

UNCLASSIFIED

AD NUMBER: AD0895141

CLASSIFICATION CHANGES

TO: Unclassified

FROM: Confidential

LIMITATION CHANGES

TO:  
Approved for public release; distribution is unlimited.

FROM:  
Distribution authorized to U.S. Gov't. agencies and their contractors;  
Administrative/Operational Use; 18 Jan 1951. Other requests shall be  
referred to Chief of Naval Research, Washington, DC 20360.

AUTHORITY

CNR ltr dtd 1 Aug 1957; (CNA) Notice dtd 19 Mar 1981.

THIS PAGE IS UNCLASSIFIED

# **BEST POSSIBLE SCAN**

## **REPRODUCTION QUALITY NOTICE**

**This document is the best quality available. The copy furnished to DTIC contained pages that may have the following quality problems:**

- **Pages smaller or larger than normal.**
- **Pages with background color or light colored printing.**
- **Pages with small type or poor printing; and or**
- **Pages with continuous tone material or color photographs.**

**Due to various output media available these conditions may or may not cause poor legibility in the microfiche or hardcopy output you receive.**

☐ **If this block is checked, the copy furnished to DTIC contained pages with color printing, that when reproduced in Black and White, may change detail of the original copy.**

Q-841 UNANNOUNCED

UNCLASSIFIED

*Q-841*

AD895141

04374:hr

Ser 05233

18 January 1951

From: Chief of Naval Operations  
To: DISTRIBUTION LIST

Subj: Operations Evaluation Study No. 430  
(Addendum to OEG Study No. 368) - forwarding of

Ref: (a) CNO Conf ltr ser 05234 of 24 Nov 1948

Incl: (1) OEG Study No. 430 (Addendum to OEG Study No. 368) "Computation of Probability of Visual Detection in Air Interception"

1. Reference (a) forwarded OEG Study No. 368, "Visual Detection in Air Interception" Enclosure (1), an addendum to that study prepared by the Operations Evaluation Group, is forwarded for your information and retention. It is an extension of the work presented in Study No. 368, and may be used in conjunction with the theory contained therein. It presents a method and associated working graphs which enable one to calculate the probability of visual detection of a target aircraft by an airborne observer, under daylight conditions of illumination, for a wide range of the parameters involved.

2. When no longer required, this publication should be destroyed by burning. No report of destruction need be submitted.

AD No. ---  
PDC, FILE COPY

DISTRIBUTION:  
Attached list

R. B. NICKERSON  
By direction

AUTHENTICATED BY:

*J. H. Harber*  
J. H. Harber  
LCDR, USN

RECEIVED  
ACT

UNCLASSIFIED  
Reclassification of OEG Study No. 430  
Chief of Naval Research  
ONR:454:RT/vbm of 1 August 1987

~~CONFIDENTIAL~~



34  
35  
37  
  
05  
50  
51  
55

BuShips

100 (5)

BuOrd

A (5)  
Re  
Rex  
ReB  
ReD

BuAer

AER (5)  
AER-2  
MR  
RS  
EL (2)  
AC (2)

ONR

10C (5)  
461 (2)

2  
Director  
NEL  
NEL  
DIA, WTS (2)  
S. M. S. Patuxent River, Md  
SEC (2)  
C. D. R. NEL  
K. R. P. I. Manapolis 10 Inc.  
Director  
Chief of Staff, USAF (1)  
S. M. S. AFDC-OP/PP  
Chief of Staff, USA (1)

(11) 1 Nov 1967

127 1000

OPERATIONS EVALUATION GROUP  
STUDY NO. 430

127 1000 + 41

ADDENDUM TO OEG STUDY NO. 368

(12) COMPUTATION OF PROBABILITY OF VISUAL DETECTION IN  
AIR INTERCEPTION.

UNCLASSIFIED

Classification Authority  
Chief of Naval Operations  
CNR:454:RT:127 of 1 August 1967

This publication includes classified information of an operational, rather than technical, nature. It should be made available only to those who are authorized to receive such information.

Reproduction of this document in any form by other than Naval activities is not authorized except by special approval of the Chief of Naval Operations.

OEG Studies summarize the results of current analyses. While they represent the view of OEG at the time of issue, they are for information only, and they do not necessarily reflect the official opinion of the Chief of Naval Operations.

Prepared by  
OPERATIONS EVALUATION GROUP  
Office of the Chief of Naval Operations

270 700

UNCLASSIFIED

270

(10)2235-50  
21 November 1950

~~CONFIDENTIAL~~

OPERATIONS EVALUATION GROUP  
STUDY NO. 430

ADDENDUM TO OEG STUDY NO. 368

COMPUTATION OF PROBABILITY OF VISUAL DETECTION IN  
AIR INTERCEPTION

Ref: (a) OEG Study No. 368 "Visual Detection in Air  
Interception" Conf 24 Nov 1948

ABSTRACT

This addendum is an extension of work previously presented in reference (a), and is to be used in conjunction with the theory contained therein. It presents a method and associated working graphs which enable one to calculate the probability of visual detection of a target aircraft by an airborne observer, under daylight conditions of illumination, for a wide range of the parameters involved.

INTRODUCTION

In reference (a) a theory of visual detection of target aircraft by an airborne observer under daylight conditions of illumination was developed. In addition, a method was presented for computing the probability of visually detecting the target by the time the observer had closed on a collision course to any given range. Working graphs obtained by this method were presented and were applicable in a limited number of specific cases. Since the publication of reference (a), the computational method has been improved and graphs have been obtained which apply under a much wider variety of operational conditions. This later work is presented in this addendum; the theory and assumptions on which it is based are presented in detail in reference (a).

UNCLASSIFIED

Reclassification authorized by  
Chief of Naval Research letter  
ONR:454:RT:vbm of 1 August 1957

~~CONFIDENTIAL~~

CONFIDENTIAL

1201235-50  
11 November 1950

In general, the type of problem is as follows:

An interceptor is being vectored by GIC (during daylight) to close within sighting range of an enemy bomber so that he may then position himself for a firing run. It is desired to determine the probability that he will sight the target at a range which will be great enough to allow this attack maneuver. As discussed in reference (a), this is a function of the relative closing speeds, the apparent size of the target, its brightness relative to the background, the visibility at flight altitudes, and the size of the field scanned by the interceptor pilot.

#### TERMINOLOGY

More specifically, the desired probability is a function of the following parameters:

- $C_0$  - intrinsic contrast of the target (%)
- $V$  - meteorological visibility (mi.)
- $R_0$  - maximum range in absence of haze (mi.)
- $W$  - gross weight of target (lbs.)
- $\alpha$  - aspect angle of the target (degrees)
- $\phi$  - elevation scanning angle (degrees)
- $\Theta$  - azimuth scanning angle (degrees)
- $A$  - presented area of the target (sq. ft.)
- $R_m$  - maximum range at which detection is possible, under given conditions (mi.)
- $v$  - relative velocity (kts.)
- $R_1$  - range at which search is begun (mi.)

## CALCULATION OF DETECTION PROBABILITIES

The method of computing these probabilities will be illustrated by working out a specific example. Suppose the enemy is assumed to be a medium bomber weighing approximately 45,000 lbs., unpainted aluminum, and is heading due north at a speed of 400 knots. The interceptor is on a collision course, 135° true heading, travelling at 500 knots, and the pilot is scanning 20° on either side of the expected position of the target and 3° above and below the expected relative altitude (i.e.,  $\theta = 20^\circ$ ,  $\phi = 3^\circ$ ). The meteorological visibility at flight altitude is about 20 miles. ( $V = 20$  mi.). The pilot scans in a regular and methodical fashion from the time search begins until he sights the target. The computation of detection probabilities will be illustrated first for the case in which the pilot begins his search while still outside visual range of the target, (i.e.,  $R_1 \geq R_m$ ), and secondly, for the case in which search is not begun until the pilot is within visual range (i.e.,  $R_1 \leq R_m$ ).

The probability of having detected the target by range  $R$  if search was begun at range  $R_1$  is given by the equation

$$P(R) = 1 - e^{-\frac{R_0}{V} [I(R) - I(R_1)]}$$

where  $I(R)$  is a quantity obtained graphically (from Figure A2) and is a function of the parameters  $\theta$ ,  $\phi$ ,  $C_0$ , and  $\frac{R_0}{V}$ . If search is begun at or beyond the maximum possible detection range, i.e.,  $R_1 \geq R_m$ , then  $I(R_1) = 0$  and the probability can be written as

$$P(R) = 1 - e^{-\frac{R_0}{V} I(R)}$$

In either case, the computation would proceed as follows:

(1) The target and interceptor courses are plotted on a maneuvering board, the relative motion vector drawn, and the aspect angle and relative speed measured directly (see Figure 1). For the given conditions, the aspect angle  $\alpha$  is found to be  $82.5^\circ$ , and the relative speed  $v$  to be 356 knots.

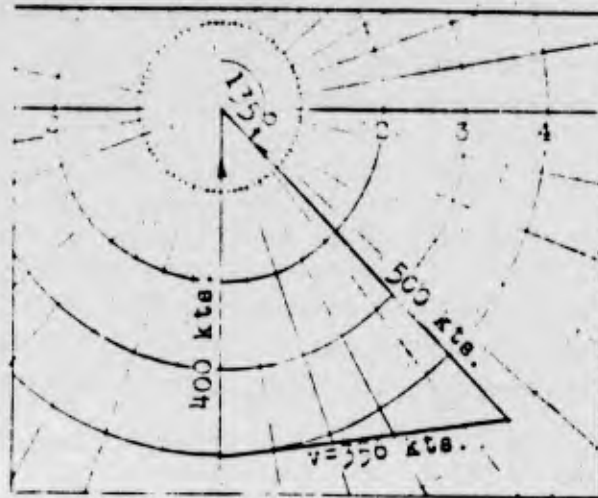


FIG. 1

(2) In reference (a), the intrinsic contrast,  $C_o$ , of unpainted aluminum is given as 27%. For the accuracy desired, it will be sufficient to use  $C_o = 30\%$  and avoid interpolation for  $C_o$ .

Using the nomograph, Figure A1, and entering the known values  $C_o = 30\%$  and  $W = 45,000$  lbs., one finds that the corresponding value of  $R_{00}$  (maximum range for bow aspect) is 15.0 miles, and that for aspect angle  $\alpha = 82.5^\circ$ , the value of  $R_{0\alpha}$  is 24.0 miles. ( $R_{0\alpha}$  will now be referred to simply as  $R_o$ ).

(3) Thus,  $R_o/V = 24/20 = 1.2$ ;  $R_o/v = 24/356 = .0674$ .

(4) In Figure A2, choose the graph corresponding to the parameters  $\theta = 20^\circ$ ;  $\phi = 3^\circ$ ;  $C_o = 30\%$ .

(5) The minimum value of  $R/R_0$  for which the computation can be carried, is seen to be, in this case,  $R/R_0 = .10$ .

(6) When search is begun outside visual range of the target, it is necessary to determine the value of  $R_1/R_0$ , the range at which detection first becomes possible. This can be obtained from Figure A2, since  $R_1/R_0$  is the value of  $R/R_0$  at which  $I = 0$ . The values of  $R_1/R_0$  for the  $R_0/V = 1.0$  and  $R_0/V = 1.5$  curves can be read directly from the graph, and are respectively,  $R_1/R_0 = .43$  and  $R_1/R_0 = .35$ . Using linear interpolation (sufficient for the accuracy desired in this problem) the value of  $R_1/R_0$  for  $R_0/V = 1.2$  is found to be .40. Hence  $R_1 = R_0 (R_1/R_0) = 24 (.40) = 9.6$  miles.

(7) It is now desired to find values of the detection probability,  $P(R)$ , for several values of  $R/R_0$  within the range  $.05 \leq R/R_0 \leq .40$  so that a graph of  $P(R)$  vs.  $R$  can be drawn. For any particular value of  $R/R_0$ , say,  $R/R_0 = .25$ , the corresponding probability is found as follows:

- (a)  $I(R)$  is found by using linear interpolation. When  $R/R_0 = .25$ , the values of  $I(R)$  for  $R_0/V = 1.0$  and  $R_0/V = 1.5$  as read from the graph are respectively  $I = 14.5$  and  $I = 5.0$  (Note: The ordinate of Figure A2 is  $I + 10$ ;  $\therefore$  subtract 10 from the ordinate to read  $I$ ). Therefore, for  $R_0/V = 1.2$ , one obtains  $I = 14.5 - .4(14.5 - 5.0) = 10.7$ .
- (b)  $\therefore \frac{R_0}{V} I(R) = .0674 (10.7) = .72$
- (c)  $\therefore P(R) = 1 - e^{-.72} = .51$
- (d) The absolute range is  $R_0(R/R_0) = 24 \times .25 = 6$  mi.



| $R/R_0$ | $P(R)$ | $P(R)$ | $P(R)$ | $P(R)$ | $P(R)$ | $P(R)$ | $P(R)$ | $P(R)$ |
|---------|--------|--------|--------|--------|--------|--------|--------|--------|
| 0.0     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.1     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.2     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.3     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.4     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.5     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.6     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.7     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.8     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 0.9     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |
| 1.0     | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   | 0.00   |

A graph of  $P$  vs.  $R$  is then obtained. This graph is used to determine the time when the target is sighted. The time when the target is sighted is determined by the time when the target is sighted. The time when the target is sighted is determined by the time when the target is sighted.

If the pilot has not been sighted until the time when the target is sighted, the time when the target is sighted will be determined. To illustrate: suppose that the intercept  $R$  we have considered has not been sighted until he has sighted a range of 1 mile, all other factors being held constant.

Steps 1-5 of the computation still apply.

The range of  $R/R_0$  is now restricted to  $.05 \leq R/R_0 \leq .08$  since  $P = 0$  when  $R/R_0 \leq .05$  (i.e.  $R \leq 0.5$  mi.). Since  $R_0 = 10$ ,  $[R/R_0]$  has to be subtracted from all the values of  $P(R)$ .  $P(R)$  is the value of  $P$  for  $R/R_0 = .05$  and has previously been found to be 10.7.

A graph of  $P(R)$  vs.  $R$  is then obtained by calculating  $P(R) = 1 - e^{-\frac{R}{R_0} [P(R) - 10.7]}$  for several values of  $R/R_0$  within the above range. Steps in the calculation are tabulated below.  $R/R_0 = .05$  was included to get a value of  $P$  between 0 and .5.



