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NUMERICAL SOLUTION OF STIFF ORDINARY DIFFERENTIAL EQUATIONS.(U)
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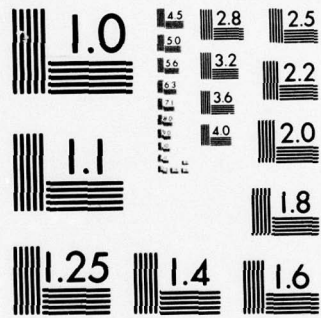
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NUMERICAL SOLUTION OF STIFF ORDINARY
DIFFERENTIAL EQUATIONS

FINAL REPORT

Leon Lapidus

January 31, 1977

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20. ABSTRACT (Continue on reverse side if necessary and identify by block number) An analysis is presented for alternate numerical techniques for solving stiff ordinary differential equations. These techniques include a singular perturbation or pseudo-steady-state method and an imbedded, error-monitoring semi-implicit Runge-Kutta method. Extensive numerical experience on equations which are linear/nonlinear, small/large dimensional, and moderately/strongly stiff reveals that the singular perturbation method is most efficient for very stiff problems while the imbedded Runge-Kutta method is superb over a wide range of stiffness.		

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INTRODUCTION

Many commonly occurring physical and chemical dynamic systems have widely separated time constants. These systems are often represented by sets of initial-value ODE which possess variables that rapidly change during time intervals much smaller than the duration of the phenomenon of interest. This presents the numerical integration difficulties associated with such "stiff" systems. Thus even integration routines stable for any step size (so-called A-stable methods) have accuracy problems in following the eigenvalues large in absolute value which damp out early in the solution. These errors can easily propagate to destroy the remainder of the transient.

The stability limitations involved with most standard numerical techniques for an n-dimensional system is that they require $\max |h\lambda_i|$, $i = 1, 2, \dots, n$, where the λ_i 's are the local eigenvalues, to be bounded by a single small number, typically in the 1 to 10 range. Thus if a single eigenvalue is large in absolute value, severe restrictions are placed on the integration step size. Depending upon the length of the solution interval of interest, this can demand a great deal of computation time. Further, there are limits on how small h can be before roundoff errors accumulate and render the calculation meaningless [Lapidus and Seinfeld, 1971].

The practitioner is usually unaware of the nature of stiff systems and the associated numerical integration difficulties. Even arbitrary application of stiff methods is deemed significant enough in many areas of application to be suitable for publication. On the other hand, typical solution characteristics and the requirement on their elucidation may not be fully appreciated by the numerical analyst.

In order to make the nature of the problem clearer, consider a specific linear time invariant system

$$\begin{bmatrix} \dot{x} \\ \dot{y} \end{bmatrix} = \begin{bmatrix} \lambda_1 & 0 \\ K & \lambda_2 \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix}, \quad \begin{bmatrix} x(0) \\ y(0) \end{bmatrix}$$

with the analytic solution

$$\begin{aligned} x(t) &= x(0)\exp[\lambda_1 t] \\ y(t) &= C_1 \exp[\lambda_1 t] + C_2 \exp[\lambda_2 t] \end{aligned}$$

where

$$C_1 = \frac{Kx(0)}{\lambda_1 - \lambda_2}, \quad C_2 = y(0) - C_1$$

Now pick $\lambda_1 \ll \lambda_2 < 0$ and $C_1 = C_2 = 1$. In this case the contribution to the solution of λ_1 is negligible after a very short time period; yet its presence will fix the maximum allowable step size through the domain of interest by the

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bound on $\max_i |h\lambda_i|$. This domain would ordinarily be determined by

$$\min_i |\lambda_i|$$

until a steady-state has essentially been reached; for nonlinear problems this domain may not be obvious.

In the present work we have used two completely different approaches for developing feasible algorithms for solving stiff differential equations. Denoting the stiffness ratio (S.R.) by

$$\text{Stiffness Ratio} = \text{S.R.} = \frac{|\max_i(\lambda_i)|}{|\min_i(\lambda_i)|}$$

as the ratio of the maximum to minimum eigenvalues, we can define, in an approximate way,

$\text{S.R.} < 10^2$	Non-Stiff Systems
$10^2 < \text{S.R.} < 10^{10}$	Moderate-Stiff Systems
$\text{S.R.} > 10^{10}$	Strongly-Stiff Systems

In the case $\text{S.R.} < 10^2$ there are many feasible and optimal numerical algorithms in the literature [see, Byrne and Hindmarsh, 1975; Shampine, Watts and Davenport, 1976; and Enright and Hull, 1976]; therefore, we shall not consider these further. When $\text{S.R.} > 10^{10}$ the present work has developed a singular perturbation technique which seems quite feasible. When $10^2 < \text{S.R.} < 10^{10}$ the present work has developed, in a preliminary way, new semi-implicit Runge-Kutta methods which are extremely useful and competitive with any other algorithm we have encountered.

I. A Singular Perturbation Approach

Consider a two-variable set of first-order ordinary differential equations with a small parameter ϵ multiplying the derivative of one of the variables, the type of system for which singular perturbation methods have been developed.

$$\begin{aligned} \frac{dx}{dt} &= f(x, y, \epsilon) & , & & x(0) &= \zeta \\ \epsilon \frac{dy}{dt} &= g(x, y, \epsilon) & , & & y(0) &= \eta \end{aligned} \tag{1}$$

where

$$f(0, 0, \epsilon) = g(0, 0, \epsilon) = 0$$

If (1) is linearized along its trajectory, it may be expressed as

$$\begin{bmatrix} \frac{dx}{dt} \\ \frac{dy}{dt} \end{bmatrix} = \begin{bmatrix} f_x & f_y \\ g_x/\epsilon & g_y/\epsilon \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix}, \quad \begin{bmatrix} x(0) \\ y(0) \end{bmatrix} = \begin{bmatrix} \zeta \\ \eta \end{bmatrix} \quad (2)$$

Examination of the Jacobian eigenvalues indicates that their spread increases the smaller ϵ becomes, one approaches zero while the other grows larger in absolute value. The occurrence of an eigenvalue large in absolute value defines the stiff problem; thus (2) can be regarded as the linearized representation of a stiff system with widely separated eigenvalues. It then follows that such a stiff system and the singular perturbation form of (1) are at least locally equivalent.

This equivalence allows recent developments in singular perturbation theory to be used in obtaining an effective procedure for the numerical integration of either equation type. It can be shown that the resulting algorithm does not require identification of the perturbing parameter ϵ , hence is quite applicable to the general stiff system.

Consider initial value problems of the form of (1) with the perturbing parameter ϵ very small. First assume the solution may be approximated by the simple first-order expansion in the (outer) variables

$$\begin{aligned} x^* &= x_0 + \epsilon y_1 \\ y^* &= y_0 + \epsilon y_1 \end{aligned} \quad (3)$$

Substitute (x^*, y^*) into (1) for (x, y) and expand about $(x_0(t), y_0(t))$. Matching terms with like powers of ϵ results in

$$\frac{dx_0}{dt} = f(x_0, y_0, \epsilon), \quad x_0(0) = \zeta \quad (4a)$$

$$0 = g(x_0, y_0, \epsilon), \quad (4b)$$

and

$$\frac{dx_1}{dt} = f_x(x_0, y_0)x_1 + f_y(x_0, y_0)y_1, \quad x_1(0) = 0 \quad (5a)$$

$$\frac{dy_0}{dt} = g_x(x_0, y_0)x_1 + g_y(x_0, y_0)y_1, \quad y_0(0) = \eta \quad (5b)$$

$$\frac{dy_1}{dt} = 0, \quad y_1(0) = 0$$

An inconsistency can arise when (4b) is not satisfied by (ζ, η) . To alleviate this, additional (inner) variables are introduced which are particularly important to the very early stages of the transient. Expanding these variables to first-order in ϵ and adding them to (3) gives the new solution approximation (x^*, y^*) :

$$\begin{aligned} x^*(t) &= x_0(t) + \epsilon x_1(t) + X_0(t/\epsilon) + \epsilon X_1(t/\epsilon) \\ y^*(t) &= y_0(t) + \epsilon y_1(t) + Y_0(t/\epsilon) + \epsilon Y_1(t/\epsilon) \end{aligned} \quad (6)$$

A boundary-layer type characteristic is imposed on the inner variables:

$$\lim_{t/\epsilon \rightarrow \infty} X_0 = X_1 = Y_0 = Y_1 = 0 \quad (7)$$

Let $\tau = t/\epsilon$ and make this variable change in (1)

$$\frac{dx}{d\tau} = \epsilon f(x, y, \epsilon) \quad , \quad x(0) = \zeta \quad (8)$$

$$\frac{dy}{d\tau} = g(x, y, \epsilon) \quad , \quad y(0) = \eta$$

Now substitute (x^*, y^*) in (8) and expand about $(x_0(\epsilon\tau) + X_0(\tau), y_0(\epsilon\tau) + Y_0(\tau))$. Matching terms with like powers in ϵ results in

$$\frac{dx_0}{d\tau} = 0 \quad (9)$$

$$\frac{dy_0}{d\tau} = g(x_0(\epsilon\tau) + X_0(\tau), y_0(\epsilon\tau) + Y_0(\tau))$$

and

$$\frac{dx_1}{d\tau} = f(x_0(\epsilon\tau) + X_0(\tau), y_0(\epsilon\tau) + Y_0(\tau)) - f(x_0(\epsilon\tau), y_0(\epsilon\tau)) \quad (10)$$

$$\begin{aligned} \frac{dy_1}{d\tau} &= g_x X_1(\tau) + g_y y_1(\epsilon\tau) + g_y Y_1(\tau) - g_x(x_0, y_0) x_1(\epsilon\tau) \\ &\quad - g_y(x_0, y_0) y_1(\epsilon\tau) \end{aligned}$$

Equations (4) and (9) share the initial conditions

$$\begin{aligned} x_0(0) + X_0(0) &= \zeta \\ y_0(0) + Y_0(0) &= \eta \end{aligned} \quad (11)$$

while (5) and (10) share

$$\begin{aligned} x_1(0) + X_1(0) &= 0 \\ y_1(0) + Y_1(0) &= 0 \end{aligned} \quad (12)$$

Note that as a result of (7) and (9)

$$X_0(\tau) = 0$$

The conditions under which (6) may be expected to be a valid solution representation over the domain of interest may be found in Hoppensteadt [1971].

Based upon these concepts a numerical procedure has been developed [Aiken and Lapidus, 1974, and Miranker, 1973], which solves the stiff set of equations. Since the details are in the literature, we present here only a summary of the most important results.

The solution is given in terms of the zeroth-order inner (X_0, Y_0) and outer (x_0, y_0) and first-order inner and outer (X_1, Y_1, x_1, y_1) terms (see (w)).

$$x \approx X_1 + \epsilon X_1 + x_0 + \epsilon x_1 \tag{13}$$

$$y \approx Y_0 + \epsilon Y_1 + y_0 + \epsilon y_1$$

where ϵ is an artificial bookkeeping indication of the degree of stiffness defined by

$$\epsilon \dot{y} = g(x, y, \epsilon) \tag{14}$$

where $g \equiv \epsilon w$. This parameter need not actually exist or be identified. The outer terms are of more interest than the inner terms, which are important only within a relatively small boundary layer region of the transient. For systems stiff enough to require special integration techniques, the zeroth-order outer approximation often is sufficiently accurate

$$\dot{x}_0 = f(x_0, y_0) \quad , \quad x_0(0) = x(0) \tag{15a}$$

$$0 = g(x_0, y_0) = w(x_0, y_0) \tag{15b}$$

The last equality in (15b) is made since ϵ is not zero. This is properly what has been referred to as the pseudo steady state approximation (pssa). The conditions for the validity of (15), or for regular degeneracy to the low-order solution, briefly, require that the initial conditions $x(0) = \zeta, y(0) = \eta$ be within the region of asymptotic stability of

$$\frac{dy}{d\tau} = g(\alpha, y) \tag{16}$$

where $\tau \equiv t/\epsilon$, and x is replaced by some constant vector α at each instant.

Consideration of the pssa as the zeroth-order approximation (5) reveals that the region of applicability corresponds to the region where the outer variables are much more dominant than the inner ones. The inner variables are then important only within a narrow initial boundary layer and thus can be

used to define this region. The zeroth-order inner term for the stiff variable is by far the most dominant [Aiken and Lapidus, 1974].

$$Y_0(t) = Y_0(0) \exp[\partial w / \partial y(x_0, y_0) t] \quad (17)$$

where $Y_0(0) = y(0) - y_0(0)$. Experience by the authors has indicated that (17) is capable of providing an a priori estimate of the boundary layer for linear and nonlinear applications. In this way the boundary layer is defined as a fractional decay of the zeroth-order stiff inner variable, the effective boundary layer length given by t_I

$$t_I = \frac{|\ln[Y_0(t)/Y_0(0)]|}{\|\frac{\partial w}{\partial y}(x_0(0), y_0(0))\|} \quad (18)$$

where $\|\cdot\|$ is a suitable matrix norm. Since for any matrix A

$$\|A\| > \rho(A)$$

where $\rho(A)$ is the spectral radius of A

$$\rho(A) \equiv \max_i |\lambda_i|$$

v_i

a conservative estimate of the boundary layer is thus provided by the use of the spectral radius for the matrix norm, that is, if the first step can be taken greater than this boundary layer estimate, the pssa is applicable.

The accuracy of using only the zeroth-order approximation is indicated by the magnitude of the first-order outer terms [Aiken and Lapidus, 1974]

$$\begin{aligned} \epsilon x_1(t) &= \left(\epsilon x_1(0) + \frac{b}{a} \right) \exp(at) - \frac{b}{a} \\ \epsilon y_1(t) &= \frac{b}{f_y} - \frac{w_x \epsilon x_1(t)}{w_y} \quad , \quad f_y = \frac{\partial f}{\partial y} \quad , \quad \text{etc.} \end{aligned} \quad (19)$$

where

$$\begin{aligned} a &= f_x - \frac{w_x f_y}{w_y} \\ b &= - \frac{w_x f f_y}{w_y^2} \\ \epsilon x_1(0) &= \frac{Y_0(0)}{2w(x(0), y(0))} \left(f(x(0), y(0)) - f(x_0(0), y_0(0)) \right) \end{aligned} \quad (20)$$

all derivatives are evaluated at (x_0, y_0) , and dimensional notation has been suspended. Note that w_y may not be singular. Since (19) may easily be evaluated

periodically at any time during the solution, a convenient upper bound on the error of using the pssa for many common systems is $\epsilon x_1(t)/x_0(t)$ or $\epsilon y_1(t)/y_0(t)$. If these ratios are less than say 0.001, the accuracy of the pssa is indicated to be better than 0.1%.

The preceding analysis is useful only for systems which have $w_y < 0$, an initial monotonically decreasing boundary layer [see Aiken and Lapidus, 1975a]. Fortunately, this seems to be true for the great majority of applications in stiff chemical kinetics. It also appears that within this practical context, the dependent variables divide into the stiff and nonstiff groups, and these are often identifiable from a priori considerations. If not, a few small integration steps within the boundary layer may reveal those variables with comparatively rapid transients.

A special characteristic of kinetic systems is that rarely does the model represent the chemical phenomena closely enough to require better than moderate accuracy in the numerical integration. This suggests the permissibility of a model approximation like the pssa. Thus for systems too stiff to be integrated by conventional means, the pssa is likely to yield quite adequate solution accuracy.

The pssa may prove invaluable for the integration of large systems, as explicit routines may be used to eliminate the need to invert a large Jacobian, necessary in all implicit methods. When w is linear in y , often the case in kinetics, a decomposition may be effected to decrease the dimensionality.

Aiken and Lapidus [1975b] have also shown how the initial conditions of the specific system may be chosen to eliminate the stiff variables or those with large eigenvalues. When numerically examined on a set of nonlinear problems, the strength of the present algorithm was confirmed.

It must be pointed out however that the crucial point in the use of this singular perturbation approach lies in the ability to decompose an initial set of ODE into the stiff and nonstiff form of (1). When the original system has a large dimension ($n > 10$), such a discrimination may not be obvious. Further, the eigenvalues of the original system must cluster in groups rather than be spread out over roughly equal intervals. When this happens and the S.R. $> 10^6 - 10^{10}$, the algorithm is an extremely efficient procedure for solving stiff ODE (see comments in later discussions).

II. Semi-Implicit Runge-Kutta Methods

At the same time it must be recognized that the above singular perturbation approach has certain system restrictions; thus there is a question as to whether it can serve as the format for a general purpose algorithm for solving stiff ODE. As a consequence, our work has proceeded along what might be called more conventional directions but with a special emphasis. Here we present some preliminary results on the development and use of imbedded semi-implicit Runge-Kutta methods with special error monitoring characteristics. For problems with $10^2 < \text{S.R.} < 10^{10}$ this approach seems to be the most efficient that we have encountered.

As pointed out by Lapidus and Seinfeld [1971], Runge-Kutta integration techniques may be classified as explicit or semi-implicit or implicit; the explicit and implicit forms may be discarded as viable techniques for solving stiff equations either because of extreme stability (and thus step size) bounds or the high level of iteration required. By contrast, semi-implicit methods are A-stable and require no iteration. Thus this class of methods remains as possible candidates for a general purpose algorithm.

Perhaps the best semi-implicit Runge-Kutta algorithm developed to date is due to Michelsen [1976] which we show below

$$y_{n+1} = y_n + R_1 k_1 + R_2 k_2 + R_3 k_3 \quad (21)$$

with

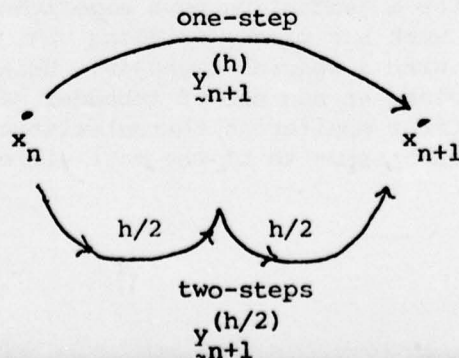
$$\begin{aligned} k_1 &= h[I - ha_1 J(y_n)]^{-1} f(y_n) & J(y_n) &= \text{Jacobian matrix at } y_n \\ k_2 &= h[I - ha_1 J(y_n)]^{-1} f(y_n + b_{21} k_1) \\ k_3 &= h[I - ha_1 J(y_n)]^{-1} (b_{31} k_1 + b_{32} k_2) \end{aligned} \quad (22)$$

Given the solution y_n at x_n the solution is advanced over the increment h to x_{n+1} to yield y_{n+1} via (21). Equation (21) can be used once k_1 , k_2 , and k_3 are calculated serially assuming all the parameters R_1 , R_2 , R_3 , a_1 , b_2 , b_{31} and b_{32} are determined. This latter feature can be handled by matching to Taylor Series expansions and using exponential fitting. Thus Michelsen determined

$$\begin{aligned} a_1 &= 0.4358\dots & R_1 &= \frac{11}{27} - b_{31} & R_2 &= \frac{16}{27} - b_{32} & ; \\ R_3 &= 1 & b_2 &= \frac{3}{4} & b_{32} &= \frac{2}{9a_1} (6a_1^2 - 6a_1 + 1) & ; \\ b_{31} &= -\frac{1}{6a_1} (8a_1^2 - 2a_1 + 1) \end{aligned} \quad (23)$$

These parameters make (21) and (22) A-stable and even further, strongly A-stable.

However, it is necessary to add a step-size adjustment feature so that when y is changing rapidly h can be decreased and vice versa. Only with this adjustment can the algorithm become truly efficient. This is usually done by the one-step/two-step extrapolation in the form



such that

$$y_{n+1} = y_{n+1}^{(h/2)} + \frac{1}{2^p - 1} y_{n+1}^{(h/2)} - y_{n+1}^{(h)} \quad (24)$$

where p is the order of the basic method. In the present case $p = 3$ and

$$y_{n+1} = y_{n+1}^{(h/2)} + \frac{1}{7} T_{n+1} \quad (25)$$

where

$$T_{n+1} = y_{n+1}^{(h/2)} - y_{n+1}^{(h)} = \text{truncation error} \quad (26)$$

Using (26) as an example, the step-size can be adjusted such that $\|T_{n+1}\| \leq$ some error bound. However, the amount of computation required to go from x_n to x_{n+1} has been increased by 200% over the non-error monitoring case.

In the present work we have developed a completely different approach to the error-monitoring procedure. Thus we define a new algorithm

$$y_{n+1} = y_n + R_{1-1} k_1 + R_{2-2} k_2 \quad (27)$$

where k_1 and k_2 are identical to those in (22). However, we relax the order of the method by 1 ($p = 2$) by specifying $b_2 = 1 - 2a_1$ and then applying the Taylor Series expansions and exponential fitting. The end result is a second-order method, (27), imbedded in a third-order method (21), for which (27) can be calculated at essentially no computer cost once (21)-(22) have been evaluated over the step h . This second-order method is also A-stable. Thus we calculate (21)-(22) to generate y_{n+1} , use (27) at almost no cost to generate another y_{n+1} and compare the two. The number of digit agreement can be used to estimate the truncation error and thus provide a complete error monitoring procedure.

To illustrate the results obtained, we select the fluidized bed system detailed by Luss and Amundson [1968]

$$\begin{aligned} \frac{dy_1}{dt} &= 1.3(y_3 - y_1) + 1.04 \times 10^4 k y_2 & ; & \quad y_1(0) = 759.167 \\ \frac{dy_2}{dt} &= 1.88 \times 10^3 (y_4 - y_2(1 + k)) & ; & \quad y_2(0) = 0 \\ \frac{dy_3}{dt} &= 1752 - 269y_3 + 267y_1 & ; & \quad y_3(0) = 600 \\ \frac{dy_4}{dt} &= 0.1 + 320y_2 - 321y_4 & ; & \quad y_4(0) = 0.1 \end{aligned} \quad (28)$$

where $k = 0.0006 \exp[20.7 - 15000/y_1]$. This system has a S.R. $\approx 10^6$, and we wish to integrate from $t = 0$ to $t_f = 500$. The computing time required by the

one-step/two-step procedure is 1.76 CPU units, while that for the present imbedded algorithm is 0.42 CPU units. Obviously the present method is considerably more efficient than the one-step/two-step approach. We have also tested the current imbedded algorithm vs. essentially every other algorithm in the literature; this for small/large dimensional systems ($n = 2$ to 50), linear/nonlinear systems, stiffness ratios of $10^2 \leq \text{S.R.} \leq 10^{16}$ and in single/double precision arithmetic. The preliminary results indicate that the current algorithm is more efficient than any competitive procedure.

As problems are considered where the S.R. approaches 10^{10} - 10^{12} , the current semi-implicit method may have difficulties unless sufficient computer precision is allowed. However, it is in just this region that the singular perturbation approach of Part I of the report becomes quite efficient. Thus one could suggest that the two algorithms developed in the present work will handle any set of stiff ODE.

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20. ABSTRACT (Continue on reverse side if necessary and identify by block number) This report is primarily intended as a users manual for the two-dimensional current flow code PLATE. The current symmetry to a thin cylindrical foil that is being imploded by the $J \times B$ force in a short z-pinch device is considered. The code PLATE calculated azimuthal current asymmetries to the experimental load for various capacitor bank and parallel plate transmission line configurations. A discussion of numerical techniques is included. Two sample problems are discussed. A complete listing and sample output are included.			

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SECTION I

INTRODUCTION

The Air Force Weapons Laboratory (AFWL) is investigating the $J \times B$ implosion of thin cylindrical foils in short z-pinch devices. These devices are driven by low inductance capacitor banks which are electrically connected to the z-pinch by flat plate transmission lines.

A computational code (PLATE) was written to evaluate two areas of concern in the design of these capacitor banks. First, uniform current flow into the azimuthally symmetric load is desired because asymmetries may cause irregular foil implosions. Second, a measure of the capacitor bank's effective inductance is useful since this inductance must be kept to a minimum so that the system can discharge quickly. PLATE calculates azimuthal current symmetry in the transmission lines, and it estimates the effective transmission line inductance. To do this, current is constrained to flow from simulated capacitors through a square mesh of inductors, capacitors, and resistors that simulate the electrical characteristics of an actual transmission line. Important results are displayed in calcomp plots. The major approximation in these calculations is that the transmission plate separation is considered to be small compared to the mesh size; otherwise, mutual inductance effects, which are ignored, can become important.

The two objectives of this report are to document the code PLATE and to provide a users manual. To accomplish these objectives, both theory and application are discussed. Sample input is provided in all instances where an example is being discussed. A listing and sample output are provided in the Appendixes.

SECTION II
EXPERIMENTAL SETUP

The transmission lines used at the AFWL consist of two parallel aluminum plates which are separated by mylar. Generally, the top transmission plate is used to carry current to the load, and the bottom plate is at "ground" and acts as a return current carrier.

A typical experimental apparatus consists of a rectangular transmission line with two capacitor bank modules attached to opposing sides. A circular hole of approximately 10 cm radius (R_1 in figure 1) is located in the center of the

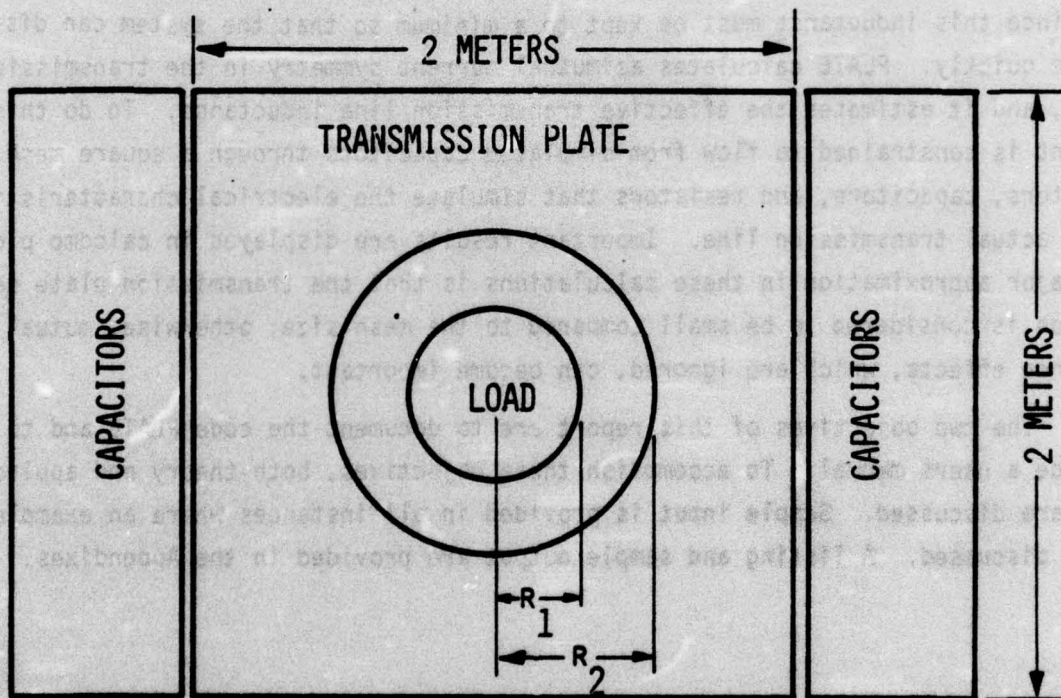


Figure 1. Typical Square Transmission Plate Problem.

plate. The load is bolted to the periphery of this hole. Figure 1 is a schematic of this apparatus.

Outside a Radius R_2 , the two plates are separated by 0.15 cm of mylar (figure 2). The circular electrodes have a radius R_1 and separation of 1 cm. Between the R_1 and R_2 radii, the plate separation varies with radius depending on the actual chamber design. In PLATE calculations this region is assumed to have a

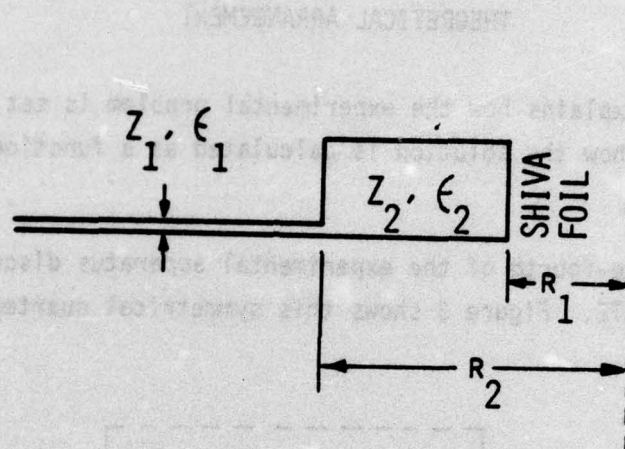


Figure 2. Cross Section of Transmission Plate.

constant plate separation. This value of separation is determined by inductively matching the actual chamber.

"Typical" values for the variables annotated in figures 1 and 2 are:

Δz_1 = normal plate separation = 0.15 cm

Δz_2 = increased plate separation = 1.5 cm

$\epsilon_1 = \epsilon_2 = 2.8\epsilon_0$ (for mylar)

R_1 = radius of the load = 0.10 m

R_2 = outside radius of increased plate separation = 0.14 m

NOTE: For computational purposes, $R_1 = 0.25$ m and $R_2 = 0.40$ m. The increased radii allow the respective arcs to approximate circles when they are superimposed on a square mesh.

SECTION III

THEORETICAL ARRANGEMENT

This section explains how the experimental problem is set up as a calculational problem and how the solution is calculated as a function of time.

1. Problem Set-up

A symmetric one-fourth of the experimental apparatus discussed in section II is computed by PLATE. Figure 3 shows this symmetrical quarter of the system.

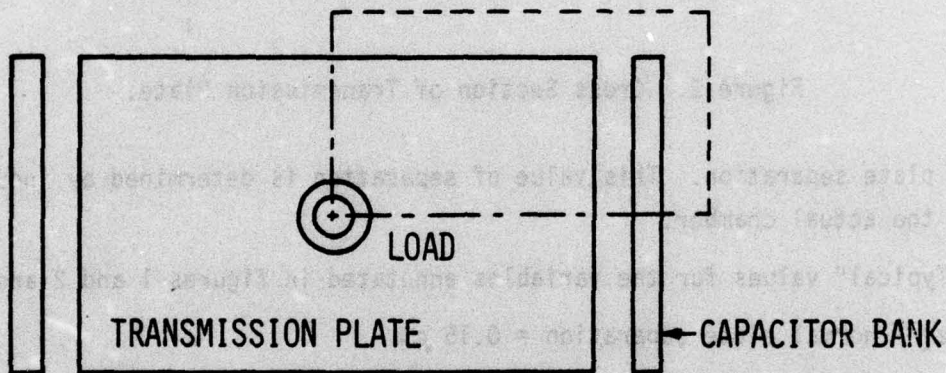


Figure 3. Transmission Plate Symmetry.

The quarter plate is divided into a mesh of square elements. A schematic of a single element is shown in figure 4.

