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AERODYNAMIC HEATING OF THE LEE SIDE  
OF A BODY AT SUPERSONIC SPEEDS

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OF A BODY AT SUPERSONIC SPEEDS

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Block	Italic	Transliteration	Block	Italic	Transliteration
А а	<b>А а</b>	A, a	Р р	<b>Р р</b>	R, r
Б б	<b>Б б</b>	B, b	С с	<b>С с</b>	S, s
В в	<b>В в</b>	V, v	Т т	<b>Т т</b>	T, t
Г г	<b>Г г</b>	G, g	У у	<b>У у</b>	U, u
Д д	<b>Д д</b>	D, d	Ф ф	<b>Ф ф</b>	F, f
Е е	<b>Е е</b>	Ye, ye; E, e*	Х х	<b>Х х</b>	Kh, kh
Ж ж	<b>Ж ж</b>	Zh, zh	Ц ц	<b>Ц ц</b>	Ts, ts
З з	<b>З з</b>	Z, z	Ч ч	<b>Ч ч</b>	Ch, ch
И и	<b>И и</b>	I, i	Ш ш	<b>Ш ш</b>	Sh, sh
Й й	<b>Й й</b>	Y, y	Щ щ	<b>Щ щ</b>	Shch, shch
К к	<b>К к</b>	K, k	Ъ ъ	<b>Ъ ъ</b>	"
Л л	<b>Л л</b>	L, l	Ы ы	<b>Ы ы</b>	Y, y
М м	<b>М м</b>	M, m	Ь ь	<b>Ь ь</b>	'
Н н	<b>Н н</b>	N, n	Э э	<b>Э э</b>	E, e
О о	<b>О о</b>	O, o	Ю ю	<b>Ю ю</b>	Yu, yu
П п	<b>П п</b>	P, p	Я я	<b>Я я</b>	Ya, ya

\*ye initially, after vowels, and after ъ, ь; e elsewhere.  
 When written as ё in Russian, transliterate as yё or ё.  
 The use of diacritical marks is preferred, but such marks may be omitted when expediency dictates.

### GREEK ALPHABET

Alpha	Α α	•	Nu	Ν ν
Beta	Β β		Xi	Ξ ξ
Gamma	Γ γ		Omicron	Ο ο
Delta	Δ δ		Pi	Π π
Epsilon	Ε ε	•	Rho	Ρ ρ
Zeta	Ζ ζ		Sigma	Σ σ
Eta	Η η		Tau	Τ τ
Theta	Θ θ	•	Upsilon	Υ υ
Iota	Ι ι		Phi	Φ φ
Kappa	Κ κ	•	Chi	Χ χ
Lambda	Λ λ		Psi	Ψ ψ
Mu	Μ μ		Omega	Ω ω

## RUSSIAN AND ENGLISH TRIGONOMETRIC FUNCTIONS

Russian	English
sin	sin
cos	cos
tg	tan
ctg	cot
sec	sec
cosec	csc
sh	sinh
ch	cosh
th	tanh
cth	coth
sch	sech
csch	csch
arc sin	$\sin^{-1}$
arc cos	$\cos^{-1}$
arc tg	$\tan^{-1}$
arc ctg	$\cot^{-1}$
arc sec	$\sec^{-1}$
arc cosec	$\csc^{-1}$
arc sh	$\sinh^{-1}$
arc ch	$\cosh^{-1}$
arc th	$\tanh^{-1}$
arc cth	$\coth^{-1}$
arc sch	$\operatorname{sech}^{-1}$
arc csch	$\operatorname{csch}^{-1}$
-----	
rot	curl
lg	log

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*Aerodynamic*  
 HEATING OF THE LEE SIDE OF <sup>the</sup> BODY AT SUPERSONIC

SPEEDS.

G.I. Maykapar

It is shown that the maximum values of heat flux to the flat/plane side of the blunted semicone, directed along flow, are correlated by the parameter of "viscous interaction"  $M^2/\sqrt{Re}$ . It is presented the hypothesis that the reason for <sup>separation,</sup> breakaway, appearance of "peaks" of heat flux are <sup>internal</sup> the ~~so-called~~ <sup>internal</sup> shocks.

