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A COMPUTATIONAL MODEL FOR THREE-DIMENSIONAL INCOMPRESSIBLE SMALL CROSS FLOW WALL JETS

FINAL REPORT

For The Period June 30, 1976 through June 30, 1977

Contract No. N62269-76-C-0382

Prepared for

Naval Air Development Center Warminster, Pennsylvania 18974

December 15, 1977



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Dr. Norman D. Malmuth Principal Investigator

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R. K. Szeto Co-Investigator

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TABLE OF CONTENTS

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								Page
1.0	INTRO	DDUCTION		•	•	•	•	1
2.0	FORM	ULATION OF THE PROBLEM		•	•		•	4
	2.1	Description of Physical System and Assumptions Incompressible Navier-Stokes Equations	 	•	•	•	:	4 4 7
	2.3	Small Cross Flow Approximation	er .	•	•	•	•	,
	2.5	Finite Momentum Limit for Finite Curvature	•••	•	•	•	•	0
	2.6	Walls, $(\kappa = O(1))$ Submerged Wall Jets Turbulence AssumptionsEddy Viscosity Models .	•••	:	•	:	:	10 20
	2.7 2.8	Boundary and Initial Conditions	· ·	:	:	:	:	21 22
3.0	NUME	RICAL METHODS		•	•		•	25
	3.1 3.2 3.3 3.4	The Box Scheme	 	•••••	•••••	•		25 30 37 40
4.0	PARA	METRIC STUDIES			•	•		41
5.0	CONC	LUSIONS AND RECOMMENDATIONS		•		•	•	55
6.0	REFE	RENCES			•	•		56
APPE	NDIX	A: CODE LISTING AND SAMPLE INPUT AND OUTPUT		•	•	•	•	Al
APPE	NDIX	B: 3-D WALL-JET SMALL CROSS FLOW PROGRAMRUNNING INSTRUCTIONS	G .					A39

1

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LIST OF FIGURES

			rage
Fig.	1	(a) Geometry of wall jet configuration	5
		(b) Intrinsic coordinate system	5
Fig.	2	Mesh configuration	26
Fig.	3	Log spiral schematic	42
Fig.	4	Log spirals considered for $K = .05$ and $K = 1/3 \cdot \cdot \cdot \cdot$	44
Fig.	5	Effect of spanwise flow on development of various wall jet flow quantities	45
Fig.	6	Reduced surface pressures for K = 1/3 log spiral with and without span flow	46
Fig.	7	Streamwise development of u profiles for log spiral submerged wall jet with span flow	47
Fig.	8	Streamwise development of w profiles for log spiral submerged wall jet	48
Fig.	9	Streamwise development of w _{MAX} for log spiral submerged wall jet	49
Fig.	10	Effect of spanwise flow on normalized u profile	41
Fig.	11	Streamwise development of reduced velocity profile	52
Fig.	12	Streamwise development of reduced wall shear stress	53
Fig.	13	Coflowing wall jet with cross flow $K = -10$, $K = 1/3 \log \text{ spiral}, u(x,\infty) = f(0,\infty) \stackrel{2}{=} 1 \dots \dots$	54



NOMENCLATURE

ds	differential arc length
S	running arc length along surface, streamwise independent variable
f(ŋ)	normalized stream function, (p. 22)
h1,h2,h3	metric coefficients
H	jet height
ĸ	constant in logarithmic spiral equation(4.1), (p. 41)
^K 1, ^K 2, ^K 3	geodesic curvatures, (p. 10)
L	mean radius radius of curvature, (p. 13)
0,0	order of magnitude symbols, (p. 9)
P	pressure
p	reduced pressure variable
वे	velocity vector
Q	initial volume flow from slot
R	Reynolds number based on slot height = UH/v
^R 0	initial logarithmic spiral radius
u,v,w	x,y,z components of q
U	effective mean jet velocity
U _{cc}	freestream velocity
x,y,z	orthogonal curvilinear coordinates parallel and perpendicular to wall
Х,Ү	logarithmic spiral Cartesian set
δ	wall jet thickness
۵	Laplacian. (p. 8)



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NOMENCLATURE (Cont'd)

Δ'	Laplacian in x,y
ε	reciprocal of Reynolds number = R^{-1}
ε ₁ ,ε ₂	eddy viscosities
η	Glauert similarity variable, (p. 22)
θ	polar angle
к	curvature of wall in x,y plane
ρ	density
ψ	stream function, (p. 22)
ω	coflow velocity ratio = U/U_{∞} for two-dimensional wall jet
ά	vorticity vector
τ	metric function, (p. 8)
Subscripts	

0	refers	to	quantities	at	jet exi	t	
~	refers	to	quantities	inf	initely	far	upstream



FOREWORD

This document describes analytical and computational studies of threedimensional incompressible laminar and turbulent wall jets in small cross flows. This effort was performed during the period June 30, 1976, to June 30, 1977, and was sponsored by the Naval Air Development Center under Contract No. N62269-76-C-0382.

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The technical monitor for this study was Dr. K. A. Green.



ABSTRACT

A computational model based on H. Keller's box scheme has been used to characterize turbulent incompressible wall jets in the small cross flow approximation prototypic of flows over upper-surface-blown and augmenter wings with ejectors employing Coanda wall jets. Submerged (i.e., zero secondary flow velocity) and coflowing cases are considered. An eddy viscosity model was used to simulate the effects of turbulence. Approximate models are identified for flows in which the jet height tends to zero. If the span flow is introduced through a lateral curvature term appearing in the spanwise momentum equation, the effect of the turbulent coupling on the surface pressures, and peak spanwise velocities is weak.



ACKNOWLEDGEMENTS

The authors wish to express their appreciation for the valuable comments and review of this report by Drs. K. A. Green, W. D. Murphy, and V. Shankar. Contributions of J. D. Cole relevant to Section 2.5 are also acknowledged.



1.0 INTRODUCTION

Modern naval aircraft can reduce strike force vulnerability by distributing these vehicles over a larger number of ships within the fleet. One way of achieving this allocation is through the attainment of vertical lift-off capability. A technique used to provide vertical lift without oversizing the engine in the cruise mode is the use of thrust augmenting ejectors. With these devices, engine thrust can be enhanced during vertical takeoffs and landings. Obviously, it is desired to achieve the highest thrust augmentation ratio (4) as possible. Various design concepts have been advanced toward obtaining this goal. In the Navy/Rockwell International XFV-12A, for example, an ejector system composed of a centerbody and two Coanda wall jets is currently under development. A central feature of the flow fields produced by this system is three-dimensionality. This has been particularly evident in subscale flow visualization on the Coanda surfaces. It is believed that these flow processes may be important toward ϕ maximization. One way of understanding this relationship is through theoretical modeling which can provide a means of reducing the high cost of powered lift testing. Unfortunately, existing methodology has been limited in the past to two-dimensional flows for the analysis of wall jets and complete ejector systems.

In Ref. 1, a semi-analytical solution for a wall jet over a flat plate is considered. Both the cases of laminar and turbulent flow are treated. Similarity solutions are studied for the laminar case in which the flux of exterior momentum flux is an invariant. For the flat plate case, the existence of this constant does not depend on similarity. With regard to two-dimensional

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laminar jets over a curved wall treated in Ref. 2, similarity is necessary to obtain the corresponding invariant. Two-dimensional turbulent wall jets were also considered by Giles, et al.,³ who studied self-preserving behavior for logarithmic spiral profiles. Various workers have studied turbulent processes experimentally in two- and three-dimensional wall jet flows. This effort is exemplified by Refs. 4-7. Coflowing jets which in contrast to the submerged case have the jet embedded in an external inviscid field are of great practical interest. Kruka and Eskinazi have investigated deviations from similitude in such flows as well as merging of the mixing and wall layers.

Three-dimensional turbulent processes have been studied in connection with downstream behavior of non-circular jets over flat plates and are exemplified by Refs. 9 and 10. These investigations have relevance to the prediction of ejector three-dimensional mixing described in Ref. 11.

The mathematical prediction of these flows presents formidable problems. Only the simplest geometries, e.g., flat plate or special wall shapes such as the logarithmic spiral, lead to an ordinary differential equation for a similarity solution. For turbulent flows, with realistic eddy viscosity models, partial differential equations govern the flow field. Modern finite difference methods offer promise of handling these cases. In particular, Dvorak in Ref. 12 treats two-dimensional wall jets over boundaries of large curvature. Computational modeling of three-dimensional generalizations of these flows has up till now been unexplored to the best of our knowledge. This class of flows occurs in connection with taper and sweep effects on lift augmenters and upper-surface-blown wings.

2



To shed light on the associated flow patterns, a study, "Three-Dimensional Flow of a Wall Jet," was initiated by the Naval Air Development Center to investigate wall jet flows which exemplify typical features of complex propulsive lift applications. The purpose of this study has been to apply modern computational methods to the treatment of three-dimensional wall jets. The following three basic tasks were performed:

- Task 1: Formulate a model to describe a 3-D wall jet in the small cross flow approximation.
- Task 2: Develop a numerical method and computer code to treat a 3-D wall jet.
- Task 3: Parametric studies using computer code.

In Task 3, the streamwise developments of shear stresses, sideslip angles, streamwise, and spanwise velocity profiles have been studied.

This report will summarize the basic results for all three tasks.



2.0 FORMULATION OF THE PROBLEM

2.1 Description of Physical System and Assumptions

The configuration shown in Fig. 1a has formed the basis of this investigation. Depicted is a section of a three-dimensional wing OPCEFO which has a wall jet over its surface ADEF generated by the efflux from the slot ABCD. An intrinsic coordinate system (x,y,z) is arranged so that the slot ABCD is embedded in the surface x = 0, and the wing is the surface y = 0. Surfaces x = constant are normal to the wing and orthogonal to y = constant as shown in Fig. 1b. For simplicity, a cylindrical arrangement is shown with the z direction parallel to generators of the cylinder. However, the formulation to be discussed can be applied to more complicated three-dimensional shapes.

2.2 Incompressible Navier-Stokes Equations

To serve as a framework for subsequent developments, the incompressible Navier-Stokes equations are considered in this section.

Denoting an arc element ds, and the orthogonal curvilinear coordinate system given in Fig. 1a, and the metric coefficients h_i , i = 1,2,3, ds is given by

 $ds^{2} = h_{1}^{2}dx^{2} + h_{2}^{2}dy^{2} + h_{3}^{2}dz^{2}$

If u, v, and w are, respectively, the velocity coordinates in the x, y and z directions, then if $\dot{q} = (u,v,w)$, p = pressure, ρ = density,

4



Fig. 1a Geometry of wall jet configuration



Fig. 1b Intrinsic coordinate system



 $\dot{\omega}$ = vorticity = curl \dot{q} , then the equations of motion for a laminar flow* with constant kinematic viscosity v are:

Continuity

div $\dot{q} = 0$ (2.1)

Momentum

$$\vec{q} \times \vec{\omega} = \operatorname{grad}\left(\frac{p}{\rho} + \frac{q^2}{2}\right) - \nu \operatorname{div} \operatorname{grad} \vec{q}$$
 (2.2)

On taking components, these equations become

Continuity

$$(h_2h_3u)_x + (h_3h_1v)_y + (h_1h_2w)_z = 0$$
 (2.3a)

x Momentum

$$-\frac{v^{2}h_{2}}{h_{1}h_{2}} + \frac{uu_{x}}{h_{1}} + \frac{v(h_{1}u)_{y}}{h_{1}h_{2}} + \frac{w}{h_{1}h_{3}}(uh_{1})_{z} - \frac{w^{2}h_{3}}{h_{1}h_{3}} = v\Delta u - \frac{P_{x}}{h_{1}\rho}$$
(2.3b)

$$\Delta A \equiv \text{div grad } A \equiv \nabla^2 A = \frac{1}{h_1 h_2 h_3} \left[\frac{\partial}{\partial x} \left(\frac{h_2 h_3}{h_1} \frac{\partial A}{\partial x} \right) + \frac{\partial}{\partial y} \left(\frac{h_3 h_1}{h_2} \frac{\partial A}{\partial y} \right) + \frac{\partial}{\partial z} \left(\frac{h_1 h_2}{h_3} \frac{\partial A}{\partial z} \right) \right]$$

Turbulent flows will be considered in Section 2.6 Coordinate variable subscripts indicate partial differentiation with respect to these variables.



$$\frac{y \text{ Momentum}}{-\frac{w}{h_2h_3}} + \frac{vv_y}{h_2} + \frac{w}{h_2h_3}} (h_2v)_z + \frac{u}{h_1h_2} (h_2v)_x - \frac{u^2}{h_1h_2} h_1_y = v\Delta v - \frac{p_y}{h_2\rho}$$
(2.3c)

$$-\frac{u^{2}}{h_{3}h_{1}}h_{1_{z}} + \frac{ww_{z}}{h_{3}} + \frac{u}{h_{3}h_{1}}(h_{3}w)_{x} + \frac{v}{h_{2}h_{3}}(h_{3}w)_{y} - \frac{v^{2}}{h_{3}h_{2}}h_{2_{z}} = v\Delta w - \frac{p_{z}}{h_{3}\rho}$$
(2.3d)

2.3 Small Cross Flow Approximation

Assuming that w, $\partial/\partial z \ll 1$, Eqs. (2.3) can be simplified to

7

Continuity

$$(h_2h_3u)_x + (h_3h_1v)_y = 0$$

x Momentum

$$-\frac{v^{2}h_{2}}{h_{1}h_{2}} + \frac{uu}{h_{1}} + \frac{v(h_{1}u)_{y}}{h_{1}h_{2}} = v\Delta u - \frac{P_{x}}{h_{1}\rho}$$



 $\frac{u(vh_2)_x}{h_1h_2} + \frac{vv_y}{h_2} - \frac{u^2}{h_1h_2}h_{1y} = v\Delta v - \frac{p_y}{h_2\rho}$ $\frac{z \text{ Momentum}}{-\frac{u^2h_{1z}}{h_3h_1} + \frac{u}{h_3h_1}(h_3w)_x + \frac{v}{h_2h_3}(h_3w)_y - \frac{v^2}{h_3h_1}h_{2z} = v\Delta w - \frac{p_z}{h_3\rho}$ $\Delta' = \frac{1}{h_1h_2h_3} \left[\frac{\partial}{\partial x} \left(\frac{h_2h_3}{h_1}\frac{\partial}{\partial x}\right) + \frac{\partial}{\partial y} \left(\frac{h_3h_1}{h_2}\frac{\partial}{\partial y}\right)\right]$

y Momentum

2.4 <u>Small Cross Flow, Wall Jet Approximation and Order of Magnitude Analysis</u> Without undue loss of generality, we consider the case for which^{*,†}

 $h_1 = 1 + \kappa y$, $h_2 = 1$, $h_3 = 1 + \tau(x,z)y$

$$\Delta = \frac{1}{h_1 h_3} \left[\frac{\partial}{\partial x} \left(\frac{h_3}{h_1} \frac{\partial}{\partial x} \right) + \frac{\partial}{\partial y} \left(h_3 h_1 \frac{\partial}{\partial y} \right) + \frac{\partial}{\partial z} \left(\frac{h_1}{h_3} \frac{\partial}{\partial z} \right) \right]$$
$$\Delta' = \frac{1}{h_1 h_3} \left[\frac{\partial}{\partial x} \left(\frac{h_3}{h_1} \frac{\partial}{\partial x} \right) + \frac{\partial}{\partial y} \left(h_3 h_1 \frac{\partial}{\partial y} \right) \right]$$

^{*}This notation varies in boundary layer analyses. Some authors prefer $(x,y,z) \rightarrow (h_1,1,h_2)$.

More general h_i's will be considered in future studies.