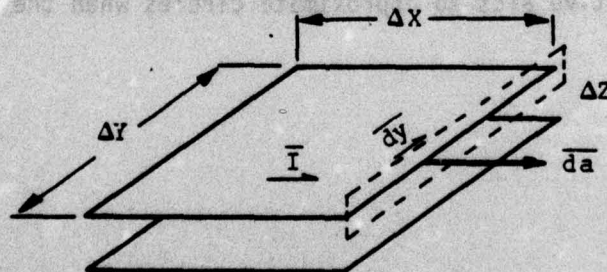


Figure 4. One Square Element.

The capacitance of a parallel plate capacitor is given in Lorrain and Corson (reference 1) as:

$$C = \epsilon_r \epsilon_0 \frac{S}{s} \quad (1)$$

where S is the plate area, s is the plate separation, ϵ_r is the relative permittivity of mylar, and ϵ_0 is the permittivity of free space. Since $\epsilon = \epsilon_r \epsilon_0$ and the plate area is $\Delta X \Delta Y$,

$$C = \epsilon \frac{\Delta X \Delta Y}{\Delta Z} \quad (2)$$

This is the form of capacitance used in PLATE.

The inductance in an infinite parallel plate system (no fringing) can be computed by comparing two mathematical expressions for the enclosed magnetic field energy:

$$1/2 LI^2 = \text{magnetic field energy} = \int_V \frac{B^2}{2\mu_0} dV \quad (3)$$

With the assumption that displacement currents are zero, the integral form of Amperes law is:

$$\int \vec{B} \cdot d\vec{T} = \mu_0 \int_S \vec{J} \cdot d\vec{a} \quad (4)$$

Figure 4 shows the parallel plate situation. The first integration is accomplished along the dotted line. The second is done over the area enclosed by the dotted line. The integrations yield:

$$B = \frac{\mu_0 I}{\Delta Y} \quad (5)$$

1. Lorrain, P. and Corson, D. R., Electromagnetic Fields and Waves, San Francisco: W. H. Freeman and Company, 1970.

Substituting for B in equation (3) gives

$$\begin{aligned} \frac{1}{2} LI^2 &= \frac{1}{2\mu_0} \int_V \left(\frac{\mu_0 I}{\Delta Y} \right)^2 dV \\ &= \frac{\mu_0 I^2}{2\Delta Y^2} \int_V dV \\ &= \frac{\mu_0 I^2}{2\Delta Y^2} \Delta X \Delta Y \Delta Z \end{aligned} \quad (6)$$

so that

$$L = \frac{\mu_0 \Delta X \Delta Z}{\Delta Y} \quad (7)$$

This is the form of self inductance used in PLATE.

In PLATE, square cells are used. Thus, the inductance is the same in the X and the Y directions, and only one inductance array is needed. Because the cells are constrained to be square, the cell capacitance and inductance are:

$$C2 = \epsilon(\Delta X)^2/\Delta Z \quad (8)$$

$$AL2 = \mu_0 \Delta Z \quad (9)$$

where C2 and AL2 are the PLATE variables for capacitance and inductance.

Furthermore, since mutual inductances are smaller than self inductances, they are ignored (see Appendix C), and the self inductance becomes the total inductance in each cell.

The resistance for one cell is calculated next. Resistance depends upon skin depth, resistivity, and material geometry.

Skin depth is given by Slater and Frank (reference 2) as

$$\delta = \sqrt{\frac{2}{\sigma\mu\omega}} \quad (10)$$

where σ = conductivity and ω = frequency. The resistance of a cell is given by

$$R = \rho \frac{L}{A} \quad (11)$$

where $\rho = 1/\sigma$ is the resistivity, L is the length of the resistor, and A is the cross-sectional area of the resistor. For a cell of width W , length L , and skin depth δ (the skin depth is much less than the plate thickness), the resistance is

$$R = \rho \frac{L}{\delta W} \quad (12)$$

In PLATE, the cells are constrained to be square; hence

$$R = \frac{\rho}{\delta} \quad (13)$$

Substituting for δ and using $\rho = 1/\sigma$

$$R = \frac{\rho\mu\omega}{2} \quad (14)$$

Thus, the resistance, R , is independent of all geometry factors when square cells are used.

The Handbook of Chemistry and Physics (reference 3) gives the resistivity of commercial aluminum as 2.828×10^{-8} ohm-m at 20°C. The frequency of the current wave is on the order of 0.25×10^6 Hz. Thus, $\omega = 2\pi f = 1.57 \times 10^6$ Hz and the resistance of one cell is $1.67 \text{ E-}04$ ohms. This value is used in PLATE.

2. Slater, J. C. and Frank, N. H., Electromagnetism, New York; McGraw-Hill Book Company, Inc., 1947.
3. Hodgman, C. D., Weast, R. C., and Selby, S. M., Handbook of Chemistry and Physics, Cleveland: Chemical Rubber Publishing Company, 1960.

2. The Mesh

A circuit schematic for a single cell is shown in figure 5. Current is allowed to flow in both the X and Y directions.

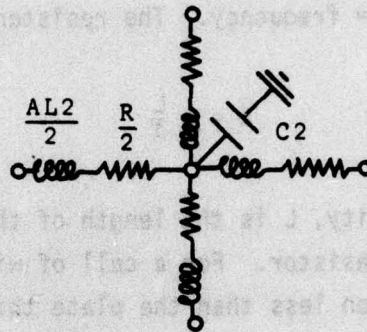


Figure 5. Circuit for One Mesh Element.

Many of these circuits elements can be fitted together to form a representation of an entire transmission plate. Figure 6 shows a portion of such an array.

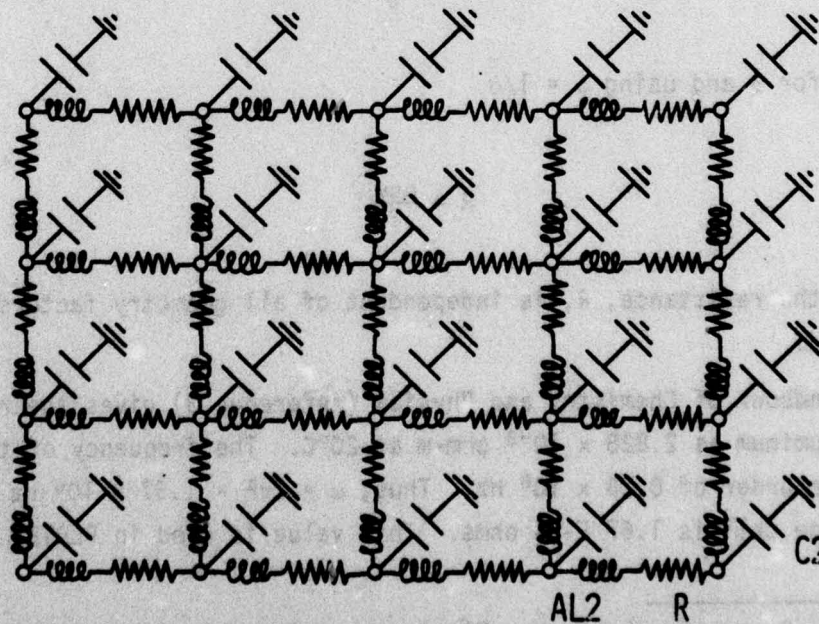


Figure 6. Transmission Plate Circuit Mesh.

In figure 6, each node is connected to a capacitor which is connected to ground and to four inductor and resistor pairs.

The theoretical transmission plate has a load connected at a 25 cm radius circle and an annular ring at 40 cm radius in which the plate separation has been increased to 1.5 cm from 0.15 cm. Capacitance is inversely proportional and inductance is directly proportional to plate separation, ΔZ . Consequently, the elements of capacitance and inductance that are in the annular ring where $\Delta Z_2 = 1.5$ cm have a decreased capacitance and increased inductance by the multiplicative factor $\Delta Z_2/\Delta Z_1$.

Other changes in the plate separation may be simulated by changing the capacitance and inductance in suitable regions of the transmission plate mesh. Modeling of this kind can be used to make the simulated current flow more symmetric as will be seen in section IV.

Inside the radius $R_1 = 0.25$ cm, the load is simulated as a short circuit. This is done by making the capacitance arbitrarily large inside the radius R_1 .

The capacitor bank portion of figure 1 is simulated by an array of capacitors and associated inductors connected to the side of the transmission plate mesh. A schematic of the capacitor bank connection is shown in figure 7.

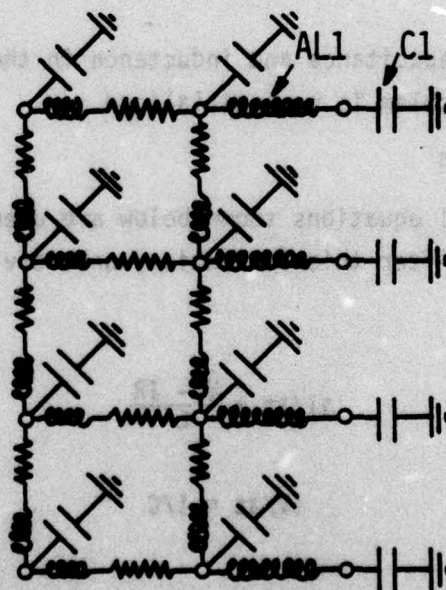


Figure 7. Capacitor Bank Circuitry.

The number of simulated capacitors, NBK, in one-half of one module is equal to the number of mesh points inside the length of that half module. If CT and ALT are the capacitance and inductance of one-half of a module, then the capacitance and inductance of each simulated capacitor is determined by

$$C1 = CT/NBK \quad (15)$$

and

$$AL1 = ALT * NBK \quad (16)$$

where, again NBK is the number of simulated capacitors.

The problem is set up by initializing all of the capacitances and inductances as discussed above. The voltage everywhere is set to zero except in the capacitor banks where it is set to V0, an input variable. The currents are everywhere set to zero.

The timestep, DELT, is determined by the formula

$$DELT = \frac{\pi}{20} \cdot \sqrt{AL2 * C2} \quad (17)$$

where C2 and AL2 are the capacitance and inductance in the main portion of the transmission line. The problem is now initialized.

3. Difference Equations

The two differential equations shown below are used to derive the difference equations used in PLATE. After this derivation, an overview of problem solution is presented.

$$\partial I / \partial t = \frac{V - IR}{L} \quad (18)$$

$$\partial V / \partial t = I / C \quad (19)$$

where $V = \text{voltage} = f(x,y,t)$
 $I = \text{current} = f(x,y,t)$
 $L = \text{inductance} = f(x,y)$
 $R = \text{resistance} = f(x,y)$
 $C = \text{capacitance} = f(x,y)$
 $t = \text{time}$

Letting I_{n+1} and I_n be the new and old currents, respectively, the difference form of equation (18) is:

$$L \frac{I_{n+1} - I_n}{\Delta t} = V - \left(\frac{I_{n+1} + I_n}{2} \right) * R \quad (20)$$

The new current is solved for explicitly:

$$I_{n+1} = \frac{\Delta V + I_n \left(\frac{L}{\Delta t} - \frac{R}{2} \right)}{\left(\frac{L}{\Delta t} + \frac{R}{2} \right)} \quad (21)$$

This equation is used in both the vertical and horizontal directions of the mesh. The spatial relationships of the variables are shown in figure 8. In this figure, J_V and J_H are the vertical and horizontal currents.

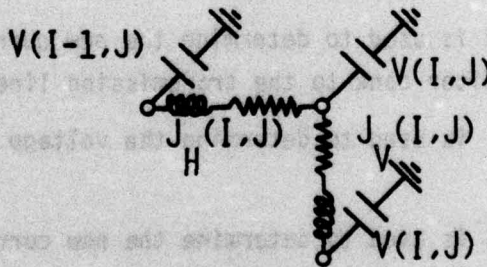


Figure 8. Spatial Relationships of Currents and Voltages.

Equation (19) is used for the derivation of the second difference equation. Letting V_{n+1} and V_n be the new and old voltages, respectively, the difference form of this equation is

$$V_{n+1} = V_n + \Delta t \sum_{i=1}^4 I_i / C \quad (22)$$

The spatial relationships of the four currents to a node and the voltage at that node is shown in figure 9.

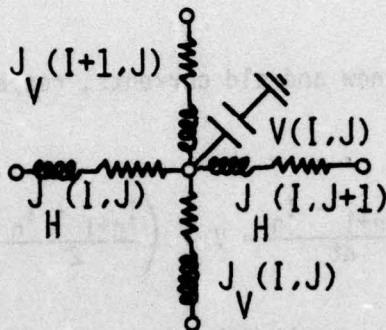


Figure 9. Spatial Relationships of Currents and Voltage.

The variables used in the FORTRAN coding are somewhat different from those used here. Appendix B should be consulted for a definition of all important variables. Appendix E contains a listing of PLATE.

Initially, at $t = 0$, the charge is present in the capacitor bank; as time progresses, it is moved throughout the mesh and eventually absorbed in the short circuit load. The problem solution proceeds in four parts during each step:

1. Equation (21) is used to determine the new currents through the inductors connecting the capacitor bank to the transmission line.
2. Equation (22) is used to determine the voltage left on the capacitor bank after part 1.
3. Equation (21) is used to determine the new currents between all nodes in the mesh.
4. Equation (22) is used to determine the new voltages on all capacitors after part 3.

The above solution scheme appears to be unstable, but it is not. The two differential equations are coupled and are solved alternately in time. They, thus,

provide feedback to each other, and the solution is a variation of the leap frog scheme.

At various intervals the solution is interrupted to allow printing and/or microfilm plotting of the data.

Appendix D contains the results of two sample problems which validate equations (21) and (22) and the solution scheme in which they are used.

The objective is to compute the current density of a 1.5 meter square transmission plate with a hole radius of 0.14 meter as shown in Figure 10. These values exactly this situation.

Transmission plate design may involve a trade-off between reducing the inductance and improving the current symmetry. The example explained in this section illustrates current symmetry. It is a very low inductance, high energy system is desired. Greater transmission plate inductance degrades the current and produces current density asymmetry. Another important consideration that can be made is system inductance. Compute different transmission plate designs and compare their inductance and current density symmetry.

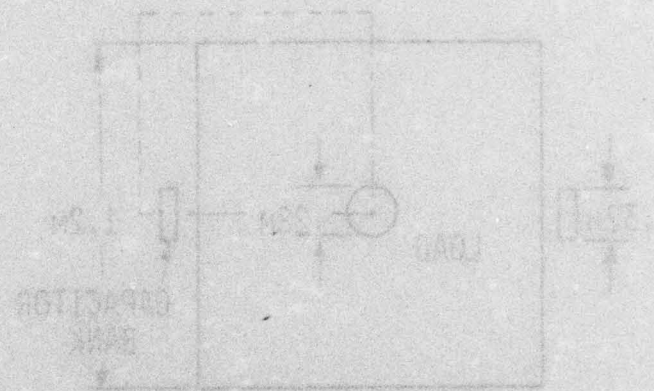


Figure 10. Plate Symmetry 1

The two capacitor modules of half-width 0.36 meter, half inductance 0.55 nH, and half inductance of 28.0 nH (1.5 nH each module or each the halves are in parallel) centered on opposite sides of the plate.

A symmetric one-fourth of the system was computed using the following four (see Appendix A for an explanation of the input).

SECTION IV

TRANSMISSION PLATE DESIGN

PLATE determines the current asymmetry at a cylindrical load which is attached in the center of a parallel plate transmission line. PLATE can be used to compare different transmission plate designs. The obvious comparison is current symmetry. Another important comparison that can be made is system inductance.

Greater transmission plate inductance smooths the current and produces better current symmetry. If a very low inductance, high energy system is desired, transmission plate design may involve a trade-off between raising the inductance and improving the current symmetry. The example explained in this section involves exactly this situation.

The objective is to compute the current symmetry of a 1.2 meter square transmission plate with a load radius of 0.14 meter as shown in figure 10. There

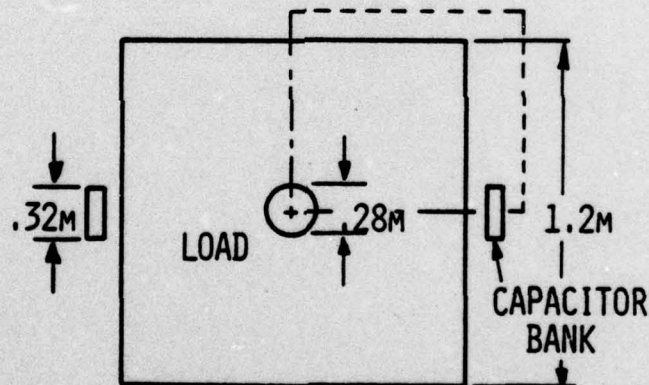


Figure 10. Plate Schematic I.

are two capacitor modules of half-width 0.16 meter, half capacitance $5.55 \mu\text{F}$, and half inductance of 24.0 nH (12.0 nH each module because the halves are in parallel) centered on opposing sides of the plate.

A symmetric one-fourth of this system was computed using the following input (see Appendix A for an explanation of the input).

DYDIM INPUT

\$ N30 = 61, M30 = 61, NP = 1 \$

NORMAL INPUT (8F10.2)

0.14	0.14	0.18	0.0	2.8	3.0
0.6	0.6	100000.	5.55E-06	24.0E-09	0.16
0.6E-06		0.55			
BLANK					
BLANK					

The azimuthal current symmetry around the cylindrical load, after the current flow stabilizes, is computed to be 29.3%. The current flow pattern and azimuthal current symmetry plots for this run are shown in figure 11. The current symmetry plot indicates a current asymmetry of about 30% which agrees closely with the computed value. Unfortunately, 30% asymmetry may not produce a viable experiment so an attempt must be made to improve the current symmetry.

By increasing the inductance in specific regions of the transmission plate, the current symmetry may be improved. One such example is shown in figure 12. This transmission plate is exactly the same as the first one except a wedge on each side of the plate has higher inductance by a factor of 10.

This higher inductance may be obtained by milling the transmission plates and inserting additional dielectric material. Thus, the capacitance is also decreased by a factor of 10.

The input data for this case and

DYDIM INPUT

\$ N30 = 61, M30 = 61, NP = 1 \$

NORMAL INPUT (8F10.2)

0.14	0.14	0.18	0.0	2.8	3.0		
0.6	0.6	100000.	5.55E-06	24.0E-09	0.16	.10	.10
0.6E-06		0.55					
BLANK CARD							
01213636							
01203737							
01193838							
01183939							
01174040							

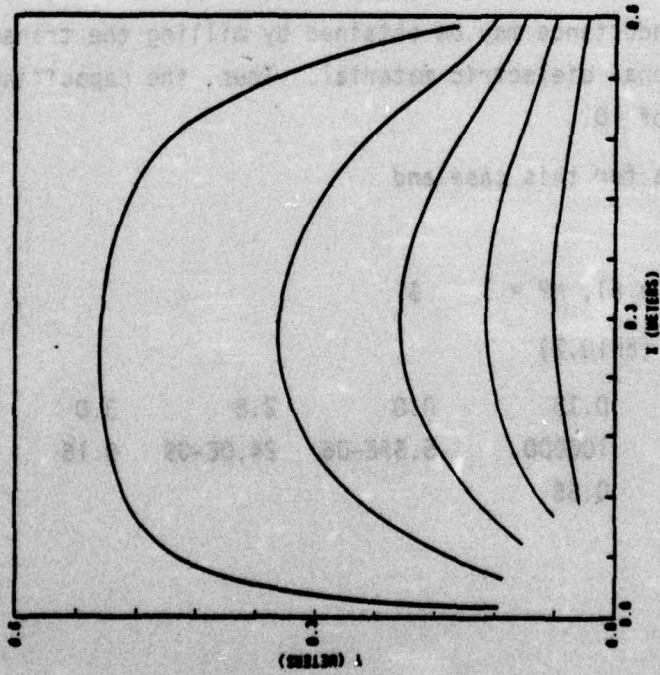
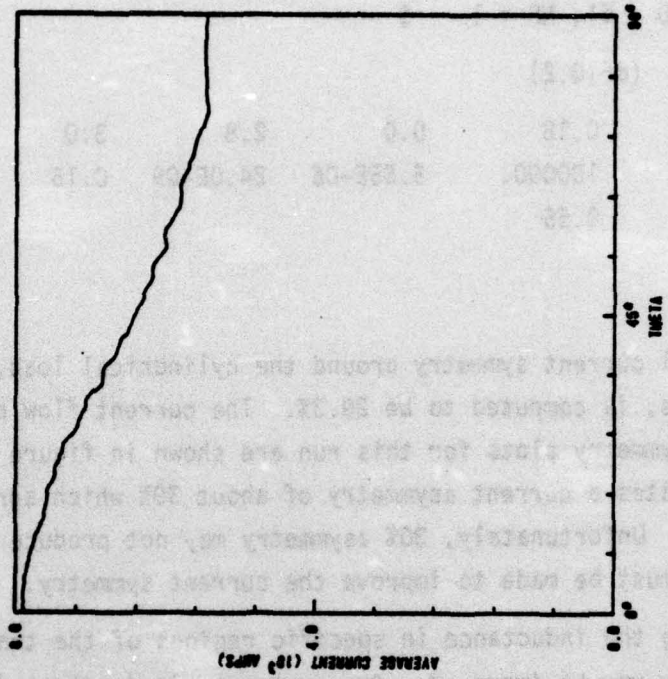


Figure 11. Current Flow and Current Symmetry.

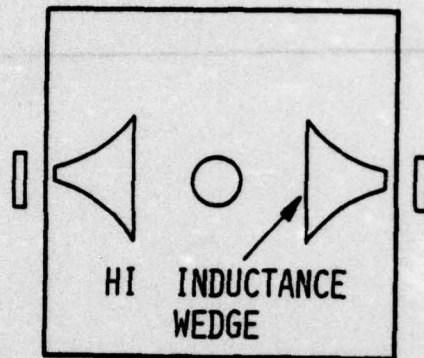


Figure 12. Plate Schematic (With Wedges).

01164141
 01154242
 01144343
 01134444
 01124545
 01114646
 01104747
 01094848
 01084949
 01075050
 01065151
 01055252
 01045353
 01035454
 01025556
 01015760
 BLANK CARD
 BLANK CARD
 6/7/8/9

The effect of the wedges is to divert the current so that it flows in from the four corners of the transmission plate rather than from two opposing sides. The current flow and current symmetry plots are shown in figure 13. (See Appendix F where this problem was used for sample output.) The current asymmetry was calculated to be 6.4% at 0.18 m radius. This current symmetry should be adequate for a viable experiment.

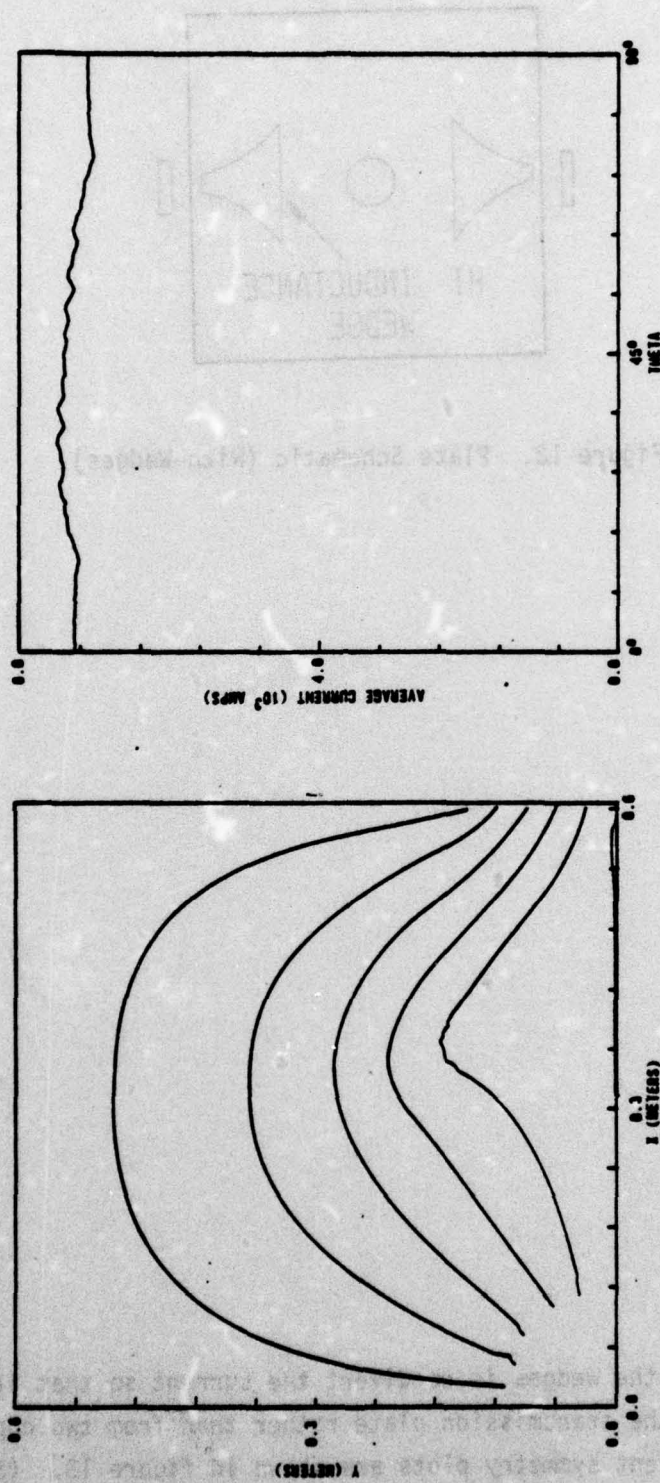


Figure 13. Current Flow and Current Symmetry.

In the preceding discussion, two geometries were compared for current symmetry. The second system was identical to the first except for the inclusion of a high inductance wedge. How much does the wedge cost in terms of an increase in system inductance?

PLATE computes partial system inductance at specified intervals of time. This inductance is reasonably stable as a function of time after about 10 nsec. These calculations indicate an increase in total system inductance of 0.27 nH due to the presence of the wedges. In this particular example, the inductance increase is intolerable and other designs must be tried. One possibility involves changing the inductance of the wedge by a factor of 5 instead of 10. A second possibility involves decreasing the size of the plate but leaving the wedge. One such design will provide the optimum compromise for the experiment considered here.

Time (nsec)	Inductance (nH)	Inductance (nH)	Inductance (nH)	Inductance (nH)	Inductance (nH)	Inductance (nH)
0.0	1.00	1.00	1.00	1.00	1.00	1.00
0.5	1.00	1.00	1.00	1.00	1.00	1.00
1.0	1.00	1.00	1.00	1.00	1.00	1.00
1.5	1.00	1.00	1.00	1.00	1.00	1.00
2.0	1.00	1.00	1.00	1.00	1.00	1.00
2.5	1.00	1.00	1.00	1.00	1.00	1.00
3.0	1.00	1.00	1.00	1.00	1.00	1.00
3.5	1.00	1.00	1.00	1.00	1.00	1.00
4.0	1.00	1.00	1.00	1.00	1.00	1.00
4.5	1.00	1.00	1.00	1.00	1.00	1.00
5.0	1.00	1.00	1.00	1.00	1.00	1.00
5.5	1.00	1.00	1.00	1.00	1.00	1.00
6.0	1.00	1.00	1.00	1.00	1.00	1.00
6.5	1.00	1.00	1.00	1.00	1.00	1.00
7.0	1.00	1.00	1.00	1.00	1.00	1.00
7.5	1.00	1.00	1.00	1.00	1.00	1.00
8.0	1.00	1.00	1.00	1.00	1.00	1.00
8.5	1.00	1.00	1.00	1.00	1.00	1.00
9.0	1.00	1.00	1.00	1.00	1.00	1.00
9.5	1.00	1.00	1.00	1.00	1.00	1.00
10.0	1.00	1.00	1.00	1.00	1.00	1.00

The calculation yielded the current data shown in figure 12. The record shows a significant wave of the first leading edge in the vicinity of the load. There is no relative current density associated with the current flow.

The current symmetry was calculated to be 1.00. Figure 13 shows the current as a function of distance along the plate. The first plot is rectangular and shows the effect of gradient on the current flow. The case the case is 1.00 square. The second plot is a 10 degree tapered angle, and it agrees well with the calculated symmetry. This current symmetry is desirable for a successful experiment.

The plot is approximated inductance, however, instead of resistive losses. The current is distributed in large capacitors after passing through the signal lead. The drawback is that the lead is considered to have a static rather than

SECTION V
THE CROSSED-PLATE DESIGN

During the development of a fast one megajoule capacitor bank, the crossed-plate transmission line was proposed. A schematic of this design is shown in figure 14. Twenty capacitor modules are connected to the four "arms" of the transmission plate.

The current symmetry of such a system was in question; consequently, the capability for computing such a design was incorporated into PLATE. This option is called by setting NSETUP = 5 and introducing various input parameters for capacitor module placement. Typical input for the problem discussed in this section is:

```

DYDIM INPUT
$   N30 = 780 , M30 = 109 , NP = 1   $
NORMAL INPUT  Format (8F10.2)
0.10      0.14      0.20      0.0      2.8      5.0      1.0
7.78      1.07      100000.    5.55E-06  24.0E-09  1.0      13.33
0.1E-06   10000.    1.75      2.542    4.542    5.152    7.152
BLANK
BLANK

```

This calculation yielded the current path plots shown in figure 15.

The second plot is a magnified view of the first, looking only in the vicinity of the load. (There is no relative current density associated with the current flow lines.)

The current asymmetry was computed to be 1.5%. Figure 16 shows the current as a function of azimuthal angle around the load. The first plot is unsmoothed and shows the effect of graniness due to the cell size (in this case the cells are 1 cm square). The second plot is smoothed over a 10 degree azimuthal angle, and it agrees well with the calculated asymmetry. This current symmetry is definitely sufficient for a successful experiment.