CONFIDENTIAL

CONFIDENTIAL

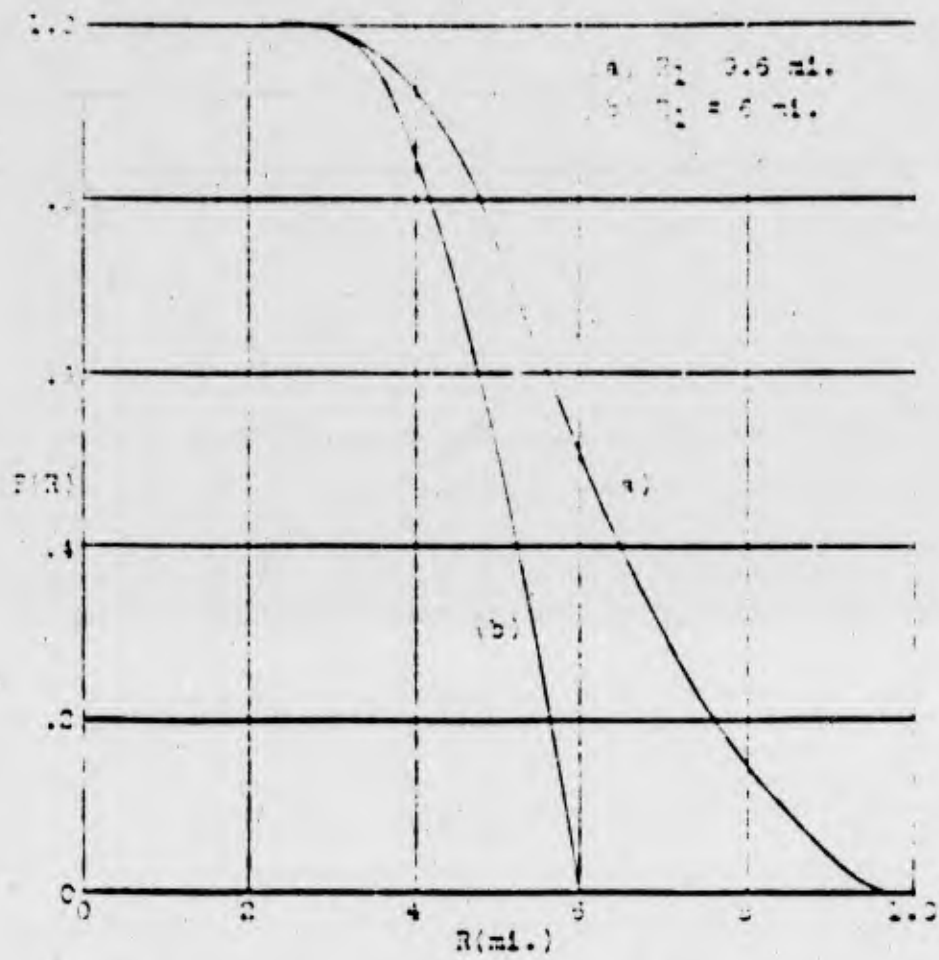


FIG. 2: PROBABILITY OF VISUAL DETECTION

CONFIDENTIAL

(10100370-20)  
21 November 1950

| $R/R_0$                       | .25  | .225 | .20 | .15  | .10 | .05 |
|-------------------------------|------|------|-----|------|-----|-----|
| $I(R)$                        | 10.7 | 16.4 | 24  | 54   | 114 | 240 |
| $I(R) - I(R_1)$               | 0    | 5.7  | 13  | 43   | 103 | 229 |
| $\frac{R_0}{V} I(R) - I(R_1)$ | 0    | .38  | .88 | 2.30 | 6.3 | 15  |
| $P(R)$                        | 0    | .32  | .59 | .94  | 1.0 | 1.0 |
| $R$                           | 6.0  | 5.4  | 4.9 | 3.6  | 2.4 | 1.2 |

$P(R)$  vs.  $R$  for this case is shown in (b) Figure 2. It shows, for example, that a probability of detection of .75 is reached at a range of 4.4 mi. when search is begun at 6 mi.

Submitted to the Director:

*Elaine Marcuse*

E. MARCUSE  
Mathematical Services Section  
Operations Evaluation Group

Approved by:

*E. S. Lamar*

E. S. LAMAR  
Deputy Director  
Operations Evaluation Group

# APPENDIX A

## CALCULATION OF FIGURES A1 AND A2

Since the probability of detection  $P$  is dependent on the value of  $R_0$ , the maximum range in the absence of haze, our first problem is to determine  $R_0$  as a function of given parameters. If the presented area of the target,  $A$ , is known, use can be made of the relation

(1)  $R_0 = .1655 \sqrt{C_0 - 1.565} A$ , which is presented in nomographic form in Figure 8 of reference (a). However, the area is seldom given in aircraft specifications, so that it is desirable to determine  $R_0$  as a function of gross weight of target. In reference (a), the assumption that for a given aspect, square root of presented area is proportional to cube root of gross weight, was tested for a variety of aircraft, and appeared to be a sufficiently accurate assumption for purposes of computation. (See Figure 7, reference (a)). For bow aspect, this approximation is given by

$$(2) A^{1/2} = .4793 W^{1/3}$$

Substitution of (8) in (7) will give us the maximum range at bow aspect,  $R_{00}$ , in terms of gross weight and intrinsic contrast, namely,

$$(3) R_{00} = .0793 \sqrt{C_0 - 1.565} W^{1/3}$$

The effect of target aspect on the maximum range is defined in reference (a) by the relationship

$$(4) R_{0\alpha} = R_{00} \sqrt{\cos \alpha + 2.4 \sin \alpha}, \text{ where } R_{0\alpha} \text{ is the value of } R_0 \text{ for aspect angle } \alpha.$$

The nomograph, Figure A1, combines equations (3) and (4) and thus enables us to solve for  $R_0$  ( $= R_{0\alpha}$ ), given  $C_0$ ,  $W$ , and  $\alpha$ . This replaces the use of Figures 6 and 8 of reference (a).

CONFIDENTIAL

(10) 8835-01

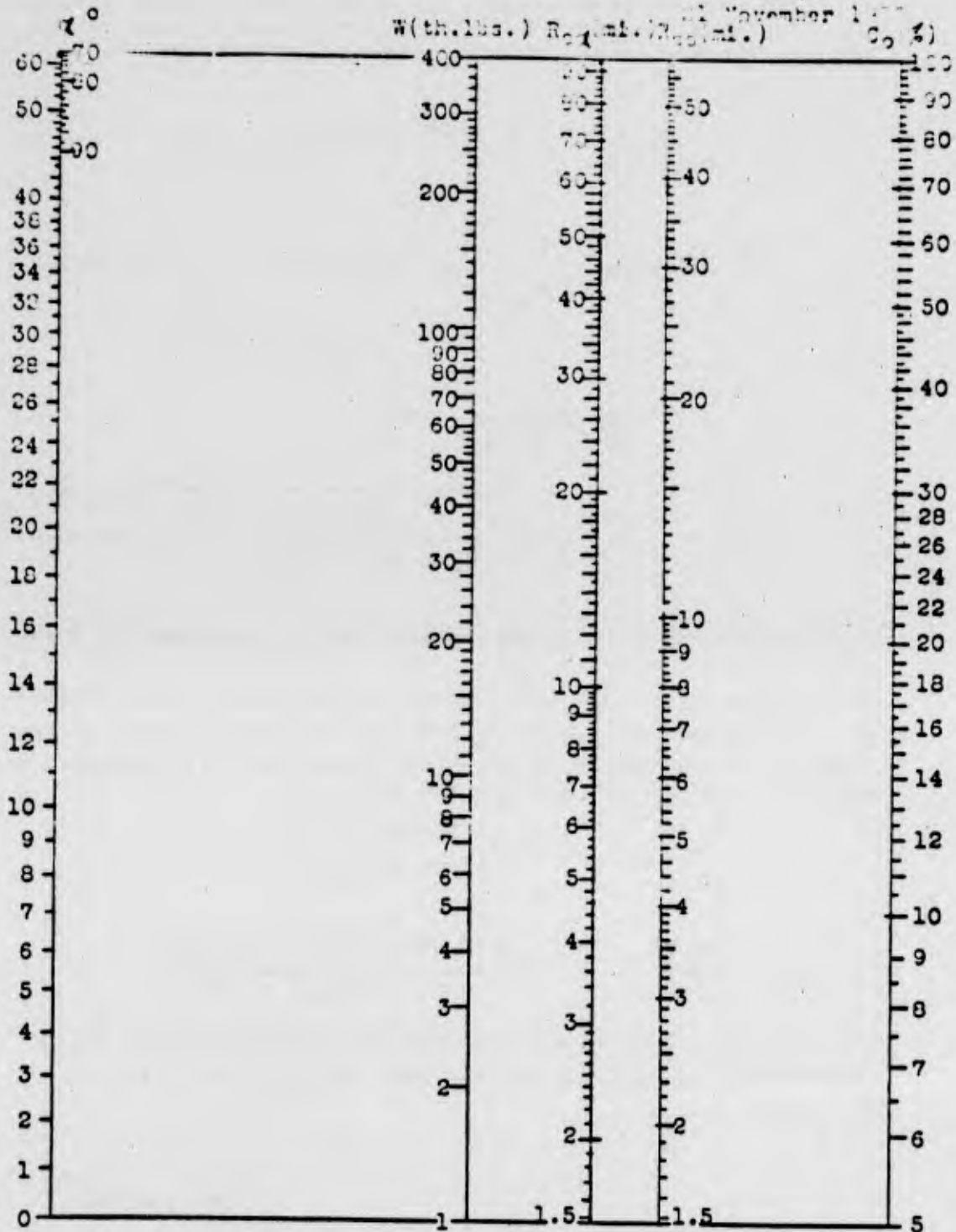


FIG. A1: NOMOGRAPH CONNECTING THE PARAMETERS  $C_0$ ,  $W$ ,  $\alpha$ ,  $R_{00}$ , AND  $R_{0\alpha}$

10  
CONFIDENTIAL

CONFIDENTIAL

As derived in reference (a), the probability of visual detection of a target by an interceptor on a collision course with the target, which has been searching from range  $R_1$  to  $R_2$ , is given by

$$(5) \quad P(R_1, R_2) = 1 - e^{-\frac{R_2}{V} I(R_1, R_2)}, \text{ where}$$

$$(6) \quad I(R_1, R_2) = \int_{R_2/R_0}^{R_1/R_0} -2.21(10)^3 \ln(1 - g) d(R/R_0),$$

$$R_L \leq R_2 < R_1 \leq R_m$$

$$(7) \quad g = \frac{e^2}{[(C+e)(e+e)]}, \text{ and}$$

$$(8) \quad e = \frac{-1.75 + \sqrt{3.0625 - 4.936 C_0(C_0 - 1.565)} e^{-3.44R/V} (R/R_0)^2}{2.438 (C_0 - 1.565) (R/R_0)^2}$$

The detection lobe in dimensionless form is described by  $e$  vs.  $R/R_0$ ,  $\Theta$  being the polar angle. The probability of detection in one glimpse is  $g$ .  $R_m$  and  $R_L$  are solutions of the transcendental equations obtained by setting  $\Theta = .80^\circ, 90^\circ$  respectively in the equation of the detection lobe (which applies only between these values). These equations are respectively,

$$(9) \quad \left(\frac{R_m}{R_0}\right)^2 = \frac{C_0 e^{-(3.44R_0/V)R_m/R_0} - 1.565}{C_0 - 1.565} \text{ and}$$

$$(10) \quad \left(\frac{R_L}{R_0}\right)^2 = \frac{C_0 e^{-(3.44R_0/V)R_L/R_0} - 16.602}{112.4 (C_0 - 1.565)}$$

The integral  $I(R_m, R)$  was computed for a set of values of the parameters  $C_0, R_0/V, H$ , and  $\phi$ . For  $R_1 < R_m$ , it is a simple matter to obtain  $I(R_1, R)$  by using the relation

CONFIDENTIAL

(10)0000-00  
01 November 1980

$$(11) \quad I(R_1, R) = I(R_1, R) - I(R_1, R_1)$$

The values of the integral  $I$  were obtained in the following way:

- 1) For each combination of the parameters  $R_0/V$  and  $C_0$ , the transcendental equations (3) and (10) were solved, using the Newton-Raphson method of successive approximations, to determine the values of  $R_m/R_0$  and  $R_L/R_0$ .
  - 2) For each case, the range band  $R_L/R_0 \leq R/R_0 \leq R_m/R_0$  was divided into ten equal intervals, the last three of these being subdivided in two.
  - 3) For each set of 13 values of  $R/R_0$  obtained in this way, corresponding values of  $\theta$  were computed, using equation (3).
  - 4) For every combination of values of  $\theta$  and  $\phi$ , using the values of  $\theta$  computed above,  $g$  was computed, using equation (7).
  - 5) For each value of  $g$ ,  $-\ln(1-g)$  was obtained.
  - 6) Integration was done numerically, using Simpson's rule.
  - 7) Multiplication by an appropriate constant was performed to obtain  $I$ .
- (Steps 4, 5, 6, and 7 were done on IBM equipment)
- 8) Graphs were plotted on semi-log paper of  $I + 10$  vs.  $R/R_0$ , each page containing one combination of the parameters  $C_0$ ,  $\theta$ , and  $\phi$ , and the complete range of  $R_0/V$ .

Note:  $I + 10$  was chosen as the ordinate rather than  $I$  in order that the whole range of values could be included on the semi-log scale.

Contents:

(I) Figure A1, page 13: Nomograph connecting the parameters  $C_0$ ,  $\lambda$ ,  $\alpha$ ,  $R_{00}$ , and  $R_{00}\alpha$ . To be used in determining the value of  $R_0$  corresponding to given values of  $C_0$ ,  $\lambda$ , and  $\alpha$ . Corresponding values of  $\lambda$ ,  $C_0$ , and  $R_{00}$  are collinear; likewise, corresponding values of  $\alpha$ ,  $R_{00}$ , and  $R_{00}\alpha$ .

(II) Figure A2, pages 15 to 89: Graphs to be used in determining the value of the integral  $I$ , used in equation (5) for computing the probability of visual detection of a single target by an interceptor on a collision course. These graphs are given for the following range of parameter values:

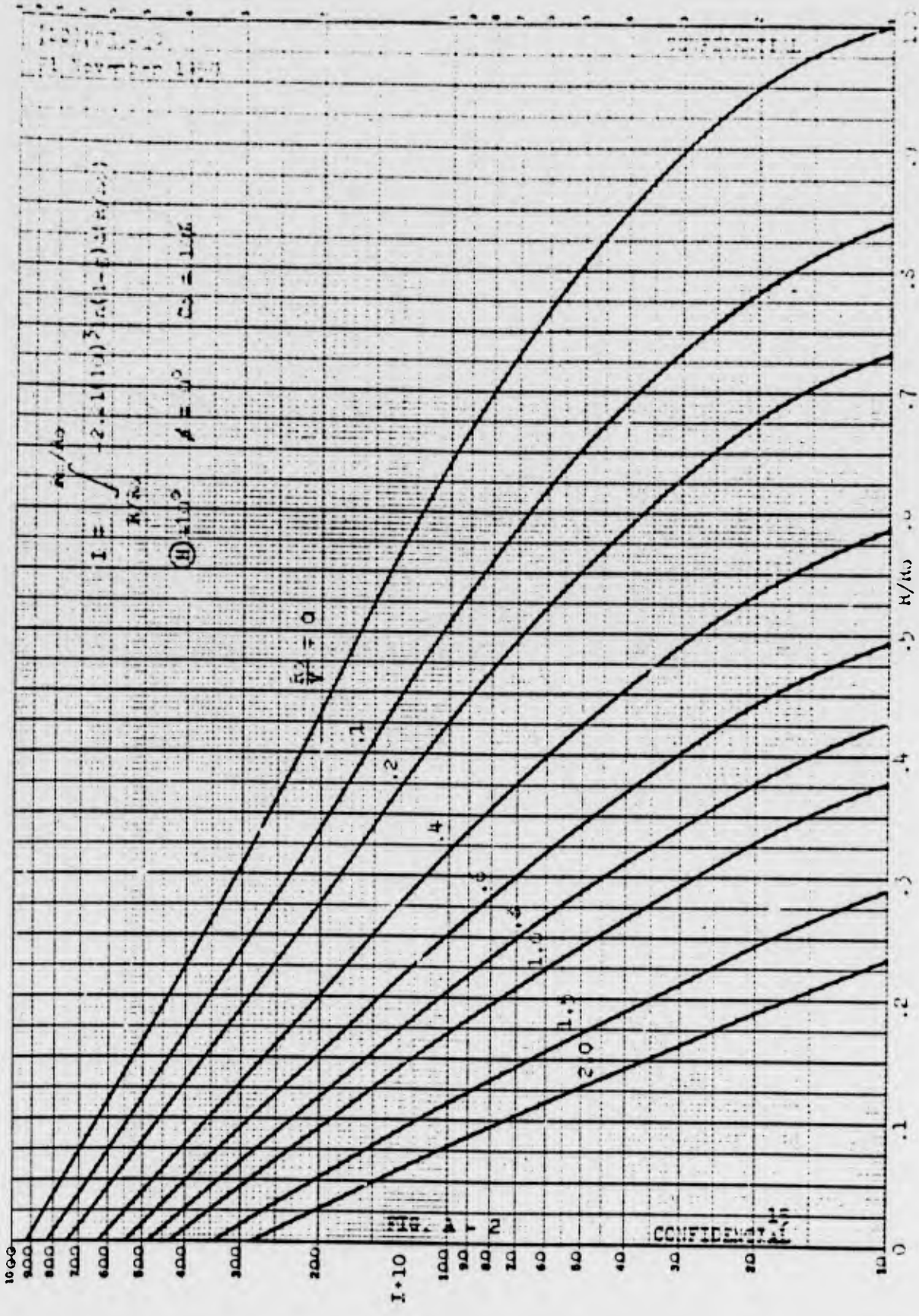
(i) Azimuth scan angles  $\lambda$ :  $10^\circ$ ,  $20^\circ$ ,  $30^\circ$ ,  $45^\circ$ ,  $60^\circ$