(2.4a)

We consider a wall jet limit involving the jet exit height H becoming small in comparison to the wall radius of curvature at a fixed downstream station x. The jet height δ is O(H) as $H \rightarrow 0$.^{*} In addition, y, the normal coordinate to the surface is $O(\delta)$ in the limit. Furthermore, we assume that metric coefficients h_i and K_i , (i = 1,2,3) defined below are O(1). In this limit, the approximate orders of magnitude of the various terms are shown above the equations tabulated below:

Continuity

v0⁻¹ u $(h_{3}u)_{x} + (h_{3}h_{1}v)_{y} = 0$

(For both terms to balance, v therefore $\sim \delta u$)

x Momentum

 $u^{2} \delta u^{2} \delta^{-1} \qquad \forall u \delta^{-2}$ $\frac{u u}{h_{1}} + \frac{v}{h_{1}} (h_{1} u)_{y} = -\frac{p_{x}}{\rho h_{1}} + \forall \Delta u \qquad (2.4b)$

(where conclusions from the continuity equation have been used in the ordering)

Considering two arbitrary functions f(x) and g(x), f = O(g) as $x \to x$ implies that |f/g| < k as x = x where k is independent of x. The statement f = O(g) implies that $f/g \to 0$ as $x \to 0$.



y Momentum

$$\frac{u^2\delta}{h_1} + vv_y - \frac{\kappa u^2}{h_1} = -\frac{p_y}{\rho} + v\Delta v$$
(2.4c)

z Momentum

$$u^{2} \quad uw \quad uw \quad \delta uw\delta^{-1} \quad \delta^{2}u^{2} \qquad vw\delta^{-2}$$

$$K_{2}u^{2} + K_{1}uw + \frac{uw}{h_{1}} + \frac{v(h_{3}w)_{y}}{h_{3}} + K_{3}v^{2} = -\frac{p_{z}}{h_{3}} + v\Delta'_{w} \qquad (2.4d)$$

where

$$K_1 = h_{3_x} / h_1 h_3$$
, $-K_2 \equiv h_{1_z} / h_1 h_3$, $\frac{\kappa}{1 + \kappa y} \equiv h_{1_y} / h_1$
 $-K_3 \equiv h_{2_z} / h_3 h_1$

2.5 Finite Momentum Limit for Finite Curvature Walls, (K = O(1))*--Submerged Wall Jets

To further simplify the foregoing equations, we consider the limit in which $\rho u^2 \delta$ is fixed as $\delta \rightarrow 0$. Here, u = O(U), where U is defined as a mean jet exit velocity. Accordingly, $u = O(\delta^{-1/2})$. If $\kappa = O(1)$ as $\delta \rightarrow 0$, $h_1 \doteq 1$, allowing various terms to be eliminated from the foregoing equations. The ground rules for this process are that at least the frictional term in the

10

More complex forms of the equations arise for $\kappa \delta = O(1)$ but will not be considered in this report.



streamwise momentum equation is retained, and a nontrivial y momentum is desired where the pressure gradient normal to the streamlines balances the centrifugal force. If these guidelines are adopted, the approximate equations become, noting that $\partial/\partial z = o(\partial/\partial y)$, and $\partial/\partial y = O(\delta^{-1})$:

Continuity

$$u_{y} + v_{y} = 0$$
 (2.5a)

x Momentum

 $uu_{x} + vu_{y} = vu_{yy}$ (2.5b)

y Momentum

$$\rho \kappa u^2 = p_y \tag{2.5c}$$

z Momentum*

$$\frac{uw}{h_1} + vw_y + K_1 uw + K_2 u^2 = vw_{yy}$$
(2.5d)

*The K₁ term is negligible for $h_3 = 1 + \tau(x,z)y$, but is retained here and in Section 2.8 for more general h_3 's.



Here, the most interesting case has been retained so that the $K_2 u^2$ term balances other terms in the O(uw) z momentum equation since it is of order $u^2h_{1_z}$ which itself is assumed to be O(uw). For submerged wall jets with $u \rightarrow 0$, as $y \rightarrow \infty$, in contrast to curved wall boundary layers, the pressure gradient term $p_x/\rho h_1$ is negligible in (2.4b), since from (2.4c), $p = O(\kappa u^2 \delta) = O(1)$. A similar result is obtained in the finite mass limit $\rho u \delta =$ fixed as $\delta \rightarrow 0$. Only for boundary layers or subregions of coflowing wall jet flows with $\lim_{x \to \infty} u_x \neq 0$ jets implying $p_x = O(u^2)$ in (2.4b) can the $y \rightarrow \infty$ x = 0 jets implying $p_x = O(u^2)$ in (2.4b) can the streamwise pressure gradient become important. For the finite momentum limit, inclusion of the friction term in (2.4b) implies $\delta \sim v^{2/3}$ as $v \rightarrow 0$. This order of magnitude has been tacitly assumed in the omission of the higher order term vv_{vv} in (2.5c).

The rationale for the δ scaling with ν and the disappearance of the p_x term from the x momentum equation for submerged jets can be more fully understood from three-dimensional generalizations of asymptotic developments to be discussed shortly in connection with two-dimensional flows. Prior to this, we note that for finite mass with $\rho u \delta$ fixed, $\delta \sim \nu$ as $\nu \rightarrow 0$. As will be indicated, other "distinguished limits" are possible in which internal structures such as the wall layer, potential core, and mixing layers can be abstracted.

We conclude this section by noting that the foregoing approximate forms of the equations of motion could be obtained from a formal asymptotic expansion procedure which will be illustrated for two-dimensional curved wall-jets. It is well known that these flows can be divided into a transitional region near the jet exit consisting of a mixing layer, inviscid constant velocity potential



core, and a boundary layer in the vicinity of the wall. The potential core is eaten up by the boundary and mixing layers. Turbulent diffusion results in a merger of these layers at a downstream location. In what follows, we consider the flow in the fully merged zone. As in boundary layers, two different representations can be used to describe the flow structure. An "inner" representation is appropriate to the viscous jet layer near the wall, and an "outer" expansion describes the external inviscid flow. Another option is to develop a uniformly valid asymptotic representation using an optimal set of coordinates developed by Kaplun.^{13,14}

Denoting the mean velocity at the exit by $U = Q/\rho H$, where H is the exit height, and Q is the exit mass flow, the exit momentum is QU. Accordingly, the nondimensional form of Eqs. (2.4) in two dimensions can be obtained by normalizing all velocities with respect to U, the pressure difference from ambient with respect to ρU^2 , and all lengths with respect to L a mean radius of curvature.^{*} The resulting dimensionless equations of motion are similar in form to (2.4) except with suitable dimensionless redefinitions of the K₁, ρ and the ν coefficients replaced by R⁻¹, where R = Reynolds number based on L = UL/ ν .

We now consider appropriate asymptotic representations for the inner viscous layer. Introducing a small parameter ε which is the reciprocal of the Reynolds number R, we envision a sequence of flows observed at a fixed x station in which the normalized wall height, H, is allowed to become vanishingly small as $\varepsilon \rightarrow 0$. If $\delta(x;\varepsilon)$ is the characteristic jet height, δ

Note that other normalizing lengths are possible such as the viscous length ν/U or the jet height H. The velocities can also be referred to a free stream velocity U_{∞} provided the latter is not zero. The selection mode here is advantageous for the arguments that follow.



will scale like H as $H \rightarrow 0$. To keep the fine structure of the jet layer in view as $H \rightarrow 0$, we "blow up" the y scale by a factor $\sigma(\varepsilon)$, where the functional form $\sigma(\varepsilon)$ is to be determined. Here, $\sigma \sim \delta$. To formalize this, we assert that the y dependence is really a dependence on the strained variable $\tilde{y} \equiv y/\sigma$. The most general form of the inner expansion leading to the non-dimensional, laminar two-dimensional specialization of Eqs. (2.5) is

$$u(x,y;\varepsilon) = \varepsilon \sigma^{-2} u_{0}(x,\tilde{y}) + \varepsilon \sigma^{-1} u_{1} + ...$$
 (2.6a)

$$\mathbf{v}(\mathbf{x},\mathbf{y};\varepsilon) = \varepsilon \sigma^{-1} \mathbf{v}_{o}(\mathbf{x},\tilde{\mathbf{y}}) + \varepsilon \mathbf{v}_{1} + \dots \qquad (2.6b)$$

$$p(\mathbf{x},\mathbf{y};\varepsilon) = \varepsilon^2 \sigma^{-4} p_0(\mathbf{x}) + \varepsilon^2 \sigma^{-3} p_1(\mathbf{x},\tilde{\mathbf{y}}) + \dots \qquad (2.6c)$$

for an "inner limit," x, \tilde{y} fixed as $\varepsilon \downarrow 0$. The "gauge function," σ is determined by matching this solution with the outer inviscid flow.

It should be recognized that for the flat plate boundary layer, since there is no characteristic length in the streamwise direction, the appropriate representations are <u>coordinate</u> expansions for large x rather than for small values of the parameter ε of (2.6). Another viewpoint, see, for example, Van Dyke,¹⁶ is to introduce a fictitious normalizing length in the streamwise direction which cancels out in the analysis.

For wall jets, several "distinguished limits" are relevant for the coflow ratio $\omega \equiv U/U_{\infty}$, where U_{∞} is the freestream velocity in the outer flow. These cases are as follows:

- (i) $\omega \rightarrow 0$
- (ii) ω fixed



(iii) $\omega \rightarrow \infty$

(iv) $\omega = \infty$

as $\varepsilon \to 0$. Case (i) is not of interest for propulsive lift applications. Note further that Case (ii) subsumes Case (iv) which corresponds to a submerged jet. If Case (ii) is assumed, then the assertion that u = O(1), uniformly in $0 \le x \le \infty$, is plausible based on normalization of this streamwise velocity component with respect to U and matching considerations. Accordingly, $\varepsilon \sigma^{-2} = 1$ in (2.6a) implying that $\sigma = \sqrt{\varepsilon}$. This scaling is also appropriate to conventional boundary layer flows. Substitution of (2.6) into the exact equations and retaining terms of dominant order will give the non-dimensional analog of (2.5a)-(2.5c), for the approximate quantities in (2.6), with an additional pressure gradient term in the axial momentum equation due to the coflow effect. These equations are:

Continuity

$$u_{o_{\mathbf{x}}} + v_{o_{\widetilde{\mathbf{y}}}} = 0$$

x Momentum

$$u_{o}u_{o}u_{x} + v_{o}u_{o}u_{\widetilde{y}} = -p'_{o}(x) + u_{o}u_{\widetilde{y}\widetilde{y}}$$

y Momentum

$$\kappa u_0^2 = p_{1_{\widetilde{y}}}$$



The longitudinal gradient $p'_{o}(x)$ is determined as in conventional boundary layers by matching with the outer flow streamwise pressure gradient which is determined from Bernoulli's equation. Note that the y pressure gradient balancing centrifugal force across the streamlines arises from the second order term p_1 in the pressure expansion (2.6c).

The representation of the outer flow field is obtained from other asymptotic expansions of the flow variables. The appropriate outer variable normal to the body surface is y and the expansions are:

$$u(x,y;\varepsilon) = U_{o}(x,y) + \sqrt{\varepsilon} U_{1}(x,y) + \dots$$
$$v(x,y;\varepsilon) = V_{o}(x,y) + \sqrt{\varepsilon} V_{1}(x,y) + \dots$$
$$p(x,y;\varepsilon) = P_{o}(x,y) + \sqrt{\varepsilon} P_{1}(x,y) + \dots$$

for x,y fixed as $\varepsilon \rightarrow 0$ ("outer limit").

On substitution of these expansions into the exact equations and retaining the dominant terms, the following equations are obtained for the first order quantities:

Continuity

$$U_{o_{x}} + (h_{1}V_{o})_{y} = 0$$

x Momentum

$$U_{OO_{x}} + h_{1}V_{OO_{y}} + \kappa U_{OO} = -P_{O_{y}}$$



y Momentum

$$U_{o}V_{o} + h_{1}V_{o}V_{o} - \kappa U_{o}^{2} = -h_{1}P_{o}$$

To determine the longitudinal pressure gradient in the inner equation and $\sigma(\epsilon)$, Bernoulli's equation

$$p + \frac{u^2 + v^2}{2} = \omega^{-2}$$

and a matching procedure is used in which the inner and outer solutions are written in a representation appropriate to an intermediate "overlap" domain between inner and outer regions in which the solutions have common validity. For this purpose, the intermediate limit, y_{η} fixed as $\varepsilon \rightarrow 0$, is used in which $y_{\eta} = y/\eta(\varepsilon)$ and the order of $\eta(\varepsilon)$ is between $\sqrt{\varepsilon}$ and unity. The inner and outer expansions are written in terms of y_{η} and are equated to various orders, yielding conditions on the unknown quantities.^{*}

From the Bernoulli equation and this procedure, the following boundary conditions are obtained

 $V_{o}(x,0) = 0 \qquad \text{on} \quad -\infty \leq x \leq \infty$ $P_{o}(x,0) = P_{o}(x) = \omega^{-2} - U_{o}^{2}(x,0)/2$

Van Dyke in Ref. 14 uses Lagerstrom's restricted matching principle to obtain similar results for boundary layers without the intermediate variable formalism applied in this section. Cole in Ref. 17 has applied the intermediate variable matching method for a wide class of singular perturbation problems and has derived formulations similar to those described here for boundary layers.



$$U_{0}(x,0) = u_{0}(x,\infty) \equiv u_{e}(x)$$

$$p_{1}(x,\tilde{y}) = \kappa \tilde{y} u_{e}^{2}(x) - 2u_{e}(x) U_{1}(x,0) \quad \text{as} \quad \tilde{y} \to \infty$$

$$V_{1}(x,0) = \delta^{*'}(x) \quad , \quad \delta^{*} \equiv \int_{0}^{\infty} [u_{0} - u_{e}] d\tilde{y}$$

The solution procedure is to solve the outer equations with the first of the above boundary conditions. The quantity u_e is subsequently used with p_o to solve the inner problem with an initial condition of the form

 $u_{o}(0,\tilde{y}) = g(\tilde{y})$

where g is a prescribed function. In this respect, and the turbulence models employed, the wall jet problem differs from the boundary layer formulation. The latter derives its initial conditions from matching with the outer flow, whereas for wall jets, these are specified independently.

The remaining boundary conditions comprise the no-slip conditions, $u_i(x,0) = v_i(x,0) = 0$ for all i, and the outer boundary conditions for p_1 appearing in the inner y momentum equation.

Note that the quantity $U_1(x,0)$ must be obtained from the solution of the second order outer problem with $V_1(x,0)$ expressed in terms of the slope of the displacement thickness $\delta^{*'}(x)$. Higher approximations are obtained using a similar iteration procedure relevant to this weak viscous interaction problem.



Aside from the differences noted, the foregoing problem strongly resembles a boundary layer formulation, for Cases (ii) and (iv). The latter case is obtained from the former by letting $u_e = P_i = U_i = V_i = 0$ for all i. The longitudinal pressure gradient term in the inner x momentum equation is thereby eliminated.

If the velocities are normalized with respect to U_{∞} for Case (iii), scalings for the inner variables are obtained which correspond to those derived in the dimensional formulation given in Section 2.5. Formally, the inner equations become in this case

$$u = \varepsilon^{-1/3} u_{o}(x, \tilde{y}) + \varepsilon^{1/3} u_{1} + \dots$$

$$v = \varepsilon^{1/3} v_{o} + \varepsilon v_{1} + \dots$$

$$p = \varepsilon^{-2/3} p_{o}(x) + p_{1}(x, \tilde{y}) + \varepsilon^{2/3} p_{2}(x, \tilde{y}) + \dots$$

for $x, \tilde{y} = y/\epsilon^{2/3}$ fixed as $\epsilon \to 0$. This will yield identical inner equations to dominant order as for Cases (ii) and (iv). However, it is anticipated that details of the matching will be different. As a check, Bickley's similarity solution for a free jet with transverse momentum flux invariant along the jet exhibits the same ϵ scaling shown in the dominant terms of the foregoing expansions.

It is noteworthy that the submerged jet of Case (iv) is degenerate with respect to (iii). This is plausible since normalizations of the latter are non-existent for $U_{\infty} = 0$.



2.6 Turbulence Assumptions--Eddy Viscosity Models

In previous studies conducted at the Science Center, a number of turbulence models were investigated. Because of the orientation of this investigation to algorithm development, a detailed study of the adequacy of these models was not attempted. However, it should be noted that the numerical algorithm to be described in subsequent sections is general enough to assimilate the various turbulent models which for the purpose of the present investigation have been restricted to eddy viscosity simulations. For purposes of discussion of the numerical algorithm and the results, the turbulent framework corresponding to Eqs. (2.5) differs inthe respect that the terms vu_{yy} and vw_{yy} in the laminar formulation are replaced, respectively, by their eddy viscosity counterparts $((v+\varepsilon_1)u_y)_y$ and $((v+\varepsilon_2)w_y)_y$.