The load is approximated inductively; however, instead of resistive losses, the current is deposited in large capacitors after passing through the simulated load. One drawback is that the load is considered to have a static rather than

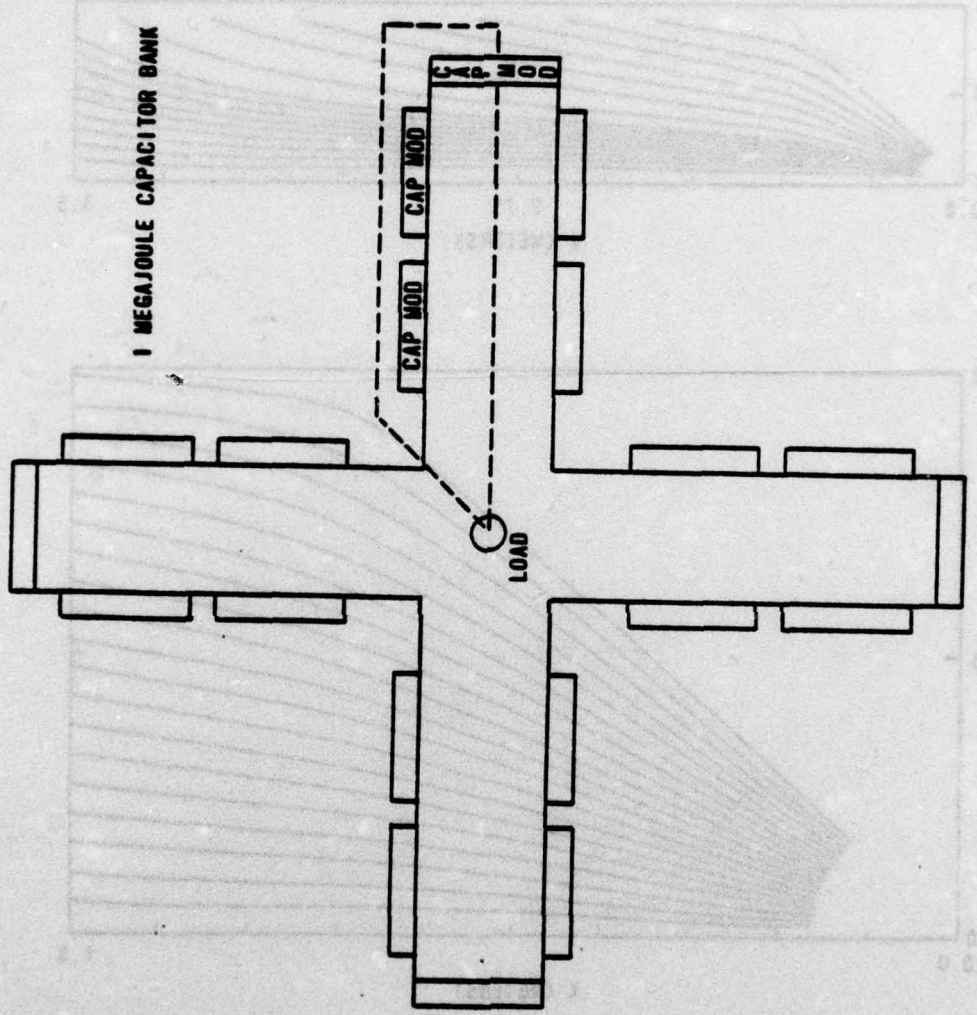


Figure 14. One MegaJoule Capacitor Bank.

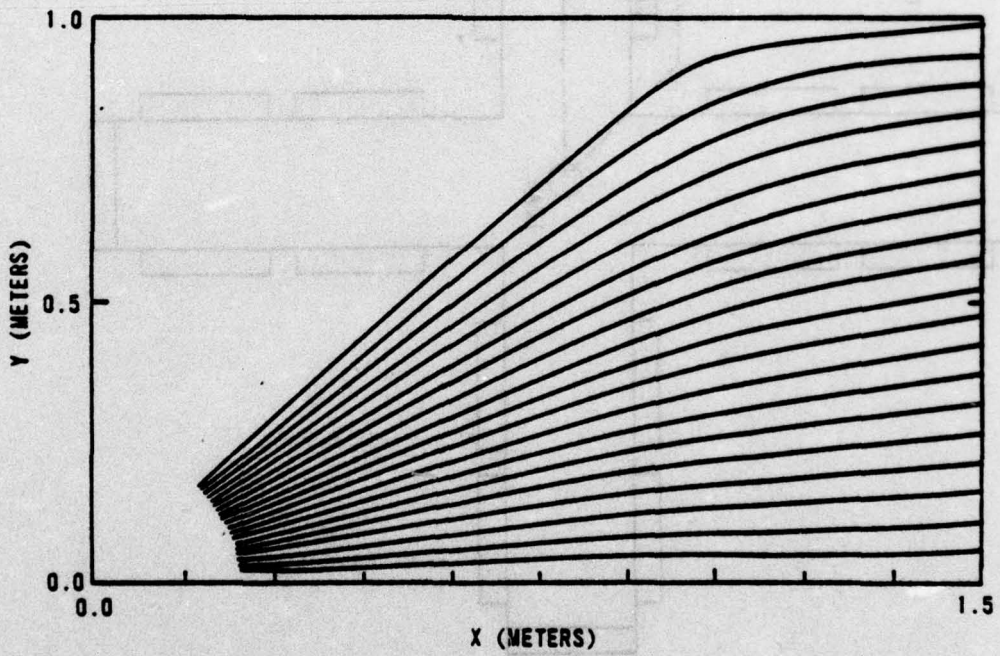
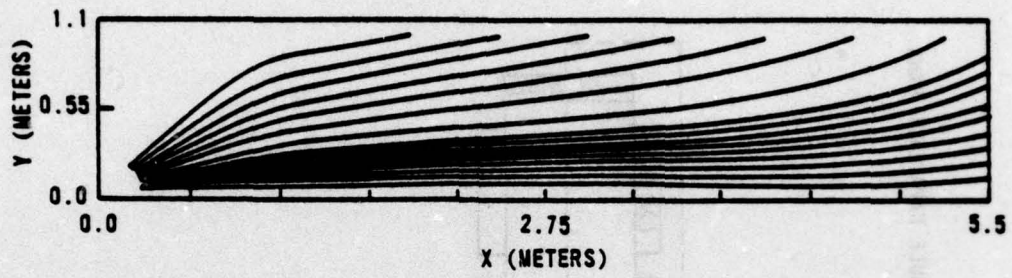


Figure 15. Current Flow.

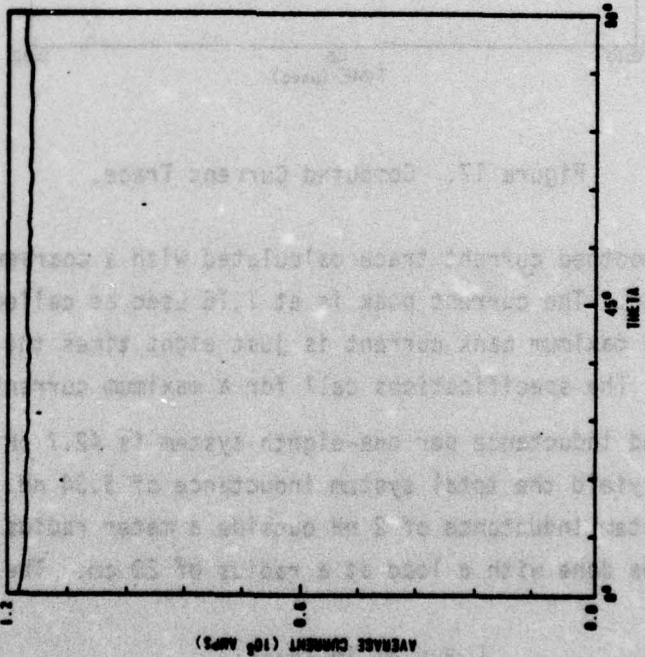
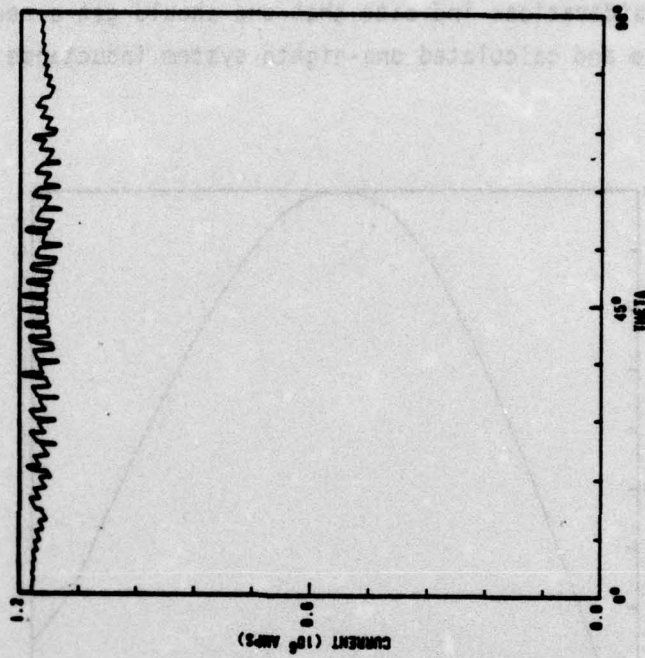


Figure 16. Current Symmetry.

variable inductance. The capacitor banks and transmission plate are all given realistic values of inductance and capacitance.

The above considerations indicate that one should get a realistic time dependent current trace and calculated one-eighth system inductance. Figure 17

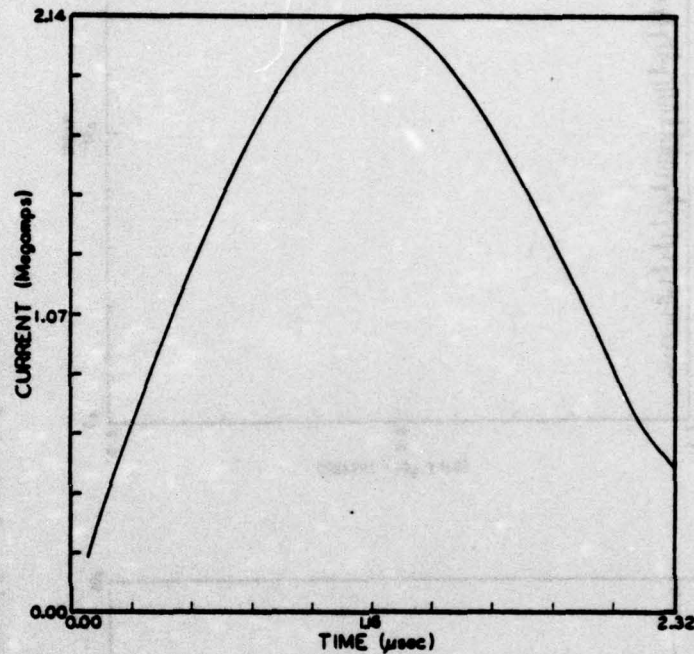


Figure 17. Computed Current Trace.

shows a 2.32 μsec smoothed current trace calculated with a coarser mesh than was previously considered. The current peak is at 1.16 μsec as called for in the specifications. The maximum bank current is just eight times the current in the graph, or 17.12 MA. The specifications call for a maximum current of about 20 MA.

The calculated inductance per one-eighth system is 42.7 nH. This value is divided by eight to yield the total system inductance of 5.34 nH. The specifications call for a system inductance of 2 nH outside a meter radius. The above PLATE calculation was done with a load at a radius of 20 cm. The formula

$$L = \mu_0 \Delta z \ln (R_2/R_1) \quad (23)$$

may be used to compute the difference in inductance between 20 cm and 100 cm radii. ($R_2 = 100$ cm, $R_1 = 20$ cm, and $\Delta z = 0.0015$ m.) The difference inductance is 3.03 nH. The proposed system inductance for this load is thus 5.03 nH. The calculated inductance, again, is 5.34 nH.

The two inductances agree very well, considering the approximations made. (The inherent inaccuracy in the inductance calculation is discussed in Appendix D.) Further error arises from the coarse mesh needed to run the crossed transmission plate problem for 2 μ sec of real time. The coarse mesh grossly approximates the load.

The system inductance, current profile, and maximum current are close to the system specifications. The design of this 1 megajoule system is thus validated by PLATE.

SECTION VI
CONCLUSIONS

1. PLATE uses a simple numerical scheme in two dimensions to simulate the current flow in parallel plate transmission lines.
2. PLATE is limited to five transmission plate designs. One of these involves a one-dimensional transmission line. The other four are two-dimensional problems with either four or eight fold symmetry.
3. When proper zoning is used (usually as fine as 1 centimeter square zones), the measured asymmetry around the circumference of a cylindrical load is about 1% accurate at a radius of 30 centimeters.
4. PLATE is a useful tool for designing transmission plates where current symmetry to a cylindrical load is a valid consideration.
5. Current symmetry around a cylindrical load may be improved by current "shaping" techniques. One such technique is the inclusion of high inductance areas in the transmission plates.
6. The one megajoule crossed plate transmission line will yield current asymmetries less than 2%. The system inductance characteristics are verified by PLATE within the errors imposed on this calculation.

APPENDIX A
DEFINITIONS OF INPUT VARIABLES

CARD 1: FORMAT (8F10.2)

R1: Radius of load

R2: Radius of increased plate separation (milling)

RAD: Radius or position of current assymetry calculation for plotting and first of 15 radii for calculating current assymetry

R3: Radius of capacitor bank for symmetry test problem

ER: Relative permittivity of insulator between transmission plates

SETUP: (1-5) Determine which type of problem will be run.

1 Symmetry test problem

2 Transmission Line Problem with matching side boundary

3 Rectangular Transmission Plate with two capacitor modules

4 Square Transmission Plate with four capacitor modules

5 Crossed plate transmission line

SETUP2: If SETUP2 \neq 0, the program is set to run for a long time and to pick off I vs time plots at positions halfway between DIST1 and DIST2 and halfway between DIST3 and DIST4. This also makes a current trace. Use only when SETUP = 5.

SETUP3: = 0, nothing, \neq 0, the value of cell inductance in the simulated load.

CARD 2: FORMAT (8F10.2)

X: X dimension of transmission plate

Y: Y dimension of transmission plate

Vo: Voltage on capacitor

CT: Capacitance of 1/2 module

ALT: Inductance of 1/2 module

CLENGTH: Physical length of 1/2 capacitor bank module

FACTOR: Ratio of annular plate separation to normal plate separation

FACTOR2: Not used until read in on Card 5

CARD 3: FORMAT (8F10.2)

TSTOP: Time in sec when program terminates
DELZZ: Plate separation (Default = .0015m)
DISTO: X position in plate where current is summed (X < DISTØ
 < DELX, or error mode 1. results)
DIST1: First of four variables used to position capacitor banks
DIST2: All four are the boundaries of the modules on the side
DIST3: Of the crossed plate geometry. In the case of the trans-
 mission
DIST4: Line DIST 1 and DIST 2 position the capacitor bank

CARD 4: FORMAT (8F10.2)

TEDIT or A: Initial edit time in sec, if zero default is TEDIT = 40 nsec
DELED or B: Increment for additional edits, if zero default is DELED =
 20 nsec
TEDIT2 or D: Secondary edit time and increment in sec, if zero default is
 TEDIT2 = 10 nsec

INPUT TO PLATE

All real input is in the format 8F10.2

All integer input is in the form 5I2

R1	R2	RAD	R3	ER	SETUP	SETUP 2	SETUP 3
X	Y	V	CT	ALT	CLENGTH	FACTOR	FACTOR 2
TSTOP	DELZZ	DISTO	DIST1	DIST2	DIST3	DIST4	
TEDIT	DELED	TEDIT2					

M N K L NQ

FACTOR 2 (Only if NQ ≠ 0)

M N K L NQ

:

M N K L NQ

FACTOR 2 (Only if NQ ≠ 0)

BLANK (To terminate input)

BLANK

Input terminates when K = 0

NOTE: FACTOR 2 is read in after M N K L NQ only when NQ ≠ 0. Otherwise, the previous value of FACTOR 2 is used for inductance/capacitance changes.

NOTE 2: M, N, K, and L are limits on the I and J subscripts which define the X and Y boundaries within which the inductance and capacitance are changed by the factor = FACTOR2. K and L are the lower and upper limits on I, respectively, and they thus define X boundaries. M and N are the lower and upper limits on J, respectively, and they thus define Y boundaries.

The only additional input involves the variable dimensioning feature included by DYDIM. This input is of the form:

\$ N30 = 145, M30 = 22, NP = 1 \$

This card is usually included or changed using update. N30 and M30 are the X and Y dimensioning of the arrays. NP is the array size for time dependent current plots selected when SETUP2 \neq 0. If SETUP2 = 0 select NP = 1.

CAUTION: N30 and M30 should be selected so that DELX and DELY are equal; otherwise, current will not flow properly in the simulated transmission plate. DELX and DELY are determined from:

$$\text{DELX} = X/(N30-2) \text{ and } \text{DELY} = Y/(M30-2)$$

where X and Y are the plate dimensions.

APPENDIX B

LIST OF VARIABLES

A list of important variables is found below. In some cases the variables have a real and integer representation because they are read in as real variables and used as integers.

A	Initial edit time = TEDIT
AINCX	Number of increments in the X direction
AINCY	Number of increments in the Y direction
AJH	Horizontal current array
AJHQ	ECS array of AJH
AJV	Vertical current array
AJVQ	ECS array of AJV
AK	No longer used
AL	Inductance array
ALN	No longer used
ALQ	No longer used
ALQQ	ECS array of AL
ALT	Total inductance of 1/2 module
AL1	Inductance of each simulated capacitor in the bank
AL2	Inductance of a normal cell
AMUO	Permeability of free space
ANU	No longer used
AT	Time array for plotting

B Time increment for addition edits = DELED
C Capacitance array
CLENGTH Length of 1/2 module of capacitor bank
CQ ECS array of C
CT Total capacitance for 1/2 module
CTRAC Array for plotting time dependent current trace
CTR1 Array for plotting \dot{I} trace of one side module (one megajoule bank)
CTR2 Array for plotting \dot{I} trace for other side module (one megajoule bank)
C1 Capacitance of one simulated capacitor in bank
C2 Capacitance of a normal cell
C3 No longer used
C4 Capacitance of a load cell
D Secondary edit time = TEDIT2
DELED Edit interval
DELT Time increment
DELX X dimension of cells
DELY Y dimension of cells
DELZ Normal plate separation
DELZZ Input variable for DELZ
DISTO X position in plate where current is summed
DIST1 - DIST4 The four boundaries of the two capacitor modules on the sides of the one megajoule transmission line arms.
EPSI ϵ , permittivity of the dielectric

EPSIO
 ϵ_0 , permittivity of free space

ER
 Relative permittivity of the dielectric

FACTOR
 Ratio of annular plate separation to normal plate separation

FACTOR2
 Ratio of special regions to normal plate separation

I
 Do loop index in X direction

III
 No longer used

INCX
 Same as AINCX

INCX0
 $INCX - 1$

INCX1
 $INCX + 1$

INCY
 Same as AINCY

INCY1
 $INCY + 1$

K
 Index for the major loop over time also passed from WEDGE to SETUPX as a plotting array size

KSEN
 No longer used

KSENSW
 No longer used

NCAP
 Number of capacitors in one-half module

NDIST1 - NDIST4
 Corresponds to DIST1 - DIST4 except these are cell designations of the boundaries of the two capacitor modules

NN
 NDIST1 or NDIST3

NNN
 NDIST2 or NDIST4

NECS
 Decimal ECS needed

NPOSX1
 Position of one I trace

NPOSX2
 Position of second I trace

NSETUP
Type of problem being run

NSETUP2
Cross plate only - picks off I traces as well as I vs t and plots them

NSETUP3
If $\neq 0$ read in as the value of cell inductance in the simulated load

NT
Number of time increments

NZAP
An integer variable used for filling plotting arrays

N100
Subscript of plotting arrays while they are being filled.

RAD
Radius where current assymetry information is tabulated

RESIS
Resistance of one cell

R1
Radius of load

R2
Outside radius of annular region of increased plate separation

R3
Radius of inner edge of capacitor bank when symmetry test problem is run

R4
No longer used

T
Problem time

TEDIT
Initial edit time

TEDIT2
Secondary edit time and increment

TSTOP
Stop time of problem

V
Voltage array

V0
Initial capacitor bank voltage

VQ
ECS array of V

V1
Scratch array

WA
Scratch array

WB
Scratch array

X X dimension of plate

Y Y dimension of plate

1.0 read in as the value of θ , introduced in the standard load
 number of size increments
 An integer variable used for filling plotting arrays
 2.0 read in as the value of θ , introduced in the standard load
 radius where current assembly information is retained
 resistance of one cell
 radius of face
 radius of inner edge of capacitor disk when symmetry loss problem is run
 No longer used
 problem time
 initial width time
 secondary cell time and increment
 step time of output
 voltage array
 initial capacitor time voltage
 0.0 array of Y
 secondary array
 primary array
 radius array

APPENDIX C
MUTUAL INDUCTANCE EFFECTS

The program PLATE ignores mutual inductance. This appendix justifies that assumption and gives a feeling for the magnitude of error introduced. The mutual inductance between adjacent cells is calculated, assuming the cells are like small inductors in parallel, with the accompanying fringing which leads to this mutual inductance. It is concluded that mutual inductance has only a small effect on total plate inductance as long as the cell size is large compared to the plate separation.

Figure C-1 shows two adjacent cells where a discontinuity in plate separation exists at the interface. Such discontinuities can be used for selectively controlling cell inductance.

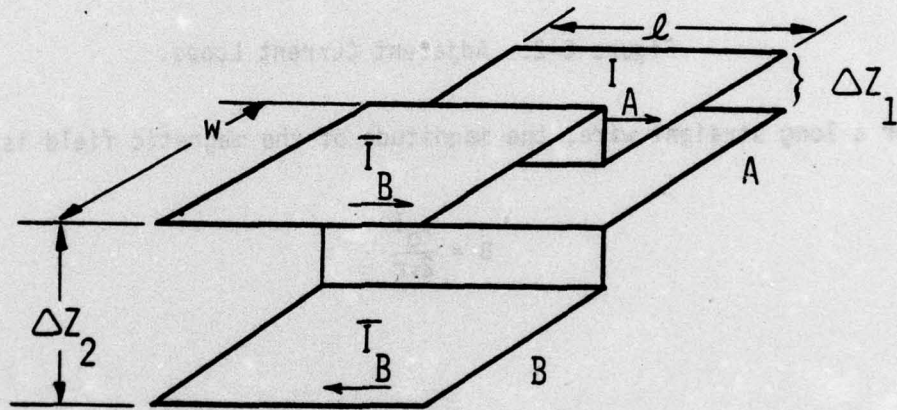


Figure C-1. Adjacent Cells.

If each cell is considered to be a current loop, the mutual inductance of a half-loop acting on a whole current loop as shown in figure C-2 can be determined.

The currents in the Z direction are cancelled by adjacent current loops and can thus be ignored. The flux created by wire A which passes through current loop B is given by

$$\phi = \int_S \mathbf{B} \cdot \hat{n} \, da$$

(C-1)

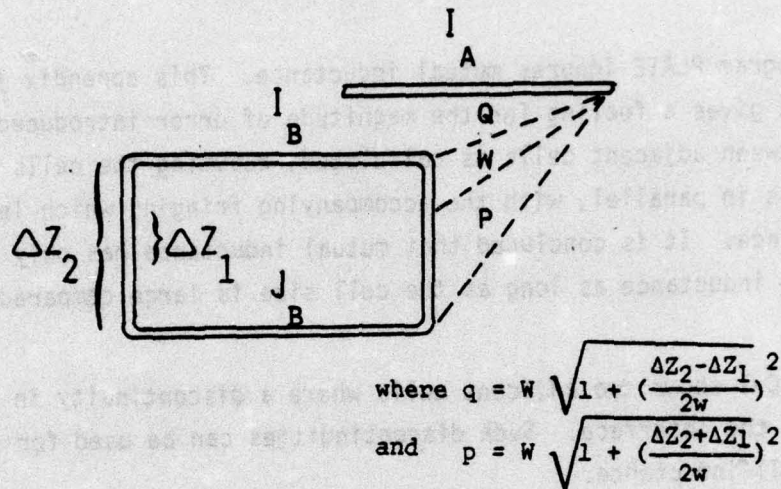


Figure C-2. Adjacent Current Loops.

For a long straight wire, the magnitude of the magnetic field is given by

$$B = \frac{\mu_0 I}{2\pi r} \tag{C-2}$$

So that

$$\begin{aligned} \phi_{ab} &= \frac{\mu_0 I a}{2\pi} \int_s \frac{\vec{B} \cdot \vec{n}}{r} da \\ &= \frac{\mu_0 I a}{2\pi} \int_0^l dl \int_q^p \frac{dr}{r} \end{aligned} \tag{C-3}$$

The limits p and q are given in figure C-2 and are substituted for explicitly so the integration yields:

$$\phi_{ab} = \frac{\mu_0 I_a \ell}{2\pi} \ln \left[1 + \left(\frac{\Delta Z_2 + \Delta Z_1}{2W} \right)^2 \right]^{1/2} \left[1 + \left(\frac{\Delta Z_2 - \Delta Z_1}{2W} \right)^2 \right]^{-1/2} \quad (C-4)$$

For the bottom half of current loop A, I_a is negative and the limits on r are reversed; hence, there are two equal contributions to the flux. Since $M_{ab} = \phi_{ab}/I_a$,

$$M_{ab} = \frac{\mu_0 \ell}{\pi} \ln \left[1 + \left(\frac{\Delta Z_2 + \Delta Z_1}{2W} \right)^2 \right]^{1/2} \left[1 + \left(\frac{\Delta Z_2 - \Delta Z_1}{2W} \right)^2 \right]^{-1/2} \quad (C-5)$$

In general the self-inductance is given by

$$L = \mu_0 \frac{\Delta Z \ell}{W} \quad (C-6)$$

and the coefficient of coupling is given by

$$k = \frac{M}{L} \quad (C-7)$$

Substituting for M and L the coefficient of coupling becomes

$$k = \frac{W}{\pi \Delta Z} \ln \left[1 + \left(\frac{\Delta Z_2 + \Delta Z_1}{2W} \right)^2 \right]^{1/2} \left[1 + \left(\frac{\Delta Z_2 - \Delta Z_1}{2W} \right)^2 \right]^{-1/2} \quad (C-8)$$

For the specific case where $\Delta Z_2 = 11\Delta Z_1$, and $W = 10\Delta Z_1$,

$$k = \frac{10}{\pi} \ln \sqrt{\frac{1+(3/5)^2}{1+(1/2)^2}} = \frac{10}{\pi} (0.04217) = 0.134 \quad (C-9)$$

Thus the mutual inductance is 13.4% of the smaller inductor and about 1.2% of the larger inductor.

For cases where $\Delta Z_1 = \Delta Z_2$, the coefficient of coupling reduces to

$$k = \frac{W}{\pi \Delta Z} \ln \sqrt{1 + \left(\frac{\Delta Z}{W} \right)^2} \quad (C-10)$$

when $\Delta Z < W$, the L_n term may be expanded so that

$$k = \frac{W}{\pi \Delta Z} (1/2) \left[\left(\frac{\Delta Z}{W} \right)^2 - (1/2) \left(\frac{\Delta Z}{W} \right)^4 + (1/3) \left(\frac{\Delta Z}{W} \right)^6 - \dots \right]$$

or

$$k = \frac{\Delta Z}{2\pi W} \left[1 - (1/2) \left(\frac{\Delta Z}{W} \right)^2 + (1/3) \left(\frac{\Delta Z}{W} \right)^4 + \dots \right] \quad (C-11)$$

when $\Delta Z \ll W$ only the first term is needed so that

$$k = \frac{\Delta Z}{2\pi W} \quad (C-12)$$

This coefficient of coupling between cells with plate separation $\Delta Z = 0.1 \Delta X$ is 0.016. Clearly, all mutual inductance effects can be kept insignificant by keeping the ratio of ΔZ to ΔX smaller than 0.1. This limit is approximately maintained in PLATE calculations except in the simulated load and the high inductance wedges, where the plate separation and cell size are approximately equal.

A violation of the above limit, where high inductance wedges are included, is discussed in section IV. For that calculation, the plate separation is 1.5 times the cell size in a wedge shaped area. The total increase in system inductance is only 0.27 nH. The mutual inductance effect on the system inductance is maximized near this discontinuity. The coefficient of coupling of a cell at the discontinuity is calculated [using equation (C-10)] to be 0.587 when compared to a normal cell and 0.0587 when compared to a wedge cell. Fortunately, the wedge interface into the plate is over a limited region. The effective mutual inductance of the wedge is expected to add less than 1.0 nH to the system.

Thus the typical transmission plate inductance is accurate to within 5% if the criterion $\Delta Z \leq 0.1 \Delta X$ is met everywhere except in the load and the high inductance wedges. If this criterion is met everywhere, the transmission plate inductance is accurate to within 1.6%.

APPENDIX D
VALIDATION OF PLATE

Two test problems are solved in this Appendix. The first is a transmission plate with imposed azimuthal symmetry. The calculations show that current is propagated with azimuthal symmetry through the square mesh and that current symmetry at the simulated load is excellent. The second problem is a parallel plate transmission line with a capacitor bank on one side and a load on the other. The system inductance is calculated two ways: in PLATE and analytically using equation (7) in section IV. The two results agree nicely. The PLATE calculation was accomplished with two different cell sizes. Cell size is shown to have only a small effect on system inductance.

1. Symmetry Test Problem

This problem is a specific option in PLATE. It is called with SETUP = 1. The input cards for this problem with 25 x 25 zones are

DYDIM Input

\$ N30 = 27, M30 = 27, NP = 1 \$

Normal Input

0.259	0.408	0.3	0.8	2.8	1.0	
1.0	1.0	100000.	5.55E-06	24.0E-09	1.0	10.0
0.6E-07		1.0				
BLANK						
BLANK						

The current flow pattern and current symmetry plots are shown in figure D-1. The minimum calculated current asymmetry was 5.6% (the current asymmetry is calculated at many radii outside the load). The cells had a size of 4 cm square. This coarse mesh contributes to the current asymmetry.

A second problem was run with 100 x 100 zones. The cell size was 1 cm square. The minimum calculated current asymmetry was 1%. This 1% current asymmetry is excellent, considering it was calculated around a quarter circle that was superimposed on square cells. The current flow equations are shown to be spatially valid, since current does not flow preferentially in the horizontal, vertical, or diagonal direction relative to the square grid.

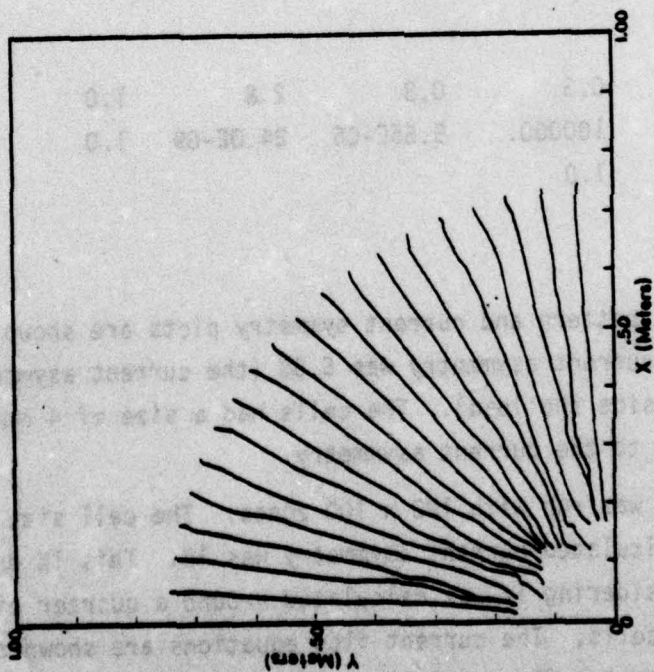
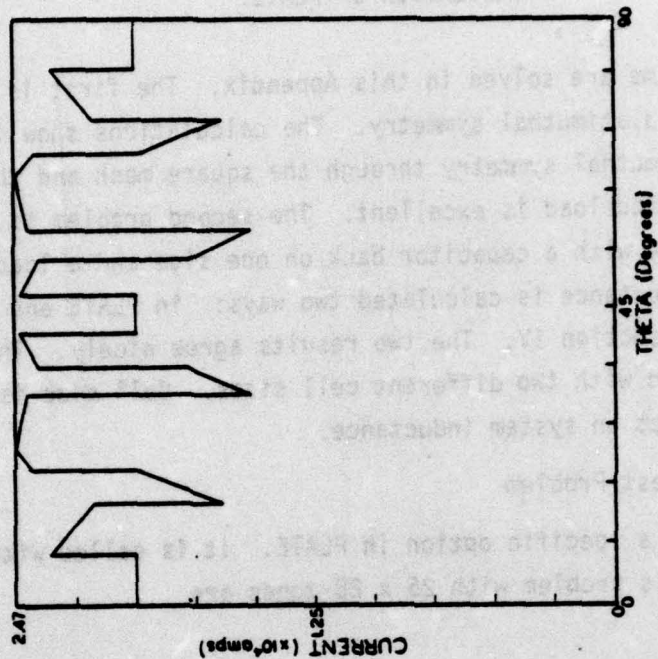


Figure D-1. Current Flow and Current Symmetry Plot.