(ii) Elevation scan angles:  $0^\circ$ ,  $3^\circ$ ,  $5^\circ$

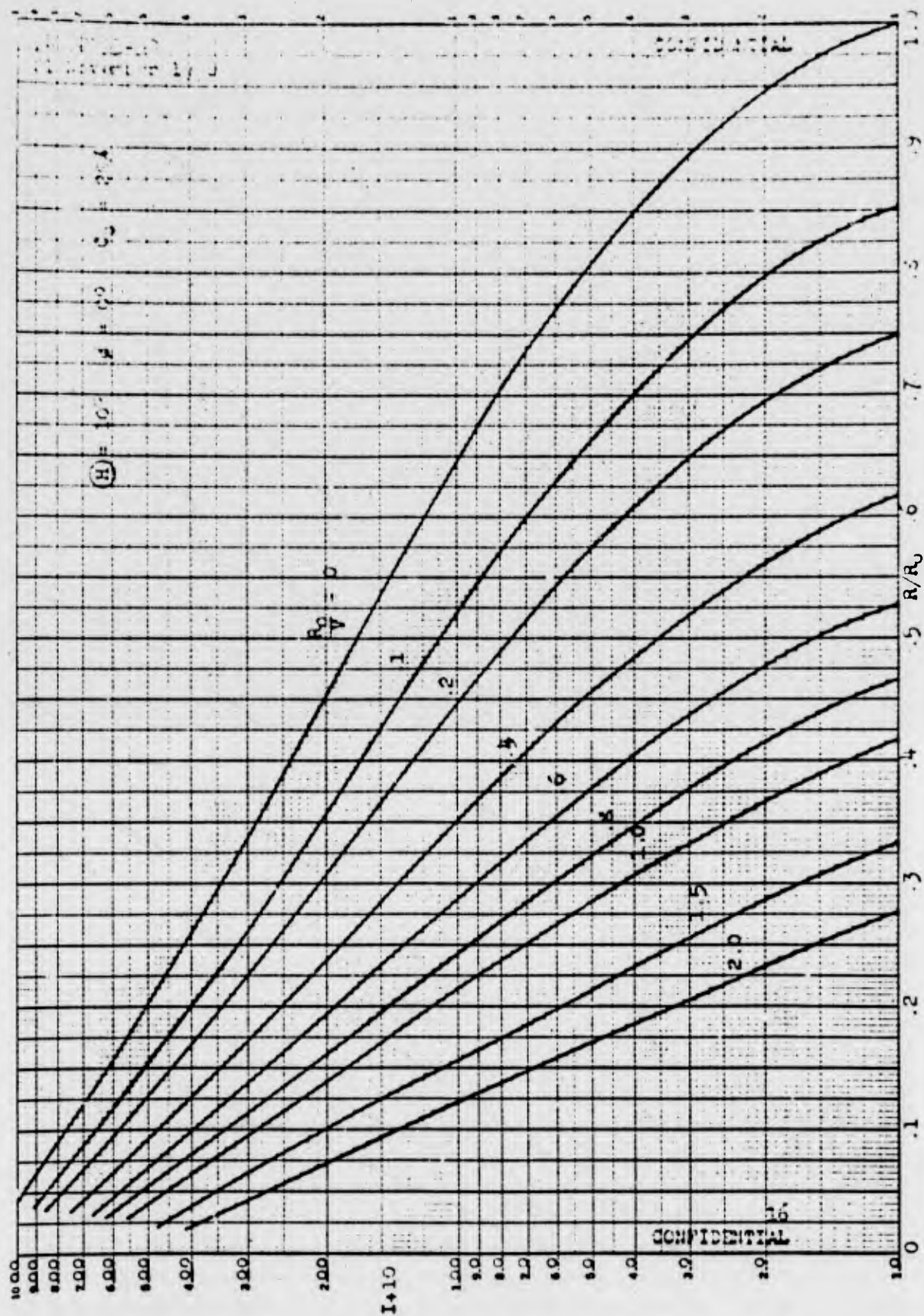
(iii) Intrinsic contrast of target,  $C_0$ : 10, 20, 30, 50, 100%

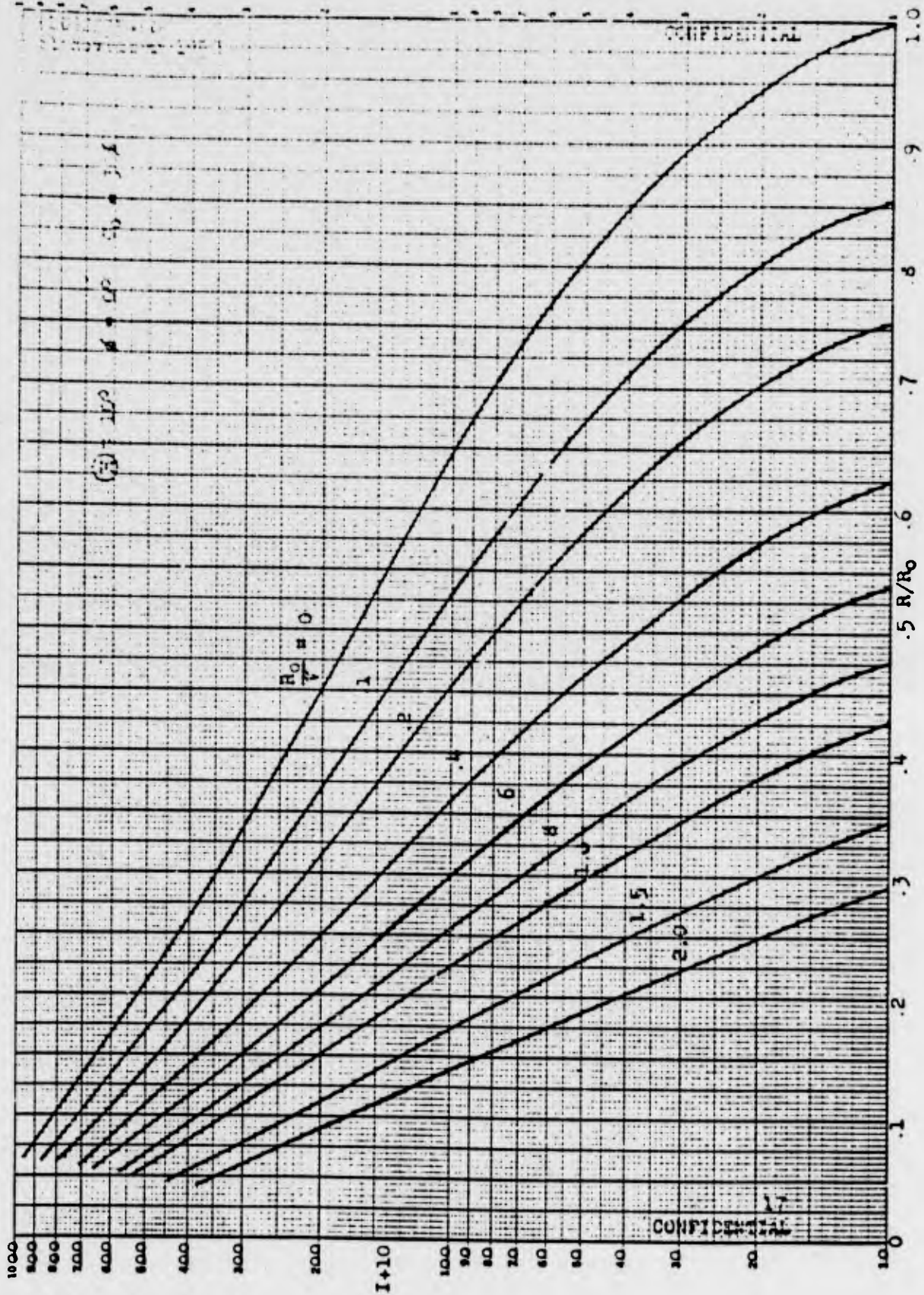
(iv)  $R_0/V$ : 0, .1, .2, .4, .6, .8, 1.0, 1.5, 2.0

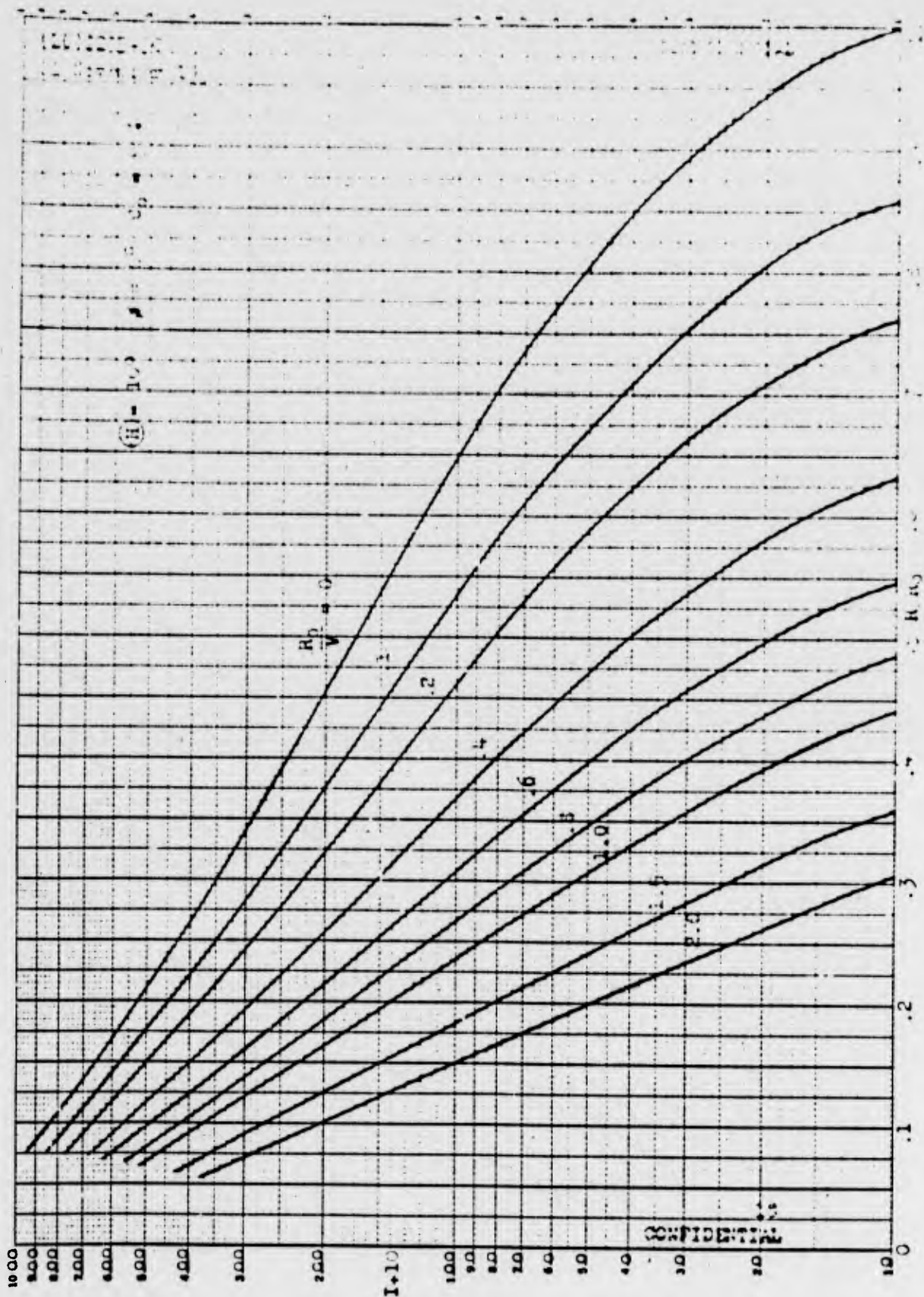
The limits of integration are from the variable lower limit  $R/R_0$  to the fixed upper limit  $R_{\infty}/R_0$ . The ordinate plotted is  $I + 10$  in order to include the complete range of  $I$  on the logarithmic scale.



