zone property distributions, the effect of changing zone boundaries, the effect of increasing the number of zones, the sensitivity to various physical and model parameters, the ability of the SMM to reproduce MDM results and the variance of SMM results over multiple stochastic runs. It is evaluated for accuracy by comparison to experimental data and trends.

Weaknesses and deficiencies noted in the direct-injection diesel application of this approach were:

1. The coarse grid spacing used in the KIVA runs for computational economy caused excess numerical diffusion especially during expansion. This damped-out large scale turbulence and

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convection very early in the expansion stroke, limiting mixing and combustion in both the KIVA and SMM results.

2. The global combustion chemistry used in the KIVA runs does not consider pre-ignition chemistry. Initial combustion in all the KIVA runs was too fast.

3. Because of these known deficiencies in KIVA, the SMM was not constrained to follow the KIVA heat release. Instead an ignition delay model was included in the SMM and elements were burned as they mixed when they satisfied the combustion criteria. Consequently the balance of burned and unburned fuel in the zones as specified by KIVA and as calculated in the SMM were not the same. This made it difficult for the SMM flow algorithm to satisfy burned and unburned fuel flow constraints, particularly after +20° ATDC.

4. The SMM mixing algorithm broke down after +20° ATDC when the KIVA large-scale flow was damped-out and gradients became stable.

5. The axisymetric grid used in KIVA for computational economy probably reduced the effect of increased swirl. Initial conditions were also somewhat simplistic and may have effected results, particularly in the early injection case.

6. The soot model used in the SMM was developed for toluene and requires calibration for application to diesel fuel. The accuracy of a diesel fuel application is questionable.

Consistent and encouraging results noted in the direct-injection diesel application of the stochastic mixing model approach were:

1. The standard deviation of pressure, soot and NO decreases with more elements and the mean value approaches an asymptotic limit with more elements. Total fuel mass fraction distributions also converge with more elements.

2. Pressure, soot and NO histories converge as the number of mixing zones is increased. Total fuel mass fraction distributions also converge. Nine or ten zones were required for convergence in our application.

3. SMM and KIVA pressure traces were consistent with different engine operating conditions for a fixed mixing intensity scaling factor.

4. SMM and experimental NO histories showed good agreement, both in magnitude and in trend, as the engine operating conditions were changed. The one exception was for the early injection case where the SMM predicted only half the increase in NO specified by the experimental data.

This Two-Step Approach is an excellent example of the unique potential for the application of multi-dimensional models. The KIVA code provided detailed information about the diesel reactive flow that could not be obtained by any other means. As MDM codes are exercised and reworked their limitations and deficiencies will be resolved.

Recommendations for future effort using KIVA and the Stochastic Mixing Model approach are:

1. Individual KIVA submodels should be validated using experimental data.

3. A 3-D KIVA computation with more realistic initial conditions should be made for comparison to simpler 2-D computations.

3. Pre-ignition chemistry needs to be included in the KIVA solution. Once the MDM combustion calculation is improved, combustion in the SMM should be constrained to agree.

4. A more sophisticated understanding is needed relating the number of mixing zones and efficiency of the mixing model to turbulent parameters in the KIVA solution. Use of a  $k-\varepsilon$  turbulence model vice the subgrid scale model in the KIVA code would facilitate calculation of a realistic turbulent length scale for this purpose.

The Two-Step Approach shows great promise for calculating slow and complex chemistry in turbulent reactive flows. Our direct-injection diesel application of this approach was remarkably successful in predicting NO histories. Limitations in our application were due primarily to KIVA model limitations and inadequacies and to externally-imposed economies on KIVA computer time. The Stochastic Mixing Model appears to be internally consistent and reasonably economical in terms of run time. It should be stressed that the submodels included in the SMM are not intended to be unique, but only to represent one example of how this approach might be applied.

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( ZN ) WZ	Total mass of gas in zone NZ. (g)
(ZN) TWZ	Total liquid fuel mass in zone NZ. (g)
( ZN) AWZ	Total fuel vapor mass in zone NZ. (g)
ZMBF (NZ)	Total mass of burned fuel in zone NZ. (g)
ZTEMP (NZ)	Mass average temperature in zone NZ. (K)
ZQCOMB(NZ)	Zone NZ chemical heat release during timestep. (cal)
ZMEVAP (NZ)	Zone NZ fuel mass evaporated during timestep. (g)
ZQWALL (NZ )	Zone NZ heat transfer from wall during timestep. (cal)
ZMF BRN (NZ)	Zone NZ fuel mass burned turing timestep. (g)
( ZN) ONZ	Zone NZ NO <sub>x</sub> total mass. (g)
( ZN) TON2	Zone NZ volume. (cc)
ZFMF (NZ)	Zone NZ average total fuel mass fraction.

Zone NZ mixing intensity. (1/s)

ZBETA (NZ)

-87-

INPUT VARI	ABLES TO STOCHASTIC MIXING MODEL FROM PROGRAM PRCMDM
FM(NF)	Total gaseous mass flow from zone NF to zone NF+1 during timestep. May be positive or negative. (g)
HMV (NZ)	Fuel vapor mass flow from zone NF to zone NF+1. (g)
ZML (NZ)	Total liquid fuel mass in zone NZ. (g)
FMBF (NZ)	Burned fuel mass flow from zone NF to zone NF+1. (g)
ZTEMP(NZ)	Mass average temperature in zone NZ. (K)
ZMEVAP (NZ)	Zone NZ fuel mass evaporated during timestep. (g)
( ZN) TIVMDZ	Zone NZ heat transfer from wall during timestep. (cal)
ZMF BRN (NZ)	Zone NZ fuel mass burned turing timestep. (g)
ZVOL (NZ)	Zone NZ volume. (cc)
ZFMF (NZ)	Zone NZ average total fuel mass fraction.
ZBETA (NZ)	Zone NZ mixing intensity. (1/s)
ZMA	Air zone total mass (g)
ZMVA	Air zone fuel vapor mass (g)
ZMBFA	Air zone burned fuel mass (g)

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# Table 2-3 Mixing Zone Definitions

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Table 4-2 TACOM Engine Test Cases

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RUN	. 17	18	19	20	21
Equivalence Ratio	0.50	0.50	0.50	0.50	0.50
Swirl Ratio	2.46	2.46	2.46	2.46	2.46
Nozzle Type	8-hole	8-hule	8-hole	8-hole	8-hole
EGR (\$)	0.00	0.00	0.00	10.0	10.0
Engine Speed (RPM)	1001	1001	998	666	1002
Intake Temp (°K)	339.	339.	339.	339.	339.
Start of Injection (° ATDC)	-15	-15	-15	-15	-15
Injection Duration ( CA °)	18.	18.	18.	18.	18.
Start of Combustion ( • ATDC)	-7.8	-8 <b>.</b> 4	-15.0	-7.8	-7.2
Peak Pressure (atm)	1049	1053	1343	1006	1017
Dry Exhaust NO (ppm)	842	625	1600	356	290
Exhaust Temp (°K)	658	646	642	667	645
Smoke (Bosch No.)	4.2	4.3	3.3	5.7	6.9

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Features
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Comments	Slight hump at +20° in soot plot.	Hump at +20° in soot plot.	NO drops off substan- tially around +20°. Burning much slower than KIVA at the start.	Slight soot hump at +20°.	Soot hump at +20°.
(m <sub>bf</sub> ) <sub>80°</sub> (g)	0.0488	0.0502	0.0489	0.0486	0.0502
Soot <sub>80</sub> 。 (\$C)	0.016 0.016	0.269 0.017	0.013	0.425	0.566 0.049
Soot <sub>max</sub> (\$C)	11.3	11.2	7.36	76 <b>.</b> 6	9.83
( mqq )	841. 842.	508. 625.	1100.	378 <b>.</b> 356.	353. 290.
P max (atm)	76.3 70.9	76.1 71.7	86.7 91.4	69.8 68.4	72.6 69.2
EGR (\$)	0.0	0.0	0.0	10.0	10.0
SWIRL	2.46	00 <b>°</b> π	2.46	2.46	<b>и.</b> 00
INJECT ( • ATDC)	-15.	-15.	-25.	-15.	- 15.
RUN	17(SMM) 17(exp)	18(SMM) 18(exp)	19(SMM) 19(exp)	20(SMM) 20(exp)	21 (SMM) 21 (exp)

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Figure 2-1 General flow diagram for the revised KIVA program. [15]



Figure 2-2 KIVA Computational Grid

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Figure 2-6 KIVA Heat Release Rate (Run 17)

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Figure 2-7 KIVA Fuel Mass History (Run 17)






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VELOCIEY ACROSS J= 1PLANE f= 2.83071[-02 CYCLE 3966 CRANK= 80.01 UMAX= 1.90599[+02 VMAX= 1.08478E+03 WMAY= 6.16.387E+02 TACOM DESLE RULH MDM17-33

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Figure 2-14 KIVA In-Plane Velocities (cont) (Run 17)

TFMF ACROSS J= 1 PLANE, L= 1.03731E-02 H= 8.30734E-02 T= 1.33211E-02 CYCLE 1389 CRANK= -9.99 MIN= 1.28557E-03 MAX= 9.21610E-02 DQ= 9.08754E-03 TACOM DIESEL RUN MDM17-33



TFMF ACROSS J= 1 PLANE, L= 4.26283E-02 H= 3.83639E-01 T= 1.49853E-02 CYCLE 2393 CRANK= 0.00 MIN= 2.02869E-06 MAX= 4.26265E-01 DQ= 4.26263E-02 TACOM DIESEL RUN MDM17-33



TFMF ACROSS J= 1 PLANE, L= 2.62994E-02 H= 2.34942E-01 T= 1.66571E-02 CYCLE 2801 CRANK= 10.04 MIN= 2.19115E-04 MAX= 2.61022E-01 DQ= 2.60803E-02 TACOM DIESEL RUN MDM17-33



Figure 2-15 KIVA Total Fuel Mass Fraction Contours (Run 17)

II ME ACROSS J= 1141 ANE, L= 1.84365E-02 H= 1.55473E-01 MIN = 1.30/01E -0.3 MAX= 1.72602E-01 0Q= 1.71295E-02 1ACOM DESEL RUN MUM1/-33 T= 1,998/JE - 02 CYCLE 3134 CRANK= 30.04



IFMF ACROSS J= 1PLANE, L= 1.68786E -02 H= 1.33773E -01 T= 2.3317/E -02 CYCLE 3467 CRANK= 50.04 Min= 2.26679E -03 MAX= 1.48385E -01 DQ= 1.46118E -02 IACOM DIESEL RUN MIDMI7-33



TFMF ACROSS J= 1 PLANE, I= 1.78019E-02 H= 1.22033E-01 T= 2.8307E-02 CYCLE 3966 CRANK= 80 01 Mh1= 4.77296E - 03 MAX= 1.35062E - 01 DQ= 1.30289E - 02 1ACOM DIESEL RUN MDM17-33



KIVA Total Fuel Mass Fraction Contours (cont) (Run 17) Figure 2-16



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TACON DIESEL RUN HONI?-33 CAJNI--15.8 SUIRL- 2.48 # ESR- 8.8 TACON DIESEL RUN HOH17-33 CAINI+-15.8 SUIRL+ 2,48 # EGR+ 8.8 3.5E-3 2.5E-3 3.0 2.0 2.5 9 2.0 ີອ 1.5 ZML(U) ତ୍ର 1.5 岩 1.0 1.0 0.5 0.5 0.6E-3 Ø.ØE-3 -29 -18 0 10 20 30 40 50 80 70 80 90 -20 -10 Ø 10 20 30 40 50 80 70 80 90 CRANK ANGLE CRANK ANGLE TACON DIESEL ALN HON17-33 CAINI--15.8 SUIAL- 2.48 FEOR- 8.8 TACON DIESEL RUN HOM17-33 CAINI--15.0 SUIRL- 2.48 # ESR- 0.0 4.0E-3 6E-3 3.5 5 3.0 <u> 9</u> 2.5 9 ලි 2.0 ති 1.5 ZHL(€) 3 2 1.0 1 0.5 0.0E-3 ØE-3 -29 -19 0 10 20 80 70 80 - 90 -20 -10 30 48 50 ø 10 20 30 40 50 80 70 80 90 CRANK ANGLE CRANK ANGLE TACON OTESEL AUN HOMUT-33 CAIND++15.8 SUTAL+ 2.48 # EOR+ 8.8 TACON DIESEL RUN HOHI7-33 CAINI--15.8 SUIRL- 2.48 # EGR+ 8.8 4.5E-3 6E-3 4.0 5 3.5 3.0 9 3 2.5 ZML (5) ZM. (6) 3 2.0 1.5 2 1.0 0.5 0.0E-3 ØE-3

Figure 2-23 KIVA Zone Liquid Fuel Mass

-20 -10 0 10 20 30 40 50 60 70 80

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Figure 2-25 KIVA Zone Fuel Vapor Mass

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Figure 2-26 KIVA Zone Fuel Vapor Mass (cont)

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Figure 2-28 KIVA Zone Burned Fuel Mass (cont)

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Figure 2-30 KIVA Zone Temperature (cont)

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Figure 2-32 KIVA Zone Heat Release (cont)

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Figure 2-33 KIVA Zone Wall Heat Transfer

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Figure 2-35 KIVA Zone Mass of Fuel Burned

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Figure 2-36 KIVA Zone Mass of Fuel Burned (cont)

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TACON DIESEL RUN MON(7-33 CAJNI--15.8 SUJR.- 2.48 # ESR- 8.8 TACON DIESEL RUN HONL7-33 CAINI--15.8 SUIRL- 2.48 # EOR- 8.8 38E-3 8E-3 25 5 28 3 ZHEVAP(2) 15 3 10 2 5 1 ØE-3 ØE-3 -28 -18 0 10 20 30 48 58 88 78 88 98 -20 -10 80 70 80 Ø 10 20 30 50 40 CRANK ANGLE CRANK ANGLE TACON DIESEL ALM HONI7-33 CALMU-+13.0 SULAL+ 2.46 A EBR- 0.0 TACON DIESEL RUN HOM17-33 CAINJ--15.8 SUIRL- 2.48 # EGR+ #.# 5.ØE-3 3.5E-3 +.5 3.0 4.0 3.5 2.5 9 3.0 2.0 ZHEVAP (4) 2.5 1.5 2.0 1.5 1.0 1.0 0.5 0.5 8.0E-3 0.0E-3 -29 - 10 Ø 10 20 30 40 50 88 70 80 90 -20 - 10 Ø 10 20 30 40 50 80 70 80 CRANK ANGLE CRANK ANGLE

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Figure 2-37 KIVA Zone Mass of Fuel Evaporated

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ZHEVAP(1)

ZHEVAP(3) (g)





Figure 2-38 KIVA Zone Mass of Fuel Evaporated (cont)

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Figure 2-40 KIVA Zone Mass of Nitric Oxide (cont)

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Figure 2-44 KIVA Zone Total Fuel Mass Fraction (cont)

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ADJE PARAMANA PROSODNA (MAGAMANA (MAGAMANA
TACON DIESEL ALN NON17-33 CAINE+-15.8 SUIAL+ 2.48 # EGR- 8.8 TACON DIESEL RUN HOMI7-33 CAINI-15.8 SUIRL+ 2.46 # EGR+ 8.8 12E3 10E3 ZBETA(1) (1/e) ZBETA(2) (1/e) ØF3 ØE3 -20 -10 5Ø 8Ø -20 -10 Ø CRANK ANGLE CRANK ANGLE TACOH DIESEL ALN HOHI7-33 CAINJ+-15.0 SUIAL+ 2.46 # EGR+ 0.0 TACON DIESEL RUN HONL7-33 CAINI+-15.8 SUIRL+ 2.48 # EGR+ 8.8 14E3 3ØE3 ZBETA(3) (1/e) 2BETA(4) (1/s) ØE3 ØE: -28 -18 - 10 -20 Ø CRANK ANGLE CRANK ANGLE TACON DIESEL RUN HONI7-33 CAINJ++15.0 SVIRL+ 2.46 # EGR+ 0.0 TACON DIESEL RUN HOHI7-33 CAINJ--15.8 SUIRL+ 2.46 # EGR- 8.8 12£3 8E3 ZBETA(S) (1/a) 

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Figure 2-46 KIVA Zone Mixing Intensity (cont)

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Flow Chart for PROGRAM SMM Figure 3-2

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Figure 5-7 Effect of Number and Limits of Zones on Fuel Mass Fraction Distribution

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Figure 5-8 Comparison of SMM versus KIVA Zone Fuel-Mass Burned

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TACON DIESEL RUN HONIT-33 CAINI+-15.8 SUIRL+ 2.48 TACON DIESEL ALN HON17-33 CAINI--15.0 SUIRL- 2.46 A EOR+ 8.8 SH 171-38 18 ZONES # EGR- #.# SH 171-38 18 ZONES 0.5 0.5 CBETA=1.1 ZONE I FUEL MASS FRACTION ZONE 2 FUEL MASS FRACTION 0.4 0.4 N=5750 0.3 0.3 KIVA SMM KIVA 0.2 SMM 0.2 2.1 0.1 0.0 0.0 8Ø 60 8Ø -40 -20 ø 20 40 60 -40 -20 a 20 40 CRANK ANGLE CRANK ANGLE TACON DIESEL RUN HOHIT-33 CAINJ+-15.8 SUIRL+ 2.48 TACON DIESEL RUN HOHIT-33 CAINI--15.8 SUIRL- 2.48 # EDR- #.# SH 171-38 18 20155 # EGR+ #.# SH 171-38 IN ZONES 0.5 0.5 ZONE 3 FLEL MASS FRACTION ZONE 4 FUEL MASS FRACTION 0.4 0.4 0.3 Ø.3 0.2 0.2 KIVA KIVA 0.1 0.1 SMM SMM 0.0 0.0 -40 -20 0 2Ø 40 60 8Ø 20 40 60 60 -40 -20 Ø CRANK ANGLE CRANK ANGLE TACON DIESEL RUN HDH17-33 CAINJ--15.0 SUIRL- 2.48 TACON DIESEL RUN HON17-33 CAINJ++15.8 SUIRL+ 2.48 # EGR+ #.# SH 171-30 18 ZONES # EGR- 8.8 SH 171-38 18 20NES 0.5 0.5 ZONE 5 FUEL MASS FRACTION 6 FUEL MASS FRACTION 0.4 0.4 Ø.3 0.3 SMM 0.2 0.2 KIVA KIVA ZONE 0.1 Ø.1 SMM 0.0 Ø.Ø 8Ø 20 6Ø -40 0 60 80 ·20 2Ø 4Ø ·20 40 -40 Ø

Figure 5-10 Comparison of SMM versus KIVA Total Fuel Mass Fraction

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Figure 6-5 Stochastic Mixing Model Results for Test Run 21

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Figure 6-6 Comparison of Stochastic Mixing Model Results for Different Operating Conditions

TACOM DIESEL SMM 171 CRANK - 4.99 TOTAL ELEMENTS. 5644 AIR ZONE ELEMENTS. 4856 TOTAL ZONES. 10 ACTIVE ZONES. 10 0.8 Test Case 17 0.7 CBETA=0.9 ELEMENTS 0.6 0.5 PDF NUMBER OF 0.4 0.3 zone total 0.2 0.1 0.0 Ø.25 0.00 0.05 0.10 Ø.15 Ø.2Ø 0.30 TOTAL FUEL MASS FRACTION TACOM DIESEL SMM 191 CRANK - - 4.90 TOTAL ZONES . 10 ACTIVE ZONES . 10 TOTAL ELEMENTS. 5759 AIR ZONE ELEMENTS. 3827 t.6 Test Case 19 CBETA=0.9 1.4 ELEMENTS 1.2 zone total 1.0 PDF NUMBER OF Ø.8 Ø.6 8 10 Ø.4 0.2 Ø.Ø

TOTAL FUEL MASS FRACTION

Ø.15

0.20

0.25

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Figure 6-7 Fuel Mass Fraction Distribution by Mixing Zone (Test Case 17 and 19)

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Mass-Weighted NO Distribution by Mixing Zone Figure 6-8 (Test Case 17 and 19)

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Figure 6-9 Fuel Mass Fraction Distribution by Mixing Zone (Test Case 17 and 19)

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Figure 6-10 Mass-Weighted NO Distribution by Mixing Zone (Test Case 17 and 19)



Figure 6-11 Fuel Mass Fraction Distribution by Mixing Zone (Test Case 17 and 19)



Figure 6-12 Mass-Weighted NO Distribution by Mixing Zone (Test Case 17 and 19)

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Figure 6-13 Fuel Mass Fraction Distribution by Mixing Zone (Test Case 17 and 19)

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Figure 6-14 Mass-Weighted NO Distribution by Mixing Zone (Test Case 17 and 19) APPENDIX A

KIVA INPUT

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A.1 Test Case Number 17

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TACOM	DIE	SEL	RUN	MDM1	7-33
NX		22			
NY		1			
NZ		18			
LWALL		1			
NCHOF	>	3			
LPR		3			
JSECI	R	1			
NCFIL	м 9	999			
NCTAF	°8 9	999			
NCLAS	ST 9	999			
CAFIL	M	5.	.0		
CAFIN	I	80.	0		
ANGMO	M _	1.	.0		
CYL		1.	.0		
DY		0.	.0		
PGSSW	I	1.	.0		
SAMPL	,	0.	. 0		
DTI		1.	0E-9	5	
DTMAX	[	1.	0E-9	5	
TLIME	)	1.	.0		
TWFIN	Ī	9.9	99E+9	9	
FCHEM	1	0.	25		
STROK	Έ	11.	,43		
SQUIS	SH	0.	.092		
RPM		1.00	)1E+(	3	
ATDC		-90.	.0		
CONRC	D	22.	.86		
OFFSE	ΞŤ	0.	.0		
SWIRL		2.	.46		
THSEC	CT	0.	.5		
THNO 2	ZL	12.	.5		
SSSF	_	2.	•5		
TEMPI	-	455	.0		
AO		0.	.0		
BO		1.	.0		
ANC 4		0.	.05		
ARTVI	. 5	1.	.0		
UVFRE	ΕE	۱.	.0		

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ADIA	0.0
CHARLF	2.0
ANUO	0.0
VI SRAT-	66666667
RGAS	8 3143E+7
TCUT	800 0
TOUT	1000.0
ICUIE	1200.0
EPSCHM	0.02
OMGCHM	1.0
TKEI	0.02
ATKE	.05
DTKE	1.0
AIRMU1	1.457E-5
ATRMU2	110.0
ATRI.A 1	252 0
ATPLAC	200 0
ATDOTE	200.0
ALADIE	2.3412-0
EXPDIF	0.6
TWALL	400.0
RPR	1.1
RSC	1.1
XIGNIT	0.0
TIIGN	1.37E-02
T2TGN	1.57E-02
CALTON	-7 8
CASTON	-1 0
TTONI 1	-1.0
TICNL	0
LIGNRI	0
JIGNET	- 0
JIGND1	0
KIGNB1	0
KIGNT1	0
IIGNL2	0
IIGNR2	0
JIGNF2	0
JIGND2	0
KTGNB2	0
KTGNT 2	Õ
KUTKEO	1
KOLTDE	1
RULIDE	
EVAPP	1.0
TIINJ	-1.0
T2INJ	-1.0
CAIINJ	-15.0
CA2INJ	3.0
TSPMAS	0.05573
TNPARC	1000.0
RHOP	0.7452
TPI	350 0
	1 665+1
VEPTNO -	
DONE	157.0
DCONE	12.5
TILT	0.0

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SMR SURTI TCRIT TURB NPO	9.5E- EN 25.04 659.0 1.0 31	4		
NUNIE 1 2 3 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 14 15 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 4 5 6 7 8 9 10 11 12 13 14 15 6 7 8 9 10 11 12 3 4 5 6 7 8 9 10 11 12 3 4 5 6 7 8 9 10 11 12 3 4 5 6 7 8 9 10 11 12 3 4 5 6 7 8 9 10 11 12 3 14 15 16 16 16 16 16 16 16 16 16 16 16 16 16	1       0.0         1       0.2         1       0.4         1       0.6         1       0.6         1       0.6         1       1.2         1       1.6         1       1.2         1       1.6         1       1.2.2         1       2.2.4         1       2.6         1       2.6         1       2.6         1       2.4         1       2.6         1       3.4         3.4       3.4         3.4       3.8         5       4.22         7       4.334         9       4.445         9       4.6         9       5.0         9       5.2         9       5.4         9       5.6         9       5.6         9       5.7	0.47( 0.43( 0.37( 0.34( 0.31( 0.28( 0.22( 0.22( 0.22( 0.13( 0.13( 0.10( 0.13( 0.10( 0.07( 0.04( 0.07( 0.04( 0.02( 0.07( 0.04( 0.35( 0.55( 0.55( 0.55( 0.95( 1.27())))))))))))))))))))))))))))))))))))	00 93 87 80 73 67 50 53 47 40 33 27 20 13 07 10 40 60 00 00 00 00	
NSP RH01 RH02 RH03 RH04 RH05 RH06 RH07 RH08 RH09 RH010 RH011 RH012 NRK	12 0.0 5.1739E-4 1.7380E-3 6.8139E-6 9.4661E-6 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.0 0.	MW1 MW2 MW3 MW5 MW6 MW7 MW8 MW7 MW8 MW9 MW10 MW11 MW12	148.6 32.0 28.0 44.0 18.0 1.0 2.0 16.0 14.0 17.0 28.0 30.0	HTF HTF HTF HTF HTF HTF HTF HTF
CET 2 CB1	0.0	EB1	0.0	ZF1 ZB1

-26.614

0.0

0.0

-93.965 -57.103

51.631

0.0 58.989

112,520 9.289

-27.200

21.456

0.0

0.0

HTF1

HTF2

HTF 3

HTF 4

HTF5

HTF6 HTF7

HTF8

HTF9

HTF10 HTF11

HTF12

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22222223] E.C.C.

AM1 BM1	40 619 0 0		0 432	0 374	0	0	0	0	0	0	0
AE 1	0.250	1.500	0.0		0.000	0.	000	0.000	Ū	0.000	0.000
BE 1	0.000	0.000	0.0	00	0.000	0.	000	0.000		0.000	0.000
CF2	1.5587E1	4 EF2	6.76	27E+	4 ZF2		0.0				
CB2	7.5000E1	2 EB2	C	0.0	ZB2		0.0				
AM2	0 1	2	0	0	0	0	0	ο.	0	0	0
BM2	0 0	0	0	0	0	0	0	2	0	0	2
AE2	0.000	0.500	1.0	00	0.000	0.	000	0.000		0.000	0.000
	0.000	0.000	0.0	00	0.000						
BE 2	0.000	0.000	0.0	000	0.000	0.	000	0.000		0.000	0.000
	1.000	0.000	0.0	00	1.000						
CF3	2.6484E1	O EF3	5.94	18E+	4 ZF3		1.0				
CB3	1.6000E+	A ER?	1.90	078E+	4 ZB3	•	1.0	•	~	•	•
AMJ	0 2		0	0	0	0	0	0	0	0	0
BMJ				0	0 000	0	2	0 000	U	0	2 000
AC 3	0.000	0.000	0.5		0.000	υ.	.000	0.000		0.000	0.000
853	0.000	0.000	0.0	000	0.000	0	000	0 000		0 000	1 000
( DC	0.000	0.000	0.0	000	1.000	0.	000	0.000		0.000	1.000
CF4	2.1230E1	4 EF4	5.70	)20E+	4 ZF 4		0.0				
CB4	0.0	EB4	0,10	0.0	ZB4		0.0				
AM4	0 0	1	0	0	0	0	0	0	2	0	0
BM4	0 0	0	Õ	Ō	2	Ō	ē	0	ō	0	2
AE4	0.000	0.000	0.5	00	0.000	0.	000	0.000	•	0.000	0.000
	0.000	1.000	0.0	00	0.000						
BE4	0.000	0.000	0.0	00	0.000	0.	000	1.000		0.000	0.000
	0.000	0.000	0.0	00	1.000						
NRE	6										
AS1	0.990207	BS1	-51.	7916	CS1	0.9	93074	DS1	-(	0.343428	ES1
0.011	1668										
AN 1	0 0	0	0	0	0	1	0	0	0	0	0
BN 1	0 0	0	0	0	2	0	0	0	0	0	0
AS2	0.431310	BS2	-59.	6554	CS2	3.5	603350	DS2	-(	0.340016	ES2
0.015	8715	•	•	•	•		•		_	•	
AN 2	0 1	0	0	0	0	0	0	0	0	0	0
BN 2			0	0	0	0	2	0	0	0	0
ASS	0.794709	BS 3	-113.	2080	CS3	3.1	68370	053	-(	3.443814	ESS
0.020	9099		0	0	0	0	0	•	0	0	0
AN C NO			0	0	0	0	0	0	0	0	0
	-0 652020	ט פט	-0	8222	Cell	20	0	2	0	162100	Ū
FCN FCN	-0.0112865	0.54	9.	0232	034	2.2	50330	034	,	1.103490	
204 AN 11	0.0142005	<u>َ</u>	0	0	0	1	0	0	0	0	0
BN L		0	õ	ñ	0	0	ñ	n	2	Õ	0
4.55	1 158882	9 BS5	-76	81172	CS5	8 5	32155	0.55	-(	868320	ES5
0.046	3471		10.	J .   L		0.0		200			200
ANS	0 1	0	0	2	0	0	0	0	0	0	0
BN 5	0 0	0	õ	ō	õ	õ	õ	Õ	4	0	0
ASÓ	0.980875	BS6	68.	4453	CS6	-10.	5938	DS6	(	0.574260	
ES6	-0.0414570		•								

											•	
AN 6	0	1	0	0	0	0	0	0	0	0	2	0
BN 6	0	0	0	2	0	0	0	0	0	0	0	0

## A.2 Test Case Number 18

TÁCOM DI	ESEL	RUN	MDM18-6
NX	22	2	
NY	1		
NZ	18		
LWALL	1		
NCHOP	3		
LPR	3		
JSECTR	ĩ		
NCETLM	9999		
NCTAPS	9999		
NCLAST	9999		
CAFTLM	5	0	
CARTN	80	. U	
ANCMOM	1	0	
CVI	1	.0	
	0	••	
DUSCH	1	.0	
CAMPI	0	.0	
DTT	1	.U 05-4	=
DTMAY	1	05-10	5
	1	06-1	)
TUETN	- 0 0	10F+0	<b>.</b>
ECHEM	9.1	25	7
STROKE	11	12	
SUITCH	0	002	
RDM	1 00	11F+3	2
ATDC	-90		)
CONROD	22	86	
OFFSFT	0	0	
SWIRI.	ц	0	
THEFCT	0	5	
	12	5	
SSSE	2	5	
TEMPI	165	• •	
A O	0	0	
R0	1	0	
ANCL	0	05	
ARTVIS	1	0	
IIVEBEE	1	••	
	, n	0	
CHARLE	2	. U	
ANUO	0	.0	
VT CRAT-	- 666	 5666'	7
RGAS	8,21	13E+1	7
TCHT	800	יי <u>ט</u> ر ד 0	I
TCUTE	1200	.0	

EPSCHM	0.02
OMGCHM	1 0
TKET	0 02
ΔΤΚΕΙ	0.05
DTKE	1 0
ATRMIII	1 4576-5
ATRMIZ	
ATRIUZ	252.0
ATRIAS	202.0
AIRDAZ	200.0
EVENTE	2.3416-0
THALL	
IWALL	400.0
nrn BCC	1.1
RSC	1.1
XIGNII	1 2595.0
TILGN	1.3005-2
I ZIGN	1.518-2
CATION	-8.4
CA2IGN	-1.0
LIGNLI	0
LIGNRI	0
JIGNET	0
JIGND1	0
KIGNBI	0
KIGNTT	0
11GNL2	0
IIGNR2	0
JIGNF2	- 0
JIGND2	0
KIGNB2	0
KIGNT2	0
KWIKEQ	
KOLIDE	1
EVAPP	1.0
TIINJ	-1.0
T21NJ	-1.0
CAIINJ	~15.0
CA21NJ	3.0
TSPMAS	0.05546
TNPARC	1000.0
RHOP	0.7452
TPL	350.0
VELINJ	1.66E+4
CONE	157.0
DCONE	12.5
TILT	0.0
SMR	9.5E-4
SURTEN	25.04
TCRIT	659.0
TURB	1.0
NPO	31
NUNIF	0

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0.4700

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2	1 0.2	0.1	1393						
3 11	1 0.4	0.4	1087						
5	1 0.0	0.3	2172						
6	1 1.0	0.3	8167						
7	1 1.2	0.2	2860						
8	1 1.4	0.2	2553						
9	1 1.6	0.2	2247						
10	1 1.8	0.1	940			•			
11	1 2.0	0.1	633						
12	1 2.2	0.1	327						
13	1 2.4	0.1	1020						
14	1 2.6	0.0	0713						
15	1 2.8	0.0	0407						
16	1 3.175	0.0	)						
10	2 3.4	0.0	)210 Nako						
16	3 3.0 11 2 8	0.0	660						
16	4 3.0 5 1 05	0.1	2500						
16	6 4.22	0.5	500						
16	7 4.334	0.7	500						
16	8 4.401	0.9	500						
16	9 4.445	1.2	2700						
17	9 4.6	1.2	27						
18	9 4.8	1.2	27						
19	9 5.0	1.2	27						
20	9 5.2	1.2	27						
21	9-5.4	1.2	27						
22	9 5.0	1.2	27						
23 NGD	9 5./15	1.4	21						
RHO 1	0.0	MW 1	148 6	HTF1	-26 614				
RHO2	5.1086E-4	MW2	32 0	HTF2	0.0				
RHO 3	1.7162E-3	MW3	28.0	HTF 3	0.0				
RHO4	6.7631E-6	MW4	44.0	HTF4	-93.965				
RH05	9.8146E-6	MW5	18.0	HTF5	-57.103				
RHO6	0.0	MW6	1.0	HTF6	51.631				
RHO7	0.0	MW7	2.0	HTF7	0.0				
RHO8	0.0	MW 8	16.0	HTF8	58.989				
RHO9	0.0	MW 9	14.0	HTF9	112.520				
RHO 10	0.0	MW10	17.0	HTF10	9.289				
RHUII	0.0	MUTIO	28.0		-21.200				
NRK	4	1911 12	30.0	nir 12	21.450				
CF1	2.0000E10	EF 1	1.5780E+	4 ZF1	0.0				
CB1	0.0	EB1	0.0	ZB1	0.0				
AM1	40 619	0	0 0	0	0 0	0	0	0	0
BM1	0 0	0	432 374	0	0 0	0	0	0	0
AET	0.250	1.500	0.000	0.000	0.000	0.000		0.000	0.000
BF 1		1.000	0.000	0.000	0 000	0 000		0 000	0 000
	0.000	1.000	0.000	0.000	0.000	0.000		0.000	0.000
CF2	1.5587E14	EF2	6.7627E+	4 ZF2	0.0				

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CB2	7.5000E	12 EB2	0.0	ZB2	0.0			
AM2	0	1 2	0 0	0	0 0	0	0 0	0
BM2	0 (	0 0	0 0	0	0 0	2	0 0	2
AE2	0.000	0.500	1.000	0.000	0.000	0.000	0.000	0.000
	0.000	0.000	0.000	0.000				
BE 2	0.000	0.000	0.000	0.000	0,000	0.000	0,000	0.000
	1.000	0.000	0.000	1.000			••••	
CER	2 64845	10 FF3	5 QU18E4	4 7 5 3	1.0			
CB3	1 60005	+0 583	1 067854	L 783	1 0			
AM2	0.0000	2 1	0 0		0 0	0	0 0	0
Ma DMD	0 1		0 0	0	0 0	0	0 0	2
DED	0,000	1 000	0 500	0 000		~~~~~	0 00	2 0 000
AL 3	0.000	1.000	0.500	0.000	0.000	0.000	0.000	0.000
	0.000	0.000	0.000	0.000	0.000	o		
BE 3	0.000	0.000	0.000	0.000	0.000	0.000	0.000	1.000
	0.000	0.000	0.000	1.000				
CF4	2.1230E	14 EF4	5.7020E+	-4 ZF4	0.0			
CB4	0.0	EB4	0.0	ZB4	0.0			
AM4	0 0	0 1	0 0	0	0 0	0	2 0	0
BM4	0 0	0 0	0 0	2	0 0	0	0 0	2
AE4	0.000	0.000	0.500	0.000	0.000	0.000	0.000	0.000
	0.000	1.000	0.000	0.000				
BE4	0.000	0.000	0.000	0.000	0.000	1.000	0.000	0.000
	0.000	0.000	0.000	1.000				
NRE	6							
AS1	0.99020	7 BS1	-51.7916	5 CS1	0.993074	DS1	-0.343428	ES1
0.011	1668				-			
AN 1	0	0 0	0 0	0	1 0	0	0 0	0
BN 1	-0 (	0 0	0 0	2	0 0	0	0 0	0
AS2	0.431310	0 BS2	-59,6551	LCS2	3,503350	DS2	-0.340016	ES2
0.015	8715		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,		5.5.5.5.5.5			
AN2	0	1 0	0 0	Ο	0 0	0	0 0	0
BN 2	Õ	0 0	0 0	õ	0 2	Ő	0 0	õ
453	0 79470	0 893	~113 2080	1 0.53	3,168370	ĎS3	-0.443814	ES 3
0 0.26	9699		115.2000		J:100J10	505		000
AN 2	0	0 1	0 0	0	0 0	0	0 0	0
DN 2	0		0 0	õ		2		0
1011	-0 65202	0 0	-0.822		2 0 2 0 2 2 2 0	ב	0 162/00	0
	-0.05295	5 004	-9.0232	2 034	2.320220	034	0.103490	
E34	-0.014200	1 0	0 0	^	1 0	0	0 0	•
AN 4	0		0 0	0		0	0 0	0
BN 4							2 0	U
ASS	1.15000	2 855	-76.8472	2 085	8.532155	085	-0.868320	ESS
0.046	3471			•				•
AN 5	0	1 0	0 2	0	0 0	0	0 0	0
BN 5	0	0 0	0 0	0	0 0	0	4 0	0
AS6	0.98087	5 BS6	68.445	3 CS6	-10.5938	DS6	0.574260	
ES6	-0.041457	0						
AN 6								
7	0	1 0	0 0	0	0 0	0	0 2	0
BN 6	0	1 0 0 0	0 0 2 0	0 0	0 0 0 0	0 0	0 2 0 0	0 0