A prototypic model selected to illustrate the application of a typical eddy viscosity simulation is:

$$\left((0.435y)^{2}\left[\left|\frac{\partial u}{\partial y}\right|^{2}+\left|\frac{\partial w}{\partial y}\right|^{2}\right]^{1/2}, y < y^{*}$$
(2.7a)

$$\left((0.125y_1)^2 \left[\left| \frac{\partial u}{\partial y} \right|^2 + \left| \frac{\partial w}{\partial y} \right|^2 \right]^{1/2} , \quad y \ge y^*$$
 (2.7b)

where y₁ is determined by

$$u(y_1) = 0.01$$

 $u_y(y_1) < 0$
 $y^* = \frac{.125}{.435} y$

It should be noted that this model provides coupling between the spanwise flow w and the streamwise field u not occurring in the weak cross flow



laminar formulation. From a computational viewpoint, the coupling was suppressed to achieve an efficient algorithm. In our procedure, the finite difference approximation used for (2.7) is such that the discretized momentum equations are effectively decoupled. This was achieved by evaluating $\partial w/\partial y$ at the previous streamwise station instead of evaluating the average between the present and last computed streamwise station.

Other turbulence models have been proposed for two-dimensional wall jets in which the wall curvature affects the entrainment and eddy viscosity simulation. These can be accommodated by our computational procedure.

2.7 Boundary and Initial Conditions

The boundary conditions to be employed are the no-slip conditions at the wall and asymptotic conditions relevant to an "outer" flow field external to the jet. Thus, on the wall y = 0,

$$u(x,0,z) = v(x,0,z) = w(x,0,z) = 0$$
 (2.8a)

At the edge of the jet, $y = \infty$

$$u(x,\infty,z) = u_{a}(x,z)$$
 (2.8b)

 $v(x,^{\infty},z) = v_{a}(x,z)$ (2.8c)

 $w(x,\infty,z) = w_{\mu}(x,z)$ (2.8d)

 $p(x,\infty,z) = p_{o}(x,z)$ (2.8e)



The initial profile must satisfy the compatibility conditions, i.e., a solution of (2.5) or its turbulent counterpart evaluated at x = 0, subject to the appropriate specialization of (2.8). It should be noted that in an incompressible context, the quantity p_e can be determined from Bernoulli's theorem providing the outer flow is inviscid.

2.8 Formulation in Glauert Variables

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To minimize sharp gradients and smooth the computational problem, the governing equations of motion are rewritten in a new set of independent and dependent variables. The Glauert wall-jet transformations given in Ref. 1 are used to change the independent variables (x,y) to $(s,n)^*$:

$$ds = h_1 dx , \qquad (2.9a)$$

$$\eta = \frac{1}{4} s^{-3/4} y \qquad (2.9b)$$

A new dependent variable f(s,n) is introduced such that

$$\psi = s^{1/4}h_2 f(s,n)$$
, (2.9c)

where ψ is the stream function satisfying the continuity equation with

The quantities (u,v,x,y,ψ) are dimensionless, being obtained from the corresponding dimensional variables $(\bar{u},\bar{v},\bar{x},\bar{y},\psi)$ by writing $\bar{u} = Uu$, $\bar{v} = Uv$, $\bar{x} = vx/U$, $\bar{y} = vy/U$, $\bar{\psi} = v^2\psi/U$.



$$\psi_{y} = h_{2}u = h_{2}s^{-1/2}f_{\eta}/4$$

$$\psi_{y} = -h_{1}h_{2}v = h_{1}(s^{1/4}h_{2}f_{s} + s^{-3/4}h_{2}f/4)$$

Furthermore, let \tilde{p} be the reduced pressure given by

$$\tilde{p} = 4s^{1/4}p/\rho \qquad (2.9d)$$

Using these transformations, the equations of motion (2.5) simplify to:

Streamwise Momentum Equation

$$\left((1+\varepsilon_1)f_{\eta\eta}\right)_{\eta} + \left(1+\frac{s}{h_2}\frac{\partial h_2}{\partial s}\right)ff_{\eta\eta} + 2f_{\eta}^2 = 4s(f_{\eta}f_{\eta s} - f_sf_{\eta\eta}) \qquad (2.10a)$$

Vertical Momentum Equation

$$\tilde{p}_{\eta} = \kappa f_{\eta}^2$$
(2.10b)

Spanwise Momentum Equation

$$\left((1+\varepsilon_2)w_{\eta}\right)_{\eta} + \left(1+\frac{s}{h_2}\frac{\partial h_2}{\partial s}\right)fw_{\eta} + 4K_1f_{\eta}w + \sqrt{s}K_2f_{\eta}^2 = 4s(f_{\eta}w_s - f_{s}w_{\eta})$$
(2.10c)

In addition, the boundary conditions are given by

Boundary Conditions at the Wall, $\eta = 0$

$$f(s,0) = f_{s}(s,0) = w(s,0) = 0$$
, $s \ge 0$ (2.11a)


Boundary Condition at Jet Edge

$$f_{\eta}(s,\infty) = \sqrt{s} R(s)$$

$$W(s,\infty) = W(s)$$

$$\tilde{p}(s,\infty) = \tilde{P}(s)$$

(2.11b)

where R and W are arbitrary functions of s obtained from the external flow, and \tilde{P} can be obtained from Bernoulli's theorem. Consistent with the small cross flow approximation, the dependence on z is absent. It is tacitly assumed in the streamwise momentum equation that $\tilde{P}'(s) \ll 1$, otherwise, the equivalent of the $-p_x/\rho$ term should be added to the right-hand side of the streamwise momentum equation in accord with a three-dimensional qualitative extension of the matching procedures elucidated in Section 2.5.



3.0 NUMERICAL METHODS

3.1 The Box Scheme

To solve the wall-jet equations in Section 2.7, an implicit finite difference method (the Box Scheme) developed by H. B. Keller¹⁸ is used. The differential equations are written as a first order system in terms of relabeled dependent variables u(s,n), v(s,n), t(s,n):

$$f_{\eta} = u \tag{3.1a}$$

$$w_{\eta} = t$$
 (3.1c)

$$\left((1+\epsilon_1)\mathbf{v}\right)_{\eta} = -\left(1+\frac{s}{h_2}\frac{\partial h_2}{\partial s}\right)\mathbf{f}\mathbf{v} - 2\mathbf{u}^2 + 4s(\mathbf{u}\mathbf{u}_s - \mathbf{f}_s\mathbf{v}) \tag{3.1d}$$

$$\left((1+\varepsilon_2)t\right)_{\eta} = -\left(1+\frac{s}{h_2}\frac{\partial h_2}{\partial s}\right)ft - 4K_1uw - \sqrt{s}K_2u^2 + 4s(uw_s - f_st)$$
(3.1e)

$$\tilde{p}_{\eta} = \kappa_u^2 \tag{3.1f}$$

(In passing, we note that the right-hand side of the above system (3.1) does not involve terms that are derivatives of η .)

Now consider any family of meshes $\binom{N}{k} \binom{N}{n} \binom{J}{j} = 1$. From Fig. 2 they satisfy the following



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Fig. 2 Mesh configuration



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$$\begin{cases} s_{0} = 0 , \\ s_{n} = s_{n-1} + k_{n} , n = 1, 2, \dots, N \end{cases}$$

$$\begin{cases} n_{o} = 0 \\ n_{j} = n_{j-1} + h_{j} , \quad j = 1, 2, \dots J \\ n_{J} = n_{\infty} , \quad \text{edge of jet} \end{cases}$$

The following notations are used:

$$\begin{split} s_{n-1/2} &= \frac{1}{2} (s_n + s_{n-1}) , \\ n_{j-1/2} &= \frac{1}{2} (n_j + n_{j-1}) , \\ z_j^{n-1/2} &= \frac{1}{2} \left(z(s = s_n, n = n_j) + z(s = s_{n-1}, n = n_j) \right) \\ z_{j-1/2}^n &= \frac{1}{2} \left(z(s = s_n, n = n_j) + z(s = s_n, n = n_{j-1}) \right) , \\ \alpha_1 &= 1 + \varepsilon_1 , \\ \alpha_2 &= 1 + \varepsilon_2 , \\ P_1 &= \left(\frac{s}{h_2} \frac{\partial h_2}{\partial s} \right)_{j-1/2}^{n-1/2} , \\ P_6 &= \frac{s_{n-1/2}}{k_n} \end{split}$$



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We now derive the difference equations approximating system (3.1). From Fig. 2, consider box $P_1P_2P_3P_4$. Equations (3.1a-c) are approximated by centering about $(s_n, n_{j-1/2})$ of segment P_2P_3 $(s_n$ is the streamwise station at which the solution vector (f, u, v, w, t, p) is to be computed):



$$\frac{w_{j}^{n} - w_{j-1}^{n}}{h_{j}} = t_{j-1/2}^{n}$$
(3.3c)

Next, Eqs. (3.1d-f) are approximated by centering about $(s_{n-1/2}, n_{j-1/2})$, the middle of the box $P_1P_2P_3P_4$:

$$\frac{(\alpha_{1}v)_{j}^{n} - (\alpha_{1}v)_{j-1}^{n}}{h_{j}} = -(1+P_{1})(fv)_{j-1/2}^{n} - 2(u^{2})_{j-1/2}^{n} + 4P_{6}\left(f_{j-1/2}^{n-1}v_{j-1/2}^{n} - f_{j-1/2}^{n}v_{j-1/2}^{n-1}\right) + 4P_{6}\left((u^{2})_{j-1/2}^{n} - f_{j-1/2}^{n}v_{j-1/2}^{n}\right) + g_{1}^{n-1}$$
(3.3d)

$$\frac{(\alpha_{2}t)_{j}^{n} - (\alpha_{2}t)_{j-1}^{n}}{h_{j}} = -(1+P_{1})(ft)_{j-1/2}^{n} - 4(K_{1})_{j-1/2}^{n-1/2}(uw)_{j-1/2}^{n} - \sqrt{s}_{n-1/2}(K_{2})_{j-1/2}^{n-1/2}(u^{2})_{j-1/2}^{n}$$
$$+ 4P_{6}\left(w_{j-1/2}^{n}w_{j-1/2}^{n-1} + t_{j-1/2}^{n}f_{j-1/2}^{n-1}\right) + g_{2}^{n-1}$$
$$+ 4P_{6}\left(u_{j-1/2}^{n}w_{j-1/2}^{n} - f_{j-1/2}^{n}f_{j-1/2}^{n}\right) \qquad (3.3e)$$



$$\frac{\tilde{p}_{j}^{n} - \tilde{p}_{j-1}^{n}}{h_{j}} = (\kappa)_{j-1/2}^{n-1/2} (u^{2})_{j-1/2}^{n} + g_{3}^{n-1}$$
(3.3f)

where g_1^{n-1} , g_2^{n-1} , and g_3^{n-1} (the dependent variables in g_1 , g_2 , g_3 are evaluated only on the previous streamwise station s_{n-1}) are given by

$$g_{1}^{n-1} = -\frac{(\alpha_{1}v)_{j}^{n-1} - (\alpha_{1}v)_{j-1}^{n-1}}{h_{j}} - (1 + P_{1})(fv)_{j-1/2}^{n-1} - 2(u^{2})_{j-1/2}^{n-1} + 4P_{6}(-(u^{2})_{j-1/2}^{n-1} + f_{j-1/2}^{n-1}v_{j-1/2}^{n-1})$$
(3.3d)

$$g_{2}^{n-1} = -\frac{(\alpha_{2}t)_{j}^{n-1} - (\alpha_{2}t)_{j-1}^{n-1}}{h_{j}} - (1 + P_{1})(ft)_{j-1/2}^{n-1} - 4(K_{1})_{j-1/2}^{n-1/2}(uw)_{j-1/2}^{n-1}$$

$$-\sqrt{s_{n-1/2}(K_2)}_{j-1/2}^{n-1/2}(u^2)_{j-1/2}^{n-1} + 4P_6\left(-w_{j-1/2}^{n-1}(u_{j-1/2}^n+u_{j-1/2}^{n-1})+t_{j-1/2}^{n-1}(f_{j-1/2}^{n-1}-f_{j-1/2}^n)\right)$$

$$g_{3}^{n-1} = -\frac{(\tilde{p})_{j}^{n-1} - \tilde{p}_{j-1}^{n-1}}{h_{j}} + (\kappa)_{j-1/2}^{n-1/2} (u^{2})_{j-1/2}^{n-1}$$

Equations (3.3a-3.3f) together with (3.3d'-f') are to be applied to all n-points, j = 1, 2, ..., J.

The boundary conditions to be applied at $s = s_n$ are:

wall =
$$\begin{cases} f_{o}^{n} = u_{o}^{n} = 0 & (3.4a) \\ w_{0}^{n} = 0 & (3.4b) \end{cases}$$



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jet edge = $\begin{cases} f_J^n = F_{n_1}(s_n) \\ W_J^n = F_{n_2}(s_n) \\ P_J^n = F_n(s_n) \end{cases}$

(3.4c)

(3.4d)

3.2 Solution of the Difference Equations

Assuming solution is known at $s = s_{n-1}$, i.e., $(f_j^{n-1}, u_j^{n-1}, v_j^{n-1}, w_j^{n-1}, t_j^{n-1}, \tilde{p}_j^{n-1})$ for $0 \le j \le J$, we now want to evaluate the solution at $s = s_n$. We apply Eqs. (3.3) for j = 1, ..., J. Together with the boundary conditions (3.4), this yields 6*(J+1) equations for the 6*(J+1) unknowns $f_j^n, u_j^n, v_j^n, w_j^n, t_j^n, p_j^n)$, j = 0, 1, 2, ..., J.

For turbulent wall jets, the streamwise and spanwise momentum equations are coupled through the eddy viscosity of Eqs. (2.7). To handle this computationally, the streamwise momentum equation is solved using the $\partial w/\partial y$ associated with the previous s step as indicated in Section 2.6. This effectively decouples the streamwise momentum equation from the spanwise momentum equation at any station $s = s_n$, reducing the computational time and storage requirement.

With the above approximation, the solution algorithm is then given by:

(i) Solve for (f_j^n, u_j^n, v_j^n) , j = 0, 1, 2, ..., J. (ii) Use (i) to solve for (w_j^n, t_j^n) , j = 0, 1, 2, ..., J (3.5) (iii) Use (i) to compute p_j^n , j = 0, 1, 2, ..., J.



To treat (i), we must solve a system of 3*(J+1) nonlinear equations. (The equations are $(3.3a,b,d)_{j=1}^{J}$ and (3.4a,c).) Then, assuming (f,u,v) is successfully computed at $s = s_n$, (ii) and (iii) involves only systems of linear equations. Thus, the major bulk of computational time is in (i).

We note that the difference equations (3.3) for the variables $(f_j^n, u_j^n, v_j^n, v_j^n, v_j^n, p_j^n)$ for j = 0, 1, 2, ..., J and $s = s_n$ can be viewed as the solution to two-point boundary value problems of systems of linear or non-linear ordinary differential equations, with the independent variable being η . Thus (i) now can be viewed as solution to:

$$\frac{df}{d\eta} = u \tag{3.6a}$$

$$\frac{\mathrm{d}\mathbf{u}}{\mathrm{d}\eta} = \mathbf{v} \tag{3.6b}$$

$$\frac{d(\alpha, v)}{d\eta} = -(1 + P_1)fv - 2u^2 + 4P_6(u^2 - fv) + g_1(\eta)$$
(3.6c)

with boundary conditions

 $f(0) = u(0) = 0 \tag{3.6d}$

$$u(\infty) = constant$$
 (3.6e)

we have deliberately suppressed the dependence of s in P_1 , P_6 , g_1 , and the constant in (3.6e). However, they do change as we march downstream.



The theory of numerical solution to two-point boundary value problems for ordinary differential equations can be found in Refs. 19 and 20. We shall only outline the procedure here.