The current flow pattern and current symmetry plots for this run are shown in figure D-2.

These two plots agree in substance, but the first shows the effect (graininess) of the relatively large 4 cm square cells. Current flow varies drastically with angle at the plotted radius. The second plot shows an almost constant current flow for different angles.

2. Parallel Plate Transmission Line

The second test problem involves a parallel plate transmission line with matching side boundaries. This approximates a cylindrical co-axial transmission line.

A transmission line of this sort may be represented as an inductor connected between two capacitors. One of the capacitors is the capacitor bank, and it is charged to a predetermined voltage. The second capacitor is a short circuit load.

The current in the inductor is given by

$$\frac{dI}{dt} = \frac{V}{L} \quad (D-1)$$

or

$$L \approx \frac{\Delta t \Delta V}{I_{n+1} - I_n} \quad (D-2)$$

where V is the average voltage across the inductor, t is the time interval, $(I_{n+1} - I_n)$ is the increase in the current during this time interval, and L is the effective inductance of the system. This equation is used to determine the inductance of the system.

The accuracy of this method is limited. There is a wave superimposed on the plotted current trace. This wavy nature is caused by waves sloshing around the simulated plate because the capacitor bank and load are not exactly matched. Because of these waves, relatively long intervals of time must be considered to make the inductance calculations meaningful.

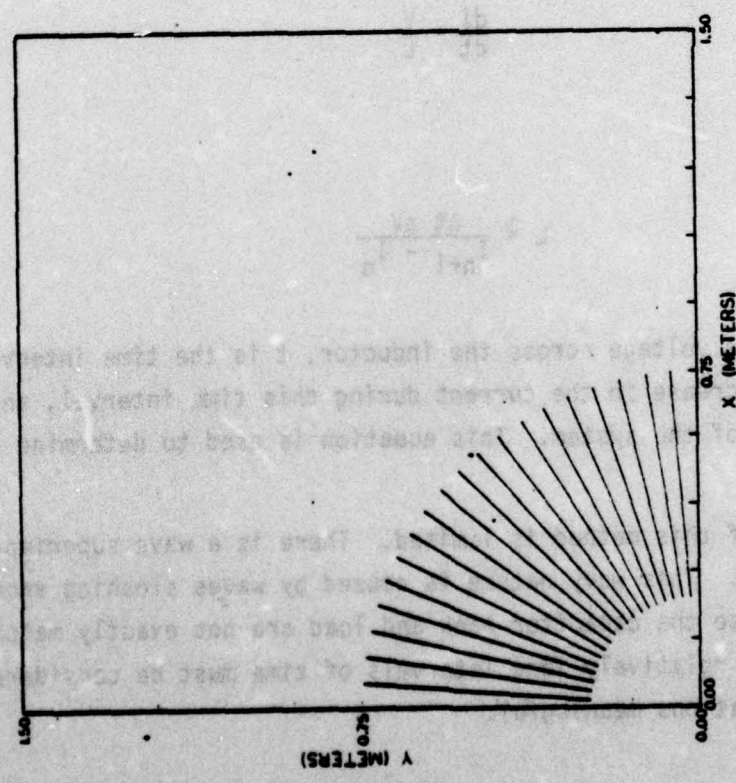
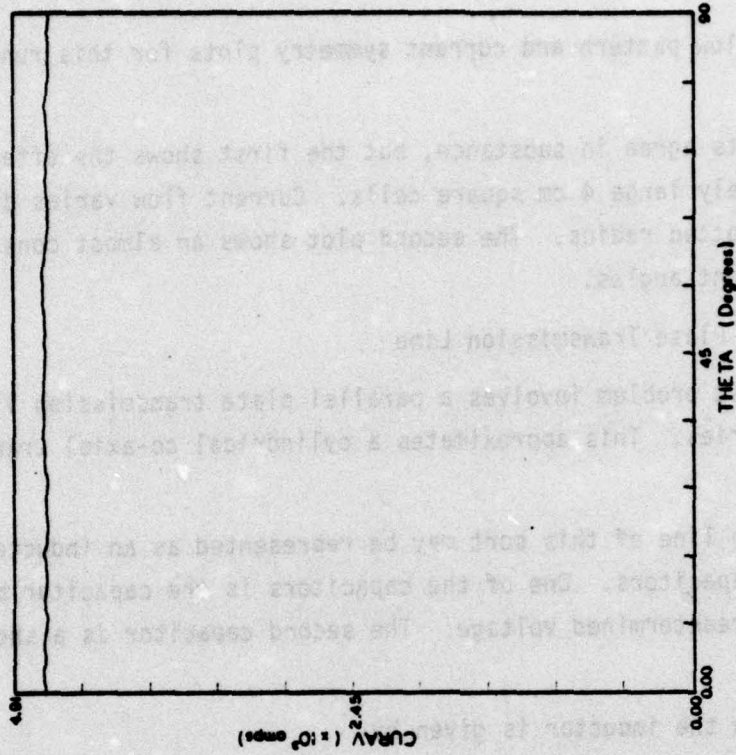


Figure D-2. Current Flow and Current Symmetry Plot.

The transmission line problem is specified with the following input:

```

0.0      0.0      0.0      0.0      2.8      2.0
1.0      1.0      100000.  5.55E-06  4.0E-09  1.0
1.5E-07  0.0015   0.05
BLANK
BLANK

```

DYDIM input is also used to specify 25 x 25 zones or 50 x 50 zones. The important part of the above input is the capacitor bank inductance $L = 4$ nH.

The 25 x 25 zones and 50 x 50 zones problems yielded system inductances 6.15 nH and 6.05 nH, respectively, between 50 nsec and 100 nsec problem time after initiation.

The bank has an inductance of 4 nH. There is, thus, approximately 2.1 nH in the transmission line.

Using equation (9) from section III, the inductance of a parallel plate transmission line with dielectric thickness 0.0015 m, length $x = 1.0$ m, and width $y = 1.0$ m is given by

$$L = \mu_0 \frac{\Delta X}{\Delta Z} \Delta Z = 4\pi \times 10^{-7} 0.0015 = 1.88 \text{ nH}$$

This value is about 10% less than the value of inductance calculated by PLATE, even so this comparison helps to validate the numerical method used.

The plotted current trace is an approximation, since the inductance calculations are tied directly to the current values. In Z-pinch type problems, the inductance of the load increases as the foil implodes. No attempt has been made to simulate the rising inductance in these calculations. Thus, the inductance calculations and current trace do not approximate the real experiments after 0.3 μ sec (that is after the foil begins to implode).

APPENDIX E

LISTING OF PLATE

PLATE NO.	DESCRIPTION	DATE	BY
1.0		10-20-76	
1.1		10-20-76	
1.2		10-20-76	
1.3		10-20-76	
1.4		10-20-76	
1.5		10-20-76	
1.6		10-20-76	
1.7		10-20-76	
1.8		10-20-76	
1.9		10-20-76	
2.0		10-20-76	

The transition time t_{tr} is defined as the time interval between the instant when the voltage across the capacitor bank reaches 50% of its peak value and the instant when it reaches 90% of its peak value. The inductance of the probe input is the capacitor bank inductance $L = 4 \text{ nH}$.

The 33 x 55 zones and 50 x 50 zones probes yielded χ values between 0.15 and 1.02 nH, respectively, between 50 and 150 kHz. The transition time after reflection

The probe has an inductance of 4 nH. There is, thus, approximately 2.1 nH in the transition time.

Using equation (1) from section III, the inductance of a circular plate of radius a with electric thickness h , height $x = 1.5 \text{ cm}$, and with $\epsilon = 1.0$ is given by

$$L = \frac{1}{2} \mu_0 \epsilon_0 \omega^2 a^4 h^2 \approx 1.33 \times 10^{-11} \omega^2 a^4 h^2 \text{ H}$$

This value is about 10% less than the value of inductance obtained by EIAF, even so this comparison needs to be made on a numerical method used.

The physical current value is an approximation since the inductance value is due directly to the current value. In certain cases, the inductance of the lead inductance is the full inductance. The inductance value is the value inductance in these situations. Thus, the inductance value and current value do not approximate the two separate cases 0.5 and 1.0 nH after the full probe is utilized.

	PROGRAM PLATE (INPUT, OUTPUT, MF35PL)	PLATE 1
C		PLATE 2
C	PLATE 3
C		PLATE 4
C	PLATE IS A CODE WHICH DETERMINES THE PATHS ALONG WHICH	PLATE 5
C	CURRENTS FLOW THROUGH TRANSMISSION PLATES. A PLATE IS DIVIDED	PLATE 6
C	INTO A SQUARE MESH. EACH CORNER	PLATE 7
C	IN THE MESH HAS A CAPACITOR CONNECTED TO GROUND. THE VOLTAGE FOR	PLATE 8
C	THE NEXT TIME STEP ON THIS CAPACITOR IS DETERMINED BY THE	PLATE 9
C	CURRENTS IN THE FOUR LINES COMING TO THAT CAPACITOR BY	PLATE 10
C		PLATE 11
C	$V2 = V1 - DELT * (J1 + J2 + J3 + J4) / C$	PLATE 12
C		PLATE 13
C	WHERE V2 IS THE NEW VOLTAGE	PLATE 14
C	V1 IS THE OLD VOLTAGE	PLATE 15
C	DELT IS THE TIME STEP	PLATE 16
C	J1, J2, J3, J4 ARE THE FOUR CURRENTS WHICH CONTAIN	PLATE 17
C	INTERNAL SIGNS AND WHERE THE SIGN CONVENTION IS IMPORTANT	PLATE 18
C	C IS THE CAPACITANCE	PLATE 19
C		PLATE 20
C	THE LINKS IN THE MESH WHICH CONNECT THE CAPACITORS CONTAIN	PLATE 21
C	INDUCTORS AND RESISTORS IN SERIES. THE CURRENTS WHICH PROPAGATE	PLATE 22
C	THROUGH THESE LINKS ARE CHANGED IN TIME BY	PLATE 23
C		PLATE 24
C	$J2 = (VA - VB + J1 * (L / DELT - R / 2)) / (L / DELT + R / 2)$	PLATE 25
C		PLATE 26
C	WHERE J2 IS THE NEW CURRENT	PLATE 27
C	J1 IS THE OLD CURRENT	PLATE 28
C	VA, VB ARE THE VOLTAGES ON THE CAPACITORS AT EITHER END	PLATE 29
C	OF THE INDUCTOR AND RESISTOR PAIRS. AGAIN THE SIGN	PLATE 30
C	CONVENTION IS IMPORTANT, WITH SIGNS CONTAINED INTERNALLY	PLATE 31
C	IN VA AND VB.	PLATE 32
C	L IS THE INDUCTANCE IN A CONNECTING LINK	PLATE 33
C	R IS THE RESISTANCE IN A CONNECTING LINK	PLATE 34
C		PLATE 35
C	THE MAIN ROUTINE PLATE IS THE CONTROLLING ROUTINE WHICH	PLATE 36
C	CALLS THE VARIOUS SUBROUTINES. SUBROUTINES CBANK AND CFLOW	PLATE 37
C	CONTROL CURRENT FLOW OUT OF THE CAPACITOR BANKS AND THROUGH THE	PLATE 38
C	PLATE, RESPECTIVELY. DURING EACH TIME STEP THE CURRENT IS MOVED	PLATE 39
C	THROUGH THE ENTIRE MESH USING OLD VOLTAGES. THEN THE VOLTAGES	PLATE 40
C	ARE CHANGED USING THE NEW CURRENTS.	PLATE 41
C	THE PROGRAM BEGINS AT T=0 WITH THE CAPACITOR BANK BEING	PLATE 42
C	SWITCHED ON. ONE MUST NOTE HERE THAT USUALLY A SYMMETRIC ONE-	PLATE 43
C	QUARTER OR ONE-EIGHTH OF THE PROBLEM IS CONSIDERED DURING A RUN.	PLATE 44
C	THIS ALLOWS A FINER MESH AND A MORE ACCURATE SOLUTION.	PLATE 45
C	THE PROGRAM PLATE CALLS THE FOLLOWING SUBROUTINES	PLATE 46
C	THESE ROUTINES ARE LISTED IN THE ORDER THEY APPEAR IN THE	PLATE 47
C	LISTING.	PLATE 48
C		PLATE 49
C	CBANK - PROPAGATES CURRENT OUT OF THE CAPACITOR BANKS AND	PLATE 50
C	INTO THE PLATE.	PLATE 51
C		PLATE 52
C	CFLOW - PROPAGATES CURRENT THROUGH THE MESH OF THE PLATE.	PLATE 53
C		PLATE 54

C			
C	MISCELL - THIS SUBROUTINE READS THE INPUT AND PRINTS IT OUT.	PLATE 55	
C	IT USES THIS INPUT TO SET UP THE PROBLEM. IT DETERMINES THE TIME	PLATE 56	
C	STEP AND OTHER VARIABLES NEEDED TO RUN THE PROBLEM. THEN IT	PLATE 57	
C	CALLS THE FOLLOWING THREE SUBROUTINES WHICH ACTUALLY	PLATE 58	
C	INITIATE THE ARRAYS NEEDED TO RUN THE PROBLEMS.	PLATE 59	
C		PLATE 60	
C	MESH - THIS SUBROUTINE INITIALIZES THE INDUCTANCE,	PLATE 61	
C	CAPACITANCE, VOLTAGE, AND CURRENT ARRAYS TO GENERAL PLATE VALUES.	PLATE 62	
C		PLATE 63	
C	LOAD - THIS SUBROUTINE RESETS ARRAY VALUES TO SET UP A	PLATE 64	
C	SIMULATED LOAD.	PLATE 65	
C		PLATE 66	
C	WEDGE - THIS SUBROUTINE RESETS ARRAY VALUES IN INPUTED	PLATE 67	
C	REGIONS OF THE PLATE TO HELP IN OBTAINING BETTER CURRENT	PLATE 68	
C	SYMMETRY.	PLATE 69	
C		PLATE 70	
C	SETUPX - PLOTS ON MICROFILM THE PROBLEM SETUP BY DRAWING	PLATE 71	
C	LINE WHICH SEPARATE DIFFERENT REGIONS IN THE PLATE.	PLATE 72	
C		PLATE 73	
C	PRINT1(NEDIT) - PRINTS EDITED VERSIONS OF THE VOLTAGE,	PLATE 74	
C	CAPACITANCE, INDUCTANCE, VERTICAL CURRENT OR HORIZONTAL CURRENT	PLATE 75	
C	ARRAYS. WHICH ARRAY IS PRINTED DEPENDS ON THE CALLING VARIABLE	PLATE 76	
C	NEDIT.	PLATE 77	
C		PLATE 78	
C	PRINT2 - PRINTS SMALLER EDITED ARRAYS OF VOLTAGE,	PLATE 79	
C	HORIZONTAL, AND VERTICAL CURRENT.	PLATE 80	
C		PLATE 81	
C	INDUCT - THIS SUBROUTINE COMPUTES AND PRINTS THE CURRENT	PLATE 82	
C	FLOWING IN THE PLATE EACH NANO-SECOND. IT PRINTS CHARGE	PLATE 83	
C	CONSERVATION. IT ALSO SAVES THE CURRENT AT EQUAL TIME INTERVALS	PLATE 84	
C	SO THAT A TIME DEPENDENT CURRENT TRACE CAN BE MADE BY SUBROUTINE	PLATE 85	
C	CTRAC.	PLATE 86	
C		PLATE 87	
C	INDUCT2 - THIS SUBROUTINE COMPUTES AND PRINTS SMOOTHED	PLATE 88	
C	SYSTEM INDUCTANCE FOR SPECIFIC TIME INTERVALS.	PLATE 89	
C		PLATE 90	
C	CTRAC - THIS SUBROUTINE PLOTS A TIME DEPENDENT CURRENT	PLATE 91	
C	TRACE. THIS SUBROUTINE AND THE NEXT ARE NOT CALLED EXCEPT WHEN	PLATE 92	
C	SETUP2 IS NOT EQUAL TO 0 IN WHICH CASE THE PROBLEM IS SET UP TO	PLATE 93	
C	RUN WITH A GROSS MESH AND FOR A LONG TIME.	PLATE 94	
C		PLATE 95	
C	CTRAC2 - THIS SUBROUTINE COMPUTES AND PLOTS DI/DT TERMS FOR	PLATE 96	
C	THE CAPACITOR MODULES.	PLATE 97	
C		PLATE 98	
C	CURRENT - COMPUTES AND PLOTS SEVERAL CURRENT PATHS FROM THE	PLATE 99	
C	CAPACITOR BANK TO THE LOAD.	PLATE100	
C		PLATE101	
C	UNWIND - COMPUTES AND PLOTS THE THETA CURRENT SYMMETRY OF	PLATE102	
C	THE CURRENT GOING TO THE LOAD.	PLATE103	
C		PLATE104	
C	LINPLOT - PLOTS THE DATA ON MICROFILM.	PLATE105	
C		PLATE106	
C	LIST OF VARIABLES IN DIFFERENCE EQUATIONS	PLATE107	
C		PLATE108	

C	V - VOLTAGE	PLATE109
C	AJV - VERTICAL CURRENT	PLATE110
C	AJH - HORIZONTAL CURRENT	PLATE111
C	C - CAPACITANCE	PLATE112
C	AL - INDUCTANCE	PLATE113
C	AL1 - BANK INDUCTANCE	PLATE114
C	RESIS - RESISTANCE	PLATE115
C	DELT - TIME STEP	PLATE116
C	V1 - SCRATCH ARRAY USED FOR VOLTAGE OR CURRENT	PLATE117
C		PLATE118
C	SIMILAR VARIABLES ENDING IN Q ARE TWO DIMENSIONAL ECS ARRAYS AND	PLATE119
C	THEY REPRESENT THE SAME QUANTITIES.	PLATE120
C		PLATE121
C	PLATE122
C		PLATE123
	COMMON X, R1, VQ, INCX, NOIST1, DIST0, RESIS, AJV(26),	PLATE124
	1 Y, R2, CT, INCY, NOIST2, INCX0, KSENSW, AJH(26),	PLATE125
	2 K, R3, ALT, AINCX, NOIST3, TSTOP, NSETUP, V(26),	PLATE126
	3 T, R4, NT, AINCY, NOIST4, TEDIT, NSETUP2, C(26),	PLATE127
	4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),	PLATE128
	5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),	PLATE129
	6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),	PLATE130
	7 NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),	PLATE131
	8 X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)	PLATE132
		PLATE133
	DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),	PLATE134
	1 ALQQ(26,26)	PLATE135
		PLATE136
	LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ	PLATE137
		PLATE138
	COMMON /ECS1/ AJVQ	PLATE139
	COMMON /ECS2/ AJHQ	PLATE140
	COMMON /ECS3/ VQ	PLATE141
	COMMON /ECS4/ CQ	PLATE142
	COMMON /ECS5/ ALQQ	PLATE143
		PLATE144
		PLATE145
C		PLATE146
C	FIX ECS FIELD LENGTH	PLATE147
C		PLATE148
	CALL INITPLT	PLATE149
	CALL MISCELL	PLATE150
	T=0.0	PLATE151
	N100=0	PLATE152
	KSENSW=0	PLATE153
C		PLATE154
C	IF DELX DOES NOT EQUAL DELY THE CALCULATION TERMINATES.	PLATE155
C		PLATE156
	IF ((DELX-DELY)/DELX.LT.1.0/AMAX1(AINCX,AINCY)) GO TO 1	PLATE157
	PRINT 7	PLATE158
	PRINT 8	PLATE159
	STOP	PLATE160
1	CONTINUE	PLATE161
C		PLATE162

C	THESE LOOPS PERFORM THE ITERATIONS OVER A TIME STEP DELT.	PLATE163
C		PLATE164
	DO 6 K=1,NT	PLATE165
	T=T+DELT	PLATE166
	CALL CBANK	PLATE167
	CALL CFLOW	PLATE168
C		PLATE169
C	THE REST OF THIS PROGRAM CALLS VARIOUS CHECKING, PRINTING,	PLATE170
C	AND PLOTTING SUBROUTINES.	PLATE171
C		PLATE172
	IF (INSETUP2.EQ.0) GO TO 2	PLATE173
	IF (INZAP.EQ.0) GO TO 3	PLATE174
	GO TO 4	PLATE175
2	CONTINUE	PLATE176
	IF (T.LT.TEDIT2) GO TO 4	PLATE177
	TEDIT2=TEDIT2+1.0E-09	PLATE178
3	CONTINUE	PLATE179
4	CONTINUE	PLATE180
	IF (T.LT.TEDIT) GO TO 5	PLATE181
	TEDIT=TEDIT+DELED	PLATE182
	KSENSW=0	PLATE183
	CALL PRINT2	PLATE184
	CALL CURRENT	PLATE185
	CALL UNWIND	PLATE186
5	CONTINUE	PLATE187
	CALL XTIME (CP,PP,10,TIMTGO)	PLATE188
	IF (TIMTGO.GT.30.0.AND.T.LE.TSTOP) GO TO 6	PLATE189
	CALL CTRACE	PLATE190
	IF (INSETUP2.GT.0) CALL CTRAC2	PLATE191
	STOP	PLATE192
6	CONTINUE	PLATE193
C		PLATE194
7	FORMAT (5X,72MTHIS PROGRAM TERMINATED BECAUSE DELX DID NOT EQUAL C	PLATE195
	IELY (APPROXIMATELY).)	PLATE196
8	FORMAT (5X,54MCORRECT OYDIM INPUT N30 OR M30 TO ADJUST DELX OR DEL	PLATE197
	LY.)	PLATE198
	END	PLATE199

	SUBROUTINE CBANK		PLATE200
	COMMON X, R1, VQ, INCX, NOIST1, DIST0, RESIS, AJV(26),		PLATE201
1	Y, R2, CT, INCY, NOIST2, INCX0, KSENS#, AJH(26),		PLATE202
2	K, R3, ALT, AINCX, NOIST3, TSTOP, NSETUP, V(26),		PLATE203
3	T, R4, NT, AINCY, NOIST4, TEDIT, NSETUP2, C(26),		PLATE204
4	AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),		PLATE205
5	DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),		PLATE206
6	KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),		PLATE207
7	NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),		PLATE208
8	X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)		PLATE209
			PLATE210
	DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),		PLATE211
1	ALQQ(26,26)		PLATE212
			PLATE213
	LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ		PLATE214
			PLATE215
	COMMON /ECS1/ AJVQ		PLATE216
	COMMON /ECS2/ AJHQ		PLATE217
	COMMON /ECS3/ VQ		PLATE218
	COMMON /ECS4/ CQ		PLATE219
	COMMON /ECS5/ ALQQ		PLATE220
			PLATE221
			PLATE222
C			PLATE223
C	IF NSETUP DOES NOT EQUAL 1 THE LOOPS TO STATEMENT 6 SEND CURRENT		PLATE224
C	INTO THE PLATE FROM THE CAPACITOR BANKS.		PLATE225
C			PLATE226
	IF (NSETUP.EQ.1) GO TO 5		PLATE227
	I=INCX1		PLATE228
	DO 1 J=1,NCAP		PLATE229
	CALL READEC (AJV(I),AJVQ(I,J),1)		PLATE230
	CALL READEC (V(1),VQ(I-1,J),2)		PLATE231
	CALL READEC (C(I),CQ(I,J),1)		PLATE232
	AJV(I)=AJV(I)+DELT*(V(2)-V(1))/AL1		PLATE233
	V(2)=V(2)-AJV(I)*DELT/C(I)		PLATE234
	CALL WRITEC (V(2),VQ(I,J),1)		PLATE235
	CALL WRITEC (AJV(I),AJVQ(I,J),1)		PLATE236
	CONTINUE		PLATE237
1			PLATE238
C			PLATE239
C	IF NSETUP=5 CURRENT IS FED FROM THE CAPACITOR BANKS ON THE SIDE		PLATE240
C	OF THE CROSSED TRANSMISSION PLATE. THE TWO SIDE CAPACITOR		PLATE241
C	MODULES HAVE LIMITS OF NOIST1, NOIST2, NOIST3, AND NOIST4.		PLATE242
C			PLATE243
	IF (NSETUP.NE.5) GO TO 5		PLATE244
	NN=NOIST1		PLATE245
	NNN=NOIST2		PLATE246
	J=INCY1		PLATE247
	CALL READEC (AJH(1),AJHQ(1,J),INCX)		PLATE248
	CALL READEC (V(1),VQ(1,J),INCX)		PLATE249
	CALL READEC (V1(1),VQ(1,J-1),INCX)		PLATE250
	CALL READEC (C(1),CQ(1,J),INCX)		PLATE251
	NZAP=MOD(K,100)		PLATE252
	IF (NZAP.NE.0.OR.NSETUP2.EQ.0) GO TO 2		PLATE253
	N100=N100+1		


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CTR1(N100)=(V(NPOSX1)-V1(NPOSX1))*DELT/AL1
CTR2(N100)=(V(NPOSX2)-V1(NPOSX2))*DELT/AL1
2 CONTINUE
DO 3 I=NN,NNN
AJH(I)=AJH(I)*(V(I)-V1(I))*DELT/AL1
V(I)=V(I)-DELT*AJH(I)/C(I)
3 CONTINUE
NN=NDIST3
NNN=NDIST4
DO 4 I=NN,NNN
AJH(I)=AJH(I)*(V(I)-V1(I))*DELT/AL1
V(I)=V(I)-DELT*AJH(I)/C(I)
4 CONTINUE
CALL WRITEC (V(I),VQ(1,J),INCX)
CALL WRITEC (AJH(1),AJHQ(1,J),INCX)
5 CONTINUE
RETURN
END

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PLATE254
PLATE255
PLATE256
PLATE257
PLATE258
PLATE259
PLATE260
PLATE261
PLATE262
PLATE263
PLATE264
PLATE265
PLATE266
PLATE267
PLATE268
PLATE269
PLATE270
PLATE271

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SUBROUTINE CFLOW

	COMMON X, R1, VO, INCX, NDIST1, DIST0, RESIS, AJV(26),	PLATE272
		PLATE273
1	Y, R2, CT, INCY, NDIST2, INCX0, KSENS#, AJM(26),	PLATE274
		PLATE275
2	K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),	PLATE276
		PLATE277
3	T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),	PLATE278
		PLATE279
4	AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, VI(26),	PLATE280
		PLATE281
5	DELT, AL1, ALO, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),	PLATE282
		PLATE283
6	KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),	PLATE284
		PLATE285
7	NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),	PLATE286
		PLATE287
8	X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)	PLATE288
		PLATE289
	DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),	PLATE290
	ALQ(26,26)	PLATE291
	LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQ	PLATE292
	COMMON /ECS1/ AJVQ	PLATE293
	COMMON /ECS2/ AJHQ	PLATE294
	COMMON /ECS3/ VQ	PLATE295
	COMMON /ECS4/ CQ	PLATE296
	COMMON /ECS5/ ALQ	PLATE297
C		PLATE298
C	THE LOOPS OVER STATEMENT 8 CHANGE THE VERTICAL CURRENT AJV FOR	PLATE299
C	ALL THE MESH POINTS IN THE TRANSMISSION PLATE.	PLATE300
	RESI2 = RESIS/2.	PLATE301
	DELT1 = 1./DELT	PLATE302
	DO 2 J=1, INCY	PLATE303
	CALL READEC (AJV(1), AJVQ(1, J), INCX)	PLATE304
	CALL READEC (V(1), VQ(1, J), INCX)	PLATE305
	CALL READEC (AL(1), ALQ(1, J), INCX)	PLATE306
	DO 1 I=2, INCX	PLATE307
	AJV(I) = (V(I) - V(I-1) + AJV(I) * (AL(I) * DELT1 - RESI2)) / (AL(I) * DELT1 + RESI2)	PLATE308
1	CONTINUE	PLATE309
	AJV(1) = -AJV(2)	PLATE310
	CALL WRITEC (AJV(1), AJVQ(1, J), INCX)	PLATE311
2	CONTINUE	PLATE312
C		PLATE313
C	THE LOOPS OVER STATEMENT 10 CHANGE THE HORIZONTAL CURRENT AJM FOR	PLATE314
C	ALL THE MESH POINTS IN THE TRANSMISSION PLATE.	PLATE315
	DO 4 J=2, INCY	PLATE316
	CALL READEC (AJM(1), AJHQ(1, J), INCX)	PLATE317
	CALL READEC (V(1), VQ(1, J), INCX)	PLATE318
	CALL READEC (VI(1), VQ(1, J-1), INCX)	PLATE319
	CALL READEC (AL(1), ALQ(1, J), INCX)	PLATE320
	DO 3 I=1, INCX	PLATE321
	AJM(I) = (V(I) - V(I-1) + AJM(I) * (AL(I) * DELT1 - RESI2)) / (AL(I) * DELT1 + RESI2)	PLATE322
3	CONTINUE	PLATE323
	CALL WRITEC (AJM(1), AJHQ(1, J), INCX)	PLATE324
4	CONTINUE	PLATE325