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A.3 Test Case Number 19

TACOM	DIE	ESEL	RUN	MDM1	9-40
NX		22			
NY		1			
NZ		18			
LWALL		1			
NCHOR	>	3			
LPR		3			
JSECT	ſR	1			
NCFIL	M	9999			
NCTAF	8	9999			
NCLAS	ST 9	9999			
CAFIL	M	5.	0		
CAFIN	J	80.	0		
ANGMO	M	1.	0		
CYL		1.	.0		
DY		Ó.	.0		
PGSSV	1	1.	.0		
SAMPI		0.	0		
DTI	-	1.	0E-	5	
DTMA	ζ	1.	0E-	5	
TLIM	)	1.	0	-	
TWFIN	1	9.9	99E+	9	
FCHEN	1	0.	25	-	
STRON	E ·	11.	43		
SQUIS	SH	0.	092		
RPM		0.99	98E+	3	
ATDC		-90	.0	-	
CONRO	DD	22	.86		
OFFS	ΞT	0.	0		
SWIRI	_	2	46		
THSE	СТ	0.	5		
THNO	ZL	12	.5		
SSSF		2	5		
TEMP	C	445	.0		
AO		Ō.	.0		
BO		1.	.0		
ANC 4		٥.	.05		
ARTVI	[S	1.	.0		
UVFRI	ΞE	1.	.0		
ADIA		0.	.0		
CHARI	JF	2.	.0		
ANU O		0.	.0		
VISR	ΔT	6666	6666	7	
RGAS	8	3.31	43E+	7	
TCUT		800	.0		
TCUTH	Ξ.	1200.	.0		
EPSCH	M	0.	.02		
OMGCH	łM	1.	.0		
TKEI		0.0	)2		

ATKE	0.05	
DTKE	1.0	
AIRMU1	1.457E-1	5
AIRMU2	110.0	
AIRLA1	252.0	
AIRLA2	200.0	
AIRDIF	2.341E-0	5
EXPDIF	0.6	
TWALL	400.0	
RPR	1.1	
RSC	1.1	
XIGNIT	0.0	
<b>T1IGN</b>	1.25E-02	2
<b>T2IGN</b>	1.53E-0	2
CAIIGN	-15.0	
CA2IGN	-1.0	
IIGNL1	0	
TTGNR 1	Ō	
JTGNF 1	Ō	
JTGND 1	Ő	
KTGNB1	Ő	
KIGNT 1	õ	
TTGNL2	Õ	
TIGNR2	õ	
JIGNE2	0	
JIGND 2	Õ	
KTGNR2	Ő	
KIGNT2	- 0	
KWIKEO	1	
KOLTDE	1	
EVAPP	1.0	
TITNJ	-1.0	
T2TNJ	-1.0	
CAITNJ	-25.0	
CA2INJ	-7.0	
TSPMAS	0.05628	
TNPARC	1000.0	
RHOP	0.7452	
TPI	350.0	
VELINJ	1.66E+4	
CONE	157.0	
DCONE	12.5	
TILT	0.0	
SMR	9.5E-4	
SURTEN	25.04	
TCRIT	659.0	
TUR B	1.0	
NPO	31	
NUNIF	0	
1 1	0.0	0.4700
2 1	0.2	0.4393
3 1	0.4	0.4087
41	0.6	0.3780

5	1 0.8		0.3	3473								
6	1 1.0		0.3	167								
7	1 1.2		0.2	2860								
8	1 1.4		0.2	553								
9	1 1.6		0.2	247								
10	1 1.8		0.1	940								
11	1 2 0		0.1	622								
12	1 2 2		0.1	227								
12	1 2 1		0.1	020								
10	1 2 6		0.1	020					-			
15	1 2.0		0.0	007								
15	1 2.0	-	0.0	407								
10	1 3.1/:	2	0.0	010								
10	2 3.4		0.0	210								
10	3 3.0		0.0	0740								
10	4 3.8		0.1	000								
16	5 4.05		0.3	500								
16	6 4.22		0.5	500								
16	7 4.33	4	0.7	500								
16	8 4.40	1	0.9	1500								
16	9 4.44	5	1.2	2700								
17	9 4.6		1.2	27								
18	9 4.8		1.2	27								
19	95.0		1.2	27								
20	9 5.2		1.2	27 1. <b>7</b>								
21	9 5.4		1.2	. ( 								
22	9 5.0	=	1.0	-     7								
23 NGD	9 2.11	2	1.4	. 1								
NOP DUO1	12		MLIT	<b>1</b> h	96	1.070 67 4		56 61 H				
	C 1750	с_ н		14	0.0		- 6	20.014				
RHU2	5.1/53	E-4	MW2	3	2.0			0.0				
RHU 3	1./390	ይግሪ	MW3	2	8.0	HIF 3		0.0				
RHO4	0.3055	E~0	MW4	4	4.0	HTF 4		13.905				
RH05	1.2499	E-2	MW5	1	8.0	HTF5		57.103				
RHO 6	0.0		MWD		1.0	HTF6	-	51.631				
RHO7	0.0		MWY		2.0	HTF7		-0.0				
RHU8	0.0		MWO	1	0.0	HIFO		0.909				
RHUY	0.0		MWY	1	4.0	HIFY	1	12.520				
RHUIU	0.0		MUT	1	1.0	HIFIU		9.209				
RHUII	0.0			2	0.0	HIFII						
RHU12	0.0		MW12	3	0.0	HTF12	4	21.450				
NKK	4	- 1 0	004			1 004		0 0				
	2.0000	E IU		1.5	100E+	4 281		0.0				
		10	E B I	^	0.0	201	^	0.0	•	^	0	0
AM I	40 0	0	0	100	271	0	0	0	0	0	0	0
	0 250	U	1 500	432	3/4	0 000	0	000	0 000	0		
NE I	0.200		0.000	0. ^	000	0.000	0.	.000	0.000		0.000	0.000
DF 1	0.000		0.000	0.	000	0.000	0	000	0 000		0 000	
וטע	0.000		0.000	۰ ۱	000	0.000	0.		0.000		0.000	0.000
CF2	1.5587	E11	EF2	67	627F+	して 山 7下2		0.0				
CB2	7.5000	E12	EB2	0.1	0.0	782		0.0				
AM2	0	1	2	Ω	0	0	0	0	0	0	0	0
BM2	Ō	0	ō	õ	Ō	Ő	0	Ō	2	0	Ō	2

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AE2	0.000		0.500	1.0	00 00	0.000	0.	000	0.000		0.000	0.000
BE 2	0.000		0.000	0.0	00	0.000	0.	000	0.000		0.000	0.000
CF 3	2.6484E	E10	EF 3	5.94	18E+1	IZF3		1.0				
CB3	1,6000	7+9	EB3	1.96	78E+4	ZB3		1.0				
AMR	0	2	1	0	0	0	0	0	0	0	0	0
BM3	Ő	ō	, O	õ	õ	õ	õ	2	Ō	0	0	2
AF3	ດັດດດ	Ŭ	1.000	0.5	ດດັ	0.000	۰.	000	0.000	-	0.000	0.000
	0.000		0 000	0.0	00	0.000	••	000	0.000			
853	0.000		0.000	0.0	00	0.000	0	000	0 000		0.000	1.000
رعان	0.000		0.000	0.0	00	1 000	0.	000	0.000		0.000	
CEN	2 1220	7 1 JI	0.000	5 70	205+1	1.000		0 0				
	2.12.300	514	ren reh	0110	02021-	791		0.0				
	0.0	^	ED4 1			204	0	0.0	0	2	0	0
AM4	0	0	1	0	0	2	0	0	0	2	0	2
DM4	0 000	0	0 000		0		<u> </u>	0	0,000	0	0 000	0 000
AE 4	0.000		1 000	0.5	000	0.000	0.	000	0.000		0.000	0.000
nn h	0.000		1.000	0.0		0.000	0	000	1 000		0 000	0 000
BE 4	0.000		0.000	0.0	00	1 000	0.	000	1.000		0.000	0.000
	0.000		0.000	0.0	00	1.000						
NRE		~~	DC 1	_ 5 1	7016	0.01	~ ^	02074	DOI	_(	פרוכור ה	FC 1
AS 1	1449	57	DO 1	-51.	1910	651	0.9	93014	031	, c	. 343420	EO 1
	1000	^	0	0	0	0	1	0	0	0	0	0
AN I DN 1	0	0	0	õ	0	2	0	0	0	ň	Õ	0
	0 1212	10	0	_==0	6551	C 5 2	2 5	02250	0		240016	522
A32	0.4313	10	D32	~59.	0554	032	2.0	03300	032		340010	652
AND	-0	1	0	0	0	0	0	0	0	0	0	0
	0	0	0	õ	0	0	0	2	0	ň	Õ	0
DN Z	0 701170	20	0	-112	2080	692	2 1	68270	002		1/1281/1	E63
AS3	0.19470	59	003	-113.	2000	633	3.1	00310	033		1.445014	500
0.020	99999	^	4	0	0	0	0	0	0	0	0	0
AN 3	0	0	0	0	0	0	0	0	2	0	Ő	0
	-0 65 20	20		-0	8222	COL	20	20220	neli	ς,	162100	0
AS4 ECH	-0.0529	39 6 E	D0 4	~	0232	624	2.2	20220	034	,	0.103490	
EO4	-0.01420	07 1	0	0	0	0	1	0	0	Λ	0	0
AN 4	0		0	0	0	0	0	õ	0	2	õ	ñ
DIN 4	1 1599	ີ້		-76	81172	0	8 5	22155		-1	1 868320	FS5
	1.1000	02	039	-70.	0472	(3)	0.9	52155	000			
0.040	0	1	0	0	2	0	Δ	0	0	0	0	0
	0	2	0	0	2	0	0	0	õ	1	0	0
DND		75		69	ししてつ	0	-10	5028	DSE	<del>،</del>	571260	0
ADD EC4		10	060	00.	1123	630	- IV.	7930	020	,	J. J ( 4200	
ESD ANC	-0.04145	10	0	~	^	0	0	0	0	^	С	0
AND	0		0	0 2	0	0	0	0	0	0	ے م	0
HND	0	U	U	2	U	U	U	U	U	U	U	0

A.4 Test Case Number 20

TACOM DIESEL RUN MDM20-4 NX 22

NY	1
NZ	18
LWALL	1
NCHOP	3
LPR	2
JSECTR	1
NCFILM	9999
NC TA P8	9999
NCLAST	9999
CAFILM	10.0
CAFIN	80.0
ANGMOM	1.0
CYL	1.0
DY	0.0
PGSSW	1.0
SAMPL	0.0
DTI	1.0E-5
DTMAX	1.0E-5
TLIMD	1.0
TWFIN	9.99E+9
FCHEM	0.25
STROKE	11.43
SQUISH	0.092
RPM	0.999E+3
ATDC	-90.0
CONROD	22.86
OFFSET	0.0
SWIRL -	2.46
THSECT	0.5
THNOZL	12.5
SSSF	2.5
TEMPI	459.0
A0	0.0
B0	1.0
ANC 4	0.05
ARTVIS	1.0
IIVEREE	1.0
ΔΟΤΔ	0.0
CHARLE	2.0
ANUO	0.0
VI SRAT-	66666667
RGAS	8.3143E+7
тсит	800.0
TCUTE	1200.0
EPSCHM	0.02
OMGCHM	1.0
TKET	0.02
ATKE	0.05
DTKF	1.0
ATRMIII	1.4578-5
ATRMI2	110.0
ATRLA1	252-0
ATRIA 2	200.0

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AIRD	IF	2.341E-6	
EXPD	IF	0.6	
TWAL	L	400.0	
RPR		1.1	
RSC		1.1	
XIGN	IT	0.0	
TIIG	N	1.33E-2	
T2IG	N	1.55E-2	
CA1I	GN	-7.8	
CA2I	GN	-1.0	
IIGN	L1	0	
IIGN	R 1	0	
JIGN	F 1	0	
JIGN	D1	0	
KIGN	Β1	0	
KIGN	T 1	0	
IIGN	L2	0	
IIGN	R2	0	
JIGN	F2	0	
JIGN	D2	0	
KIGN	B2	0	
KIGN	Τ2	0	
KWIK	EQ	1	
KOLI	DE	1	
EVAP	P	1.0	
TIIN	J	-1.0	
	ป NT	-1.0	
CAT	NJ	-15.0	
TODM	NU AC	3.0	
TNPA	RC	1000 0	
RHOP		0.7452	
TPI		350.0	
VELI	NJ	1.66E+4	
CONE		157.0	
DCON	Е	12.5	
TILT		0.0	
SMR		9.5E-4	
SURT	EN	25.04	
TCRI	Т	659.0	
TUR B		1.0	
NPO		31	
NUNI	F	0	
1	1	0.0	0.4700
2	1	0.2	0.4393
3	1	0.4	0.4087
4	1	0.6	0.3780
5	1	0.8	0.3473
6	1	1.0	0.3167
7	1	i. 2	0.2000
0	1	1.4	0.2003
9 10	1	1.8	0.224/
10	1	1.0	0+1340

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11 12	1 2.0 1 2.2	0.1 0.1	633 327							
13	1 2.4	0.1	020							
14	1 2.6	0.0	0713							
15	1 2.8	0.0	407							
16	1 3.175	0.0	)							
16	2 3.4	0.0	0210							
16	3 3.6	0.0	0740							
16	4 3.8	0.1	660							
10	5 4.05	0.3	500							
10	0 4.22	0.5	500							
10	1 4.334	0.7	500							
16	0 4.401	1 2	700							
17	94.445 Q L 6	1.2	2700							
18	94.0	1 2	- 1 07							
19	9 5.0	1.2	- 1 97							
20	9 5.2	1.2	· · · 97							
21	9 5.4	1.2	 27							
22	9 5.6	1.2	27							
23	9 5.715	1.2	27							
NSP	12									
RHO 1	0.0	MW 1	148.6	HTF1	-26.614					
RHO2	4.7866E-4	MW2	32.0	HTF2	0.0					
RHO 3	1.6845E-3	MW3	28.0	HTF3	0.0					
RHO 4	2.6665E-5	MW4	44.0	HTF 4	-93.965					
RH05	1.7965E-5	MW5	18.0	HTF5	-57.103					
RHO6	0.0	MW6	1.0	HTF6	51.631					
RHO7	0.0	MW7	2.0	HTF7	0.0					
RHO8	0.0	MW8	16.0	HTF8	58.989					
RHOY	0.0	MW 9	14.0	HIFY	112.520					
RHUIU	0.0	MW10	17.0	HTF 10	9.209					
	0.0	MULTIO	20.0		-21.200					
	0.0	191112	30.0	n1r12	21.450					
CE1	2 0000510	ត្ត1	1 57805+	<u>ሀ 7F1</u>	0 0					
CB1	0 0	FR1	0.0	7B1	0.0					
AM1	40 619	0	0 0	0	0 0	0	0		0	0
BM1	0 0	Õ	432 374	Õ	0 0	Õ	0		õ	0
AE1	0.250	1.500	0.000	0.000	0.000	0.000		0.0	000	0.000
	0.000	0.000	0.000	0.000						
BE 1	0.000	0.000	0.000	0.000	0.000	0.000		0.0	000	0.000
	0.000	0.000	0.000	0.000						
CF2	1.5587E14	EF 2	6.7627E+	4 ZF2	0.0					
CB2	7.5000E12	EB2	0.0	ZB2	0.0					
AM2	0 1	2	0 0	0	0 0	0	0		0	0
BM2	0 0	0	0 0	0	0 0	2	0		0	2
AE2	0.000	0.500	1.000	0.000	0.000	0.000		0.0	000	0.000
	0.000	0.000	0.000	0.000						
BE2	0.000	0.000	0.000	0.000	0.000	0.000		0.0	000	0.000
	1.000	0.000	0.000	1.000						
CF3	2.6484E10	EF3	5.9418E+	4 ZF3	1.0					
CB3	1.6000E+9	EB3	1.9678E+	4 ZB3	1.0					

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AM3	0	2	1	0	0	0	0	0	0	0	0	0
BM3	0	0	0	0	0	0	0	2	0	0	0	2
AE 3	0.000	1	1.000	0.5	00	0.000	0.	.000	0.000		0.000	0.000
	0.000	1	0.000	0.0	00	0.000						
BE 3	0.000	ł	0.000	0.0	00	0.000	0	.000	0.000		0.000	1.000
	0.000	)	0.000	0.0	00	1.000						
CF4	2,1230	)E1	4 EF4	5.70	20E+	4 ZF4		0.0				
CB4	0.0	)	EB4	0	.0	ZB4		0.0				
AM4	0	0	1	0	0	0	0	0	0	2	0	0
BM4	0	0	0	0	0	2	0	0	0	0	0	2
AE4	0.000	)	0.000	0.5	00	0.000	0	.000	0.000		0.000	0.000
	0.000	)	1.000	0.0	00	0.000						
BE4	0.000	)	0.000	0.0	00	0.000	0	.000	1.000		0.000	0.000
	0.000	)	0.000	0.0	00	1.000						
NRE	: 6	)										
AS1	0.9902	207	BS 1	-51.	7916	CS1	0.9	993074	DS1	-(	0.343428	ES1
0.011	1668							-				
AN1	0	0	0	0	0	0	1	0	0	0	0	0
BN 1	0	0	0	0	0	2	0	0	0	0	0	0
AS2	0.4313	310	BS 2	-59.	6554	CS2	3.	503350	DS2	-(	0.340016	ES2
0.015	58715											
AN 2	0	1	0	0	0	0	0	0	0	0	0	0
BN 2	0	0	0	0	0	0	0	2	0	0	0	0
AS3	0.7947	'09	BS 3	-113.	2080	CS3	3.	168370	DS3	- (	0.443814	ES3
0.026	59699											
AN 3	0	0	1	0	0	0	0	0	0	0	0	0
BN 3	0	0	0	0	0	0	0	0	2	0	0	0
AS4	-0.6529	39	BS4	-9.	8232	CS4	3.9	930330	DS4	(	0.163490	
ES4	-0.01428	365										
AN 4	0	1	0	0	0	0	1	0	0	0	0	0
BN 4	0	0	0	0	0	0	0	0	0	2	0	0
AS5	1.1588	882	BS5	-76.	8472	CS5	8.	532155	DS5	- (	0.868320	ES5
0.046	53471											
AN5	0	1	0	0	2	0	0	0	0	0	0	0
BN 5	0	0	0	0	0	0	0	00	0	1	4 0	0
AS6	0.9808	375	BS6	68.	4453	CS6	-10	.5938	DS6	(	0.574260	
ES6	-0.04145	570			_							
AN 6	0	1	0	0	0	0	0	0	0	0	2	0
BN 6	0	0	0	2	0	0	0	0	0	0	0	0

A.5 Test Case Number 21

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TACOM DIESEL RUN MDM21-3 NX 22 NY 1 NZ 18 LWALL 1 NCHOP 3 LPR 2 JSECTR 1

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NCFILM	9999
NC TAP8	9999
NCLAST	9999
CAFILM	10.0
CAFIN	80.0
ANGMOM	1.0
CYL	1.0
DY	0.0
PGSSW	1.0
SAMPL.	0.0
DTT	1 OE-5
DTMAY	1 05-5
TITMD	1.0
TWEIN	0 005+0
LALCTH TALETH	9.995+9
CTROVE	11 82
SIRUKE	11.43
SQUISH	0.092
RPM	1.002E+3
ATDC	-90.0
CONROD	22.86
OFFSET	0.0
SWIRL	4.00
THSECT	0.5
THNO ZL	12.5
SSSF	2.5
TEMPI	483.0
AO	0.0
BO	1.0
ANC 4	0.05
ARTVIS	1.0
UVFREE	1.0
ADTA	0.0
CHARLE	2.0
ANUO	0.0
VT SR AT-	66666667
RCAS	8 21 125+7
TCUT	800 0
TCUTE	1200.0
FDSCUM	0.02
	1.0
TYPI	0.02
ATVE	0.02
AINE	0.05
DIKE	
AIRMUI	1.45/6-5
AIRMU2	110.0
AIRLAI	252.0
AIRLA2	200.0
AIRDIF	2.341E-6
EXPDIF	0.6
TWALL	400.0
RPR	1.1
RSC	1.1
YTGNIT	0 0





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TITCN	1 285-2	
TOTA	1 528-2	
CAITCN	-7 2	
CADIGN	-1 0	
TTCNI 1	0	
TTCND1	0	
ITCME1	0	
JIGNE I	0	
VICNDI	0	
KIGNDI	0	
TIONIT	0	
TIGNL2	0	
LIGNE2	0	
JIGNE 2	0	
JIGND2	0	
KIGNB2	0	
KIGNIZ	0	
KWIKEQ	1	
RULIDE	1	
EVAPP	-1.0	
TOTAL	-1.0	
CAITNE	-15.0	
CATINJ	-15.0	
TEDMAG	3.0	
TNDADC	1000 0	
	0 7/152	•
TDT	250 0	
VELTNI	1 66F+U	
CONE	157 0	
DCONE	12 5	
TTLT	0.0	
SMR	0.0 0 5E-4	
SURTEN	25 04	
TCRIT	659 0	
TURB	1.0	
NPO	31	
NUNTE	0	
1 1	0.0	0.4700
2 1	0.2	0.4393
3 1	0.4	0.4087
4 1	0.6	0.3780
5 1	0.8	0.3473
6 1	1.0	0.3167
7 1	1.2	0.2860
8 1	1.4	0.2553
9 1	1.6	0.2247
10 1	1.8	0.1940
11 1	2.0	0.1633
12 1	2.2	0.1327
13 1	2.4	0.1020
14 1	2.6	0.0713
15 1	2.8	0.0407
16 1	3.175	0.0

16	2 3.4	0.0	0210						
16	3 3.6	0.0	0740						
10	4 3.0	0.	2500						
16	5 4.05 6 11 22	0.1	5500						
16	7 4 334	0.1	7500						
16	8 4 401	0.0	9500						
16	9 4.445	1.2	2700						
17	9 4.6	1.2	27			•			
18	9 4.8	1.2	27						
19	9 5.0	1.2	27						
20	9 5.2	1.2	27						
21	95.4	1.2	27						
22	9 5.6	1.2	27						
23	9 5.715	1.2	27						
NSP	12								
RHO1	0.0	MW1	148.6	HTF1	-26.614				
RHO2	4.63028-4	MW2	32.0	HTF2	0.0				
KHU 3	1.03745-3	MW3	28.0	HTF 3					
RHU4	2. (005E-5	MW4	44.0	1114	-93.905				
RHU5 RHO6	1.01012-5	MUI6	10.0	П159 Цтеб	-57.105				
RHO7	0.0	MW7	2.0	HTE7	0.0				
RHO8	0.0	MW8	16.0	HTF8	58,989				
RHO9	0.0	MW 9	14.0	HTF9	112,520				
RHO10	0.0	MW10	17.0	HTF10	9.289				
RHO11	0.0	MW11	28.0	HTF11	-27.200				
RHO12	0.0	MW12	30.0	HTF12	21.456				
NRK	4								
CF1	2.0000E10	EF1	1.5780E+	4 ZF1	0.0				
CB1	0.0	EB1	0.0	ZB1	0.0				
AM1	40 619	0	0 0	0	0 0	0	0	0	0
BM1	0 0	0	432 374	0	0 0	0	0	0	0
AEI	0.250	1.500	0.000	0.000	0.000	0.000		0.000	0.000
851	0.000	0.000	0.000	0.000	0 000	0 000		0 000	0 000
051	0.000	0.000	0.000	0.000	0.000	0.000		0.000	0.000
CF2	1.5587E14	EF2	6.7627E+	4 7F2	0.0				
CB2	7.5000E12	EB2	0.0	ZB2	0.0				
AM2	0 1	2	0 0	0	0 0	0	0	0	0
BM2	0 0	0	0 0	0	0 0	2	0	0	2
AE2	0.000	0.500	1.000	0.000	0.000	0.000		0.000	0.000
	0.000	0.000	0.000	0.000					
BE 2	0.000	0.000	0.000	0.000	0.000	0.000		0.000	0.000
	1.000	0.000	0.000	1.000					
CF3	2.6484E10	EF3	5.9418E+	4 ZF3	1.0				
CB3	1.6000E+9	EB3	1.9678E+	4 ZB3	1.0				
AM3	0 2	1	0 0	0	0 0	0	0	0	0
BMJ		1 000		0	0 000	0 000	υ	0 000	2
ALJ	0.000	0.000	0.500	0.000	0.000	0.000		0.000	0.000
BE3	0.000	0.000	0.000	0.000	0.000	0.000		0.000	1.000
555	0,000	0.000	0.000	1 000		2.000	•		

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CF4	2.1230	DE 11	I EF4	5.70	20E+1	4 ZF4		0.0				
CB4	0.0	)	EB4	0	•0	ZB4		0.0				
AM4	0	0	1	0	0	0	0	0	0	2	0	0
BM4	0	0	0	0	0	2	0	0	0	0	0	2
AE4	0.000	2	0.000	0.5	00	0.000	0	.000	0.000	0	.000	0.000
	0.000	C	1.000	0.0	00	0.000						
BE4	0.000	C	0.000	0.0	00	0.000	0	.000	1.000	0	.000	0.000
	0.000	C	0.000	0.0	00	1.000						
NR E	: (	6							•			
AS1	0.9902	207	BS 1	-51.	7916	CS1	0.	993074	DS1	-0.	343428	ES1
0.011	1668											
AN 1	0	0	0	0	0	0	1	0	0	0	0	0
BN 1	0	0	0	0	0	2	0	0	0	0	0	0
AS2	0.431	310	BS2	-59.	6554	CS2	3.	503350	DS2	-0.	340016	ES2
0.015	8715											
AN2	0	1	0	0	0	0	0	0	0	0	0	0
BN 2	0	0	0	0	0	0	0	2	0	0	0	0
AS3	0.794	709	BS 3	-113.	2080	CS3	3.	168370	DS3	-0.	443814	ES 3
0.026	59699											
AN 3	0	0	1	0	0	0	0	0	0	0	0	0
BN 3	0	0	0	0	0	0	0	0	2	0	0	0
AS4	-0.652	939	BS4	-9.	8232	CS4	3.	930330	DS4	Ο.	163490	
ES4	-0.0142	865										
AN4	0	1	0	0	0	0	1	0	0	0	0	0
BN 4	0	0	0	0	0	0	0	0	0	2	0	0
AS5	1.158	882	BS5	-76.	8472	CS5	8.	532155	DS5	-0.	868320	ES5
0.046	53471											
AN 5	0	1	0	0	2	0	0	0	0	0	0	0
BN 5	0	0	0	0	0	0	0	0	0	4	0	0
AS6	0.980	875	BS6	68.	4453	CS6	-10	•5938	DS6	0.	574260	
ES6	-0.0414	570										
AN 6	0	1	0	0	0	0	0	0	0	0	2	0
BN 6	0	0	0	2	0	0	0	0 -	0	0	0	0

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APPENDIX B

```
SMM FORTRAN CODE
```

```
C
C SMM COMMON BLOCKS (SMMCOM.FOR)
      PARAMETER (NZONES=9, MAXELE=6000, NFLOW=9, NA=10)
      DIMENSION DTMIX(NA), NELS(NA), ZTIME(NA), TTBF(NA),
     1 TBF(NA), NNEVAP(NA), TMEVAP(NA), NELMIX(NA)
      REAL LLIMT
      LOGICAL SOOTON(NA)
       INTEGER IX, IY
      CHARACTER+12 FUEL, ID
      CHARACTER+30 NAME
      COMMON / FULAR / CATOM, DEL, PSI, PHICON
      COMMON /FULAR2/ ZH, ID, FUEL, HFG, TSAT, CPF,
      1 HEVAP, WTFUEL, SVFUEL, HFUEL, CTOF
       COMMON / ELEM / ELMM, NELS, NELAIR, NELTOT
       COMMON / CMBLIM / PHILOW, PHIHI, LLIMT, ULIMT
       COMMON / INTGRS/ IX, MAXITS, ITMAXV, NLINES, NAV, NAVP1, NCYC, NOLD
       COMMON /BASIC/ TIME, TIMMDM, CRANK, P. TFI, RHOL, TWALL,
      1 CBETA, CAD, CRANKD, DTKIN, FERMAX, NPRINT, ERMAX, VERMAX
       COMMON /DELT/ DT, DTMIX, DTPR, ZTIME, TIMEPR
       COMMON /SSOOT/ SOUTON, SOTSIZ, SOOTC, TSOOT
     . COMMON /MDM1/ NAME, CA1INJ, CRKMAX, RPM, PSTART, EGR, SWIRL
       COMMON /OUT/ TBF, TMEVAP, TTBF
       COMMON /OUT2/ NNEVAP, DELTAP, NELMIX
C
C
С
C SMZ COMMON BLOCKS (SMZCOM.FOR)
С
C NOTE: ALWAYS APPEARS AFTER SMMCOM.FOR
C
       DIMENSION FM(NFLOW), FMV(NFLOW), FMBF(NFLOW)
      DIMENSION ZMEVAP(NA), ZVOL(NA), ZMVAP(NA), ZMFBRN(NA),
      1 ZQWALL(NA), ZBETA(NA), ZFMF(NA), ZMASSL(NA), ZTEMP(NA), ZNO(NA)
       DIMENSION DFM(NFLOW), DFMV(NFLOW), DFMBF(NFLOW)
       DIMENSION NP(NFLOW), NN(NFLOW)
       COMMON /FFLOW/ FM, FMV, FMBF, FML0
       COMMON /ZFLOW/ ZMEVAP, ZVOL, ZQWALL, ZBETA, ZFMF, ZNO,
                       ZMASSL, ZMVAP, ZMFBRN, ZTEMP
      1
       COMMON /DFLOW/ DFM, DFMV, DFMBF
       COMMON /ELEFLW/ NP, NN
       COMMON /SMZBAS/ PMDM
       COMMON /ZONES/ ZMA, ZMVA, ZMBFA
C
С
С
       SUBROUTINE BTEMP
C
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С PURPOSE GIVEN P. H. AND FR OF BURNED PRODUCTS, CALCULATES T С С С USAGE С CALL BTEMP (TGUESS, FR, ENTHLP, T, N) С DESCRIPTION OF PARAMETERS (ALSO SEE SMM) С PARAMETER INPUT OUTPUT С DESCRIPTION С С P YES NO PRESSURE (ATM) С TGUESS YES NO INITIAL GUESS FOR TEMPERATURE (K) С FR YES NO FUEL FRACTION OF BURNED PRODUCTS С ENTHLP YES NO ENTHALPY (CAL/G) С Т NO YES CALCULATED TEMPERATURE (K) С ERMAX YES NO RELATIVE ERROR TOLERANCE (SEE С SUBROUTINES UTEMP AND BTEMP) С MAXITS YES NO MAXIMUM NUMBER OF ITERATIONS (SEE С SUBROUTINES UTEMP AND BTEMP) С Ν YES NO ELEMENT PROPERTY ARRAY С IDENTIFICATION NUMBER C С SUBROUTINE AND FUNCTION SUBPROGRAMS REQUIRED С BTHRMO С SUBROUTINE BTEMP (TGUESS, FR, ENTHLP, T, N) INCLUDE 'SMMCOM.FOR' DIMENSION ELEMT(MAXELE,6) COMMON /ELEMT1/ ELEMT T=TGUESS - DO 10 I=1.MAXITS CALL BTHRMO (P,T,FR,AHG,CSUBP,WT) TTOLD-T T=T+(ENTHLP-AHG)/(CSUBP) IF(ABS((T-TTOLD)/T).LE.ERMAX)GOTO 20 **10 CONTINUE** CALL OUTPUT(6) 20 ELEMT(N,5)=CSUBP ELEMT(N,6)=WT RETURN END C+++++++ C+++++ Ċ С SUBROUTINE BTHRMO С С PURPOSE С CALCULATES THERMODYNAMIC PROPERTIES OF BURNED PRODUCTS С DESCRIPTION OF PARAMETERS (ALSO SEE SMM) С С PARAMETER INPUT OUTPUT DESCRIPTION С С Ρ YES NO PRESSURE (ATM) С Т YES NO TEMPERATURE (K) С FR YES NO FUEL FRACTION OF BURNED PRODUCTS С н NO YES ENTHALPY OF BURNED PRODUCTS (CAL/G) С CP NO YES HEAT CAPACITY AT CONSTANT PRESSURE С OF BURNED PRODUCTS (CAL/G K) C WT YES NO MOLECULAR WEIGHT OF BURNED

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K

С PRODUCTS (G/MOLE) С SUBROUTINE BTHRMO (P,T,FR,H,CP,WT) COMMON/TABLE3/BHTBL(2688), BCTBL(2688), BWTBL(2688), BHFTBL(2688) COMMON/FULAR/CATOM, DEL, PSI, PHICON DIMENSION AP(7), AT(16), APHI(24) PARAMETER(RBAR=1.9869, PSCALE=.0242173) DATA AP /1.,5.,10.,20.,30.,60.,100./ DATA AT /1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500., **a** 2600.,2700.,2800.,2900.,3000.,3200.,3500./ DATA APHI/0.0,0.3,0.4,0.5,0.6,0.7,0.8,0.85,0.9,0.95,1.0,1.05,1.1, **&**1.2,1.35,1.5,1.75,2.0,2.25,2.5,2.75,3.0,3.5,4.0/ PHI=FR\*PHICON/(1.-FR) PHIA=PHI PA=P TA=T С IF(PA.LE.1.0)PA=1. IF(PA.GE.100.)PA=100. IF(TA.GE.3500.)TA=3500. IF(PHIA.LE.0.0)PHIA=0. IF(PHIA.GE.4.0)PHIA=4.0 С IF(TA.GE.1700.)GO TO 5 CALL UTHRMO (P,T,FR,1.0,H,CP,WT) RETURN С 5 I=IFIX(TA/100.)-16 IF(TA.GE.3200..AND.TA.LE.3500.) I=15 IF(TA.GE.3000..AND.TA.LT.3200.) I=14 TA1=AT(I)TA2=AT(I+1)С J=6 IF(PA.GE.60.)GO TO 10 J=5 IF(PA.GE.30.)GO TO 10 J=IFIX(PA/10.)+2 IF(PA.GE.10.)GO TO 10 J=IFIX(PA/5.)+1 10 PA1=AP(J)PA2=AP(J+1)С K=23 IF(PHIA.GE.3.5)GOTO 20 K=IFIX((PHIA-3.0)/.5)+22 IF(PHIA.GE.3.0.AND.PHIA.LT.4.0)GOTO 20 K=IFIX((PHIA-1.5)/.25)+16 IF(PHIA.GE.1.5.AND.PHIA.LE.3.0)GOTO 20 K=IFIX((PHIA-1.2)/.15)+14 IF(PHIA.GE.1.2.AND.PHIA.LE.1.5)GOTO 20 K=13 IF(PHIA.GE.1.1.AND.PHIA.LE.1.2)GOTO 20 K=IFIX((PHIA-.9)/.05)+9 IF(PHIA.GE.0.9.AND.PHIA.LE.1.1)GOTO 20 K=IFIX((PHIA-.8)/.5)+7 IF(PHIA.GE.0.8.AND.PHIA.LE.0.9)GOTO 20 K=IFIX((PHIA-.6)/.1)+5

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```
IF(PHIA.GE.0.6.AND.PHIA.LE.0.8)GOTO 20
  K=IFIX((PHIA-.3)/.1)+2
   IF(PHIA.GE.0.3.AND.PHIA.LE.0.6)GOTO 20
  K=1
20 PHI1=APHI(K)
  PHI2=APHI(K+1)
   IU1=J+384+K+16+I+1
   IU2=J+384+(K-1)+16+I+1
   IU3=J+384+(K-1)+16+I
   IU4=J+384+K+16+I
   IU5=(J-1)+384+K+16+I+1
   IU6=(J-1)*384+(K-1)*16+I+1
   IU7=(J-1)*384+(K-1)*16+I
   IU8=(J-1)+384+K+16+I
   R=(-PHI1+PHI+PHI-PHI2)/(PHI2-PHI1)
   S=(-TA1+T+T-TA2)/(TA2-TA1)
   V=(--PA1+P+P-PA2)/(PA2-PA1)
   H_{1}=(1.+R)*(1.+S)*(1.+V)
   H2=(1.-R)*(1.+S)*(1.+V)
   H3=(1.-R)*(1.-S)*(1.+V)
   H4=(1.+R)*(1.-S)*(1.+V)
   H5=(1.+R)*(1.+S)*(1.-V)
   H6=(1.-R)*(1.+S)*(1.-V)
   H7=(1.-R)*(1.-S)*(1.-V)
   H8=(1.+R)*(1.-S)*(1.-V)
 H =. 125+(H1+BHTBL(IU1)+H2+BHTBL(IU2)+
  &H3+BHTBL(IU3)+H4+BHTBL(IU4)+
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&H5+BHTBL(IU5)+H6+BHTBL(IU6)+
&H7+BHTEL(IU7)+H8+BHTEL(IU8))
 CP=.125+(H1+BCTBL(IU1)+H2+BCTBL(IU2)+
&H3+BCTBL(IU3)+H4+BCTBL(IU4)+
&H5+BCTBL(IU5)+H6+BCTBL(IU6)+
&H7+BCTBL(IU7)+H8+BCTBL(IU8))
 WT=.125+(H1+BWTBL(IU1)+H2+BWTBL(IU2)+
&H3+BWTBL(IU3)+H4+BWTBL(IU4)+
&H5+BWTBL(IU5)+H6+BWTBL(IU6)+
&H7+BWTBL(IU7)+H8+BWTBL(IU8))
 RETURN
 END
```