The nonlinear system of equations for the unknown $\underline{U} \equiv (f_j^n, u_j^n, v_j^n)_{j=0}^J$ are to be solved by Newton's method. Specifically, we define $\Phi(\underline{U})$, (suppressing the s-dependence in (f, u, v) again),





Let the initial iterate $\underline{y}^{(o)}$ be the solution at the previous streamwise station s_{n-1} . Then, Newton's method^{*} gives

$$\frac{\partial \Phi}{\partial y} \delta y^{(\nu-1)} = -\Phi(y^{(\nu-1)}) , \quad \nu \ge 1$$
(3.8a)

$$\underline{y}^{(v)} = \underline{y}^{(v-1)} + \delta \underline{y}^{(v-1)}$$
, $v \ge 1$ (3.8b)

Method is said to have converged at the Kth iteration when

$$\|\delta y^{(K-1)}\| \leq \text{prescribed error tolerance}$$
 (3.9)

The Jacobian matrix $\partial \Phi / \partial U$ in (3.8a) has a very nice structure, a consequence of the centered-Euler method in approximating (3.6)



(3.10)

^{*}When $\alpha_{\rm K}$ depends on U_{ℓ} , $\ell \neq {\rm K-1,K}$, as most all eddy viscosity models do, then we do not have Newton's method strictly speaking, because we avoid terms $[(\partial \alpha_{\rm K}/\partial u)\delta u]v$ and $[(\partial \alpha_{\rm K}/\partial v)\delta v]v$.



where \mathcal{L}_{K} , \mathcal{R}_{K} are (3×3) matrices, K = 1, 2, ..., J, are given by:

$$L_{\rm K} \equiv \begin{bmatrix} -\frac{1}{h_{\rm K}} & -\frac{1}{2} & 0 \\ 0 & -\frac{1}{h_{\rm K}} & -\frac{1}{2} \\ -\beta_{\rm 1}^{\rm K} & -\beta_{\rm 2}^{\rm K} & -\frac{\alpha_{\rm K-1}}{h_{\rm K}} - \beta_{\rm 3}^{\rm K} \end{bmatrix} , \qquad (3.11a)$$

$$\begin{bmatrix} +\frac{1}{h_{\rm K}} & \frac{1}{2} & 0 \end{bmatrix}$$

$$R_{K} \equiv \begin{bmatrix} h_{K} & 2 \\ 0 & +\frac{1}{h_{K}} & \frac{1}{2} \\ -\beta_{1}^{K} & -\beta_{2}^{K} & +\frac{\alpha_{K-1}}{h_{K}} - \beta_{3}^{K} \end{bmatrix}, \qquad (3.11b)$$

with

$$\beta_{1}^{K} = -\frac{1}{2} \left\{ (1+P_{1})v_{K-1/2} + 4P_{6} \frac{1}{2}v_{K-1/2} \right\} ,$$

$$\beta_{2}^{K} = \frac{1}{2} \left\{ -2u_{K-1/2} + 4P_{6}u_{K-1/2} \right\} , \qquad (3.12)$$

$$\beta_{3}^{K} = -\frac{1}{2} \left\{ (1+P_{1})f_{K-1/2} + 4P_{6}f_{K-1/2} \right\}$$

The first two rows in (3.10) are contributions from boundary conditions at the wall, with the last row from the jet edge. $\partial \phi / \partial U$ can be further partitioned into a block tridiagonal matrix $[B_i A_i C_i]$, where



$$B_{i} = \begin{bmatrix} x & x & x \\ x & x & x \\ 0 & 0 & 0 \end{bmatrix}, \quad i \ge 1$$
 (3.13a)

$$A_{i} = \begin{bmatrix} x & x & x \\ x & x & x \\ x & x & x \end{bmatrix}, \quad i \ge 1$$
(3.13b)

$$C_{i} = \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ x & x & x \end{bmatrix}, \quad i \ge 1$$
(3.13c)

Before we go to the next section to describe an algorithm for solving such a matrix system, we want to comment on the solution procedure for (ii) and (iii) of (3.5). As remarked earlier, since (f,u,v) are now known at $s = s_n$, the equations for w_j^n, t_j^n , j = 0, 1, 2, ..., J can be viewed as the difference approximation to the <u>linear</u> two-point boundary value problem in <u>one</u> independent variable η of the form

$$\frac{dZ}{dn} = A(n)Z + g(n) \tag{3.14a}$$

 $B_0 Z(0) = 0$ (3.14b)

 $B_1 Z(n_{\infty}) = constant$ (3.14c)



with $Z \equiv (w,t)^{T}$, A has coefficients (f,u,v) and $g = (0,g_{2})$, the system of <u>linear</u> equations can again be partitioned into the form

$$A Z_h = b_h$$

where A is a block tridiagonal matrix, Z_h and b_h are given by

$$Z_{h} \equiv \begin{pmatrix} w_{0} \\ t_{0} \\ w_{1} \\ t_{1} \\ w_{2} \\ t_{2} \\ \vdots \\ \vdots \\ \vdots \\ w_{J} \\ t_{J} \end{pmatrix} , b_{h} \equiv \begin{pmatrix} 0 \\ 0 \\ g_{2}(\eta_{1/2}) \\ 0 \\ g_{2}(\eta_{j-1/2}) \\ 0 \\ g_{2}(\eta_{j-1/2}) \\ \vdots \\ 0 \\ g_{2}(\eta_{J-1/2}) \\ 0 \\ g_{2}(\eta_{J-1/2}) \\ 0 \end{pmatrix}$$

The computation of (iii) is simply the centered-Euler integration of

$$\tilde{p}(n_{K}) = \tilde{p}(\infty) - \int_{n_{K}}^{\infty} \kappa u^{2}(\tau) d\tau$$



3.3 Block Tridiagonal Solver

In this section we describe the solution to

$$A \mathbf{x} = \mathbf{b} \tag{3.15}$$

where

になるので、

$$\mathbf{A} \equiv \begin{bmatrix} A_{1} & C_{1} & & & \\ B_{2} & A_{2} & C_{2} & 0 \\ \vdots & \vdots & \ddots & \vdots \\ B_{J-1} & A_{J-1} & C_{J-1} \\ 0 & B_{J} & A_{J} \end{bmatrix} \equiv \begin{bmatrix} B_{i}, A_{i}, C_{i} \end{bmatrix}$$
(3.16)

$$x \equiv \begin{bmatrix} x_{1,1} \\ x_{2,1} \\ x_{3,1} \\ x_{1,2} \\ x_{2,2} \\ x_{2,2} \\ x_{3,2} \\ \vdots \\ \vdots \\ x_{1,J} \\ x_{2,J} \\ x_{2,J} \\ x_{3,J} \end{bmatrix} , b \equiv \begin{bmatrix} b_{1,1} \\ b_{2,1} \\ b_{3,1} \\ b_{1,2} \\ b_{2,2} \\ b_{3,2} \\ \vdots \\ b_{1,J} \\ b_{2,J} \\ \vdots \\ b_{n,J} \end{bmatrix}$$

(3.17)



and A_{K} , B_{K} , C_{K} are matrices of order n, $K = 1, \ldots, J$.

A can be decomposed into the form

$$A = L U \equiv [\beta_{1} I 0] * [0 \alpha_{1} C_{1}]$$
(3.18)

where

$$\begin{aligned}
 \alpha_{1} &= A_{1} , \quad (3.19a) \\
 &\begin{cases}
 \beta_{1} \alpha_{i-1} &= B_{i} , & i = 2, 3, ..., J \\
 \alpha_{i} &= A_{i} - \beta_{i} C_{i-1} , & i = 2, 3, ..., J
 \end{aligned}$$
(3.19b)

Here matrices α_i in turn are decomposed into the form:

$$\alpha_{i} = p_{i} \ell_{i} u_{i} q_{i} \tag{3.20}$$

where p_i , q_i are permutation matrices for row-and-column pivoting. l_i and u_i are lower and upper triangular matrices. It is important to have an accurate LU-factorization of α_i because they are used in solving both B_{i+1} and x_i . Here we use a mixed pivoting strategy. During the Kth stage of Gaussian elimination, the pivot $a_{kk}^{(K)}$ is chosen to satisfy

$$|a_{kk}^{(K)}| \ge |a_{k,l}^{(K)}|$$
, $|a_{l,k}^{(K)}|$ $l \ge k$. (3.21)

38



This mixed pivoting is much better than the partial column pivoting or partial row pivoting. If ε_{im} is the round-off error using the mixed pivoting strategy, and if ε_{ip} is the round-off error using either partial column or partial row pivoting strategy, then it can be easily shown that

$$\|\varepsilon_{ip}\| \ge \|\varepsilon_{im}\| \tag{3.22}$$

The solution of β_i from Eq. (3.19b) can be easily carried out. Assuming there are p rows of B_i with at least one non-zero element on that row, then the solution of β_i corresponds to inverting the following

$$\tilde{u}_{i-1}^{T} \tilde{y}_{K} = B_{i,K}^{T}$$

$$\tilde{u}_{i-1}^{T} \tilde{g}_{K}^{T} = \tilde{y}_{K}$$

$$(3.23)$$

where $\tilde{\ell}_{i-1}$, \tilde{u}_{i-1} are lower and upper triangular matrices of size n. We further note the zero structure (as in (3.13a)) is preserved under such a decomposition scheme. This avoids unnecessary storage space requirements.

Now assume (3.19) has been performed, then to solve x, we merely have to solve

- $\mathcal{L}_{\mathbf{Z}} = \mathbf{b} \tag{3.24}$
- $U_x = z$ (3.25)

where $z \equiv (z_1, z_2, \dots, z_J)^T$, $z_l = (z_1, z_2, \dots, z_n)^T$ can be obtained:



$$z_1 = b_1$$
 (3.26a)
 $z_K = b_K - \beta_K z_{K-1}$ $K = 2, 3, ..., J$ (3.26b)

and (3.25) will give the solution vector x

$$\alpha_J \mathbf{x}_J = \mathbf{z}_J \tag{3.27a}$$

$$\alpha_{\ell-1} x_{\ell-1} = z_{\ell-1} - c_{\ell-1} x_{\ell} \quad \ell = J, J-1, \dots, 2 \quad . \tag{3.27b}$$

3.4 Starting Procedure

The starting procedure is to employ a suitable discretization of the initial conditions obtained by the method described in Section 2.7. Glauert's similarity solution derived in Ref. 1 was implemented using the s = 0 specialization of Eqs. (3.3) and (3.4) for the results given in this report. However, with the compatibility restrictions given in Section 2.7, more general initial conditions could be accommodated including those derived from experimental data.



4.0 PARAMETRIC STUDIES

In this section, results will be indicated typifying calculations using the computational model. Because of its interest on the XFV-12A augmenter, a logarithmic wing spiral contour, shown schematically in Fig. 3, will be discussed. In contrast to previously published solutions exemplified by Ref. 3, this discussion will deal with non-similar flows due to the nature of the assumed turbulence model. In Ref. 3, the logarithmic spiral shape with certain assumptions on the scaling of jet thickness with downstream distance gave rise to similitude and an analytic solution for the flow. The non-similar framework considered here makes such a solution unlikely and numerical methods must be used. In the notation of the figure, the equation of the spiral contour is

$$s = s_0 e^{\theta/K}$$
, (4.1)

where s is the running arc length, θ is the local inclination of the surface, where K and s₀ are constants. For K > 0, a convex contour is obtained, and with K < 0, concavity is implied. Equation (4.1) can be represented parametrically as

$$\frac{\mathbf{X}}{\mathbf{R}_0} = \left\{ e^{\theta/\mathbf{K}} \left[\sin\theta + \mathbf{K}^{-1} \cos\theta \right] - \mathbf{K}^{-1} \right\} / (1 + \mathbf{K}^{-2}) , \qquad (4.1a)$$

$$\frac{Y}{R_0} = \left\{ e^{\theta/K} \left[K^{-1} \sin\theta - \cos\theta \right] + 1 \right\} / (1+K^{-2}) , \qquad (4.2b)$$



Fig. 3 Log spiral schematic



where R_0 is the initial radius of curvature and X and Y are Cartesian coordinates shown in Fig. 3. Wall shapes associated with K = 0.05 and K = 1/3 are depicted in Fig. 4.

In Fig. 5, the peak normalized streamwise velocity f_{\max} with the max presence and absence of spanwise flow for a submerged wall jet $(f_{\Pi}(s,\infty) = 0)$ is shown for K = 1/3. For computational convenience, the cross flow was generated by the forcing term K_2u^2 in (2.5d) with w(0, ∞) assumed zero. This effect can be thought of as the influence of spanwise curvature on the w field and its interaction with the mainstream flow. It is rather obvious that for $K_2 = -5$ a small degradation occurs due to the turbulent coupling which is virtually imperceptible when the physical variable u_{MAX} is displayed. Another comparison shown for the effective mass entrainment function f(s,10)at the computational edge of the layer shows increased entrainment due to the cross flow.

Figure 6 indicates comparable small cross flow effects on the surface pressure distribution where the $K_2 = -5$ case is compared to w = 0 for the $K = 1/3 \log$ spiral. The lack of s⁻¹ scaling is due to the non-similar nature of the assumed turbulence model.

In Figs. 7 and 8, the streamwise development of the u and w profiles is shown. Although both profiles resemble each other, the momentum in the cross flow increases, in contrast to the decay exhibited by u. This trend is also indicated in Fig. 9 for w_{MAX} and is due to the source-like manner in which the sidewash is produced.

To further assess the influence of turbulent coupling of the sidewash field on the mainstream flow, the effect of w on typical velocity profile is

43



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Fig. 6 Reduced surface pressures for K = 1/3 log spiral with and without span flow

46



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Fig. 7 Streamwise development of u profiles for log spiral-submerged wall jet with span flow







shown in Fig. 10, where the peak region is magnified to show the very small effect of the crossflow.

To illustrate the resemblence of velocity profile of coflowing wall jets and conventional boundary layers, a point made in Section 2.5, calculations were performed using the typical model of Eqs. (2.5) with $p = w = K_2 = f(0,0) = f_{\eta}(0,0) = 0$, and $u(x,\infty) = 1$. Results for the streamwise development of the reduced velocity profile and shear stress on a flat plate with $f(0,\infty) = 4$ are shown in Figs. 11 and 12. To indicate the potentialities of the existing code, the streamwise velocity profile development with downstream distance is shown in Fig. 13 for a logarithmic spiral contour with cross flow. Here, $K_2 = -10$, $u(x,\infty) = f(0,\infty) = 1$, and the external pressure gradient was neglected in the calculations. With this assumption, the qualitative downstream behavior resembles that of a flat plate.



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Fig. 10 Effect of spanwise flow on normalized u profile





Fig. 11 Streamwise development of reduced velocity profile; $p = w = K_2 = f(0,0) = f_n(0,0) = 0, f(0,\infty) = 4$



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3.0 CONCLUSIONS AND RECOMMENDATIONS

A computational model using Keller's box scheme has been developed to treat incompressible turbulent wall jets in a small cross flow approximation. The computer code can handle sidewash w injected as a source term in the spanwise momentum equation. The effect of the span flow on the streamwise flow is due to the eddy viscosity coupling between the u and w fields. For this type of spanwise flow generation, the coupling appears extremely weak, reducing the peak streamwise component and causing growth of w momentum in the downstream direction.

In subsequent effort, different modes of sidewash addition will be investigated, i.e., through the boundary and initial conditions. The results of this are indicative of flow conditions for wall jets on configurations with slight taper or sweep. For handling more realistic situations, the foregoing analysis will be extended to finite cross flow.



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6.0 REFERENCES

¹M. B. Glauert, "The Wall Jet," J. Fl. Mech. <u>1</u>, 625-643 (1956).

²I. J. Wygnowski and F. H. Champagne, "The Laminar Wall Jet Over a Curved Surface," J. Fl. Mech. 31, Pt. 3, 459-465 (1968).

³J. A. Giles, A. P. Noyes, and R. A. Sawyer, "Turbulent Wall Jets on Logarithmic Spiral Surfaces," Aero Quarterly XVII, 202-215 (1965).

⁴R. J. Goldstein and D. J. Wilson, "Turbulent Wall Jets with Cylindrical Streamwise Surface Curvature," ASME Trans., J. Fluids Eng., 550-557 (1976).
⁵H. P. Irwin and P. A. Smith, "Prediction of the Effect of Streamline Curvature on Turbulence," Phys. of Fluids <u>18</u> (6), 624-630 (1975).

⁶R. M. C. So, "A Turbulence Velocity Scale for Curved Shear Flows,"

J. Fl. Mech. 70, Pt. 1, 37-57 (1975).

⁷I. P. Castro and P. Bradshaw, "The Turbulence Structure of a Highly Curved Mixing Layer," J. Fl. Mech. 73, Pt. 2, 265-304 (1976).