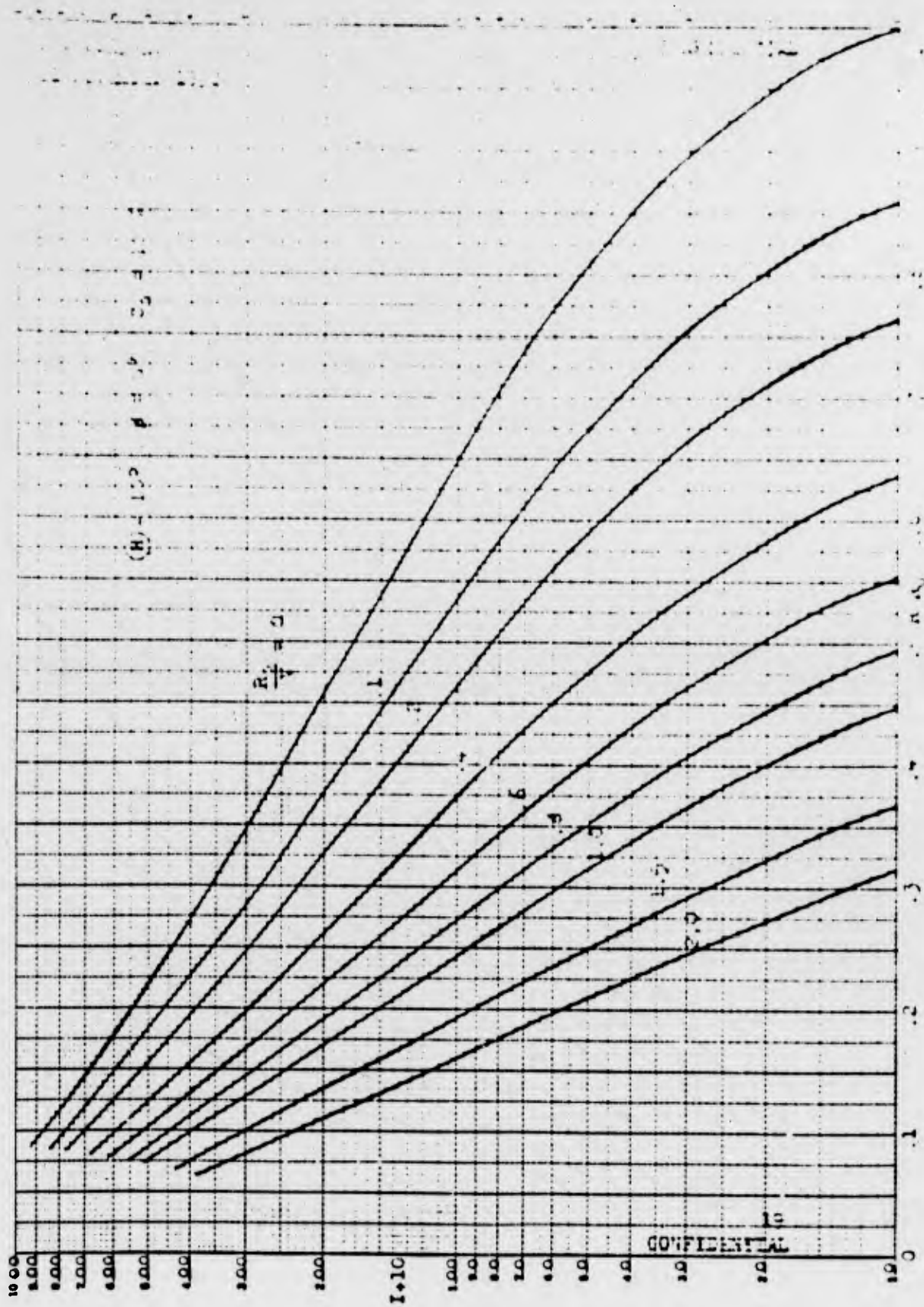


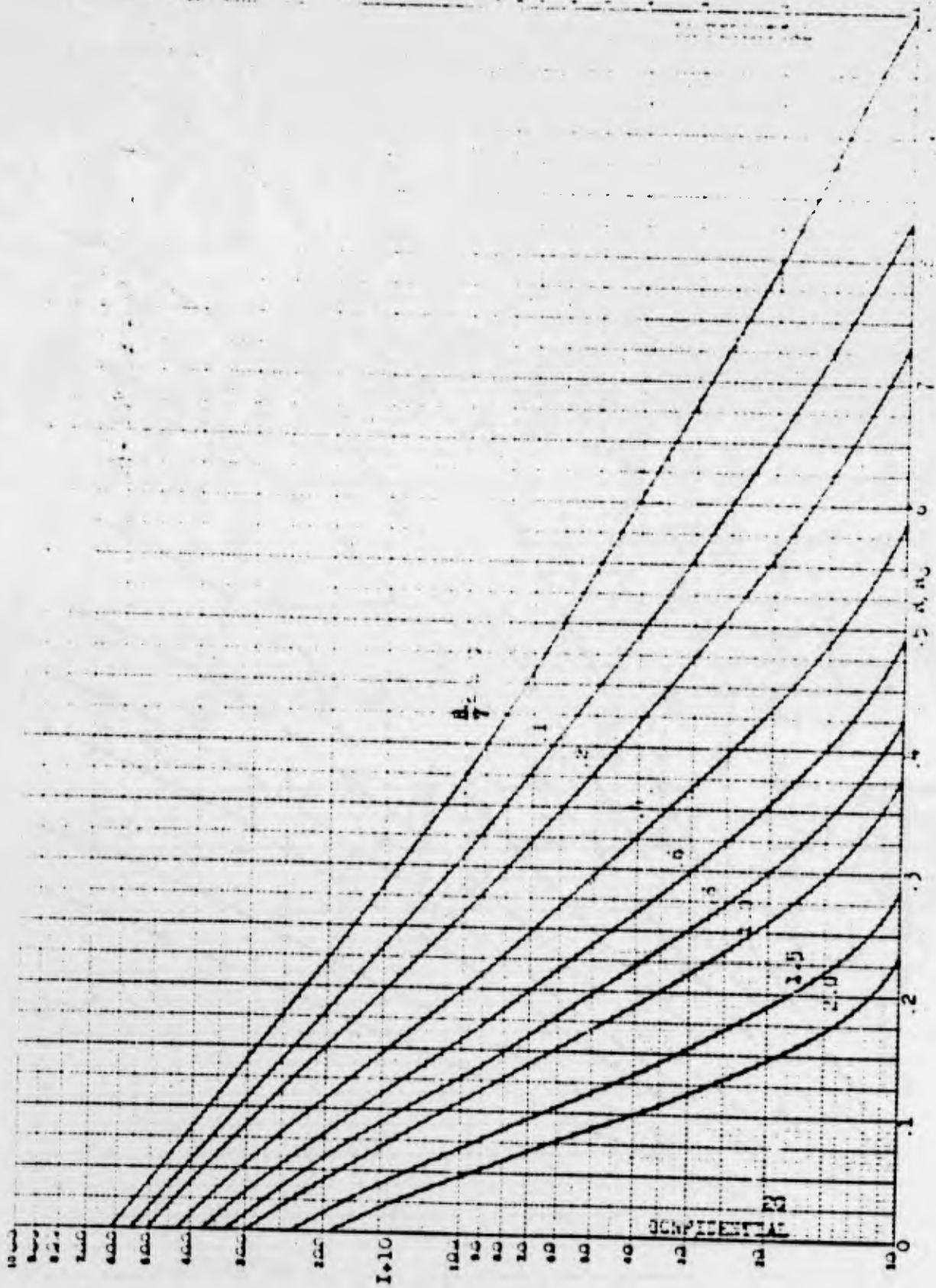


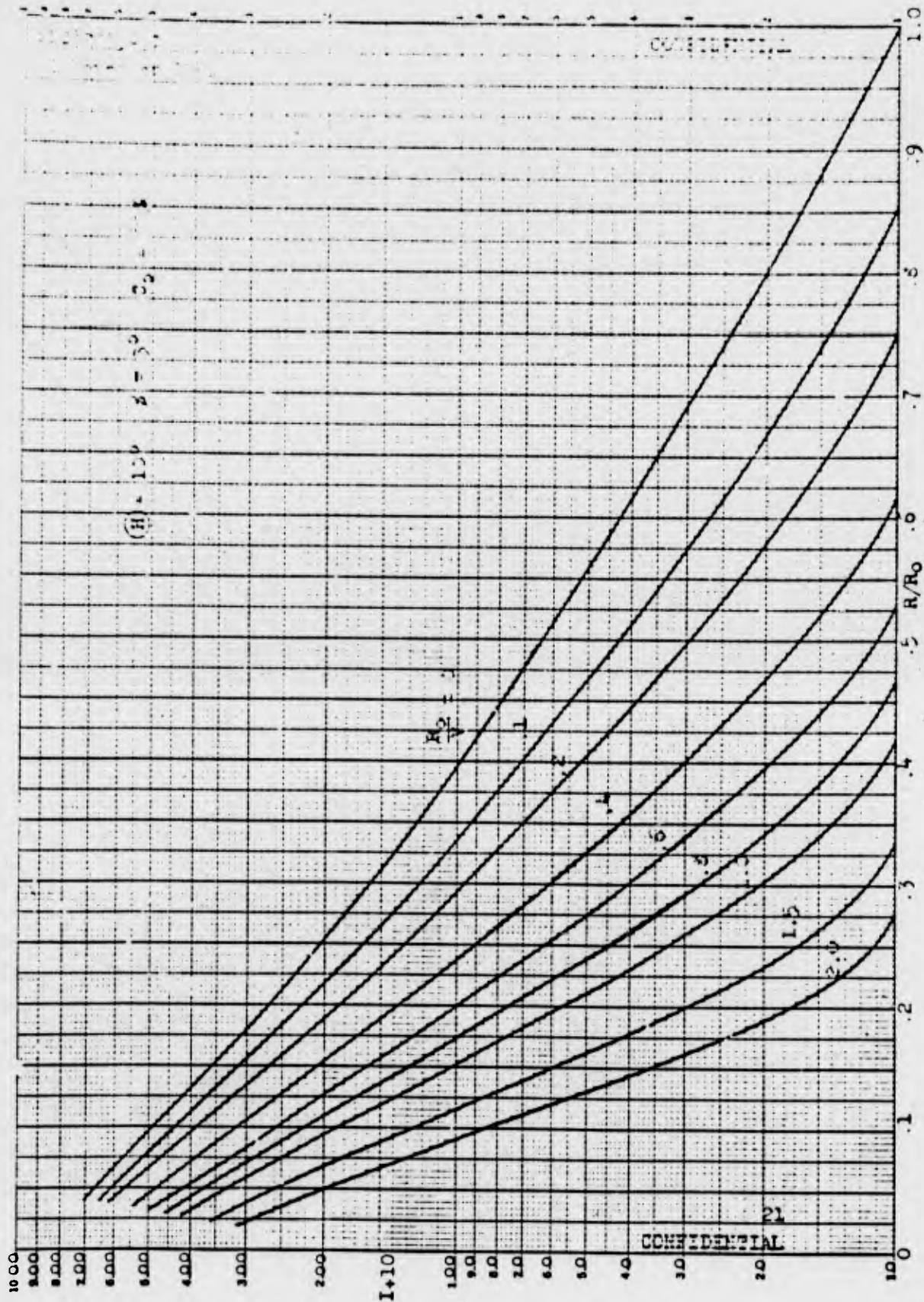








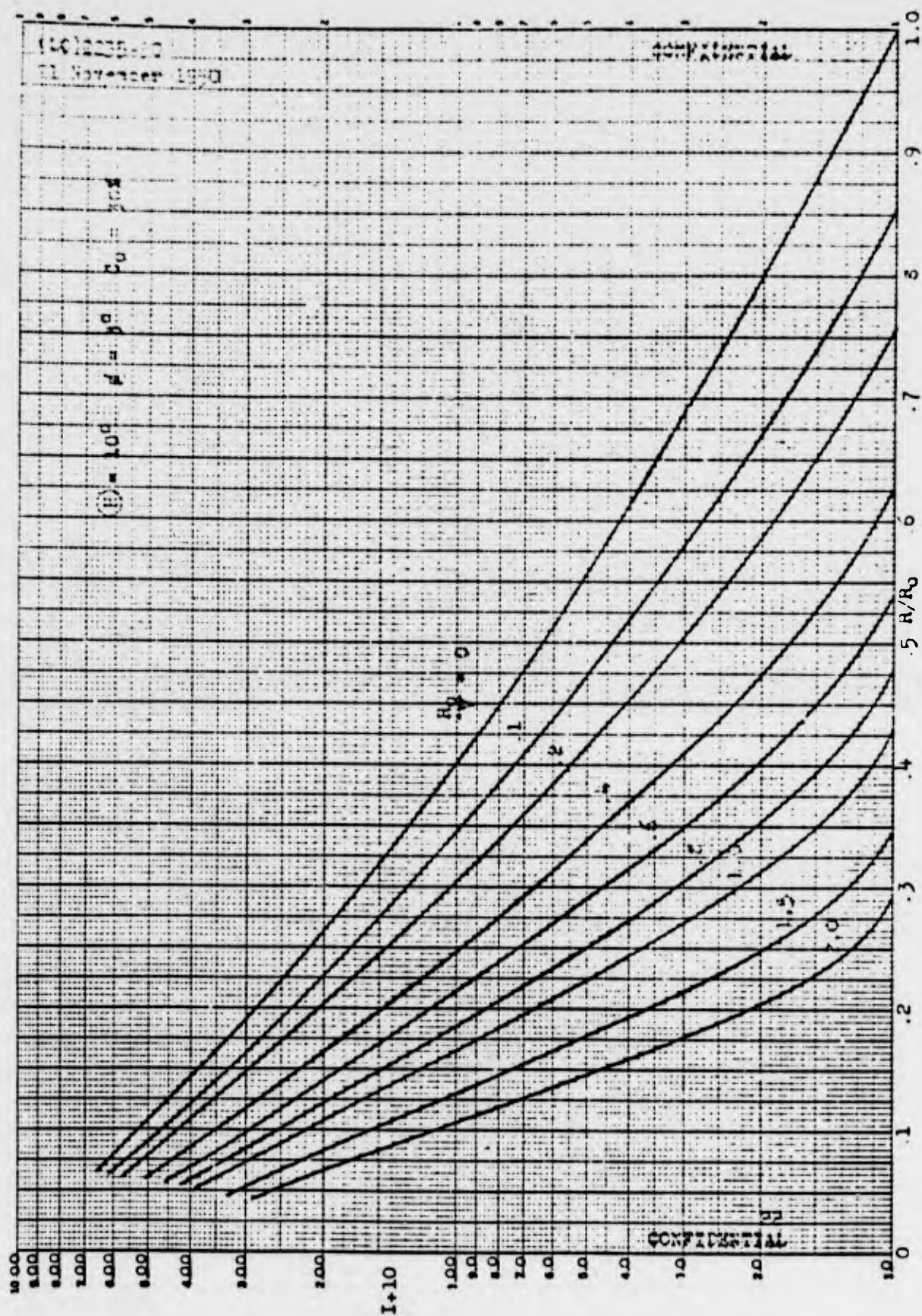




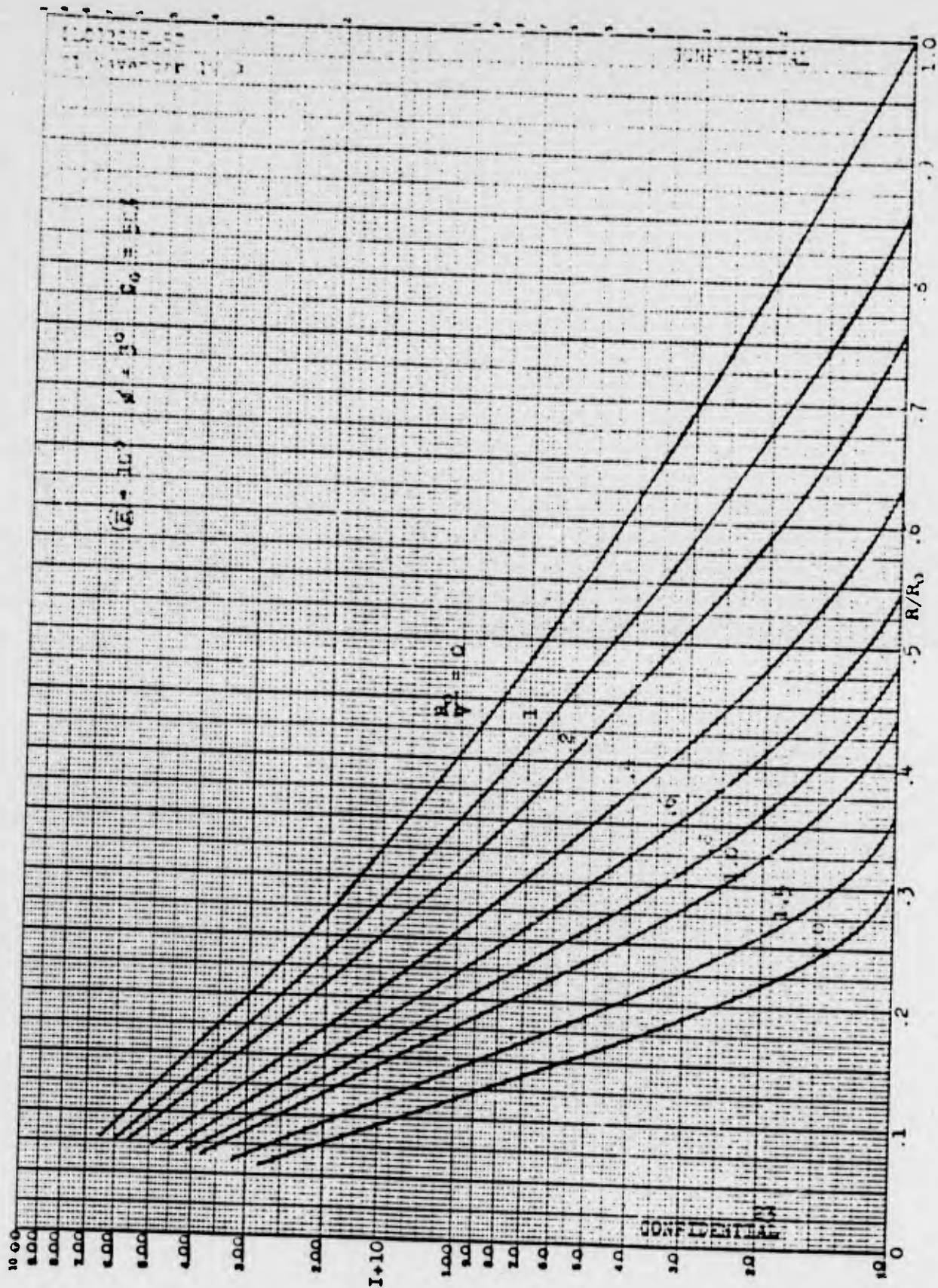
4447

—