	CALL READEC (AJH(1),AJHQ(1,2),INCX)	PLATE326
C		PLATE327
C	THE LOOP OVER STATEMENT 11 IS A REFLECTED BOUNDARY CONDITION	PLATE328
C	CAUSED BY SYMMETRY.	PLATE329
C		PLATE330
	DO 5 I=1,INCX	PLATE331
5	AJH(I)=-AJH(I)	PLATE332
	CALL WRITEC (AJH(1),AJHQ(1,1),INCX)	PLATE333
C		PLATE334
C	THE LOOPS OVER STATEMENT 13 CHANGE THE VOLTAGE V FOR ALL THE MESH	PLATE335
C	POINTS IN THE TRANSMISSION PLATE.	PLATE336
C		PLATE337
	DO 7 J=1,INCY	PLATE338
	CALL READEC (V(1),VQ(1,J),INCX)	PLATE339
	CALL READEC (AJH(1),AJHQ(1,J),INCX1)	PLATE340
	CALL READEC (AJV(1),AJVQ(1,J),INCX1)	PLATE341
	CALL READEC (C(1),CQ(1,J),INCX)	PLATE342
	CALL READEC (V(1),AJHQ(1,J+1),INCX1)	PLATE343
	DO 6 I=1,INCX	PLATE344
	V(I)=V(I)-DELT*(AJV(I+1)-AJV(I)+V(1)-AJH(I))/C(I)	PLATE345
6	CONTINUE	PLATE346
	CALL WRITEC (V(1),VQ(1,J),INCX)	PLATE347
7	CONTINUE	PLATE348
C		PLATE349
C	WHEN NSETUP EQUALS 4 OR WHEN NSETUP EQUALS 5	PLATE350
C	THE LOOPS OVER STATEMENTS 14 AND 16, 17 AND 19 DO A REFLECTION	PLATE351
C	ACROSS A 45 DEGREE ANGLE IN THE CENTER OF THE CROSSED	PLATE352
C	TRANSMISSION PLATE TO IMPOSE 8 FOLD SYMMETRY.	PLATE353
C		PLATE354
	IF (NSETUP.NE.5.AND.NSETUP.NE.4) GO TO 14	PLATE355
	IF (NSETUP.NE.5.AND.NSETUP.NE.4) GO TO 14	PLATE356
	DO 8 J=1,INCY	PLATE357
8	CALL READEC (WB(1,J),VQ(1,J),INCY1)	PLATE358
	DO 10 LM=1,INCY	PLATE359
	J=INCY-LM+1	PLATE360
	DO 9 I=1,J	PLATE361
9	WB(I,J)=WB(J,I)	PLATE362
	CALL WRITEC (WB(1,J),VQ(1,J),J)	PLATE363
10	CONTINUE	PLATE364
	DO 11 J=1,INCY	PLATE365
	CALL READEC (WB(1,J),AJHQ(1,J),INCY1)	PLATE366
11	CALL READEC (WA(1,J),AJVQ(1,J),INCY1)	PLATE367
	DO 13 LM=1,INCY	PLATE368
	J=INCY-LM+1	PLATE369
	DO 12 I=1,J	PLATE370
	WB(I,J)=WA(J,I)	PLATE371
12	WA(I,J)=WB(J,I)	PLATE372
	CALL WRITEC (WB(1,J),AJHQ(1,J),J)	PLATE373
	CALL WRITEC (WA(1,J),AJVQ(1,J),J)	PLATE374
13	CONTINUE	PLATE375
14	CONTINUE	PLATE376
	IF (NSETUP.NE.2) GO TO 16	PLATE377
	CALL READEC (V(1),VQ(1,1),INCX)	PLATE378
	CALL READEC (V(1),VQ(1,INCY1),INCX)	PLATE379

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DO 15 I=1,INCX
V(I)=V1(I)=(V(I)+V1(I))/2.0
15 CONTINUE
CALL WRITEC (V(I),VQ(1,1),INCX)
CALL WRITEC (V1(I),VQ(1,INCY),INCX)
16 CONTINUE
RETURN
END
```

PLATE380
PLATE381
PLATE382
PLATE383
PLATE384
PLATE385
PLATE386
PLATE387

SUBROUTINE MISCELL

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COMMON X, R1, V0, INCX, NDIST1, DIST0, RESIS, AJV(26),
1      Y, R2, CT, INCY, NDIST2, INCX0, KSENSW, AJM(26),
2      K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),
3      T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),
4      AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, Y1(26),
5      DELT, AL1, ALO, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),
6      KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, #A(26,26),
7      NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), #B(26,26),
8      X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)

```

```

DIMENSION AJVQ(26,26), AJMQ(26,26), VQ(26,26), CQ(26,26),
1 ALQQ(26,26)

```

```
LEVEL 3, AJVQ, AJMQ, VQ, CQ, ALQQ
```

```

COMMON /ECS1/ AJVQ
COMMON /ECS2/ AJMQ
COMMON /ECS3/ VQ
COMMON /ECS4/ CQ
COMMON /ECS5/ ALQQ

```

```
THIS SUBROUTINE SETS UP THE PLATE PROBLEM.
```

```
READ STATEMENTS AND SHUFFLING OF REAL TO INTEGER VARIABLES.
```

```

PRINT 5
DELZ=0.0015
ANT=10000.
INCX =26 - 1
INCY =26 - 1
READ 7, R1,R2,RAD,R3,ER,SETUP,SETUP2,SETUP3
READ 7, X,Y,V0,CT,ALT,CLNGTH,FACTOR,FACTOR2
READ 7, TSTOP,DELZZ,DIST0,DIST1,DIST2,DIST3,DIST4
IF (DELZZ.NE.0.0) DELZ=DELZZ
AINCX=INCX
AINCY=INCY
AZ=AINCY/Y
NSETUP=SETUP
NSETUP2=SETUP2
NSETUP3=SETUP3
IF (NSETUP.EQ.1) PRINT 22
IF (NSETUP.EQ.2) PRINT 23
IF (NSETUP.EQ.3) PRINT 24
IF (NSETUP.EQ.4) PRINT 25
IF (NSETUP.EQ.5) PRINT 26
PRINT 21, R1,R2,RAD,R3,ER,SETUP,SETUP2,SETUP3
PRINT 21, X,Y,V0,CT,ALT,CLNGTH,FACTOR,FACTOR2
PRINT 21, TSTOP,DELZZ,DIST0,DIST1,DIST2,DIST3,DIST4
RESIS=1.67E-06
TEDIT=0.04E-06

```

C
C
C
C
C
C
C

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PLATE439
PLATE440
PLATE441

```

DELED=0.02E-06
TEDIT2=0.01E-06
READ 1, A,B,0
IF (A.NE.0.0) TEDIT=A
IF (B.NE.0.0) DELED=B
IF (D.NE.0.0) TEDIT2=D
PRINT 2, A,B,0
PRINT 3, TEDIT,DELED,TEDIT2
PRINT 14, R1,R2,RAD,R3
PRINT 15, NSETUP,NSETUP2,NSETUP3
PRINT 16, X,Y,FACTOR,FACTOR2,ER
PRINT 17, VO,CT,ALT,CLENGTH
PRINT 18, TSTOP,ANT,AINCX,AINCY
PRINT 19, DIST1,DIST2,DIST3,DIST4,0IST0

```

```

C NSETUP = 1 PRODUCES A SQUARE TEST PROBLEM.
C NSETUP = 2 PRODUCES A PARALLEL PLATE TRANSMISSION LINE PROBLEM.
C NSETUP = 3 PRODUCES A RECTANGULAR PROBLEM WITH CAPACITOR BANKS
C ON TWO SIDES.
C NSETUP = 4, PRODUCES A RECTANGULAR PROBLEM WITH CAPACITOR BANKS
C ON ALL FOUR SIDES.
C NSETUP = 5 PRODUCES THE CROSSED PLATE GEOMETRY.

```

```

C INCX AND INCY ARE THE NUMBER OF X AND Y INCREMENTS RESPECTIVELY.

```

```

C INCX1=INCX+1
C INCY1=INCY+1
C INCX0=INCX-1

```

```

C NT IS THE NUMBER OF TIME INCREMENTS.

```

```

C NT=ANT
C PI=3.1415926535

```

```

C AMUO IS THE PERMEABILITY OF FREE SPACE.
C EPSI IS THE PERMITTIVITY OF NYLAR.

```

```

C AMUO=4.0*PI=1.0E-07
C EPSIO=1.0/(AMUO*(2.9979E+08)**2)
C EPSI=ER*EPSIO
C PRINT 20, AMUO,EPSIO,EPSI

```

```

C DELX AND DELY ARE THE DIMENSIONS OF ONE CELL. DELX AND DELY
C SHOULD BE APPROXIMATELY EQUAL. DELZ IS THE PLATE SEPARATION.

```

```

C DELX=X/(AINCX-1.0)
C DELY=Y/(AINCY-1.0)
C NPOSX1=((DIST1+DIST2)/2.0)/DELX
C NPOSX2=((DIST3+DIST4)/2.0)/DELY
C PRINT 4, NPOSX1,NPOSX2

```

```

C NOIST1 AND NOIST2 ARE THE X COORDINATE BOUNDARIES OF ONE
C CAPACITOR BANK MODULE ON THE SIDE OF THE CROSSED TRANSMISSION

```

```

PLATE442
PLATE443
PLATE444
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PLATE493
PLATE494
PLATE495

```

C	PLATE.	PLATE496
C	NDIST3 AND NDIST4 ARE THE X COORDINATE BOUNDARIES OF THE SECOND	PLATE497
C	MODULE ON THE SIDE OF THE TRANSMISSION PLATE.	PLATE498
C		PLATE499
	NDIST1=(DIST1/DELX)+1	PLATE500
	NDIST2=(DIST2/DELX)+1	PLATE501
	NDIST3=(DIST3/DELX)+1	PLATE502
	NDIST4=(DIST4/DELX)+1	PLATE503
C		PLATE504
C	AL2 AND C2 ARE THE INDUCTANCE AND CAPACITANCE IN THE NORMAL PART	PLATE505
C	OF A TRANSMISSION PLATE.	PLATE506
C		PLATE507
	AL2=AMUO*DELY*DELZ/DELX	PLATE508
	C2=EPSI*DELX*DELY/DELZ	PLATE509
C		PLATE510
C	AL1 AND C1 ARE THE INDUCTANCE AND CAPACITANCE OF EACH CAPACITOR	PLATE511
C	AND SWITCH ASSEMBLY ASSUMING THE NUMBER OF CAPACITORS EQUALS THE	PLATE512
C	NUMBER OF X MESH POINTS WITHIN THE BOUNDARIES OF A CAPACITOR BANK	PLATE513
C	MODULE.	PLATE514
C		PLATE515
	NCAP=CLENGTH/DELY	PLATE516
	IF (NCAP.EQ.0) NCAP=INCY	PLATE517
	IF (NCAP.GT.INCY) NCAP=INCY	PLATE518
	C1=CT/(NCAP-1.)	PLATE519
	AL1=ALT*(NCAP-1.0)	PLATE520
C		PLATE521
C	AL4 AND C4 ARE THE INDUCTANCE AND CAPACITANCE IN THE LOAD WHERE	PLATE522
C	C4 IS SET ARBITRARILY LARGE.	PLATE523
C		PLATE524
	C4=C2*1000000.	PLATE525
	C4=C2*100000000.	PLATE526
	AL4=AL2	PLATE527
C		PLATE528
C	DELT IS THE TIME STEP	PLATE529
C		PLATE530
	DELT=PI/20.*SQRT(C2*AL2)	PLATE531
	DELT=DELT*2.0	PLATE532
	PRINT 6	PLATE533
	PRINT 8, AINX,AINCY,ANT,X,Y	PLATE534
	PRINT 9, VO,CT,ALT	PLATE535
C		PLATE536
C	X AND Y ARE THE DIMENSIONS OF THE TRANSMISSION PLATE (METERS).	PLATE537
C	DELZ IS THE THICKNESS OF THE MYLAR.	PLATE538
C		PLATE539
	PRINT 11, C2,AL2	PLATE540
	PRINT 12, C1,AL1	PLATE541
	PRINT 13, C4,AL4	PLATE542
	PRINT 10, DELT,DELA,DELY,DELZ,R1	PLATE543
	PRINT 6	PLATE544
	CALL MESH (C1,C2,C3,C4,AL3,AL4,FACTOR,FACTOR1,FACTOR2)	PLATE545
	CALL LOAD(SETUP3)	PLATE546
	CALL WEDGE (C1,C2,C3,C4,AL3,AL4,FACTOR,FACTOR1,FACTOR2)	PLATE547
	CALL FRAME	PLATE548
	CALL PRINT1 (1)	PLATE549

	CALL PRINT1 (2)	PLATE550
	CALL PRINT1 (3)	PLATE551
	PRINT 6	PLATE552
30	FORMAT (10X, 'DIAGONAL CAPACITIVE ELEMENTS ARE', /)	PLATE553
	PRINT 30	PLATE554
31	FORMAT (10E10.2)	PLATE555
	INCY0 = INCY - 1	PLATE556
	GO 50 I = 1, INCY0	PLATE557
	CALL READEC (X1(I), CQ(I, I), 1)	PLATE558
	CALL READEC (Y1(I), ALQ(I, I), 1)	PLATE559
50	CONTINUE	PLATE560
	PRINT 31, (X1(I), I = 1, INCY0)	PLATE561
32	FORMAT (10X, 'DIAGONAL INDUCTIVE ELEMENTS ARE', /)	PLATE562
	PRINT 32	PLATE563
	PRINT 31, (Y1(I), I = 1, INCY0)	PLATE564
	RETURN	PLATE565
C		PLATE566
C		PLATE567
1	FORMAT (8F10.2)	PLATE568
2	FORMAT (10X, 2P8E12.1, /, /)	PLATE569
3	FORMAT (10X, 8HTEDIT = , 2PE12.1, 10M DELED = , 2PE12.1, 11M TEDIT2 = , 2PE12.1, /, /)	PLATE570
4	FORMAT (10X, 9HNPOSX1 = , 15, 10M NPOSX2 = , 15, /)	PLATE571
5	FORMAT (1M1)	PLATE572
6	FORMAT (1M0)	PLATE573
7	FORMAT (8F10.2)	PLATE574
8	FORMAT (1X, 7M INCX = , 1PE14.6, 8M INCY = , E14.6, 10M 6 INCR = , E14.6, 125M X, Y PLATE DIMENSIONS = , E14.6, 3M X , E14.6, /)	PLATE576
9	FORMAT (2X, 45M CHARACTERISTICS OF ONE-HALF OF A MOOULE ARE , 1PE14.6, 16.9M VOLTS , E14.6, 13M FARADS AND , E14.6, 8M HENRIES, /)	PLATE577
10	FORMAT (3X, 7M DELT = , 1PE14.6, 8M DELX = , E14.6, 9M UELY = , E14.6, 8M IDELZ = , E14.6, 24M FRACTIONAL HOLE SIZE = , E14.6, /)	PLATE578
11	FORMAT (3X, 55M CHARACTERISTICS OF THE TRANSMISSION PLATE ELEMENTS ARE , 1PE14.6, 9M FARADS , E14.6, 9M HENRIES, /)	PLATE579
12	FORMAT (4X, 72M CHARACTERISTICS OF EACH MESH POINT THAT SERVES AS A 1B BREAKDOWN POINT ARE , 1PE14.6, 9M FARADS , E14.6, 9M HENRIES, /)	PLATE580
13	FORMAT (5X, 61M CHARACTERISTICS OF EACH MESH POINT THAT SERVES AS A 1SINK ARE , 1PE14.6, 9M FARADS , E14.6, 9M HENRIES, /)	PLATE581
14	FORMAT (10X, 5MR1 = , 1PE14.6, 6M R2 = , 1PE14.6, 7M RAD = , 1PE14.6, 6M 1R3 = , 1PE14.6, /)	PLATE582
15	FORMAT (10X, 9M NSETUP = , 13, 11M NSETUP2 = , 13, 11M NSETUP3 = , 13, /)	PLATE583
16	FORMAT (10X, 4MX = , 1PE14.6, 5M Y = , 1PE14.6, 10M FACTOR = , 1PE14.6, 11M FACTOR2 = , 1PE14.6, 6M ER = , 1PE14.6, /)	PLATE584
17	FORMAT (5X, 5M V0 = , 1PE14.6, 6M CT = , 1PE14.6, 7M ALT = , 1PE14.6, 10M 1LENGTH = , 1PE14.6, /)	PLATE585
18	FORMAT (5X, 8M TSTOP = , 1PE14.6, 7M ANT = , 1PE14.6, 9M AINCX = , 1PE14.6, 9M AINCY = , 1PE14.6, /)	PLATE586
19	FORMAT (5X, 8M DIST1 = , 1PE14.6, 9M DIST2 = , 1PE14.6, 9M DIST3 = , 1PE14.6, 9M DIST4 = , 1PE14.6, 9M DIST0 = , 1PE14.6, /)	PLATE587
20	FORMAT (5X, 7M AMUO = , 1PE14.6, 9M EPSI0 = , 1PE14.6, 8M EPSI = , 1PE14.6, /)	PLATE588
21	FORMAT (10X, 1P8E12.2, /)	PLATE589
22	FORMAT (10X, 37M \$\$\$\$\$\$ SYMMETRY TEST PROBLEM \$\$\$\$\$\$, /)	PLATE590
23	FORMAT (10X, 38M \$\$\$\$\$\$ P.P. TRANSMISSION LINE \$\$\$\$\$\$, /)	PLATE591
		PLATE592
		PLATE593
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		PLATE600
		PLATE601
		PLATE602
		PLATE603

24	FORMAT (10X,44H\$\$\$\$\$	TWO SIDED TRANSMISSION PLATE	\$\$\$\$\$,/)	PLATE604
25	FORMAT (10X,45H\$\$\$\$\$	FOUR SIDED TRANSMISSION PLATE	\$\$\$\$\$,/)	PLATE605
26	FORMAT (10X,35H\$\$\$\$\$	CROSSED PLATE, 1 MJ	\$\$\$\$\$,/)	PLATE606
	END			PLATE607

	SUBROUTINE MESH(C1,C2,C3,C4,AL3,AL4,FACTOR,FACTOR1,FACTOR2)	PLATE608
		PLATE609
	COMMON X, R1, VO, INCX, NDIST1, DIST0, RESIS, AJV(26),	PLATE610
1	Y, R2, CT, INCY, NDIST2, INCX0, KSENS, AJM(26),	PLATE611
2	K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),	PLATE612
3	T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),	PLATE613
4	AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),	PLATE614
5	DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),	PLATE615
6	KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),	PLATE616
7	NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),	PLATE617
8	X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)	PLATE618
		PLATE619
	DIMENSION AJVQ(26,26), AJMQ(26,26), VQ(26,26), CQ(26,26),	PLATE620
1	ALQ(26,26)	PLATE621
		PLATE622
	LEVEL 3, AJVQ, AJMQ, VQ, CQ, ALQ	PLATE623
		PLATE624
	COMMON /ECS1/ AJVQ	PLATE625
	COMMON /ECS2/ AJMQ	PLATE626
	COMMON /ECS3/ VQ	PLATE627
	COMMON /ECS4/ CQ	PLATE628
	COMMON /ECS5/ ALQ	PLATE629
		PLATE630
C		PLATE631
C	THIS LOOP INITIALIZES CAPACITANCE AND VOLTAGE THROUGHOUT THE	PLATE632
C	MESH.	PLATE633
C		PLATE634
	ZERO=0.0	PLATE635
	DO 1 J=1,INCY1	PLATE636
	DO 1 I=1,INCX1	PLATE637
	CALL WRITEC (C2,CQ(I,J),1)	PLATE638
	CALL WRITEC (ZERO,VQ(I,J),1)	PLATE639
	CALL WRITEC (ZERO,AJVQ(I,J),1)	PLATE640
	CALL WRITEC (ZERO,AJMQ(I,J),1)	PLATE641
	CALL WRITEC (AL2,ALQ(I,J),1)	PLATE642
1	CONTINUE	PLATE643
	IF (NSETUP.EQ.2) GO TO 7	PLATE644
C		PLATE645
C	THIS SECTION SETS UP A TEST PROBLEM TO DETERMINE AZIMUTHAL	PLATE646
C	ASSYMMETRY WHEN NSETUP = 1. THIS IS THE ASSYMMETRY WHICH IS	PLATE647
C	CAUSED BY THE SQUARE MESH.	PLATE648
C		PLATE649
	C2FAC=C2/FACTOR	PLATE650
	ALFAC=AL2*FACTOR	PLATE651
	IF (NSETUP.NE.1) GO TO 3	PLATE652
	DO 2 J=1,INCY1	PLATE653
	DO 2 I=1,INCX1	PLATE654
	AX=I*DELX	PLATE655
	AY=J*DELY	PLATE656
	RAO=SQRT(AX*AX+AY*AY)	PLATE657
	IF (RAD.GT.R3) CALL WRITEC (C1,CQ(I,J),1)	PLATE658
	IF (RAD.GT.R3) CALL WRITEC (VQ,VQ(I,J),1)	PLATE659
	ALMM=AL1/5.	PLATE660
	CT10=CT*10.	PLATE661

	IF (RAD.GT.R3-3.*DELY) CALL WRITEC (ALMMM,ALQQ(I,J),1)	PLATE662
	IF (RAD.LT.R2) CALL WRITEC (ALFAC,ALQQ(I,J),1)	PLATE663
	IF (RAD.LT.R2) CALL WRITEC (C2FAC,CQ(I,J),1)	PLATE664
	IF (RAD.LT.R1) CALL WRITEC (CT10,CQ(I,J),1)	PLATE665
	IF (RAD.LT.R1) CALL WRITEC (AL2,ALQQ(I,J),1)	PLATE666
2	CONTINUE	PLATE667
	GO TO 10	PLATE668
3	CONTINUE	PLATE669
	LN=INCY/2+1	PLATE670
C		PLATE671
C	THE LOOPS OVER INDEX 4 SET UP A REGION OF GREATER PLATE SEPARATION	PLATE672
C	JUST OUTSIDE THE HOLE IN THE CENTER WHICH REPRESENTS THE LOAD.	PLATE673
C	THE VARIABLE FACTOR IS THE RATIO OF THE NEW SEPARATION TO THE	PLATE674
C	OLD SEPARATION.	PLATE675
C		PLATE676
	DO 4 I=1,LN	PLATE677
	DO 4 J=1,LN	PLATE678
	AX=I*DELX	PLATE679
	AY=J*DELY	PLATE680
	RA=SQRT(AX*AX+AY*AY)	PLATE681
	CT10=CT*10.	PLATE682
	IF (RA.LT.R2) CALL WRITEC (C2FAC,CQ(I,J),1)	PLATE683
	IF (RA.LT.R2) CALL WRITEC (ALFAC,ALQQ(I,J),1)	PLATE684
	IF (RA.LT.R1) CALL WRITEC (C4,CQ(I,J),1)	PLATE685
	IF (RA.LT.R1) CALL WRITEC (ALFAC,ALQQ(I,J),1)	PLATE686
4	CONTINUE	PLATE687
	I=INCX1	PLATE688
C		PLATE689
C	THE LOOP OVER 5 CHARGES THE CAPACITORS AT THE END OF THE	PLATE690
C	TRANSMISSION PLATE.	PLATE691
C		PLATE692
	DO 5 J=1,NCAP	PLATE693
	CALL WRITEC (C1,CQ(I,J),1)	PLATE694
	CALL WRITEC (V0,VQ(I,J),1)	PLATE695
	CALL WRITEC (AL1,ALQQ(I,J),1)	PLATE696
5	CONTINUE	PLATE697
	IF (INSETUP.NE.5) GO TO 10	PLATE698
C		PLATE699
C	THE LOOP OVER 7 CHARGES THE TWO CAPACITOR BANK MODULES ON THE	PLATE700
C	SIDE OF THE TRANSMISSION PLATE.	PLATE701
C		PLATE702
	J=INCY1	PLATE703
	DO 6 I=1,INCX	PLATE704
	QDIST=I*DELX	PLATE705
	IF (QDIST.GE.DIST1.AND.QDIST.LE.DIST2) CALL WRITEC (C1,CQ(I,J),1)	PLATE706
	IF (QDIST.GE.DIST1.AND.QDIST.LE.DIST2) CALL WRITEC (V0,VQ(I,J),1)	PLATE707
	IF (QDIST.GE.DIST1.AND.QDIST.LE.DIST2) CALL WRITEC (AL1,ALQQ(I,J),1)	PLATE708
	11)	PLATE709
	IF (QDIST.GE.DIST3.AND.QDIST.LE.DIST4) CALL WRITEC (C1,CQ(I,J),1)	PLATE710
	IF (QDIST.GE.DIST3.AND.QDIST.LE.DIST4) CALL WRITEC (V0,VQ(I,J),1)	PLATE711
	IF (QDIST.GE.DIST3.AND.QDIST.LE.DIST4) CALL WRITEC (AL1,ALQQ(I,J),1)	PLATE712
	11)	PLATE713
6	CONTINUE	PLATE714
	GO TO 10	PLATE715

```

C
C
C
C
7
      WHEN NSETUP=2 THIS SETS UP A PARALLEL PLATE TRANSMISSION LINE
      PROBLEM FOR COMPARISON TO AN ANALYTICAL SOLUTION.
      CONTINUE
      I=1
      DO 8 J=1,INCY1
      CALL WRITEC (C,CJ(I,J),1)
8
      CONTINUE
      I=INCY1
      INQ=DIST1/DELY*1
      INQO=DIST2/DELY*1
      NUM=INQO-INQ*1
      CI=CT/NUM
      ALI=ALI*NUM
      DO 9 J=ING,INQO
      CALL WRITEC (CI,CJ(I,J),1)
9
      CONTINUE
10
      CONTINUE
      RETURN
      END

```

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PLATE716
PLATE717
PLATE718
PLATE719
PLATE720
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PLATE722
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PLATE731
PLATE732
PLATE733
PLATE734
PLATE735
PLATE736
PLATE737

```

SUBROUTINE LOAD (SETUP3)

	COMMON X, R1, VQ, INCX, NDIST1, DIST0, RESIS, AJV(26),	PLATE738
		PLATE739
1	Y, R2, CT, INCY, NDIST2, INCX0, KSENSW, AJH(26),	PLATE740
2	K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),	PLATE741
3	T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),	PLATE742
4	AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),	PLATE743
5	DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),	PLATE744
6	KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, #A(26,26),	PLATE745
7	NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), #B(26,26),	PLATE746
8	X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)	PLATE747
		PLATE748
		PLATE749
	DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),	PLATE750
1	ALQQ(26,26)	PLATE751
		PLATE752
	LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ	PLATE753
		PLATE754
	COMMON /ECS1/ AJVQ	PLATE755
	COMMON /ECS2/ AJHQ	PLATE756
	COMMON /ECS3/ VQ	PLATE757
	COMMON /ECS4/ CQ	PLATE758
	COMMON /ECS5/ ALQQ	PLATE759
		PLATE760
C		PLATE761
C	THIS SECTION INCREASES THE INDUCTANCE IN THE LOAD TO SIMULATE A	PLATE762
C	SHIVA LOAD INSTEAD OF A SHORT CIRCUIT. (WHEN SETUP3.NE.0.0,	PLATE763
C	AL(I,J)=SETUP3.)	PLATE764
C		PLATE765
	IF (SETUP3.EQ.0.0) GO TO 2	PLATE766
	NNN=AMIN1(AINCX,AINCY,55.)	PLATE767
	DO 1 I=1,NNN	PLATE768
	DO 1 J=1,NNN	PLATE769
	AX=I*DELT	PLATE770
	AY=J*DELY	PLATE771
	RA=SQRT(AX*AX+AY*AY)	PLATE772
	IF (RA.LT.R1+3.0*DELT) CALL WRITEC (SETUP3,ALQQ(I,J),1)	PLATE773
1	CONTINUE	PLATE774
2	CONTINUE	PLATE775
	RETURN	PLATE776
	END	PLATE777

	SUBROUTINE WEDGE (C1,C2,C3,C4,AL3,AL4,FACTOR,FACTOR1,FACTOR2)	PLATE778
	COMMON X, R1, VQ, INCX, NDIST1, DIST0, RESIS, AJV(26),	PLATE779
1	Y, R2, CT, INCY, NDIST2, INCX0, KSENS4, AJH(26),	PLATE780
2	K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),	PLATE781
3	T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),	PLATE782
4	AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),	PLATE783
5	DEL, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),	PLATE784
6	KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),	PLATE785
7	NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), W8(26,26),	PLATE786
8	X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)	PLATE787
		PLATE788
	DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),	PLATE789
1	ALQQ(26,26)	PLATE790
		PLATE791
	LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ	PLATE792
		PLATE793
	COMMON /ECS1/ AJVQ	PLATE794
	COMMON /ECS2/ AJHQ	PLATE795
	COMMON /ECS3/ VQ	PLATE796
	COMMON /ECS4/ CQ	PLATE797
	COMMON /ECS5/ ALQQ	PLATE798
		PLATE799
	KK=1	PLATE800
	CALL SETUPX (1)	PLATE801
1	CONTINUE	PLATE802
	READ 6, M,N,K,L,NQ	PLATE803
	IF (K.EQ.0) GO TO 3	PLATE804
	IF (NQ.GT.0) FACTOR2=NQ	PLATE805
C		PLATE806
C	WHEN THIS SECTION IS USED CARE IS NECESSARY TO INSURE THAT KK	PLATE807
C	NEVER EXCEEDS THE DIMENSIONED SIZE OF X1 AND Y1 ARRAYS,	PLATE808
C	IF THAT DOES HAPPEN, SOME OF THE COMMON BLOCK WILL BE WIPED OUT.	PLATE809
C		PLATE810
	PRINT 5, M,N,K,L,NQ	PLATE811
	IF (L.EQ.0) L=INCA	PLATE812
	C2F2=C2/FACTOR2	PLATE813
	AL2F2=AL2*FACTOR2	PLATE814
	DO 2 I=K,L	PLATE815
	DO 2 J=M,N	PLATE816
	CALL WRITEC (C2F2,CQ(I,J),1)	PLATE817
	CALL WRITEC (AL2F2,ALQQ(I,J),1)	PLATE818
2	CONTINUE	PLATE819
	X1(KK)=K*DELX	PLATE820
	Y1(KK)=M*DELY	PLATE821
	X1(KK+1)=K*DELX	PLATE822
	Y1(KK+1)=M*DELY	PLATE823
	X1(KK+2)=L*DELX	PLATE824
	Y1(KK+2)=N*DELY	PLATE825
	X1(KK+3)=L*DELX	PLATE826
	Y1(KK+3)=M*DELY	PLATE827
	X1(KK+4)=X1(KK)	PLATE828
	Y1(KK+4)=Y1(KK)	PLATE829
	K=5	PLATE830
		PLATE831

CALL SETUPX(2)
GO TO 1
3 CONTINUE
C RETURN
4
5 FORMAT (8F10.2)
6 FORMAT (2X,5I5)
FORMAT (6I2)
END

PLATE832
PLATE833
PLATE834
PLATE835
PLATE836
PLATE837
PLATE838
PLATE839
PLATE840
PLATE841

SUBROUTINE SETUPX (KLM)

									PLATE842
	COMMON X,	R1,	VO,	INCX,	NDIST1,	DIST0,	RESIS,	AJV(26),	PLATE843
1	Y,	R2,	CT,	INCY,	NDIST2,	INCX0,	KSENSW,	AJM(26),	PLATE844
2	K,	R3,	ALT,	AINCX,	NDIST3,	TSTOP,	NSETUP,	V(26),	PLATE845
3	T,	R4,	NT,	AINCY,	NDIST4,	TEDIT,	NSETUP2,	C(26),	PLATE846
4	AK,	RAD,	ALN,	INCX1,	DIST1,	DELED,	NSETUP3,	V1(26),	PLATE847
5	DELT,	AL1,	ALQ,	INCY1,	DIST2,	TEDIT2,	NSETUP4,	AL(26),	PLATE848
6	KSEN,	AL2,	ANU,	DELX,	DIST3,	NPOSX1,	NSETUP5,	WA(26,26),	PLATE849
7	NCAP,	N100,	NZAP,	DELY,	DIST4,	NPOSX2,	II(10),	WB(26,26),	PLATE850
8	X1(100),	Y1(100),	AT(1),	CTRAC(1),	CTRL1(1),	CTR2(1)			PLATE851
									PLATE852
	DIMENSION	AJVQ(26,26),	AJMQ(26,26),	VQ(26,26),	CQ(26,26),				PLATE853
1	ALQQ(26,26)								PLATE854
	LEVEL 3,	AJVQ,	AJMQ,	VQ,	CQ,	ALQQ			PLATE855
	COMMON /ECS1/	AJVQ							PLATE856
	COMMON /ECS2/	AJMQ							PLATE857
	COMMON /ECS3/	VQ							PLATE858
	COMMON /ECS4/	CQ							PLATE859
	COMMON /ECS5/	ALQQ							PLATE860
	COMMON RADIUS(4)								PLATE861
	PI=3.14159265								PLATE862
	XMN=YMN=0.0								PLATE863
	AMX=AMX=AMAX1(X,Y)								PLATE864
	IF (KLM.EQ.1) GO TO 3								PLATE865
	CALL LINPLOT(X1,Y1,K,AMX,AMN,AMX,AMN)								PLATE866
	RETURN								PLATE867
3	CONTINUE								PLATE868
	CALL GRIDQ (AMX,AMN,AMX,AMN,AMX,AMN,AMX,AMN,10,10,1.0,1HX,1,1HY,1)								PLATE869
	RADIUS(1)=R1								PLATE870
	RADIUS(2)=R2								PLATE871
	RADIUS(3)=R3								PLATE872
	RADIUS(4)=RAD								PLATE873
	N=50								PLATE874
	DO 2 I=1,4								PLATE875
	THETA=0.0								PLATE876
	IF (RADIUS(I).EQ.0.) GO TO 2								PLATE877
	DO 1 J=1,4								PLATE878
	X1(J)=X-RADIUS(I)*SIN(THETA)								PLATE879
	Y1(J)=Y-RADIUS(I)*COS(THETA)								PLATE880
	THETA=THETA+PI/(2.*N)								PLATE881
1	CONTINUE								PLATE882
	CALL LINPLOT (X1,Y1,N,AMX,AMN,AMX,AMN)								PLATE883
2	CONTINUE								PLATE884
	RETURN								PLATE885
	END								PLATE886
									PLATE887
									PLATE888
									PLATE889
									PLATE890