⁸V. Kruka and S. Eskinazi, "The Wall Jet in a Moving Stream," J. Fl. Mech. 20, Pt. 4, 555-579 (1964).

⁹N. V. Chandrasekhara Swamy and P. Bandyospadhyay, "Mean and Turbulence Characteristics of Three-Dimensional Wall Jets," J. Fl. Mech. <u>71</u>, Pt. 3, 541-562 (1975).

- ¹⁰P. M. Sforza and G. Herbst, "A Study of Three-Dimensional Incompressible Turbulent Wall Jets," AIAA J. 8, 276-283 (1970).
- ¹¹A. D. De Joode and S. V. Pantankar, "Prediction of Three-Dimensional Turbulent Mixing in an Ejector," AIAA Paper 77-706 (1977).
- ¹²F. A. Dvorak, "Calculation of Turbulent Boundary Layers and Wall Jets Over Curved Surfaces," AIAA J. 11, 517-524 (1973).



¹³S. Kaplun, Z. Angew Math u Mech., 111-135 (1954).

- ¹⁴P. A. Lagerstrom, "Laminar Flow," B, from <u>Laminar Flows and Transition to</u> <u>Turbulence, Princeton Series on High Speed Aerodynamics and Jet Propulsion</u>, Vol. IV (Princeton University Press, 1962).
- ¹⁵M. Van Dyke, "Higher Approximations in Boundary Layer Theory," Part 1, General Analysis, J. Fl. Mech. <u>14</u>, 161-177 (1962).
- ¹⁶M. Van Dyke, <u>Perturbation Methods in Fluid Mechanics</u> (Academic Press, New York, 1964), p. 124.
- ¹⁷J. D. Cole, <u>Perturbation Methods in Applied Mathematics</u> (Blaisdell, Waltham, Mass, 1968).
- ¹⁸H. B. Keller, "A New Difference Scheme for Parabolic Problems," <u>Numerical</u> Solutions of Partial Differential Equations, Vol. II (1971).
- ¹⁹H. B. Keller, "Accurate Difference Methods for Nonlinear Two-Point Boundary Value Problems," SIAM J. Num. Anal. <u>11</u>, 305-320 (1974).
- ²⁰H. B. Keller, "Accurate Difference Methods for Linear Ordinary Differential Systems Subject to Linear Constraints," SIAM J. Num. Anal. <u>6</u>, 8-30 (1969).



APPENDIX A: CODE LISTING AND SAMPLE INPUT AND OUTPUT



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Sample Computer Output

n	f(s,n)	r,()	fun	P		ň
*		JF	UUF	•	•	
1 0.	7.56700012-20	0.	4.160/0/at-00	-5.77670746.02	1.01103495-14	2+3+562616+
2 2.00000000 -01	1.12015005-01	1.720/3++2.00	1.824F JOOE .UU	-5.7774988L+02	+.3030000L .00	1.40725946.
3C1	6.497-53E-U1	1.0234-0+L*UU	3.5250033t · 30	-2.7/51700E+02	1.0014221E.00	1.3004702E.
	1.3521-032-00	3.90910132.00	3.59640526.00	-3. /04 10 /UE .02	4.4201105C.00	5.7.1/112E
5 1.0000000E-01	3.14023505.00	+.8+2309+0+00	4.70+7300L-UI	-5. /503207E+02	1.2090+171+01	2.3443197E.
1 1.20000005.00	··17152576 .00	+. +0/ J//12 *00	2.780132-1-11	-5.73+9++++.92	1.2-0-3211-01	6.3-5cJube-
a 1	5.11000392.00	+. 7474030E · UN	2.2245013t-32	-2.16111362.02	1.2471+526+01	1.0/8/+44E-
• 1.0000000-00	7-1177171++00		2.20533032-03	-3.713323+6+02	1.24/42122.01	-J.+ 173051L-
	-0.117717et-00	**************************************		-3.07140402.02	1.2453/261.01	317007/E-
12 2.20000005.00	4.1177173c-00	5-00003572-00	-2.+337005E-u+	-2.07475126-02	1.20007572.01	
13 2 UOOUUUE.00	1-011771HE-01		1.32.81555-0.	-5.007A934E+62	1.2.33.058.01	72035246-
1. 2.000000000000	1.211/7176.01	5.00000200-00	-7.80342542-05	-2.0200 1000 -02	1.2.201502.01	
10 3.00000000000000	1.311/717E-01	5.00060086.00	-+.+04023/E-US	-3.03732136.02	1.2-033556-01	-3.173044-E-
- 17- 3.20000005.00	-1.011/7172+01	·	3.01770112-05	-5.04040381.02	1.234500+2.01	-5 /054/8-
10 300000000.00	1.51177176.01	5.0000004E.00	-2.08908446-03	-5.00HAU632+02	1.238+3176.01	-3. + 340000E.
19 3.600000000.00	1.011/7170.01		1.40130056-03	-3.57674886.02	1.23/33201.01	-5.3-7-2532.
21 ++44000000 ++44	1.0117717E *01	**************************************	7. 12153026-05	-3.57 10337E.02	1.23500776.01	
22 2000000E-00	1. +1177176 *41	5.00000012.00	->.2302402t-u0	-5.30117021-02	1.23370322-01	-3.8/563536-
C3-3000000E+C0	2.011/7170-01	** 4044445.00	3.76897962-30	-5.5-431872.02	1-23271848-01	-5.9724787E-
2	2.111/7172.01	5.0000000202.00	-2.7261 / +72-00	-5.53746126.02	1.23191016-01	-3070J550E-
29 5-000000000000	2.31177171.01	5-06000000E+00	-1.4459836L-UD	-5.51374016.02	1.22404471.001	-D-232622E
2/ 5-2000000600	2.41177171 01	5.40Cauvut .00	1.45424271-00	-5. 50 Aubot . 12	1.22710496.01	-9-3-0c/ect-
20 5	2.5117717E-01	2-0000000E-00	-1.7859042t-ui	-5	1.22031338-01	-902010206-
	2.01177171.01	5.000C000E.00	5.73450281-07	-3.4/#1730L.02	1.22521996.01	-5-5-81604E-
3) 6-00000000000000	2.81177174.01	5-00000002-00		-3,42443001-02	1.222391020-01	
32 0-20000002-00	2.91177172.01	5.0000000L+00	-2.330977/L-0/	-3.4424010E .02	1.2212+336+91	-3.727316-
33 0.00000000.00	3.01177172.01	5.00000000 .00	1.1317+305-01	-3.43074352.02	1.21408702.01	-0.0141080E-
3- 6-600000000-00	3.111/7172.01	5.000000E.00	-1.28HA790E-07	->.+1598602.02	1.21851561.01	-3c03+2+6++-
	3.31177176.01	5.0000000E-00	-7. 161 3020f -up	-5.356)710E.02	1.215(3046.01	-1.016155/6.
37 7.20000000 .00	J.+117717E+U1	5.00000000000000	5.13+0+43E-V0	->. Jd331 J+L .02	1.21+31072.01	-7.1.2/851E-
38 7.40000000.40	3.51177176.01	5.0000000£ .00	-1.75942512-ud	-3.3/143546.02	1.21200446.01	-7.1/00403E-
14 7.0000000+ .QU	3.01177172.01	5.0000002.00	6.433600+6-40	-3.33444846.02	1.211	-1.2300307E.
· 7.5000000F.CO	3.711/7176+01	5.30000002+00	-2.18409551+00	-3.34/74046.02	1.20477512.01	-7.300/3406-
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	·.111/7175-01	2.000000cr.00	-4.7047030E-U4	-5. JUG3108E . 92	1.20.00.000	-7. 5-03170E
45 8.AUUCCUCE-00	211/717E-01	5.00000002.00	n.5532/000-07	-3.276.3332.02	1.20253882	-/.0 /03/11
•/ 4.20000000E.00	4.4117717t -01	5.000000000000	0.05"7712t-07	-3.20.73831.02	1.1444/256.01	-7.1.36478E.
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47 9.0000000E.00	+.011/717E*01	5.0000000L.00		-5.2-1-2322-02	1.19030002.01	-1.0350373E.
	•• /11/71/6-01	5.00000002.00	-3.9[045]/2-09	-3.229155/2.02	1.14.18/41.01	-1.890/0928
52 1.0000000000000	3.2117717E .01	5.00000000101400	-2.73361676-UT	-3.10"H/bit.02	1.150/0201.01	
54 1-10"0000E-01	3.0117717E-01	5.000000002.00	2.501527UE-UY	-5.1224+8UE +02	1.18013071.01	*5. Joceblet.
5+ 1.2-000000-01	5.011/7172 · UI	5.0000000000000	-2.26322"1E-UT	-3.0/54180E.42	1.17334712+01	-0.2-001-0E.
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5/	1.211/7175*01	5-0000000000000	1. / . 1.0		1.15000760.01	
50 1.50000002.01	7.011//171401	5.000000t+00	-1.002+010E-19		1.1	
54 1.0+000000.+01	A.0117/176-01	5.00000002.00	1.47421046-04	03740762-02	1-137-4496-01	-4.3.0+114E.
50 1.7200000E-01	4.411/717E*01	5.0000000000000	-1.36741542-04	-4.79163756.02	1.12443+16.01	
	- 1.04117725-02	5.000000000000	-1.243933/L-UY	-4.54595711-02	1.08204421.01	-1.0145420E
10. 2.0000000.01	1.2#117721+02	3.0000000000000	1.2250000L-07	20470076.02	1.0.30+++66+01	-1.0700347E
6- 3.000000E-01	1.44117/20+02	5.0000000E+00	-1.20H0625E-04	-+.0115301E.02	4. 40301752 .00	-1.155007/E
65 3.+000000€+C1	1.00117722.02	5.000000E+00	1.19387202-09	-3.79440B0E -02	9.4758217E.00	-1.1.449713E
57 5 20000000 -01	2.00117720.02	5.0000000000000	-1.1/414822-04	-3.35 25502.02	8.481 1946.00	-1.20100346
	2.24117721.02	5.00000000000000	-1.15184186-09	-3.00793481.02	7.95411736-00	-1.329295/E
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71 5.#0000000 +0)	2.4411//22.02	5.000000000000	1.122/4/56-04	-2.31 -03/2.02	- JOJ2-04E-00	-1302-32E
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75 7	3."#117726+02	5. 300000012.00	1.0	-1	3. +120 1/6t . 00	-1.5-07250E.
7	3	3.01000012.00	-1.v+1/+jt+.v	-1.10-75140.02	3.27304-51-00	-1.5 +63+11.
10 3.300.000.001		Seat De la de la de		-(2.00233418.00	-1.0. 161000
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Sample Input Compilation



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INTERCHANGABLYD. ** HUPUL, DER AULT VALUE=1.2**	HEAL VECTOR VARIANCE. USEN IN MOUNT OF BLOCK THINIMUMAL	SYSTEM UP ENUALIUNS	HEAL VECTOR VARIABLE. USED IN SUDUP OF BLOCK TRUDINGONAL	SYSTEM OF EMUATIONS (FIRST INU COMPONENTS CONTAIN EDUY-	VISCUSTIY INFUMMATION. AND THE LAST TWO CUMPONENTS CURITIN (CUNTREHUTION OF THE PREVIOUS STREAMMISE STATION)	HEAL VECTUR VARTANCE. VENTICAL MESH	HEAL CUNSTANT VANTANLE, INTITAL MESH-SIZE IN SETUP OF	SINEAMWISE MESH, **[NPUT, DEFAULT VALUE=1.6-5**	HEAL VECTOR VARIANCES STREAMALSE MESH	REAL CONSTANT VARIABLE, MAXIYUM MEDNI-SIZE IN HEF INEMENI OF U	VENTICAL MESH+**INPUI. DEFAULT VALUE=1.**	REAL VECTOR VARIANCE. USED IN VERTICAL MESH REFINEMENT	KUU I I NE	INTEGER CONSTANT VARIANCE, MAXIMUM MESH SUB-DIVISION IN	VEHITCAL MESH HEFINEMENT	INTEGER CONSTANT VARIANLE, NUMBER OF VENTICAL POINTS,	THE NUMBER OF INTERNAL INTERVALS + [) • J MUST BE SUPPLICIUL	BE USER IN SUBRUPTIVE NAMED THESH IF TSUFLI-TRUET	THINGS STORE AND VALUE=[]] AND THIS THIN THIN TO ADD TO AD	INTEGER CUNSTANT VARIABLE . MAALAUM NUMBER UP VERTICAL	PUINIS ALLUMEU	INTEGER CONSTANT VARIANCE, NUMBER OF CONTINUATION IN	UILATING SULUTION TO SHAFAWALSE VELUCITY COMPONENTS AT	S=0.+**[NPU]. DEFAULT VALUE=1 **	INFGER CONSTANT VANTANLE. USED IN VERTICAL MESH REFINE-	MENI. = U IF THERE IS NO CHANGE IN UISTRIBUTION OF LERIICAL	AL SH	INTEGER CUNSTANT VARTANLE, =0 IF NEWFONES METHOU FAILS TO	CONVERGE	INTEGER VECTOR VANTAGLE, STREAMUISE STATIONS AT MITCH INT.	SULUTION IS TO HE PRIMIED ON PAPER, STATEMENT MUST BE ADDED I	TO SUBROUTINE PRAESH TO [WU]CATE THE STATIONS IT UPIPLE	• INUE •• INE VECTOR MUST RE SUPPLIED IF ASUPLY =• INUE •	INTEGER CONSTANT VARIANCE + CALLENTON IN CONVERGENCE LEST	INTERPRESENT ON STANT VARIANTE, MAKIMUM NULARE A DE TIERATIONS	ALLORED IN NEW DORFS OF FILLIN	INTEGER VECTOR VARIANCLE. HUY PENNULATION VECTOR USED IN	SULITION OF ALOCK INTUINGUMAL STSTEM	INTEGER VECTOR VARIABLE. PLVJITNO STRATEGY INFURMATION	VE.CTOR	INTEGER VECTOR VARIABLE. CULUMM PERMUTATION VECTOR USED	IN SOLUTION OF BLOCK INFOLAGOMAL SYSTEM	INTERER CONSTANT VARIANCE . NUMBER OF EQUALIONS (=4) OF	THE STEAMWISE VELOCITY COMPOLENT (F. 10/0(LIA) F. 0/0(EIA)	(U/)(E(A) F)))	INTEGER CONSTANT VARIABLE . NUMBER OF EQUATIONS (=2) OF	IT SPANALSE VELOCITY COAPUNENT (0.11/D(ETA) G)
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A A A A A A A A A A A A A A A A A A A	ANDER THIS HOLE DE SUFFLIED IN SOUNDELTER AND	JERER CONSTANT VARIANTE - N MARTE OF HNTEDAM STAFAMMISE	TATTONS AT WHICH SULUTION IS TO BE PHIMTED (AH-AA)/WW [NI.	*INPUL . DEFAULT VALUE=10**	JUICAL VAMIABLE. =. IRUE. IF USEN IS TO SUPPLY SINLAMWISE	LALTON'S IS HE PRIVIED ON PAPERS **INPUL, DEFAULT VALUE=	• ALSt • **	TAL CUMSTANT VARTANLE, (3/HZ) * U/US (H2)	EAL CONSTANT VARIABLE. RAULUS OF CURVATURE OF CURVED WALL	AL CUNSTANT VARTARLE, U/US (112)	EAL CONSTANT VARTANLE (1./41 / HZ) * U/US (H1)	EAL CUNSTANT VARTANLE. (5-0.54MX)/NX	UGICAL VANIABLE. =. INUE. IF VENIICAL MESH IS IN M. HEFINED	* INPUT . DEFAULT VALUE=. IKUF * *	EAL VECTOR VARIABLE. USED IN SETUR OF BLUCK TRIDIAGUNAL	ALL VECTOR VARIABLE. USED IN SETUP OF MLOCK TRUDIAGONAL	(STEM	EAL VECTOR VARIANLE. STEANWISE VELOCITY COMPONENT AT THE	TESENT STREAMWISE STATION, UT (K+L) HAS THE VALUE OF ATH	UMPONENT OF UT AT ETA = ETA(L) . WHERE ETA(1)=YA=U AND	1 a (M) = [[a (M-1) + H (M-1) + H=2+3++++)-1 + 1 + US UI (]+3) HAS	ALUE OF F AL E[A(3)	CAL VELIAN VANTARELY STREAMALSE VELUUTI LUMB WARM AT THE	- AL VELOTIK VARIANTE SPANWESE VELOCITY COMPONENTS (G	VILLETAD 6) AT THE PRESENT STHEAMWISE STATION. SEE UT FOR	LUHAGE CUNVENTION	EAL VECTOR VARIANCE, SPANWISE VELUCITY VECTOR AT THE	KEVJOUS SIREAMWISE STATION	EAL CUNSTANT VARTABLE, UNIFURATINTERVAL TO WHICH SULUTION S to be Buthled - (194-10) subject	DETCAL VARIABLE. =. TRUE. IF USER SUPPLIES THE STREAMWISE	tsu.**INPUL, DEFAULT VALUE=.FALSL.**	UIGCAL VAMIABLE. =. HUE. IF USER SUPPLIES THE VEWICAL	ESvew#[NPU[, DEFAUL! VALUE=.FALSL.**	FAL CURSTANT VARTABLE, STARTING STREAMWISE STATIOUS = 0	PAR CONSTRATT VANTANCET THE VISHE COULTOURNEY OF STORAGE AND STORA		EAL COUSTANT VARTARLE. THE LEFT ENU-POINT OF VERTICAL	L3H. =U	LAL CUNSTANT VARIANCE. THE STUDE END-POINT OF VENTICAL	tsu,**INPUI, DFFAULT VALUE=20.**		***************************************	*	t 140 [144 PIE WIS
3	× ·	INDIAN	2	*	UPIPI L	2	•	H IZ	т.	P44 H	r, c'	r er	KEF INE L		H	NHX H	5	U H	1						3	5	H Y I *	1		ASUPLY L	ž	I YSUPLY L	2			. >	YA H	A.	H HL	2		*****	•	HINNI #