C. C+ C SUBROUTINE CMBUST(NZ,N,N2) C PURPOSE С TO BURN ELEMENTS WHICH MEET COMBUSTION CRITERIA AND UPDATE BURNED ELEMENT PROPERTIES. C VARIABLES (SEE SMM) С N2 USED WHEN CALLED BY MIXING TO INDICATE BURNING FOR TWO C ELEMENTS

ELEMENT PROPERTY ARRAY ID NUMBER

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```
С
      SUBROUTINE CMBUST(NZ,N,N2)
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION ELEMT(MAXELE, 6)
      DIMENSION PREP(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT5/ PREP
      COMMON /ELEMT6/ NUM, TFMF
      IF(PREP(N).LT.1.)GO TO 100
      IF((TFMF(N).LT.LLIMT).OR.(TFMF(N).GT.ULIMT)) GO TO 100
      IF(ELEMT(N,3).GE.1.)GO TO 100
С
      BGFR=ELEMT(N.3)
      ELEMT(N,3)=1.
      ELEMT(N,1)=TFMF(N)
      CALL BTEMP(2100., TFMF(N), ELEMT(N,4), ELEMT(N,2), N)
      IF(N2.GT.0)THEN
        TBF(NZ)=TBF(NZ)+2.*ELMM*(1.-BGFR)
      ELSE
        TBF(NZ)=TBF(NZ)+ELMM*(1.-BGFR)
      END IF
С
 100 RETURN
      END
C+
C.
С
C SUBROUTINE DISTRIB
С
C PURPOSE
С
    CALCULATES DISTRIBUTION OF NUMBER OF ELEMENTS, TEMPERATURE, SOOT AND
С
    NO AS A FUNCTION OF TEME. READS DISTRIBUTIONS FROM PREVIOUS RUNS
С
    AND CALCULATES CUMMULATIVE DISTRIBTION. TFMF RANGE 0.-.3 IS DIVIDED
С
    INTO 30 INCREMENTS.
С
C VARIABLES AND ARRAYS (ALSO SEE SMM)
С
С
    ND - DISTRIBUTION ID NUMBER
С
    NOLD - NUMBER OF RUNS INCLUDED IN OLD CUMMULATIVE DISTRIBUTION
С
    NNEW - NUMBER OF RUNS IN NEW CUMMULATIVE DISTRIBUTION
С
    NELET - TOTAL NUMBER OF ELEMENTS IN ALL ZONES, ACTIVE AND INACTIVE
С
    NZACT - NUMBER OF ZONES WITH AT LEAST ONE ELEMENT
С
    NAIR - NUMBER OF AIR ZONE ELEMENTS, ACTIVE AND INACTIVE
С
      SUBROUTINE DISTRIB
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION ELEMT (MAXELE, 6), ELMT (MAXELE, 4)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT6/ NUM, TFMF
      IF(NOLD.GT.0)READ(26,*)NOLD
      NNEW=NOLD+1
      WRITE(25,900)NNEW
       IF(NOLD.GT.0)READ(26, •)NZACT, NELET, NAIR
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NZACT=0 NELET=0 DO 100 NZ=1,NZONES IF(NELS(NZ).GT.0)NZACT=NZACT+1 NELET=NELET+NELS(NZ) 100 CONTINUE NELET=NELET+NELAIR NZACT=NZACT+1 WRITE(25, +)NZACT, NELET, NELAIR DO 500 NZ=1,NA IF(NELS(NZ).LT.1.AND.NZ.NE.NA) GO TO 500 IF(NOLD.GT.0)READ(26, +)NZOLD, CRANKO 900 FORMAT(1X, I3) WRITE(25,901)NZ,CRANK 901 FORMAT(1X, 12, 2X, F6.2) С C SORT ELEMENTS INTO TFMF INCREMENTS С DO 400 J=1.30 FMFU=J+.01 FMFL=(J-1)+.01 FMFT=0. TT-0. TNO-0. TSOOT=0. XN**—**0. С C CALCULATE AVERAGE TEMP, NO, SOOT IN EACH INCREMENT С IF(NZ.EQ.NA.AND.NELS(NA).LT.1)GO TO 310 DO 300 L=1,NELS(NZ) I=NUM(NZ,L) IF(TFMF(I).LT.FMFL.OR.TFMF(I).GE.FMFU)GO TO 300 XN=XN+1. FMFT=FMFT+TFMF(I) TT=TT+ELEMT(I,2) TNO=TNO+ELMT(I,1) TSOOT=TSOOT+ELMT(1,3) 300 CONTINUE IF(XN.LE.0.)GO TO 310 TT=TT/XN TNO=TNO+1.0E+06/XN IF(FMFT.LE.0.)GO TO 310 TSOOT=TSOOT+100./(FMFT+ELMM+CTOF) 310 FMFA=(FMFL+FMFU)/2. IF(NZ.EQ.NA.AND.J.EQ.1)THEN XN1=XN XN=NELAIR-NELS(NA)+XN1 IF(XN.GT.0.)THEN TT=(TT•XN1+ZTEMP(NA)•(NELAIR-NELS(NA)))/XN TNO=TNO+XN1/XN ELSE XN-0. END IF XN1=0. END IF XNSQ=XN++2 С

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```
C READ OLD CUMMULATIVE DISTRIBUTION AND CALCULATE NEW
C
          IF(NOLD.GT.0)READ(26,+)FMFA, XN1, XNSQ1, STDEV, TT1, TNO1, TSOOT1
          IF(XN1.GT.0.)THEN
            TT=(TT+XN+TT1+NOLD+XN1)/(XN+NOLD+XN1)
            TNO=(TNO+XN+TNO1+NOLD+XN1)/(XN+NOLD+XN1)
            TSOOT=(TSOOT+XN+TSOOT1+NOLD+XN1)/(XN+NOLD+XN1)
            XN=(XN+NOLD+XN1)/NNEW
            XNSQ=(XNSQ+NOLD+XNSQ1)/NNEW
          END IF
          STDEV=SQRT(ABS(XNSQ-XN++2))
C
C WRITE NEW CUMMULATIVE DISTRIBUTION
С
          WRITE(25,311)FMFA, XN, XNSQ, STDEV, TT, TNO, TSOOT
 311
          FORMAT(1X, F6.4, 3X, F6.1, 3X, G10.4, 3X, G10.4, 3X, F6.1, 3X, G10.4,
            3X,G10.4)
 400
        CONTINUE
 500
     CONTINUE
      RETURN
      END
C
С
С
C SUBROUTINE EVAP(NZ)
С
C PURPOSE
         TO CREATE FUEL VAPOR ELEMENTS GENERATED BY EVAPORATION IN
С
С
           EACH ZONE, MIX THEM WITH A RANDOM ELEMENT IN THE ZONE
С
           AND CALCULATE THE PROPERTIES OF THE MIXED ELEMENTS.
C
C USAGE
С
         CALL EVAP(NZ). ALL DATA PASSED THROUGH COMMON.
С
C VARIABLES
С
      (SEE SMM)
С
C ARRAYS
С
      (SEE SMM)
С
      SUBROUTINE EVAP(NZ)
      INCLUDE 'SMMCOM, FOR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION ELEMT (MAXELE, 6), ELMT (MAXELE, 4), SVOLD (MAXELE)
      DIMENSION PREP(MAXELE), NEXT(MAXELE)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT4/ SVOLD
      COMMON /ELEMT5/ PREP
      COMMON /ELEMT6/ NUM, TFMF
      PARAMETER(RBAR=1.9869, CCAL=.02421725)
      NEVAP=1FIX(ZMEVAP(NZ)/ELMM)
       IF(NZ.EQ.NA)THEN
         IF(NEVAP.GT.NELAIR)NEVAP=NELAIR
       ELSE
         IF(NEVAP.GT.NELS(NZ))NEVAP=NELS(NZ)
      END IF
```

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```
IF(NEVAP.EQ.0)RETURN
     ZMVAP(NZ)=ZMEVAP(NZ)-NEVAP+ELMM
    DO 100 L=1.NEVAP
      NELTOT=NELTOT+1
      NELS(NZ)=NELS(NZ)+1
       NUM(NZ,NELS(NZ))=NUM(NA,NELTOT)
       I=NUM(NZ,NELS(NZ))
       IF (NZ.EQ.NA) THEN
         ENELS=FLOAT(NELAIR)-.01
         NELAIR=NELAIR+1
       ELSE
         ENELS=FLOAT(NELS(NZ)-1)-.01
       END IF
49
       CALL RANDOM(IX, IY, YFL)
       IX=IY
       L2=IFIX(1.0+YFL*ENELS)
       IF(NZ.EQ.NA.AND.L2.EQ.NELS(NZ))GO TO 40
       IF(NZ.EQ.NA.AND.L2.GT.NELS(NZ))THEN
         NELS(NA)=NELS(NA)+1
         NELTOT=NELTOT+1
         NUM(NA, NELS(NA))=NUM(NA, NELTOT)
         J=NUM(NA, NELS(NA))
         ELEMT(J,1)=ZMBFA/(ZMA-ZMVA)
         ELEMT(J,2)=ZTEMP(NA)
         ELEMT(J,3)=(ZMA-ZMVA)/ZMA
         IF(ELEMT(J,3).LT.1.)THEN
           CALL UTHRMO(P, ELEMT(J, 2), ELEMT(J, 1), ELEMT(J, 3),
            ELEMT(J,4), ELEMT(J,5), ELEMT(J,6))
    1
         ELSE
           CALL BTHRMO(P, ELEMT(J, 2), ELEMT(J, 1), ELEMT(J, 4),
            ELEMT(J,5),ELEMT(J,6))
    1
         END IF
         ELMT(J,1)=0.
         ELMT(J,2)=0.
         ELMT(J,3)=0.
         ELMT(J,4)=TIME
         PREP(J)=0.
         SVOLD(J)=RBAR+ELEMT(J,2)/(ELEMT(J,6)+CCAL+P)
       ELSE
         J=NUM(NZ,L2)
         CALL PROP(TIME,NZ,J)
       END IF
       ELEMT(I,1)=ELEMT(J,1)
       ELEMT(1,3)=ELEMT(J,3)/2.
       ELEMT(I,4)=(ELEMT(J,4)+HFUEL+HEVAP)/2.
       TGUESS=(TSAT+ELEMT(J,2))/2.
       CALL UTEMP(TGUESS, ELEMT(I, 1), ELEMT(I, 3), ELEMT(I, 4),
    1
         ELEMT(I,2),I)
       ELMT(I,1)=ELMT(J,1)/2.
       ELMT(I,2)=ELMT(J,2)/2.
       ELMT(I,3)=ELMT(J,3)/2.
       PREP(I)=PREP(J)/2.
       CALL PREPUP(DTMIX(NZ)/2.,I)
       TFMF(I)=1.-ELEMT(I,3)*(1.-ELEMT(I,1))
       DO 50 K=1.6
         ELEMT(J,K)=ELEMT(I,K)
       CONTINUE
50
       DO 60 K=1.4
```

```
ELMT(J,K)=ELMT(I,K)
 60
        CONTINUE
        PREP(J)=PREP(I)
        SVOLD(I)=SVFUEL
        TFMF(J)=TFMF(I)
 100
     CONTINUE
      RETURN
      END
C++++
C
C
C SUBROUTINE FLOW
С
C PURPOSE
С
С
         GIVEN INPUT FROM SMZ, TRANSFERS MASS ELEMENTS BETWEEN
С
           ZONES. CALCULATES DIFFERENCE FROM SPECIFIED MASS
С
           FLOW FOR INCLUSION IN NEXT TIMESTEP. CALLS BOUNDARY
С
           MIXING ROUTINES
С
      SUBROUTINE FLOW
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION FLM(NFLOW), FLMV(NFLOW), FLMBF(NFLOW),
     1 ELEMT(MAXELE, 6), ELMT(MAXELE, 4), SVOLD(MAXELE),
     2 PREP(MAXELE)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION NEXT1(MAXELE), NEXT2(MAXELE), NEXT3(MAXELE)
      DIMENSION NEXT4(MAXELE), NEXT5(MAXELE), NEXT6(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT4/ SVOLD
      COMMON /ELEMT5/ PREP
      COMMON /ELEMT6/ NUM, TFMF
      COMMON /SORT/ NEL1, NEL2, NEL3, NEXT1, NEXT2, NEXT3
      COMMON /SORTX/ NEL4, NEL5, NEL6, NEXT4, NEXT5, NEXT6
      PARAMETER (CCAL=.02421725, RBAR=1, 9869)
С
      DO 850 NF=1,NFLOW
С
C INITIALIZE VARIABLES
C
 50
      FLM(NF)=0.
      FLMV(NF)=0.
      FLMBF(NF)=0.
      NFP1=NF+1
       IF(NF.EQ.NFLOW) GO TO 600
       IF (NP(NF).LE.0.OR.NELS(NF).LE.0) GO TO 200
 55
      IF (NP(NF).GE.NELS(NF)) THEN
С
C MOVE ALL ELEMENTS IN NF TO NFP1
С
        NP(NF)=NELS(NF)
         DO 100 K1=1, NELS(NF)
           K2=NELS(NFP1)+K1
           N1=NUM(NF,K1)
           NUM(NFP1,K2)=N1
С
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C UPDATE FLOWS
С
          FLM(NF)=FLM(NF)+ELMM
 95
          FLMV(NF)=FLMV(NF)+(1.-ELEMT(N1,3))+ELMM
          FLMBF(NF)=FLMBF(NF)+ELEMT(N1,1)+ELEMT(N1,3)+ELMM
 100
        CONTINUE
        NELS(NFP1)=NELS(NFP1)+NELS(NF)
        NELS(NF)=0
      ELSE
С
C MOVE NP ELEMENTS FROM NF TO NFP1. DETERMINE TYPE OF ELEMENT
С
    NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR RICH
С
    GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
        CALL SORT1(NF)
        DO 160 J=1,NP(NF)
          K2=NELS(NFP1)+J
C
C NEED FUEL VAPOR RICH ELEMENT
С
           IF((FMV(NF)-FLMV(NF)).GT.FERMAX.AND.(FMV(NF)-FLMV(NF))
     1
            .GT.(FMBF(NF)-FLMBF(NF)).AND.NEL1.GT.0)THEN
             ENELS=FLOAT(NEL1)-.01
            CALL RANDOM(IX, IY, YFL)
             IX=IY
             J1=IFIX(1.0+YFL+ENELS)
             K1=NEXT1(J1)
             N1=NUM(NF,K1)
             NUM(NFP1,K2)=N1
C
C FILL SLOTS IN NF AND NEXT1
С
             NEXT1(J1)=NEXT1(NEL1)
             NEL1=NEL1-1
             IF(K1.EQ.NELS(NF))GO TO 152
             NUM(NF,K1)=NUM(NF,NELS(NF))
             IF(NEL1.GT.0)THEN
               DO 151 L=1,NEL1
                 IF(NEXT1(L).EQ.NELS(NF))NEXT1(L)=K1
  151
               CONTINUE
             END IF
  152
             NELS(NF)=NELS(NF)-1
С
C NEED BURNED FUEL RICH ELEMENT
С
           ELSE IF((FMBF(NF)-FLMBF(NF)).GT.FERMAX.AND.NEL2.GT.0)THEN
             ENELS=FLOAT(NEL2)-.01
             CALL RANDOM(IX, IY, YFL)
             IX=IY
             J1=IFIX(1.0+YFL*ENELS)
             K1=NEXT2(J1)
             N1=NUM(NF,K1)
             NUM(NFP1,K2)=N1
 C
С
   FILL SLOT IN NF AND NEXT2
 С
             NEXT2(J1)=NEXT2(NEL2)
             NEL2=NEL2-1
```

```
IF(K1.EQ.NELS(NF))GO TO 154
             NUM(NF,K1)=NUM(NF,NELS(NF))
             IF(NEL2.GT.0)THEN
               DO 153 L=1,NEL2
                  IF(NEXT2(L).EQ.NELS(NF))NEXT2(L)=K1
  153
               CONTINUE
             END IF
             NELS(NF)=NELS(NF)-1
  154
 С
 C NEED LEAN ELEMENT
 С
         ELSE IF(NEL3.GT.0)THEN
             ENELS=FLOAT(NEL3)-.01
             CALL RANDOM(IX, IY, YFL)
             IX=IY
             J1=IFIX(1.0+YFL+ENELS)
             K1=NEXT3(J1)
             N1=NUM(NF,K1)
             NUM(NFP1,K2)=N1
 С
С
    FILL SLOT IN NF AND NEXT3
 C
             NEXT3(J1)=NEXT3(NEL3)
             NEL3=NEL3-1
             IF(K1.EQ.NELS(NF))GO TO 156
             NUM(NF,K1)=NUM(NF,NELS(NF))
             IF(NEL3.GT.0)THEN
               DO 155 L=1,NEL3
                 IF(NEXT3(L).EQ.NELS(NF))NEXT3(L)=K1
  155 _
               CONTINUE
             END IF
 156
             NELS(NF)=NELS(NF)-1
С
C OTHERWISE ANY RANDOM ELEMENT
C
         ELSE
           ENELS-FLOAT(NELS(NF))-.01
           CALL RANDOM(IX, IY, YFL)
           IX=IY
          K1=IFIX(1.0+YFL+ENELS)
          N1=NUM(NF,K1)
          NUM(NFP1,K2)=N1
          NUM(NF,K1)=NUM(NF,NELS(NF))
          NELS(NF)=NELS(NF)-1
        END IF
С
С
        UPDATE FLOWS
С
          FLM(NF)=FLM(NF)+ELMM
          FLMV(NF)=FLMV(NF)+(1.-ELEMT(N1,3))+ELMM
          FLMBF(NF)=FLMBF(NF)+ELEMT(N1,1)+ELEMT(N1,3)+ELMM
 160
        CONTINUE
        NELS(NFP1)=NELS(NFP1)+NP(NF)
      END IF
С
 200
      IF(NN(NF).LE.0.OR.NELS(NFP1).LE.0)GO TO 790
      IF (NN(NF).GE.NELS(NFP1)) THEN
С
```

C MOVE ALL ELEMENTS FROM NFP1 TO NF

```
C
        NN(NF)=NELS(NFP1)
        DO 300 K2=1.NELS(NFP1)
          K1=NELS(NF)+K2
          N2=NUM(NFP1,K2)
          NUM(NF,K1)=N2
          FLM(NF)=FLM(NF)-ELMM
 245
          FLMV(NF)=FLMV(NF)-(1.-ELEMT(N2,3))+ELMM
          FLMBF(NF)=FLMBF(NF)-ELEMT(N2,1)*ELEMT(N2,3)*ELMM
 300
        CONTINUE
        NELS(NF)=NELS(NF)+NELS(NFP1)
        NELS(NFP1)=0
      ELSE
С
C MOVE NN ELEMENTS FROM ZONE NF+1 TO ZONE NF. DETERMINE TYPE OF
    ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR RICH
С
С
    GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
        CALL SORT2(NFP1)
        DO 360 J=1.NN(NF)
          K1=NELS(NF)+J
          IF((FMV(NF)-FLMV(NF)).LT.-FERMAX.AND.(FMV(NF)-FLMV(NF))
           .LT.(FMBF(NF)-FLMBF(NF)).AND.NEL4.GT.0)THEN
     1
            ENELS=FLOAT(NEL4)-.01
            CALL RANDOM(IX, IY, YFL)
            IX=IY
            J2=IFIX(1.0+YFL+ENELS)
            K2=NEXT4(J2)
            N2=NUM(NFP1,K2)
            NUM(NF,K1)=N2
            NEXT4(J2)=NEXT4(NEL4)
            NEL4=NEL4-1
            IF(K2.EQ.NELS(NFP1))GO TO 302
            NUM(NFP1,K2)=NUM(NFP1,NELS(NFP1))
            IF(NEL4.GT.0)THEN
              DO 301 L=1.NEL4
                 IF(NEXT4(L).EQ.NELS(NFP1))NEXT4(L)=K2
 301
              CONTINUE
            END IF
 302
            NELS(NFP1)=NELS(NFP1)-1
          ELSE IF((FMBF(NF)-FLMBF(NF)).LT.-FERMAX.AND.NEL5.GT.0)THEN
            ENELS=FLOAT(NEL5)-.01
            CALL RANDOM(IX, IY, YFL)
            IX=IY
            J2=IFIX(1.0+YFL+ENELS)
            K2=NEXT5(J2)
            N2=NUM(NFP1,K2)
            NUM(NF,K1)=N2
            NEXT5(J2)=NEXT5(NEL5)
            NEL5=NEL5-1
            IF(K2.EQ.NELS(NFP1))GO TO 304
            NUM(NFP1,K2)=NUM(NFP1,NELS(NFP1))
            IF(NEL5.GT.0)THEN
              DO 303 L=1,NEL5
                 IF(NEXT5(L).EQ.NELS(NFP1))NEXT5(L)=K2
              CONTINUE
 303
            END IF
```

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304 NELS(NFP1)=NELS(NFP1)-1 ELSE IF(NEL6.GT.0)THEN ENELS=FLOAT(NEL6)-.01 CALL RANDOM(IX, IY, YFL) IX=IY J2=IFIX(1.0+YFL+ENELS) K2 = NEXT6(J2)N2=NUM(NFP1,K2) NUM(NF,K1)=N2NEXT6(J2)=NEXT6(NEL6) NEL6=NEL6-1 IF(K2.EQ.NELS(NFP1))GO TO 306 NUM(NFP1,K2)=NUM(NFP1,NELS(NFP1)) IF(NEL6.GT.0)THEN DO 305 L=1.NEL6 IF(NEXT6(L).EQ.NELS(NFP1))NEXT6(L)=K2 305 CONTINUE END IF NELS(NFP1)=NELS(NFP1)-1 306 ELSE ENELS=FLOAT(NELS(NFP1))-.01 CALL RANDOM(IX, IY, YFL) IX=IY K2=IFIX(1.0+YFL+ENELS) N2=NUM(NFP1,K2) NUM(NF,K1)=N2NUM(NFP1,K2)=NUM(NFP1,NELS(NFP1)) NELS(NFP1)=NELS(NFP1)-1 END IF FLM(NF)=FLM(NF)-ELMM 345-FLMV(NF)=FLMV(NF)-(1.-ELEMT(N2,3))+ELMM FLMBF(NF)=FLMBF(NF)-ELEMT(N2,1)+ELEMT(N2,3)+ELMM 360 CONTINUE NELS(NF)=NELS(NF)+NN(NF) END IF GO TO 790 600 IF(NP(NF).LE.0.OR.NELS(NF).LE.0) GO TO 770 IF(NP(NF).GE.NELS(NF)) THEN C C MOVE ALL ELEMENTS FROM NF TO NA С NP(NF)=NELS(NF) DO 700 K1=1,NELS(NF) N1=NUM(NF,K1) NELS(NA)=NELS(NA)+1 NELAIR=NELAIR+1 NUM(NA, NELS(NA))=N1 FLM(NF)=FLM(NF)+ELMM FLMV(NF)=FLMV(NF)+(1.-ELEMT(N1,3))+ELMM FLMBF(NF)=FLMBF(NF)+ELEMT(N1,1)+ELEMT(N1,3)+ELMM 700 CONTINUE NELS(NF)=0 ELSE С C MOVE NP ELEMENTS FROM NF TO NA. DETERMINE TYPE OF ELEMENT

NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR RICH С

С GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP, С

	CALL SORTI(NF)
	DO 760 J=1, NP(NF)
	NELS(NA)=NELS(NA)+1
	NELAIRTHELAIRTI
	ENELS-ELOAT (NEL1)- 01
	CALL RANDOM (IX IX YEL)
	J1=TFTX(1 0+YFL+ENELS)
	K1=NEXT1(J1)
	N1=NUM(NF.K1)
	NUM(NA, NELS(NA))=N1
	NEXT1(J1)=NEXT1(NEL1)
	NEL1-1
	IF(K1.EQ.NELS(NF))GO TO 742
	NUM(NF,K1)=NUM(NF,NELS(NF))
	IF(NEL1.GT.0)THEN
	DO 741 L=1,NEL1
	IF(NEXT1(L).EQ.NELS(NF))NEXT1(L)=K1
741	CONTINUE
	END IF
742	NELS(NF) = NELS(NF) - 1
	ELSE IF ((FMBF(NF)-FLMBF(NF)).GI.FEKMAX.AND.NEL2.GI.0) ITEN
	CALL DANDON(IN IN VEL)
	TYTY
	J1=IFIX(1 0+YFL+ENELS)
	K1 = NEXT2(J1)
•	N1=NUM(NF.K1)
	NUM(NA, NELS(NA))=N1
	NEXT2(J1)=NEXT2(NEL2)
	NEL2-1
	IF(K1.EQ.NELS(NF))GO TO 744
	NUM(NF,K1)=NUM(NF,NELS(NF))
	IF(NEL2.GT.0)THEN
	DO 743 L=1,NEL2
	IF(NEXIZ(L).EQ.NELS(NF))NEXIZ(L)=K1
743	
744	
/	FISE IF(NEL3 GT 0)THEN
	ENELS=FLOAT(NEL3)01
	CALL RANDOM(IX,IY,YFL)
	IX=IY
	J1≔IFIX(1.0+YFL+ENELS)
	K1=NEXT3(J1)
	N1=NUM(NF,K1)
	NUM(NA, NELS(NA))=N1
	NEXT3(J1)=NEXT3(NEL3)
	NEL3=NEL3-1
	IF(K1.EQ.NELS(NF))GO TO 746
	NUM(NF,K1)=NUM(NF,NELS(NF))
	IF (NEL3.GT.0) THEN
	DU 745 LHI,NELS TECHEVITICE ON SUSCESSION STATES
748	IF (NEXIS(L), EW, NELS(NF) / NEXIS(L)=NI CONTINUE
/40	

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746
            NELS(NF)=NELS(NF)-1
        ELSE
          ENELS=FLOAT(NELS(NF))-.01
          CALL RANDOM(IX, IY, YFL)
          IX=IY
          K1=IFIX(1.0+YFL+ENELS)
          N1=NUM(NF,K1)
          NUM(NA, NELS(NA))=N1
          NUM(NF,K1)=NUM(NF,NELS(NF))
          NELS(NF)=NELS(NF)-1
        END IF
          FLM(NF)=FLM(NF)+ELMM
          FLMV(NF)=FLMV(NF)+(1.-ELEMT(N1,3))*ELMM
          FLMBF(NF)=FLMBF(NF)+ELEMT(N1,1)+ELEMT(N1,3)+ELMM
 760
        CONTINUE
      END IF
С
C MOVE NN ELEMENTS FROM ZONE NA TO ZONE NA-1. DETERMINE TYPE OF
С
    ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR RICH
С
    GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
 770 IF(NN(NF).LE.0.OR.ZMA.LE.0..OR.NELAIR.EQ.0)GO TO 790
      CALL SORT2(NA)
      DO 787 J=1,NN(NF)
        K1=NELS(NF)+1
        NELS(NF)=K1
        IF((FMV(NF)-FLMV(NF)).LT.-FERMAX.AND.NEL4.GT.0)THEN
          ENELS=FLOAT(NEL4)-.01
          CALL RANDOM(IX, IY, YFL)
          IX=IY
          J2=IFIX(1.0+YFL+ENELS)
          K2=NEXT4(J2)
          N2=NUM(NA,K2)
          NEXT4(J2)=NEXT4(NEL4)
          NEL4=NEL4-1
          IF(K2.EQ.NELS(NA))GO TO 782
          NUM(NA,K2)=NUM(NA,NELS(NA))
           IF(NEL4.GT.0)THEN
            DO 781 L=1,NEL4
               IF(NEXT4(L).EQ.NELS(NA))NEXT4(L)=K2
 781
            CONTINUE
          END IF
 782
          NELAIR=NELAIR-1
          NELS(NA)=NELS(NA)-1
        ELSE IF((FMBF(NF)-FLMBF(NF)).LT.-FERMAX.AND.NEL5.GT.0)THEN
           ENELS=FLOAT(NEL5)-.01
           CALL RANDOM(IX, IY, YFL)
           IX=IY
           J2=IFIX(1.0+YFL+ENELS)
           K2=NEXT5(J2)
           N2=NUM(NA,K2)
          NEXT5(J2)=NEXT5(NEL5)
           NEL5=NEL5-1
           IF(K2.EQ.NELS(NA))GO TO 784
           NUM(NA,K2)=NUM(NA,NELS(NA))
           IF(NEL5.GT.0)THEN
             DO 783 L=1,NEL5
               IF(NEXT5(L).EQ.NELS(NA))NEXT5(L)=K2
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783
            CONTINUE
          END IF
784
          NELAIR=NELAIR-1
          NELS(NA)=NELS(NA)-1
        ELSE IF (NEL6.GT.0) THEN
          ENELS=FLOAT(NEL6)-.01
          CALL RANDOM(IX, IY, YFL)
          IX=IY
          J2=IFIX(1.0+YFL*ENELS)
          K2=NEXT6(J2)
          N2=NUM(NA,K2)
          NEXT5(J2)=NEXT6(NEL6)
          NEL6=NEL6-1
          IF(K2.EQ.NELS(NA))GO TO 786
          NUM(NA,K2)=NUM(NA,NELS(NA))
          IF(NEL6.GT.0)THEN
            DO 785 L=1,NEL6
              IF(NEXT6(L).EQ.NELS(NA))NEXT6(L)=K2
785
            CONTINUE
          END IF
786
          NELAIR=NELAIR-1
          NELS(NA)=NELS(NA)-1
        ELSE IF(NELS(NA).GT.0)THEN
          ENELS=FLOAT(NELS(NA))-.01
          CALL RANDOM(IX, IY, YFL)
          IX=IY
          K2=IFIX(1.0+YFL+ENELS)
          N2=NUM(NA,K2)
          NUM(NA,K2)=NUM(NA,NELS(NA))
          NELS(NA)=NELS(NA)-1
          NELAIR=NELAIR-1
        ELSE
С
C INACTIVE ELEMENTS ARE ASSIGNED MEAN AIR ZONE PROPERTIES.
С
          NELTOT=NELTOT+1
          N2=NUM(NA, NELTOT)
          NELAIR=NELAIR-1
          ELEMT(N2,1)=ZMBFA/(ZMA-ZMVA)
          ELEMT(N2,2)=ZTEMP(NA)
          ELEMT(N2,3)=(ZMA-ZMVA)/ZMA
          IF(ELEMT(N2,3).LT.1.)THEN
            CALL UTHRMO(P, ELEMT(N2,2), ELEMT(N2,1), ELEMT(N2,3),
     1
              ELEMT(N2,4), ELEMT(N2,5), ELEMT(N2,6))
          ELSE
            CALL BTHRMO(P, ELEMT(N2, 2), ELEMT(N2, 1), ELEMT(N2, 4),
              ELEMT(N2,5), ELEMT(N2,6))
     1
          END IF
          ELMT(N2,1)=0.
          ELMT(N2,2)=0.
          ELMT(N2,3)=0.
          ELMT(N2,4)=TIME
          PREP(N2)=0.
          SVOLD(N2)=RBAR+ELEMT(N2,2)/(ELEMT(N2,6)+CCAL+P)
          TFMF(N2)=1.-ELEMT(N2,3)*(1.-ELEMT(N2,1))
        END IF
        NUM(NF,K1)=N2
        FLM(NF)=FLM(NF)-ELMM
```

```
FLMV(NF)=FLMV(NF)-(1.-ELEMT(N2,3))+ELMM
        FLMBF(NF)=FLMBF(NF)-ELEMT(N2,1)+ELEMT(N2,3)+ELMM
 787 CONTINUE
С
C UPDATE RESIDUAL FLOWS
С
 790 DFM(NF)=FM(NF)-FLM(NF)
      DFMV(NF)=FMV(NF)-FLMV(NF)
      DFMBF(NF)=FMBF(NF)-FLMBF(NF)
С
C CALL BOUNDARY MIXING ROUTINES IF REQUIRED
С
      IF((ABS(DFMV(NF)).GT.FERMAX.OR.ABS(DFMBF(NF)).GT.FERMAX).AND.
     1 NF.NE.NFLOW.AND.NELS(NF).GT.1.AND.NELS(NFP1).GT.1)THEN
          CALL MIXINGB(NF)
      ELSE IF((ABS(DFMV(NF)).GT.FERMAX.OR.ABS(DFMBF(NF)).GT.FERMAX)
        .AND.NF.EQ.NFLOW.AND.NELS(NF).GT.1.AND.NELAIR.GT.0)THEN
          CALL MIXINGA
      END IF
С
 800 IF(ZVOL(NF).LE.0.)THEN
        DFM(NF)=0.
        DFMV(NF)=0.
        DFMBF(NF)=0.
      END IF
 850 CONTINUE
 900
      RETURN
      END
    ******
C+
С
  SUBROUTINE INPUT(N)
С
С
C PURPOSE
    CALLED TO INPUT ENGINE PARAMETERS, SIMULATION PARAMETERS,
С
    FUEL CHARACTERISTICS, COMBUSTION PARAMETERS, AND INPUT
С
С
    FROM MULTIDIMENSIONAL MODEL. ONLY INPUT NOT USING
    THIS SUBROUTINE ARE TABLES OF THERMO DATA (TABLE).
С
С
C VARIABLES (ALSO SEE SMM)
С
С
                CTOF - FUEL CARBON MASS PER UNIT FUEL MASS
               CATOM - NUMBER OF CARBON ATOMS IN FUEL
С
                DTPR - TIMESTEP FOR PRINTING OUTPUT
С
                 CAD - CARNK ANGLE INCREMENT FOR PRINTING
С
                              DISTRIBUTION
С
               DTKIN - MINIMUM TIMESTEP FOR KINETIC UPDATE
С
                ELMM - MASS OF AN INDIVIDUAL ELEMENT (GM)
С
С
                ERMAX - ERROR CRITERION FOR TEMP ROUTINES
С
                 FUEL - CHARACTER VARIABLE - NAME OF FUEL
С
                   ID - SIMULATION ID
                IX, IY - RANDOM NUMBER SEEDS
С
¢
               MAXITS - MAXIMUM ITERATIONS FOR TEMP ROUTINES
                 NOLD - NUMBER OF PREVIOUS STOCHASTIC RUNS FOR
С
С
                               AVERAGING
               NZONES - NUMBER OF STOCHASTIC MIXING ZONES
 С
               TIMMOM - MOM CLOCK TIME
 С
                PHIHI - UPPER COMBUSTION LIMIT
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С

PHILOW - LOWER COMBUSTION LIMIT PSI - N2/02 RATIO FOR AIR SOOTC - SOOT FORMATION CONSTANT SOTON - SOOT MODEL ON/OFF SOTSIZ - INITIAL SOOT PARTICLE RADIUS(cm) VERMAX - MAXIMUM ERROR SUBR VOL WTFUEL - FUEL MOLECULAR WEIGHT ZH - NO. HYDROGEN ATOMS IN FUEL SUBROUTINE INPUT(N) INCLUDE 'SMMCOM.FOR' INCLUDE 'SMZCOM.FOR' PARAMETER(CCAL=.02421725) LOGICAL SOTON NAMELIST/INPUT1/ID, ELMM, DTPR, CAD, DTKIN, TWALL, CRKMAX, CBETA 1 ,NPRINT,NOLD NAMELIST/INPUT2/CATOM, ZH, PSI, FUEL, TFI, RHOL, HFG, TSAT, 1 CPF NAMELIST/INPUT3/ERMAX, IX, MAXITS, VERMAX, ITMAXV, FERMAX NAMELIST/INPUT4/PHILOW, PHIHI, SOTON, SOTSIZ, SOOTC, TSOOT С С C INPUT NR 1: DEFAULT RUN PARAMETERS (CALLED FROM SMM) С С 1. OPERATING PARAMETERS С IF(N.EQ.2)GO TO 200 IF(N.EQ.3)GO TO 300 100 ID = ' SMM 171-1 ' ELMM = .0003 DTPR = .0001 CAD= 10. DTKIN=2.0E-05 TWALL=400. CRKMAX=40. CBETA=.9 NPRINT=3 NOLD=0 С READ(10, INPUT1) С С 2. FUEL CHARACTERISTICS С CATOM = 10.8ZH = 18.7 = 3.773 PSI FUEL - 'DIESEL' = 350. TFI RHOL = .7452 = 43.246 HFG TSAT = 550. CPF = .46

С С 3. SIMULATION CONTROL PARAMETERS

READ(10, INPUT2)