```

SUBROUTINE PRINT1 (NEDIT)
COMMON X, R1, VO, INCX, NOIST1, DIST0, RESIS, AJV(26),
1 Y, R2, CT, INCY, NOIST2, INCX0, KSENS#, AJH(26),
2 K, R3, ALT, AINCX, NOIST3, TSTOP, NSETUP, V(26),
3 T, R4, NT, AINCY, NOIST4, TEDIT, NSETUP2, C(26),
4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),
5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),
6 KSEN, AL2, ANU, UELX, DIST3, NPOSX1, NSETUP5, WA(26,26),
7 NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),
8 XI(100), YI(100), AT(1), CTAC(1), CTR1(1), CTR2(1)

DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),
1 ALQ(26,26)

LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQ

COMMON /ECS1/ AJVQ
COMMON /ECS2/ AJHQ
COMMON /ECS3/ VQ
COMMON /ECS4/ CQ
COMMON /ECS5/ ALQ

C
C THIS SUBROUTINE PRINTS VARIOUS EDITED ARRAYS DEPENDING ON THE
C CALLED VARIABLE NEDIT.
C THIS SUBROUTINE MUST BE CALLED WITH NEDIT SET TO AN INTEGER 1
C THROUGH 5.
C WHEN NEDIT =1 THE VOLTAGE ARRAY IS PRINTED.
C WHEN NEDIT =2 THE CAPACITANCE ARRAY IS PRINTED.
C WHEN NEDIT =3 THE INDUCTANCE ARRAY IS PRINTED.
C WHEN NEDIT =4 THE VERTICAL CURRENT ARRAY IS PRINTED.
C WHEN NEDIT =5 THE HORIZONTAL CURRENT ARRAY IS PRINTED.
C

PRINT 6
NY=(INCY+14)/15
IF (NEDIT.EQ.1) PRINT 13, INCX, INCY, INCX1, INCY1
IF (NEDIT.EQ.1) PRINT 8
IF (NEDIT.EQ.2) PRINT 9
IF (NEDIT.EQ.3) PRINT 10
IF (NEDIT.EQ.4) PRINT 11
IF (NEDIT.EQ.5) PRINT 12
DO 2 I=1, INCX1, 5
DO 1 J=1, INCY1
IF (NEDIT.EQ.1) CALL READEC (V1(J), VO(I,J), 1)
IF (NEDIT.EQ.2) CALL READEC (V1(J), CQ(I,J), 1)
IF (NEDIT.EQ.3) CALL READEC (V1(J), ALQ(I,J), 1)
IF (NEDIT.EQ.4) CALL READEC (V1(J), AJVQ(I,J), 1)
IF (NEDIT.EQ.5) CALL READEC (V1(J), AJHQ(I,J), 1)
1 CONTINUE
PRINT 7, (V1(J), J=1, INCY, NY), V1(INCY1)
2 CONTINUE
I=INCX1
DO 3 J=1, INCY1

```

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PLATE891
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PLATE940
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PLATE942
PLATE943
PLATE944

```

	IF (NEDIT.EQ.1) CALL READEC (V1(J),VQ(I,J),1)	PLATE945
	IF (NEDIT.EQ.2) CALL READEC (V1(J),CQ(I,J),1)	PLATE946
	IF (NEDIT.EQ.3) CALL READEC (V1(J),ALQQ(I,J),1)	PLATE947
	IF (NEDIT.EQ.4) CALL READEC (V1(J),AJVQ(I,J),1)	PLATE948
	IF (NEDIT.EQ.5) CALL READEC (V1(J),AJHQ(I,J),1)	PLATE949
3	CONTINUE	PLATE950
	PRINT 7, (V1(J),J=1,INCY,NY),V1(INCY)	PLATE951
	PRINT 5	PLATE952
	NMINX=MIN0(16,INCY,INCX)	PLATE953
	DO 4 J=1,NMINX	PLATE954
	IF (NEDIT.EQ.1) CALL READEC (V1(I),VQ(I,J),NMINX)	PLATE955
	IF (NEDIT.EQ.2) CALL READEC (V1(I),CQ(I,J),NMINX)	PLATE956
	IF (NEDIT.EQ.3) CALL READEC (V1(I),ALQQ(I,J),NMINX)	PLATE957
	IF (NEDIT.EQ.4) CALL READEC (V1(I),AJVQ(I,J),NMINX)	PLATE958
	IF (NEDIT.EQ.5) CALL READEC (V1(I),AJHQ(I,J),NMINX)	PLATE959
	PRINT 7, (V1(I),I=1,NMINX)	PLATE960
4	CONTINUE	PLATE961
	RETURN	PLATE962
C		PLATE963
C		PLATE964
5	FORMAT (1X,/,10X,15HLOAD AREA ARRAY,/)	PLATE965
6	FORMAT (1H1)	PLATE966
7	FORMAT (1X,16E8.1)	PLATE967
8	FORMAT (10X,13HVOLTAGE ARRAY,/)	PLATE968
9	FORMAT (10X,17HCAPACITANCE ARRAY,/)	PLATE969
10	FORMAT (10X,16HINDUCTANCE ARRAY,/)	PLATE970
11	FORMAT (10X,22HVERTICAL CURRENT ARRAY,/)	PLATE971
12	FORMAT (10X,24HHORIZONTAL CURRENT ARRAY,/)	PLATE972
13	FORMAT (2X,4IS)	PLATE973
	END	PLATE974

SUBROUTINE PRINT2

```

COMMON X, R1, VQ, INCX, NDIST1, DIST0, RESIS, AJV(26), PLATE975
1 Y, R2, CT, INCY, NDIST2, INCX0, KSENS4, AJH(26), PLATE976
2 K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26), PLATE978
3 T, R4, NT, AINCX, NDIST4, TEDIT, NSETUP2, C(26), PLATE979
4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26), PLATE981
5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26), PLATE982
6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26), PLATE983
7 NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26), PLATE984
8 X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1) PLATE985

```

```

DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),
1 ALQQ(26,26)

```

LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ

```

COMMON /ECS1/ AJVQ
COMMON /ECS2/ AJHQ
COMMON /ECS3/ VQ
COMMON /ECS4/ CQ
COMMON /ECS5/ ALQQ

```

C
C
C
C
C

THIS SUBROUTINE PRINTS SEVERLY EDITED VOLTAGE, HORIZONTAL CURRENT, AND VERTICAL CURRENT ARRAYS.

FORMAT STATEMENTS

```

NZ=(INCY+3)/9
INN1=INCY1-NZ-2
NZ=MAX0(NZ,2)
PRINT 7
PRINT 8,...T
PRINT 9
NN=0
DO 1 I=1,INN1,NZ
NN=NN+1
X1(NN)=I
1 CONTINUE
NN=NN+1
X1(NN)=INCX1
PRINT 5, (X1(I),I=1,NN)
PRINT 6
DO 2 J=1,10
JJ=(J-1)*NZ+1
IF (J.EQ.10) JJ=INCY1
CALL READEC (AJV(I),AJVQ(I,JJ),INCX1)
PRINT 5, (AJV(I),I=1,INN1,NZ),AJV(INCX1)
2 CONTINUE
PRINT 6
PRINT 10
DO 3 J=1,10
JJ=(J-1)*NZ+1

```

PLATE975
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PLATE998
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PLAT1004
PLAT1005
PLAT1006
PLAT1007
PLAT1008
PLAT1009
PLAT1010
PLAT1011
PLAT1012
PLAT1013
PLAT1014
PLAT1015
PLAT1016
PLAT1017
PLAT1018
PLAT1019
PLAT1020
PLAT1021
PLAT1022
PLAT1023
PLAT1024
PLAT1025
PLAT1026
PLAT1027
PLAT1028

	IF (J.EQ.10) JJ=INCY1	PLAT1029
	CALL READEC (AJH(1),AJHQ(1,JJ),INCX1)	PLAT1030
	PRINT 5, (AJH(I),I=1,INNZNZ),AJH(INCX1)	PLAT1031
3	CONTINUE	PLAT1032
	PRINT 6	PLAT1033
	PRINT 11	PLAT1034
	DO 4 J=1,10	PLAT1035
	JJ=(J-1)*NZ+1	PLAT1036
	IF (J.EQ.10) JJ=INCY1	PLAT1037
	CALL READEC (V(1),VQ(1,JJ),INCX1)	PLAT1038
	PRINT 5, (V(I),I=1,INNZNZ),V(INCX1)	PLAT1039
4	CONTINUE	PLAT1040
	PRINT 6	PLAT1041
	RETURN	PLAT1042
C		PLAT1043
C		PLAT1044
5	FORMAT (1X,1P11E12.2)	PLAT1045
6	FORMAT (1H0)	PLAT1046
7	FORMAT (1H1)	PLAT1047
8	FORMAT (10X,24HTIME AFTER INITIATION = .1PE20.8,/))	PLAT1048
9	FORMAT (10X,30HPARTIAL VERTICAL CURRENT ARRAY,/))	PLAT1049
10	FORMAT (10X,32HPARTIAL HORIZONTAL CURRENT ARRAY,/))	PLAT1050
11	FORMAT (10X,21HPARTIAL VOLTAGE ARRAY,/))	PLAT1051
	END	PLAT1052

SUBROUTINE INDUCT

```

COMMON X, R1, VO, INCX, NOIST1, DIST0, RESIS, AJV(26),
1 Y, R2, CT, INCY, NOIST2, INCX0, KSENSW, AJM(26),
2 K, R3, ALT, AINCX, NOIST3, TSTOP, NSETUP, V(26),
3 T, R4, NT, AINCY, NOIST4, TEDIT, NSETUP2, C(26),
4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),
5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),
6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),
7 NCAP, NI00, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26),
8 X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)

```

```

DIMENSION AJVG(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),
1 ALQO(26,26)

```

LEVEL 3, AJVG, AJHQ, VQ, CQ, ALQO

```

COMMON /ECS1/ AJVQ
COMMON /ECS2/ AJHQ
COMMON /ECS3/ VQ
COMMON /ECS4/ CQ
COMMON /ECS5/ ALQO

```

C
C
C
C

THIS SUBROUTINE SUMS THE VERTICAL CURRENT IN THE PLATE AT A POSITION X=DIST0.

```

IF (T.LE.9.5E-09) KSEN=0
KSEN=KSEN-1
KSENSW=KSENSW+1
IF (KSENSW.EQ.1) PRINT 8
IF (KSENSW.EQ.1) PRINT 9
I=DIST0/DELX
CUR1=0.0
DO 1 J=1,INCY1
CALL READEC (AJV(I),AJVQ(I,J),1)
IF (J.EQ.1) AJV(I)=AJV(I)/2.0
CUR1=CUR1+AJV(I)
1 CONTINUE
IF (CUR1.LE.1.0E-99) GO TO 2
ALL=VO*T/CUR1
2 CONTINUE

```

C
C
C
C

THIS SUBROUTINE SUMS AND PRINTS THE CURRENT COMING OUT OF THE CAPACITOR BANKS.

```

CUR=CURA=CURB=CURC=0.0
IF (NSETUP.NE.5) GO TO 6
I=INCX
DO 3 J=1,INCY
CALL READEC (AJV(I),AJVQ(I,J),1)
IF (J.EQ.1) AJV(I)=AJV(I)/2.0
CURA=CURA+AJV(I)
3 CONTINUE

```

3

PLAT1053
PLAT1054
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PLAT1097
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PLAT1099
PLAT1100
PLAT1101
PLAT1102
PLAT1103
PLAT1104
PLAT1105
PLAT1106

	NN=NOIST1	PLAT1107
	NNN=NOIST2	PLAT1108
	J=INCY1	PLAT1109
	CALL READEC (AJH(1),AJHQ(1,J),INCX)	PLAT1110
	DO 4 I=NN,NNN	PLAT1111
	CURB=CURB+AJH(I)	PLAT1112
4	CONTINUE	PLAT1113
	NN=NOIST3	PLAT1114
	NNN=NOIST4	PLAT1115
	DO 5 I=NN,NNN	PLAT1116
	CURC=CURC+AJH(I)	PLAT1117
5	CONTINUE	PLAT1118
6	CONTINUE	PLAT1119
	CUR=CURA+CURB+CURC	PLAT1120
C		PLAT1121
C	THIS SUBROUTINE SUMS THE CHARGE ACROSS EACH CAPACITOR AND PRINTS	PLAT1122
C	OUT THE RESULT AS TOTAL CHARGE. THIS ALLOWS CONSERVATION OF	PLAT1123
C	CHARGE TO BE CHECKED.	PLAT1124
C		PLAT1125
	CH=0.0	PLAT1126
	DO 7 J=1,INCY1	PLAT1127
	CALL READEC (V(1),VQ(1,J),INCX1)	PLAT1128
	CALL READEC (C(1),CQ(1,J),INCX1)	PLAT1129
	DO 7 I=1,INCX1	PLAT1130
	IF (J.GT.I) GO TO 7	PLAT1131
	IF (J.EQ.I) V(I)=V(I)/2.0	PLAT1132
	CH=CH+V(I)*C(I)	PLAT1133
7	CONTINUE	PLAT1134
	PRINT 10, T,CUR1,CUR,CH,ALL,CURA,CURB,CURC	PLAT1135
C		PLAT1136
C	THIS SECTION SAVES CURRENTS AND TIMES FOR A TIME DEPENDENT	PLAT1137
C	CURRENT TRACE TO BE PLOTTED BY SUBROUTINE CTRACE.	PLAT1138
C		PLAT1139
	AT(KSEN)=T	PLAT1140
	CTRAC(KSEN)=CUR1	PLAT1141
	CALL INDUCT2 (CUR1)	PLAT1142
	RETURN	PLAT1143
C		PLAT1144
C		PLAT1145
8	FORMAT (1H)	PLAT1146
9	FORMAT (10X,4HTIME,8X,4HCUR1,8X,4HCUR2,7X,6HCHARGE,6X,6HINDUCT,7X,	PLAT1147
	14HCURA,8X,4HCURB,8X,4HCURC,/)	PLAT1148
10	FORMAT (5X,1P8E12.4)	PLAT1149
	END	PLAT1150

SUBROUTINE INDUCT2 (CUR1)								PLAT1151		
	COMMON X,	R1,	VO,	INCX,	NOIST1,	DIST0,	RESIS,	AJV(26),	PLAT1152	
1		Y,	R2,	CT,	INCY,	NOIST2,	INCX0,	KSENS,	AJH(26),	PLAT1153
2		K,	R3,	ALT,	AINCX,	NOIST3,	TSTOP,	NSETUP,	V(26),	PLAT1154
3		T,	R4,	NT,	AINCY,	NOIST4,	TEDIT,	NSETUP2,	C(26),	PLAT1155
4		AK,	RAD,	ALN,	INCX1,	DIST1,	DELED,	NSETUP3,	V1(26),	PLAT1156
5		DELT,	AL1,	ALQ,	INCY1,	DIST2,	TEDIT2,	NSETUP4,	AL(26),	PLAT1157
6		KSEN,	AL2,	ANU,	DELA,	DIST3,	NPOSX1,	NSETUP5,	WA(26,26),	PLAT1158
7		NCAP,	N100,	NZAP,	DELY,	DIST4,	NPOSX2,	III(10),	WB(26,26),	PLAT1159
8		X1(100),	Y1(100),	AT(1),	CTRAC(1),	CTR1(1),	CTR2(1)			PLAT1160
										PLAT1161
										PLAT1162
										PLAT1163
										PLAT1164
										PLAT1165
										PLAT1166
										PLAT1167
										PLAT1168
										PLAT1169
										PLAT1170
										PLAT1171
										PLAT1172
										PLAT1173
										PLAT1174
										PLAT1175
										PLAT1176
										PLAT1177
										PLAT1178
										PLAT1179
										PLAT1180
										PLAT1181
										PLAT1182
										PLAT1183
										PLAT1184
										PLAT1185
										PLAT1186
										PLAT1187
C										PLAT1188
1										PLAT1189
										PLAT1190

```

SUBROUTINE CTRACE
COMMON X, R1, VQ, INCX, NDIST1, DIST0, RESIS, AJV(26),
1 Y, R2, CT, INCY, NDIST2, INCX0, KSENS, AJM(26),
2 K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),
3 T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),
4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, V1(26),
5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),
6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),
7 NCAP, N100, NZAP, DELY, DIST4, NPOSX2, I1(10), W2(26,26),
8 XI(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)
PLAT1191
PLAT1192
PLAT1193
PLAT1194
PLAT1195
PLAT1196
PLAT1197
PLAT1198
PLAT1199
PLAT1200
PLAT1201
PLAT1202
DIMENSION AJVQ(26,26), AJMQ(26,26), VQ(26,26), CQ(26,26),
1 ALQO(26,26)
PLAT1203
PLAT1204
PLAT1205
LEVEL 3, AJVQ, AJMQ, VQ, CQ, ALQO
PLAT1206
PLAT1207
COMMON /ECS1/ AJVQ
PLAT1208
COMMON /ECS2/ AJMQ
PLAT1209
COMMON /ECS3/ VQ
PLAT1210
COMMON /ECS4/ CQ
PLAT1211
COMMON /ECS5/ ALQO
PLAT1212
XMN=XMN=YMN=YMX=0.0
PLAT1213
IF(KSEN.LT.3) RETURN
PLAT1214
DO 1 K=1,KSEN
PLAT1215
XMN=AMIN1(XMN,AT(K))
PLAT1216
YMN=AMIN1(YMN,CTRAC(K))
PLAT1217
XMX=AMAX1(XMX,AT(K))
PLAT1218
YMX=AMAX1(YMX,CTRAC(K))
PLAT1219
CONTINUE
PLAT1220
CALL GRIDG (XMX,XMN,YMX,YMN,XMX,XMN,YMX,YMN,10,10,1,0,4HTIME,4,7HC
PLAT1222
CURRENT,7)
PLAT1223
CALL LINPLOT (AT,CTRAC,KSEN,XMX,XMN,YMX,YMN)
PLAT1224
CALL LINPLOT (AT,CTRAC,KSEN,XMX,XMN,YMX,YMN)
PLAT1225
CALL FRAME
PLAT1226
RETURN
PLAT1227
END
PLAT1228

```


SUBROUTINE CTRAC2

												PLAT1229
	COMMON X,	R1,	VQ,	INCX,	NDIST1,	DIST0,	RESIS,	AJV(26),				PLAT1230
1	Y,	R2,	CT,	INCY,	NDIST2,	INCX0,	KSENSW,	AJH(26),				PLAT1231
2	K,	R3,	ALT,	AINCX,	NDIST3,	TSTOP,	MSETUP,	V(26),				PLAT1232
3	T,	R4,	NT,	AINCY,	NDIST4,	TEDIT,	NSETUP2,	C(26),				PLAT1233
4	AK,	RAD,	ALN,	INCX1,	DIST1,	DELED,	NSETUP3,	V1(26),				PLAT1234
5	DELTA,	AL1,	ALQ,	INCY1,	DIST2,	TEDIT2,	NSETUP4,	AL(26),				PLAT1235
6	KSEN,	AL2,	ANU,	DELX,	DIST3,	NPOSX1,	NSETUP5,	WA(26,26),				PLAT1236
7	NCAP,	N100,	NZAP,	DELY,	DIST4,	NPOSX2,	III(10),	WB(26,26),				PLAT1237
8	X1(100),	Y1(100),	AT(1),	CTRAC(1),	CTR1(1),	CTR2(1)						PLAT1238
												PLAT1239
												PLAT1240
	DIMENSION	AJVQ(26,26),	AJHQ(26,26),	VQ(26,26),	CQ(26,26),							PLAT1241
1	ALQQ(26,26)											PLAT1242
	LEVEL 3,	AJVQ,	AJHQ,	VQ,	CQ,	ALQQ						PLAT1243
	COMMON /ECS1/	AJVQ										PLAT1244
	COMMON /ECS2/	AJHQ										PLAT1245
	COMMON /ECS3/	VQ										PLAT1246
	COMMON /ECS4/	CQ										PLAT1247
	COMMON /ECS5/	ALQQ										PLAT1248
												PLAT1249
												PLAT1250
												PLAT1251
												PLAT1252
												PLAT1253
												PLAT1254
												PLAT1255
												PLAT1256
												PLAT1257
												PLAT1258
												PLAT1259
												PLAT1260
												PLAT1261
												PLAT1262
												PLAT1263
												PLAT1264
												PLAT1265
												PLAT1266
												PLAT1267
												PLAT1268
												PLAT1269
												PLAT1270
												PLAT1271
												PLAT1272

```

SUBROUTINE CURRENT
DIMENSION LABEL(2), XTRALB(2)
COMMON X, R1, VO, INCX, NDIST1, DISTO, RESIS, AJV(26),
1 Y, R2, CT, INCY, NDIST2, INCXO, KSENS#, AJH(26),
2 K, R3, ALT, AINCX, NDIST3, TSTOP, NSETUP, V(26),
3 T, R4, NT, AINCY, NDIST4, TEDIT, NSETUP2, C(26),
4 AK, RAD, ALN, INCX1, DIST1, DELED, NSETUP3, VI(26),
5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26),
6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26),
7 NCAP, N100, NZAP, UELY, DIST4, NPOSX2, III(10),
8 X1(100), Y1(100), AT(1), CTRAC(1), CTR1(1), CTR2(1)
DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),
1 ALQQ(26,26)
LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ
COMMON /ECS1/ AJVQ
COMMON /ECS2/ AJHQ
COMMON /ECS3/ VQ
COMMON /ECS4/ CQ
COMMON /ECS5/ ALQQ
COMMON AX(1000),AY(1000)
THIS SUBROUTINE FOLLOWS SEVERAL CURRENT PATHS IN THE TRANSMISSION
FOR A SPECIFIC TIME THEN PLOTS THESE PATHS ON MICROFILM.
XMN=YMN=0.0
YMX=XX=AMAX1(X,Y)
IF (NSETUP.EQ.5) YMX=XX=1.5*Y
LABEL(1)=5HTIME=
LABEL(2)=4H SEC
ENCODE (20,7,XTRALB) LABEL(1),T,LABEL(2)
NKT=2
PI2=3.1415926535/2.0
IF (NSETUP.NE.5) NKT=1
DO 6 MMM=1,NKT
IF (MMM.EQ.2) XMX=YMX=X
AINCR=(XMX+YMX)/1000.
CALL GRIDU (XMX,XMN,YMX,YMN,XMX,XMN,YMX,YMN,10,10,1,1,1MX,1,1HY,1,
XTRALB,20)
MNK=21
IF (NSETUP.EQ.1) MNK=INCY1
DO 5 L=1,MNK
FIX=MNK-1.
AX(1)=XMX
AY(1)=(L-1)*Y/FIX
IF (NSETUP.NE.5) GO TO 1
LL=(L+1)/2
LQ=L/2
IF (MMM.EQ.1.OR.LQ.LT.LL) GO TO 1
AY(1)=Y

```

C
C
C

PLAT1273
PLAT1274
PLAT1275
PLAT1276
PLAT1277
PLAT1278
PLAT1279
PLAT1290
PLAT1281
PLAT1282
PLAT1283
PLAT1284
PLAT1285
PLAT1286
PLAT1287
PLAT1288
PLAT1299
PLAT1290
PLAT1291
PLAT1292
PLAT1293
PLAT1294
PLAT1295
PLAT1296
PLAT1297
PLAT1298
PLAT1299
PLAT1300
PLAT1301
PLAT1302
PLAT1303
PLAT1304
PLAT1305
PLAT1306
PLAT1307
PLAT1308
PLAT1309
PLAT1310
PLAT1311
PLAT1312
PLAT1313
PLAT1314
PLAT1315
PLAT1316
PLAT1317
PLAT1318
PLAT1319
PLAT1320
PLAT1321
PLAT1322
PLAT1323
PLAT1324
PLAT1325
PLAT1326

	AX(1)=(L-1)/FIX)*X	PLAT1327
1	CONTINUE	PLAT1328
	IF (NSETUP.NE.1) GO TO 2	PLAT1329
	THET=(L-1)*PI2/FIX	PLAT1330
	AX(1)=0.85*X*COS(THET)	PLAT1331
	AY(1)=0.85*Y*SIN(THET)	PLAT1332
2	CONTINUE	PLAT1333
	DO J K=1,999	PLAT1334
	I=(AX(K)/X)*(AINCX-1.)+2.	PLAT1335
	J=(AY(K)/Y)*(AINCY-1.)+2.	PLAT1336
	X3=(I-2)*DELX	PLAT1337
	X2=(I-1)*DELX	PLAT1338
	Y3=(J-2)*DELY	PLAT1339
	Y2=(J-1)*DELY	PLAT1340
	CALL READEC (AJH(I-1),AJHQ(I-1,J),2)	PLAT1341
	CALL READEC (AJV(2),AJVQ(I,J),1)	PLAT1342
	CALL READEC (AJV(1),AJVQ(I,J-1),1)	PLAT1343
	CURH=AJH(I)*(X2-AX(K))/DELX+AJH(I-1)*(AX(K)-X3)/DELX	PLAT1344
	CURV=AJV(2)*(Y2-AY(K))/DELY+AJV(1)*(AY(K)-Y3)/DELY	PLAT1345
	CUR=SQRT(CURH*CURH+CURV*CURV)	PLAT1346
	IF (CUR.LE.1.0) GO TO 4	PLAT1347
	AX(K+1)=AX(K)-AINCR*CURV/CUR	PLAT1348
	AY(K+1)=AY(K)-AINCR*CURH/CUR	PLAT1349
	N=K	PLAT1350
	IF (AX(K+1).LT.0.0.OR.AX(K+1).GT.XMX.OR.AY(K+1).LT.0.0.OR.AY(K+1).	PLAT1351
	1GT.YMX) GO TO 4	PLAT1352
3	CONTINUE	PLAT1353
4	CONTINUE	PLAT1354
	CALL LINPLOT (AX,AY,N,XMX,XMN,YMX,YMN)	PLAT1355
	CALL LINPLOT (AX,AY,N,XMX,XMN,YMX,YMN)	PLAT1356
5	CONTINUE	PLAT1357
	CALL FRAME	PLAT1358
6	CONTINUE	PLAT1359
	RETURN	PLAT1360
C		PLAT1361
C		PLAT1362
7	FORMAT (A5,1PE11.2,A4)	PLAT1363
	END	PLAT1364

SUBROUTINE UNWIND

COMMON X, R1, V0, INCX, NOIST1, DIST0, RESIS, AJV(26), PLAT1365
 1 Y, R2, CT, INCY, NOIST2, INCX0, KSENS4, AJH(26), PLAT1366
 2 K, R3, ALT, AINCX, NOIST3, TSTOP, NSETUP, V(26), PLAT1368
 3 T, R4, NT, AINCY, NOIST4, TEDIT, NSETUP2, C(26), PLAT1370
 4 AK, RAD, ALN, INC1, DIST1, DELED, NSETUP3, V1(26), PLAT1371
 5 DELT, AL1, ALQ, INCY1, DIST2, TEDIT2, NSETUP4, AL(26), PLAT1372
 6 KSEN, AL2, ANU, DELX, DIST3, NPOSX1, NSETUP5, WA(26,26), PLAT1373
 7 NCAP, N100, NZAP, DELY, DIST4, NPOSX2, III(10), WB(26,26), PLAT1374
 8 XI(100), YI(100), AT(1), CTRAC(1), CTR1(1), CTR2(1) PLAT1375

DIMENSION AJVQ(26,26), AJHQ(26,26), VQ(26,26), CQ(26,26),
 1 ALQQ(25,26) PLAT1376

LEVEL 3, AJVQ, AJHQ, VQ, CQ, ALQQ PLAT1377

COMMON /ECS1/ AJVQ PLAT1378
 COMMON /ECS2/ AJHQ PLAT1379
 COMMON /ECS3/ VQ PLAT1380
 COMMON /ECS4/ CQ PLAT1381
 COMMON /ECS5/ ALQQ PLAT1382