In the experimental studies of V. Ya. Borovoy, P. Z. Davlet-sil'nyev, A. V. Ryzhkova [1], of Whitehead and Bertin [2], [3], etc. was detected the essential feature of heat transfer to the lee side of body during the detached flow of supersonic flow - the narrow ranges of the heat flux, considerably exceeding heat flux to the surrounding surface (the "peaks" of heat flux). The appearance and the <sup>quantity</sup> ~~value~~ of peaks depend on numbers  $M$  and  $ac$ , form, and the angle of attack of body. Peaks appear in the <sup>regions</sup> ~~zones~~ of the connection of

separated flow where are great the stresses of surface friction;

therefore the <sup>regions</sup> ~~edges~~ of connection can be detected from the spectra,

obtained with the aid of <sup>"blowing"</sup> ~~razryvaemykh~~ by the flow of the points

of color ~~print~~. Despite the fact that is published a <sup>number</sup> ~~series~~ of the

results of the investigations of heat transfer to the bodies of

various forms - ~~to-<sup>SHAP</sup>~~ and blunt-nosed cones and to semicones,

plates, ~~to~~ wedges, ~~to~~ elliptical cylinders, mainly in connection with

the absence of the information about the general ~~total~~ structure of

flows and methods of calculation, some results <sup>are</sup> difficult to explain

and to confidently indicate the means for the elimination of the

"peaks" of heat flux. The purpose of article is the explanation of

some of the results of experiments.

Fig. 1 gives the spectra of the washed away points of color ~~print~~

for semicones and triangular plate [1], <sup>with which</sup> ~~from~~ analysis of which we will

~~infer~~ <sup>infer</sup>. A decrease in Reynolds number both because of the decrease

in the pressure and decreases in the <sup>characteristic</sup> significant dimension, for

example, a radius of the blunting of semicone, always led to a decrease

in the <sup>quantity</sup> value of "peaks". With numbers 2, 5-6,  $Re_1 \sim 10^4$ ,  $Re_1 / R_2 \leq 3$  (L

- the length of model) the <sup>indication</sup> ~~sign~~/criteria of breakaway and "peaks"

disappear (see Fig. 1b). There are no <sup>indication</sup> ~~sign~~/criteria of breakaway near

the point of triangular plate [4], obviously, in connection with the

fact that entire shock layer <sup>is</sup> "viscous" and in it there is no pressure gradient, necessary for a breakaway. Since breakaway belongs to the

number of phenomena of the interaction of <sup>"non-viscous"</sup> "inviscid" and "viscous"

layers, it was possible to assume that and for it the role of the

characteristic parameter will play <sup>be (by)</sup> the known parameter  $N_2 \approx Re_{\infty}^{1/2}$ . By

scarce experimental points this assumption was confirmed (Fig. 2).

<sup>despite</sup> ~~in spite of~~ an inaccuracy in the determination of "peaks" and to the

fact that the results were obtained in different wind tunnels. <sup>The</sup> That

fact that the peaks of heat flux <sup>cannot</sup> ~~is not~~ on the flat/plane side of

acute/sharp semicone (see Fig. 1c), and also on the convex side of

acute/sharp semicone  $\theta = 15^\circ$  with <sup>direction</sup> ~~flow~~, directed along flow [1], it

is explained, obviously, by the fact that is small the "effective"

angle of attack and breakaway <sup>conditions</sup> ~~criteria~~. On the flat/plane side of

acute/sharp semicone (see Fig. 1c) are visible only <sup>indications</sup> ~~sign~~/criteria of

local separation in edges.