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С

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N y

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С. ,

С

С

С

С

С

С

С

С

С

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ERMAX = 0.002
              = 20001
      IX
      MAXITS = 100
      VERMAX = 0.01
      ITMAXV = 100
      FERMAX = 1.E-4
С
      READ(10, INPUT3)
С
   4. COMBUSTION/SOOT PARAMETERS
С
С
      PHILOW = 0.3
      PHIHI = 4.0
      SOTON = .TRUE.
      SOTSIZ = 2.0E-6
      SOOTC = .001
      TSOOT = 600.
С
      READ(10, INPUT4)
С
      DO 150 I=1,NZONES
       SOOTON(I)=SOTON
 150 CONTINUE
      GO TO 900
С
C INPUT NR 2. READ INITIAL MOM OUTPUT.
С
 200 READ(11,901)NAME
      READ(11,902)CA1INJ,RPM
    .
      READ(11, +)CA1INJ, SWIRL, EGR
      READ(11, +)NCYCLE
      READ(11, +)PSTART
      GO TO 900
С
C INPUT NR 3. READ MDM OUTPUT.
С
 300
      READ(11, +) TIMMDM, PMDM
      READ(11, \bullet)(FM(K), K=1, NFLOW)
      READ(11, *)(FMV(K), K=1, NFLOW)
      READ(11, +)FML0, (ZMASSL(K), K=1, NA)
      READ(11, *)(FMBF(K), K=1, NFLOW)
      READ(11, *)(ZTEMP(K), K=1, NA)
      READ(11, +)(ZNO(K), K=1, NA)
       READ(11, *)(ZMEVAP(K), K=1, NA)
       READ(11, +)(ZQWALL(K), K=1, NA)
       READ(11, +)(ZMFBRN(K), K=1, NA)
       READ(11, \bullet)(ZVOL(K), K=1, NA)
       READ(11, \bullet)(ZFMF(K), K=1, NA)
       READ(11, *)(ZBETA(K), K=1, NA)
       READ(11, +)ZMA, ZMVA, ZMBFA
С
       IF(ZTEMP(NA).LE.0..OR.ZMA.LT.ELMM)THEN
         NELS(NA)=0
         NELAIR=0
         ZMA=0.
       END IF
C
       DO 301 NZ=1,NZONES
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ZBETA(NZ)=CBETA+ZBETA(NZ)
301 CONTINUE
C
900 RETURN
С
901 FORMAT(A30)
902 FORMAT(1X,F6.1,2X,F6.1)
С
     END
C+++++++
   SUBROUTINE MIXING
С
С
        PURPOSE
С
С
С
          MIXES TWO RANDOMLY CHOSEN ELEMENTS TOGETHER, BURNS THEM IF
С
          WITHIN LIMITS AND SEPARATES THEM, FORMING TWO IDENTICAL
С
          ELEMENTS.
С
     SUBROUTINE MIXING(NZ)
      INCLUDE 'SMMCOM, FOR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION ELEMT(MAXELE, 6), ELMT(MAXELE, 4)
     DIMENSION PREP(MAXELE), SVOLD(MAXELE)
     DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT4/ SVOLD
     COMMON /ELEMT5/ PREP
      COMMON /ELEMT6/ NUM, TFMF
      PARAMETER(RBAR=1.9869,CCAL=.02421725)
С
      ZTIME(NZ)=ZTIME(NZ)+DTMIX(NZ)
      NELMIX(NZ)=NELMIX(NZ)+2
С
С
         TWO DIFFERENT ELEMENTS ARE CHOSEN AT RANDOM. AND THEIR
С
        PROPERTIES ARE UPDATED.
С
С
    FIRST ELEMENT IS SELECTED
С
   20 CALL RANDOM(IX, IY, YFL)
      IX=IY
      ENELS=FLOAT(NELS(NZ))-.01
      L1=IFIX(1.0 + YFL+ENELS)
С
С
    SECOND ELEMENT IS CHOSEN WHICH IS DIFFERENT
С
    FROM THE FIRST ONE
С
   30 CALL RANDOM(IX, IY, YFL)
      IX=IY
      L2=IFIX(1.0 + YFL+ENELS)
      IF(L1.EQ.L2) GO TO 30
С
      I=NUM(NZ,L1)
      CALL PROP(ZTIME(NZ),NZ,I)
      J=NUM(NZ,L2)
      CALL PROP(ZTIME(NZ),NZ,J)
```

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```
С
С
         DETERMINE THE TYPE OF MIX
С
С
    1. BOTH BURNED, GO TO 90
С
      IF(ELEMT(1,3).EQ.1..AND.ELEMT(J,3).EQ.1.)GO TO 90
С
С
    2. BOTH UNBURNED, GO TO 50
С
       IF(ELEMT(I,3).LT.1..AND.ELEMT(J,3).LT.1.)GO TO 50
С
С
    3. ONE BURNED, ONE UNBURNED.
С
С
       WHICH IS BURNED? CALCULATE A PREP TIME.
С
       IF(ELEMT(I,3).EQ.1.)THEN
         IB=1
       ELSE
         18=J
       END IF
       CALL PREPUP(DTMIX(NZ), IB)
С
 40
      ELEMT(I,1)=(ELEMT(I,1)+ELEMT(I,3) + ELEMT(J,1))
      1 *ELEMT(J,3))/(ELEMT(I,3) + ELEMT(J,3))
       TGUESS=(ELEMT(I,2) + ELEMT(J,2))/2.
       ELEMT(I,3)=(ELEMT(I,3) + ELEMT(J,3))/2.
       ELEMT(I,4)=(ELEMT(I,4) + ELEMT(J,4))/2.
       ELMT(I,1)=(ELMT(I,1) + ELMT(J,1))/2.
      ELMT(I,2)=(ELMT(I,2) + ELMT(J,2))/2.
       ELMT(I,3)=(ELMT(I,3) + ELMT(J,3))/2.
       PREP(I)=(PREP(I)+PREP(J))/2.
       CALL UTEMP(TGUESS, ELEMT(I,1), ELEMT(I,3), ELEMT(I,4), ELEMT(I,2), I)
       TFMF(I)=1.-ELEMT(I,3)*(1.-ELEMT(I,1))
       CALL CMBUST(NZ,I,J)
       GO TO 119
C
C 2. BOTH UNBURNED
C
 50
      ELEMT(I,1)=(ELEMT(I,1)+ELEMT(I,3) + ELEMT(J,1))
      1 \epsilon ELEMT(J,3))/(ELEMT(I,3) + ELEMT(J,3))
       TGUESS=(ELEMT(I,2) + ELEMT(J,2))/2.
       ELEMT(I,3)=(ELEMT(I,3) + ELEMT(J,3))/2.
       ELEMT(I,4) = (ELEMT(I,4) + ELEMT(J,4))/2.
       ELMT(I,1)=(ELMT(I,1) + ELMT(J,1))/2.
       ELMT(I,2)=(ELMT(I,2) + ELMT(J,2))/2.
       ELMT(I,3)=(ELMT(I,3) + ELMT(J,3))/2.
       PREP(I) = (PREP(I) + PREP(J))/2.
       CALL UTEMP(TGUESS, ELEMT(I,1), ELEMT(I,3), ELEMT(I,4), ELEMT(I,2), I)
       TFMF(I)=1.-ELEMT(I,3)*(1.-ELEMT(I,1))
       CALL CMBUST(NZ,I,J)
       GO TO 119
С
C 3. MIXING OF TWO BURNED ELEMENTS
 C
  90
       ELEMT(I,1) = (ELEMT(I,1) + ELEMT(J,1))/2.
       TGUESS=(ELEMT(I,2) + ELEMT(J,2))/2.
       \mathsf{ELEMT}(\mathsf{I},4) = (\mathsf{ELEMT}(\mathsf{I},4) + \mathsf{ELEMT}(\mathsf{J},4))/2.
       ELMT(I,1) = (ELMT(I,1) + ELMT(J,1))/2.
```

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والمراجع والمراجع المتعاد والمراجع والمراجع والمراجع والمراجع والمراجع والمراجع والمراجع والمراجع والمراجع والم

```
ELMT(I,2)=(ELMT(I,2) + ELMT(J,2))/2.
      ELMT(I,3)=(ELMT(I,3) + ELMT(J,3))/2.
      CALL BTEMP(TGUESS, ELEMT(I, 1), ELEMT(I, 4), ELEMT(I, 2), I)
 110 TFMF(I)=ELEMT(I,1)
С
 119 DO 120 L=1,6
      ELEMT(J,L)=ELEMT(I,L)
  120 CONTINUE
      DO 130 L=1,3
      ELMT(J,L)=ELMT(I,L)
  130 CONTINUE
      PREP(J)=PREF(I)
      TFMF(J)=TFMF(I)
 200 RETURN
      END
C.
C
С
    SUBROUTINE MIXINGA
С
C
         PURPOSE
С
С
           THIS SUBROUTINE SIMULATES MIXING ACROSS THE BOUNDARY
              BETWEEN ZONES NFLOW AND NA.
С
С
      SUBROUTINE MIXINGA
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION ELEMT(MAXELE, 6), ELMT(MAXELE, 4), SVOLD(MAXELE)
      DIMENSION PREP(MAXELE)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION NEXT1(MAXELE), NEXT2(MAXELE), NEXT3(MAXELE)
      DIMENSION NEXT4(MAXELE), NEXT5(MAXELE), NEXT6(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT4/ SVOLD
      COMMON /ELEMT5/ PREP
      COMMON /ELEMT6/ NUM, TFMF
      COMMON /SORT/ NEL1, NEL2, NEL3, NEXT1, NEXT2, NEXT3
      COMMON /SORTX/ NEL4, NEL5, NEL6, NEXT4, NEXT5, NEXT6
      PARAMETER(CCAL=.02421725, RBAR=1.9869)
С
      NF=NFLOW
      NFP1=NA
      CALL SORT1(NF)
      CALL SORT2(NFP1)
С
 20
      NP(NF)=NP(NF)+1
      NN(NF)=NN(NF)+1
С
С
    RANDOM ELEMENT IS CHOSEN FROM ZONE NFLOW. DETERMINE TYPE OF
Ç
      ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR
С
      RICH GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
       IF(DFMV(NF).GT.FERMAX.AND.NEL1.GT.0)THEN
         ENELS1=FLOAT(NEL1)-.01
         CALL RANDOM(IX, IY, YFL)
         IX=IY
         LX=IFIX(1.0+YFL+ENELS1)
```

```
L1=NEXT1(LX)
       NEXT1(LX)=NEXT1(NEL1)
       NEL1=NEL1-1
     ELSE IF(DFMBF(NF).GT.FERMAX.AND.NEL2.GT.0)THEN
       ENELS1=FLOAT(NEL2)-.01
       CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS1)
        L1=NEXT2(LX)
       NEXT2(LX)=NEXT2(NEL2)
       NEL2=NEL2-1
      ELSE IF(NEL3.GT.0)THEN
        ENELS1=FLOAT(NEL3)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS1)
        L1=NEXT3(LX)
        NEXT3(LX)=NEXT3(NEL3)
        NEL3=NEL3-1
      ELSE
        GO TO 200
      END IF
      I=NUM(NF,L1)
С
С
    SECOND RANDOM ELEMENT IS CHOSEN FROM ZONE NF+1. DETERMINE TYPE
С
      OF ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR
¢
      RICH GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
      IF(DFMV(NF).LT.-FERMAX.AND.NEL4.LT.0)THEN
        ENELS2=FLOAT(NEL4)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS2)
        L2=NEXT4(LX)
        NEXT4(LX)=NEXT4(NEL4)
        NEL4=NEL4--1
        J=NUM(NFP1,L2)
      ELSE IF(DFMBF(NF).LT.-FERMAX.AND.NEL5.GT.0)THEN
        ENELS2=FLOAT(NEL5)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS2)
        L2=NEXT5(LX)
        NEXT5(LX)=NEXT5(NEL5)
        NEL5-NEL5-1
        J=NUM(NFP1,L2)
      ELSE IF(NEL6.GT.0)THEN
        ENELS2=FLOAT(NEL6)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS2)
        L2=NEXT6(LX)
        NEXT6(LX)=NEXT6(NEL6)
        NEL6=NEL6-1
        J=NUM(NFP1,L2)
      ELSE
С
С
    INACTIVE ELEMENTS ARE ASSIGNED MEAN AIR ZONE PROPERTIES
```

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```

AND BECOME ACTIVE ELEMENTS.

```
¢
С
        IF(NELS(NA).GE.IFIX(ZMA/ELMM))GO TO 200
        NELS(NA)=NELS(NA)+1
        NELTOT=NELTOT+1
        J=NUM(NA, NELTOT)
        L2=NELS(NA)
        ELEMT(J,1)=ZMBFA/(ZMA-ZMVA)
        ELEMT(J,2)=ZTEMP(NA)
        ELEMT(J.3)=(ZMA-ZMVA)/ZMA
        IF(ELEMT(J,3).LT.1.)THEN
          CALL UTHRMO(P, ELEMT(J, 2), ELEMT(J, 1), ELEMT(J, 3),
           ELEMT(J,4), ELEMT(J,5), ELEMT(J,6))
     1
        ELSE
          CALL BTHRMO(P, ELEMT(J, 2), ELEMT(J, 1), ELEMT(J, 4),
           ELEMT(J,5),ELEMT(J,6))
     1
        END IF
        ELMT(J,1)=0.
        ELMT(J,2)=0.
        ELMT(J,3)=0.
        ELMT(J,4)=TIME
        PREP(J)=0.
        SVOLD(J)=RBAR*ELEMT(J,2)/(ELEMT(J,6)*P*CCAL)
        TFMF(J)=1.-ELEMT(J,3)*(1.-ELEMT(J,1))
      END IF
С
    CALCULATE FLOWS
С
С
      DFMV(NF)=DFMV(NF)=ELMM+(ELEMT(J,3)-ELEMT(I,3))
 60
    DFMBF(NF)=DFMBF(NF)=ELMM*(ELEMT(I,1)*ELEMT(I,3)=
     1 ELEMT(J,1) + ELEMT(J,3)
С
    EXCHANGE ELEMENTS BETWEEN ZONES
С
¢
      NUM(NA,L2)=I
      NUM(NF,L1)=J
С
       IF(ABS(DFMV(NF)).GT.FERMAX.OR.ABS(DFMBF(NF)).GT.FERMAX)THEN
        GO TO 20
       ELSE
         GO TO 300
       END IF
  200 DFMV(NF)=DFMV(NF)-ELMM*(ELEMT(J,3)-ELEMT(I,3))
      DFMBF(NF)=DFMBF(NF)-ELMM*(ELEMT(1,1)*ELEMT(1,3)-
      1 ELEMT(J,1) + ELEMT(J,3)
  300 RETURN
       END
 С
     SUBROUTINE MIXINGB(NF)
 С
 С
          PURPOSE
 Ç
            THIS SUBROUTINE SIMULATES MIXING ACROSS THE BOUNDARY
 C
               BETWEEN TWO MIXING ZONES.
 С
            IT EXCHANGES TWO RANDOMLY CHOSEN ELEMENTS ACROSS THE
 С
 C
               BOUNDARY.
 С
```

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2.5.5.5.5.5.5.5.
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```
SUBROUTINE MIXINGB(NF)
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION ELEMT(MAXELE, 6)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION NEXT (MAXELE), NEXT2(MAXELE), NEXT3(MAXELE)
      DIMENSION NEXT4(MAXELE), NEXT5(MAXELE), NEXT6(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT6/ NUM, TFMF
      COMMON /SORT/ NEL1, NEL2, NEL3, NEXT1, NEXT2, NEXT3
      COMMON /SORTX/ NEL4.NEL5.NEL6.NEXT4.NEXT5.NEXT6
      NFP1=NF+1
      CALL SORT1(NF)
      CALL SORT2(NFP1)
С
С
С
         TWO DIFFERENT ELEMENTS ARE CHOSEN AT RANDOM, ONE FROM
С
           EACH ZONE.
С
    FIRST RANDOM ELEMENT IS SELECTED FROM ZONE NF. DETERMINE TYPE
С
Ċ
      OF ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR
С
      RICH GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
 20
      NP(NF)=NP(NF)+1
      NN(NF)=NN(NF)+1
      IF(DFMV(NF).GT.FERMAX.AND.NEL1.GT.0)THEN
        ENELS1=FLOAT(NEL1)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS1)
        L1=NEXT1(LX)
        NEXT1(LX)=NEXT1(NEL1)
        NEL1=NEL1-1
      ELSE IF(DFMBF(NF).GT.FERMAX.AND.NEL2.GT.0)THEN
        ENELS1=FLOAT(NEL2)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS1)
        L1=NEXT2(LX)
        NEXT2(LX)=NEXT2(NEL2)
        NEL2=NEL2-1
      ELSE IF(NEL3.GT.0)THEN
        ENELS1=FLOAT(NEL3)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS1)
        L1=NEXT3(LX)
        NEXT3(LX)=NEXT3(NEL3)
        NEL3=NEL3-1
      ELSE
        GO TO 200
      END IF
      I=NUM(NF,L1)
¢
С
    SECOND RANDOM ELEMENT IS CHOSEN FROM ZONE NF+1. DETERMINE TYPE
С
      OF ELEMENT NEEDED AND SELECT RANDOM ELEMENT FROM FUEL VAPOR
С
      RICH GROUP, BURNED FUEL RICH GROUP, OR LEAN GROUP.
С
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IF(DFMV(NF).LT.-FERMAX.AND.NEL4.LT.0)THEN
       ENELS2=FLOAT(NEL4)-.01
       CALL RANDOM(IX, IY, YFL)
       IX=IY
       LX=IFIX(1.0+YFL+ENELS2)
       L2=NEXT4(LX)
       NEXT4(LX)=NEXT4(NEL4)
       NEL4=NEL4-1
     ELSE IF(DFMBF(NF).LT.-FERMAX.AND.NEL5.GT.0)THEN
       ENELS2=FLOAT(NEL5)-.01
       CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS2)
        L2=NEXT5(LX)
        NEXT5(LX)=NEXT5(NEL5)
        NEL5=NEL5-1
      ELSE IF(NEL6.GT.0)THEN
        ENELS2=FLOAT(NEL6)-.01
        CALL RANDOM(IX, IY, YFL)
        IX=IY
        LX=IFIX(1.0+YFL+ENELS2)
        L2=NEXT6(LX)
        NEXT6(LX)=NEXT6(NEL6)
        NEL6=NEL6-1
      ELSE
        GO TO 200
      END IF
        J=NUM(NFP1,L2)
С
C CALCULATE FLOWS
С
      DFMV(NF)=DFMV(NF)-ELMM*(ELEMT(J,3)-ELEMT(I,3))
 60
      DFMBF(NF)=DFMBF(NF)-ELMM+(ELEMT(I,1)+ELEMT(I,3)-
     1 ELEMT(J,1)+ELEMT(J,3))
С
C EXCHANGE ELEMENTS BETWEEN ZONES
С
      NUM(NFP1,L2)=I
      NUM(NF, L1)=J
С
      IF(ABS(DFMV(NF)).GT.FERMAX.OR.ABS(DFMBF(NF)).GT.FERMAX)THEN
        GO TO 20
      ELSE
        GO TO 300
      END IF
 200 DFMV(NF)=DFMV(NF)-ELMM*(ELEMT(J,3)-ELEMT(I,3))
      DFMBF(NF)=DFMBF(NF)-ELMM+(ELEMT(I,1)+ELEMT(I,3)-
     1 ELEMT(J,1)*ELEMT(J,3)
 300 RETURN
      END
C+++++++
C+++++++++++
C SUBROUTINE OUTPUT(N)
С
C PURPOSE
         HANDLES ALL OUTPUT FOR PROGRAM SMM
С
С
C VARIABLES
```

```
С
С
       Y(1)
              - AVERAGE TEMPERATURE OF ENSEMBLE
              - AVERAGE GAS TEMPERATURE OF ENSEMBLE
С
       Y(2)
              - AVERAGE SPECIFIC VOLUME
С
       Y(3)
С
              - AVERAGE SPECIFIC VOLUME OF GASEOUS ELEMENTS
       Y(4)
С
              - AVERAGE FUEL MASS FRACTION
       Y(5)
С
              - AVERAGE FUEL MASS FRACTION OF GASEOUS ELEMENTS
       Y(6)
С
              - AVERAGE FUEL MASS FRACTION OF BURNED ELEMENTS
       Y(7)
С
              - AVERAGE TEMPERATURE OF BURNED ELEMENTS
       Y(8)
С
       NOX
              - NO EMISSIONS (PPM)
С
       THOLS - TOTAL NO. OF MOLES
С
С
С
      SUBROUTINE OUTPUT(N)
      INCLUDE 'SMMCOM. FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION ELEMT (MAXELE, 6), ELMT (MAXELE, 4)
      DIMENSION TAV(NA), FFUEL(NA), TBFX(NA)
      DIMENSION TAVX(NA), DFMVX(NFLOW), DFMBFX(NFLOW), FFUELX(NA)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT6/ NUM, TFMF
      REAL NOX, Y(9), YT(9), MGAS, MBURN, MTOT
      PARAMETER(CCAL=.02421725, RBAR=1.9869)
С
C OUTPUT NR 1 - PRINTOUT INPUT DATA
      IF(N.EQ.1) GO TO 100
С
C OUTPUT NR 2 - INTERMEDIATE RESULTS
      IF(N.EQ.2) GO TO 200
С
C OUTPUT NR 5 - VOLUME OUT OF TOLERANCE
      IF(N.EQ.5) GO TO 500
С
C OUTPUT NR 6 - BTEMP DID NOT CONVERGE
      IF(N.EQ.6) GO TO 600
С
C OUTPUT NR 9 - UTEMP DID NOT CONVERGE
      IF(N.EQ.9) GO TO 650
С
C OUTPUT NR 8 - FINAL
      IF(N.EQ.8) GO TO 200
С
C.
С
C OUTPUT NR 1: PRINTOUT INPUT DATA
С
С
    SET UP TITLE PAGE
С
 100 WRITE(14,908)
      WRITE(14,900)
      DO 110 I=1,10
        WRITE(14,901)
 110 CONTINUE
```

WRITE(14,902) DO 111 I=1,5

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```
WRITE(14,901)
111 CONTINUE
     WRITE(14,903)
     DO 112 I=1,4
       WRITE(14,901)
112 CONTINUE
     WRITE(14,9031)ID
     DO 1121 I=1,13
       WRITE(14,901)
1121 CONTINUE
     WRITE(14,904)
     WRITE(14,905)
     WRITE(14,906)
     DO 113 I=1,12
       WRITE(14,901)
 113 CONTINUE
     WRITE(14,907)
С
С
   SET UP INPUT DATA PAGE
С
      IPAGE=1
      WRITE(14,908)
      WRITE(14,909)IPAGE
      WRITE(14,910)ID
C
C PRINT OUT INPUT DATA AND SELECTED CALCULATIONS
С
      WRITE(14,912)
      WRITE(14,913)
    WRITE(14,914)NAME
      WRITE(14,915)RPM
      WRITE(14,916)CA1INJ
      WRITE(14,917)CRKMAX
      WRITE(14,918)
      WRITE(14,919)FUEL
      WRITE(14,920)CATOM, DEL
      WRITE(14,921)PSI
      WRITE(14,922)
      WRITE(14,923)ELMM
      WRITE(14,924)VERMAX, ERMAX
      WRITE(14,925)MAXITS, ITMAXV
      WRITE(14,926)IX
      WRITE(14,927)NA
      WRITE(14,928)DTPR
      WRITE(14,9281)DTKIN
С
      IPAGE=IPAGE+1
С
      WRITE(14,908)
      WRITE(14,909) IPAGE
      WRITE(14,910)ID
С
      WRITE(14,929)
      WRITE(14,930)PHIHI,PHILOW
      WRITE(14,931)SOTSIZ
      WRITE(14,932)SOOTON(2)
      WRITE(14,933)SOOTC
      WRITE(14,9333)CBETA
```

NLINES=9 GO TO 899 C++ ...... C OUTPUT NR 2: INTERMEDIATE RESULTS OUTPUT CALCULATIONS 200 TSOOT=0. TNOX=0. TWT=0. TMGAS=0. TMTOT=0. TMBURN-0. TTMOLS=0. TTMEVAP=0. TOTBF=0. TBFMDM=0. TMASSL=0. FFUEL1=0. FFUEL2=0. DO 205 J=1,9 YT(J)=0. 205 CONTINUE С C CALCULATE OUTPUT FOR EACH ZONE EXCEPT NA С DO 250 NZ=1,NZONES MBURN-0 MGAS=NELS(NZ)+ELMM+ZMVAP(NZ) DO 210 J=1,9 Y(J)=0. 210 CONTINUE SOOT=0. THOLS=0. NOX=0. IF(MGAS.LE.Ø..OR.NELS(NZ).LT.1)GO TO 250 IF(NLINES.GE.9.AND.NPRINT.NE.2.AND.NPRINT.NE.3) THEN IPAGE=IPAGE+1 WRITE(14,908) WRITE(14,937)ID, IPAGE WRITE(14,938) NLINES=0 END IF DO 212 LI=1,NELS(NZ) I=NUM(NZ,LI) SV=RBAR+ELEMT(I,2)/(P+CCAL+ELEMT(I,6)) UFMF=1.0-ELEMT(I,3) Y(2)=Y(2)+ELEMT(I,2)+ELMMY(4)=Y(4)+SV+ELMMY(6)=Y(6)+(1.-ELEMT(I,3)\*(1.-ELEMT(I,1)))\*ELMM Y(9)=Y(9)+UFMF+ELMM IF(ELEMT(I,3).LT.1.) GO TO 212 MBURN-MBURN+ELMM

> Y(7)=Y(7)+ELEMT(I,1)+ELMMY(8)=Y(8)+ELEMT(I,2)+ELMM

212

CONTINUE

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C

С

С С

С

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```
Y(1)=Y(2)+ZMASSL(NZ)+TFI
       Y(3)=Y(4)+ZMASSL(NZ)/RHOL
       Y(6)=Y(6)+ZMVAP(NZ)
       Y(5)=Y(6)+ZMASSL(NZ)
       Y(9)=Y(9)+ZMVAP(NZ)
       DO 215 J=1.9
         YT(J)=YT(J)+Y(J)
215
       CONTINUE
       MTOT=MGAS+ZMASSL(NZ)
       Y(1)=Y(1)/MTOT
       Y(3)=Y(3)/MTOT
       Y(5)=Y(5)/MTOT
       Y(2)=Y(2)/MGAS
       IF(NZ.EQ.1)T1=Y(2)
       IF(NZ.EQ.2)T2=Y(2)
       Y(4)=Y(4)/MGAS
       Y(6)=Y(6)/MGAS
       Y(9)=Y(9)/MGAS
       IF(MBURN.EQ.0.) GO TO 216
       Y(7)=Y(7)/MBURN
       Y(8)=Y(8)/MBURN
216
       DO 220 LI=1,NELS(NZ)
         I=NUM(NZ,LI)
         TMOLS=TMOLS+ELMM/ELEMT(I,6)
         NOX=NOX+ELMT(I,1) * ELMM
         SOOT=SOOT+ELMT(I,3)
 220
       CONTINUE
       WTMOL=NELS(NZ)+ELMM/TMOLS
       TWT=TWT+NELS(NZ)+ELMM
       TTMOLS=TTMOLS+TMOLS
       TSOOT=TSOOT+SOOT
       TNOX=TNOX+NOX
       NOX=NOX+1.0E+06/MGAS
       SOOT=(SOOT/(MTOT*Y(5)*CTOF))*100.
       FFUEL(NZ)=Y(6)
       TAV(NZ)=Y(2)
       PHIAV=PHICON*Y(5)/(1. - Y(5))
       PHIGAS=PHICON•Y(6)/(1. - Y(6))
       PHIBRN=PHICON(7)/(1. - Y(7))
       IF(NPRINT.NE.2.AND.NPRINT.NE.3)THEN
       WRITE(14,939)NZ,CRANK,Y(1),Y(2),Y(3),Y(4),PHIAV,PHIGAS,P
       WRITE(14,940)NCYC,Y(8),Y(9),NOX,ELMM,PHIBRN,PMDM
       WRITE(14,9401)DTMIX(NZ),NELS(NZ),ZMASSL(NZ),SOOT,WTMOL,
         TMEVAP(NZ),TTBF(NZ),TBF(NZ)
     1
       END IF
       TMASSL=TMASSL+ZMASSL(NZ)
       TMTOT=TMTOT+MTOT
```

TMGAS=TMGAS+MGAS NLINES=NLINES+1 250 CONTINUE DO 251 NZ=1,NZONES TTMEVAP=TTMEVAP+TMEVAP(NZ) TOTBF=TOTBF+TBF(NZ) TBFMDM-TBFMDM+TTBF(NZ)

```
251 CONTINUE
```

С C

С

C C CALCULATE OUTPUT FOR ALL ZONES INCLUDING 1 Ĉ ZMA=ZMA-DFM(NFLOW) ZMVA=ZMVA-DFMV(NFLOW) ZMBFA=ZMBFA-DFMBF(NFLOW) TMASSL=TMASSL+ZMASSL(NA) UBFMFA=ZMVA TTMEVAP=TTMEVAP+TMEVAP(NA) IF((ZMA.LE.0..OR.NELS(NA).EQ.0).AND.TMTOT.GT.0.)THEN YT(1)=YT(1)/TMTOTYT(2)=YT(2)/TMGAS YT(3)=YT(3)/TMTOTYT(4)=YT(4)/TMGASYT(5)=(TTMEVAP+TMASSL)/TMTOT YT(6)=TTMEVAP/TMGAS YT(9)=(YT(9)+UBFMFA)/TMGAS TWTMOL=TWT/TTMOLS TSOOT=(TSOOT/(TMTOT\*YT(5)\*CTOF))\*100. TNOX=TNOX+1.0E+6/TMGAS ELSE TMTOT=TMTOT+ZMA+ZMASSL(NA) TMGAS=TMGAS+ZMA TMOLSA=0. NOX=0. SOOT=0. DO 255 LI=1,NELS(NA) I=NUM(NA,LI) NOX=NOX+ELMT(I,1) • ELMM SOOT=SOOT+ELMT(1,3) 255 CONTINUE BGFRA=1.-ZMVA/ZMA FRA=ZMBFA/(ZMA-ZMVA) IF(BGFRA.LT.1.) THEN CALL UTHRMO(P,ZTEMP(NA), FRA, BGFRA, HAIR, CPAIR, WTAIR) ELSE CALL BTHRMO(P,ZTEMP(NA),FRA,HAIR,CPAIR,WTAIR) END IF TMOLSA=ZMA/WTAIR SVAIR=RBAR+ZTEMP(NA)/(P+CCAL+WTAIR) 270 YT(1)=(YT(1)+ZTEMP(NA)+ZMA+TFI+ZMASSL(NA))/TMTOT YT(2)=(YT(2)+ZTEMP(NA)\*ZMA)/TMGAS YT(3)=(YT(3)+SVAIR•ZMA+ZMASSL(NA)/RHOL)/TMTOT YT(4)=(YT(4)+SVAIR+ZMA)/TMGAS YT(5)=(TTMEVAP+TMASSL)/TMTOT YT(6)=(TTMEVAP)/TMGAS YT(9)=(YT(9)+UBFMFA)/TMGAS TTMOLS=TTMOLS+TMOLSA TWTMOL=(TWT+ZMA)/TTMOLS TSOOT=((TSOOT+SOOT)/(TMTOT+YT(5)+CTOF))+100. TNOX=(TNOX+NOX)+1.0E+06/TMGAS TOTBF=TOTBF+TBF(NA) TBFMDM=TBFMDM+TTBF(NA) END IF PHIAV=PHICON+YT(5)/(1.-YT(5))  $PHIGAS=PHICON \cdot YT(6)/(1.-YT(6))$ IF(NPRINT.NE.2.AND.NPRINT.NE.3)THEN WRITE(14,941)CRANK, YT(1), YT(2), YT(3), YT(4), PHIAV, PHIGAS, P -227-

```
WRITE(14,942)NCYC,YT(9),TNOX,TMTOT,PHIBRN,PMDM
     WRITE(14,9421)TMASSL, TSOOT, TWTMOL, TTMEVAP, TBFMDM, TOTBF
     END IF
     IF(NPRINT.NE.5)THEN
       IF(NAV.GT.0.AND.NOLD.GT.0)THEN
         READ(20, *)CRANK, (TAVX(L), L=1, NZONES)
         READ(21, +)CRANK, (DFMVX(L), DFMBFX(L), L=1, NFLOW)
         READ(22, *)CRANK, (FFUELX(L), L=1, NZONES)
         READ(23, +)CRANK, (TBFX(L), L=1, NZONES)
       END IF
       WRITE(15,9422)CRANK,((NAV+TAVX(L)+TAV(L))/NAVP1,L=1,NZONES)
       WRITE(16,9425)CRANK,((NAV+DFMVX(L)+DFMV(L))/NAVP1.(NAV+
       DFMBFX(L)+DFMBF(L))/NAVP1,L=1,NFLOW)
    1
       WRITE(17,9424)CRANK,((NAV+FFUELX(L)+FFUEL(L))/NAVP1,L=1,NZONES)
       WRITE(18,9424)CRANK,((NAV*TBFX(L)+TBF(L))/NAVP1,L=1,NZONES)
     END IF
     WRITE(9,9423)CRANK, P, YT(2), TNOX, TSOOT, TOTBF
     PTEN:P=P
     IF (NAV.GT.0. AND. NOLD.GT.0) THEN
       READ(24, +)CRANK, PX, YTX, TNOXX, TSOOTX, TOTBFX
       PTEMP=(NAV+PX+P)/NAVP1
       YT(2)=(NAV+YTX+YT(2))/NAVP1
       TNOX=(NAV+TNOXX+TNOX)/NAVP1
       TSOOT=(NAV+TSOOTX+TSOOT)/NAVP1
       TOTBF=(NAV+TOTBFX+TOTBF)/NAVP1
     END IF
     WRITE(19,9423)CRANK, PTEMP, YT(2), TNOX, TSOOT, TOTBF
     IF(N.EQ.8) GO TO 800
     NLINES=NLINES+1
     GO TO 899
С
С
 ******
Ć
C OUTPUT NR 5: VOLUME OUT OF TOLERANCE
 500 WRITE(13,945) NCYC, TIME, CRANK, VOLERR
     GO TO 899
С
C
C OUTPUT NR 6: BTEMP DID NOT CONVERGE
 600 WRITE(13,946) NCYC, CRANK
     GO TO 899
C
C .........
Ċ
C OUTPUT NR 9: UTEMP DID NOT CONVERGE
 650 WRITE(13,9461) NCYC, CRANK
      GO TO 899
Ċ
C .........
C
C OUTPUT NR 8: FINAL
 800 WRITE(14,948) NCYC, TIME, CRANK
С
C ******
C
 899 RETURN
C
```

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```
C FORMAT STATEMENTS *******
C
  900 FORMAT(//,7X,110('*'))
  901 FORMAT(7X, '+', 108X, '+')
  902 FORMAT(7X, '*', 42X, 'MIT SLOAN AUTOMOTIVE LAB', 42X, '*')
  903 FORMAT(7X, '+', 29X, 'STOCHASTIC MIXING MODEL ENGINE COMBUS',
     L'TION SIMULATION',27X,'+')
 9031 FORMAT(7X, '+', 47X, A15, 46X, '+')
  904 FORMAT(7X, '*', 6X, 'VERSION 1.0', 91X, '*')
  905 FORMAT(7X, '*', 6X, 'AUGUST 1985 ',90X, '*')
  906 FORMAT(7X, '+', 6X, 'A.J. BROWN
                                       '.87X.'•')
  907 FORMAT(7X,110('+'))
  908 FORMAT('1')
  909 FORMAT(//,31X,'- STOCHASTIC MIXING MODEL ENGINE COMBU',
     & STION SIMULATION -- ',21X, 'PAGE ',11)
  910 FORMAT(///,5X,' SIMULATION ID: ',A15)
  912 FORMAT(///,49X,21('-'),/,49X,'I N P U T
                                                   DATA',
     k/,49X,21('-'))
  913 FORMAT(//,10X,100('-'),/.5X,'I. OPERATING CONDITIONS')
  914 FORMAT(/,14X, 'MULTIDIMENSIONAL MODEL ->',8X,A30)
  915 FORMAT(/,14X,'ENGINE SPEED (RPM) ->',8X,F6.1)
  916 FORMAT(/,14X,'INJECTION CRANK ANGLE (ATDC) ->',8X,F6.1)
  917 FORMAT(/,14X,'END CRANK ANGLE (ATDC) ->'8X,F6.1)
  918 FORMAT(//,10X,100('-'),/,5X,'II. FUEL AND AIR')
  919 FORMAT(/,14X,'FUEL TYPE ->',15X,A12)
  920 FORMAT(/,14x,'SPECIFICATIONS ->',10x,'CARBON ATOMS: ',
     & 1P E9.2,6X,'C/H RATIO: ',1P E10.3)
  921 FORMAT(/,14X,'NITROGEN/OXYGEN RATIO -->',2X,1P E10.3)
  922 FORMAT(//,10X,100('-'),/,5X,'III. SIMULATION CONTROL')
  923 FORMAT(/,14X,'ELEMENT MASS (g) -->',8X,1P E10.3)
  924 FORMAT(/,14X,'ERROR TOLERANCES (rel) --->',8X,'VOLUME:',
     ▲ 1P E10.3,6X, 'ENTHALPY (for temp colc): ',1P E10.3)
  925 FORMAT(/,14X,'MAXIMUM NUMBER OF ITERATIONS --->',2X,
      ★ 'TEMPERATURE SUBROUTINES:',1X,I3,2X,'VOLUME SUBROUTINE:',1X,I3)
  926 FORMAT(/,14X, 'RANDOM NUMBER SEED
                                           —>',6X,19)
  927 FORMAT(/,14X, 'NUMBER OF ZONES
                                            ->',6X,12)
  928 FORMAT(/,14X,'PRINTOUT TIMESTEP (s) ->',6X,1P E10.3)
  9281 FORMAT(/,14X,'KINETIC UPDATE TIMESTEP (s) -->',6X,1P E10.3)
  929 FORMAT(//,10X,100('-'),/,5X,'IV. ASSUMED INPUT VALUES')
  930 FORMAT(/,14X,'LIMITS OF COMBUSTION (phi) ->',4X,'UPPER: ',F6.4,
      & 6X, 'LOWER: ', F6.5)
  931 FORMAT(/,14X,'INITIAL SOOT SIZE UPON FORMATION (cm) ->',2X,
      &1P E10.3)
   932 FORMAT(/,14X,'SOOT MODEL IS ON
                                               --->'.2X,L1)
  933 FORMAT(/,14X,'SOOT FORMATION RATE FACTOR ->',2X,G10.3)
  9333 FORMAT(/,14X,'CBETA ->',2X,F5.2)
   937 FORMAT(29X, --- STOCHASTIC MIXING MODEL ENGINE COMBUSTION '
      1 'SIMULATION ---',9X,A12,2X, 'PAGE ',12,///)
   938 FORMAT(7X, 'ZONE', 3X, 'CRANK(ATDC)', 4X, 'TAVE(K)', 5X, 'TGAVE(K)',
      1 6X, 'SVAVE(CC/G)', 3X, 'SVGAVE(CC/G)', 4X, 'PHIAV', 6X, 'PHIGAS',
      2 9X, 'P(ATM)', /, 14X, 'NCYC', 11X, 'TBURN(K)', 4X, 'UBFMF', 9X,
      3
         'NOX(PPM)',7X,'ELMM(G)',4X,'PHIBURN',8X,'PMDM',
         /,14X.'DTMIX(S)',7X,'NELS',8X,'ZMASSL(G)',5X,'SOOT(%C)',6X,
      4
      5
         'WTMOL', 11X, 'MEVAP(G)', 4X, 'TBFMDM(G)', 5X, 'TBF(G)')
   939 FORMAT(//.8X,12.4X,F7.2,8X,F7.2,5X,3(F7.2,7X),F6.2,6X,F5.2,
      1 10X, F6.2)
   940 FORMAT(13X, 14, 12X, F7.2, 5X, G12.5, 2X, G12.5, 2X, G12.5, 2X,
      1 F4.2,10X,F6.2)
```