~~CONFIDENTIAL~~

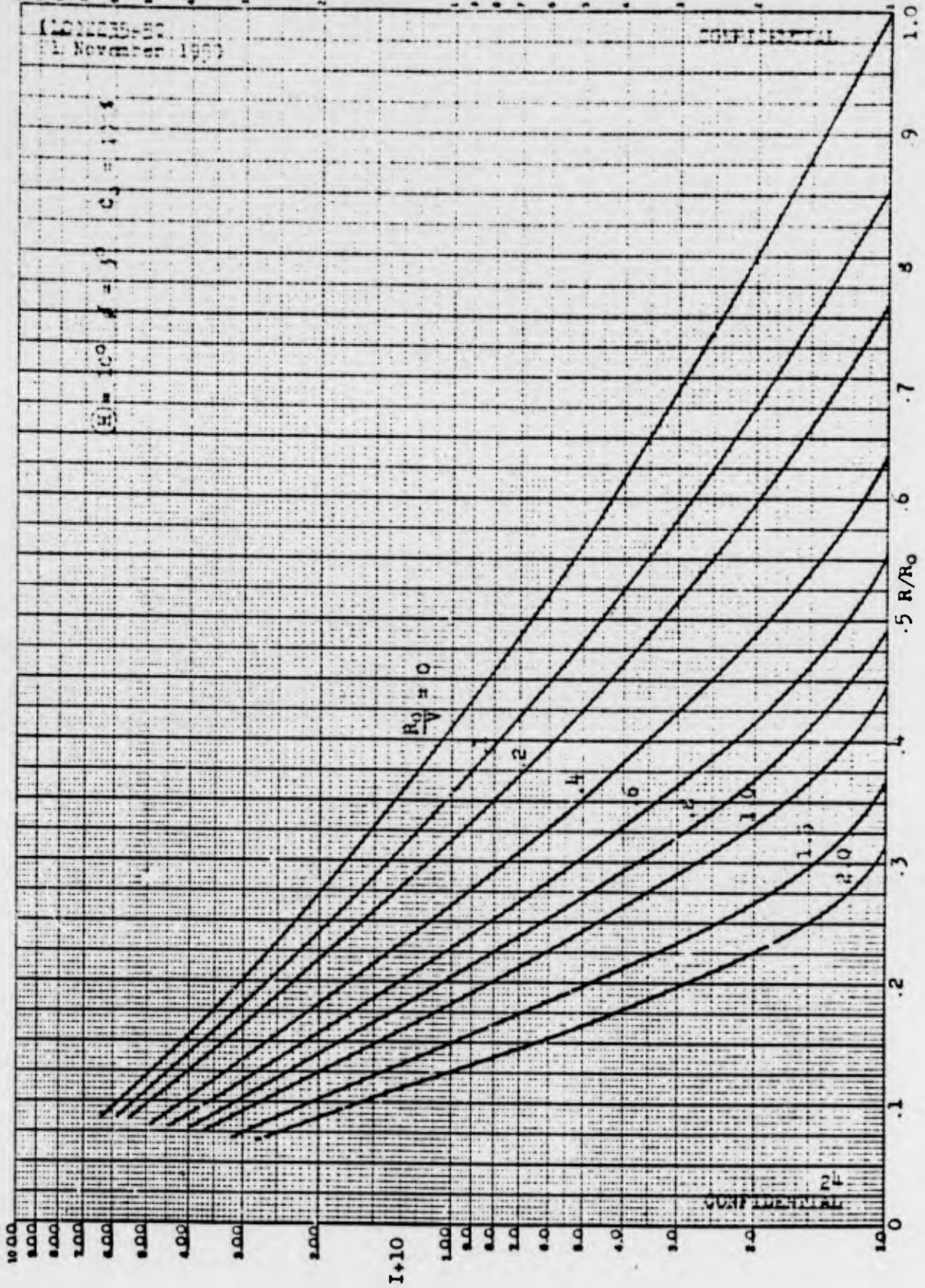


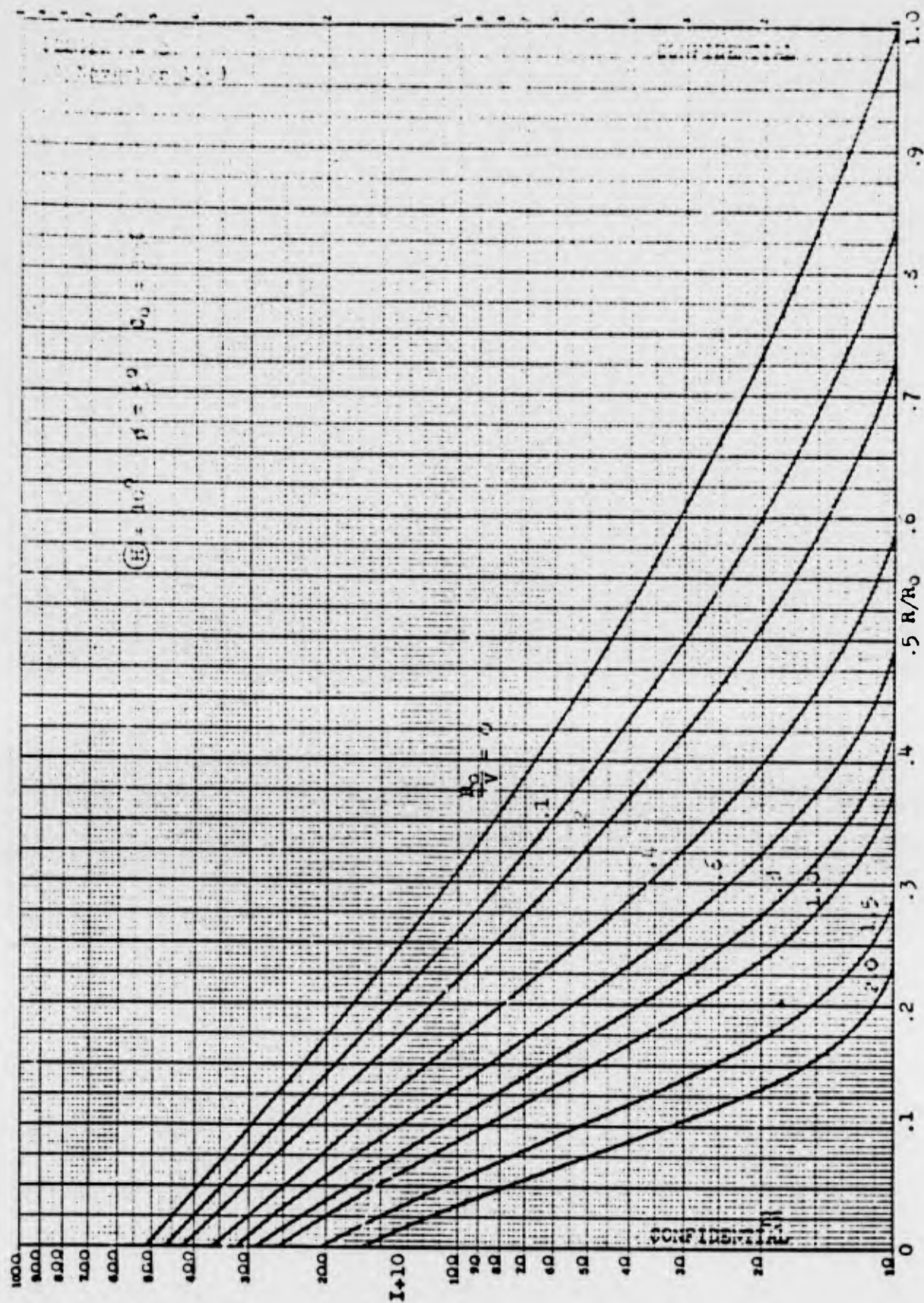






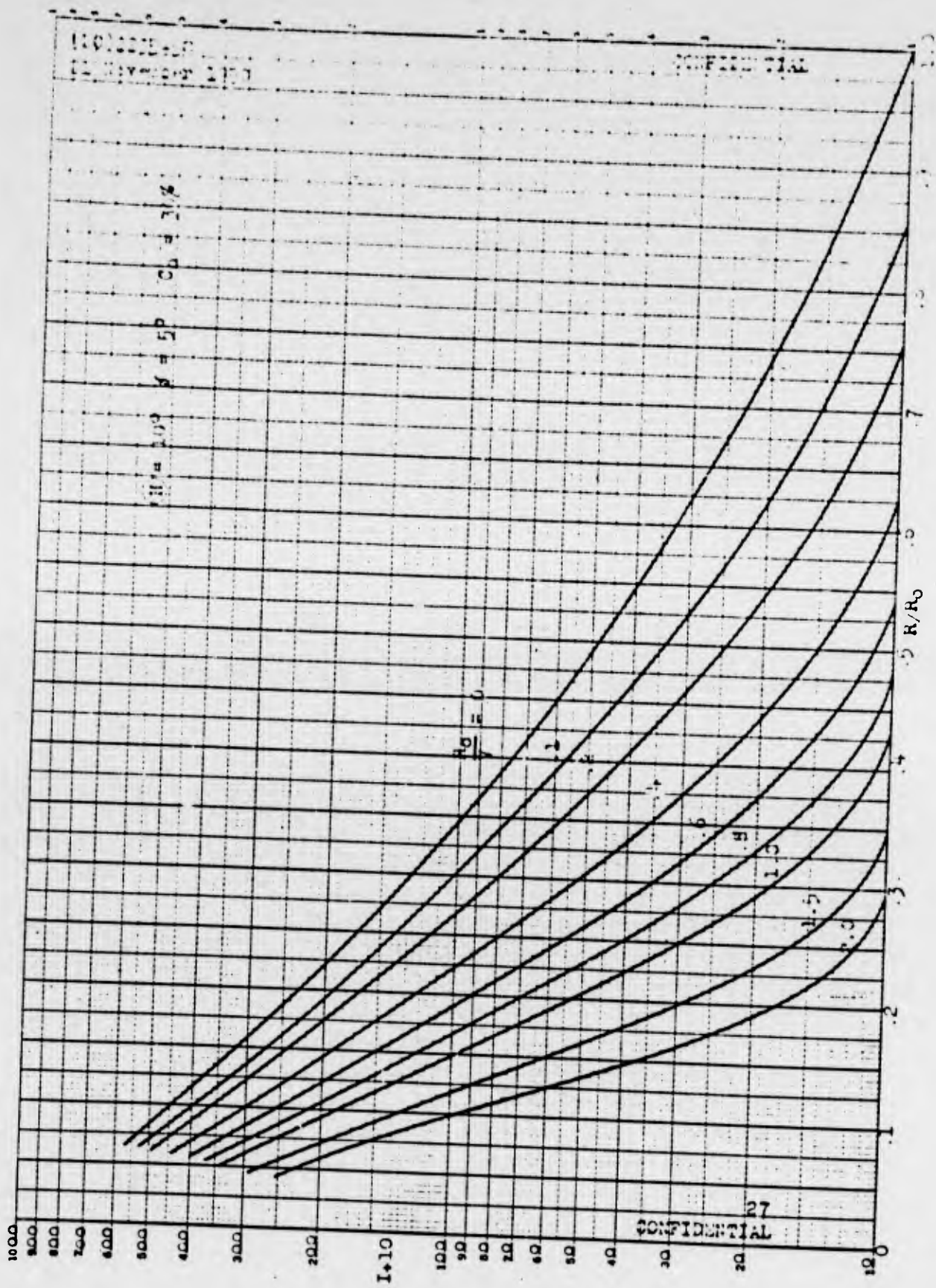
CONFIDENTIAL  
11 November 1955

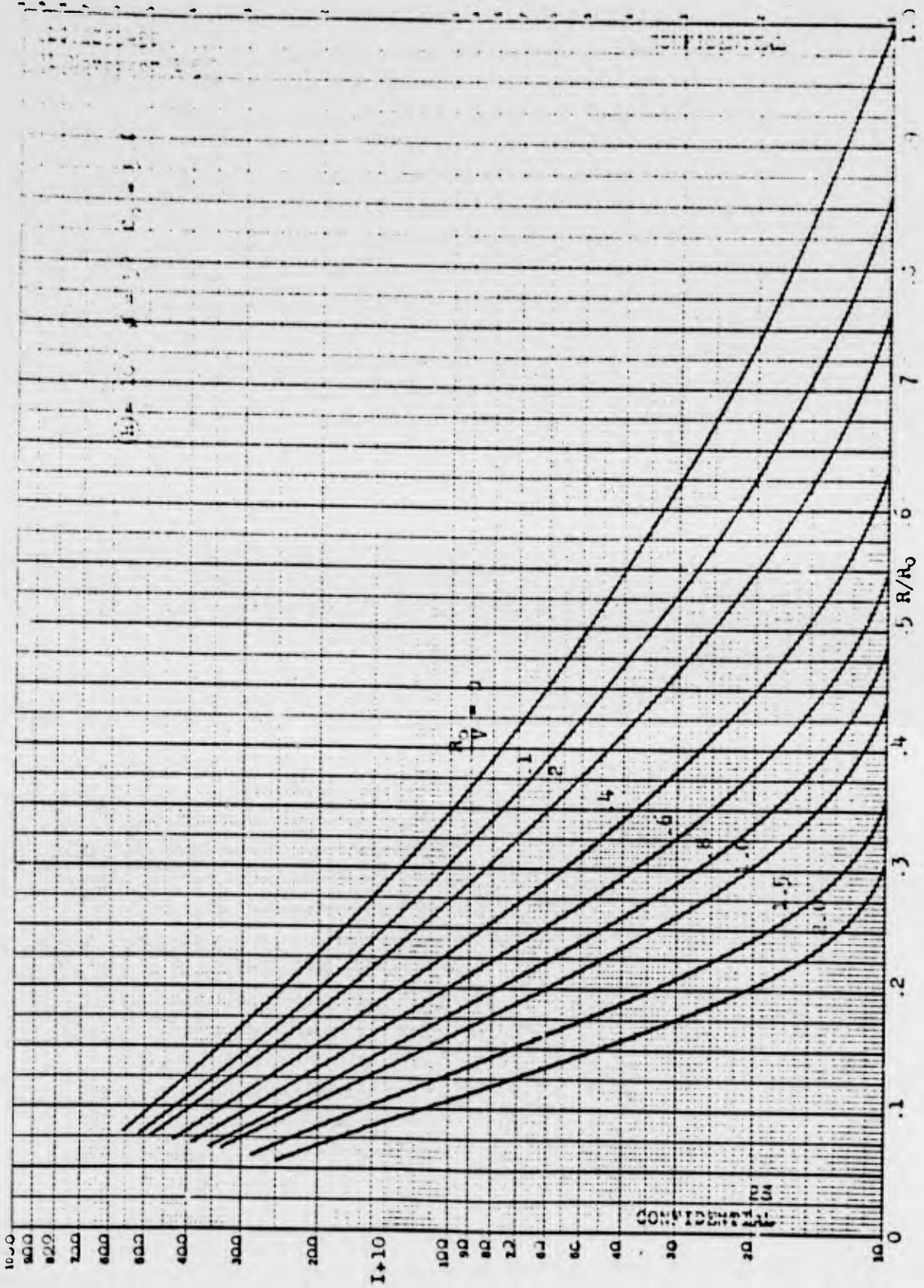