Fig. 1. Maximum flow lines a) the flat/plane side of the blunted

semicone is directed along flow,  $\alpha = 0$ ,  $\theta_k = 24^\circ.3$ ,  $M_\infty = 5$ ,  $Re_{L, \infty} = 1.1 \cdot 10^6$ ,  $Re_{L, \infty}$

$M_\infty = 70$ ; b) the flat/plane side of the blunted semicone,  $\theta_k = 24^\circ.3$ ,

$\alpha = 0$ ,  $M_\infty = 11.3$ ,  $Re_{L, \infty} = 1.2 \cdot 10^6$ ,  $Re_{L, \infty} M_\infty^{-0.5} = 0.006$ ; c) the flat/plane side of

acute/sharp semicone,  $\theta_k = 24^\circ.3$ ,  $M_\infty = 5$ ,  $\alpha = 0$ ,  $Re_{L, \infty} = 1.1 \cdot 10^6$ ,  $M_\infty^{-0.5} = 70$ ; d)

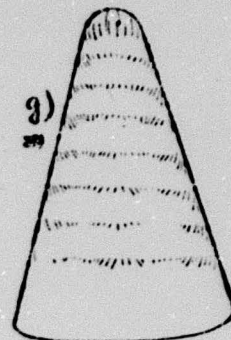
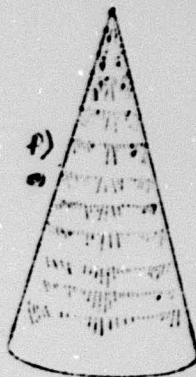
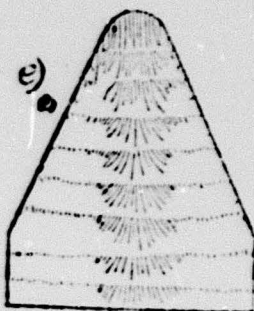
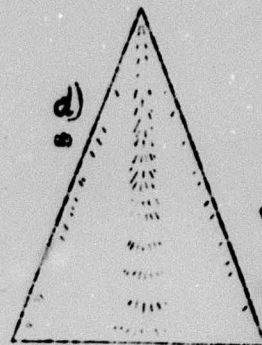
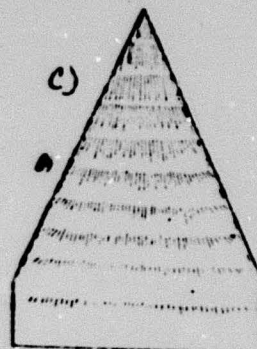
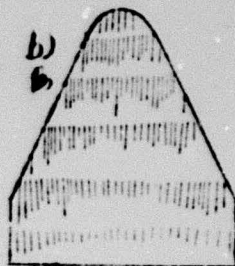
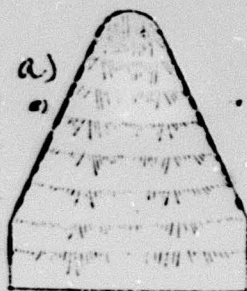
triangular plate,  $\theta_k = 18^\circ.50'$ ,  $\alpha = 15^\circ$ ,  $M_\infty = 5$ ,  $Re_{L, \infty} = 1.3 \cdot 10^6$ ; e) the

flat/plane side of the blunted semicone,  $\theta_k = 24^\circ.3$ ,  $\alpha = 25^\circ$ ,  $M_\infty = 5$ ,  $Re_{L, \infty}$

$= 1.1 \cdot 10^6$ ; f) the convex side of acute/sharp semicone,  $\theta_k = 15^\circ$ ,  $\alpha = 30^\circ$ ,  $M_\infty$

$= 5$ ,  $Re_{L, \infty} = 10^6$ ; g) the convex side of the blunted semicone,  $\theta_k = 15^\circ$ ,

$\alpha = 25^\circ$ ,  $M_\infty = 5$ ,  $Re_{L, \infty} = 10^6$ .



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On circular cones the breakaway ensues at angles of attack  $\alpha \approx \theta_k$ , the "effective" angles of attack of semicones  $\theta_k = 24^\circ.3$  with the flat/plane side, directed along flow, and  $\theta_k = 15^\circ$  with <sup>generally,</sup> ~~forming,~~ directed along flow, less than the angles "equivalent" along the space of cones ( $\theta_k = 17^\circ.7$  and  $10^\circ.7$  respectively). At <sup>large</sup> angles of attack on the flat/plane (see Fig. 1a) and convex (see Fig. 1b) side of semicone the spectra of maximum flow lines and the peaks of heat flux are analogous to those observed in triangular plates [1] - [3] (see Fig. 1d).