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9401 FORMAT(13X,G12.5,4X,I4,8X,G12.5,2X,G12.5,2X,G12.5,2X,G12.5,
    1 2X.G9.2.2X.G9.2)
 941 FORMAT(//.8X.'ALL',3X,F7.2,8X,F7.2,5X,3(F7.2,7X),1X,F5.2,7X,
     1 F4.2.10X.F6.2)
 942 FORMAT(13X, 14, 24X, G12.5, 2X, G12.5, 2X, G12.5, 2X, F4.2, 10X, F6.2)
9421 FORMAT(41X,G12.5,2X,G12.5,2X,G12.5,2X,G12.5,2X,G9.2,2X,G9.2)
9422 FORMAT(1X, F6.2, 10F7.1)
9423 FORMAT(1X, F6.2, F6.2, F7.1, 1X, G9.3, 1X, G9.3, 1X, G9.3)
9424 FORMAT(1X,F6.2,10G9.2)
9425 FORMAT(1X, F6.2, 9G10.2, /, 7X, 9G10.2)
 943 FORMAT(4X, 'ERROR 3: NCYC=', I4, 3X, 'TIME=', F6.4, 3X, 'CRANK=', F6.2,
     1 3X, 'NZ=', I2, 3X, 'ZMASSL=', G10.3)
  944 FORMAT(4X, 'ERROR 4: NCYC=', I4, 3X, 'TIME=', F6.4, 3X, 'CRANK=', F6.2,
     1 3X, 'NZ=', I2, 3X, 'ZMASSL=', G10.3, 3X, 'ZMEVAP=', G10.3)
  945 FORMAT(4X, 'ERROR 5: NCYC=', I4, 3X, 'TIME=', F6.4, 3X, 'CRANK=', F6.2,
     1 3X, 'VOLERR=', G10.3)
  946 FORMAT(4X, 'ERROR 6: (BTEMP) NCYC=', I4, 3X, 'CRANK=', F6.2)
9461 FORMAT(4X, 'ERROR 9: (UTEMP) NCYC=', I4, 3X, 'CRANK=', F6.2)
  948 FORMAT(//,7X, 'THE END: NCYC=', 14, 3X, 'TIME=', F6.4, 3X, 'CRANK='.
     1 F6.2)
      END
C
С
С
  SUBROUTINE PREPUP(DTUP,N)
С
C PURPOSE
С
     UPDATES ELEMENT IGNITION PREPARATION
С
C PARAMETERS
C
    DELAY
                  IGNITION DELAY TIME
С
     PREP
                INTEGRATED IGNITION PREPARATION
С
     DTUP
                  TIME INTERVAL FOR UPDATE
С
С
      SUBROUTINE PREPUP(DTUP.N)
      INCLUDE 'SMMCOM, FOR'
      DIMENSION ELEMT(MAXELE, 6), PREP(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT5/ PREP
      PARAMETER(A=3.45E-3,E=2100.,C=1.02)
С
      DELAY=A+EXP(E/ELEMT(N,2))/(P++C)
      PREP(N)=PREP(N)+DTUP/DELAY
С
      RETURN
      END
C SUBROUTINE PROP(TIMUP,NZ,N)
С
C PURPOSE
С
С
         TO UPDATE ELEMENT PROPERTIES EVERY DIKIN OR BEFORE MIXING.
С
         TO CALCULATE THE FORMATION OF NO AND THE FORMATION/
С
         OXIDATION OF SOOT. (AS SPECIFIED)
С
C METHOD
```

NO FORMATION IS CALCULATED VIA THE ZELDOVICH MECHANISM

С

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```
С
С
         AND SOOT OXIDATION IS CALCULATED BY THE NAGLE AND
С
         STRICKLAND-CONSTABLE RELATION.
С
      SUBROUTINE PROP(TIMUP,NZ,N)
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION ELEMT(MAXELE, 6), ELMT(MAXELE, 4), PREP(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMTS/ PREP
      PARAMETER(RHO=1.8, CONSNO=4.56E15, CCAL=.02421725, RBAR=1.9869)
С
С
C UPDATE PROPERTIES
С
      DTPROP=TIMUP-ELMT(N,4)
      IF(DTPROP.LE.0.)GO TO 400
      ELMT(N,4)=TIMUP
      IF(ELEMT(N,3).LT.1.) THEN
        CALL PREPUP(DTPROP.N)
        CALL CMBUST(NZ,N,0)
        WTBG=ELEMT(N,6)+WTFUEL+ELEMT(N,3)/(WTFUEL-
     1
          ELEMT(N,6)*(1.-ELEMT(N,3)))
        CALL SPECO2(P, ELEMT(N, 2), ELEMT(N, 1), 02)
        02=02+ELEMT(N,3)+ELEMT(N,6)/WTBG
        IF(SOOTON(NZ)) CALL SOOT(DTPROP,02,N)
      ELSE
        CALL SPECO2(P, ELEMT(N, 2), ELEMT(N, 1), 02)
        PREP(N)=0.
      END IF
      IF(ELEMT(N,2).LE.1700.) GO TO 300
C
C NO FORMATION CALCULATIONS
С
      SV=RBAR+ELEMT(N,2)/(P+CCAL+ELEMT(N,6))
      CALL SPECNO (P, ELEMT(N, 2), ELEMT(N, 1), U1, U2, U3)
      ALFA=ELMT(N,1)+ELEMT(N,6)/(U1+30.)
      BETA=82.05+ELEMT(N,2)+82.05+ELEMT(N,2)/(P+P)
      DNODT=CONSNO+EXP(-38000./ELEMT(N,2))+(1.-ALFA+ALFA)+
     & U2+SV/((1.+ALFA+U3)+BETA)
      ELMT(N,1)=ELMT(N,1)+DNODT+DTPROP+ELEMT(N,3)
       IF(ELMT(N,1),LT.0)ELMT(N,1)=0.
С
C SOOT OXIDATION CALCULATIONS
C
 300 IF(ELMT(N,3) .LE. 0.) GO TO 340
       IF(ELMT(N,2) .LE. 0.) GO TO 340
       IF(ELEMT(N,2).LT.TSOOT)GO TO 400
       SKA=20. • EXP(-15100./ELEMT(N,2))
       SKB=4.46E-3.EXP(-7650./ELEMT(N,2))
       SKT=1.51E5+EXP(-48800./ELEMT(N.2))
       SKZ=21.3+EXP(2060./ELEMT(N.2))
      U4PPC=02+P
       SXX=1./(1.+SKT/(SKB+U4PPC))
      WXX=12.*(SKA+U4PPC/(1.+SKZ+U4PPC))+SXX+SKB+U4PPC+(1.-SXX)
       DSOXDT=ELMT(N,2)+WXX
```



```
С
C SOOT MASS CHANGE
С
      OLD=ELMT(N,3)
      ELMT(N,3)=ELMT(N,3)-DTPROP+DSOXDT
      IF(ELMT(N,3) .GT. 0.)GO TO 350
 340 ELMT(N,3)=0.
      ELMT(N,2)=0.
      GO TO 400
Ċ
C SOOT SURFACE AREA CHANGE
С
 350 ELMT(N,2)=ELMT(N,2)*((ELMT(N,3)/OLC)**.666666)
С
С
 400 RETURN
      END
C.
                ****************
C
С
C SUBROUTINE QWALL(NZ)
С
C PURPOSE
С
         DISTRIBUTES ZOWALL TO EACH ELEMENT IN THE ZONE
С
           ACCORDING TO (T-TWALL) AND SURFACE AREA
С
C VARIABLES
С
      SUBROUTINE QWALL(NZ)
    ' INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM. FOR'
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      REAL XSVDT(MAXELE), ELEMT(MAXELE, 6)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMIT6/ NUM, TEME
      PARAMETER(RBAR=1.9869, CCAL=.02421725)
      IF(ZQWALL(NZ).EQ.0.) GO TO 300
      DEN-0.
      TTHIRD=2./3.
      DO 100, LN=1, NELS(NZ)
        N=NUM(NZ,LN)
        SV=RBAR+ELEMT(N,2)/(P+CCAL+ELEMT(N,6))
        XSVDT(N)=(SV++TTHIRD)+(ELEMT(N,2)-TWALL)
        DEN-DEN+XSVDT(N)
 100 CONTINUE
      DO 200, LN=1,NELS(NZ)
        N=NUM(NZ,LN)
        ELEMT(N, 4)=ELEMT(N, 4)+ZQWALL(NZ) •XSVDT(N)/(DEN • ELMM)
 200 CONTINUE
 300 RETURN
      END
C+
С
      SUBROUTINE RANDOM
С
С
С
      PURPOSE
С
         COMPUTES UNIFORMLY DISTRIBUTED RANDOM NUMBERS BETWEEN
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N.

С 0 AND 1.0 AND RANDOM INTEGERS BETWEEN ZERO AND 2\*\*31. С EACH ENTRY USES AS INPUT AN INTEGER RANDOM NUMBER AND С PRODUCES A NEW INTEGER AND REAL RANDOM NUMBER С С С DESCRIPTION OF PARAMETERS С PARAMETER INPUT OUTPUT DESCRIPTION С FOR THE FIRST ENTRY THIS MUST С YES 1X NO С CONTAIN ANY ODD INTEGER NUMBER WITH -----С NINE OR LESS DIGITS. AFTER THE FIRST С ENTRY IX SHOULD BE THE PREVIOUS ----С VALUE OF IY COMPUTED BY THIS ----\_\_\_\_ С SUBROUTINE. \_\_\_\_ NO YES NO YES С IY A RANDOM NUMBER BETWEEN 0 AND 2\*\*31 С YFL YES A RANDOM NUMBER BETWEEN 0 AND 1.0 С С С REMARKS С NONE С SUBROUTINE AND FUNCTION SUBPROGRAMS REQUIRED С С NONE ¢ С METHOD С SEE IBM MANUAL C20-8011, RANDOM NUMBER С GENERATION AND TESTING С SUBROUTINE RANDOM(IX, IY, YFL) INTEGER+4 IX.IY IY=IX+65539 IF(IY)1,2,2 1 IY=IY+2147483647+1 2 YFL=IY YFL=YFL+0.465661E-9 RETURN END .................... C. С C PROGRAM SMM С C PURPOSE С С FUNCTION AS THE PRIMARY CONTROL PROGRAM FOR A С STOCHASTIC MIXING MODEL TO CALCULATE EMISSIONS IN A С DIESEL ENGINE. INITIALIZES VARIABLES С CALLS INPUT AND OUTPUT, DOES PRELIMINARY CALCULATIONS С AND CONTROLS PROGRAM EXECUTION AND EVENT TIMING. С C LOGICAL UNITS: С INPUT OUTPUT С CONTENT С С 9 FRIMARY SINGLE RUN OUTPUT FILE С 10 NAMELIST С 11 MDM DATA С 12 THERMO DATA

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HFG - FUEL LATENT HEAT (col/g) FUEL VAPOR ENTHALPY AT TSAT (cgi/g) HFUEL -ID - CHARACTER VARIABLE, SPECIFIED SIMULATION ID ITMAXY - MAX ITERATIONS FOR VOLUME CONSERVATION ROUTINE IX, IY -RANDOM NUMBER SEEDS LLIMT -LOWER LIMIT OF COMBUSTION (FMF) MAXITS - MAXIMUM NUMBER OF ITERATIONS FOR TEMP ROUTINES NAME - NAME OF MDM RUN USED NA - TOTAL NUMBER OF ZONES OR NUMBER OF AIR ZONE NAV -NUMBER OF SMM RUNS USED FOR AVERAGING NCYC -NUMBER OF MDM UPDATES NELAIR -NUMBER OF ELEMENTS IN AIR ZONE (ACTIVE+INACTIVE) NELTOT -TOTAL NUMBER OF ACTIVE ELEMENTS (ALL ZONES) NF -ZONE FLOW NUMBER NUMBER OF LINES IN OUTPUT PAGE NLINES -NPRINT -SPECIFIES OUTPUT FORMAT NPRINT=1 - WRITES ALL OUTPUT FILES NPRINT=2 - WRITES LOGICAL UNITS 15-19 NPRINT=3 - WRITES 15-19,25 NPRINT=4 - WRITES 13-19,25 NPRINT=5 - WRITES 13,14,19 NZ - ZONE NUMBER NZONES - NUMBER OF SMM ZONES NOT INCLUDING AIR ZONE

C VARIABLES

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2		13	ERRORS
>		14	FANCY SINGLE RUN OUTPUT
2	20	15	MEAN ZONE TEMPERATURES (MULTIPLE RUN AVERAGE)
0	21	16	FLOW ERRORS (MULTIPLE RUN AVERAGE)
2	22	17	ZONE FUEL FRACTIONS (MULTIPLE RUN AVERAGE)
0	23	18	ZONE BURNED FUEL (MULTIPLE RUN AVERAGE)
0	24	19	PRIMARY OUTPUT (MULTIPLE RUN AVERAGE)
0	26	25	DISTRIBUTIONS (MULTIPLE RUN AVERAGE)
•			•

CATINJ - CRANK ANGLE START OF INJECTION (ATDC)

CTOF - FUEL CARBON MASS PER UNIT FUEL MASS

DTPR - TIMESTEP FOR PRINTING OUTPUT(s)

CATOM - NUMBER OF CARBON ATOMS IN FUEL

SPECIFIC HEAT (col/g-k)

CPF - FUEL SPECIFIC HEAT (cal/g-K)

CRANK - CRANK ANGLE (DEGREES ATDC)

DT - BASIC TIMESTEP (3)

UPDATE(atm)

FERMAX - FLOW ERROR TOLERANCE (g)

DEL - FUEL C:H RATIO

ELMM - ELEMENT MASS (g)

CRKMAX - CRANK ANGLE END OF RUN (ATDC)

CBETA -

DELTAP -

CP -

CAD - CRANK ANGLE BETWEEN DISTRIBUTION OUTPUTS

SCALING CONSTANT FOR MIXING INTENSITY

CRANKD - CRANK OF PREVIOUS DISTRIBUTION OUTPUT (ATDC)

SMM PRESSURE DIFFERENCE SINCE LAST MDM

CAD - CRANK ANGLE INCREMENT FOR DISTRIBUTION OUTPUT

ERMAX - ERROR CRITERION FOR TEMP ROUTINES (fraction)

FML0 - LIQUID FUEL INJECTED DURING MDM TIMESTEP (g)

HEVAP - FUEL SENSIBLE+LATENT HEAT OF EVAPORATION(cgl/g)

FUEL - CHARACTER VARIABLE CONTAINING NAME OF FUEL

DTKIN - MINIMUM TIME BETWEEN CHEMISTRY UPDATES (S)

P - SMM PRESSURE (atm)-CALCULATED С С PMDM -- MDM INPUT PRESSURE (ATM) PHI - FUEL-AIR EQUIVALENCE RATIO С PHICON - STOICHIOMETRIC AIR - FUEL RATIO С С PHIHI - PHI UPPER COMBUSTION LIMIT PHILOW - PHI LOWER COMBUSTION LIMIT С PSI - N2/02 RATIO FOR INLET AIR С PSTART - PRESSURE AT CRANK=CA1INJ (atm) С RHOL - FUEL DENSITY (g/cc) С С RPM - ENGINE SPEED SOTSIZ - INITIAL SOOT PARTICLE RADIUS FOR FORMATION (cm) C SOOTC - SOOT FORMATION RATE CORRECTION FACTOR C SVFUEL - FUEL VAPOR SPECIFIC VOLUME AT TSAT (cc/g) С TFI - FUEL TEMPERATURE AT INJECTION (K) С TIME - CUMULATIVE SMM CLOCK TIME (s) С С TIMEPR - TIME OF PREVIOUS BASIC PRINTOUT (s) С TIMMOM - TIME END OF NEXT MDM CYCLE (s) TMPROP - TIME ROUTINE PROP LAST CALLED (s) С С TSOOT - MIN TEMP FOR SOOT OXIDATION (K) TSAT - FUEL SATURATION TEMPERATURE AT P=50ATM (K) С TWALL - CYLINDER WALL TEMPERATURE (K) ¢ 0 ULIMT - UPPER LIMIT OF COMBUSTION (FMF) VERMAX - MAX VOLUME ERROR IN VOL ROUTINE (FRAC) С e WTFUEL - FUEL MOLECULAR WEIGHT (g/gmol) С ZH - NO. OF HYDROGEN ATOMS IN THE FUEL С ZMA - AIR ZONE TOTAL MASS (g) С ZMVA - AIR ZONE FUEL VAPOR MASS (g) С ZMBFA - AIR ZONE BURNED FUEL MASS (g) С C ARRAYS С С DFM(NF) - RESIDUAL FLOW MASS (g) ADDED TO FM NEXT DT С DFMBF(NF) - RESIDUAL FLOW BURNED FUEL MASS (g) DFMV(NF) - RESIDUAL FLOW FUEL VAPOR MASS (g) C С DTMIX(NZ) - TIME STEP BETWEEN MIXING FOR ZONE NZ (S) FM(NF) - TOTAL MASS FLOW (g) С FMBF(NF) - BURNED FUEL MASS FLOW (g) С FMV(NF) - FUEL VAPOR MASS FLOW (g) С NELMIX(NZ) - NUMBER OF ELEMENTS MIXED IN ZONE NZ LAST С С TIMESTEP NELS(NZ) - NUMBER OF ACTIVE ELEMENTS IN ZONE NZ C Ĉ NOTE: ELEMENTS IN THE AIR ZONE DO NOT BECOME ACTIVE UNTIL THEY ARE С REQUIRED FOR SOME SMM PROCESS, IE. MIXING, EVAPORATION, С С FLOW. THIS REDUCES RUN TIME BY NOT MIXING ELEMENTS THAT AREN'T DOING ANYTHING. NELS(NA) = ACTIVE AIR ZONE ELEMENTS. С C NELAIR = TOTAL AIR ZONE ELEMENTS. С NN(NF) - NUMBER OF MASS FLOW ELEMENTS IN NEGATIVE С С DIRECTION NP(NF) - NUMBER OF MASS FLOW ELEMENTS IN POSITIVE ¢ С DIRECTION NUM(NZ,N) - PROPERTY ARRAY NUMBER FOR ELEMENT N IN ZONE NZ С SOOTON(NZ) - IF 'TRUE' SOOT MODEL ON IN ZONE NZ С TBF(NZ) - TOTAL BURNED FUEL FOR ZONE NZ IN SMM С TBFMDM - TOTAL BURNED FUEL ALL MDM ZONES (g) С TOTBE - TOTAL BURNED FUEL ALL SMM ZONES (g) С TTBF(NZ) - TOTAL BURNED FUEL FOR ZONE NZ IN MDM (g) С

```
TTMEVAP - TOTAL FUEL MASS EVAPORATED ALL ZONES (g)
С
             TFMF(I) - TOTAL FUEL MASS FRACTION FOR STORAGE ARRAY I
С
С
           ZBETA(NZ) - ZONE MIXING INTENSITY (1/s)
            ZFMF(NZ) - ZONE MEAN TOTAL FUEL MASS FRACTION
С
          ZMEVAP(NZ) - TOTAL FUEL MASS EVAPORATED IN ZONE NZ (g)
С
             ZMV(NZ) - ZONE FUEL VAPOR MASS (g)
С
          ZMFBRN(NZ) - MDM TOTAL BURNED FUEL ZONE NZ DURING TIMESTEP(g)
С
           ZMVAP(NZ) - RESIDUAL EVAPORATED FUEL IN ZONE NZ (g)
С
С
             ZNO(NZ) - MDM TOTAL NO IN ZONE NZ (g)
          ZQWALL(NZ) - ZONE WALL HEAT TRANSFER DURING TIMESTEP (cal)
С
           ZTEMP(NZ) - MOM MEAN ZONE TEMPERATURE ZONE NZ (K)
С
           ZTIME(NZ) - TIME OF LAST MIXING IN ZONE NZ (S)
С
¢
            ZVOL(NZ) - ZONE VOLUME (cc)
C
С
     PROPERTIES OF EACH ELEMENT ARE STORED IN THESE ARRAYS:
С
С
          I=PROPERTY ARRAY ID, I IS RELATED TO AN ELEMENT NUMBER BY
            I=NUM(NZ,N). THIS MAPPING PROVIDES EFFICIENT MIXING
С
            AND FLOW PROPERTY EXCHANGES AND REDUCES PAGE FAULTING.
С
C
                   FUEL FRACTION OF BURNT FRACTION
  ELEMT(I,1) -
С
                   TEMPERATURE (K)
C = ELEMT(I,2) -
C ELEMT(I,3) -
                   BURNT GAS FRACTION (BGFR; INCLUDES AIR)
                   SPECIFIC STANDARD ENTHALPY (CAL/G) 298K DATUM
C ELEMT(I,4) -
C ELEMT(I.5) -
                   SPECIFIC HEAT [CP] (CAL/G-K)
C ELEMT(I,6) -
                   MOLECULAR WEIGHT
                   NITRIC OXIDE MASS FRACTION
С
  ELMT(I,1) -
С
                   EFFECTIVE AREA OF SOOT (CM++2)
  ELMT(I,2)
              -
C
                   MASS OF SOOT (G)
  ELMT(I,3)
               ----
С
  ELMT(1,4)
               -
                   TIME OF LAST KINETIC UPDATE (SEC)
C
C SUBROUTINES AND FUNCTION SUBPROGRAMS REQUIRED
         ERRSET (VAX/VMS ERROR CONTROL ROUTINE), EXIT (VAX/VMS FILE
С
           CLOSING ROUTINE), INPUT, MIXING, OUTPUT, SMZ, TABLE, UTHRMO
Ċ
C
C WRITTEN BY A.J.BROWN
С
      PROGRAM SMM
      INCLUDE 'SMMCOM.FOR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      CHARACTER+12 IDX
      COMMON /ELEMT6/ NUM, TFMF
      PARAMETER(RBAR=1.9869,CCAL=.02421725)
C
 C READ IN PROGRAM BASIC DATA
C
      CALL INPUT(1)
 С
      CALL TABLE
 С
       CALL ERRSET(70, TRUE., FALSE., FALSE., FALSE., 15)
 С
 C PRELIMINARY CALCULATIONS
 C
       DEL=CATOM/ZH
       PHICON=(32.+28.013*PSI)*(DEL+.25)/(12.0*DEL+1.008)
       LLIMT=PHILOW/(PHILOW+PHICON)
```

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```
ULIMT=PHIHI/(PHIHI+PHICON)
CTOF = 12./(12. + 1.008/DEL)
CALL UTHRMO(50.,TSAT,0.,0.,HFUEL,CP,WTFUEL)
SVFUEL=TSAT+RBAR/(50.+CCAL+WTFUEL)
HEVAP=-HFG-CPF+(TSAT-TFI)
```

```
С
C INPUT BASIC MDM DATA
С
      CALL INPUT(2)
С
C PRINT OUT TITLE PAGE, INPUT DATA AND RESULTS OF PRELIMINARY
    CALCULATIONS
С
С
      IF(NPRINT.EQ.4.OR.NPRINT.EQ.5)CALL OUTPUT(1)
С
C PRINTOUT HEADINGS FOR VARIOUS OUTPUT FILES
C READ NUMBER OF RUNS INCLUDED IN OUTPUT AVERAGES
С
      IF(NPRINT.EQ.1)THEN
        DO 50 L=1.NZONES
          WRITE(L, 1001) ID
 50
        CONTINUE
      END IF
      ND=IFIX((CRKMAX-CA1INJ)/CAD)
      WRITE(9,1002)ID
      WRITE(19,1002)ID
      NAV=0
      IF(NOLD.GT.0)READ(24,1002)IDX
      IF(NOLD.GT.0)READ(24,+)NAV
      NAVP1=NAV+1
      WRITE(19, +)NAVP1
      IF(NPRINT.NE.5)THEN
        WRITE(15,1003)ID
        WRITE(16,1004)ID
        WRITE(17,1005)ID
        WRITE(18,1006)ID
      END IF
      IF((NPRINT.EQ.3.OR.NPRINT.EQ.4).AND.NOLD.GT.0)THEN
        WRITE(25,1000)NAME
        WRITE(25, +)CA1INJ, SWIRL, EGR
        WRITE(25, +)ND
        READ(26,1000)NAME
        READ(26, +)CA1INJ, SWIRL, EGR
        READ(26,*)ND
      ELSE IF (NPRINT. EQ. 3. OR. NPRINT. EQ. 4) THEN
        WRITE(25,1000)NAME
        WRITE(25, +)CA1INJ, SWIRL, EGR
        WRITE(25,*)ND
      END IF
 1000 FORMAT(A30)
      IF(NPRINT.NE.5.AND.NAV.NE.0)THEN
        READ(20,1007)IDX
        READ(21,1008)IDX
        READ(22,1009)IDX
        READ(23,1010)IDX
      END IF
```

```
IF(NPRINT.NE.2.AND.NPRINT.NE.3)WRITE(13,1002)ID
1001 FORMAT(30X,A15./,30X,'ZONE DATA',/,1X,'CRANK',3X.
```

```
'NELS', 3X, 'NP', 4X, 'NN', 4X, 'NEVAP', 2X, 'NMIX', 6X,
     1
     2 'DELP(%)')
 1002 FORMAT(30X, A15, /)
 1003 FORMAT(30X,A15,/,25X,'ZONE AVERAGE TEMPERATURES')
 1007 FORMAT(30X,A15,/)
 1004 FORMAT(30X,A15,/,27X,'ZONE FUEL FLOW ERRORS')
 1008 FORMAT(30X,A15,/)
 1005 FORMAT (30X, A15, /, 30X, 'ZONE AVERAGE FMF')
 1009 FORMAT(30X,A15,/)
 1006 FORMAT (30X, A15, /, 30X, 'ZONE FUEL BURNED')
 1010 FORMAT(30X,A15,/)
С
C SET CLOCKS AND INITIAL PRESSURE, INITIALIZE VARIABLES.
С
      TIME=(CA1INJ+90.)/(RPM+6.)
      TIMMOMITIME
      TIMEPR=TIME
      CRANKD=CA1INJ
      DT=0.
      DO 150 NZ=1,NA
        TMEVAP(NZ)=0.
        TBF(NZ)=0.
        TTBF(NZ)=0.
        ZTIME(NZ)=TIME
        ZMVAP(NZ)=0.
 150 CONTINUE
      DO 160 NF=1,NFLOW
        DFM(NF)=0.
        DFMV(NF)=0.
        DFMBF(NF)=0.
        NELS(NF)=0
 160 CONTINUE
      NELS(NA)=0
      P=PSTART
      PMDM-PSTART
      NCYC=0
      DO 170 N=1,MAXELE
        NUM(NA,N)=N
 170 CONTINUE
      NELTOT=0
С
C BEGIN SIMULATION +++++
C
 200 TIME=TIME+DT
      IF(TIME.GE.TIMMDM) THEN
        TIME=TIMMOM
        CRANK=TIME+RPM+6.-90.
        CALL SMZ
С
C WRITE FLOW ELEMENT EXCHANGE ...
С
        IF (NPRINT.EQ. 1) THEN
        DO 2110 NZ=1.NZONES
          IF(ZVOL(NZ).EQ.0.)GO TO 2110
          WRITE(NZ,2101) CRANK, NELS(NZ), NP(NZ), NN(NZ),
     1
            NNEVAP(NZ), NELMIX(NZ), DELTAP
 2101
          FORMAT(1X, F6.2, 2X, 14, 2X, 14, 3X, 14, 3X, 14, 2X, 14, 3X, G12.3)
```

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```
NNEVAP(NZ)=0
          NELMIX(NZ)=0
 2110 CONTINUE
        DELTAP=0.
        END IF
C++++++++
С
C TIME TO EXIT?
С
 2111
      IF(CRANK.GT.CRKMAX)GO TO 300
      END IF
С
C MIX ZONES
С
 205 DO 210 NZ=1.NA
        IF(NELS(NZ).LT.2) GO TO 210
        IF(TIME.GE.(ZTIME(NZ)+DTMIX(NZ))) CALL MIXING(NZ)
 210 CONTINUE
      GO TO 200
 300 CALL EXIT
      END
C
C
С
C SUBROUTINE SMZ
С
C PURPOSE
C
С
         COMPLETES PREVIOUS CYCLE. STARTS NEXT.
С
         CALLS MOM INPUT. CONTROLS FLOW OF
С
         ELEMENTS TO THE SMZ'S. HANDLES CONSERVATION OF COMPONENT
С
         MASS, ENERGY AND VOLUME. CALCULATES ZONE MIXING TIMES.
С
C
C VARIABLES AND ARRAYS (SEE SMM)
С
      SUBROUTINE SMZ
C
C DECLARATIONS AND COMMON BLOCKS
С
      INCLUDE 'SMMCOM, FOR'
      INCLUDE 'SMZCOM, FOR'
      PARAMETER(CCAL=.02421725)
      DIMENSION ELMT(MAXELE, 4), ELEMT(MAXELE, 6)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      COMMON /ELEMT6/ NUM, TFMF
С
C IF THIS IS THE START OF CYCLE 1?
С
      IF(NCYC.EQ.0)THEN
        CALL INPUT(3)
        NCYC=1
        NELAIR=IFIX(ZMA/ELMM)+1
        GO TO 191
      END IF
С
```

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```
C FINISH CYCLE
С
С
C CALCULATE HEAT TRANSFER FOR EACH ELEMENT.
C
      DO 100 NZ=1,NZONES
        IF(NELS(NZ).LT.1)GO TO 100
        CALL QWALL(NZ)
        DO 50 LI=1.NELS(NZ)
          I=NUM(NZ,LI)
С
C UPDATE SOOT, NO, PREP, COMBUSTION.
С
          IF((TIME-ELMT(I,4)).LT.DTKIN)GO TO 50
          CALL PROP(TIME,NZ,I)
        CONTINUE
 50
 100 CONTINUE
С
C UPDATE PREP AND COMBUSTION FOR ACTIVE AIR ZONE ELEMENTS
С
      DO 105 LI=1,NELS(NA)
        I=NUM(NA,LI)
        DTPROP=TIME-ELMT(I,4)
        IF(DTPROP.LT.DTKIN)GO TO 105
        ELMT(I,4)=TIME
        CALL PREPUP(DTPROP, I)
        CALL CMBUST(NA, I, 0)
 105 CONTINUE
С
C CONSERVE VOLUME, CALCULATE NEW TEMPERATURES AND PRESSURE.
С
      CALL VOL
С
C+
      ..........
С
C UPDATE TOTALS
С
      DO 110 NZ=1,NA
        TTBF(NZ)=TTBF(NZ)+ZMFBRN(NZ)
 110 CONTINUE
С
C TIME TO EXIT?
С
       IF(CRANK.LE.CRKMAX) GO TO 150
      IF(NPRINT.EQ.4.OR.NPRINT.EQ.5)CALL OUTPUT(8)
      RETURN
С
C TIME TO WRITE OUTPUT?
С
 150 IF(TIME.LT.(TIMEPR+DTPR)) GO TO 155
      TIMEPR=TIME
      CALL OUTPUT(2)
С
C TIME TO WRITE DISTRIBUTION?
С
 155 IF(CRANK.LT.(CRANKD+CAD).OR.NPRINT.EQ.2.OR.
     1 NPRINT.EQ.5)GO TO 190
      CRANKD=CRANK
```

2

```
CALL DISTRIB
С
C END OF CYCLE ******
С
C++
        С
C START NEW CYCLE ****
С
 190 CALL INPUT(3)
      NCYC=NCYC+1
С
C CALCULATE NET FLOWS IN EACH DIRECTION.
Ċ
 191 DO 200 NF=1,NFLOW
        FM(NF)=FM(NF)+DFM(NF)
        DFM(NF)=0.
        FMV(NF)=FMV(NF)+DFMV(NF)
        DFMV(NF)=0.
        FMBF(NF)=FMBF(NF)+DFMBF(NF)
        DFMBF(NF)=0.
 200 CONTINUE
      DO 250 NF=1.NFLOW
        IF(ZVOL(NF).LE.0.)THEN
          NP(NF)=NELS(NF)
          NN(NF)=0.
        ELSE IF(FM(NF).GT.0.) THEN
          NP(NF)=IFIX(FM(NF)/ELMM)
          NN(NF)=0
        ELSE IF(FM(NF).LT.0.) THEN
          NP(NF)=0
          NN(NF)=IFIX(-FM(NF)/ELMM)
        ELSE
          NP(NF)=0
          NN(NF)=0
        END IF
 250 CONTINUE
¢
      CALL FLOW
С
C EVAPORATE THE FUEL. ADD VAPOR ELEMENTS TO THE ZONES.
С
      DO 300 NZ=1,NA
С
C CLEAN UP THE CLOSING OF A ZONE
С
        IF(ZVOL(NZ).LE.0. AND.NZ.NE.NA)THEN
          ZMEVAP(NZ+1)=ZMEVAP(NZ+1)+2MEVAP(NZ)
          ZMVAP(NZ+1)=ZMVAP(NZ+1)+ZMVAP(NZ)
          ZMEVAP(NZ)=0.
          ZMVAP(NZ)=0.
          GO TO 300
        END IF
С
C UPDATE EVAPORATION
С
        TMEVAP(NZ)=TMEVAP(NZ)+?MEVAT(NZ)
        NNEVAP(NZ)=IFIX(TMEV/
                                  _LMM)-IFIX((TMEVAP(NZ)-
      1
          ZMEVAP(NZ))/ELMM)
```

```
ZMEVAP(NZ)=ZMEVAP(NZ)+ZMVAP(NZ)
        ZMVAP(NZ)=0.
C
C ADD VAPOR ELEMENTS TO ZONES
C
        IF(NZ.EQ.NA)THEN
          NELX=NELAIR
        ELSE
          NELX=NELS(NZ)
        END IF
        IF(ZMEVAP(NZ).GT.ELMM.AND.NELX.GT.1)THEN
          CALL EVAP(NZ)
        ELSE
          ZMVAP(NZ)=ZMEVAP(NZ)
        END IF
 300 CONTINUE
С
C CALCULATE NEW DIMIX
С
      DT=TIMMDM-TIME
      DO 400 NZ=1,NA
        IF(NELS(NZ).LT.0)NELS(NZ)=0
        IF(ZBETA(NZ).LE.0.)GO TO 400
        IF(NELS(NZ).LT.2)GO TO 400
        DTMIX(NZ)=1./(ZBETA(NZ)*NELS(NZ))
        DT=AMIN1(DT,DTMIX(NZ))
 400 CONTINUE
      RETURN
      END
C+++++
C+
С
    SUBROUTINE SOOT(DTPROP,02,I) - WANG MODEL
С
С
         PURPOSE
С
С
              TO CALCULATE THE FORMATION OF SOOT DUE TO PYROLYSIS OF
С
              FUEL VAPOR.
С
C
         METHOD
С
С
              THE SOOT FORMATION RATE IS CALCULATED VIA THE RELATIONS
С
              OF WANG, MATULA, AND FARMER DEVELOPED FOR SYNTHETIC FUELS.
С
               (20TH SYMPOSIUM ON COMBUSTION. THE COMBUSTION INSTITUTE,
С
               1981. PG. 1149.)
С
               IMPORTANT PARAMETERS ARE [HC], [02], AND TEMPERATURE.
С
С
C VARIABLES
С
С
               (SEE SMM)
С
              UFUELF - UNBURNED FUEL FRACTION
С
              FUELC - FUEL CARBON IN ELEMENT (g)
С
              HCCONC - UNBURNED FUEL CONCENTRATION, C2H2, G-MOLE/CC
С
              O2CONC - UNBURNED OXYGEN CONCENTRATION, G-MOLE/CC
С
              DSFDT - SOOT MASS FORMATION RATE, G/S
              MFORM - SOOT MASS FORMED THIS CALCULATION, G
С
С
               RUNIV - UNIVERSAL GAS CONSTANT (cal/gmole-K)
С
```