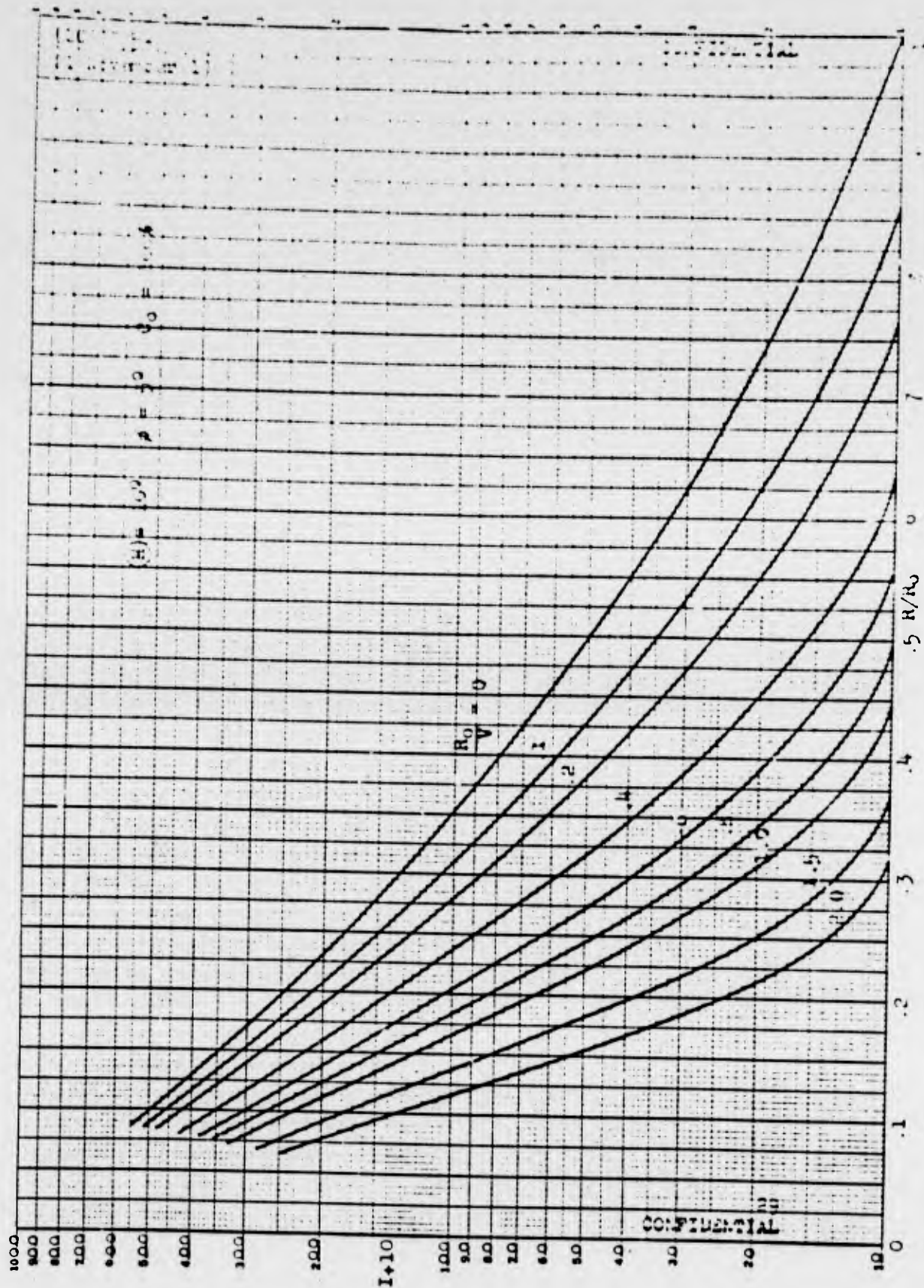




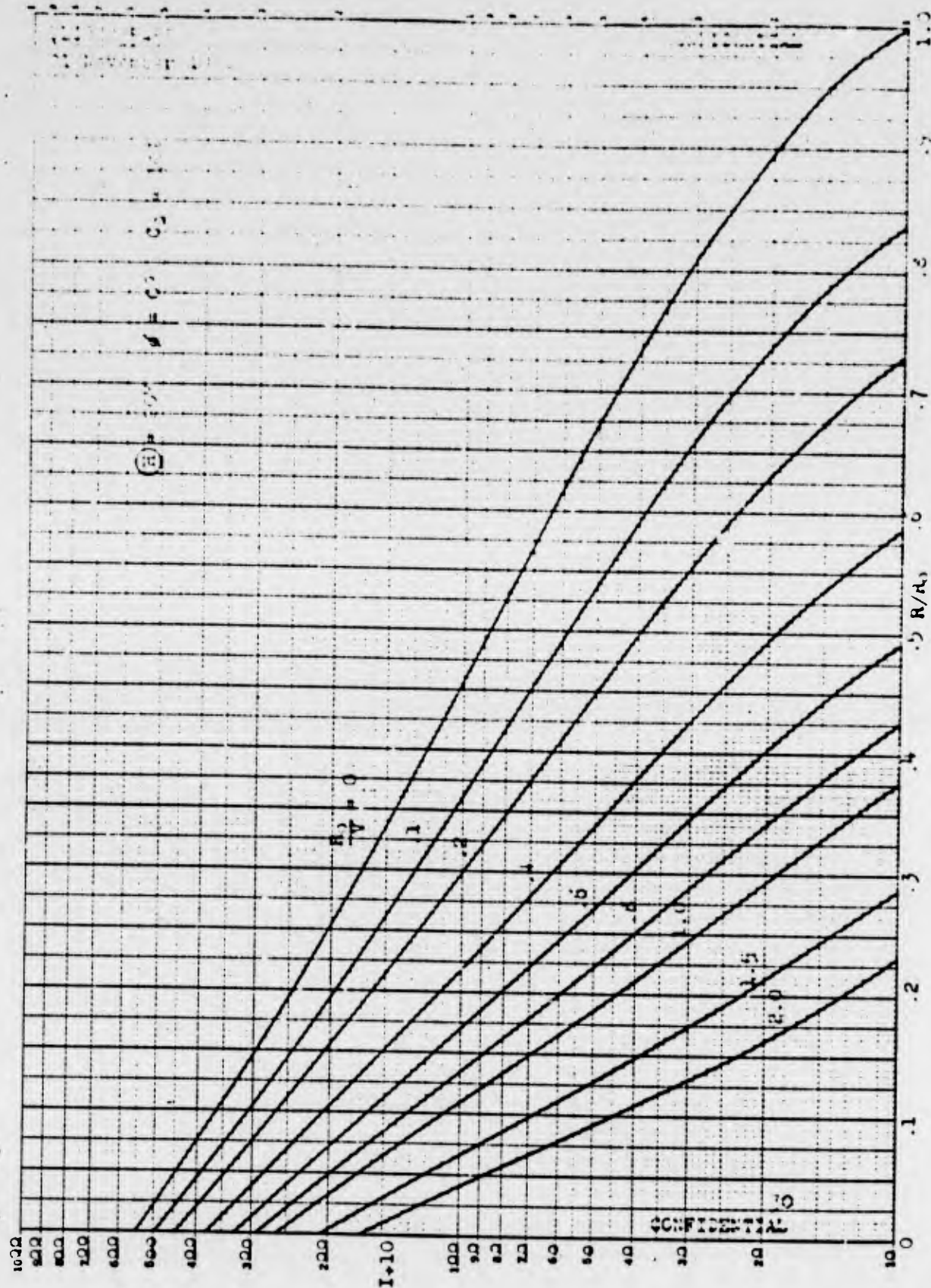


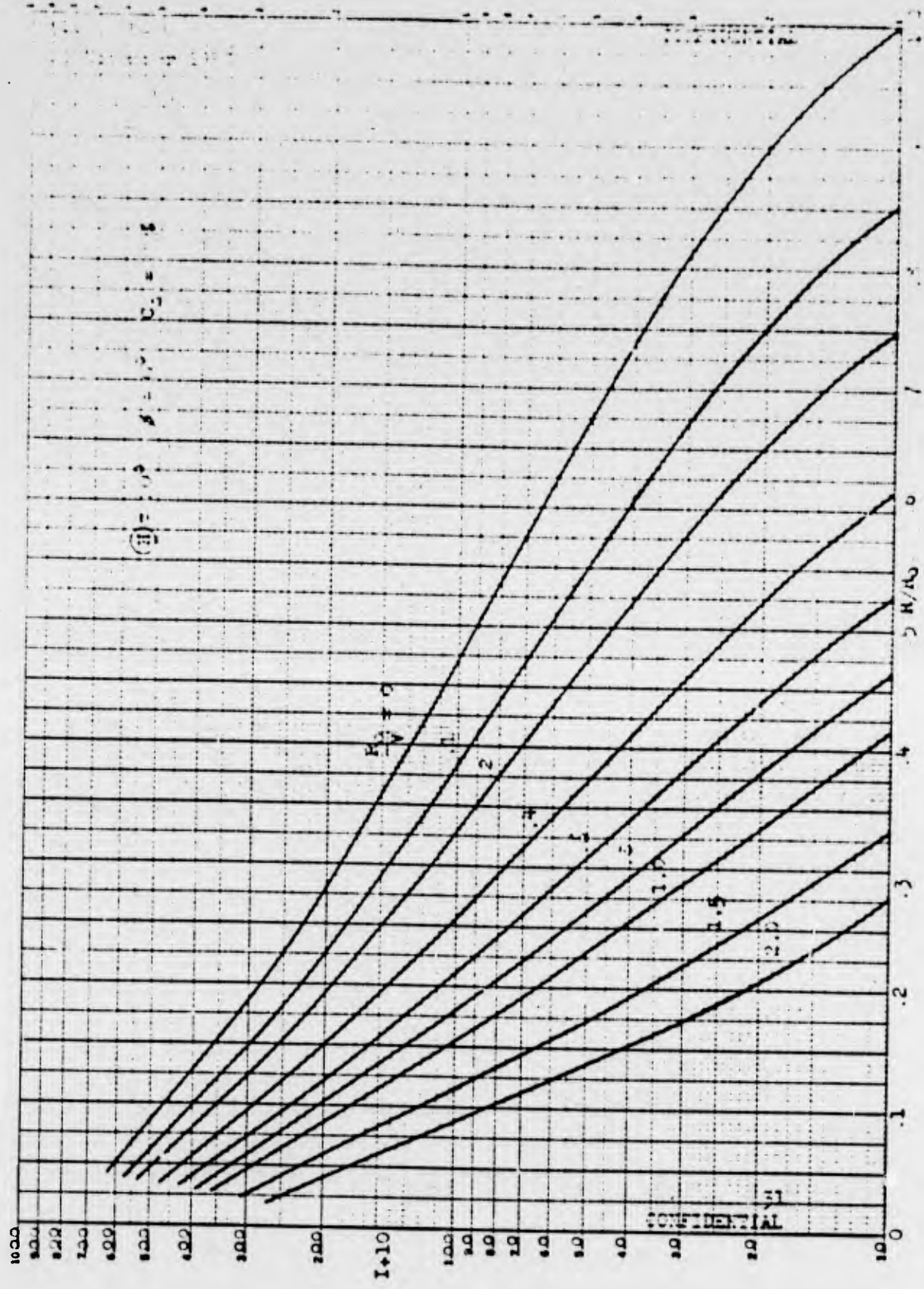




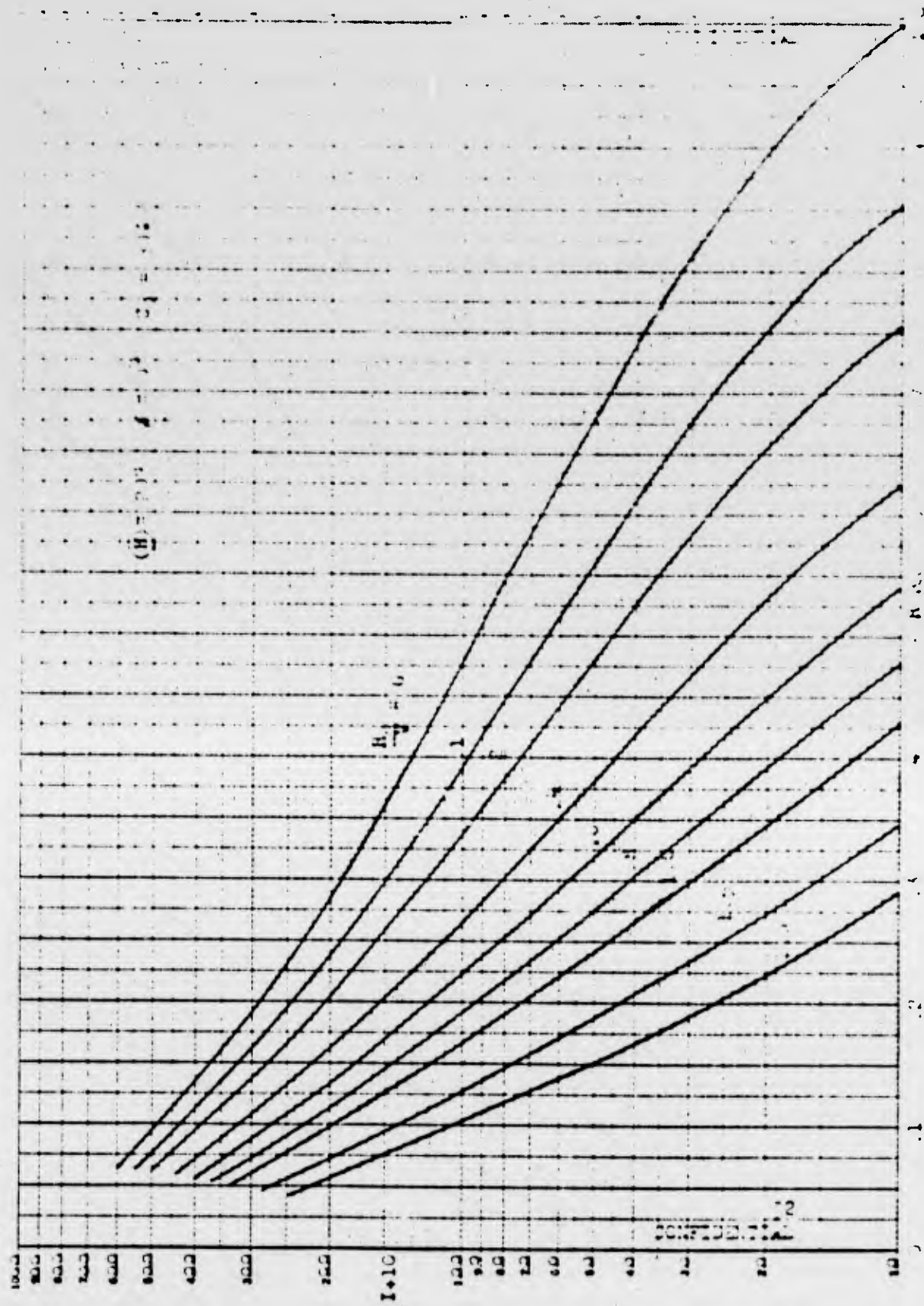


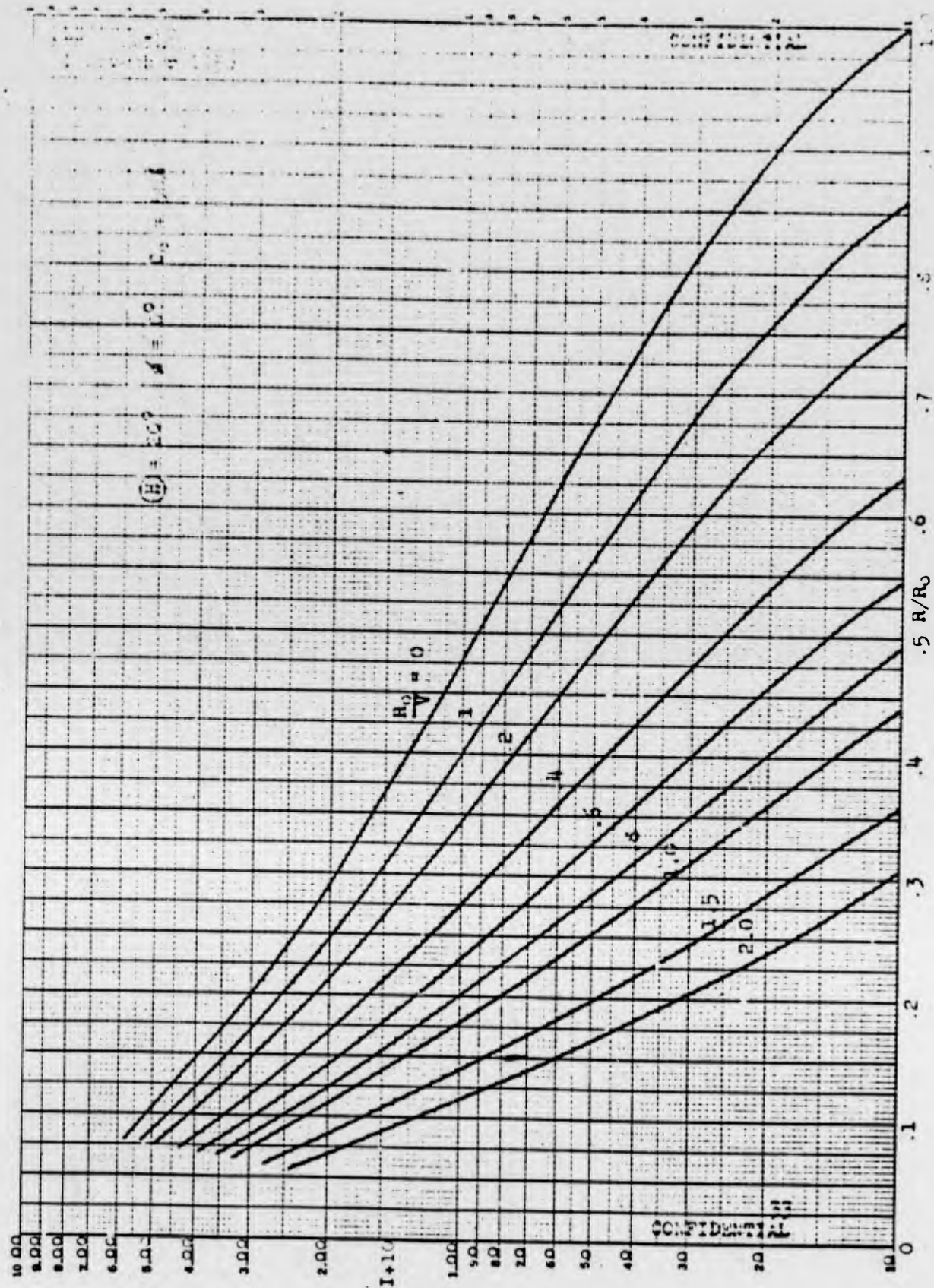


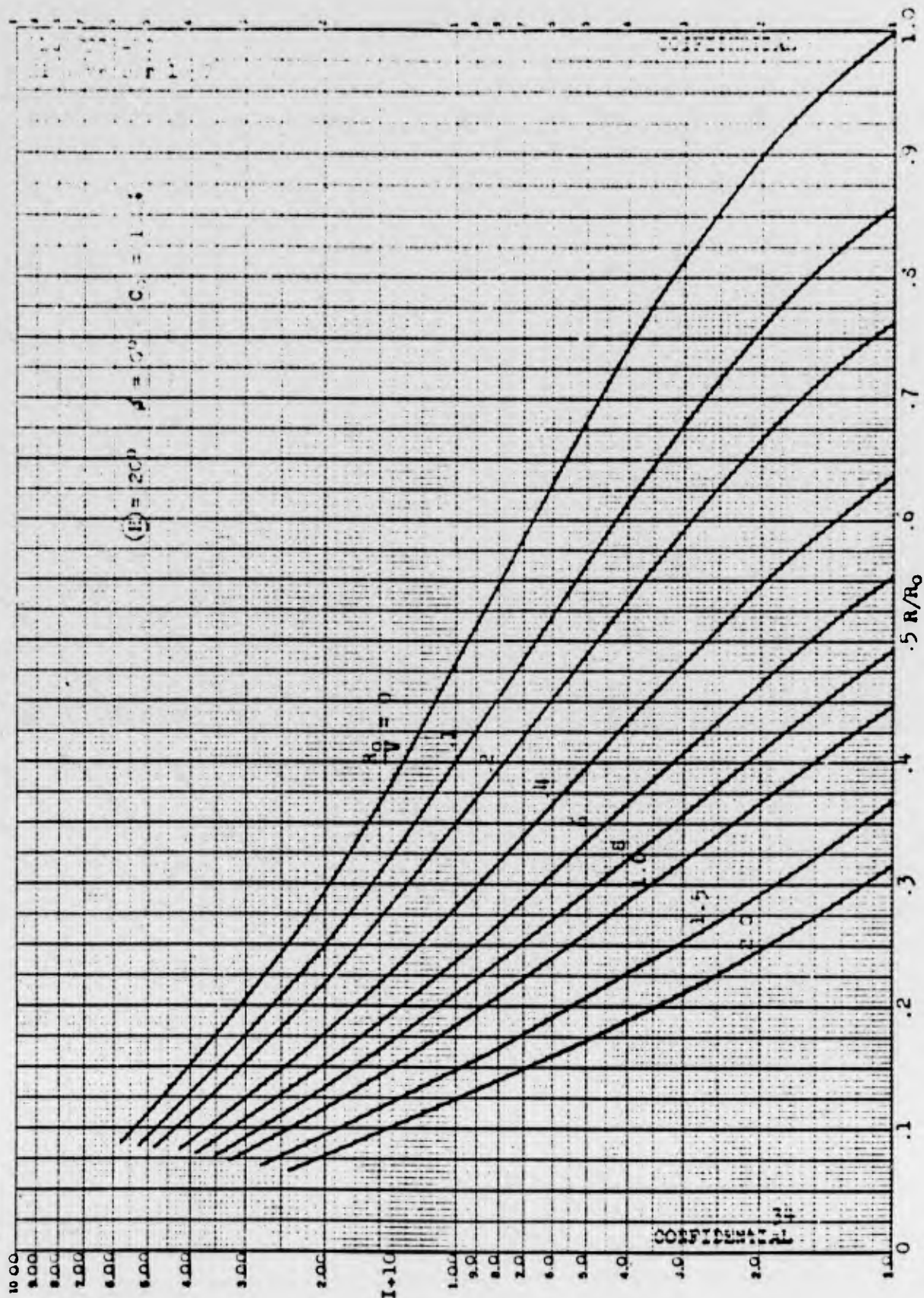