COMMON DELPHI(500), CUR(500), THETA(501), CURAV(500)
 DIMENSION DELPHIA(500) PLAT1383

C
 C
 C
 C
 C

THIS SUBROUTINE COMPUTES THE RELATIVE CURRENT DENSITY CROSSING
 AN ARC OUTSIDE THE LOAD AND IT PLOTS CURRENT VERSUS THETA
 (IN RADIAN). IT THEN PLOTS PHI VERSUS THETA, WHERE PHI IS THE
 ANGLE BETWEEN THE CURRENT VECTOR AND THE NEGATIVE RADIUS VECTOR. PLAT1384

EQUIVALENCE (CURAV(1), DELPHIA(1)) PLAT1385

PI2=3.1415926535/2.0 PLAT1386

THETA(1)=0.0 PLAT1387

N=500 PLAT1388

AN=N PLAT1389

XX=PI2 PLAT1400

XMN=0. PLAT1401

ZMX=.50 PLAT1402

ZMN=-ZMX PLAT1403

DO 10 LM=1,20 PLAT1404

RAZ=R1*0.02*LM*Y PLAT1405

DO 3 K=1,N PLAT1406

AY=RAZ*SIN(THETA(K)) PLAT1407

AX=RAZ*COS(THETA(K)) PLAT1408

IF (NSETUP.NE.2) GO TO 1 PLAT1409

AY=THETA(K) PLAT1410

AX=RAZ PLAT1411

CONTINUE PLAT1412

I=(AX/X)*(AINCX-1.)*2. PLAT1413

J=(AY/Y)*(AINCY-1.)*2. PLAT1414

A0=(I-2)*DELX PLAT1415

A2=(I-1)*DELX PLAT1416

Y0=(J-2)*DELY PLAT1417

	Y2=(J-1)*DELY	PLAT1419
	CALL READEC (AJH(I-1),AJMO(I-1,J),2)	PLAT1420
	CALL READEC (AJV(2),AJVO(I,J),1)	PLAT1421
	CALL READEC (AJV(1),AJVO(I,J-1),1)	PLAT1422
	CURH=AJH(I)*(X2-AX)/DELX+AJH(I-1)*(AX-X0)/DELX	PLAT1423
	CURV=AJV(2)*(Y2-AY)/DELY+AJV(1)*(AY-Y0)/DELY	PLAT1424
	CUR(K)=SQRT(CURH*CURH+CURV*CURV)	PLAT1425
	IF (CUR(K).LE.0.) PHI=0.	PLAT1426
	IF (CUR(K).LE.0.) GO TO 2	PLAT1427
	PHI=ACOS(CURV/CUR(K))	PLAT1428
2	CONTINUE	PLAT1429
	DELPHI(K)=PHI-THETA(K)	PLAT1430
	IF (K.EQ.1) YMN=YMX=CUR(K)	PLAT1431
	YMN=AMIN1(YMN,CUR(K))	PLAT1432
	YMN=0.0	PLAT1433
	YMX=AMAX1(YMX,CUR(K))	PLAT1434
	THETA(K+1)=THETA(K)+PI2/AN	PLAT1435
	IF (NSETUP.EQ.2) THETA(K+1)=K*Y/AN	PLAT1436
3	CONTINUE	PLAT1437
	IF (LM.NE.2) GO TO 4	PLAT1438
	CALL GRID0 (XMX,XMN,YMX,YMN,XMX,XMN,YMX,YMN,10,10,1.0,5,7,THETA,5,7)	PLAT1439
	I(CURRENT,7)	PLAT1440
	CALL LINPLOT (THETA,CUR,N,XMX,XMN,YMX,YMN)	PLAT1441
	CALL LINPLOT (THETA,CUR,N,XMX,XMN,YMX,YMN)	PLAT1442
	CALL FRAME	PLAT1443
4	CONTINUE	PLAT1444
	CUR(1)=CUR(2)	PLAT1445
	NN=51	PLAT1446
	DO 6 K=1,N	PLAT1447
	LL=K-1-NN/2	PLAT1448
	IF (LL.LT.0) CURAV(K)=CUR(-LL)	PLAT1449
	IF (LL.EQ.0) CURAV(K)=CUR(1)	PLAT1450
	IF (LL.GT.0) CURAV(K)=CUR(LL)	PLAT1451
	DO 5 I=2,NN	PLAT1452
	KK=I+K-2-NN/2	PLAT1453
	KKK=-KK	PLAT1454
	IF (KK.LT.0) CURSE=CUR(KKK)	PLAT1455
	IF (KK.EQ.0) CURSE=CUR(1)	PLAT1456
	IF (KK.GT.500) CURSE=CUR(2*N-KK)	PLAT1457
	IF (KK.GE.1.AND.KK.LE.500) CURSE=CUR(KK)	PLAT1458
5	CURAV(K)=CURAV(K)+CURSE	PLAT1459
6	CURAV(K)=CURAV(K)/NN	PLAT1460
	CURMX=CURMN=CURAV(1)	PLAT1461
	CURX=CURN=CUR(10)	PLAT1462
	DO 7 K=2,N	PLAT1463
	CURMX=AMAX1(CURAV(K),CURMX)	PLAT1464
	CURMN=AMIN1(CURAV(K),CURMN)	PLAT1465
	CURX=AMAX1(CUR(K),CURX)	PLAT1466
	CURN=AMIN1(CUR(K),CURN)	PLAT1467
7	CONTINUE	PLAT1468
	DEVIATE=(CURMX-CURMN)*200./(CURMX+CURMN)	PLAT1469
	DEV2=(CURX-CURN)*200./(CURX+CURN)	PLAT1470
	PRINT 11, R1,R2,RAZ	PLAT1471
	PRINT 12, DEVIATE,DEV2	PLAT1472

```

IF (LM.NE.2) GO TO 10
CALL GRIDQ (XMX,XMN,YMX,YMN,XMX,XMN,YMX,YMN,10,10,1,0,5,SMTHETA,5,5) PLAT1473
1 CURAV,5) PLAT1474
CALL LINPLOT (THETA,CURAV,N,XMX,XMN,YMX,YMN) PLAT1475
CALL LINPLOT (THETA,CURAV,N,XMX,XMN,YMX,YMN) PLAT1476
CALL FRAME PLAT1477
NN=50 PLAT1478
M=N-NN PLAT1479
DO 9 K=1,M PLAT1480
DELPHIA(K)=DELPHI(K) PLAT1481
DO 8 I=2,NN PLAT1482
8 DELPHIA(K)=DELPHIA(K)+DELPHI(K*I-1) PLAT1483
9 DELPHIA(K)=DELPHIA(K)/NN PLAT1484
CALL GRIDQ (XMX,XMN,ZMX,ZMN,XMX,XMN,ZMX,ZMN,10,10,1,0,5,SMTHETA,5,7) PLAT1485
1 DELPHIA,7) PLAT1486
CALL LINPLOT (THETA,DELPHIA,M,XMX,XMN,ZMX,ZMN) PLAT1487
CALL LINPLOT (THETA,DELPHIA,M,XMX,XMN,ZMX,ZMN) PLAT1488
CALL FRAME PLAT1489
CALL GRIDQ (XMX,XMN,ZMX,ZMN,XMX,XMN,ZMX,ZMN,10,10,1,0,5,SMTHETA,5,6) PLAT1490
1 DELPHI,6) PLAT1491
CALL LINPLOT (THETA,DELPHI,N,XMX,XMN,ZMX,ZMN) PLAT1492
CALL LINPLOT (THETA,DELPHI,M,XMX,XMN,ZMX,ZMN) PLAT1493
CALL FRAME PLAT1494
10 CONTINUE PLAT1495
RETURN PLAT1496
C PLAT1497
C PLAT1498
11 FORMAT (10X,5M1 = ,E10,3,7M R2 = ,E10,3,8M RAD = ,E10,3) PLAT1499
12 FORMAT (10X,37M PERCENT THETA VARIATION OF CURRENT = ,F10,2,9M DEV PLAT1500
12 = ,F10,2,/) PLAT1501
END PLAT1502
PLAT1503

```

```
      SUBROUTINE LINPLOT (A,B,N,AMAX,AMIN,BMAX,BMIN)
      DIMENSION A(1), B(1)
C
C   THIS SUBROUTINE PLOTS DATA ON MICROFILM.
C
      CALL SMAPX (AMIN,AMAX,0.079,0.979)
      CALL SMAPY (BMIN,BMAX,0.079,0.979)
      CALL SVTRS (A,B,N)
      RETURN
      END
```

```
PLAT1504
PLAT1505
PLAT1506
PLAT1507
PLAT1508
PLAT1509
PLAT1510
PLAT1511
PLAT1512
PLAT1513
```

APPENDIX F
SAMPLE OUTPUT

The input for the second example in Section IV produced the printed output that is listed on the following pages. When variable names are used, they correspond to the same variables in the code. The definitions of most of these variables can be found in the list of variables in Appendix A.

[Faint, illegible text, likely a sample output or code listing, is present in this area.]

SSSS TWO SIDED TRANSMISSION PLATE YSSSS

1.40E-01 1.40E-01 1.00E-01 0. 2.00E+00 3.00E+00 0. 0.
 6.00E-01 6.00E-01 1.00E+05 5.55E-06 2.40E-08 1.60E-01 1.00E-01 1.00E-01
 6.00E-07 0. 5.50E-01 0. 0. 0.
 TEDIT = 40.E-09 WLEN = 70.E-09 TEDIT2 = 10.E-09

R1 = 1.40000E-01 R2 = 1.40000E-01 RAD = 1.00000E-01 R3 = 0.

NSETUP = 3 NSETUP2 = 0 NSETUP3 = 0

A = 6.00000E-01 Y = 6.00000E-01 FACTOR1 = 1.00000E-01 FACTOR2 = 1.00000E-01 EN = 2.00000E+00

VO = 1.00000E+05 CI = 5.55000E-06 ALT = 2.40000E-08 CLENGTH = 1.60000E-01

TSTOP = 6.00000E-07 AHT = 1.00000E+04 AINCA = 6.00000E+01 AINCY = 6.00000E+01

DIST1 = 0. DIST2 = 0. DIST3 = 0. DIST4 = 0. DIST5 = 0. UST0 = 5.50000E-01

AMUO = 1.256637E-06 EPS10 = 0.054333E-12 EPS1 = 2.479213E-11

NPOSX1 = 0 NPOSX2 = 0

INCA = 6.00000E+01 INCY = 6.00000E+01 INCH = 1.40000E+04 X,Y PLATE DIMENSIONS = 6.00000E-01 X 6.00000E-01

CHARACTERISTICS OF ONE-HALF OF A MODULE ARE 1.00000E+05 VOLTS 5.55000E-06 FARADS AND 2.40000E-08 HENRIES

CHARACTERISTICS OF THE TRANSMISSION PLATE ELEMENTS ARE 1.70000E-12 FARADS 1.004956E-09 HENRIES,

CHARACTERISTICS OF EACH MESH POINT THAT SERVES AS A BREAKDOWN POINT ARE 3.960206E-07 FARADS 3.36000E-07 HENRIES.

CHARACTERISTICS OF EACH MESH POINT THAT SERVES AS A SINK ARE 1.70000E-04 FARADS 1.004956E-09 HENRIES.

DELTA = 1.703245E-11 DELA = 1.016949E-02 DELY = 1.016949E-02 DELZ = 1.50000E-03 FRACTIONAL MESH SIZE = 1.40000E-01

1	21	36	36	0
1	26	37	37	0
1	19	38	38	0
1	18	39	39	0
1	17	40	40	0
1	16	41	41	0
1	15	42	42	0
1	14	43	43	0
1	13	44	44	0
1	12	45	45	0
1	11	46	46	0
1	10	47	47	0
1	9	48	48	0
1	8	49	49	0
1	7	50	50	0
1	6	51	51	0
1	5	52	52	0
1	4	53	53	0
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TIME AFTER INITIATION = 4.00100150E-08

PARTIAL VERTICAL CURRENT ARRAY

	1.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-1.70E-30	8.25E-15	8.91E+03	6.60E+03	5.95E+03	5.90E+03	9.16E+03	1.49E+04	1.08E+04
-9.69E-17	8.24E-07	6.93E+03	6.06E+03	5.60E+03	5.60E+03	8.36E+03	3.79E+03	1.06E+04
-1.02E+02	2.90E+03	4.31E+03	4.66E+03	4.74E+03	5.00E+03	1.35E+03	2.86E+03	1.07E+04
-7.29E+02	1.50E+03	2.72E+03	3.24E+03	3.40E+03	1.82E+03	1.32E+03	1.67E+03	0.
-7.84E+01	9.70E+02	1.77E+03	2.21E+03	2.27E+03	1.81E+03	1.39E+03	1.05E+03	0.
-5.10E+01	6.38E+02	1.18E+03	1.51E+03	1.57E+03	1.39E+03	1.09E+03	7.50E+02	0.
-3.55E+01	4.44E+02	8.33E+02	1.00E+03	1.16E+03	1.09E+03	8.69E+02	5.75E+02	0.
-2.67E+01	3.36E+02	6.41E+02	8.42E+02	9.15E+02	8.05E+02	7.09E+02	4.73E+02	0.
-2.23E+01	2.80E+02	5.55E+02	7.34E+02	8.01E+02	7.65E+02	6.28E+02	4.24E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-7.30E-39	-1.15E-16	-1.95E+02	-8.62E+01	-1.66E+01	2.08E+02	2.95E+02	7.45E+02	0.
4.93E-15	8.14E-07	2.80E+03	9.84E+02	1.79E+02	-2.64E+03	-3.51E+03	2.01E+03	0.
6.44E+03	5.31E+03	3.43E+03	1.30E+03	1.23E+02	-5.44E+03	3.30E+01	-6.40E+02	0.
4.80E+03	3.49E+03	2.34E+03	1.00E+03	-2.33E+02	-2.95E+03	-1.03E+03	-1.55E+03	0.
2.53E+03	2.28E+03	1.63E+03	7.85E+02	-1.47E+02	-8.95E+02	-1.07E+03	-1.30E+03	0.
1.62E+03	1.48E+03	1.09E+03	5.59E+02	-6.11E+00	-4.60E+02	-7.62E+02	-9.94E+02	0.
9.97E+02	9.15E+02	6.91E+02	3.75E+02	-2.64E+02	-2.64E+02	-4.96E+02	-6.61E+02	0.
5.46E+02	4.94E+02	3.83E+02	2.20E+02	3.56E+01	-1.37E+02	-2.77E+02	-3.75E+02	0.
1.84E+02	1.71E+02	1.30E+02	7.53E+01	1.40E+01	-4.64E+01	-9.66E+01	-1.33E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

4.03E-03	5.66E-16	1.90E+02	9.22E+02	2.30E+03	3.72E+03	4.08E+03	4.36E+03	9.95E+04
3.43E-16	4.08E-08	6.73E+01	8.83E+02	2.38E+03	3.65E+03	3.94E+03	4.38E+03	9.95E+04
2.85E+02	3.48E+02	3.53E+02	9.23E+02	2.21E+03	3.41E+03	3.65E+03	3.87E+03	9.95E+04
9.30E+02	8.23E+02	6.99E+02	9.60E+02	1.67E+03	2.76E+03	2.94E+03	3.13E+03	0.
1.18E+03	9.51E+02	8.49E+02	8.32E+02	1.12E+03	1.66E+03	2.01E+03	2.44E+03	0.
8.44E+02	7.89E+02	6.98E+02	6.44E+02	7.99E+02	1.20E+03	1.57E+03	1.75E+03	0.
1.72E+02	2.38E+02	3.40E+02	3.77E+02	5.91E+02	1.16E+03	1.37E+03	1.33E+03	0.
-3.91E+02	-4.07E+02	-1.02E+02	2.07E+02	6.15E+02	7.41E+02	8.43E+02	8.34E+02	0.
-1.10E+03	-8.87E+02	-6.37E+02	2.91E+01	5.57E+02	7.53E+02	7.15E+02	3.36E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 RAD = .152E+00
 PERCENT THETA VARIATION OF CURRENT = 33.79 DEV2 = 39.34

R1 = .140E+00 R2 = .140E+00 RAD = .164E+00
 PERCENT THETA VARIATION OF CURRENT = 39.90 DEV2 = 42.52

R1 = .140E+00 R2 = .140E+00 RAD = .176E+00
 PERCENT THETA VARIATION OF CURRENT = 40.50 DEV2 = 45.00

R1 = .140E+00 R2 = .140E+00 RAD = .188E+00
 PERCENT THETA VARIATION OF CURRENT = 43.82 DEV2 = 46.60

R1 = .140E+00 R2 = .140E+00 MAD = .200E+00 DEV2 = 50.24
 PERCENT THETA VARIATION OF CURRENT = 47.41

R1 = .140E+00 R2 = .140E+00 MAD = .212E+00 DEV2 = 53.15
 PERCENT THETA VARIATION OF CURRENT = 51.00

R1 = .140E+00 R2 = .140E+00 MAD = .224E+00 DEV2 = 60.59
 PERCENT THETA VARIATION OF CURRENT = 56.40

R1 = .140E+00 R2 = .140E+00 MAD = .236E+00 DEV2 = 64.10
 PERCENT THETA VARIATION OF CURRENT = 62.40

R1 = .140E+00 R2 = .140E+00 MAD = .248E+00 DEV2 = 68.33
 PERCENT THETA VARIATION OF CURRENT = 66.93

R1 = .140E+00 R2 = .140E+00 MAD = .260E+00 DEV2 = 73.09
 PERCENT THETA VARIATION OF CURRENT = 71.54

R1 = .140E+00 R2 = .140E+00 MAD = .272E+00 DEV2 = 77.76
 PERCENT THETA VARIATION OF CURRENT = 76.14

R1 = .140E+00 R2 = .140E+00 MAD = .284E+00 DEV2 = 82.69
 PERCENT THETA VARIATION OF CURRENT = 80.78

R1 = .140E+00 R2 = .140E+00 MAD = .296E+00 DEV2 = 90.62
 PERCENT THETA VARIATION OF CURRENT = 90.05

R1 = .140E+00 R2 = .140E+00 MAD = .308E+00 DEV2 = 95.67
 PERCENT THETA VARIATION OF CURRENT = 94.86

R1 = .140E+00 R2 = .140E+00 MAD = .320E+00 DEV2 = 100.64
 PERCENT THETA VARIATION OF CURRENT = 99.70

R1 = .140E+00 R2 = .140E+00 MAD = .332E+00 DEV2 = 105.46
 PERCENT THETA VARIATION OF CURRENT = 104.54

R1 = .140E+00 R2 = .140E+00 MAD = .344E+00 DEV2 = 110.14
 PERCENT THETA VARIATION OF CURRENT = 109.42

R1 = .140E+00 R2 = .140E+00 MAD = .356E+00 DEV2 = 124.42
 PERCENT THETA VARIATION OF CURRENT = 116.53

R1 = .140E+00 R2 = .140E+00 MAD = .368E+00 DEV2 = 134.19
 PERCENT THETA VARIATION OF CURRENT = 130.78

R1 = .140E+00 R2 = .140E+00 MAD = .380E+00 DEV2 = 143.58
 PERCENT THETA VARIATION OF CURRENT = 138.37

TIME AFTER INITIATION = 6.00661991E-08

PARTIAL VERTICAL CURRENT ARRAY

1.60E+00	8.00E+00	1.50E+01	2.20E+01	2.40E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-8.97E-34	2.46E-12	1.32E+04	9.90E+03	8.81E+03	8.85E+03	1.37E+04	2.22E+04	1.61E+04
-3.08E-14	4.18E-05	1.03E+04	8.87E+03	8.29E+03	8.44E+03	1.25E+04	5.66E+03	1.59E+04
-2.68E+02	4.28E+03	6.40E+03	6.82E+03	7.02E+03	7.55E+03	1.25E+04	4.27E+03	1.60E+04
-1.92E+02	2.34E+03	4.93E+03	4.83E+03	5.12E+03	2.72E+03	1.98E+03	2.48E+03	0.
-1.15E+01	1.43E+03	2.62E+03	3.27E+03	3.31E+03	2.70E+03	1.97E+03	1.55E+03	0.
-7.42E+01	9.39E+02	1.70E+03	2.24E+03	2.34E+03	2.07E+03	1.62E+03	1.11E+03	0.
-5.18E+01	6.56E+02	1.24E+03	1.61E+03	1.72E+03	1.59E+03	1.24E+03	8.53E+02	0.
-3.93E+01	5.08E+02	9.52E+02	1.25E+03	1.36E+03	1.28E+03	1.05E+03	7.03E+02	0.
-3.37E+01	4.28E+02	8.25E+02	1.09E+03	1.19E+03	1.14E+03	9.41E+02	6.33E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-4.93E-34	-3.55E-14	-2.88E+02	-1.31E+02	-2.42E+01	3.24E+02	4.50E+02	1.11E+03	0.
1.63E-12	4.14E-05	4.13E+03	1.45E+03	2.54E+02	-4.10E+03	-5.33E+03	2.98E+03	0.
9.46E+03	7.82E+03	4.45E+03	1.89E+03	1.56E+02	-8.22E+03	1.57E+01	-9.93E+02	0.
3.71E+03	3.33E+03	2.36E+03	1.54E+03	-3.92E+02	-4.43E+03	-1.57E+03	-2.35E+03	0.
2.35E+03	2.14E+03	1.57E+03	7.89E+02	-2.65E+02	-1.37E+03	-1.63E+03	-2.10E+03	0.
1.44E+03	1.32E+03	9.87E+02	5.20E+02	-4.88E+01	-7.46E+02	-1.19E+03	-1.54E+03	0.
7.88E+02	7.16E+02	5.44E+02	2.94E+02	1.39E+01	-4.34E+02	-7.74E+02	-1.01E+03	0.
2.68E+02	2.44E+02	1.86E+02	1.06E+02	2.16E+01	-2.29E+02	-4.29E+02	-5.69E+02	0.
0.	0.	0.	0.	1.04E+01	-7.71E+01	-1.44E+02	-2.00E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

3.53E-38	1.07E-13	6.93E+02	2.79E+03	4.33E+03	5.77E+03	5.97E+03	6.45E+03	9.88E+04
1.19E-14	1.31E+06	1.17E+03	3.06E+03	4.47E+03	5.70E+03	5.82E+03	6.25E+03	9.88E+04
3.03E+02	8.05E+02	2.11E+03	3.50E+03	4.70E+03	5.49E+03	5.58E+03	6.13E+03	9.88E+04
1.19E+03	1.56E+03	2.65E+03	3.74E+03	4.74E+03	5.38E+03	5.69E+03	5.94E+03	0.
1.67E+03	2.98E+03	3.65E+03	3.86E+03	4.57E+03	5.22E+03	5.79E+03	5.96E+03	0.
2.26E+03	2.57E+03	3.34E+03	3.78E+03	4.42E+03	5.22E+03	5.54E+03	5.80E+03	0.
3.44E+03	3.49E+03	3.54E+03	3.67E+03	3.98E+03	4.40E+03	4.75E+03	4.80E+03	0.
4.25E+03	4.26E+03	3.80E+03	3.61E+03	3.78E+03	3.96E+03	4.33E+03	4.63E+03	0.
4.18E+03	4.11E+03	3.56E+03	3.91E+03	3.95E+03	4.07E+03	4.57E+03	4.95E+03	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 RAD = .152E+00 DEV2 = 40.00
 PERCENT THETA VARIATION OF CURRENT = 34.51

R1 = .140E+00 R2 = .140E+00 RAD = .164E+00 DEV2 = 43.27
 PERCENT THETA VARIATION OF CURRENT = 40.64

R1 = .140E+00 R2 = .140E+00 RAD = .176E+00 DEV2 = 45.72
 PERCENT THETA VARIATION OF CURRENT = 41.22

R1 = .140E+00 R2 = .140E+00 RAD = .188E+00 DEV2 = 47.31
 PERCENT THETA VARIATION OF CURRENT = 44.55

R1 = .140E+00 R2 = .140E+00 MAD = .200E+00
 PERCENT THETA VARIATION OF CURRENT = 48.16 DEVT = 50.96

 R1 = .140E+00 R2 = .140E+00 MAD = .212E+00
 PERCENT THETA VARIATION OF CURRENT = 51.86 DEVT = 53.91

 R1 = .140E+00 R2 = .140E+00 MAD = .224E+00
 PERCENT THETA VARIATION OF CURRENT = 57.17 DEVT = 61.36

 R1 = .140E+00 R2 = .140E+00 MAD = .236E+00
 PERCENT THETA VARIATION OF CURRENT = 63.16 DEVT = 64.88

 R1 = .140E+00 R2 = .140E+00 MAD = .248E+00
 PERCENT THETA VARIATION OF CURRENT = 67.72 DEVT = 69.16

 R1 = .140E+00 R2 = .140E+00 MAD = .260E+00
 PERCENT THETA VARIATION OF CURRENT = 72.36 DEVT = 73.95

 R1 = .140E+00 R2 = .140E+00 MAD = .272E+00
 PERCENT THETA VARIATION OF CURRENT = 77.02 DEVT = 78.66

 R1 = .140E+00 R2 = .140E+00 MAD = .284E+00
 PERCENT THETA VARIATION OF CURRENT = 81.72 DEVT = 83.62

 R1 = .140E+00 R2 = .140E+00 MAD = .296E+00
 PERCENT THETA VARIATION OF CURRENT = 91.22 DEVT = 91.79

 R1 = .140E+00 R2 = .140E+00 MAD = .308E+00
 PERCENT THETA VARIATION OF CURRENT = 96.15 DEVT = 96.96

 R1 = .140E+00 R2 = .140E+00 MAD = .320E+00
 PERCENT THETA VARIATION OF CURRENT = 101.08 DEVT = 101.99

 R1 = .140E+00 R2 = .140E+00 MAD = .332E+00
 PERCENT THETA VARIATION OF CURRENT = 105.97 DEVT = 106.65

 R1 = .140E+00 R2 = .140E+00 MAD = .344E+00
 PERCENT THETA VARIATION OF CURRENT = 110.88 DEVT = 111.51

 R1 = .140E+00 R2 = .140E+00 MAD = .356E+00
 PERCENT THETA VARIATION OF CURRENT = 118.04 DEVT = 126.38

 R1 = .140E+00 R2 = .140E+00 MAD = .368E+00
 PERCENT THETA VARIATION OF CURRENT = 132.38 DEVT = 136.10

 R1 = .140E+00 R2 = .140E+00 MAD = .380E+00
 PERCENT THETA VARIATION OF CURRENT = 140.27 DEVT = 145.28

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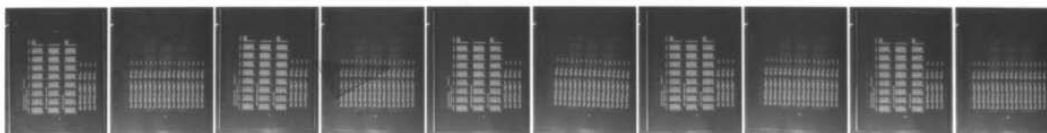
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NATIONAL BUREAU OF STANDARDS-1963-A

TIME AFTER INITIATION = 4.001419764-08

PARTIAL VERTICAL CURRENT ARRAY

	1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-1.77E-20	1.24E-10	1.73E+04	1.29E+06	1.85E+04	1.10E+04	1.10E+04	1.79E+04	2.92E+04	2.15E+04
-1.50E-12	6.10E-04	1.34E+04	1.10E+04	1.00E+04	1.10E+04	1.10E+04	1.64E+04	7.50E+03	2.11E+04
-3.51E+02	5.64E+03	0.37E+03	0.91E+03	9.17E+03	9.95E+03	9.95E+03	2.60E+03	5.66E+03	2.13E+04
-2.51E+02	3.04E+03	5.27E+03	6.31E+03	6.75E+03	3.55E+03	3.55E+03	2.62E+03	3.26E+03	0.
-1.51E+02	1.80E+03	3.43E+03	4.20E+03	4.40E+03	3.53E+03	3.53E+03	2.59E+03	2.46E+03	0.
-9.70E+01	1.23E+03	2.30E+03	2.94E+03	3.00E+03	2.71E+03	2.71E+03	2.12E+03	1.46E+03	0.
-6.70E+01	0.53E+02	1.62E+03	2.11E+03	2.26E+03	2.00E+03	2.00E+03	1.60E+03	1.12E+03	0.
-5.03E+01	6.43E+02	1.24E+03	1.63E+03	1.70E+03	1.59E+03	1.59E+03	1.34E+03	9.19E+02	0.
-4.31E+01	5.51E+02	1.07E+03	1.41E+03	1.50E+03	1.50E+03	1.50E+03	1.24E+03	0.27E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

	1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-1.00E-30	-1.01E-12	-3.70E+02	-1.70E+02	-3.22E+01	4.20E+02	4.20E+02	5.84E+02	1.45E+03	0.
0.51E-11	0.04E-04	5.41E+03	1.89E+03	3.30E+02	-5.29E+03	-5.29E+03	-0.93E+03	3.95E+03	0.
1.24E+04	1.02E+04	5.82E+03	2.40E+03	2.11E+02	-1.00E+04	-1.00E+04	5.13E+01	-1.29E+03	0.
7.60E+03	6.60E+03	4.46E+03	2.03E+03	-4.97E+02	-5.73E+03	-5.73E+03	-2.02E+03	-3.07E+03	0.
4.85E+03	4.36E+03	3.10E+03	1.47E+03	-3.32E+02	-1.70E+03	-1.70E+03	-2.13E+03	-2.75E+03	0.
3.10E+03	2.82E+03	2.07E+03	1.04E+03	-4.73E+01	-9.40E+02	-9.40E+02	-1.53E+03	-2.00E+03	0.
1.02E+03	1.76E+03	1.32E+03	7.00E+02	3.40E+01	-5.41E+02	-5.41E+02	-0.07E+02	-1.31E+03	0.
1.04E+03	9.76E+02	7.39E+02	4.00E+02	2.50E+01	-2.00E+02	-2.00E+02	-0.47E+02	-7.31E+02	0.
3.57E+02	3.31E+02	2.54E+02	1.47E+02	0.	-9.41E+01	-9.41E+01	-1.00E+02	-2.53E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

	1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
9.00E-35	3.94E-12	1.65E+03	4.00E+03	6.34E+03	7.94E+03	7.94E+03	0.00E+03	0.29E+03	9.70E+04
2.74E-12	1.40E-05	1.60E+03	4.13E+03	6.43E+03	0.12E+03	0.12E+03	0.16E+03	0.46E+03	9.79E+04
9.00E+02	1.45E+03	2.96E+03	4.76E+03	6.50E+03	0.34E+03	0.34E+03	0.41E+03	9.14E+03	9.70E+04
3.30E+03	3.55E+03	4.20E+03	5.10E+03	6.40E+03	0.01E+03	0.01E+03	0.27E+03	0.92E+03	0.
4.91E+03	4.89E+03	5.42E+03	5.73E+03	6.00E+03	7.02E+03	7.02E+03	0.52E+03	0.97E+03	0.
5.93E+03	6.10E+03	6.37E+03	6.03E+03	7.22E+03	0.10E+03	0.10E+03	0.00E+03	9.10E+03	0.
7.21E+03	7.24E+03	7.00E+03	7.00E+03	7.53E+03	0.01E+03	0.01E+03	0.50E+03	0.77E+03	0.
7.95E+03	7.73E+03	7.60E+03	7.60E+03	7.70E+03	0.27E+03	0.27E+03	0.46E+03	0.66E+03	0.
0.12E+03	0.04E+03	0.00E+03	7.94E+03	0.13E+03	0.53E+03	0.53E+03	0.40E+03	0.50E+03	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 RAD = .152E+00
 PERCENT THETA VARIATION OF CURRENT = 34.51 DEV2 = 40.00