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```
C ARRAYS
              (SEE SMM)
С
С
C COMMENTS
С
           PRODUCTION OF MORE SOOT THAN THERE IS FUEL CARBON IN
С
           A GIVEN ELEMENT IS NOT ALLOWED.
С
С
      SUBROUTINE SOOT(DTPROP,02,I)
      INCLUDE 'SMMCOM.FOR'
      REAL MFORM
      DIMENSION ELEMT(MAXELE, 6), ELMT(MAXELE, 4)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT2/ ELMT
      PARAMETER(RHO=1.8, RUNIV=1.98, CCAL=.0242)
С
C SOOT FORMATION RATE CALCULATIONS
С
       IF(ELEMT(I,2) .LE. 300.)GO TO 120
      UFUELF=1.-ELEMT(I,3)
       FUELC=UFUELF+ELMM+CTOF-ELMT(I,3)
       IF(FUELC.LE.0.)FUELC=0.
       SV=RUNIV+ELEMT(I,2)/(P+CCAL+ELEMT(I,6))
       HCCONC=UFUELF/(SV+WTFUEL)
       02CONC=02/(ELEMT(I,6)+SV)
       TM=1800.
       IF(ELEMT(1,2).LE.TM)THEN
         GAMMA=0.
       ELSE
         GAMMA=1.
         TGAM=1./ELEMT(I,2)-1./TM
       END IF
       XCONC=1./(ELEMT(I,6)+SV)-HCCONC-02CONC
       DSFDT=SOOTC+5.55E16+EXP(-41800./(RUNIV+ELEMT(I,2))-
               GAMMA+48100.+TGAM/RUNIV)+((1.54+HCCONC)++2.59)+
      1
      2
               (XCONC++.13)/(02CONC++.71)
       DSFDTMX=SOOTC+1.04E13+EXP(-29700./(RUNIV+ELEMT(I,2))+
               GAMMA+39700.+TGAM/RUNIV)+((1.54+HCCONC)++1.48)+
      1
      2
               (XCONC++.24)
       IF(DSFDT.GT.DSFDTMX)DSFDT=DSFDTMX
 С
            SOOT MASS CHANGE
 С
 С
       MFORM=DSFDT+DTPROP+ELMM+SV
       IF(MFORM.LE.0.) GO TO 120
       IF (MFORM.LE.FUELC) GO TO 30
       MFORM = FUELC
       ELMT(I,3)=ELMT(I,3)+MFORM
  30
 С
 С
            SOOT SURFACE AREA CHANGE
 С
       ELMT(1,2)=ELMT(1,2)+3.*MFORM/(RHO*SOTSIZ)
  120
       RETURN
        END
 C
 C
 С
 C SUBROUTINE SORT1
```

С C PURPOSE SORTS ZONE ELEMENTS INTO 3 GROUPS: THOSE CONTAINING FUEL С VAPOR. THOSE WITH SIGNIFICANT BURNED FUEL AND OTHER. FOR С С ZONE NF OR NZ. С C VARIABLES AND ARRAYS (ALSO SEE SMM) С NEL1 - NUMBER OF ELEMENTS IN GROUP 1 NEL2 - NUMBER OF ELEMENTS IN GROUP 2 С С NEL3 - NUMBER OF REMAINING ELEMENTS NEXT1 - ARRAY OF ELEMENTS IN GROUP 1 С NEXT2 - ARRAY OF ELEMENTS IN GROUP 2 С С NEXT3 - ARRAY OF OTHER ELEMENTS TFMFS - LOWER LIMIT FOR MASS FRACTION OF BURNED FUEL IN GROUP 2. С С STOICHIOMETRIC TFMF EXCEPT FOR VERY LEAN ZONES WHERE С TFMFS IS SET TO LLIMT. С SUBROUTINE SORT1(NZ) INCLUDE 'SMMCOM.FOR' INCLUDE 'SMZCOM. FOR' DIMENSION NUM(NA, MAXELE), TFMF(MAXELE) DIMENSION NEXT1(MAXELE), NEXT2(MAXELE), NEXT3(MAXELE) DIMENSION ELEMT(MAXELE, 6) COMMON /ELEMT1/ ELEMT COMMON /ELEMT6/ NUM, TFMF COMMON /SORT/ NEL1, NEL2, NEL3, NEXT1, NEXT2, NEXT3 NEL1=0 NEL2=0 NEL3=0 TFMFS=1./(1.+PHICON) IF(ZFMF(NZ).LT.TFMFS)TFMFS=LLIMT IF(NELS(NZ), LE.0)GO TO 500 200 DO 400 L=1,NELS(NZ) L1 = NUM(NZ, L)IF(TFMF(L1).GT.ULIMT)THEN NEL1=NEL1+1 NEXT1(NEL1)=L ELSE IF(ELEMT(L1,3)+ELEMT(L1,1).GT.TFMFS)THEN NEL2=NEL2+1 NEXT2(NEL2)=L ELSE NEL3=NEL3+1 NEXT3(NEL3)=L END IF 400 CONTINUE 500 RETURN END C C C SUBROUTINE SORT2 С C PURPOSE SORTS ZONE ELEMENTS INTO 3 GROUPS: THOSE CONTAINING FUEL С VAPOR, THOSE WITH SIGNIFICANT BURNED FUEL AND OTHER. FOR С С ZONE NFP1. С

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C VARIABLES AND ARRAYS (ALSO SEE SMM)
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E

```
NEL4 - NUMBER OF ELEMENTS IN GROUP 1
C
   NEL5 - NUMBER OF ELEMENTS IN GROUP 2
С
   NEL6 - NUMBER OF REMAINING ELEMENTS
С
    NEXT4 - ARRAY OF ELEMENTS IN GROUP 1
С
    NEXT5 - ARRAY OF ELEMENTS IN GROUP 2
С
    NEXT6 - ARRAY OF OTHER ELEMENTS
С
    TFMFS - LOWER LIMIT FOR MASS FRACTION OF BURNED FUEL IN GROUP 2.
С
            STOICHIOMETRIC TFMF EXCEPT FOR VERY LEAN ZONES WHERE
С
C
            TFMFS IS SET TO LLIMT.
С
С
      SUBROUTINE SORT2(NZ)
      INCLUDE 'SMMCOM. FOR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      DIMENSION NEXT4(MAXELE), NEXT5(MAXELE), NEXT6(MAXELE)
      DIMENSION ELEMT(MAXELE, 6)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT6/ NUM, TFMF
      COMMON /SORTX/ NEL4, NEL5, NEL6, NEXT4, NEXT5, NEXT6
      NEL4=0
      NEL5-0
      NEL6=0
      TFMFS=1./(1.+PHICON)
      IF(ZFMF(NZ).LT.TFMFS)TFMFS=LLIMT
      IF(NELS(NZ).LE.0)GO TO 500
 200 DO 400 L=1,NELS(NZ)
        L1=NUM(NZ,L)
        IF(TFMF(L1).GT.ULIMT)THEN
          NEL4=NEL4+1
          NEXT4(NEL4)=L
        ELSE IF(ELEMT(L1,3)*ELEMT(L1,1).GT.TFMFS)THEN
          NEL5=NEL5+1
          NEXT5(NEL5)=L
        ELSE
          NEL6=NEL6+1
          NEXT6(NEL6)=L
        END IF
 400 CONTINUE
     RETURN
 500
       END
C+
С
С
      SUBROUTINE SPECNO
С
      PURPOSE
С
С
         CALCULATES EQUILIBRIUM SPECIES CONCENTRATION NEEDED FOR
С
          NO CALCULATION
С
      DESCRIPTION OF PARAMETERS
С
С
         PARAMETER INPUT OUTPUT DESCRIPTION
С
С
         Ρ
                     YES
                            NO
                                     PRESSURE (ATM)
                     YES
                                     TEMPERATURE (K)
С
         T
                            NO
                                     FUEL FRACTION OF BURNED PRODUCTS
                     YES
                            NO
С
          FR
          Ut
                                     EQUILIBRIUM MOLE FRACTION
С
                     NO
                            YES
                                     OF (NO)
С
```

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С U2 NO YES EQUILIBRIUM MOLE FRACTION ¢ OF(0)\*(N2)С NO U3 YES (SEE REPORT) K1=R1/(R2+R3)С С SUBROUTINE SPECNO (P,T,FR,U1,U2,U3) COMMON/FULAR/CATOM, DEL, PSI, PHICON COMMON/TABLE5/A(2592),B(2592),C(2592) DIMENSION AP(6), AT(16), APHI(27) DATA AP /1.,10.,30.,50.,75.,100./ DATA AT /1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500., 1 2600.,2700.,2800.,2900.,3000.,3200.,3500./ DATA APHI /0.0,.2,.4,.6,.8,.9,.95,1.,1.05,1.1,1.2,1.3,1.4,1.5, 1 1.6,1.8,2.,2.2,2.4,2.6,2.8,3.,3.2,3.4,3.6,3.8,4./ С PA=P TA=T PHI=PHICON+FR/(1.0-FR) PHIA=PHI С IF(PA.LE.1.0)PA=1.0 IF(PA.GE.100.)PA=100. IF(TA.LE.1700.)TA=1700. IF(TA.GE.3500.)TA=3500. IF(PHIA.LE.0.0)PHIA=0.0 IF(PHIA.GE.4.0)PHIA=4.0 С I=1 IF(PA.LT.10.)GO TO 10 · 1=2 IF(PA.LT.30.)GO TO 10 I=3 IF(PA.LT.50.)GO TO 10 I=4 IF(PA.LT.75.)GO TO 10 I=5 10 PA1=AP(I) PA2=AP(I+1) С J=IFIX(PHIA/.2)+1 IF(PHIA.LT..9)GOTO 20 J=6 IF(PHIA.LT.0.95)GOTO 20 J=IFIX((PHIA-.95)/.05)+7 IF(PHIA.LT.1.1)GOTO 20 J=IFIX((PHIA-1.1)/.1)+10 IF(PHIA.LT.1.6)GOTO 20 J=IFIX((PHIA-1.6)/.2)+15IF(PHIA.LT.4.0)GOTO 20 J=26 20 PHI1=APHI(J) PHI2=APHI(J+1) Ç K=IFIX((TA-1700.)/100.)+1 IF(TA.GE.3000..AND.TA.LT.3200.)K=14 IF(TA.GE.3200..AND.TA.LE.3500.)K=15 30 TA1=AT(K) TA2=AT(K+1)

7 . 

С IU1=I+432+J+16+K+1 IU2=I + 432 + (J-1) + 16 + K + 1IU3=I+432+(J-1)+16+K IU4=I+432+J+16+K IU5=(I-1)+432+J+16+K+1 IU6=(I-1)\*432+(J-1)\*16+K+1IU7=(I-1)+432+(J-1)+16+K IU8=(I-1)+432+J+16+K С R=(-PHI1+PHI+PHI-PHI2)/(PHI2-PHI1) S=(-TA1+TA+TA-TA2)/(TA2-TA1)V=(-PA1+PA+PA-PA2)/(PA2-PA1) С H1=(1.+R)\*(1.+S)\*(1.+V) $H_{2}=(1.-R)*(1.+S)*(1.+V)$  $H_3=(1.-R)*(1.-S)*(1.+V)$ H4=(1.+R)\*(1.-S)\*(1.+V) $H_{5=(1,+R)*(1,+S)*(1,-V)}$ H6=(1.-R)\*(1.+S)\*(1.-V)H7=(1.-R)\*(1.-S)\*(1.-V)H8=(1,+R)\*(1,-S)\*(1,-V)С U1=0.125+(H1+A(IU1)+H2+A(IU2)+H3+A(IU3)+H4+A(IU4)+ **&H5**\*A(IU5)+H6\*A(IU6)+H7\*A(IU7)+H8\*A(IU8)) U1=EXP(U1)U2=0.125+(H1+B(IU1)+H2+B(IU2)+H3+B(IU3)+H4+B(IU4)+ &H5+B(IU5)+H6+B(IU6)+H7+B(IU7)+H8+B(IU8)) U2=EXP(U2)- U3=0.125\*(H1\*C(IU1)+H2\*C(IU2)+H3\*C(IU3)+H4\*C(IU4)+ &H5+C(IU5)+H6+C(IU6)+H7+C(IU7)+H8+C(IU8)) U3=EXP(U3)С RETURN END C+ C+ С С SUBROUTINE SPECO2 С С PURPOSE CALCULATES EQUILIBRIUM SPECIES CONCENTRATION OF С С OXYGEN MOLECULE IN BURNED PRODUCTS OF COMBUSTION С DESCRIPTION OF PARAMETERS С PARAMETER INPUT OUTPUT DESCRIPTION С С NO PRESSURE (ATM) С Ρ YES С Т YES NO TEMPERATURE 'K) С FR YES NO FUEL FRACT'ON OF BURNED PRODUCTS NO YES EQUILIBRIUM MOLE FRACTION С U4 С OF (02) С SUBROUTINE SPECO2 (P,T,FR,U4) COMMON/FULAR/CATOM, DEL, PSI, PHICON COMMON/TABLE6/D(2592),E(2592) DIMENSION AP(6), AT(16), APHI(27) DATA AP /1.,10.,30.,50.,75.,100./
Ĩ,

DATA AT /1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500., 1 2600.,2700.,2800.,2900.,3000.,3200.,3500./ DATA APHI /0.0, .2, .4, .6, .8, .9, .95, 1., 1.05, 1.1, 1.2, 1.3, 1.4, 1.5, 1 1.6, 1.8, 2., 2.2, 2.4, 2.6, 2.8, 3., 3.2, 3.4, 3.6, 3.8, 4./ С PA=P TA=T PHI=PHICON+FR/(1.0-FR) PHIA=PHI С IF(PA.LE.1.0)PA=1.0 IF(PA.GE.100.)PA=100. IF(TA.LE.1700.)TA=1700. IF(TA.GE.3500.)TA=3500. IF(PHIA.LE.0.0)PHIA=0.0 IF(PHIA.GE.4.0)PHIA=4.0 С I=1 IF(PA.LT.10.)GO TO 10 I=2 IF(PA.LT.30.)GO TO 10 1=3 IF(PA.LT.50.)GO TO 10 I=4 IF(PA.LT.75.)GO TO 10 I=5 10 PA1=AP(I) PA2=AP(I+1) С - J=IFIX(PHIA/.2)+1 IF(PHIA.LT.0.9)GOTO 20 J=6 IF(PHIA.LT.0.95)GOTO 20 J=IFIX((PHIA-.95)/.05)+7 IF(PHIA.LT.1.1)GOTO 20 J=IFIX((PHIA-1.1)/.1)+10 IF(PHIA.LT.1.6)GOTO 20 J=IFIX((PHIA-1.6)/.2)+15 IF(PHIA.LT.4.0)GOTO 20 J=26 20 PHI1=APHI(J) PHI2=APHI(J+1) С K=IFIX((TA-1700.)/100.)+1 IF(TA.GE.3000..AND.TA.LT.3200.)K=14 IF(TA.GE.3200..AND.TA.LE.3500.)K=15 30 TA1=AT(K) TA2=AT(K+1) С IU1=I+432+J+16+K+1 IU2=I+432+(J-1)+16+K+1 IU3=I+432+(J-1)+16+K IU4=I+432+J+16+K IU5=(I-1)+432+J+16+K+1 IU6=(I-1)+432+(J-:)+16+K+1 IU7=(I-1)+432+(J-1)+16+K IU8=(I-1)+432+J+16+K С

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```
R=(-PHI1+PHI+PHI-PHI2)/(PHI2-PHI1)
      S=(-TA1+TA+TA-TA2)/(TA2-TA1)
      V=(-PA1+PA+PA-PA2)/(PA2-PA1)
С
      H1=(1.+R)*(1.+S)*(1.+V)
      H_{2=(1,-R)*(1,+S)*(1,+V)}
      H_{3=}(1,-R)*(1,-S)*(1,+V)
      H4=(1.+R)*(1.-S)*(1.+V)
      H5=(1.+R)*(1.+S)*(1.-V)
      H6=(1.-R)*(1.+S)*(1.-V)
      H7=(1.-R)*(1.-S)*(1.-V)
      H8=(1.+R)*(1.-S)*(1.-V)
С
      U4=0.125+(H1+D(IU1)+H2+D(IU2)+H3+D(IU3)+H4+D(IU4)+
     &H5+D(IU5)+H6+D(IU6)+H7+D(IU7)+H8+D(IU8))
      U4=EXP(U4)
С
      RETURN
      END
С
С
С
      SUBROUTINE TABLE
С
С
С
      PURPOSE
         READS AND STORES A TABLE OF THERMODYNAMIC PROPERTIES OF
С
С
         UNBURNED MIXTURE AND BURNED PRODUCTS AS WELL AS EQUILIBRIUM
         SPECIES CONCENTRATION OF BURNED PRODUCTS.
С
С
     - SUBROUTINE TABLE
      COMMON/FULAR/CATOM, DEL, PSI, PHICON
       COMMON/TABLE1/UHTBL(96), UCTBL(96), UWTBL(96), UHFTBL(96)
       COMMON/TABLE3/BHTBL(2688), BCTBL(2688), BWTBL(2688), BHFTBL(2688)
       COMMON/TABLE5/A(2592),B(2592),C(2592)
       COMMON/TABLE6/D(2592), E(2592)
С
       READ(12,10)(UHTBL(I), I=1,96)
       READ(12,20)(UCTBL(I), I=1,96)
       READ(12,30)(UWTBL(I), I=1,96)
       READ(12,10)(UHFTBL(I), I=1,96)
    10 FORMAT(2X, 10F7.1)
    20 FORMAT(2X, 10F7.3)
    30 FORMAT(2X, 10F7.2)
С
       READ(12,10)(BHTBL(1), I=1,2688)
       READ(12,20)(BCTBL(I), I=1,2688)
       READ(12,30)(BWTBL(I), I=1,2688)
       READ(12,10)(BHFTBL(I), I=1,2688)
       READ(12,40)(A(I),I=1,2592)
       READ(12,40)(B(I),I=1,2592)
       READ(12,40)(C(I),I=1,2592)
       READ(12,40)(D(I), I=1,2592)
       READ(12,40)(E(I),I=1,2592)
    40 FORMAT(5(1E14.7,1X))
       RETURN
       END
 C+++++++
```

5 . . . . . . . . .

SUBROUTINE UTEMP PURPOSE GIVEN P. H. FR. AND BGFR OF UNBURNED MIXTURE. CALCULATES T DESCRIPTION OF PARAMETERS PARAMETER INPUT OUTPUT DESCRIPTION NO С TGUESS YES INITIAL GUESS FOR TEMPERATURE (K) С FR YES NO SEE REMARKS С BGFR YES NO SEE REMARKS С ENTHLP YES NO ENTHALPY (CAL/G) С NO YES CALCULATED TEMPERATURE (K) T С ERMAX YES NO RELATIVE ERROR TOLERANCE (SEE С SUBROUTINES UTEMP AND BTEMP) С MAXITS YES NO MAXIMUM NUMBER OF ITERATIONS (SEE С SUBROUTINES UTEMP AND BTEMP) С N YES NO ELEMENT PROPERTY ARRAY IDENTIFICATION С NUMBER С NZ YES NO ZONE IDENTIFICATION NUMBER С WTBG NO YES MOLECULAR WT OF BURNED GAS С С REMARKS = FRACTION OF FUEL VAPOR IN THE С 1.-BGFR С MIXTURE С FR = FUEL FRACTION OF BURNED PRODUCTS С IN MIXTURE TIMES MASS FRACTION OF С BURNED PRODUCTS IN THE MIXTURE. С THEN, DIVIDED BY "BGFR". С "BGFR". С FOR EXAMPLE: С 1) FOR PURE AIR FR=0.0 AND BGFR=1.0 С FOR PURE FUEL VAPOR FR=0.0 2) AND BGFR=0.0 С 3) FOR A MIXTURE OF С 10% FUEL VAPOR AND С 20% BURNED PRODUCTS WITH С FUEL FRACTION OF 0.08 AND С 70% AIR FR=.20\*.08/(.20+.70)=0.0155 AND С BGFR=.20+.70=.90 С THEREFORE FR=0.0155 AND BGFR=0.90 С С SUBROUTINE UTEMP (TGUESS, FR, BGFR, ENTHLP, T, N) INCLUDE 'SMMCOM.FOR' DIMENSION ELEMT(MAXELE, 6) COMMON /ELEMT1/ ELEMT T=TGUESS DO 10 I=1,MAXITS CALL UTHRMO (P,T,FR,BGFR,AHG,CSUBP,WT) TTOLD=T T=T+(ENTHLP-AHG)/(CSUBP) IF(ABS((T-TTOLD)/T).LE.ERMAX)GOTO 20 **10 CONTINUE** CALL OUTPUT(9) 20 ELEMT(N,5)=CSUBP ELEMT(N,6)=WT

С С

С

С

С С С

С

С

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RETURN END C C C SUBROUTINE UTHRMO С С PURPOSE С С CALCULATES THERMODYNAMIC PROPERTIES OF UNBURNED MIXTURE С USAGE С CALL UTHRMO (P,T,FR,BGFR,H,CP,WT) С Ċ С DESCRIPTION OF PARAMETERS С PARAMETER INPUT OUTPUT DESCRIPTION С С Ρ YES NO PRESSURE (ATM) T С YES NO TEMPERATURE (K) С FR YES NO SEE REMARKS С BGFR YES NO SEE REMARKS С н NO YES ENTHALPY OF MIXTURE (CAL/G) С CP NO YES HEAT CAPACITY AT CONSTANT PRESSURE С OF MIXTURE (CAL/G K) С WT NO YES MOLECULAR WEIGHT OF MIXTURE (G/MOLE) С С С REMARKS = FRACTION OF FUEL VAPOR IN THE С 1.-BGFR C MIXTURE С FR = FUEL FRACTION OF BURNED PRODUCTS С IN MIXTURE TIMES MASS FRACTION OF С BURNED PRODUCTS IN THE MIXTURE, С THEN, DIVIDED BY "BGFR". C "BGFR". С FOR EXAMPLE: С 1) FOR PURE AIR FR=0.0 AND BGFR=1.0 С 2) FOR PURE FUEL VAPOR FR=0.0 AND BGFR=0.0 С 3) FOR A MIXTURE OF С 10% FUEL VAPOR AND С 20% BURNED PRODUCTS WITH С FUEL FRACTION OF 0.08 AND С 70% AIR FR=.20+.08/(.20+.70)=0.0155 AND С BGFR=.20+.70=.90 С THEREFORE FR=0.0155 AND BGFR=0.90 С С С SUBROUTINE AND FUNCTION SUBPROGRAMS REQUIRED С **BTHRMO** С SUBROUTINE UTHRMO (P.T.FR.BGFR.H.CP.WT) COMMON/TABLE1/UHTBL(96), UCTBL(96), UWTBL(96), UHFTBL(96) COMMON/FULAR/CATOM, DEL, PSI, PHICON DIMENSION AT(8), APHI(12), FCF(6) DATA AT /300.,500.,700.,900.,1100.,1300.,1500.,1700./ DATA APHI/0.0,0.8,.9,1.0,1.1,1.2,1.5,2.,2.5,3.,3.5,4./ С C

Ч У CONVERSE CON 

```
C THE FOLLOWING DATA IS GOOD FOR DIESEL (C10.8 H18.7) ONLY.
С
  STANDARD ENTHALPY, 298K DATUM.
С
      DATA FCF/-9.1063,246.97,-143.74,32.329,.0518,-50.128/
      DATA WTV/148.6/
С
C-
С
                                                          .
С
С
      PHI=FR+PHICON/(1.-FR)
      PHIA=PHI
      VA=1.-BGFR
      TA=T
С
      IF(PHIA.LE.0.0)PHIA=0.
      IF(PHIA.GE.4.0)PHIA=4.0
      IF(TA.LE.300.)TA=300.
      IF(TA.GT.1700.)GO TO 30
С
      I=IFIX((TA-300.)/200.)+1
      IF(TA.GE.1500.)I=7
      IF(TA.LT.500.)I=1
      TA1=AT(I)
      TA2=AT(I+1)
С
      K=11
      IF(PHIA.GE.3.5)GOTO 20
      K=IFIX((PHIA-1.5)/.5)+7
      IF(PHIA.GE.1.5.AND.PHIA.LT.3.5)GOTO 20
      K=6
      IF(PHIA.GE.1.2.AND.PHIA.LT.1.5)GOTO 20
      K=IFIX((PHIA-0.8)/.1)+2
      IF(PHIA.GE..8.AND.PHIA.LT.1.2)GOTO 20
      K=1
   20 PHI1=APHI(K)
      PHI2=APHI(K+1)
С
      IU1=K+8+I+1
      IU2=(K-1)+8+I+1
      IU3=(K-1)+8+I
      IU4=K+8+I
С
      R=(-PHI1+PHI+PHI-PHI2)/(PHI2-PHI1)
      S=(-TA1+T+T-TA2)/(TA2-TA1)
С
      H1=(1.+R)*(1.+S)
      H2=(1.-R)*(1.+S)
      H3=(1.-R)+(1.-S)
      H4=(1.+R)*(1.-S)
С
      HU=.25+(H1+UHTBL(IU1)+H2+UHTBL(IU2)+
     &H3+UHTBL(IU3)+H4+UHTBL(IU4))
      CPU=.25+(H1+UCTBL(IU1)+H2+UCTBL(IU2)+
     &H3+UCTBL(IU3)+H4+UCTBL(IU4))
      WTU-.25+(H1+UWTBL(IU1)+H2+UWTBL(IU2)+
     &H3+UWTBL(IU3)+H4+UWTBL(IU4))
      GO TO 40
```

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```

```
30 CALL BTHRMO (P,T,FR,HU,CPU,WTU,SVU)
   40 ST=T/1000.
      HV=(((FCF(4)/4.*ST+FCF(3)/3.)*ST+FCF(2)/2.)*ST+
     &FCF(1))+ST-FCF(5)/ST+FCF(6)
      CPV=((FCF(4)*ST+FCF(3))*ST+FCF(2))*ST+FCF(1)+FCF(5)/(ST*ST)
      HV=1000.+HV/WTV
      CPV=CPV/WTV
С
      H=HU+BGFR+HV+VA
      CP=CPU+BGFR+CPV+VA
      WT=WTU+WTV/(WTU+VA + WTV+BGFR)
      RETURN
      END
C*****
C.
С
C SUBROUTINE VOL
С
C PURPOSE
С
           CALCULATES PRESSURE AND ELEMENT TEMPERATURES TO MEET
С
           TOTAL VOLUME CONSTRAINT.
С
C VARIABLES - SEE SMM
C
C ARRAYS - SEE SMM
С
С
С
      SUBROUTINE VOL
      INCLUDE 'SMMCOM. "OR'
      INCLUDE 'SMZCOM.FOR'
      DIMENSION ELEMT (MAXELE, 6), SVOLD (MAXELE), TNEW (MAXELE)
      DIMENSION NUM(NA, MAXELE), TFMF(MAXELE)
      COMMON /ELEMT1/ ELEMT
      COMMON /ELEMT4/ SVOLD
      COMMON /ELEMT6/ NUM, TFMF
      PARAMETER(RBAR=1.9869, CCAL=.02421725, GAMMA=1.35)
      PNEW-P
      ITER=1
      TOTVOL=0.
      DO 50 NZ=1,NZONES
        IF(NELS(NZ).LT.1)GO TO 50
        TOTVOL=TOTVOL+ZVOL(NZ)
 50
      CONTINUE
      TOTVOL=TOTVOL+ZVOL(NA)
 60
      DELP=PNEW-P
      VOLNEW-0
      VOLAIR=ZVOL(NA) + (PMDM/PNEW) + + (1./GAMMA)
С
      DO 100 NZ=1,NZONES
        IF(NELS(NZ).LT.1) GO TO 100
        DO 70 LN=1,NELS(NZ)
          N=NUM(NZ,LN)
          R=RBAR/ELEMT(N,6)
          DEN=1.-.5+R+DELP/(ELEMT(N,5)+PNEW)
          TNEW(N)=(ELEMT(N,2)+.5+DELP+CCAL+SVOLD(N)/ELEMT(N,5))/DEN
          VOLNEW=VOLNEW+TNEW(N) • R • ELMM/(PNEW • CCAL)
 70
        CONTINUE
```

```
100 CONTINUE
      VOLNEW=VOLNEW+VOLAIR
      VOLERR=ABS(VOLNEW/TOTVOL-1.)
      IF (VOLERR.LE.VERMAX) GO TO 140
      IF(ITER.GT.ITMAXV) THEN
        CALL OUTPUT(5)
        GO TO 140
      END IF
      PNEW=(VOLNEW/TOTVOL) + PNEW
      ITER=ITER+1
      GO TO 60
С
C UPDATE AIR ZONE ACTIVE ELEMENTS
С
 140 IF(NELS(NA).LE.0)GO TO 200
      DO 150 LN=1,NELS(NA)
        N=NUM(NA,LN)
        R=RBAR/ELEMT(N,6)
        DEN=1.-.5*R*DELP/(ELEMT(N,5)*PNEW)
        ELEMT(N,2)=(ELEMT(N,2)+.5+DELP+CCAL+SVOLD(N)/
     1
                          ELEMT(N,5))/DEN
        IF(ELEMT(N,3).LT.1.)THEN
          CALL UTHRMO(P, ELEMT(N, 2), ELEMT(N, 1),
           ELEMT(N,3), ELEMT(N,4), ELEMT(N,5), ELEMT(N,6))
     1
        ELSE
          CALL BTHRMO(P, ELEMT(N, 2), ELEMT(N, 1),
     1
           ELEMT(N, 4), ELEMT(N, 5), ELEMT(N, 6))
        END IF
        SVOLD(N)=RBAR+ELEMT(N,2)/(P+CCAL+ELEMT(N,6))
 150 CONTINUE
 200 DO 300 NZ=1, NZONES
        IF(NELS(NZ).LT.1)GO TO 300
C
C UPDATE PROPERTIES AFTER CORRECTING VOLUME
С
        DO 250 LN=1.NELS(NZ)
          N=NUM(NZ,LN)
          ELEMT(N,2)=TNEW(N)
          IF(ELEMT(N.3).LT.1.)THEN
            CALL UTHRMO(P, ELEMT(N, 2), ELEMT(N, 1),
             ELEMT(N,3),ELEMT(N,4),ELEMT(N,5),ELEMT(N,6))
     1
          ELSE
            CALL BTHRMO(P, ELEMT(N, 2), ELEMT(N, 1),
             ELEMT(N,4),ELEMT(N,5),ELEMT(N,6))
     1
          END IF
          SVOLD(N)=RBAR+ELEMT(N,2)/(P+CCAL+ELEMT(N,6))
 250
        CONTINUE
      CONTINUE
 300
 400
      DELTAP=DELP+100./P
      P=PNEW
      RETURN
      END
```

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## APPENDIX C

## STOCHASTIC MIXING MODEL DETAILS

# C.1 Slow Reaction Chemistry

The requirement for including the effect of turbulent fluctuations in modeling slow reaction rates can be demonstrated using a simple second order reaction: (see Section 2.2.1 for nomenclature)

$$a_1 \chi_1 + a_2 \chi_2 \xrightarrow{k_f} products$$
 (C.1)

Equations (2.9) and (2.10) reduce to:

$$\dot{\omega} = k_{f} (\rho \sigma_{1})^{a_{1}} (\rho \sigma_{2})^{a_{2}}$$
 (C.2)

$$k_{f} = A_{f} T^{f} \exp(-E_{f}^{+}/T)$$
(C.3)

where:

$$\rho \sigma_1 = \rho_1 / W_1 \qquad \rho \sigma_2 = \rho_2 / W_2 \qquad \rho = PW/RT$$

If:

F

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E

i.

a' = 1 a' = 1

Equation (C.2) becomes:

$$\dot{\omega} = k_f \rho^2 \sigma_1 \sigma_2 = A_f T (PW/R)^2 \sigma_1 \sigma_2 \exp[-E_f^+/T]$$
(C.4)

Applying a Reynold's decomposition with:

 $T = \overline{T} + T'$   $\sigma_1 = \overline{\sigma}_1 + \sigma_1'$   $\sigma_2 = \overline{\sigma}_2 + \sigma_2'$ 

results in:

$$\dot{\omega} = A_{f} (\bar{T} + T')^{\zeta_{f}^{-2}} (PW/R)^{2} (\bar{\sigma}_{1} + \sigma_{1}') (\bar{\sigma}_{2} + \sigma_{2}') \exp[-E_{f}^{+}/(\bar{T} + T')]$$
(C.5)

Following the expansion scheme of Borghi [39], by applying series expansions for exp(x) and  $(1+x)^{\alpha}$  and time averaging, Equation (C.5) may be rewritten as:

$$\vec{\omega} = A_{f} (PW/R)^{2} \vec{T}^{f} \vec{\sigma_{1}} \vec{\sigma_{2}} \exp[-E_{f}^{+}/\vec{T}] \cdot \vec{X}$$
(C.6)

where:

$$\tilde{X} = 1 + \frac{\overline{\sigma_{1}\sigma_{2}}}{\sigma_{1}\sigma_{2}} + [\frac{P_{2}+Q_{2}+P_{1}Q_{1}}{\overline{r}^{2}}]\overline{r^{2}} + (P_{1}+Q_{1})[\frac{\overline{r}\sigma_{1}}{\overline{r}\sigma_{1}} + \frac{\overline{r}\sigma_{2}}{\overline{r}\sigma_{2}}] + P_{1}\frac{\overline{r}\sigma_{1}\sigma_{2}}{\overline{r}\sigma_{1}\sigma_{2}}$$

$$+ P_{2}[\frac{\overline{r}\sigma_{1}\sigma_{1}}{\overline{r}^{2}\sigma_{1}} + \frac{\overline{r}\sigma_{2}}{\overline{r}^{2}\sigma_{2}}] + (P_{3}+Q_{3})\frac{\overline{r}^{2}}{\overline{r}^{3}} + \dots$$
(C.7)

and:

Q<sub>n</sub>

$$P_{n} = \sum_{k=1}^{n} (-1)^{n-k} \frac{(n-1)!}{(n-k)![(k-1)!]^{2}k} (E_{f}^{+}/\overline{T})^{k}$$
$$(\zeta_{e}-2)(\zeta_{e}-1)...(\zeta_{e}+1+n)$$

n!

Equation (C.6) is identical to the rate of reaction expression written  
in terms of local mean properties, but multiplied by a correction fac-  
tor, X. This correction term is exact, assuming that pressure fluctua-  
tions and changes in molecular weight are not significant and that  
$$(T'/T) \leq 1$$
.

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When turbulent fluctuations go to zero the value of X goes to 1. Terms containing products of fluctuation terms are dependent on the correlation of these fluctuations and X may be greater or less than one as a result of these correlation terms. If the activation energy  $E_f$  is high or the mean temperature T is low,  $P_n$  will increase very rapidly with n while  $Q_n$  decreases with n. This results in a correction term very different from one when slow reactions or low mean temperatures exist. For reactions with low activation energy or high mean temperatures the value of X is very nearly one and mean temperatures and concentrations may be used to calculate reaction rates with reasonable accuracy.

There are no simple methods for incorporating the effect of turbulent fluctuations on slow reaction chemistry into a computational reacting-flow model. Two approaches, probability density function (PDF) models and stochastic models have been used with some success in particular applications. The PDF approach uses a joint PDF to describe the chemical, thermodynamic and flow properties. This PDF contains all the information required to describe the reactive flow. Working from the basic turbulent flow conservation equations a single equation for this joint PDF can be derived. Using a Monte Carlo solution method, Pope [40] was able to solve this equation for some very simple geometries. The complexity and unsteadiness of diesel combustion makes this approach impractical for our application. Stochastic mixing models provide a less complete, but more computationally efficient method of dealing with this problem.

-256-

C.2 The Random Coalescence Model

In order to model more complex chemistry and include the effect of turbulent fluctuations within reasonable computational limits some compromises must be made in dealing with the flow details. The use of stochastic phenomenalogical models has gained broad.acceptance for steady flow chemical reactors, especially when some details of the flow and mixing are already known. The development of these models has occurred gradually. Pratt [41] provides an excellent overview of this development. Danckwerts [42] and Zweitering [43] introduced the concept of "population balance" modeling in which the flow is described as an ensemble of fluid particles. Entry of reactant particles into the reactor is called a "birth" event and exit from the reactor is a "death" event. The time a particle spends in the reactor from birth to death is the particle "residence time". Two types of mixing may occur in these models.

1. Macromixing or backmixing is the large scale mixing of elements of different "ages" within a flow. It is typical of a recirculating flow. At any point within the flow particles have a distribution of ages. Macromixing is often characterized by a residence time distribution (RTD) which refers to the distribution of particle ages at exit. Macromixing does not consider mixing on a molecular level.

2. Micromixing or stream mixing refers to the mixing of particles on a molecular level.

Until the coalescence and dispersion model proposed by Curl [1], early applications of these concepts were limited to the extremes of perfect micromixing or no micromixing and perfect macromixing or no macromixing. Two examples of these are:

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1. A plug flow reactor (PFR) in which groups of particles that enter together stay together (no macromixing). These groups of particles are either homogeneous on a molecular level (perfectly micromixed) or unmixed on a molecular level.

2. A perfectly sttirred reactor (PSR) where the flow is homogeneous in terms of particle age distribution (perfectly macromixed), and either homogeneous or unmixed on a molecular level.

Curl's model allowed for finite rate micromixing. His model assumed that initially segregated parcels are continuously fed into a perfectly stirred reactor (perfectly macromixed) having a constant parcel population. Randomly selected pairs of parcels are mixed on a molecular level (coalesced) according to a prescribed mixing rate and then separated again into two parcels of equal average intensive properties (dispersed). Finite rate batch chemistry proceeds continuously in each parcel during the time interval between mixings. Curl derived a differential equation based on this process to describe the concentration probability density function. Monte Carlo solutions of this equation for perfectly stirred reactors, plug flow reactors with finite rate micromixing, and series combinations of plug flow and perfectly stirred reactors have gained widespread use. [44,45,46] In our application various zones within the flow are assumed to be perfectly stirred reactors (perfectly macromixed) and finite rate micromixing within these zones is achieved using this technique.