It is <sup>rather</sup> ~~considerably~~ difficult to explain the appearance of two <sup>peaks</sup> ~~constituents~~ of heat flux on the flat/plane side of the blunt-ended semicone  $\alpha = 0$ , to <sup>regions</sup> which correspond two ~~edges~~ of the connection of flow, which go from the points of the coupling of spherical segment with cone (see Fig. 1a), and the disappearance of these peaks <sup>when</sup> with the  <sup>$\alpha = 15^\circ$</sup>  ~~level~~ <sup>convex</sup> side ~~is~~ <sup>is</sup> (see Fig. 1b). In the latter case the peak of

\* [24° 3']? or [24.3°]?

low value, than in the case of ~~sharp~~ sharp semicircle, appears only in the rear end of the model, but the feature in of heat-flow

distribution, ~~are~~ connected with points of coupling of segment with cone, are also noticed [1]. There is no ~~convincing~~ convincing explanation of the

reason for the appearance of two peaks of heat flux, which go from the points of the coupling of circular arc and ~~straight~~ <sup>curved</sup> straight with the

rounding of the point of triangular plate [3] and of the disappearance of peaks at the rear of the leading tip, which is played out the formula of equation (3) and of the heat back down end of plate

[4]. In order to <sup>investigate</sup> investigate these facts, let us examine the flow that the ~~side~~ side of delta wing. It will be restricted to

the case when ~~the~~ <sup>sharp</sup> sharp ~~tip~~ tip is connected to ~~with~~ <sup>with</sup> ~~the~~ <sup>side</sup> side, and on the low side flow at the rear of the main waves, which go

from there. When wave number  $n$  is equal  $n_1$ , with the small ~~number~~ number of waves size the flow pattern is

shown in Fig. 1. When  $n > n_1$ , the flow pattern is shown in Fig. 2. (Fig. 2), then partially coincide flow with ~~with~~ <sup>with</sup> ~~the~~ <sup>the</sup> ~~flow~~ <sup>flow</sup> in

region  $0 \leq x \leq x_1$  with the ~~main~~ <sup>main</sup> ~~flow~~ <sup>flow</sup> attached at an angle

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✓  
If  $\alpha > \alpha_c$ , then possible only flow with the internal

~~shock wave~~ <sup>shock</sup> ~~jump~~ <sup>shock</sup>. In the case of flow with internal ~~jump~~ <sup>shock</sup> is

possible both flow with the full rotation of flow before the direction

of the axis of plate in ~~jump~~ <sup>shock</sup> and the flow with the less slope angle of

~~shock~~ <sup>shock</sup> ~~jump~~ <sup>additional</sup> ~~jump~~ <sup>supplementary</sup>, then in the preceding case, and by the

continuous rotation of flow in ~~jump~~ <sup>region behind shock</sup> ~~after jump~~. The results of the

calculations for the case of full rotation in ~~jump~~ <sup>shock</sup> are given in Fig.

4-6. The angle of internal ~~jump~~ <sup>shock</sup> ~~very~~ is little affected with a change

in angle  $\alpha$ . At wide angles  $\Delta$  the pressure ~~at~~ <sup>behind shock  $P_2$  or  $P_{20}$</sup>  ~~ratio~~

~~increases~~ <sup>increases</sup> with an increase in the angle of attack  $\alpha$ .

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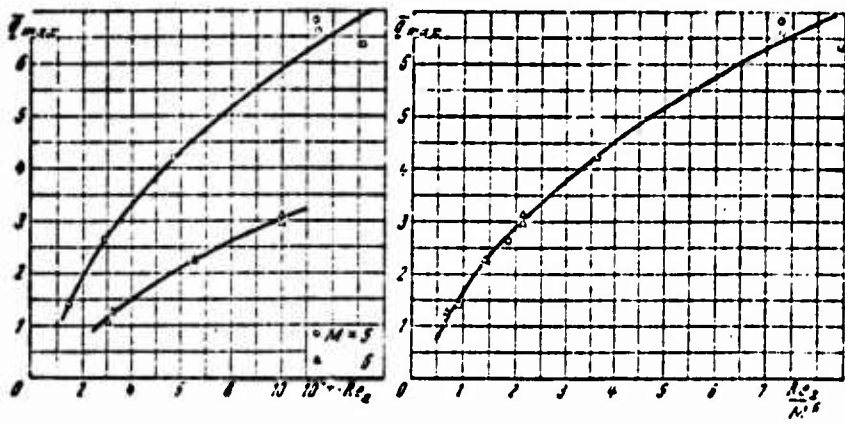


Fig. 1.