R1 = .166E+00 R2 = .166E+00 RAD = .169E+00
 PERCENT THETA VARIATION OF CURRENT = 40.64 DEV2 = 43.27

R1 = .140E+00 R2 = .140E+00 RAD = .176E+00
 PERCENT THETA VARIATION OF CURRENT = 41.22 DEV2 = 45.71

R1 = .140E+00 R2 = .140E+00 RAD = .180E+00
 PERCENT THETA VARIATION OF CURRENT = 44.53 DEV2 = 47.29

R1 =	.1467.00	R2 =	.140E+00	RAD =	.2001.00		50.00
	PERCENT INETA VARIATION OF CURRENT =				48.12	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.212.00		53.74
	PERCENT INETA VARIATION OF CURRENT =				51.77	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.224.00		61.26
	PERCENT INETA VARIATION OF CURRENT =				57.67	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.236.00		64.71
	PERCENT INETA VARIATION OF CURRENT =				62.99	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.248.00		68.00
	PERCENT INETA VARIATION OF CURRENT =				67.48	DEV2 =	
R1 =	.140E+00	R2 =	.140E+00	RAD =	.260.00		73.63
	PERCENT INETA VARIATION OF CURRENT =				72.00	DEV2 =	
R1 =	.143E+00	R2 =	.140E+00	RAD =	.272.00		78.33
	PERCENT INETA VARIATION OF CURRENT =				76.71	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.284.00		83.29
	PERCENT INETA VARIATION OF CURRENT =				81.40	DEV2 =	
R1 =	.140E+00	R2 =	.140E+00	RAD =	.296.00		91.40
	PERCENT INETA VARIATION OF CURRENT =				90.82	DEV2 =	
R1 =	.140E+00	R2 =	.140E+00	RAD =	.308.00		96.54
	PERCENT INETA VARIATION OF CURRENT =				95.76	DEV2 =	
R1 =	.1447.00	R2 =	.140E+00	RAD =	.320.00		101.57
	PERCENT INETA VARIATION OF CURRENT =				100.62	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.332.00		106.43
	PERCENT INETA VARIATION OF CURRENT =				105.50	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.344.00		111.12
	PERCENT INETA VARIATION OF CURRENT =				110.36	DEV2 =	
R1 =	.140E+00	R2 =	.140E+00	RAD =	.356.00		125.52
	PERCENT INETA VARIATION OF CURRENT =				117.50	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.368.00		135.13
	PERCENT INETA VARIATION OF CURRENT =				131.85	DEV2 =	
R1 =	.1407.00	R2 =	.140E+00	RAD =	.380.00		144.27
	PERCENT INETA VARIATION OF CURRENT =				139.39	DEV2 =	

TIME AFTER INITIATION = 1.00004373E-17

PARTIAL VERTICAL CURRENT ARRAY

1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-5.07E-20	2.44E-19	2.11E+04	1.50E+04	1.41E+04	1.47E+04	2.23E+04	3.03E+04	2.60E+04
-3.19E-11	4.67E-11	1.60E+04	1.42E+04	1.32E+04	1.35E+04	3.35E+04	7.37E+03	2.63E+04
-4.30E+02	0.00E+00	1.22E+04	1.09E+04	1.17E+04	1.21E+04	3.35E+03	7.04E+03	2.64E+04
-1.03E+02	3.75E+03	0.44E+03	7.72E+03	0.25E+03	4.34E+03	3.24E+03	4.00E+03	0.
-1.19E+02	2.28E+03	4.19E+03	5.24E+03	5.30E+03	4.32E+03	3.10E+03	2.52E+03	0.
-0.34E+01	1.50E+03	2.82E+03	3.60E+03	3.74E+03	3.31E+03	2.60E+03	1.79E+03	0.
-5.33E+01	7.93E+02	1.99E+03	2.50E+03	2.76E+03	2.54E+03	2.05E+03	1.37E+03	0.
0.	6.70E+02	1.30E+03	1.73E+03	1.91E+03	1.83E+03	1.60E+03	1.12E+03	0.
0.	0.	0.	0.	0.	0.	1.51E+03	9.94E+02	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-3.01E-20	-3.60E-11	-4.63E+02	-2.09E+02	-3.97E+01	5.94E+02	7.17E+02	1.00E+03	0.
1.71E-09	4.62E-03	6.62E+03	2.31E+03	4.07E+02	-6.46E+03	-0.52E+03	4.92E+03	0.
1.51E+04	1.25E+04	7.12E+03	3.07E+03	2.49E+02	-1.30E+04	-0.57E+01	-1.01E+03	0.
9.01E+03	0.19E+03	5.45E+03	2.40E+03	-6.11E+02	-7.00E+03	-2.50E+03	-3.02E+03	0.
5.94E+03	5.33E+03	3.80E+03	1.00E+03	-3.94E+02	-2.10E+03	-2.62E+03	-3.91E+03	0.
3.77E+03	3.44E+03	2.53E+03	1.20E+03	-5.40E+01	-1.15E+03	-1.00E+03	-2.64E+03	0.
2.13E+03	2.19E+03	1.60E+03	0.55E+02	4.04E+01	-6.59E+02	-1.20E+03	-1.59E+03	0.
1.29E+03	1.19E+03	0.90E+02	4.90E+02	4.33E+01	-3.01E+02	-0.79E+02	-9.99E+02	0.
4.51E+02	4.14E+02	3.14E+02	1.70E+02	1.46E+01	-1.25E+02	-2.34E+02	-3.22E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

4.20E-32	6.17E-11	1.00E+03	4.74E+03	0.31E+03	1.09E+04	1.13E+04	1.22E+04	9.66E+04
4.33E-11	0.49E-05	2.00E+03	5.07E+03	0.34E+03	1.00E+04	1.13E+04	1.22E+04	9.67E+04
1.09E+03	2.01E+03	3.00E+03	6.04E+03	0.30E+03	1.05E+04	1.11E+04	1.25E+04	9.66E+04
4.05E+03	4.04E+03	5.03E+03	7.00E+03	0.73E+03	1.01E+04	1.09E+04	1.21E+04	0.
5.24E+03	5.93E+03	7.05E+03	0.01E+03	9.04E+03	9.96E+03	1.07E+04	1.14E+04	0.
6.60E+03	6.09E+03	7.01E+03	0.25E+03	9.01E+03	9.77E+03	1.04E+04	1.00E+04	0.
7.01E+03	7.75E+03	0.13E+03	0.50E+03	0.90E+03	9.64E+03	1.01E+04	1.04E+04	0.
8.07E+03	8.24E+03	0.43E+03	0.59E+03	9.00E+03	9.50E+03	9.01E+03	1.00E+04	0.
8.49E+03	0.19E+03	0.20E+03	0.64E+03	9.15E+03	9.53E+03	9.05E+03	1.02E+04	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 MAD = .152E+00
 PERCENT THETA VARIATION OF CURRENT = 34.40 DEV2 = 39.97

R1 = .140E+00 R2 = .140E+00 MAD = .164E+00
 PERCENT THETA VARIATION OF CURRENT = 40.67 DEV2 = 43.25

R1 = .140E+00 R2 = .140E+00 MAD = .174E+00
 PERCENT THETA VARIATION OF CURRENT = 41.19 DEV2 = 45.68

R1 = .140E+00 R2 = .140E+00 MAD = .180E+00
 PERCENT THETA VARIATION OF CURRENT = 44.49 DEV2 = 47.26

R1 = .140E+00 R2 = .140E+00 MAD = .200E+00
 PERCENT THETA VARIATION OF CURRENT = 48.06 DEV2 = 59.06

 R1 = .140E+00 R2 = .140E+00 MAD = .212E+00
 PERCENT THETA VARIATION OF CURRENT = 51.72 DEV2 = 53.77

 R1 = .140E+00 R2 = .140E+00 MAD = .224E+00
 PERCENT THETA VARIATION OF CURRENT = 56.99 DEV2 = 61.19

 R1 = .140E+00 R2 = .140E+00 MAD = .236E+00
 PERCENT THETA VARIATION OF CURRENT = 62.92 DEV2 = 64.00

 R1 = .140E+00 R2 = .140E+00 MAD = .248E+00
 PERCENT THETA VARIATION OF CURRENT = 67.44 DEV2 = 68.09

 R1 = .140E+00 R2 = .140E+00 MAD = .260E+00
 PERCENT THETA VARIATION OF CURRENT = 72.07 DEV2 = 73.67

 R1 = .140E+00 R2 = .140E+00 MAD = .272E+00
 PERCENT THETA VARIATION OF CURRENT = 76.74 DEV2 = 78.39

 R1 = .140E+00 R2 = .140E+00 MAD = .284E+00
 PERCENT THETA VARIATION OF CURRENT = 81.45 DEV2 = 83.37

 R1 = .140E+00 R2 = .140E+00 MAD = .297E+00
 PERCENT THETA VARIATION OF CURRENT = 86.51 DEV2 = 91.40

 R1 = .140E+00 R2 = .140E+00 MAD = .309E+00
 PERCENT THETA VARIATION OF CURRENT = 95.05 DEV2 = 96.67

 R1 = .140E+00 R2 = .140E+00 MAD = .320E+00
 PERCENT THETA VARIATION OF CURRENT = 100.03 DEV2 = 101.74

 R1 = .140E+00 R2 = .140E+00 MAD = .332E+00
 PERCENT THETA VARIATION OF CURRENT = 105.79 DEV2 = 106.63

 R1 = .140E+00 R2 = .140E+00 MAD = .344E+00
 PERCENT THETA VARIATION OF CURRENT = 116.75 DEV2 = 111.34

 R1 = .140E+00 R2 = .140E+00 MAD = .356E+00
 PERCENT THETA VARIATION OF CURRENT = 118.00 DEV2 = 125.96

 R1 = .140E+00 R2 = .140E+00 MAD = .368E+00
 PERCENT THETA VARIATION OF CURRENT = 132.59 DEV2 = 135.54

 R1 = .140E+00 R2 = .140E+00 MAD = .380E+00
 PERCENT THETA VARIATION OF CURRENT = 139.94 DEV2 = 144.67

TIME AFTER INITIATION = 1.20012300E-07

PARTIAL VERTICAL CURRENT ARRAY

1.00E+00	0.00+00	1.56E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-6.66E-26	2.77E-06	2.40E+04	1.06E+04	1.06E+04	1.06E+04	2.65E+04	4.33E+04	3.29E+04
-3.59E-10	2.41E-02	1.93E+04	1.67E+04	1.56E+04	1.60E+04	2.42E+04	1.12E+04	1.14E+04
-5.08E-02	0.04E+03	1.20E+04	1.70E+04	1.13E+04	1.43E+04	3.90E+03	0.43E+03	3.10E+04
-3.61E-02	6.30E+03	7.57E+03	9.09E+03	9.76E+03	5.17E+03	3.46E+03	4.00E+03	0.
-2.15E-02	2.60E+03	4.92E+03	6.17E+03	6.37E+03	5.12E+03	3.70E+03	3.00E+03	0.
-1.08E-02	1.76E+03	3.91E+03	4.29E+03	4.43E+03	3.92E+03	3.00E+03	2.12E+03	0.
-9.87E-01	1.23E+03	2.35E+03	3.00E+03	3.27E+03	3.02E+03	2.43E+03	1.62E+03	0.
-7.62E-01	9.44E+02	1.01E+03	2.30E+03	2.50E+03	2.44E+03	1.94E+03	1.32E+03	0.
-6.54E-01	0.21E+02	1.57E+03	2.00E+03	2.20E+03	2.17E+03	1.70E+03	1.17E+03	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-4.32E-26	-4.05E-10	-5.43E+02	-2.43E+02	-4.41E+01	6.20E+02	0.67E+02	2.15E+03	0.
1.91E-08	2.30E-02	7.75E+03	3.69E+03	4.55E+02	-7.03E+03	-1.03E+04	5.03E+03	0.
1.77E+04	1.44E+04	0.32E+03	3.51E+03	2.92E+02	-1.50E+04	3.73E+01	-1.90E+03	0.
1.10E+04	9.50E+03	6.35E+03	2.05E+03	-7.99E+02	-0.30E+03	-3.04E+03	-4.62E+03	0.
6.91E+03	6.20E+03	4.39E+03	2.04E+03	-5.56E+02	-2.60E+03	-3.10E+03	-4.13E+03	0.
4.26E+03	3.97E+03	2.91E+03	1.44E+03	-1.34E+02	-1.44E+03	-2.30E+03	-2.09E+03	0.
2.66E+03	2.44E+03	1.02E+03	9.54E+02	1.50E+01	-0.26E+02	-1.47E+03	-1.95E+03	0.
1.95E+03	1.34E+03	1.01E+03	5.44E+02	3.22E+01	-4.30E+02	-0.23E+02	-1.10E+03	0.
4.92E+02	4.50E+02	3.53E+02	1.91E+02	1.41E+01	-1.51E+02	-2.06E+02	-3.09E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

5.66E-30	5.60E-10	1.44E+03	6.01E+03	9.90E+03	1.32E+04	1.35E+04	1.37E+04	9.51E+04
4.91E-10	3.64E-04	2.57E+03	6.50E+03	1.01E+04	1.30E+04	1.33E+04	1.30E+04	9.52E+04
1.11E+03	1.97E+03	4.46E+03	7.10E+03	1.01E+04	1.26E+04	1.31E+04	1.40E+04	9.51E+04
3.94E+03	4.54E+03	5.93E+03	7.60E+03	9.70E+03	1.19E+04	1.31E+04	1.00E+04	0.
6.95E+03	6.30E+03	6.00E+03	7.07E+03	9.37E+03	1.09E+04	1.21E+04	1.29E+04	0.
7.33E+03	7.37E+03	7.46E+03	8.24E+03	9.20E+03	1.03E+04	1.11E+04	1.17E+04	0.
7.72E+03	7.90E+03	8.164E+03	8.66E+03	9.30E+03	9.94E+03	1.06E+04	1.00E+04	0.
8.05E+03	8.33E+03	8.60E+03	9.00E+03	9.53E+03	9.75E+03	1.02E+04	1.06E+04	0.
8.47E+03	8.44E+03	8.82E+03	9.24E+03	9.74E+03	1.02E+04	1.07E+04	1.09E+04	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 RAD = .152E+00
 PERCENT THETA VARIATION OF CURRENT = 34.09 DEV2 = 40.37

R1 = .140E+00 R2 = .140E+00 RAD = .164E+00
 PERCENT THETA VARIATION OF CURRENT = 41.10 DEV2 = 43.72

R1 = .140E+00 R2 = .140E+00 RAD = .176E+00
 PERCENT THETA VARIATION OF CURRENT = 41.76 DEV2 = 46.21

R1 = .140E+00 R2 = .140E+00 RAD = .188E+00
 PERCENT THETA VARIATION OF CURRENT = 45.11 DEV2 = 47.03

R1 = .140E+00 R2 = .140E+00 HAU =	.200E+00	51.53
PERCENT THETA VARIATION OF CURRENT =	48.74 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.212E+00	54.50
PERCENT THETA VARIATION OF CURRENT =	52.46 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAU =	.224E+00	62.03
PERCENT THETA VARIATION OF CURRENT =	57.87 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.236E+00	65.60
PERCENT THETA VARIATION OF CURRENT =	63.90 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.248E+00	69.94
PERCENT THETA VARIATION OF CURRENT =	68.50 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.260E+00	74.00
PERCENT THETA VARIATION OF CURRENT =	73.21 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAU =	.272E+00	79.50
PERCENT THETA VARIATION OF CURRENT =	77.95 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.284E+00	84.59
PERCENT THETA VARIATION OF CURRENT =	82.72 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.296E+00	92.00
PERCENT THETA VARIATION OF CURRENT =	92.30 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.308E+00	98.09
PERCENT THETA VARIATION OF CURRENT =	97.28 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.320E+00	103.16
PERCENT THETA VARIATION OF CURRENT =	102.28 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.332E+00	108.04
PERCENT THETA VARIATION OF CURRENT =	107.27 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.344E+00	112.72
PERCENT THETA VARIATION OF CURRENT =	112.23 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.356E+00	127.75
PERCENT THETA VARIATION OF CURRENT =	119.50 DEV2 =	
R1 = .140E+00 R2 = .140E+00 HAD =	.368E+00	137.36
PERCENT THETA VARIATION OF CURRENT =	134.12 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.380E+00	146.39
PERCENT THETA VARIATION OF CURRENT =	141.69 DEV2 =	

TIME AFTER INITIATION = 1.40002555E-07

PARTIAL VERTICAL CURRENT ARRAY

1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-2.12E-24	2.05E-67	2.05E+04	2.14E+04	1.91E+04	1.92E+04	3.06E+04	5.01E+04	3.71E+04
-2.73E-09	9.53E-02	2.21E+04	1.97E+04	1.70E+04	1.83E+04	2.79E+04	1.30E+04	3.65E+04
-5.70E-02	9.20E+03	1.30E+04	1.47E+04	1.52E+04	1.64E+04	4.30E+03	9.74E+03	3.60E+04
-4.14E-02	5.05E+03	0.70E+03	1.04E+04	1.12E+04	5.95E+03	4.44E+03	5.01E+03	0.
-2.40E-02	3.10E+03	5.06E+03	7.16E+03	7.31E+03	5.00E+03	4.35E+03	3.45E+03	0.
-1.42E-02	2.04E+03	3.01E+03	4.07E+03	5.09E+03	4.51E+03	3.55E+03	2.45E+03	0.
-1.15E-02	1.42E+03	2.04E+03	3.51E+03	3.75E+03	3.47E+03	2.60E+03	1.07E+03	0.
-0.50E-01	1.00E+03	2.07E+03	2.73E+03	2.97E+03	2.01E+03	2.30E+03	1.52E+03	0.
-7.29E-01	9.20E+02	1.79E+03	2.37E+03	2.61E+03	2.44E+03	2.05E+03	1.36E+03	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-2.26E-24	-3.00E-09	-6.23E+02	-2.77E+02	-4.03E+01	7.20E+02	1.00E+03	2.49E+03	0.
1.45E-07	9.44E-02	0.04E+03	3.07E+03	4.99E+02	-0.07E+03	-1.19E+04	6.71E+03	0.
2.02E+04	1.67E+04	9.40E+03	3.90E+03	2.99E+02	-1.01E+04	7.93E-01	-2.34E+03	0.
1.25E+04	1.09E+04	7.20E+03	3.20E+03	-9.74E+02	-9.74E+03	-3.56E+03	-5.40E+03	0.
7.04E+03	7.03E+03	4.94E+03	2.26E+03	-7.11E+02	-3.12E+03	-3.72E+03	-4.42E+03	0.
4.90E+03	4.51E+03	3.20E+03	1.59E+03	-2.23E+02	-1.72E+03	-2.70E+03	-3.50E+03	0.
3.04E+03	2.70E+03	2.06E+03	1.05E+03	-3.05E+01	-1.00E+03	-1.75E+03	-2.29E+03	0.
1.64E+03	1.53E+03	1.15E+03	6.05E+02	1.37E+01	-5.30E+02	-9.01E+02	-1.30E+03	0.
5.71E+02	5.25E+02	3.90E+02	2.12E+02	5.92E+00	-1.80E+02	-3.30E+02	-4.51E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

3.45E-20	3.65E-09	1.70E+03	6.05E+03	9.40E+03	1.20E+04	1.23E+04	1.29E+04	9.34E+04
2.59E-09	1.23E-03	2.04E+03	6.94E+03	1.00E+04	1.21E+04	1.24E+04	1.29E+04	9.35E+04
4.10E+03	2.23E+03	4.04E+03	7.72E+03	1.03E+04	1.22E+04	1.25E+04	1.36E+04	9.34E+04
6.10E+03	6.46E+03	7.05E+03	9.20E+03	1.04E+04	1.17E+04	1.24E+04	1.32E+04	0.
7.21E+03	7.57E+03	8.23E+03	9.62E+03	1.05E+04	1.11E+04	1.16E+04	1.22E+04	0.
8.47E+03	8.61E+03	9.34E+03	1.00E+04	1.05E+04	1.11E+04	1.14E+04	1.16E+04	0.
9.79E+03	9.72E+03	9.94E+03	1.03E+04	1.05E+04	1.11E+04	1.15E+04	1.20E+04	0.
1.00E+04	1.00E+04	1.00E+04	1.04E+04	1.04E+04	1.11E+04	1.16E+04	1.23E+04	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

R1 = .140E+00 R2 = .140E+00 RAD = .152E+00
 PERCENT THETA VARIATION OF CURRENT = 35.41 DEV2 = 40.02

R1 = .140E+00 R2 = .140E+00 RAD = .164E+00
 PERCENT THETA VARIATION OF CURRENT = 41.69 DEV2 = 44.31

R1 = .140E+00 R2 = .140E+00 RAD = .176E+00
 PERCENT THETA VARIATION OF CURRENT = 42.39 DEV2 = 46.78

R1 = .140E+00 R2 = .140E+00 RAD = .188E+00
 PERCENT THETA VARIATION OF CURRENT = 45.76 DEV2 = 48.41

R1 = .140E+00 R2 = .140E+00 RAD = .200E+00
 PERCENT THETA VARIATION OF CURRENT = 49.46 DEV2 = 52.14

R1 = .140E+00 R2 = .140E+00 RAD = .212E+00
 PERCENT THETA VARIATION OF CURRENT = 53.13 DEV2 = 55.14

R1 = .140E+00 R2 = .140E+00 RAD = .224E+00
 PERCENT THETA VARIATION OF CURRENT = 56.56 DEV2 = 62.79

R1 = .140E+00 R2 = .140E+00 RAD = .236E+00
 PERCENT THETA VARIATION OF CURRENT = 60.60 DEV2 = 66.34

R1 = .140E+00 R2 = .140E+00 RAD = .248E+00
 PERCENT THETA VARIATION OF CURRENT = 64.28 DEV2 = 70.67

R1 = .140E+00 R2 = .140E+00 RAD = .260E+00
 PERCENT THETA VARIATION OF CURRENT = 68.96 DEV2 = 75.50

R1 = .140E+00 R2 = .140E+00 RAD = .272E+00
 PERCENT THETA VARIATION OF CURRENT = 73.69 DEV2 = 80.24

R1 = .140E+00 R2 = .140E+00 RAD = .284E+00
 PERCENT THETA VARIATION OF CURRENT = 78.43 DEV2 = 85.20

R1 = .140E+00 R2 = .140E+00 RAD = .296E+00
 PERCENT THETA VARIATION OF CURRENT = 83.18 DEV2 = 90.65

R1 = .140E+00 R2 = .140E+00 RAD = .308E+00
 PERCENT THETA VARIATION OF CURRENT = 88.06 DEV2 = 96.79

R1 = .140E+00 R2 = .140E+00 RAD = .320E+00
 PERCENT THETA VARIATION OF CURRENT = 93.02 DEV2 = 103.01

R1 = .140E+00 R2 = .140E+00 RAD = .332E+00
 PERCENT THETA VARIATION OF CURRENT = 98.06 DEV2 = 108.64

R1 = .140E+00 R2 = .140E+00 RAD = .344E+00
 PERCENT THETA VARIATION OF CURRENT = 103.29 DEV2 = 113.29

R1 = .140E+00 R2 = .140E+00 RAD = .356E+00
 PERCENT THETA VARIATION OF CURRENT = 108.12 DEV2 = 128.46

R1 = .140E+00 R2 = .140E+00 RAD = .368E+00
 PERCENT THETA VARIATION OF CURRENT = 113.67 DEV2 = 138.02

R1 = .140E+00 R2 = .140E+00 RAD = .380E+00
 PERCENT THETA VARIATION OF CURRENT = 119.25 DEV2 = 146.95

TIME AFTER INITIATION = 1.60010503E-07

PARTIAL VERTICAL CURRENT ARRAY

1.00E+00	0.00E+00	1.50E+01	2.20E+01	2.90E+01	3.60E+01	4.30E+01	5.00E+01	6.10E+01
-9.91E-23	1.17E-06	3.20E+04	2.40E+04	2.14E+04	2.16E+04	3.45E+04	3.14E+04	4.21E+04
-1.30E-06	3.10E-01	2.69E+04	2.15E+04	2.02E+04	2.06E+04	3.14E+04	3.14E+04	4.14E+04
-6.32E-02	1.03E+04	1.55E+04	1.65E+04	1.71E+04	1.95E+04	5.22E+03	5.22E+03	4.10E+04
-4.64E+02	5.67E+23	9.77E+03	1.17E+04	1.26E+04	6.71E+03	5.04E+03	6.30E+03	6.30E+03
-2.70E+02	3.40E+03	6.35E+03	7.97E+03	8.23E+03	6.53E+03	4.92E+03	3.92E+03	0.
-1.01E+02	2.20E+03	4.23E+03	5.00E+03	5.73E+03	5.09E+03	4.02E+03	2.77E+03	0.
-1.24E+02	1.00E+03	3.03E+03	3.95E+03	4.23E+03	3.91E+03	3.16E+03	2.11E+03	0.
-9.57E+01	1.22E+03	2.33E+03	3.06E+03	3.34E+03	3.16E+03	2.59E+03	1.72E+03	0.
-0.31E+01	1.04E+03	2.91E+03	2.67E+03	2.93E+03	2.00E+03	2.30E+03	1.53E+03	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL HORIZONTAL CURRENT ARRAY

-6.03E-23	-1.70E-06	-7.02E+02	-3.11E+02	-5.57E+01	7.96E+02	1.12E+03	2.00E+03	0.
0.20E-04	3.07E-01	9.97E+03	3.44E+03	5.61E+02	-1.01E+04	-1.32E+04	7.65E+03	0.
1.08E+04	1.00E+04	1.07E+04	1.07E+04	2.62E+02	-2.01E+04	3.44E+01	-2.63E+03	0.
1.41E+04	1.22E+04	0.11E+03	3.04E+03	-1.09E+03	-1.09E+04	-3.99E+03	-6.10E+03	0.
0.84E+03	7.92E+03	5.59E+03	2.56E+03	-7.01E+02	-3.59E+03	-4.17E+03	-5.42E+03	0.
1.42E+03	3.13E+03	2.33E+03	1.01E+03	-2.24E+02	-1.91E+03	-3.02E+03	-3.93E+03	0.
1.00E+03	1.72E+03	1.30E+03	1.70E+03	-2.41E+01	-1.11E+03	-1.94E+03	-2.50E+03	0.
0.40E+02	5.90E+02	4.49E+02	6.02E+02	2.18E+01	-5.99E+02	-1.10E+03	-1.47E+03	0.
0.	0.	0.	0.	0.	-2.04E+02	-3.03E+02	-5.12E+02	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

PARTIAL VOLTAGE ARRAY

1.19E-20	1.01E-06	1.32E+03	5.04E+03	7.77E+03	1.01E+04	1.05E+04	1.10E+04	9.14E+04
1.29E-06	3.40E-03	2.30E+03	5.51E+03	7.92E+03	1.01E+04	1.05E+04	1.11E+04	9.15E+04
1.29E+03	2.19E+03	4.25E+03	6.47E+03	8.35E+03	1.01E+04	1.05E+04	1.17E+04	9.14E+04
4.53E+03	4.97E+03	6.00E+03	7.19E+03	8.46E+03	9.08E+03	1.06E+04	1.15E+04	0.
0.95E+03	0.91E+03	7.20E+03	7.95E+03	8.75E+03	9.63E+03	1.04E+04	1.12E+04	0.
0.07E+03	0.09E+03	0.34E+03	0.64E+03	9.35E+03	9.09E+03	1.01E+04	1.06E+04	0.
0.52E+03	0.53E+03	0.94E+03	9.55E+03	1.01E+04	1.03E+04	1.04E+04	1.08E+04	0.
0.62E+03	0.69E+03	9.41E+03	1.02E+04	1.07E+04	1.10E+04	1.12E+04	1.15E+04	0.
0.72E+03	9.15E+03	9.80E+03	1.05E+04	1.09E+04	1.12E+04	1.16E+04	1.15E+04	0.
0.	0.	0.	0.	0.	0.	0.	0.	0.

$\theta_1 = .140E+00$ $\theta_2 = .140E+00$ $\theta_{AD} = .152E+00$
 PERCENT THETA VARIATION OF CURRENT = 35.35 DEGREE = 40.78
 $\theta_1 = .140E+00$ $\theta_2 = .140E+00$ $\theta_{AD} = .164E+00$
 PERCENT THETA VARIATION OF CURRENT = 41.61 DEGREE = 44.23
 $\theta_1 = .140E+00$ $\theta_2 = .140E+00$ $\theta_{AD} = .176E+00$
 PERCENT THETA VARIATION OF CURRENT = 42.31 DEGREE = 46.71
 $\theta_1 = .140E+00$ $\theta_2 = .140E+00$ $\theta_{AD} = .188E+00$
 PERCENT THETA VARIATION OF CURRENT = 45.68 DEGREE = 48.34

R1 = .140E+00 R2 = .140E+00 RAD =	.200E+00	52.04
PERCENT THETA VARIATION OF CURRENT =	49.32 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.212E+00	55.06
PERCENT THETA VARIATION OF CURRENT =	53.94 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.224E+00	62.67
PERCENT THETA VARIATION OF CURRENT =	59.47 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.236E+00	66.21
PERCENT THETA VARIATION OF CURRENT =	64.55 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.248E+00	70.53
PERCENT THETA VARIATION OF CURRENT =	69.14 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.260E+00	75.35
PERCENT THETA VARIATION OF CURRENT =	73.82 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.272E+00	80.10
PERCENT THETA VARIATION OF CURRENT =	78.52 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.284E+00	85.09
PERCENT THETA VARIATION OF CURRENT =	83.26 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.296E+00	93.46
PERCENT THETA VARIATION OF CURRENT =	92.89 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.308E+00	98.63
PERCENT THETA VARIATION OF CURRENT =	97.86 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.320E+00	103.67
PERCENT THETA VARIATION OF CURRENT =	102.82 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.332E+00	108.54
PERCENT THETA VARIATION OF CURRENT =	107.89 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.344E+00	113.20
PERCENT THETA VARIATION OF CURRENT =	112.74 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.356E+00	128.15
PERCENT THETA VARIATION OF CURRENT =	119.99 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.368E+00	137.72
PERCENT THETA VARIATION OF CURRENT =	134.60 DEV2 =	
R1 = .140E+00 R2 = .140E+00 RAD =	.380E+00	146.71
PERCENT THETA VARIATION OF CURRENT =	142.04 DEV2 =	