The mixing rate specified in Curl's model represents the number of pairs of parcels mixed per unit time or the reciprocal of the characteristic micromixing time. An expression for the mixing rate,  $\beta(t)$ , was

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derived by Corrsin in an analysis of the exponential decay of concentration fluctuations in isotropic turbulence. [47] Despite Corrsin's rather restrictive assumptions, his results have been shown to work for more general reactive flows as long as the mixing rate is adequately large. [48,49]

For a single phase turbulent reacting flow with constant diffusivity and density, the species conservation equation, Equation (2.2), in indical notation is:

$$\frac{\partial \rho_m}{\partial t} + u_j \frac{\partial \rho_m}{\partial x_j} = D \nabla^2 \rho_m + \rho_m^C \qquad (C.8)$$

Applying Reynold's decomposition and time averaging, assuming homogeneous isotropic turbulence, this becomes:

$$\frac{d\bar{\rho}_{m}}{dt} = \dot{\rho}_{m}^{C} \qquad (C.9)$$

where:

$$\rho_{\rm m} = \rho_{\rm m} + \rho_{\rm m}$$

Subtracting (C.9) from (C.8), multiplying by  $\rho_{m}^{\phantom{m}}$  and again time averaging results in:

$$\frac{d\rho_{m}^{\prime 2}}{dt} = -2D\left[\left(\frac{\partial\rho_{m}}{\partial x_{j}}\right)\left(\frac{\partial\rho_{m}}{\partial x_{j}}\right) + 2\overline{\rho_{m}^{C\prime}\rho_{m}}\right]$$
(C.10)

For isotropic turbulence:

$$\left(\frac{\partial \rho_{m}}{\partial x_{j}}\right)\left(\frac{\partial \rho_{m}}{\partial x_{j}}\right) = 3 \left(\frac{\partial \rho_{m}}{\partial x}\right)^{2}$$
(C.11)

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For fluctuations in concentration:

$$\lambda_{m}^{2} = \left[ \frac{\partial \rho_{m}}{\partial x} \right]^{2}$$
(C.12)

is analogous to the Taylor microscale:

$$\lambda_{\rm T}^2 = \left[ \frac{1}{u^2} / \left( \frac{\partial u}{\partial x} \right)^2 \right]$$

where:

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$$\frac{\lambda_{\rm T}^2}{\lambda_{\rm m}^2} = \rm Sc$$

Substituting these expressions into Equation (C.10) yields:

$$\frac{d\bar{\rho}_{m}^{'2}}{dt} = -6v \frac{\bar{\rho}_{m}^{'2}}{\lambda_{T}^{2}} + 2\bar{\rho}_{m}^{C'\bar{\rho}_{m}}$$
(C.13)

Considering only the effect due to mixing:

$$\frac{d\rho_{m}}{dt} = -6v \frac{\rho_{m}}{\lambda_{T}^{2}} = -\beta\rho_{m}^{-\frac{1}{2}}$$
(C.14)

This differential equation represents an exponential decay of the species density turbulent variance:

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$$\overline{\rho_{m}^{'2}}(t) = \overline{\rho_{mo}^{'2}} \exp(-\beta t)$$
 (C.15)

Although the coalescence/dispersion model is not intended to represent the details of the actual mixing process it does predict this same exponential decay.

Following the above analysis, the mixing rate for our coalescence/ dispersion model may be expreessed in terms of physical turbulent flow properties:

$$\beta(t) = \frac{6\nu}{\lambda_{T}^{2}} = 6\nu \left(\frac{\partial u}{\partial x}\right)^{2} / \frac{1}{u^{2}} = \frac{1}{L} = \frac{50 C_{\beta} \mu_{T}}{\rho L^{2}}$$
(C.16)

where L is equal to the subgid scale length. For our analysis, turbulent viscosity,  $\mu_{\rm T}$ , and the subgrid scale characteristic length are calculated as part of KIVA's multi-dimensional solution so that the mixing rate of each stochastic mixing zone may be calculated by the MDM. With a scaling factor of 50.0 included in Equation (C.16), a value of C<sub>β</sub> near unity best reproduces the MDM results.

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APPENDIX D

NASA PROGRAM INPUT

#### D.1 Equilibrium Data Input

Program SMM requires tables of composition and thermodynamic properties for the burned fuel mixture in order to calculate the thermodynamic state of elements, NO production and oxidation, and soot oxidation. For high temperatures, the burned gas mixture is assumed to be at equilibrium. For temperatures below 1700K, thermodynamic properties are calculated assuming that the mixture composition is frozen at 1700K. The NASA Equilibrium Code [50] is used to generate tables of composition and properties as a function of temperature (300K-3500K), pressure (1atm -100atm), and total equivalence ratio (0-4.0). Changes to the NASA Code and supplementary programs are listed in APPENDIX D.2. Standard enthalpy with a 298K datum is used for all calculations. Thermodynamic properties calculated are: standard enthalpy, specific heat at constant pressure, molecular weight and heat of formation at 298K. Compositions calculated are: U1, U2, U3, K1, K2, [0,], [OH], and [CO]. (See Equation 3.16) The diesel fuel used is  $C_{10.8}H_{18.7}$ . Running command files NASA1, NASA2, NASA3, NASA4A, NASA4B, TABLE1, TABLE2 AND TABLE3, in that order, will generate the NASA Tables, file TBL1T7.DAT. Subroutine BTHRMO calculates the thermodynamic properties of burned elements and the burned gas fraction (BGFR) of unburned elements by interpolation in the NASA

Tables.

Subroutine UTHRMO calculates the thermodynamic properties of elements containing a mixture of unburned fuel vapor and burned gas. (BGFR<1.) An unburned element is assumed to consist of equilibrium burned gas (BGFR), whose properties are calculated by Subroutine BTHRMO, and unburned fuel vapor, whose properties are calculated using empirical expressions. Coefficients for calculating fuel vapor enthalpy and specific heat are from Reference [16]. 

#### D.2 FORTRAN Code

DIMENSION ZEXTRA(10), YOUT(10,13) COMMON/SH/SENSH(13), ENTLPY DATA ZEXTRA/4HCO2,4HH20,4HCO,4HH2,4HO2,4HN2,4HN0, ,4HOH / ,4HN & 4HO C \*\*\*\*\*\* IF.(CHFROZ) THEN CALL CHFRZN(NS, EQRAT) GO TO 4 END IF IF(.NOT.THMON)GO TO 4 CALL SHCALC(NS,NPT) DO 910 I=1.NPT WRITE(10,900) PPP(I), TTT(I), EQRAT, ENTLPY(I), SPHEAT(I), WM(I), 1 SENSH(I)900 FORMAT(1X,1F10.1,1F10.1,1F10.2,1F12.1,1F10.3,1F10.2,1F12.1) 910 CONTINUE C \*\* \* \* \* \* \* \* \* \* \* \* \* \* \* \* \*\*\*\*\*\*\*\*\* MLS 12/83, AJB 6/85\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\* IF (CHFROZ.OR.THMON)GO TO 3000 DO 1003 K=1,10 DO 1002 I=1,NS IF(SUB(I,1).NE.ZEXTRA(K)) GO TO 1002 DO 1001 I2=1,NPT YOUT(K,I2) = EN(I,I2)/TOTN(I2)1001 CONTINUE GO TO 1003 1002 CONTINUE 1003 CONTINUE С DO 1009 I=1,NPT WRITE(11,1110) PPP(I), TTT(I), EQRAT, (YOUT(K,I), K=1,6) WRITE(12,1120) PPP(I), TTT(I), EQRAT, (YOUT(K,I), K=7,10)

1009 CONTINUE 1110 FORMAT(1X, 1F10.1, 1F10.1, 1F10.2, 6(2X, G12.5)) 1120 FORMAT(1X, 1F10.1, 1F10.1, 1F10.2, 4(2X, G12.5)) C SUBROUTINE CHFRZN(NS.EQRAT) C PURPOSE TO CALCULATE PROPERTIES OF BURNED MIXTURE WHOSE COMPOSITION IS FROZEN AT 1700K. INTENDED TO BE USED AS A SUBROUTINE OF THE NASA CODE.

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С
         HFORM -
                   HEAT OF FORMATION AT 298K(cal/g)
С
         Н
                    STANDARD ENTHALPY(cal/g) AT 298K DATUM
С
         CP
                   SPECIFIC HEAT(cal/g-K)
                 ----
С
С
      SUBROUTINE CHFRZN(NS.EQRAT)
      DOUBLE PRECISION COEF, S, EN, ENLN, HO, DELN, DELH
      DOUBLE PRECISION HSUM, SSUM, CPR, DLVTP, DLVPT, GAMMAS
      COMMON/POINTS/HSUM(13),SSUM(13),CPR(13),DLVTP(13),DLVPT(13),
     1 GAMMAS(13), P(26), T(52), V(13), PPP(13), WM(13), SONVEL(13),
     2 TTT(13),VLM(13),TOTN(13)
      COMMON/SPECES/COEF(2,7,300),S(300),H0(300),DELN(300),DUMMY(300),
     1 EN(300,13), ENLN(300), A(20,300), SUB(300,3), IUSE(300), TEMP(150,2)
      R=1.9872
      NPT=1
      TT=298.15
      K=2
      HFORM=0.
С
C NOTE: THE HEAT OF FORMATION IS THE SAME AT ALL TEMPERATURES SINCE
          THE COMPOSITION IS FROZEN BELOW 1700K.
С
С
      DO 400 J=1.NS
        HFORM=HFORM+((((((COEF(K,5,J)/5.)*TT+COEF(K,4,J)/4.)*TT
       +COEF(K,3,J)/3.)*TT+COEF(K,2,J)/2.)*TT+COEF(K,1,J)+
     2 COEF(K,6,J)/TT)*EN(J,NPT)*TT*R
 400 CONTINUE
      DO 500 NT=1,8
        TT = 100 . + NT * 200 .
        H=0.
        CP=0.
        DO 100 J=1,NS
          K = 1
          IF(TT.LE.1000.) K=2
          KK = 0
          IF(COEF(K,1,J).NE.0.)GO TO 75
```

IF(KK.EQ.1)K=275 H=H+(((((COEF(K,5,J)/5))\*TT+COEF(K,4,J)/4))\*TT+1 COEF(K, 3, J)/3. \*TT+COEF(K, 2, J)/2. \*TT+COEF(K, 1, J)+ 2 COEF(K, 6, J)/TT)\*R\*TT\*EN(J, NPT)CP=CP+((((COEF(K,5,J)\*TT+COEF(K,4,J))\*TT+COEF(K,3,J))\*TT+COEF(K,2,J))\*TT+COEF(K,1,J))\*R\*EN(J,NPT) 1 100 CONTINUE WRITE(10,900)PPP(NPT), TT, EQRAT, H, CP, WM(NPT), HFORM 500 CONTINUE FORMAT(1X,2F10.1,F10.2,F12.1,F10.3,F10.2,F12.1) 900 RETURN END C\*\*\* SHCALC.FOR \*\*\*\*\*\*\* С C SUBROUTINE SHCALC(NS,NPT) С PURPOSE С С CALCULATES HEAT OF FORMATION BASED ON 298K DATUM FROM С STANDARD OR ASSIGNED ENTHALPY AS CALCULATED IN THE NASA С EQUILIBRIUM CODE. INTENDED TO BE USED AS A SUBROUTINE OF С THE NASA CODE. С C ARRAYS С SEN SH HT OF FORMATION AT 298K FOR MIXTURE COMPOSTION С AT BURNED TEMPERATURE AND PRESSURE (CAL/G) С DELH SPECIES HEAT OF FORMATION AT 298K (CAL/G) С SUBROUTINE SHCALC(NS,NPT) DOUBLE PRECISION COEF, S, EN, ENLN. HO. DELN DOUBLE PRECISION DELH COMMON/SPECES/COEF(2,7,300),S(300),H0(300),DELN(300),DUMMY(300), 1 EN(300,13),ENLN(300),A(20,300),SUB(300,3),IUSE(300),TEMP(150,2) COMMON/SH/SENSH(13), ENTLPY(13) DIMENSION DELH(300) R=1.9872 TT=298.15 DO 100 J=1.NS K=2DELH(J)=((((COEF(K,5,J)/5.)\*TT+COEF(K,4,J)/4.)\*TT+COEF(K,3,J)/ 50 3.)\*TT+COEF(K,2,J)/2.)\*TT+COEF(K,1,J)+COEF(K,6,J)/TT 1 100 CONTINUE DO 300 N=1.NPT SENSH(N)=0.DO 200 J=1 NS D = D E L H (J) \* E N (J N) \* T T \* RSENSH(N) = SENSH(N) + D200 CONTINUE 300 CONTINUE RETURN

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\$!

```
$ ON WARNING THEN EXIT
$ ON CONTROL Y THEN EXIT
$!
$ DEFINE FOR003 [BROWN.NASA]NL;
$ DEFINE FOROO4 [BROWN.NASA]NASA.DAT
$ DEFINE FOR005 [BROWN.NASA]NASA1.INP
$ DEFINE FOROO6 [BROWN.NASA]NL;
$ DEFINE FORO10 [BROWN.NASA]NASA1.OUT
$!
$ RUN [BROWN.NASA]NASA
$!
$ EXIT
C*** NASA1.INP
REACTANTS
C 10.8 H 18.7
                                             100.
                                                     -53570.
                                                              G298.15 F
.69
N 1.561760 .41959 AR.009324C .000300
                                             100.
                                                     -28.2
                                                               G298.15 0
NAMELIST
 $INPT2
    TP=.TRUE.
    P=60.
    ERATIO=.TRUE.
    MIX=1.0E-2,.8,.9,1.0,1.1,1.2,1.5,2.0,2.5,3.0,3.5,4.0
    T=1700.
    KASE = 4
    TRNSPT=.FALSE.
   CHFROZ = .TRUE.
 $END
STOP
C*** NASA2.COM **************
$!
       COMMAND PROCEDURE TO RUN NASA
$!
$ ON WARNING THEN EXIT
$ ON CONTROL Y THEN EXIT
$!
$ DEFINE FOROO3 [BROWN.NASA]NL;
$ DEFINE FOROO4 [BROWN.NASA]NASA.DAT
$ DEFINE FOR005 [BROWN.NASA]NASA2.INP
$ DEFINE FOROO6 [BROWN.NASA]NL;
$ DEFINE FORO10 [BROWN.NASA]NASA2.OUT
$!
$ RUN [BROWN.NASA]NASA
$!
$ EXIT
                                               *************
C*** NASA2.INP *
REACTANTS
С 10.8 Н 18.7
                                             100.
                                                     -53570. G298.15 F
.69
                                             100.
                                                     -28.2
                                                               G298.15 0
N 1.561760 .41959 AR.009324C .000300
```

```
NAMELIST
 $INPT2
    TP=.TRUE.
    P=1.,5.,10.,20.,30.,60.,100.
    ERATIO=.TRUE.
   MIX=.01,.3,.4,.5,.6,.7,.8,.85,.9
    T=1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500.,2600.,
        2700.,2800.,2900.,3000.,3200.,3500.
   KASE=1
    TRNSPT = .FALSE.
   CHFROZ=.FALSE.
 $END
STOP
C*** NASA3.COM ********
$!
       COMMAND PROCEDURE TO RUN NASA
$!
$ ON WARNING THEN EXIT
$ ON CONTROL Y THEN EXIT
$!
$ DEFINE FOROO3 [BROWN.NASA]NL;
$ DEFINE FOROO4 [BROWN.NASA]NASA.DAT
$ DEFINE FOR005 [BROWN.NASA]NASA3.INP
$ DEFINE FOR006 [BROWN.NASA]NL;
$ DEFINE FORO10 [BROWN.NASA]NASA3.OUT
$!
$ RUN [BROWN.NASA]NASA
$!
$ EXIT
C*** NASA3.INP *
REACTANTS
С 10.8 Н 18.7
                                              100.
                                                      -53570. L298.15 F
.69
N 1.561760 .41959 AR.009324C .000300
                                             100.
                                                      -28.2
                                                               G298.15 0
NAMELIST
 $INPT2
    TP=.TRUE.
    P=1.,5.,10.,20.,30.,60.,100.
    ERATIO=.TRUE.
   MIX=.95,1.0,1.05,1.1,1.2,1.35,1.5,1.75,2.0,2.25,2.5,2.75,3.0,3.5,4.0
   T=1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500.,2600.,
        2700.,2800..,2900.,3000.,3200.,3500.
   KASE=1
    TRNSPT = .FALSE.
   CHFROZ=.FALSE.
 $END
STOP
C*** NASA4A.COM **********
                                    ******
$!
       COMMAND PROCEDURE TO RUN NASA
$!
$ ON WARNING THEN EXIT
$ ON CONTROL Y THEN EXIT
```

```
$!
$ DEFINE FOR003 [BROWN.NASA]NL;
$ DEFINE FOROO4 [BROWN.NASA]NASA.DAT
$ DEFINE FOROO5 [BROWN.NASA]NASA4A.INP
$ DEFINE FOROO6 [BROWN.NASA]NL;
$ DEFINE FORO11 [BROWN.NASA]NAS4A1.OUT
$ DEFINE FORO12 [BROWN.NASA]NAS4A2.OUT
$!
$ RUN [BROWN.NASA]NASA
$!
$ EXIT
C*** NASA4A.INP ********
                                                ******
REACTANTS
C 10.8
       H 18.7
                                              100.
                                                      -53570. L298.15 F
.69
N 1.561760 .41959 AR.009324C .000300
                                              100.
                                                      -28.2
                                                               G298.15 0
NAMELIST
 $INPT2
    TP=.TRUE.
    P=1.,10.,30.,50.,75.,100.
    ERATIO=.TRUE.
    MIX=.01,.2,.4,.6,.8,.9,.95,1.0,1.05,1.1,1.2,1.3,1.4,1.5,1.6
    T=1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500.,2600.,2700.,
       2800.,2900.,3000.,3200.,3500.
    KASE=1
    TRNSPT = .FALSE.
   CHFROZ=.FALSE.
    THMON = .FALSE.
    TRACE=1.E-20
 SEND
STOP
C*** NASA4B.COM *************
       COMMAND PROCEDURE TO RUN NASA
$!
$!
$ ON WARNING THEN EXIT
$ ON CONTROL Y THEN EXIT
$!
$ DEFINE FOROO3 [BROWN.NASA]NL;
$ DEFINE FOROO4 [BROWN.NASA]NASA.DAT
$ DEFINE FOROO5 [BROWN.NASA]NASA4B.INP
$ DEFINE FOROO6 [BROWN.NASA]NL;
$ DEFINE FORO11 [BROWN.NASA]NAS4B1.OUT
$ DEFINE FORO12 [BROWN.NASA]NAS4B2.OUT
$!
$ RUN [BROWN.NASA]NASA
$!
$ EXIT
C*** NASA4B.INP ******
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-269-REACTANTS С 10.8 Н 18.7 100. -53570, L298.15 F .69 N 1.561760 .41959 AR.009324C .000300 -28.2 100. G298.15 0 NAMELIST \$INPT2 TP=.TRUE. P=1.,10.,30.,50.,75,,100. ERATIO=.TRUE. MIX=1.8,2.0,2.2,2.4,2.6,2.8,3.0,3.2,3.4,3.6,3.8,4.0 T=1700.,1800.,1900.,2000.,2100.,2200.,2300.,2400.,2500.,2600.,2700.,2800.,2900.,3000.,3200.,3500. KASE=1 TRNSPT=.FALSE. CHFROZ=.FALSE. THMON = .FALSE. TRACE=1.E-20\$END STO P C\*\*\* TABLE1.FOR \*\* C THIS PROGRAM CALCULATES TABLE COEFICIENTS FROM NASA DATA FOR TEMPERATURES BELOW 1700K WHERE THE CHEMISTRY IS FROZEN. IT SHOULD BE THE FIRST RUN INPUT INTO TBL 177.DAT.

```
PROGRAM TABLE1
      DIMENSION H(96).CP(96).WM(96).SH(96)
      OPEN (UNIT=3, FILE='[BROWN.SMM]TBL1T7.DAT', STATUS='NEW')
      OPEN (UNIT=10, FILE='[BROWN.NASA]NASA1.OUT', STATUS='OLD')
      DO 100 N=1.96
        READ(10,901) X1, X2, X3, H(N), CP(N), WM(N), SH(N)
 100 CONTINUE
      WRITE(3,910) (H(N), N=1,96)
      WRITE(3,920) (CP(N),N=1,96)
      WRITE(3,930) (WM(N), N=1,96)
      WRITE(3,910) (SH(N),N=1,96)
      CLOSE (UNIT=3)
      CLOSE (UNIT=10)
      STOP
 901 FORMAT(1X,2F10.1,F10.2,F12.1,F10.3,F10.2,F12.1)
 910 FORMAT(2X,10F7.1)
 920 FORMAT(2X, 10F7.3)
 930 FORMAT(2X,10F7,2)
      END
C*** TABLE2.FOR ******
```

С

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С

С

C THIS IS THE SECOND PROGRAM FOR PROCESSING NASA TO TABLE DATA.

С IT IS FOR BURNED PRODUCTS THERMO DATA. T>1700K. PROGRAM TABLE2 DIMENSION H(24,7,16), CP(24,7,16), WM(24,7,16), SH(24,7,16)

```
OPEN (UNIT=3, FILE='[BROWN.SMM]TBL1T7.DAT', STATUS='OLD''
     1 ACCESS='APPEND')
      OPEN (UNIT=10, FILE='[BROWN.NASA]NASA2.OUT', STATUS='OLD')
      OPEN (UNIT=11, FILE='[BROWN.NASA]NASA3.OUT'. STATUS='OLD')
      DO 100 I=1,9
        DO 100 J=1.7
          DO 100 K=1,16
            READ(10,901) X1,X2,X3,H(I,J,K),CP(I,J,K),WM(I,J,K),
     1
              SH(I,J,K)
 100 CONTINUE
      DO 200 I=10,24
        DO 200 J=1.7
          DO 200 K=1,16
            READ(11,901) X1,X2,X3,H(I,J,K),CP(I,J,K),WM(I,J,K),
              SH(I,J,K)
     1
 200 CONTINUE
      WRITE(3,910) (((H(I,J,K),K=1,16),I=1,24),J=1,7)
      WRITE(3,920) (((CP(I,J,K),K=1,16), I=1,24), J=1,7)
      WRITE(3,930) (((WM(I,J,K),K=1,16),I=1,24),J=1,7)
      WRITE(3,910) (((SH(I,J,K),K=1,16),I=1,24),J=1,7)
      CLOSE (UNIT=3)
      CLOSE (UNIT=10)
      CLOSE (UNIT=11)
      STOP
 901 FORMAT(1X, 2F10.1, F10.2, F12.1, F10.3, F10.2, F12.1)
 910 FORMAT(2X,10F7.1)
 920 FORMAT(2X, 10F7.3)
 930 FORMAT(2X,10F7.2)
      END
C*** TABLE3.FOR
      PROGRAM TABLE3
      DIMENSION A(27,6,16), B(27,6,16), C(27,6,16), D(27,6,16),
     1 = (27, 6, 16), F(27, 6, 16)
      REAL KK, K1, K2, K3
      OPEN (UNIT=3, FILE='[BROWN.SMM]TBL1T7.DAT', STATUS='OLD',
        ACCESS='APPEND')
     1
      OPEN (UNIT=10, FILE='[BROWN.NASA]NAS4A1.OUT', STATUS='OLD')
      OPEN (UNIT=11, FILE='[BROWN.NASA]NAS4A2.OUT', STATUS='OLD')
      OPEN (UNIT=12, FILE='[BROWN.NASA]NAS4B1.OUT', STATUS='OLD')
      OPEN (UNIT=13. FILE='[BROWN.NASA]NAS4B2.OUT'. STATUS='OLD')
      K3=4.1E13
      DO 100 I=1,15
        DO 100 J=1,6
          DO 100 K=1,16
            READ(10,901) X1,T,X2,XC02,XH20,XC0,XH2,X02,XN2
            READ(11,902) X1, X2, X3, XNO, X0, XN, XOH
            A(I,J,K) = ALOG(XNO)
            XX = XO * XN 2
            B(I,J,K) = ALOG(XX)
            K1 = (7.6E + 13) * EXP(-38000./T)
            K_{2}=(1.5E+9)*EXP(-19500./T)
            KK=K1*XN2*XO/(K2*XN*XO2+K3*XN*XOH)
            C(I,J,K) = ALOG(KK)
```

```
D(I,J,K) = ALOG(XO2)
           E(I,J,K) = ALOG(XOH)
           F(I,J,K) = ALOG(XCO)
100 CONTINUE
     DO 200 I=16,27
       DO 200 J=1,6
         DO 200 K=1,16
           READ(12,901) X1,T,X2,XC02,XH20,XC0,XH2,X02,XN2
           READ(13,902) X1, X2, X3, XNO, X0, XN, XOH
           A(I,J,K) = ALOG(XNO)
           XX = XO * XN 2
           B(I,J,K) = ALOG(XX)
            K1 = (7.16E + 13) \times EXP(-38000./T)
           K2=(1.5E+9)*EXP(-19500./T)
           KK = K1 * XN 2 * XO / (K2 * XN * XO 2 + K3 * XN * XOH)
           C(I,J,K) = ALOG(KK)
           D(I,J,K) = ALOG(XO2)
            E(I,J,K) = ALOG(XOH)
           F(I,J,K)=ALOG(XCO)
200 CONTINUE
     WRITE(3,910) (((A(I,J,K),K=1,16),I=1,27),J=1,6)
     WRITE (3,910) (((B(I,J,K),K=1,16),I=1,27),J=1,6)
     WRITE(3,910) (((C(I,J,K),K=1,16),I=1,27),J=1,6)
     WRITE(3,910) (((D(I,J,K),K=1,16),I=1,27),J=1,6)
     WRITE(3,910) (((E(I,J,K),K=1,16),I=1,27),J=1,6)
     WRITE(3,910) (((F(I,J,K),K=1,16),I=1,27),J=1,6)
     CLOSE (UNIT=3)
     CLOSE (UNIT=10)
     CLOSE (UNIT=11)
     CLOSE (UNIT=12)
     CLOSE (UNIT=13)
     STOP
901 FORMAT(1X,2F10.1,F10.2,6(2X,G12.5))
902 FORMAT(1X,2F10.1,F10.2,4(2X,G12.5))
910
     FORMAT(5(1E14.7, 1X))
     END
```

## APPENDIX E

## CHANGES TO KIVA FORTRAN CODE

\*I.DEFINE.29 C +++ KIVA UPDATE DECK C +++ MODIFIED FOR GENERATING INPUT TO STOCHASTIC MIXING MODEL BY ALAN C +++ BROWN, MIT, 121185. FURTHER MODIFIED FOR USE ON NAVAL RESEARCH C +++ LAB. WASHINGTON VAX/CRAY SYSTEM. С C USE OF INPUT VARIABLE LPR: С LPR=1 LONG PRINT LPR=2 MDMOUT (OUTPUT FOR SMM) С С LPR=3 PLOTDAT (GRAPHICS OUTPUT) С LPR=4 MDMOUT AND PLOTDAT С LPR=0 NONE OF THE ABOVE C C \*\*\*\*\*\*\*\*\*\*\* \*\*\*\*\*\*\* \*D,COMD.7,8 PARAMETER (NV=1200,LNXPYP=60,LNSP=12,LNRK=4,LNRE=6,NPAR=1000, 1 LP=40,LCHOP=25,LVAP=67,NZMDM=10) \*I.COMD.26 COMMON / LC8/ AAA8(1), BMV(NV), QCOMB(NV), QWALL(NV), DMEVAP(NV),1 TMFBRN (NZMDM), TMEVAP (NZMDM), TQCOMB (NZMDM), TQWALL (NZMDM), 2 ZMOLD (N ZMDM), ZMLOLD (N ZMDM), ZM VOLD (N ZMDM), ZM BFO (N ZMDM), 3 ZVOLO(NZMDM), TIMMDM, NCALL, ZZZ8 \*D,KIVA.1,2 PROGRAM KIVA OPEN(UNIT=4,FILE='MDMOUT',STATUS='NEW') OPEN(UNIT=5,FILE='ITAPE',STATUS='OLD') OPEN(UNIT=7,FILE='RDUMP',STATUS='OLD') OPEN(UNIT=8,FILE='WDUMP',STATUS='NEW') OPEN(UNIT=9,FILE='PLOTDAT',STATUS='NEW') OPEN(UNIT=12,FILE='KIVAOUT',STATUS='NEW') \*D,KIVA.29,30 IF (NRK.GT.O.AND.T.GE.T1IGN) CALL CHEM IF (NRE.EQ.6.AND.T.GE.T1IGN) CALL CHMQGM \*D, BEGIN.5,16 \*D, BEGIN.19,59 NWLCM=LOC(ZZZ1)-LOC(AAA1)+1 DO 10 N=1.NWLCM 10 AAA1(N)=0.NWLCM=LOC(ZZZ2)-LOC(AAA2)+1

DO 20 N=1,NWLCM 20 AAA2(N)=0. NWLCM=LOC(ZZZ3)-LOC(AAA3)+1 DO 30 N=1,NWLCM 30 AAA(N)=0.NWLCM=LOC(ZZZ4)-LOC(AAA4)+1DO 40 N=1,NWLCM 40 AAA4(N)=0. NWLCM=LOC(ZZZ5)-LOC(AAA5)+1 DO 50 N=1.NWLCM 50 AAA5(N)=0. NWLCM=LOC(ZZZ6)-LOC(AAA6)+1 DO 60 N=1, NWLCM 60 AAA6(N)=0.NWLCM=LOC(ZZZ7)-LOC(AAA7)+1 DO 70 N=1,NWLCM 70 AAA7(N)=0. NWLCM=LOC(ZZZ8)-LOC(AAA8)+1 DO 80 N=1,NWLCM 80 AAA8(N)=0. \*I,CHEM.15 BMV(I4)=0.QCOMB(I4)=0.\*I.CHEM.18 SPDV=SPD(I4,1) SIEBEG = SIE(14)\*I,CHEM.81 BMV(I4)=VOL(I4)\*(SPDV-SPD(I4.1))QCOMB(I4) = VOL(I4)\*RO(I4)\*(SIE(I4)-SIEBEG)\*D.CHEMEQ.1.133 \*I,CHMQGM.33 SIEBEG=SIE(14)\*D,CHMQGM.125 \*I.CHMQGM.143 QCOMB(I4)=QCOMB(I4)+VOL(I4)\*RO(I4)\*(SIE(I4)-SIEBEG) \*D,CHOP.18 \*D,CHOP.21 \*D,CHOP.233 \*I.EVAP.116 DMEVAP(I4) = DMTOT(I4)\*I.FULOUT.9 IF((LPR.NE.3).AND.(LPR.NE.4))GO TO 100 \*D,FULOUT.18,19 100 IF(LPR.EQ.1) CALL LNGPRT \*D, INJECT.70,72 130 WRITE(12,200) T,NCYC CALL EXIT \*D,LAWALL.11 DO 181 I=1.NX IF(F(I4).EQ.0.) GO TO 1801 SIEOLD=SIE(14) \*D,LAWALL.260 180 QWALL(I4)=VOL(I4)\*RO(I4)\*(SIE(I4)-SIEOLD)

```
1801 I4=I4+1
  181 CONTINUE
C*******
*DECK MDMOUT
C
C SUBROUTINE MDMOUT
С
C PURPOSE
С
С
         TO BE INCLUDED AS A SUBROUTINE IN KIVA. WRITE NECESSARY
С
         MDM DATA TO A TAPE FOR PROCESSING AND USE AS INPUT TO A
С
         STOCHASTIC MIXING MODEL FOR PREDICTING EMISSIONS.
С
С
      SUBROUTINE MDMOUT
C
C DECLARATION STATEMENTS AND COMMON BLOCKS
C
*CALL COMD
*CALL PART
      DIMENSION CELLM(NV), CMV(NV), CML(NV), CMBF(NV), CVOL(NV), CTEMP(NV),
     1 CQCOMB(NV), CBMV(NV), CMEVAP(NV), CQWALL(NV), CNO(NV),
     2 CAMU(NV)
      REAL MLIQ(NV)
      PARAMETER (CPE=2.389E-08)
      DIMENSION ZLLIMT (NZMDM), ZULIMT (NZMDM)
      DIMENSION ZM(NZMDM), ZML(NZMDM), ZMV(NZMDM), ZMBF(NZMDM),
        ZMF BRN (NZMDM), ZMEVAP (NZMDM), ZVOL (NZMDM), ZTEMP (NZMDM),
     1
        ZQWALL (NZMDM), ZAMU (NZMDM), ZQCOMB (NZMDM), ZFMF (NZMDM),
     2
     3 ZBETA (NZMDM), ZNO (NZMDM)
      DATA (ZLLIMT(L),L=1,NZMDM) /.2,.16,.12,.1,.08,.06,.04,.02,
     1
        .005,0.0/
      DATA (ZULIMT(L),L=1,NZMDM) /1.0,.2,.16,.12,.1,.08,.06,.04,
     1 .02,.005/
С
      CPE2D=CPE*FAC2D
С
С
         THESE CALCULATIONS ASSUME A HYDROCARBON REACTION
С
           MECHANISM WITH THE FOLLOWING CHEMICAL SPECIES INVOLVED:
С
           1-DIESEL, 2-02, 3-N2, 4-CO2, 5-H2O, 6-H, 7-H2, 8-O, 9-N
C
           10-0H, 11-CO, 12-NO
С
      IF((T-TIMMDM).LT.1.0E-05.AND.NCALL.GT.0)GO TO 200
С
      PAV=0.
      NC = 0
С
      IF (NCALL.EQ.O)THEN
        CA1INJ=ATDC+T1INJ*RPM*6.
        WRITE(4,999)(NAME(N),N=1,10),CA1INJ,RPM
      END IF
 999 FORMAT(10A8,/,1X,F6.1,2X,F6.1)
```

h ,

ß

No.

T.