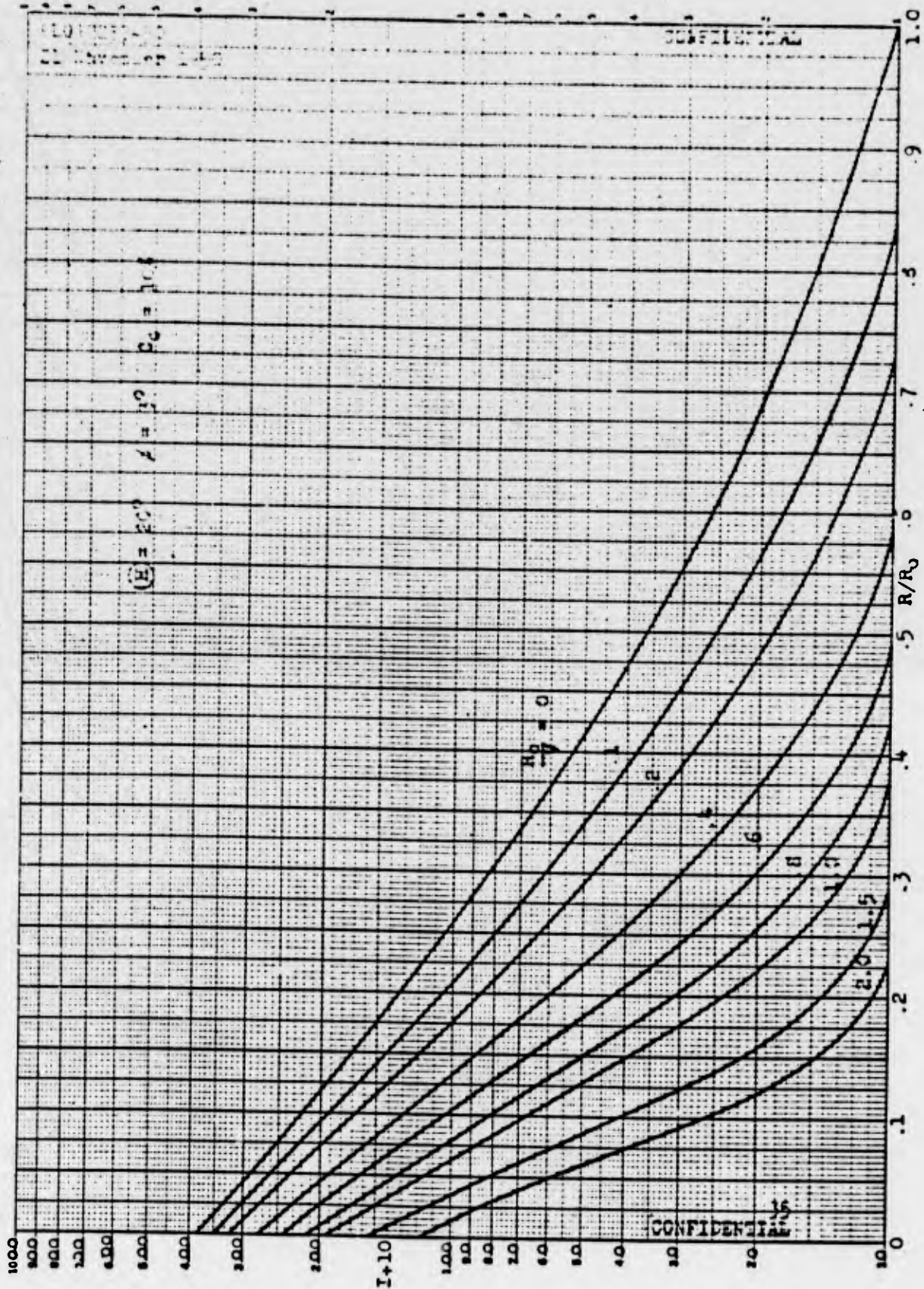








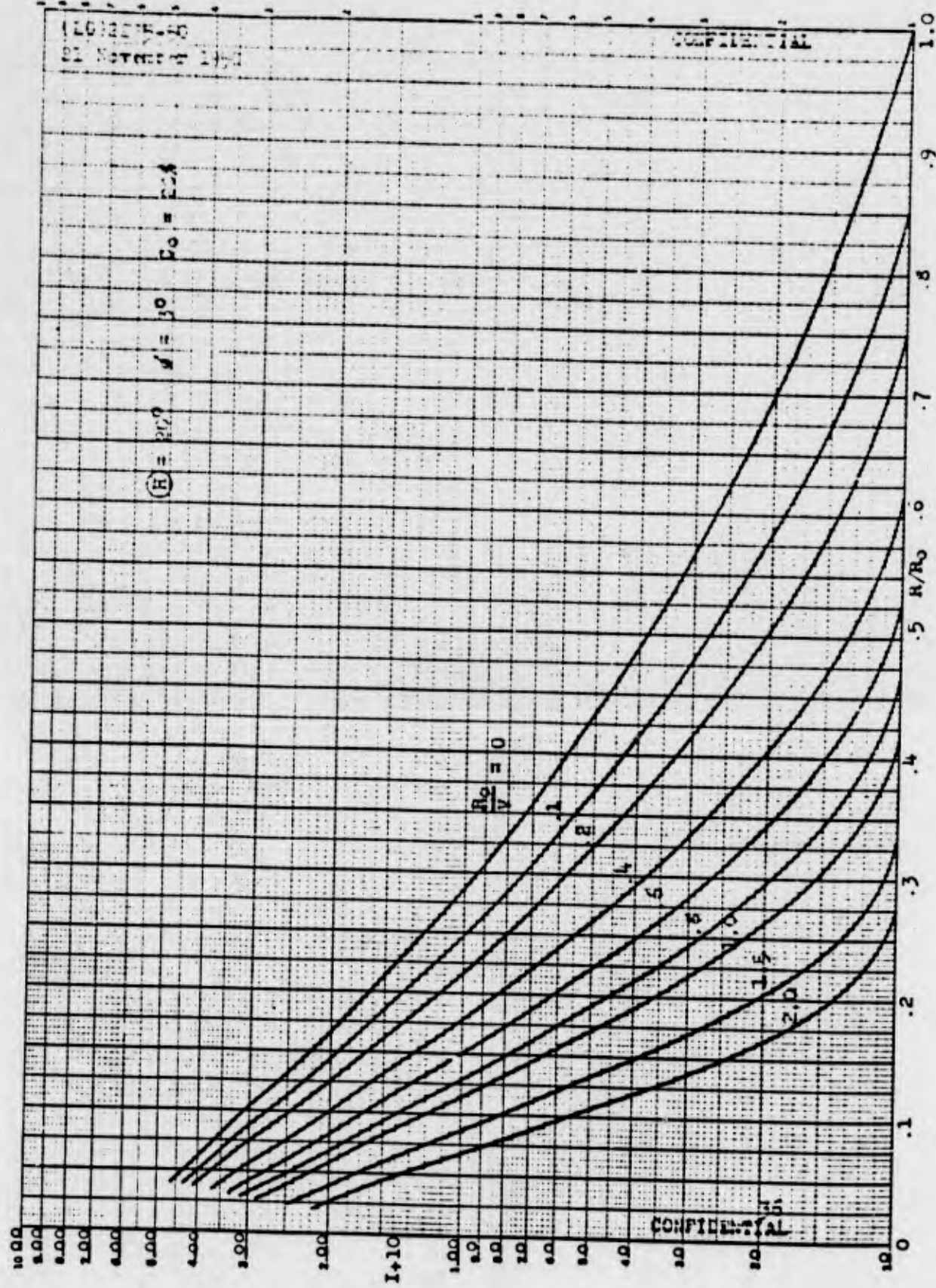




CONFIDENTIAL  
 21 NOV 68 11:50

CONFIDENTIAL

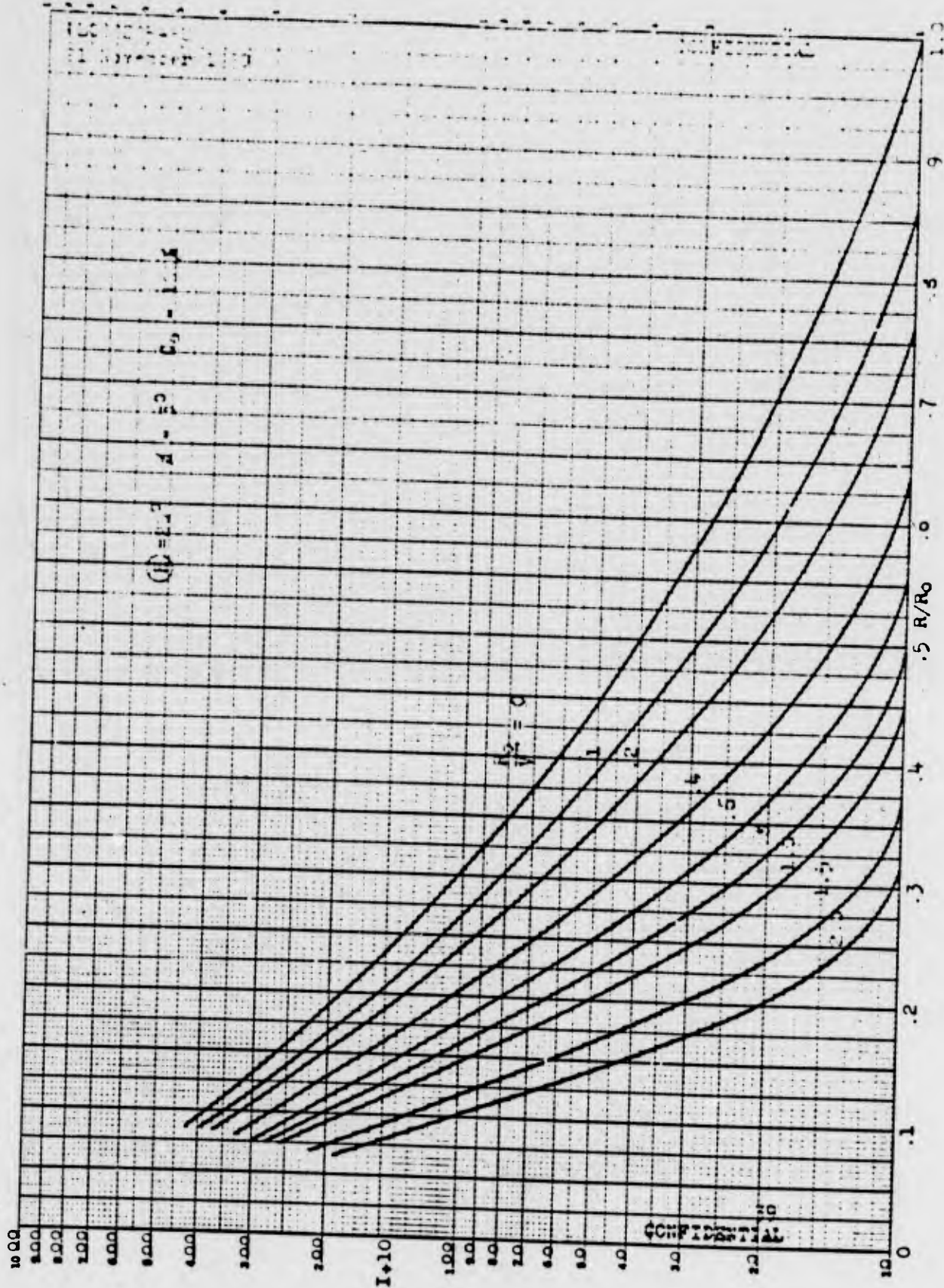
(H) = 200  $\mu$  = 30  $\sigma_0$  = 25%