~~Internal~~ <sup>theoretically</sup>  
~~Stalled~~ blocks were predicted to georetichouki and obtained in

numerical calculations [5]. The measurements showed that their  
intensity first ~~de-~~ rises, and then it decreases with removal from  
the surface of plate.

one of the last ~~last~~ works, in which the presence of internal  
~~blocks~~ was established by the measurements of the total pressure, in

[6]. For this investigation the characteristically low value of

parameter  $Re_{L, \infty} M_{\infty}^2 = 0.3 - 0.4$ , corresponding <sup>to</sup> ~~to~~ of "potential"

interaction. Flow <sup>disruption</sup> ~~disruption~~ appeared during angle of attack  $\alpha = 9^\circ$

similarly with the <sup>case</sup> ~~case~~ "suspension" <sup>of</sup> ~~of~~ <sup>the</sup> ~~the~~ <sup>flow</sup> ~~flow~~ <sup>over</sup> ~~over~~ <sup>the</sup> ~~the~~ <sup>plate</sup> ~~plate~~.

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with <sup>the</sup> ~~the~~ <sup>flow</sup> ~~flow~~ <sup>over</sup> ~~over~~ <sup>the</sup> ~~the~~ <sup>plate</sup> ~~plate~~ <sup>at</sup> ~~at~~ <sup>an</sup> ~~an~~ <sup>angle</sup> ~~angle~~ <sup>of</sup> ~~of~~ <sup>attack</sup> ~~attack~~ <sup>of</sup> ~~of~~ <sup>9</sup> ~~9~~ <sup>degrees</sup> ~~degrees~~ <sup>the</sup> ~~the~~ <sup>location</sup> ~~location~~ <sup>of</sup> ~~of~~ <sup>the</sup> ~~the~~ <sup>flow</sup> ~~flow~~ <sup>is</sup> ~~is~~ <sup>not</sup> ~~not~~

characteristic of <sup>the</sup> ~~the~~ <sup>flow</sup> ~~flow~~ <sup>over</sup> ~~over~~ <sup>the</sup> ~~the~~ <sup>plate</sup> ~~plate~~. Boundary

"stagnation" <sup>is</sup> ~~is~~ <sup>located</sup> ~~located~~ <sup>at</sup> ~~at~~ <sup>the</sup> ~~the~~ <sup>leading</sup> ~~leading~~ <sup>edge</sup> ~~edge~~ <sup>of</sup> ~~of~~ <sup>the</sup> ~~the~~ <sup>plate</sup> ~~plate~~.

in consequence of which increases the acceleration/dispersal of gas in  
simple wave after edge.

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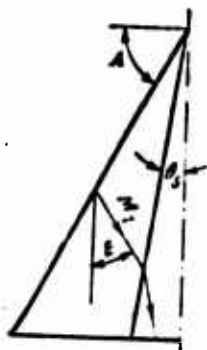


Fig. 2.

Fig. 3. Note: (1) correct value  $\alpha$ .

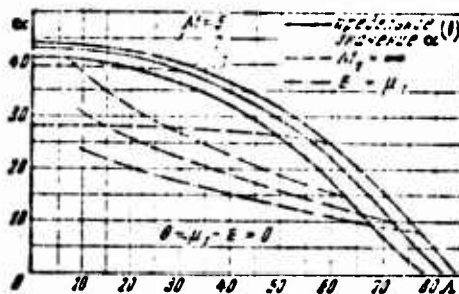




Fig. 5.