3

0

2

53

```
С
C SUM ALL FLUID PARTICLES IN A CELL FOR THE CELL FLUID MASS
С
      DO 50 I4=1,IJKVEC
        MLIQ(14)=0.
 50
      CONTINUE
      IF(NP.LE.O)GO TO 101
      DO 100 N=1,NP
        I4=I4P(N)
        MLIQ(I4)=MLIQ(I4)+PI403R*PARTN(N)*RADP(N)**3
 100 CONTINUE
С
C CALCULATE ALL CELL PROPERTIES AT START OF INJECTION AND EVERY
  DTMDM.
С
С
 101 DO 150 I4=1,IJKVEC
          IF(F(14).LT..9) GO TO 150
          NC = NC + 1
          CVOL(NC) = FAC2D * VOL(I4)
          CELLM(NC)=CVOL(NC)*RO(I4)
          CML(NC)=MLIQ(I4)*FAC2D
          CMV(NC)=CVOL(NC)*SPD(I4.1)
          CMBF(NC)=CVOL(NC)*(.273*SPD(I4,4)+.112*SPD(I4,5)+
           SPD(I4,6)+SPD(I4,7)+.059*SPD(I4,10)+.429*SPD(I4,11))
     1
          CTEMP(NC) = CELLM(NC) * TEMP(I4)
С
C PRESSURE IN DYNES/CM**2
С
          PAV=PAV+P(I4)
С
C
    ENERGY PROPERTIES MUST BE CONVERTED FROM ERGS TO CAL.
С
          CMEVAP(NC)=FAC2D*DMEVAP(I4)
          DMEVAP(I4)=0.
          CQWALL(NC)=CPE2D*QWALL(I4)
          CQCOMB(NC) = CPE2D * QCOMB(I4)
          CAMU(NC) = AMU(I4) * CVOL(NC)
          CBMV(NC) = FAC2D + BMV(I4)
          CNO(NC) = CVOL(NC) * SPD(I4, 12)
 150 CONTINUE
С
C CONVERT PRESSURE UNITS TO ATM.
С
      PAV = PAV / (NC * 1.01325E + 06)
C INITIALIZE ZONE PROPERTIES.
C
      DO 160 NNZ=1,NZMDM
        ZM(NNZ)=0,
         ZML(NNZ)=0.
        ZMV(NNZ)=0.
        ZNO(NNZ)=0.
        ZMBF(NNZ)=0.
```

```
ZVOL(NNZ)=0.
        ZTEMP(NNZ)=0.
        ZAMU(NNZ)=0.
        ZMFBRN(NNZ)=0.
        ZMEVAP(NNZ)=0.
        ZQWALL(NNZ)=0.
        ZQCOMB(NNZ)=0.
 160 CONTINUE
      NCELL=NC
      GO TO 250
С
C CALCULATE AND UPDATE CUMULATIVE ZONE PROPERTIES EVERY MDM
C CYCLE.
С
 200 NC=0
      DO 240 I4=1,IJKVEC
             IF(F(I4).LT..9)GO TO 240
             NC = NC + 1
С
C TO CALCULATE FMF
С
             CELLM(NC)=VOL(I4)*RO(I4)*FAC2D
             CMV(NC) = VOL(I4) * SPD(I4,1) * FAC2D
             CMBF(NC)=VOL(I4)*FAC2D*(.273*SPD(I4,4)+.112*SPD(I4,5)+
              SPD(I4.6)+SPD(I4.7)+.059*SPD(I4.10)+.429*SPD(I4.11))
     1
С
C CUMULATIVE CELL PROPERTIES
С
             CBMV(NC) = FAC2D*BMV(I4)
             CMEVAP(NC)=FAC2D*DMEVAP(14)
             DMEVAP(I4)=0.
             CQCOMB(NC) = CPE2D * QCOMB(I4)
             CQWALL(NC)-CPE2D*QWALL(I4)
 240 CONTINUE
С
C INITIALIZE CUMULATIVE ZONE PROPERTIES.
С
      DO 245 NNZ=1.NZMDM
        ZMFBRN(NNZ)=0.
        ZMEVAP(NNZ)=0.
        ZQWALL (NNZ)=0.
        ZQCOMB(NNZ)=0.
 245 CONTINUE
      NCELL=NC
С
C CALCULATE ZONE PROPERTIES
С
 250 DO 300 NC=1,NCELL
        IF(CELLM(NC).EQ.0.)GO TO 300
        FMF = (CMV(NC)+CMBF(NC))/CELLM(NC)
        DO 260 NNZ=1,NZMDM
          IF((FMF.GE.ZLLIMT(NNZ)).AND.(FMF.LT.ZULIMT(NNZ)))THEN
            NNNZ=NNZ
```

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```
GO TO 270
          END IF
 260
        CONTINUE
 270
        IF((T-TIMMDM).LT.1.0E-05.AND.NCALL.GT.0)GO TO 280
С
C INSTANTANEOUS ZONE PROPERTIES
С
        ZM(NNNZ) = ZM(NNNZ) + CELLM(NC)
        ZML(NNNZ) = ZML(NNNZ) + CML(NC)
        ZMV(NNNZ) = ZMV(NNNZ) + CMV(NC)
        ZMBF(NNNZ) = ZMBF(NNNZ) + CMBF(NC)
        ZNO(NNNZ) = ZNO(NNNZ) + CNO(NC)
        ZVOL(NNNZ)=ZVOL(NNNZ)+CVOL(NC)
        ZTEMP(NNNZ)=ZTEMP(NNNZ)+CTEMP(NC)
        ZAMU(NNNZ) = ZAMU(NNNZ) + CAMU(NC)
С
C CUMULATIVE ZONE PROPERTIES
С
 280
        2MFBRN(NNNZ) = 2MFBRN(NNNZ) + CBMV(NC)
        ZMEVAP (NNNZ)=ZMEVAP (NNNZ)+CMEVAP (NC)
        ZQWALL (NNNZ)=ZQWALL (NNNZ)+CQWALL (NC)
        ZQCOMB(NNNZ)=ZQCOMB(NNNZ)+CQCOMB(NC)
      CONTINUE
 300
С
      DO 350 NNZ=1,NZMDM
С
C SUM CUMULATIVE PROPERTIES
С
        TMFBRN(NNZ)=TMFBRN(NNZ)+ZMFBRN(NNZ)
        TMEVAP (NNZ)=TMEVAP (NNZ)+ZMEVAP (NNZ)
        TQWALL (NNZ)=TQWALL (NNZ)+ZQWALL (NNZ)
        TQCOMB(NNZ) = TQCOMB(NNZ) + ZQCOMB(NNZ)
        IF((T-TIMMDM).LT.1.0E-05.AND.NCALL.GT.0)GO TO 350
C
C CALCULATE ZONE MEAN FMF, TEMP AND BETA EVERY DTMDM
С
        IF (ZM(NNZ).EQ.O.)THEN
           ZFMF(NNZ)=0.
           ZBETA(NNZ)=0.
           ZTEMP(NNZ)=0.
          GO TO 350
        END IF
        IF (CHARL.EQ.O.) THEN
           ZBETA(NNZ)=0.
          GO TO 340
        END IF
        ZBETA(NNZ)=ZAMU(NNZ)/(ZM(NNZ)*CHARL**2)
 340
        ZFMF(NNZ) = (ZMV(NNZ) + ZMBF(NNZ)) / ZM(NNZ)
        ZTEMP(NNZ) = ZTEMP(NNZ)/ZM(NNZ)
 350
      CONTINUE
С
      IF((T-TIMMDM).LT.1.0E-05.AND.NCALL.GT.0)GO TO 800
С
```

```
TIMMDM=T
      WRITE(4,904)TIMMDM,PAV
 904 FORMAT(1X,E13.5,1X,F8.4)
      WRITE(4,906)(ZM(K), K=1, NZMDM)
      WRITE(4,906)(ZML(K),K=1,NZMDM)
      WRITE(4,906)(ZMV(K),K=1,NZMDM)
      WRITE (4,906) (ZMBF(K), K=1,NZMDM)
      WRITE(4,906)(ZTEMP(K),K=1,NZMDM)
      WRITE (4,906) (TQCOMB(K), K=1, NZMDM)
      WRITE(4,906)(TMEVAP(K),K=1,NZMDM)
      WRITE (4.906) (TQWALL(K).K=1.NZMDM)
      WRITE(4,906)(TMFBRN(K), K=1, NZMDM)
      WRITE(4,906)(ZNO(K),K=1,NZMDM)
      WRITE(4,906)(ZVOL(K),K=1,NZMDM)
      WRITE(4,906)(ZFMF(K), K=1, NZMDM)
      WRITE(4,906)(ZBETA(K), K=1, NZMDM)
 906
      FORMAT(1X, 6E13.4)
С
      IF (NCALL.EQ.0)GO TO 800
С
C ZERO CUMULATIVE PROPERTIES AFTER WRITING (EVERY DTMDM),
    BUT NOT AT START OF INJECTION.
С
С
      DO 700 NNZ=1.NZMDM
        TMFBRN(NNZ)=0.
        TMEVAP(NNZ)=0.
        TQCOMB(NNZ)=0.
       .TQWALL(NNZ)=0.
 700
     CONTINUE
С
 800 NCALL=NCALL+1
      RETURN
      END
*MOVEDK MDMOUT: LNGPRT
C*******
*D,NEWCYC.6
*D.NEWCYC.53.56
  100 IF(MOD(NCYC,10).EQ.0) WRITE(12,200) NCYC,CRANK,T,DT,NS,
     1 NVS,GRIND,IDSP(1),TSPM(1),PM,AVP,PGS,IDDT
      IF(T.GE.T1INJ.AND.(LPR.EQ.2.OR.LPR.EQ.4)) CALL MDMOUT
*D.NEWCYC.60
*D,NEWCYC.69,76
*D,NEWCYC.85,86
      CALL EXIT
*D, PFIND.239,241
      CALL EXIT
*D, PRES. 106, 108
 200 WRITE(12,900)T,NCYC,NSUB
      CALL EXIT
*I.RINPUT.4
      DATA (RERF(K), K=1,21) / 0.,.04434039..08885599,.1337269..1791435,
       .2253121,.2724627,.3208583,.3708072,.4226803,.4769363,.5341591,
     1
     2 .5951161,.6608545,.7328691,.8134198,.9061939,1.017902,1.163087,
```

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3 1.385904,2. / C\*\*\*\* \* DIESEL FUEL MOD \*\*\* С С UPDATE TO CONVERT PHYSICAL PROPERTIES OF FUEL IN KIVA С TO DIESEL C10.8H18.7 С С ENTHALPY DATA FROM HEYWOOD/LORUSSO/ROSSINI: INTERPOLATED С ABOVE 1500K. FOR DIESEL MIX. С С REMAINING DATA FROM VERGAFTIK PP. 284-285: PROPERTIES FOR С DODECANE ARE USED FOR LATENT HEAT, VAPOR PRESSURE, С TCRIT, SURFACE TENSION, AND DENSITY. С С FOR DODECANE: TCRIT=659K С SURTEN AT 298K = 25.04 (CGS) С LIQUID DENSITY AT 298K = .7452 C +++ C +++ INPUT LABELS TO IDENTIFY THE SPECIES C +++ \*D.RINPUT.8.23 DATA (IDSP(N), N=1, 12) /8H DIESEL,8H 02,8H N2, CO2.8H H20,8H 1 8H Н, 2 8H H2,8H 0,8H Ν, 8H 3 OH.8H NO/ CO.8H C +++ C +++ ENTHALPIES OF THE PURE SPECIES ARE FROM THE JANNAF TABLES. C +++ INTERVALS ARE T=100(N-1). C +++ UNITS ARE KCAL/MOLE. 1=DIESEL(C10.8H18.7), 2=02, 3=N2, 4=C02, C +++ 5=H2O, 6=H, 7=H2, 8=O, 9=N, 10=OH, 11=CO, 12=NO C +++ DATA (HK(N,1),N=1,51) /0.0,1.24,2.49,6.98,13.13,20.73,29.6, 1 39.57,50.46,62.14,74.5,87.41,100.81,114.63,128.82,143.36, 2 157.89,172.43,186.97,201.5,216.04,230.58,245.11,259.65, 3 274.19,288.72,303.26,317.8,332.33,346.87,361.41,375.95, 4 390.48,405.02,419.56,434.09,448.63,463.17,477.7,492.24, 5 506.78,521.31,535.85,550.39,564.92,579.46,594.,608.53, 6 623.07,637.61,652.14/ \*D,RINPUT.90,106 С C +++ C +++ INPUT THE LATENT HEAT OF THE LIQUID, ALSO AT INTERVALS T=100(N-1). C +++ DODECANE LATENT HEAT VALUES IN RANGE 300-600K (ERGS/G) C DATA (HLATO(N), N=1,51) /5.160E9, 4.64E9, 4.12E9, 3.6E9, 1 3.08E9,2.56E9,9.4E8,44\*0.0/ C +++ C +++ INPUT THE LIQUID VAPOR PRESSURE IN DYNES AT INTERVALS T=10(N-1). C +++ DATA (PVAP(N),N=1,LVAP) /27\*0.0,1.23,3.73,9.73,2.37E2, 1 5.32E2,1.11E3,2.19E3,4.07E3,7.24E3,1.23E4,2.02E4, 2 3.2E4, 4.91E4, 7.34E4, 1.07E5, 1.52E5, 2.13E5, 2.91E5, **3.917E5,5.186E5,6.765E5,8.706E5,1.106E6,1.389E6,1.73E6,** 3 μ. 2.1227E6.2.571E6.3.093E6.3.695E6.4.386E6.5.176E6.6.07E6.

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X

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100010000 | 10001000 | 10001000

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7.087E6,8.228E6,9.505E6,1.093E7,1.251E7,1.427E7,1.62E7,
     5
     6
       1.813E7/
*I,RINPUT.118
      NZMAX = NZ
*D,RINPUT.176,177
*D.RINPUT.217
*D,RINPUT.264
*D,RINPUT.362,376
*D,RINPUT.387,392
  204 WRITE(12,440)
      GO TO 209
  205 WRITE(12,430)
      GO TO 209
  206 \text{ WRITE}(12, 460)
  209 CALL EXIT
*D.SETUP.290
*D,STATE.44,46
  100 WRITE(12,110) T,NCYC,I,J,K,I4,TEMP(I4),SIE(I4),IT,CRANK
      CALL EXIT
*D.TAPERD.9.10
*D, TAPERD.14, 31
      NWSCM=LOC(ZZ)-LOC(AA)+1
      READ(7) (AA(N), N=1, NWSCM)
      IF (NTD.NE.NDUMP) GO TO 40-
      NWLCM=LOC(ZZZ1)-LOC(AAA1)+1
      READ(7) (AAA1(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ2)-LOC(AAA2)+1
      READ(7) (AAA2(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ3)-LOC(AAA3)+1
      READ(7) (AAA3(N), N=1, NWLCM)
      NWLCM = LOC(ZZZ4) - LOC(AAA4) + 1
      READ(7) (AAA4(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ5)-LOC(AAA5)+1
      IF(NP.GT.O) READ(7) (AAA5(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ6)-LOC(AAA6)+1
      IF (NP.GT.O) READ(7) (AAA6(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ7)-LOC(AAA7)+1
      IF (NP.GT.O) READ(7) (AAA7(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ8)-LOC(AAA8)+1
      READ(7) (AAA8(N), N=1, NWLCM)
      WRITE(12,100) NDUMP, T, NCYC, CRANK
*D, TAPERD. 35, 38
*D, TAPERD.45,47
40
      WRITE(12,110)NDUMP,NTD
      CALL EXIT
*D, TAPEWR. 10, 33
      NWSCM=LOC(ZZ)-LOC(AA)+1
      WRITE(8) (AA(N), N=1, NW SCM)
      NWLCM=LOC(ZZZ1)-LOC(AAA1)+1
      WRITE(8) (AAA1(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ2)-LOC(AAA2)+1
      WRITE(8) (AAA2(N),N=1,NWLCM)
```

```
NWLCM=LOC(ZZZ3)-LOC(AAA3)+1
      WRITE(8) (AAA3(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ4)-LOC(AAA4)+1
      WRITE(8) (AAA4(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ5)-LOC(AAA5)+1
      IF (NP.GT.O) WRITE (8) (AAA5(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ6)-LOC(AAA6)+1
      IF (NP.GT.O) WRITE (8) (AAA6(N), N=1, NWLCM)
      NWLCM = LOC(ZZZ7) - LOC(AAA7) + 1
      IF (NP.GT.O) WRITE (8) (AAA7(N), N=1, NWLCM)
      NWLCM=LOC(ZZZ8)-LOC(AAA8)+1
      WRITE(8) (AAA8(N), N=1, NWLCM)
      WRITE(12,100) NDUMP, T, NCYC, CRANK
      NDUMP=NDUMP-1
*D, TIMSTP.69,71
*D,TIMSTP.79.81
      CALL EXIT
*DECK CBRT
      FUNCTION CBRT(A)
      THIRD=1./3.
      CBRT=A**THIRD
      RETURN
      END
*MOVEDK VSTRES:CBRT
  ******** HEAT FLUX MOD**
*D,LAWALL.101
      FLUX=2.0*CP*(TBAR-TWALL)*ABS(TAUW/VEL)
*D.LAWALL.178
      FLUX=2.0*CP*(TBAR-TWALL)*ABS(TAUW/VEL)
*D,LAWALL.258
      FLUX=2.0*CP*(TBAR-TWALL)*ABS(TAUW/VEL)
C********* FUEL SPRAY CONSTANT DIFFUSIVITY MOD *****
*IDENT TKEFUDRR
*D.PMOVTV.40.PMOVTV.45
      IF(IMOM.GT.999999 .OR. TURBT(N).GT.T)GOTO 30
      QT = .1*(U(IMOM)*U(IMOM)+V(IMOM)*V(IMOM)+W(IMOM))
      TEDDYSZ=169.5/(SQRT(QT)+1.E-10)
      TSC1=TEDDYSZ/(SQRT(QT)+1.E-10)
      VRELED = SQRT((UN(IMOM) - UP(N)) * 2 + (VN(IMOM) - VP(N)) * 2
                  +(WN(IMOM)-WP(N))**2)
     1
      TSC2=TEDDYSZ/(VRELED+1.E-10)
C******** PARTICLE DIFFUSION MOD **
*IDENT PARDIF
*D, PMOVTV.48
      IF (TSCALE.GE.DT)GO TO 25
      RELVEL(N) = SQRT((UN(IMOM) - UP(N)) * * 2 + (VN(IMOM) - VP(N)) * * 2 +
       (WN(IMOM)-WP(N))**2)
     1
      I4=I4P(N)
      VRELT=RELVEL(N)
      TG=TP(N)+THIRD*(TEMP(I4)-TP(N))
      VISCP=AIRMU1*TG*SQRT(TG)/(TG+AIRMU2)
      REYP=AMAX1(1.0E-10,2.0*RO(I4)*RADP(N)*VRELT/VISCP)
      CD = C VMGT (.424,24./REY P*(1.0+SIXTH * REY P** TWOTHD), REY P.GT.1000.)
```

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DRAGDT = .375 \* RO(I4) \* VRELT \* CD \* DT / (RHO \* RADP(N))ATD =DRAGDT/DT\*TSCALE EXPATD = EXP(ATD)EXPMATD = 1./EXPATDEXP2ATD = EXPATD \*\*2 TERM1 = (1.-EXPMATD) \*\*4TERM2=EXP2ATD/(EXP2ATD-1.) DTOTD=DT/TSCALE EXPATD = EXP(DRAGDT)TERM3=DTOTD-(1.-1./EXPADT\*\*2)/(1.-EXPMATD\*\*2) TERM4=(ATD-1.+EXPMATD)\*\*2\*DTOTD FSUBX=SQRT(TERM1\*TERM2\*TERM3+TERM4) FSUBXO=DRAGDT-1.+1./EXPADT TURVEL=TURVEL\*FSUBX/FSUBXO \*I,PMOVTV.63 IF(TSCALE.LT.DT) GO TO 40 C\*\*\*\*\*\* ENHANCED DIFFUSIVITY MOD\*\*\*\*\*\*\* \*D.TIMSTP.8 IF(T.LT.T2IGN)GO TO 4 IF (RPR.LT.3.) RPR=RPR+.01 IF(RSC.LT.3.)RSC = RSC+.01IF (ATKE.LT..6)ATKE=ATKE+.003 IF(AO.LT.1.0)THEN A0=A0+.005 AOME = AOAOMOM = AOEND IF IF(B0.GT.0)B0=B0-.005 4 DTCON=1.E+20 Cł

C.C.O
APPENDIX F

PROCESSING PROGRAM (PRCMDM1)

PROGRAM PRCMDM1 С С PROGRAM PRCMDM1 С С WRITTEN BY: A.J.BROWN С С REDUCES 10 ZONE RAW DATA FROM KIVA TO 10 ZONE SMM INPUT. С С PARAMETER (NF = 9, NZ = 10, NZ P1 = 11) DIMENSION ZQCOMB(NZ),ZMEVAP(NZ),ZQWALL(NZ),ZVOL(NZ),ZFMF(NZ), 2 ZBETA (NZ), ZMF BRN (NZ), ZM(NZ), ZNO(NZ), ZML (NZ), ZMV (NZ), ZMBF(NZ),ZTEMP(NZ) 3 DIMENSION ZMOLD(NZ), ZMLOLD(NZ), ZMVOLD(NZ), ZMBFO(NZ), 1 ZVOLO(NZ) DIMENSION FM(NF), FML(NF), FMV(NF), FMBF(NF), B(NZ) CHARACTER\*30 NAME READ(11,901)NAME,CA1INJ,RPM WRITE(4,901)NAME,CA1INJ,RPM READ(12,\*)CA1INJ,SWIRL,EGR,T2IGN WRITE(4,\*)CA1INJ,SWIRL,EGR READ(12,\*)N $N_{1} = N_{-1}$ WRITE(4,\*)N1 DO 50 I=1,NZ B(I)=0.50 CONTINUE DO 100 I=1,N READ(11,905)T,P READ(11,906)(ZM(K), K=1, NZ)READ(11,906)(ZML(K),K=1,NZ)READ(11,906)(ZMV(K), K=1, NZ)READ(11,906)(ZMBF(K),K=1,NZ)READ(11,906)(ZTEMP(K),K=1,NZ)READ(11,906)(ZQCOMB(K),K=1,NZ) READ(11,906)(ZMEVAP(K), K=1, NZ) READ(11,906)(ZQWALL(K),K=1,NZ) READ(11,906)(ZMFBRN(K), K=1, NZ)READ(11,906)(ZNO(K),K=1,NZ)READ(11,906)(ZVOL(K),K=1,NZ) READ(11,906)(ZFMF(K),K=1,NZ) READ(11,906)(ZBETA(K), K=1, NZ) С C READ ZBETA'S WITHOUT ENHANCED DIFFUSIVITY С IF(T.GE.T2IGN) READ(15,\*)(ZBETA(K),K=1,NZ)

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	DO 110 L=1.1 0
	IF(ZM(L).LE.O.)THEN
	ZNO(L)=0.
	ELSE
	ZNO(L) = ZNO(L) / ZM(L)
	END IF
110	ZBETA(L) = 50. * ZBETA(L)
C	CONTINUE
Ŭ	DO 120 L=1.10
	IF(ZBETA(L).GT.1.E4)ZBETA(L)=1.E4
	IF(ZBETA(L).LE.O.)ZBETA(L)=B(L)
	B(L) = ZBETA(L)
120	CONTINUE
C	TE(T = 0, 1) (0, $TO = 200$
	FM(1) = 7MOLD(1) - 7M(1) + 7MFVAP(1)
	FMV(1) = ZMVOLD(1) - ZMV(1) + ZMEVAP(1) - ZMFBRN(1)
	FMBF(1) = ZMBFO(1) - ZMBF(1) + ZMFBRN(1)
	DO 150 L=2,9
	FM(L) = ZMOLD(L) - ZM(L) + ZMEVAP(L) + FM(L-1)
	FMV (L) = ZMVOLD (L) - ZMV (L) + ZMEVAP (L) - ZMF BRN (L) + FMV (L-1)
150	FMBF(L)=ZMBFO(L)-ZMBF(L)+ZMFBRN(L)+FMBF(L-1)
150	$\mathbf{E}_{\mathbf{M}} = \mathbf{E}_{\mathbf{M}} = $
	DO = 1.60  L=8.11
	- $FML(L) = ZML(L+1) - ZMLOLD(L+1) + ZMEVAP(L+1) + FML(L+1)$
160	CONTINUE
	FML0=ZML(1)-ZMLOLD(1)+ZMEVAP(1)+FML(1)
С	
	WRITE(4,910)T,P
	WRIIE(4,900)(FM(L),L=1,9) $WRITE(4,906)(FMV(L),L=1,0)$
	WRITE $(4, 906)$ FMLO, $(2ML(L), L=1, 10)$
	WRITE(4,906)(FMBF(L),L=1,9)
	WRITE(4,906)(ZTEMP(L),L=1,10)
	WRITE(4,906)(ZNO(L),L=1,10)
	WRITE $(4,906)$ (ZMEVAP (L), L=1,10)
	WRITE(4,906)(ZQWALL(L), L=1,10)
	WRIIE(4,900)(2MFBRN(L),L=1,10) $WRITE(1,906)(7001(L),L=1,10)$
	WRITE(4,906)(ZFMF(L),L=1,10)
	WRITE(4.906)(ZBETA(L),L=1.10)
	WRITE(4,908)ZM(10),ZMV(10),ZMBF(10)
С	
200	D0 250 $J=1,10$
	ZMOLD(J) = ZM(J)
	241 LU LU (J) = 241 L (J) 7M VOID (J) = 7M V (J)
	2MBFO(J) = 2MBF(J)
	ZVOLO(J) = ZVOL(J)
250	CONTINUE

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IF(I.GT.1)GO TO 100 WRITE(4,902)P

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100	CONTINUE	
С		
901	FORMAT(A30,/,1X,F6.1,2X,F6.1)	
902	FORMAT(1X,F8.4)	
905	FORMAT(1X,E13.5,1X,F8.4)	
906	FORMAT(1X, 6E13.4)	
908	FORMAT(1X,3E13.4)	
910	FORMAT(1X,E13.5,1X,F8.4)	
С		
	CALL EXIT	
	END	
<b>0 X X X X</b>	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	



CLARK KALLARKEN

APPENDIX G

ENGINE TEST DATA

3.713 KIO' 3 799 × 10 - 6 9/6-5 855 networked injection timing 812 dump al abilitut 3 in 119 (prfore Jumping) 33.0 EGNO<sub>x</sub> (Nxn/tp-hr) (vi-ci//urcii) ONSti EXII NO<sup>x</sup> (ppm) EXIL NO (ppm) 47. 21 54 DISK/TRACK -F 1137 80. 1137 7.2139 VOL. EFF. (%) 72 27 11.5.149 (psla) 127.6272 (Ithm/ hip-hr) 0.5072 4.2709 (Ilum/Hp-hr) 0.3196 NOx correction = 7.34 21.0 12.0 SMOKE (BOSCII NO.) 1.2 PEAK PRES. (Psla) /0.17.7 21.0 یر ایر ا 111 ang.le and optimen swirt with t hule negter. MOTOR LOAD (IN) BRAKE LOAD (1151) (psia) (dı) (psia) (dy) **PERFORMANCE**: (dq) 8 /1-2 - / 2 y mero 3.3 - / 6 1.8 ہ **FEST DESCRIPTION:** BSFC BMEP FMEP IMEP вне ISFC FHP 1HP 2.816 olignic. 700 7.3 11.5 1 ζ 926.2 186.8 168.0 126.8 80.6 EXI(al (head (° F) 725 head ( F) 150.0 0 1-11 60.6 5.1.5 50 18 INT. al [reg (°F) ( d E ) COOLANT ( out ( ° F) 4 (hbck (° F) (o F) **TEMPERATURE:** 0.0690767 % C02 In exh surge % C02 h ht % 002 In air 08/1./1. - 168. 1-5/6 33.9 0.10 1.7817 F 3 EGR (%) 011 117.1 INIGGER DATE : 68 5 95.3 ر) د 30 F/A |s N FUEL: ≣∕c 0.0615 061,500 1724 80.15 1001 00313 Pup stream orithe (psia) 55.4 1. 1912 6.9 01 0 - hule 160" 1-1/6 2.46 - 15 107 15 ~ 1.01 W (Ilm His/Ibm sic) 0.003 11.39 6.91 ENGINE CONDITIONS : 51 5 Mair (Ibm/mhn/ur) ENGINE SPEED ( rpm) FUEL TIME (sec) ₩ fuet (Ibm/mln) SHROUD POSITION Pexh. surge (psia) LAB. CONDITIONS FUEL WT. (gm) DUMPdesire (ca) DUMPachual (ca) Accel clisice (psia) Pboosl (psia) NOZZLE TYPE SWIRL RATIO (" ( Nel pub (P) and U DISK/TRACK INJ. TIMING (cise) miled (undd) ON (undel) RUN # F/A NOX

Figure G-1 Run 17 Test Data

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RIN 16 18		ATF:	9/10/20							
LAB. CONDITIONS:		UEL:		TESI	r descr	IPTION:				
Palm (psial / 4.3	Ξ	·/ 0/	ribr.	*	I retai	rded injet	ion timera	•		
$P_{\text{Loosel}}$ (chesice (pold) 6. B	7 E	/A  s 6	176990767	8	ten al	high 'aw	int, w. l.	z		
Tdry bulb (°F) 74.	5					~	( (			
$T_{wel}$ bub (°F) 52	<u>F</u>	ligger	- 168.			DUCECHO	~ = 6.44			
w (Itxm He / Itym atr) 0.	0032									
ENGINE CONDITIONS		TEM	PERATURE	••	PEI	FORMANCE :				
INJ. TIMING	- 15	INT.	al [reg [	140	78.6 BR	AKE LOAD (I	bf) 19.7	EXII NO (I	(սով	625
NOZZLE TYPE	8-4-16		head	(•F) /5	7.6 MO	TOR LOAD (I	M) 12.9	EXII NOX (I	(wdd	019
SHROUD POSITION	.011	EXIL	bend le	√ · (」)	07   V 0	L. EFF. (3	1916.16 (%	Vur(II) ONSE	p-lr()	
SWIRL RATIO	4		surge	(0 F) 40	14.6 BM	EP (psia	1301.11 (4	BSNO <sub>x</sub> (Ixm/	(hl)	
Pun chream orithe (psia	544	BOOL	ANT fout (	° F1 /3	<i>с</i> Вн	(dıl) q	6.64			
Phoose (psla)	6.9.9		[Ubck (	(0 F) /1	).2 BSI	FC (Ibm/hp	hr) 0.5529			
Pexh. surge (psia)	10.5	011	-	0 F) 17	0.6   FMI	EP (psia)	47.2159	DISK/FRACK		815-1,2
Malr (Ibm/mln)/4ry	1 1.768	~			FI	(dv) d	4.2709			
FUEL TIME (sec)	178.26				IMI	(elsq) de	120.6205	6	ے ج	19
FUEL WT. (gm)	80.15	EGR	(%)	٥	IHI	(díl) .	10.7109	Ľ	32 , 0	ר.
₩ fuet (Ibm/min)	0.0 612	% 0	ns וו ב <sup>01</sup>		ISF	C (Ibm/1p-)	111) 0.1365			
F/A	71-60.0	% C	02 In exh.		PEA	K PRES. (Psi.	)1220/(E			
Ð	0,5008	% 0	105 In Int		SMA	rF (ROSCII	No) 4.3			
ENGINE SPEED ( rpm)	1001				2 5 	-			•	
			3	¥		9	2 5.41			
DUIMP, Lesine ("ca)	40	25	25	5	01-	- 25				
DUMPachial ('ca)	47	16	26	5	- 7	- 18				
(mdd) ON	18.1	56.4	66.3	21.3	5.6	1.3	<u> </u>			
(mcki) XON	80.1	59.4	71.7	27.5	7.3	<u> </u>	610			
DISK / TRACK	1-41	r/2.7	8/2-1	8/1.2	- l' l	1 01.1.2				

Figure G-3 Run 18 Test Data

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Figure G-4 Run 18 Pressure Traces

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RUN 1/2 19		DATE:	11116	60					
LAB. CONDITIONS:		:UEL:		TEST	DESCRIPT	:NOI			
(rist) mled	1/ 5.1/	/ 0/1	1817		, B hole	v 72 lou	un 0.7 0	timm interest	Ę
Moost cleare (haia)	1.01	·/A 3 0	0190767	1.	יו נייש עו	N april	ייווי סרי	wil, No FGR	
(John ( <sup>o</sup> F) the	6.62			•	0	-	C		
Twel bub (°F)	52 1	RIGGER	- 160		ر NON	orrect	ion tai	$cl-or = q, d\phi$	
(11 null/011 null) (1	0.00.13				2				
ENGINE CONDITION	4S :	TEMI	PERATURE	••	PERFO	RMANCE :			
INJ. TIMING	- 25	INT.	al [rey	° F1 7	7 BRAKI	FOAD (1b	1) 2.2.0	EXIL NO (ppm)	1600
NOZZLE TYPE	8 - 1.10		head (	• F) (50	AOTOR 3.	(II) (IVOT I	1) 12.7	EXH NO <sup>x</sup> (bbm)	0001
SHOUD POSITION	160	EXIL	) bead le	(0F) 696	2 VOL. 1	EFF. (%	6) 92.43B	(M-41/mail) ONSE	
SWIRL RATIO	2.4 6		(אונסב	oF) Alu	.6 BMEP	(elsq)	81.1514	BGNO <sub>x</sub> (Ibm/tp-hr)	
Pup stream office (Ps	a) 55.2	000	ANT foul (	0 F1 183	2 BHP	(dy)	Lanc.L		
Phoose (psia)	10%		luxch (	° F) 181	4 BSFC	t-dit/matt)	11) 0.5075		_
Pexh. surge (psia)	9.6	011	<b>.</b>	o F) /68	B FMEP	(psia)	46.8965	DISK/TRACK 5/	3 - 1, 2
hipmonth Jeh	4) 1.7864				FHP	(dv)	9.22.49		_
FUEL TIME (sec	11/125				IMEP	(psła)	Pr11.74	ر. ع نب 1	16,
FUEL WT. (gm)	80.15	EGR	(%)	0	1 HP	(փլ)	11.5475	T. 33 C	ר.
M fuel (Ibm∕mln)	0.0610	0 %	02 In air		I SFC	(lbn/1p-h	r) 0.321B		
F/A	0.03.17	0 %	02 In exh.		PEAK 1	PRES. (psia	1343.68		
φ	0.5016	% 0	02 in Int		SMALE	( Rosch)	7.7		
ENGINE SPEED ( 1011	<i>361</i> (1								
			2	7	ۍ ا	×	1	0 5,1	
(ea)) grind	46	25	18	0/	10	-15	- 31		
(DUMPartine (ca)	53.5	22	/	, ,	5	- 6	+1 -		
(undd) ON	215	226	1.1	ې ک	117	0 C	4.5	1600	
(mr(r) NO <sub>X</sub>	2/8	232	111	62	121	22	4.0.	, 700	
DISK/TRACK	1- 3/8	1-1.18	8/7.2	816-1	8 19.2	1-1/4	7/12		

Figure G-5 Run 19 Test Data

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121 IN 16 20		DATE:	9/11/6	0					
LAB. CONDITIONS:		FUEL:		TEST D	ESCRIPT	:N0			
l (cisc) uled	4.34	1/0	1.7817	11ains	8- 11-10	north	Jim wil	4 10% FOX OF	"in ydo
(clar) chaire (hala)	6.96.	~/a  s	0.0690767	June	, hun ,	ret orded	in nich	in timing	•
(10 bub (°F)	<i>VI</i> .						~ <		
Twethub (°F)	5.1	RIGGER	-160	Ž	ç Ç	rectur	r tact	$o_{1} = q_{1} + q_{2}$	
6 (Ilan ILe / Ibin ali) 6	.0020				٤				
ENGINE CONDITION	s :'	TEM	PERATURE	••	PERFOR	MANCE :			
- 11MING	.51	INI.	al [reg [	11 130	BRAKE	FOAD (115	0.17 (	EXH NO (ppm)	356
NOZZLE TYPE	8- 4010		head (	-F) 150.8	MOTOR	FOVD (IP	1 12.7	EXII NO <sup>X</sup> (ppm)	370
SHROUD POSITION	160.	EXIL	) bead le	0 F) 740.2	VOL. E	FF. (%	1 92.337	BSNO (Ibm/Ip-Iv)	
SWIRL RATIO	2.46	<u></u>	surge (	0F) 425	BMEP	(elsq)	81.4137	BGNO <sub>x</sub> (Ilxn/Ip-hr)	
Pup stream oritize (psi	P.11 (E	000	ANT foul (	0F) 182	BHP	(dıj)	7.2594		
(clsq) loood	6.97		(LUCK	°F) /13	BSFC	կ-ժկ /սգլ)	r) 0.5093		
Pexh. surce (psia)	101	01	- -	oF) 170	FMEP	(psia)	46.8465	DISK/TRACK 5/	4 -1,2
Malr (Ibry/mhn)(44)	,) 1.6007 (1.	(1144			FHP	( dı ])	4.229]		
FUEL TIME (sec)	1.12.07				IMEP	(psla)	127.2602	 r	
FUEL WT. (gm)	80.15	EGR	(%)	10.19	THP	(dı)	11.4885		5
₩ fuel (Ilm/min)	0.0616	%	0 <sub>2</sub> In air	0.03	ISFC	(Ibn/tp-hr	0178.0 (		
F/A		% 0	<sup>0</sup> 2 In exh.	7.38	PEAK PI	RES. (psia)	1005.9		
ø		% 0	02 In Int	1.0	2.101.E	CROSCH NO	915 (.		
ENGINE SPEED ( rpm	199				1 5				
		2	3	7	5.1	9	7 11/	•	
DUMP <sub>deshe</sub> ('ca)	- 20	- 5	. S	0/	ه ۶	35			
(La) (ca)	-17	-11-	TDC	11	27	52			
(ບ່ມເປດ) ON	2.8	ء. د	9.1	32 S	136	43.4	356		
(m(kl) VON	3.7	3.3	9.5	35.1	500	45.2	370		
DISK/TRACK	1110	2 1/1-	1-1/2	1-1-172	1111	11-1/1			

Figure G-7 Run 20 Test Data

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Figure G-8 Run 20 Pressure Traces

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RUN # 21		DATE:	7/26/80				
LAB. CONDITIONS:		FUEL:		TEST 1	DESCRIPTI	on :	
(clay) mlef	81-1-1	1/0 <sup>°</sup>	11 BC	wied	8-4.10	to nor allow	retarled timengs
Pucol closic (cist)	6.82	F/A   5 0	0690767	ini -	the series	L and 10% EG	
Tury bubs (°F)	02			•			
Twel bub (°F)	49 1	RIGGER	-168.	2	D, Co T	ection tacker	-= 9.46
( he nich / an null )	72000				٢		
ENGINE CONDITION	IS :'	TEM	PERATURE		PERFOR	MANCE :	
INJ. TIMING	-15	. INI	al [reg (	°F1 75.3	BRAKE	LOAD (Ibf) 17.6	EXH NO (ppm) 290
NOZZLE TYPE	8 - h ole		head (	-F) 150.8	MOTOR	LOAD (11/1) 12 6	EXII NO <sub>X</sub> (Ppm) 300
SHROUD POSITION	,0/1	EXH	) benil le	0 F) 701.6	VOL.E	FF. (%) 71.042	ESNO (lbm/hp-hr)
SWIRL RATIO	·†·		surge (	°F) 313.0	BMEP	(1119.46 (Elsq)	BSNO <sub>x</sub> (lbm/tp-hr)
Pup shearn withe 1ps	¦; 21∕ (a	1000	ANT oul 1	° F) 13.2	BHP	(hb) 5.8784	
Pboosi (psla)	6 . B		[] hock [	0 F) 126.8	BSFC	(1bm/hp-hr) 0.6281	
Pexh. surge (psia)	01	011	÷	0F) 167	FMEP	(psia) 4(.4176	DISK/TRACK 7/5-2
Malr (IbuVuln)	1) 1115 1 (	(11)			FIIP	(hp) 0.2.89	7/5-1 (NO ECA)
FUEL TIME (sec)	122/1				IMEP	(psla) ///. 31% 7	
FUEL WT. (gm)	A . 15	EGR	(%)	10.7	HHP	(hp) 10.0868	0 1 1 1 1 1 1
₩ fuel (Ibm/mIn)	0 06.5	% 0	02 In air	c.13	I SFC	(thu/tp-tr) v. step	
F/A		% C	02 In exh.	7.11	PEAK PI	1ES. (psia) /o 1 6. <sup>C</sup>	)
Ф		3 % C	02 in Int	0.75	SAIDKE	(BOSCH NO.) 695	,
ENGINE SPEED ( 1011	) 1002.					•	
	/	2	6	7	ι.	6	
DUMP <sub>deshe</sub> ('ca)	3.6	2 S E	15	10	01-		
DUMP, which (ca)		10	-	2	-12		
(mdd) ON	1 58	3-1.1	253	13.9	9.5	n 62	
(uncki) <sup>K</sup> ON	37.5	36.8	26.5	15,8	4.3	300	
DISK / TRACK	1-9/6.	7/1-2	2.1/2	1-212	1-8/6		

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Figure G-9 Run 21 Test Data

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Figure G-10 Run 21 Pressure Traces