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2222		VARIATILES MUST BE SUPPLIED BY USER 00001530	00001540	00001550	00001560	NAL 00001570	PACT + FF THE - HMAI - (h, T. T. T. M. O' A.K.	D MIST INVIT AJMILLADY FUNCTION (SEE DESCRIPT 00001610	C4) IN THE SUBROUTINE NAMED BC	XSUPLY=.IPUE. USER MUST INPUT STREAMWISE 00001630	STREAMWISE STATIONS THROUGH THE SUMMUUIINE 00001640	00001650	YSUPLY=.IRUE USER MUST INPUT VERTICAL MESH 00001660 Ical Pulnis Through Summuline named yresh - 00001670	00001080	00010000 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	SOME HINIS IN USING INIS PROGRAM * 00001720		CTED IN THE SOLUTION BETWEEN SUCCESSIVE 00001760	ISE ON VENTICAL DIRECTIONS, MESH SHOULD BE VOUVITIO	I AND CALCULATIONS SMOULD BE DONE ACAIN TO UD001780	The MESHES SHOULD BE SUCH DESERTED ENSURE	ICAL ACCUMACY WHEN MESHES AKE MALVEU UU001A10	A DOLS NUT AUTEL JOWN SUFFICIENTLY. TH SHOULD UDU1820	00001830 Frierice In the widtes file Railton - Frierick Schoulth - 00001840	KEATER (HAN 1.4-13 WITH CDC 6600) AND MAXITS 00001850	DUME HY CHANGING THE DATA STATEMENT IN MAIN 00001860	00001870 ALCHARDSON FALRAPOLATION CAN 00001870	THE AULUITON IN GUTH STREAMWISE AND VERTICAL DODUTRYD	00001900	TEID, JAMA SHUTLU DE LITCREASED BY CHAMMING DATA UDUU1910	M. THE COMMON STATEMUTS IN THE MAIN FRUGHAM. 00001920		TOPS. THE PROPAGE HAS TO BE MODIFIED BY ADDRESS	HE SUFFRUET LINE VAMED PREP. CARE MUST BE 00001960	UPVENTION THAT WAS EAPLAINED IN VARIABLE UD001970	00001980	UNALIATION OF A DEFINITION OF
Settimes and a set of the set of	***************************************	UR INPUT. THE FULLOWING VARIABILLS MUST BE SU		C1+C4+C7+C4SEW		IT THE FULLOWING OF LONAL	the state of the s	"U. CUPLOWING CASES. HEER MIST INTUIL ATHLER	110N UP INIEVER VARIABLE C4) IN THE SUBROULI	IF THE LOGICAL VANJAHLE XSUPLY=. THUE. USEN P	IESH AND TUTAL NUMBER OF STREAMWISE STATIONS	IAMEU AMESH	<pre>IF IME LOGICAL VANJABLE YSUPLY=.IRUE USER P NO FUTAL NUMMER UF VERICAL PUTALS IMAGUON ></pre>		0 \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$ \$	HOUMLE SHOULING AND SOME MINIS IN USING	· 11 11 11 11 11 11 11 11 11 11 11 11 11	IF OSCILLATIONS AND DETECTED IN THE SOLUTION	UINTS IN EITHER STREAMWISE ON VERTICAL DIREC	HALVEN IN THAT DIRECTION AND CALCULATIONS SHO THER TE THE DECTLE ATTOM TS THAT Y A DEVELOR	HAR NUMERICAL STAHT ITY, MESHES SHURLE A STATE	OULUTIONS Ably F TU NUMFHICAL ACCUMACY WHEN ME	IF THE SOLUTION AT ETA=YN DOLS NOT OUTET JOWN	LE INCREASED O ACHTEVE STRICTER CONVERSENCE IN HEWTON'S I	IL DECHEASED (HUST DE GREATER THAN 1.4-13 MI	INCREASED. THEST CAN HE DONE HY CHANGLID THE	PROGRAM	AL USED TO BET PLONER DRIDER SULUTION IN GOTH	utht CTLONS	IF MURE POTATS ARE DESTRED, JMAN SHUILD HE TI	PLATEMENT IN MAIN PROBRAN. THE COMMON STATEMUT	HAVE TO HE CHANGED ACCORDINGLY.	IT USER WISHES TO SUFFLY TWITTINE FROTILES	MANGING STATEMENTS IN THE SUFFICIET INE VAMED F	AKEN IN THE COMPUMENT CONVENTION THAT WAS EN	ESCREPTION OF UI	<pre>Input: The FULLOwING VAp.AniLLS MUST RE SU 1.0.4.0.7.0.25Ek 2.0.2.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1.1.</pre>

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Ulfrthatuce Scheme FUW parabull Fals, APPEAKED IN NUMERICAL IUNS UT PARTIAL DIFFERENTIAL IUNS UT PARTIAL DIFFERENTIAL IUNS 11, PP. 327-350, 1971. ALL JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 ALL JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 ALL JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 ALL JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 A.1 JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 A.1 JL1, JUUHNAL OF FLUID MICS, VOLUME 1, PP.6625-043, 195 A.1 JL1, JUUHAL OF FLUID A.1 JL1, JUUHAL OF FLUID	LFk - A New UltrLacture SCHEME FUR Found HULL FRUNKLEAD: AFTARED IN NUMERICAL SOLUTIONS 11, FP. 327-350, 1971. SOLUTIONS 11, FP. 327-350, 1971. - THE WALL JLI, PL, JUUHMAL OF FLUID DP(P) INFRANC BUELY: YSUFLY: NELL JLI, PR. 327-350, 1951. DUELY: YSUFLY: NELL JLI, PR. 327-350, 1971. DUELY: YSUFLY: NELL JLI, PR. 00-10 FLUID DUELY: YSUFLY: NELL JLI, PR. 00-11 BUELY: YSUFLY: NELL DUELY: YSUFLY: NELL NUCH SEU: AGE SUELY: YSUFLY: NELL SUELY: YSUFLY: NELL SUELY: YSUFLY: NELL TISI: NELL NUCH TISI: NELL NUCH SUELY: YSUFLY: NELL TISI: NELL NUCH SUELY: YSUFLY: NELL TISI: NELL TISI: NELL NUCH TISI: NELY TISI: NELY	<pre>[arr initured arr initured 1 1.1.1. KELLEK - A New Ultringtote SChEME FUN NUMERICAL FRONTERS IN THE PROFENSION IN NUMERICAL SOLUTIONS 11. PP. 327350, 199 EURITIONS SUPERS A CASELOCASEWIRELASULTY NET IN NUME 1. PP. 6653-0431 199 EURITION SUPPLY SUPT FILMIN IN 2017 EURI SUPPLY FILMIN IN 2017 EURI SUPPLY SUPT FILMIN IN 2017 EURI SUPPLY SUPT FILMIN IN 2017 EURI SUPPLY SUPT FILMIN IN 2017 EURI SUPPLY SUPPLY FILMIN IN 2017 EURI SUPPLY SUPT FILMIN IN 2017 EURI SUPPLY SUPPLY FILMIN IN 2017 EURI SUPPLY SUPPLY FILMIN IN 2017 EURI SUPPLY SUPPLY FILMIN IN 2018 FILMIN IN 2018 FILMINES ERFERENCE IN 2018 FILMINES FILMINE FILMINES FILMINES FILMINES IN 2018 FILMINES FILMINE FILMINES FILMINES FILMINES IN 2018 FILMINES FILMINES FILMINES FILMINES FILMINES FILMINES IN 2018 FILMINES FIL</pre>	000202000	C UUU2040 00002050 00002060 00002060	00002100 00002100 00002110 00002120 00002120	00002140 00002150 00002150 00002150 00002150	00002210 00002220 00002220 00002240 00002240	00002270 00002270 00002280 00002280 00002300 00002300 00023300 00023310	00002340 00002342 00002342 00002350 00002350 00002350 00002350 00002350	00002390 00002400 00002420 00002420 00002420 00002440 00002440 00002440 00002440
UIFFLACHCE SCH MS. APPEAKED 1 10NS UF PAMITAL 10NS UF	LFk - A NEw UIFFLARTACE SCH PROHELAS, APPEARED SOLUTIONS UF PARTIAL SOLUTIONS UF PARTIAL SOLUTIONS UF PARTIAL EUUALIONS UF PARTIAL EUUALIONS UF PARTIAL EUUALIONS UF PARTIAL FUNCTONS DUPTY, YSUPLY, YSUPLY, REFINE, U OPFPT, NPHINI SULV, SOULUTIONS UT PARTIAL FUNCTONS MECHANICS, VOLUME 1. MECHANICS, VOLUM	<pre>AN INTELER AN INTELER A NEW PITTONS OF AN AN ANTITURE SCH PROUTINNS OF PARTIAL SOLUTIONS OF PARTIAL SOLUTIONS OF PARTIAL AUTONNA ANTEL ASULTATION FOR AND AND AND ANTEL ASULTATION AND AND AND ANTEL ASULATASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASULATASUMAN ANTEL ASUMAN ANTEL ASULATASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN ANTEL ASUMAN A</pre>		EME FUR FARABULI N NUMERICAL UIFFERENIIAL 7-360. 1911.	L OF FLUID FP.665-0431 195	PTPT	(4,151) ,151) ,151) /// /(4,15 (4,151) (4,151)	ltest	S•FACA, J•ĸEFINE, 1.E-b•.FALSE.,	
	LFK - A NEW FK - A NEW FR - A NEW FR - A NEW SOLUT SOLUT SOLUT SUPLY, YSUPLY, HE SOLUT SUPLY, YSUPLY, HE SUPLY, YSUPLY, HE SOLUT SUPLY, YSUPLY, HE SOLUT SUPLY, YSUPLY, HE SOLUT SUPLY, YSUPLY, HE SOLUT SUPLY, YSUPLY, HE SOLUT SO	Пам INLLUEN А КЕЦЕК А МЕЧНО 1 1.4.6. КЕЦЕК А МЕ 1 2.4.6. КЕЦЕК А МЕ 1 2.4.6. КЕЦЕК А МЕ 1 2.4.6. КЕЦЕК 11.6.6. 1 2.4.6. КЕЦЕК 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.6.8.1 11.6.6. 1 2.4.6.7.8.6.		DIFFERENCE SCH EMS. APPEARED II TONS OF PAMITAL TONS OF PAMITAL	ALL JEL, JUURNAI ALC JEL: JUURNAI ALCS: VOLUME 1.	YSUPLY*REF INE.0 (EF]NE.NC (PE (121) (111)	(4) + 131/ 700/ 00/ 00/ 00/ 00/ 00/ 00/ 00/ 00/ 0	6 66.С7 Екечецаситиреам 76.Үнанд	YSuPLY.XB.YA.HN 4.6сь.с/,KC 11651.00.00 /15.	



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HMAX=(14/1.)/(0.0*(J-]))#3.		C4= .	C]=1./3.		C2=0.	I=1			KSIAHI=1		N(L,=)	C VECTUR ** 6 ** 15 SET TO ONE FUR THE LAMINAL CASE			DU 30 L=1.JMAN	U0 10 K=1.2	01/0/11/1/		Ulx (K+L)=u.	26 CUNTINUE.	SU CONTINUE REAL(S_INPUTS)	Cal.L. PHEP (NSIAHT)	WHILE (0.1MPUIS)	CALL WALJEI(KSIAHI)		SUMMOUTINE WALJEI (KSIAHT)		C 1415 SUMPRULIME CUMPULES THE STREAMWISE DEVELOPMENT OF ELTHER OR BUTH	C UIMENSIONAL MALE-JEI ON A CUMVED SUMEACE WITH SMALL CHUSS-FLOW	C ASSUMPTION	C LUGICAL CASEMODULUI	CUMMON /WHIE/ XPHI, OPIPI, FPHINI / NPHI/ KPHI(1)	CUMMUN ZAR VELASE CASE A COMMUN ZAR SHAZ HKA(1) ZALZ H(1) ZULAZ ULA(4.1)	CUMMON /6/ 6(4+1) /WI/ #1(2+1) /#12/ #12(2+1)	CUMMUN /YARM2/ F1.929/F3.F4.975.Fr	COMPON / YARMAY MAXI STEPACARANIEK TELTOUOFFAMIESI	



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			(L) 4) 60 [0]35				CALL PRMESH						./5.			AL		<u> </u>	1.1					ITAL SIMILAN SULUTION		PI.I) HETUHH			04.		۲.	(1)	()		
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ALLER DETERMINE THERE IN THE COLOR		1.4.1) /C/ L(2.4.1)	(4.1) / NCH/ NUK(4.1)	-																																MATCH WALLON OLAT VINIAL MATER		(1.1) / MC. 1 (M. 10 (4.1) / A/ A (4.4.1)							
a sul Cacadianan intin bint Coul a		CUMMUN /A/ A(4,4,1) /H/ B(2,	CUMMUN /NH/ NH (4.1) /NC/ NC	CUMMUN / PAHMI, N, NP, WU	CUMMUN /PARM4/ NUMOD	UU 100 L=1.J	NO LOD ALLAN			100 MCM(K+L)=0	CALL LUSULV(1)		UU 600 M=2,J	M1=M_1	NM=M	0	CALL BELASV (KM)		C SULVE SUALAN MAIKIK ALPHA				240 SUM=SUM-14 (K + AA + AP + M) &C (KK + I +	A (K+L+M) = A (K+L+M) + SUM	400 CONTINUE	500 COMFINDE	C	CALL LUSOLV(KM)		C ALO C.INITAL.	C contraction	4E IUHN	END	SUMMOUTINE LUSOLV (KM)	C HI Huttar at Atta Date A	C - HILLS SUPPORT ULTURE SECONDOSES A SEC	C A REALD FIVOLING SIMPLES	COMPON / PLAT PLATE IN / PLC/ PLC	Curt-A014 / P 4(P11 / N. NP . NO	C	Neven 000 00	H1=11	C	C SEARCH FOR UPTIMAL PLVOT	