In the remaining portion of this letter plates [1] - [4] parameter

Re:  $M_{22} = \frac{1}{2} \frac{d^2}{dx^2} \left( \frac{1}{2} \frac{d^2}{dx^2} \right) \dots$  (Handwritten notes)

interaction, the thickness of "viscous" layer - the order of the

thickness of boundary layer (now defined with the aid of the

approx [2]) and can be easily less than is the situation [3].

The same is true for all the other parameters that are involved

in the interaction of the flow with the surface of attack

of the flow with the surface of attack "viscous" layer. The

approximation is that it is possible to correlate with

approximation [1] - [4].

approximation

The same is true for all the other parameters that are involved

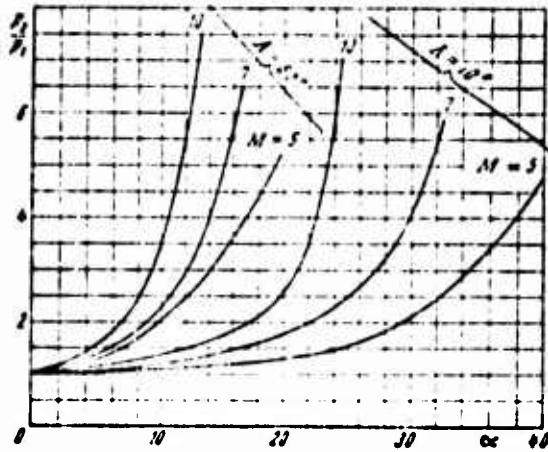
in the interaction of the flow with the surface of attack "viscous" layer. The

approximation is that it is possible to correlate with

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distance between internal ~~irregularly~~<sup>irregularly</sup> and boundary layer thickness  
 differently change with distance from critical point <sup>of</sup> body, by the  
 interaction of ~~the~~<sup>the</sup> and boundary layer it is possible to explain a  
 change in the ~~direction~~<sup>configuration</sup> of detached flow along the length of body and  
 appearance instead of one peak of heat flux of two (Fig. 7). With an  
 increase in the angle of attack <sup>of</sup> angle between internal ~~irregularly~~<sup>irregularly</sup>  
 becomes (see Fig. 5), in consequence of which two peaks can pass  
 through.

..... PLEASE CHECK FOR ALL CYRILLIC OR UNCLARIFIED ITEMS ON  
 THE TABLE (ATTACHED) WHICH MAY HAVE BEEN LEFT OUT.....



with an increase in the angle of attack, sweep angle  $\Delta$  and  $\alpha$  number  $\gamma$ ,  
 the intensity of internal ~~from the calculation~~ <sup>the calculation</sup>, which must lead to  
 earlier to know. A decrease in angle  $\Delta$  in the beginning of plate  
 must lead to a decrease  $\gamma_2/\gamma_1$ , and also, therefore, the values of the  
 peaks of heat flux. At the high angles of attack of plate the flow  
 over the leading edge is similar to that of flow, "internal" or  
 "external" shock waves are converted into "the closing"; however,  
 during the flow the peaks of heat flux on walls are retained to  
 $\alpha = 30 - 40^\circ$ , although the absolute value of heat flux to the lee  
 side decreases as a result of a decrease in density [1]. Flow  
 conditions on the leading edge of a plate of heat flux on the flat plate  
 with a plate angle  $\alpha = 0$ , see Fig. 10), obviously, are connected  
 with the conditions of flow <sup>over</sup> the leading edge of a plate with a pressure  
 coefficient  $C_p = 1$ , and  $C_p = 0$  on the side with a pressure  
 coefficient  $C_p = -1$ . The conditions on the leading edge after slanting  
 must be  $C_p = 1$  on the leading edge and  $C_p = 0$  on the side of wedge

also leads to an increase in the peaks of heat flux [1].

Page 14.

The calculations show that the discontinuity, ~~disruption~~ of curvature with the coupling of spherical segment with the surface of circular cone can lead to the appearance of "disruptive" shock waves

of the type of  $\delta$  - waves with  $\delta = 0$  in the case of  $\delta = 0$ .

In the case of  $\delta = 0$  the "disruptive" ~~shock waves~~ <sup>shock waves</sup> appear in the case of  $\delta = 0$ .

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