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		CLINDI = A (MMM · NCM · KM)	Ki'Iv01=CP1v01				IF (arts (Ref 1001), GF - Arts (A (RER - GCM - REV))) 6(1 101) 60			KPT VOI = A (WHK, NCM, AM)	100 CUNIINUE	IF (ABS (CP [VOI) .GE . ABS (A (WM, NCK, KM))) GU IU ZUU	NL=K	CPIV0T=A (MHM+NCK+KM)	200 Cult INUL	P PLACE AV INTE CHANGERS COLUMN	IF (AHC(C., [v0]), L1, 1, F-10) wultf(b, b000) NM, M], C., [v0]		N I INC. NC. KM	IF [KF_NF_M1] KS [GN=KS [GN+1	NC (M1 + KM) = K1	C GAUSSIAN FLIMINATION		DU 300 L=4,M	NCL_NC (L, KM)	A (NHM, NCL, KM) = A (NHM, NCL, KM) / CHIVOI	1=4 (NHM, NCL, KM)	N. M=W N.M=		$300 \times (NKK+NCL+KM) = \# (NKK+NCL+KM) = 1 \times (NKK+K+K+N)$	C. W.V. BY INTE CHANGING BUL		400 C(MI INDE	It (AHS (HFIVOT) . LI . I . L . I . WHILL (6. SOUD) AM. M. HIVHIVO	N I = WH (NK, NM)	It (nk.fit.wi) NSIGNEKSIGN+1	(14 (K4+KM) = NK (M] + NM)	Un (M, M) = N		C GAUSSIAM FLIMINATION	2	N. 200 LEN. N	

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A (HHL, NCM, KM) = A (MHL, NCM, KM) / HP I VUI 1 = A (MHL, NCM, KM) = A (MHL, NCM, KM) / HP I VUI UG 500 K=11.N NCK=NC (N.KM) A (MHL, NCK, KM) = A (MHL, NCK, KM) - 1 & A (KI, NCN, KM) NCN=NC (N,KM) OU CUNI I MUE NNM=FAK (N, NM) NLN=NC (N,KM) I F (AHS (A (MHN, NCN, KM)), LI · I · I · I · I · I · I · I · I · I	The source of the second se	$\begin{bmatrix} L_1 = L - I \\ IV & I = 0 \\ IW = SIW - U + (K + M] \\ IW = SIW - U + (K + M] \\ U + (L = SUM \\ U + (L + M) \\ IV = U + (L + M] \\ IV = U + (L + M) \\ J = U \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUV + M + (L + M) \\ U = SUW + U + (L +$

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<pre>unstant (init) a (init) a</pre>	F (K.M) = F (K.M) + SUM 260 CUNIINUL	JUU CUNIIAUE C SULVE AU IN A \approx DU = F	Call USULYF(J) C DU BUU MM=2.J C UPUATE ATOMI AAAU STUE C UPUATE ATOMI AAAU STUE MJ=J-MM+2	UD 500 - 10- 100 - 10- 100 - 10- 10- 10- 10- 10- 10- 10- 10- 10- 10

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	NI TUU L'TIU L'ANT	Arlatana
10	SUM=SUM-C(K+L+M)*UU(L+M])	00010140
n	F (N+K+M) IF (N+K+M) +SUM	00010150
	CALL HEULVE (M)	
		00010180
00	CUNTINUE	00010190
	N	00010200
	the LOK'S ENLY	
	SURKOUTINE USULVE (M)	00010230
5	UMMING A SCALAM MAIPIX IS IN FACTORISED FORM. THIS DUILTINE SULVES	U0010240 U0010250
王	SULUTION FOR A PARTICULAR RIGHT HAND SIDE	00010260
	CUMMUN /A/ A(4.4.1) /F/ F(4.1) //h/ /h/(4.1)	00010270
	CUMMON /NK/ NK (4.1) /NC/ NC (4.1) /NCK/ NCK (4.1)	06201000
	CUMMUN / PARMI, N, NP, NU	00601000
SUL	VEYINL*Y = F	016010320
		00010330
		00010340
	SUM=F (NKL M)	
	1+ (L. Eu. 1) 60 10 200	00010370
	L1=L-1	00010380
		06601000
0.0	NCK-NC(K+M) SUM=SUM-4(NK) •NCK •M) *IN((K •M)	0010400
007	UU(L,M)=5iM	00010420
	NCL =NC (L,M)	00410430
	IF (NCH(L · M) · E U. [] DU(L · M) = DU(L · M) / A (WKL · NCL · M)	00010440
100		0010450
	NCNENC (N. V)	0/ 101000
	F (N+M) = U(I (N+M) / A (NRN+NCN+M)	0010490
		00010490
10	VE UU IN A + UU = F	
		07501000
	UU 500 LL=2.N	W C979 0ESOTOON
	L-W_LL+1	ell Ce 5F
	DU 400 K=L1.W	nat 022010200
0.0	NUK=NU(N+A) SUM=SUM-A(IARL+NCK+M) \$F (K+A)	06501000
	F (L, M) = 5UM	nal 01901000
	NCL=NC (L.+.)	UUU10620
	[F (MC)((L+M)+FU.D) F(L+M)=F(L+M)/A(NKL+NCL+M)	00010530

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	00010650	uuu16670 uuu16680	06901000	001010710	0010100	0010730	00010740	u0010760	01/01000	0010101000	01801000	02801000	00010840	00010850	00010860	00010860	00010890	00010900 <00010910	00010920	00010030	0001000	09601000	00010980	06601000	00011000	00011020	0011040	04011000	UU011060	00111090	00011100	01111000	00111000	00011140
		C REARHANDE COMPONENTS DUE 10 MLAED PLAUFING	DU 500 L=1.N		KE LUKIN	ENU	SUBROUTINE PREPRIT	C P2 15 FUH LUG. SPHIAL. SHUULU HE CHANGED FUH UIHER CURVED WALLS	COMMON / AAMZ/ 01.02.03.04.05.00	CUMMON PARMAS KOUNT, XN, HX, X			PJ=4.*PZ*X**0.75*C2	P4=0.		ENU ENU	SUBHOUTINE PREPR	С С идмальтам типнинсемсе морет с иегенее клидинтам - тирнисти масс-Jers	C UIFFUSERS, ALAA VUL. 11, NO. 12, PP. 1044-1690, 1973)	C CUMMUN /#1/ #1(2+1) /HI/ U(4+1) /6/ 6(4+1) /MESHY/ H(1)	CUMAUN /PARME/ P1.P2.P4.P4.P4.P4.P6.P6	CUMMON /PAHM4/ NU.NW.J	COMMON /PARMA/ KUUNI *XN+HX+X	CUMMON /PHEPAPY IFLAG, YIC. YIULU-YIULUZ. ILEM, YICC	C U HAS INE SAME MEANING AS UT IN THE MAIN PROUKAM			1 (((YI)C-Y [ULU) . EU. (- (Y [ULU-Y 10LU2))) . ANU. (Y [ULU-NE.Y]C)) 1. LAG=0	IF (IFLAG.E.0.1) 60 TO 90 Y I = AMAXI (V I C. + V I O D)	40 CINI [NUE			1-f=1c	
	-	-				-	N. COL					-	and the second			ingen in	A2:	5		-			-	1	-	-			1		-		-	

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антектолет ратот тати ка Shenta Lanuk Stenta Do 100 LL=1,JL L=J_LL 11=y1-M(L) DeOrd=Surf (U(2,L) **2+w1(1,L) **2) 1F (UNDKM.Lf=0.01) 60 TO 100	100 GCN 110 200 200 GCN 1100E 71GC=YTC 400 GCN 1100E 71GC=YTC 400 GCN 1100E 7=0. 100 Jan L=1.J 100 Jan	CUMMUN />FTUP/ UN(4).UHA(4).FF(1).AJA(4) CUMMUN /PARMA/ PI.P2.P3.P4.P5.P5 CUMMUN /PARMA/ N.W.J CUMMUN /PARMA/ N.W.J CUMMUN /PARMA/ RUUNI.XN,IA.A CUMMUN /PARMA/ RUUNI.XN,IA.A CUMMUN /PARMA/ RUUNI.XN,IA.A ULCU=U. Y=Y4.HY(1)/? ULCU=U. Y=Y4.HY(1)/? ULCU=U. Y=Y4.HY(1)/? ULL PREPP(Y) CALL PREPP(Y) CALL PREPP(Y) COMPULE U AL POINT MUWAY HEIWERN [WU VEFILGAL PUINTS AT PREVIO

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00011680	00011700	01211000	0FL11000 (()	52/11000 C	00011740 00011770	00011760	00011780		00011810 DE UF 00011820)- UUUII840 1- UUUII840	UJU11860	00011870	00011890	00011900	00011920	04611000	05611000	00011970	00011980	00021000	Ro Sci SC 02021000	05071000 05071000	05071000	II In Centra GFR 09021000	terr or 09071000	000121000	00012110	10101000
N. 1.	10 0H(N)=(0(N+L)+U(N+L-1))/4.	CUMPULE CONTRIBUTION	((3,1)=6(1,1)*(U(3,1)+p3*U(2,1))=6(1,1)*(U(3,1)+p3*U(2,1))		7 = 7 + (H1 ((-1) + H1 ((-1)) / 5 + (-1) * H2 * OH (2) * * 2	100 CONTINUE	HE I UHN END	SUHHOUT I'VE BC	C FHIS SUMROUTINE COMPUTES THE JACOMTAN MALATA AND RIGHT HAND STU	C FUNCTION STALEMENT FOR THE STREAMASTE MOMENTUM EQUALTON C FUNCTION STALEMENT FN(X) HAS TO HE THPJT HY USER FOR HIS OWN CO - FLOWING HOMMINDY COMMITION AT TWEINTY		COMMON / SF 1Up/ UA (4) + UB (4) + 9 (4) + B (4++) COMMON / CONST/ C1+C2+C3+C4+C5+C7	СОМИЛИ И ИАКИХ И Р2, ИЗ, Р4, Р5, РА	x * x L * NOON / GHAR / NOUND	FW(X)=X*E Xµ(-X)	0(1)=(JA(1)	0(Z)=(J)(Z)	0(4) =()B(4) B(1,1) = 1.	13(2,2)=1.	IF (KOUNI.61.1) 60 TO 100	ASYMPTULIC BUNNUARY CONDITION AT INFINITY AT S=0	(1) =() (1) +2, *() (2) /C3+() (3) /C3**2-C3	H(3,2)=2,/C3	H(3,3)=1./C3**2			BUUNDARY CUMUTION FUR S GREATER THAN ZENU	

																													Fs	Roc	nco 07	we e C 9.5	II II Sen 5FR	nte ter	m	atio	ona	al	
NCIJINN	09171000	00012180	00121000	00012210	00012220	0072240	00012250	00012260	00012280	00012290	00015300	01015310	00012320	00012330	09621000	00627000	UUU12370	00012380	00012390	00012400	00012420	00012430	UUU12440	0012450	00012400	00012400	00012490	00012500	00012510	02621000	00012540	00012550	00012560	LUUU12580	06521000	0012600	01971000	02021000	
	Kt-1UH ^{rl}	SUBROUTTINE RUST		C MUMENIUM EQUALITY COMPUTES THE RIGHT MANU STOL OF THE STREAMWISE C MUMENIUM EQUATION	C CUMMUN /SETUEN 11(4) (11(4) (4) (4) (4) (4) (4(4)	CUMMUN / PAMME/ P1, P2, P3, P4, P5, P0	CUMMUN PARMAS KUUNT, XN, HA, X		F(1 = U(2)	F (2)=U(3)	F (3) = - (Ⅰ。+P1) キリ(1) キリ(3) +2。キリ(2) キャジキ (2。キアら−1。) -4。キアらキ ((∪(3) +UX (3) ユーマント)	F(4)=P2+U(2)++2	j.	Kt IUNN		JURNULLINE JACID	C THIS SUBRUUTINE COMPUTES THE JACOHIAN MAINIA OF THE STREAMWISE	C MUMENIUM EQUALTON		CUMMON /SETUP/ U(+) (U(+) (+) (+) (+) (+) (+) (+) (+) (+) (+)	CUMMUN PAHMAN KUUNT, XN, HA, A	C	DECOU=0.	A(1,2)=1.	A(2+3)=1. A(3+1)=-(1-+D+) 4)1(3)-4-4D64(1,(3)+(14+(1))		((¹) V()-(¹) (²) + ⁰ + ⁰ + ¹ (¹) (¹) + ¹ + ¹) -= (¹) (A(3,4)=4.*{DECUD+4.**.?;*(d.*!?(-].)	A(4+2)=2.*P2*U(z)	Ht TINKN	E.MD	SUMMUUTINF PHLP6*		C STATION OF THE SPANNISE MOMENTUM FOUNTION FROM THE PREVIOUS STREAMMED		adocade adocade 14 /2mg/ NUMMUS	CURRON / FARMA/ NU. NW. J		





10012660	00012670	08921000	00012690	00121000	00121000	0012120	06121000	00012740	09/21000	09121000	01121000	00012790	00012800	00012810	00012820	05821000	09871000	00012860	00012870	00012880	06971000 •1	00012894	00012896	00621000	00012910	00012920	06621000	04621000	02621000	00651000	06671000	000001000	00013020	00113030	0013040	02051000	00013060	00013070	04051000	06051000 00	00013110	00014120
CUMMON (PARMA/ RUUN] . XN . HÀ . X		Y=YA+HY(1)/2.	10 100 L=2,J	L1=L_1		C UBIAIN II AT PUINT MINWAY NETWEN INU VENTICAL NET PUINTS FUN THE	C PRESENT AND PHEVIOUS STREAMWISE STATIONS			VA(N)=(UIA(K+L])+UTA(K+L))/2.		C OBTAIN W AT POINT MIDWAY FEIWEEN TWO VENTICAL NET POINTS FUN THE	C PREVIDUS SINEAMWISE STATION			CU UT(N)=(WIA(N,LI)+WIA(N,L))/C.		C COMPUTE CONTRIHUTION FROM PREVIOUS STREAMWISE STATION FUR THE	C SPANWISE MUMENIUM EQUATION		C C C C C C C C C C C C C C C C C C C	2 (UH(1) * (VH(2) + VHX (2)) - UH(2) * (VH(1) - VHX (1))) - SQHT (X) * P5*	3 (VH(2)**2+VHA(2)**?))	Y=Y+(HY(L_1)+HY(L_))/2.	100 CUMI JAUE	C			C THIS SUMHOUTINE COMPUTES THE JACONTAN MAINIX AND ATOHT MAND STUE	C FUH THE BOUNDARY CONDITION OF THE SMALL CHUSS FLOW EQUATION				B(1,1)=1.	B(2.1)=1.	KŁ IUHN	EWI	SURROUTINE RHSFW		C INST SUBROUTION. COMPUTES THE RIGHT HAME STUE OF THE SPANWISE NUMENT	C EWORTION	COMMON /~! THA/ V(4) • V(4) • F(4) • F(4) • A(4,4)

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04161000	05161000	00013160	0/171000	0612190	00013200	0013220	06261000	00013240	00013260	00013270	00013280	06251000	01661000	07611000	06661000	0461000	00551000	00013370	0013380	06651000	00013400	01451000	05451000	04461000	0013450	0013460	0/ 45 1000	06451000	U0013500	01351000	0013520	05551000	0.401.0340	0013560	0013570	09351000	06561000	26661000	01961000	60013620
10 F(L)=0.	ML IUHN	FAU Support for the second	SURFOUTINE JACOHM	THIS SUBRUUIINE CUMPUIES THE JACOBIAN MAINIX FOR THE SMALL CHUSS-FLOW		CUMMON / AMMAZ PIOPSOLATON CUMMON	CUMMUN / SETUP/ V(4), VX(4), F(4), A(4, 4)	A(1,2)=1. A(2,1)=-4.\$P4\$V(2)+4.\$P6\$(V(2)+VX(2))	A(2,2)=-(1.+41)*V(1)-4.+P6*(V(1)-VX())	KETUKN		SURRULINE UUIFI (J. 14)	IMIS SUNHOUTINE WHITES THE SOLUTION ON PAPER		LUGICAL CASEU		CUMMON /UL/ UL(4.151) /MESAY/ H(151)	Y=YA	IF (CASEW) 60 10 200		PHINI SIREAMWISE VELUCITY VECTOR DALY			WHILE(6,6200) L,Y,(UT(K,L),K=1,4)	Y=Y+H(L)	110 CUNITAUE	KE LUKN	WAINT NUTH STUEMWISE AND SUANWISE VELOCITY VECTORS		200 WH ITE (6.0300)		WALLE (0+04(10) L.1.9 (01 (N+L) + N=1,4) + (W1 (N+L) + N=1,42) Y=Y+H(1)	JUD CONTINUE		100 FUHMAI (//10×+*Y*+14×+44 +14×++14×++14×++14×++14×++13×++++1)	200 FURMAL(14.5(14.E14.7))	.300 FUNMAI(//]0X**Y**!4X**!4X**!4X**!**!**!**!**!**!!!F**!]5X*****!]5X*****!]5X* . ******/*	4011 FUHMAI (14,7(1,4,6,1))		Kt fuwu
			-											-					4	30									Innesis										-	

00013640	00013660	00013670	0013690	00113700	01/51000	0013730	00013740	05151000	02251000	08/51000	0013800	0013810	02951000	0013840	0013850	UUU13860	01013810	00013680	00013090	01013910	02671000	06661000	00013940	09671000	00013970	0861000	0661000	000+1000	00014020	01014030	0014040	05041000	04041000	0014090	00014100	0114110	0014150	0614130
SUMMOUTINE METRUM	C NET SELECTION - ANDRUXIMALELY CHOUSING HIN) WITH THE THUNCALION ENHUR	C TU BE A CUNSTANT UN THE WHOLE INTERVAL	CUMMON /ULI/ US(4+1) /UL/ UT(4+1) /HNEW/ HNEW(1) /MESHY/ H(1)	CUMMUN /F / F (4.1)	COMMUN /NE // JMAA, HMAA, ITMA, KJAME COMMUN /PARMA/ N.NW.J	CUMMUN /PAKMS/ FACX+HKS+XA+XH+YA+Y3+WA	CUMMIN /NEI1/ KIYPE+KSINGK+KS[NG(1)+KL+P(n)+Q(6)+K(n)+IAU2(n)	UIMEASION 2(2000) +KI(10)	LUGICAL DELI.UEL2	C Ks InGK=I	KSIW6(1)=J	NEACEU=U	NETINC=0	KSAME=U	IPMX=I	l-1=1-1	N0 10 K=1.N			C CUMPUTE LOCAL TRUNCAILON FARUN AT MIU-DUTAL	2	KTYpt =-1	DU 300 L=1,J		KIYPE=0	IF (L.E.U. KSING (KSINGK)) GU TU 50	IF (L.M (KSINU(KSINGK) - 1)) (0) 10 100	C PUINT HEFORE SINGULARITY OR RIGHT FRO-DUINT		KIYµt=1	60 10 100	DO CUMI INUE	C PUTH A TCH STWOLCHHIT	KIYut=-I	I + NUK = NUK + I	100 CUNITAUE	Nu 150 KET NU	011(k) = (01 (k+1) + 01 (K+1+1)) / / ·

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	0014150 0014150 0014160
	0014170 0014180 0014190 0014190 0014200
	Uv14210 Uv1422U Uv1423U Uv1423U
	0014250 0014260 0014270
	0014290 0014290
	014310
	UC14330 UC14340
	0014350
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	0014380 0014390
	0014400
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000	U U I 4 4 5 0 U U I 4 4 6 0
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(V-15-(M-])) #U1 (V+L))/VJ2	RC SC 075+100
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	(We () 9 . 5 . 5 . 5 . 5 . 5 . 5 . 5 . 5 . 5 .
	FR 045+100
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(1++)(1) (1+)(1) (1+)(1) 1=0(1/2) (1+)(1) (1+)(1) <th></th> <th>Ro Sci SC</th> <th>ien 507</th> <th>W ce 79.</th> <th>ell Ce 5F</th> <th>In onto R</th> <th>tei</th> <th>rna</th> <th>ati</th> <th>on</th> <th>al</th> <th></th>																																Ro Sci SC	ien 507	W ce 79.	ell Ce 5F	In onto R	tei	rna	ati	on	al	
<pre> (+**E NC+1) *** **** ************************</pre>	09941000	0/941000	00014480	06941000	00/41000	01/1/1000	02141000	00141400	00014750	00014760	01141000	00014780	061+1000	00014800	00014410	00014830	00014840	00014850	00014400	0/847000	06891000	00014900	016+1000	00014450	05651000	09641000	00014960	08691000	066+1000	0001000	00012010	02051000	04051000	04041000	00001000	00012020	0001000	06051000		02151000	06151000	
· · · · · · · · · · · · · · · · · · ·		LANET INCALD . 101 JMAX) 40 10 2500	surce	N, 1= N UC	**************************************			INUE				=i)EL2	HNE (L. NE [INC-])+H(L)), LE HMAX) OU TU 825				((++++++++++++++++++++++++++++++++++++	INC=NEIINC-I		COULT = ASTNG (NOUTT + NETING	Nok Allow	16 (r) = KT (K)	Inde	(SAME + F.U.+ U) RE I UNN		2200 K=1.N	(, JNE #) = U] (K, J)		·(J)=0.	C300 L=1.J	=HNEW(L)	300 K=1•N	INUE	NHI		1 Mut	1t. = ()			KUILINE IKUN		

																													1) F	Ro	ck	W ce 79.	ell C4	l lı ent TR	nte	err	nat	tio	na	ł		
 00151000	UNISINU	06161000	00015200	00015210	07251000	05251000	00010240	06261000	01221000	U0015280	0015290	00012300	00015310	0015320	00115330	04651000	05551000	noscinno	0/561000		00423400	000155430	00015440	00015450	0015460	0115470	00415480	00015500	01241000	00015520	00015530	04941000	0001000	0015560	0/551000	0015580	00015590	00951000	0155100	02451000	00015630	04951000	00001000	09951000
= 0 INIERNAL PUINI	I RIGHT HOURDARY PULAT	: SINGULAH PUINIS ANE INFATEU AS BUTTUNANY PUINIS		INTEGH, TYPE	CUMMON /MESHY/ H(1) /U1/ U1(4.1)	CUMMON /PARMA/ NeIWeJ	CUMMUN / PARMS/ FACKOHNSOKAKSIKOTALISONA	COMMON /SETUP/ UH(4) •UHX(4) •F(4) •A(•4)		IF (IYPE) 100, 200, 300	IOU CUNIINUE		: LEFT BUUNUARY POINT	•	Al=-H(L)/2.	. Ad=-Al			([+]) U++B=CH					60 10 400	200 CUNTINUL		INTERNAL POINT	It (I .F IX, IND.K.C INGK)-2)) (S. (1) 201		Al=-H(L-1)-H(L)/2.	Ad=-H(L)/2.	A3=H(L)/2.	A4=A3+H(L+1)	A5=A4+H(L+2)		L1=L-1	Lčat	L3=L+I	Lastar	Lb=L+J			COULTRUE	

																																	火		R S S	cie C5	ck nc 07	we e 9.	ell Ce 5F	In enta R	ite	rn	ati	ior	nal		
	00015680	0015690	0015700	01121000	00015720	00151000	00015740	02721000	00015760	01721000	0015780	00015790	00015800	01851000	02851000	05851000	00015850	00015860	00015870	UU0158H0	UUU15890	v0015900	01931000	00015920	06651000	00015940	012950	09651000	0101000	00015900	00016000	00016010	00010050	0601000	00010040	00010042	00016044	00016046	06091000	uuu16052	4C091000	0001000	0001000	20001000	0001000	0016070	06016072
· · · · · · · · · · · · · · · · · · ·		A1=H(L)/2,+H(L+1)	A2=H(L)/2.	AdAZ	A+=A3-r1(L-1)	45=44-H(L-2)		[1]=[+]	L2=L	LJ=L-1	L4=L-2	L5=L-J			JUU CUNIINUE	UIGHT HOUNDALY OINC		Al=H(L)/2.	A2=-A1	A3=A2-H(L-1)	A4=A.J-H(L-2)	A5=A4-H(L-3)			۲۶=۲ b	L3=L-1		2-1=C1	And CONTIN.+		CUMPUT LUCAL THUNCATION ENHUR IN INU STEPS	: (A) CONTREBUTION FROM THIRD DERIVATIVE.		UP=VARIUE 1 (5, A1, A2, A3, A4, A5)	UI=6.* (VAUDE1 (3.A3.A4.A5.0) *A2***		2 * VANUET (3.42.43.45.0) * 0.0) * A4 * 4	3 -VANUE [(J.A2.A3.A4.00.) *A5.44.70P	544 1 44 (. (. 6 . (. 6 . 4 3 . 4 4 . 4 3 . 1 . 6 . 1 . 6 . 1 . 6 . 1 . 6 . 1 . 6 . 1 . 6 . 1 . 6	I -VANUE [(3.4],44,45,45,41) #A 34 44	2 +VARUEI(3.A1.A3.A5.0)*44***					C4=-h.* (VANUE (3.42.43.42).00.) * 1.4.4.4	-VA4111 [(5.4 . 43.45.0) #1.2444

JUU16076	00010080	00010084 00016084	00010046	00016090	0016110	00016120	06101000	000101000	00016160	00016164 00016164	00110100	00016172	01016180	00016182	00016184	0016190	UUU16192	44191000	00016210	UUU16220	60010230	00010240	00016260	00016270	00016280	UUV16240	00016300	01501000	00016330	00016340	00010350	00016360	uuu16370	00501000	0016400	01491000	0016420	00016430	0016440	00+01000
3 -VANDE1(3.41.42.43.000) #47.444)/0P	C5=0.* (VANDE (3.42.43.44.0) *A) ***	2 +VANDE1(3.41.42.44.000.) #A2#*4	3 -VANUE [(3.4].42.43.010.) #44.44)/UP	UU 500 K=1.N P(K)=C14H(f(K.1.1)+C34H(f(K.1.2)+C34H(f(K.1.4)+C44H)(K.1.4)+C54H(f(K.1.4))	5u0 Cuninut		C TEL CONTRIBUTION FROM SECOND VERTIVATIVE	UP=VANUET(4, A1, A2, A3, A4, U.)	CI=2 * (VANDEI(2,A3,A4,0,0,0,0) * A2** 3	2 +VANUEI (2,42,44,00,00,00,00) *A3**3 2 +VANUEI (2,42,63,00,00,00,00) *A4**3) /UF	C2=-2.* (VANDE 1 (2.43.44.00.0.) *A1**J	2 +VANUEI(2+A]+A4+U++U++U++U++J*A3+*3 +VANUEI(2+A]+A4+U++U++U++U++J*A4+++1)/UE	C3=1.* (VarDE1 (2.42.44.0.*U.*U.*)*41** 3	1 -VANUET(2.A],A4.U0U.)*A2**3	2 +VANDET(2.41.42.000.) *44**3)/UF	C4=-2.* (VANUE (2.42.43.000)*A]**J	2 +VANUET(2+A]+A3+U++0++0++0++3 2 +VANUET(2+A]+A2+0++0+0++0+++3/10		DU 6011 K=1.N	HIN)=(]+UI(K+L])+C2+UI(K+L2)+C3+UI(N+L3)+C4+UI(K+L4)	600 CUNITAUE	CALL JACUI	DU HOH K=1.N	U(h)=(.	N+1=W 1101 00	4(K)=1)(K)+4(K+M)*K(M)			C SECOND UNDER INUNCATION ENHUR		00 900 K=1.N	[[K] = [' (K] _ 3.4W(K)	900 CUNITAUE	ut I Huy	ENI)	FUNCTION VANDET (N.X1,X2,A3,A+,45)	2	C INTS FUNCTION NOUTINE COMPUTES LAP DETERMINANT OF AN (N * N)	C VANDEMMUNUE MAIKIA WITH ENTRIES A(1), (2),, WITH N GREATER THAN	I MALL COT DAL 1 3

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And other statements and the statement of the statement o	16470	10440	16500	16510	16520	16530	10227	00001	10001	01001	00501	10600	16610	10620	00001	16650	10660	16670	16680	16690	16700	10710	16720	16730	10740	16/50	10/01	16710	00/01	16800	10610	16320	16430	16840	00001	168/0	16480	16890	16900	16910	16930	16940	16950	16900
	000	000	000	000	000	000	000			000	2000	000	000	000		000	000	000	000	000	NUUN	UUU	000	000	000	000	000	000			000	000	000	000	000	000	000	000	000	000	000	000	000	000
	DIMENSION X(5)	A(1)=x1	A (2) = 42	X(3)=X3	X (4) = X4	GX= (G) Y						100 CONTINUE	ZUO CUNIINUE	•		ENU	SUMRIJUTINE YMESH		SUGHOUTINE IN WHICH USER SUPPLIES UWN VENITCAL MESH AND TOTAL	NUMBER OF NET POINTS = (NUMBER OF INTERVAL INTERVALS +1)	BY VEHILCAL MESH, WE MEAN THE VECTOR H(L), WHEHE Y(L+1)=Y(L)+H(L), 10	L GREATER THAN ZERU. WITH Y(1)=YA, Y(J)=ID		CUMMUN /PARM4/ N.N.W.O	CUMMUN /MESHY/ HY(])		KE I URN	ENU SUBRAUTETAL FAR SH		SUBUCHTAR IN WHICH USED STOULTS UNIN STORAMISE ME H AND TOTAL	NUMBER OF STREAMALSE STATIONS TO BE MARCHEN THIS EXCLUDE THE STATION	AI S=U) . HY SIHEAMWISE MESH, WE MEAN INE VECION HA(L) . WHERE X(L+1) =	X(L) +HX(L) + FIN L WHEATEN (HAN ZFNU. WITH X(1) = XA ANI) X(NA+1) = XA		CUMMON PRAHMES FACK HAS AA AR YA YA YA YA YA		HE TURN	ENI	SUBHOUTINE PRMESH	COMMON / KYHI/ KYHI(I)	SUBJOUTINE IN WHICH USED SUPPLIES OWN STATAMALSE STATIONS AT WHICH	SULUTION WILL HE PHINIED ON PAPER. THE VECTOR KPHILL SHOULD HAVE	THE PROPERTY APHTIC) IS SKEALEN THAN APHILIND, FOR L GREATEN THAN K.	KPHT(H)=1 HLANS SOLUTIONS HAVE HEEN PHIMLED FUR (M-1) STATIONS. (THE
Concession of the local division of the loca														0.	,	•		0	0	9	0	12	2			5			-		0	9	-	-		5					50	0	0	0

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APPENDIX B: 3-D WALL-JET SMALL CROSS FLOW PROGRAM--RUNNING INSTRUCTIONS

The following deck setup will indicate control cards and data cards (a name list card INPUTS) needed to run the following example:

- (A) Small cross flow CASEW=.TRUE.
- (B) u = 0 at outer edge of jet, C4 = 0.
- (C) Parameter in logarithmic spiral K = 1/3, C1 = 1./3.
- (D) The induced magnitude of induced cross-flow $K_{2} = 1$, C7 = -1.
- (E) Meshes, initial profile + streamwise output stations are all to be provided by program.
- (F) Streamwise station to be solved to XB = 1.
- (G) Initial mass flux = 1.
- 1. Deck Setup

Job Card

FTN4.

LGO.

7/8/9

Source program

7/8/9

-\$ INPUTS CASEW=.TRUE., C1=.33333333, C4=0., C7=-1.\$

† Second column

6 / 7 / 8 / 9

For other desired cases, see definitions of the various variables and their options in the listing. The solutions are to be printed on paper



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in sequence of streamwise stations. Thus, for any s location, there are eight columns of outputs:

Column 1: index of vertical net points

Column 2: y-vertical net point values, from y = 0 (1 in column 1, at the wall) to y = YB (the last value in column 1, outer edge of jet)

The next six columns have the same convention as column 2:

Column 3: F--Glauert similarity variable

Column 4: DF--the partial derivative $\partial/\partial(eta)$ F

Column 5: DDF--the partial derivative $\partial/\partial(eta)$ DF

Column 6: P--the reduced pressure P

Column 7: W--cross-flow velocity

Column 8: DW--the partial derivative $\partial/\partial(eta)$ W

To find out the computed values of (F, DF, DDF, P, W, DW) at y = 0.5, say, we need to look at the horizontal line with the y-value on column 2 to match with y = 0.5 (provided y = 0.5 is a net point), then the third to eighth columns will give the function values of F, DF, DDF, P, W, DW at y = 0.5.

- 2. Type and Configuration of Computer Used in Program Development
 - (i) Lawrence Berkeley Laboratory 7600

(ii) CDC 6600 at Arbor Vitae, Los Angeles, and Sunnyvale

3. Estimate of Running Time

16 seconds on CDC 7600

4. Name and Level of Programming Language Used in Program FORTRAN IV