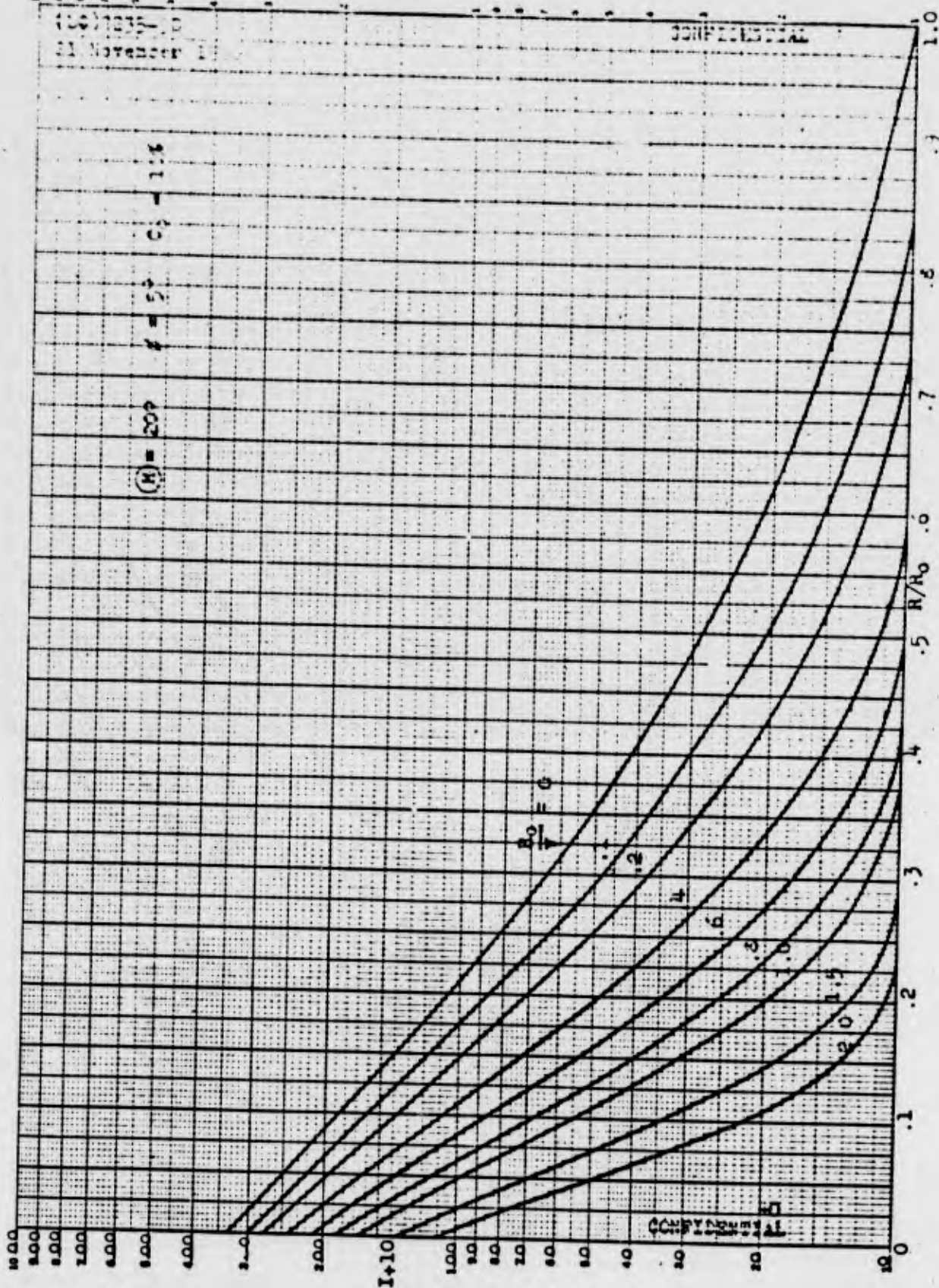


100-1237-10

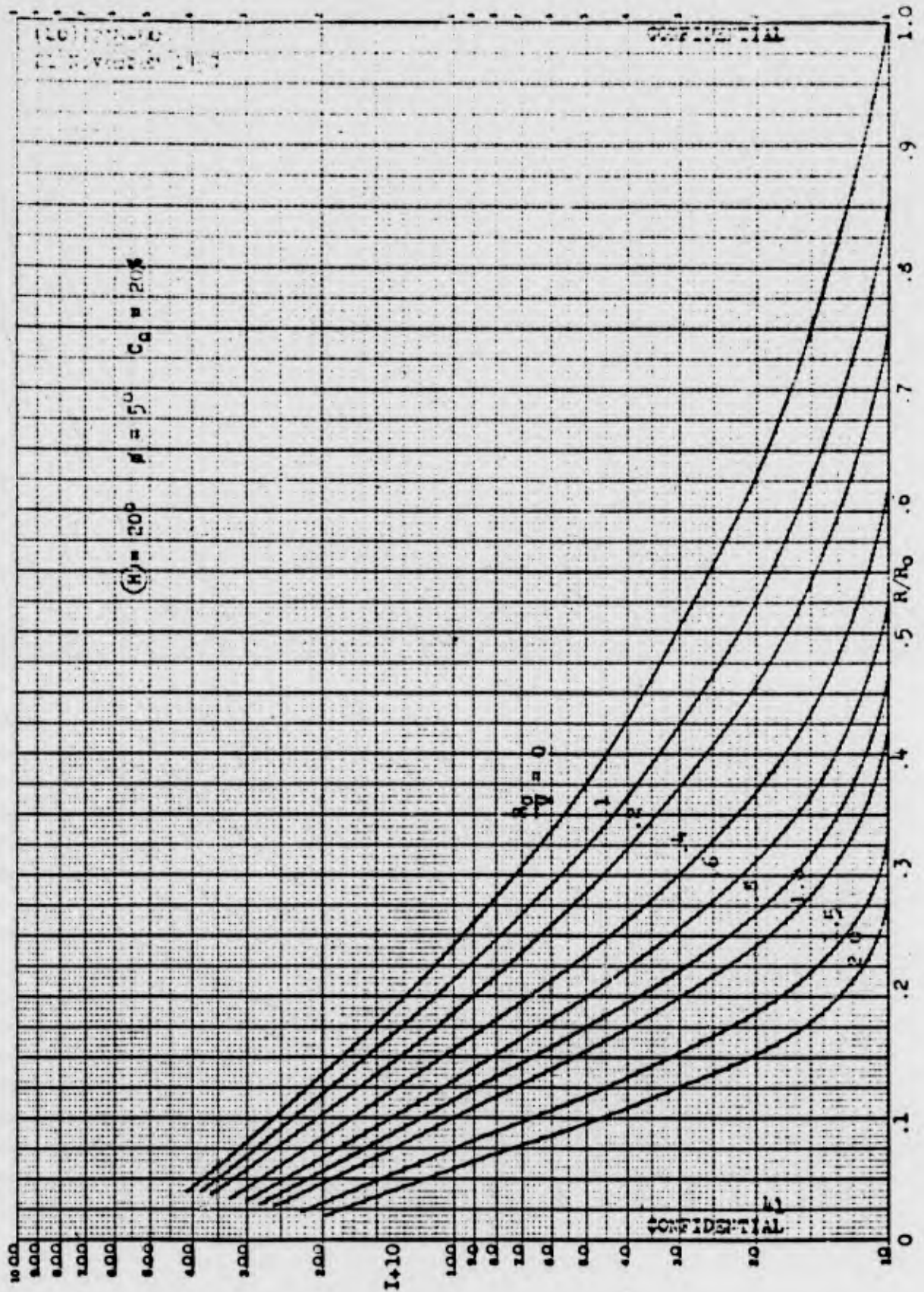
21 November 1

CONFIDENTIAL

(R) = 200  $\gamma = 5^\circ$   $C_1 = 1.1$

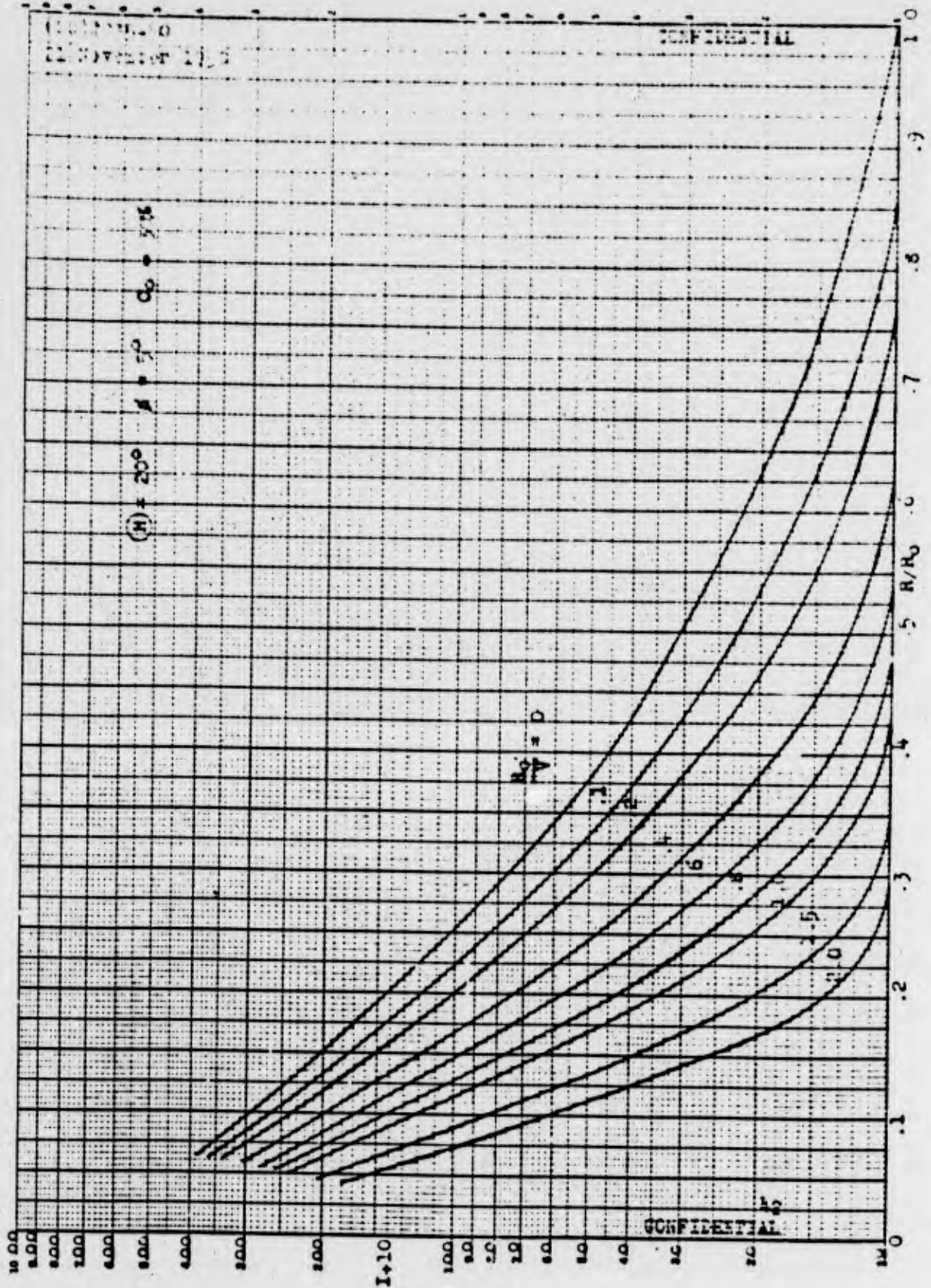


006-12711

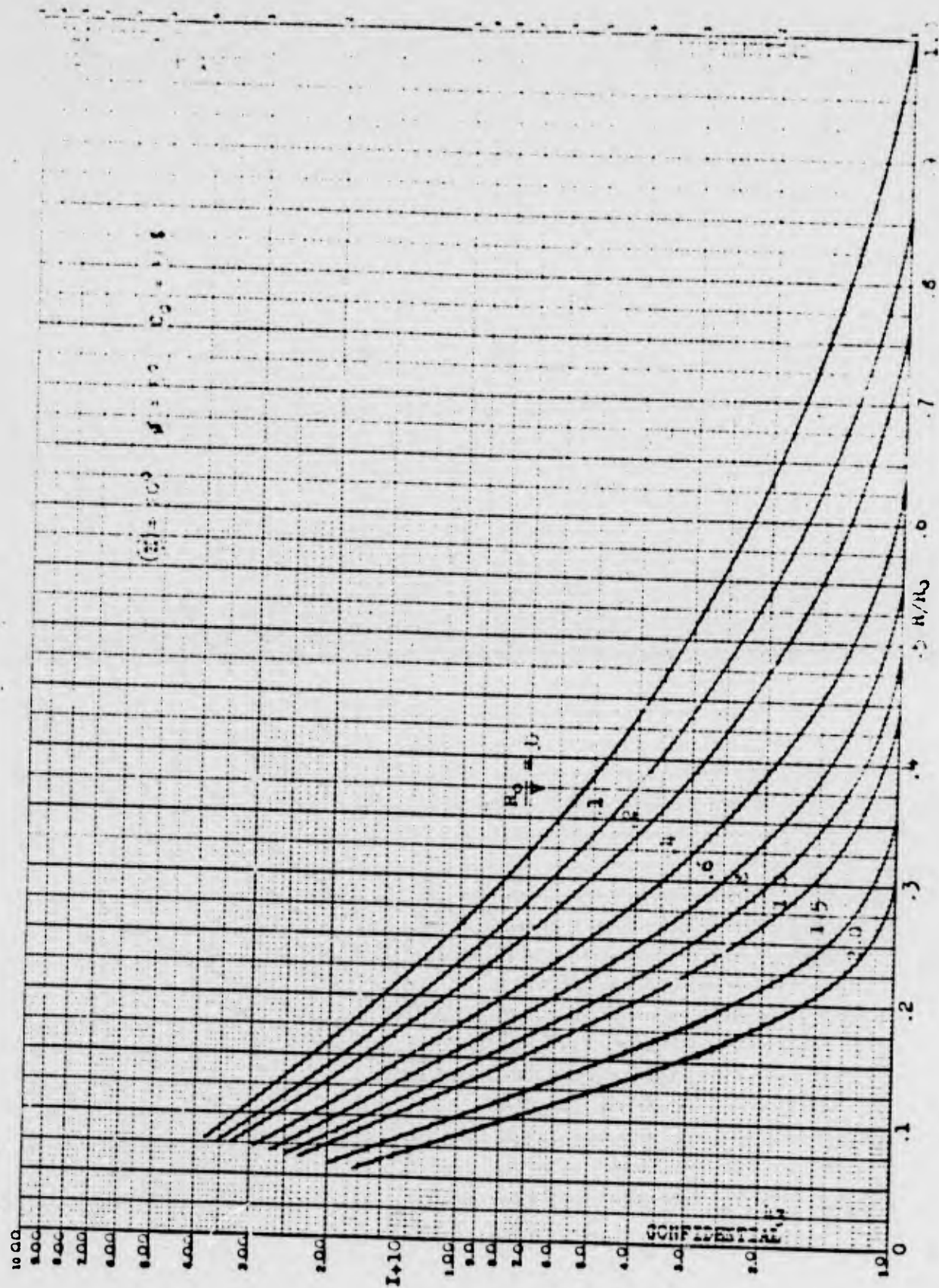


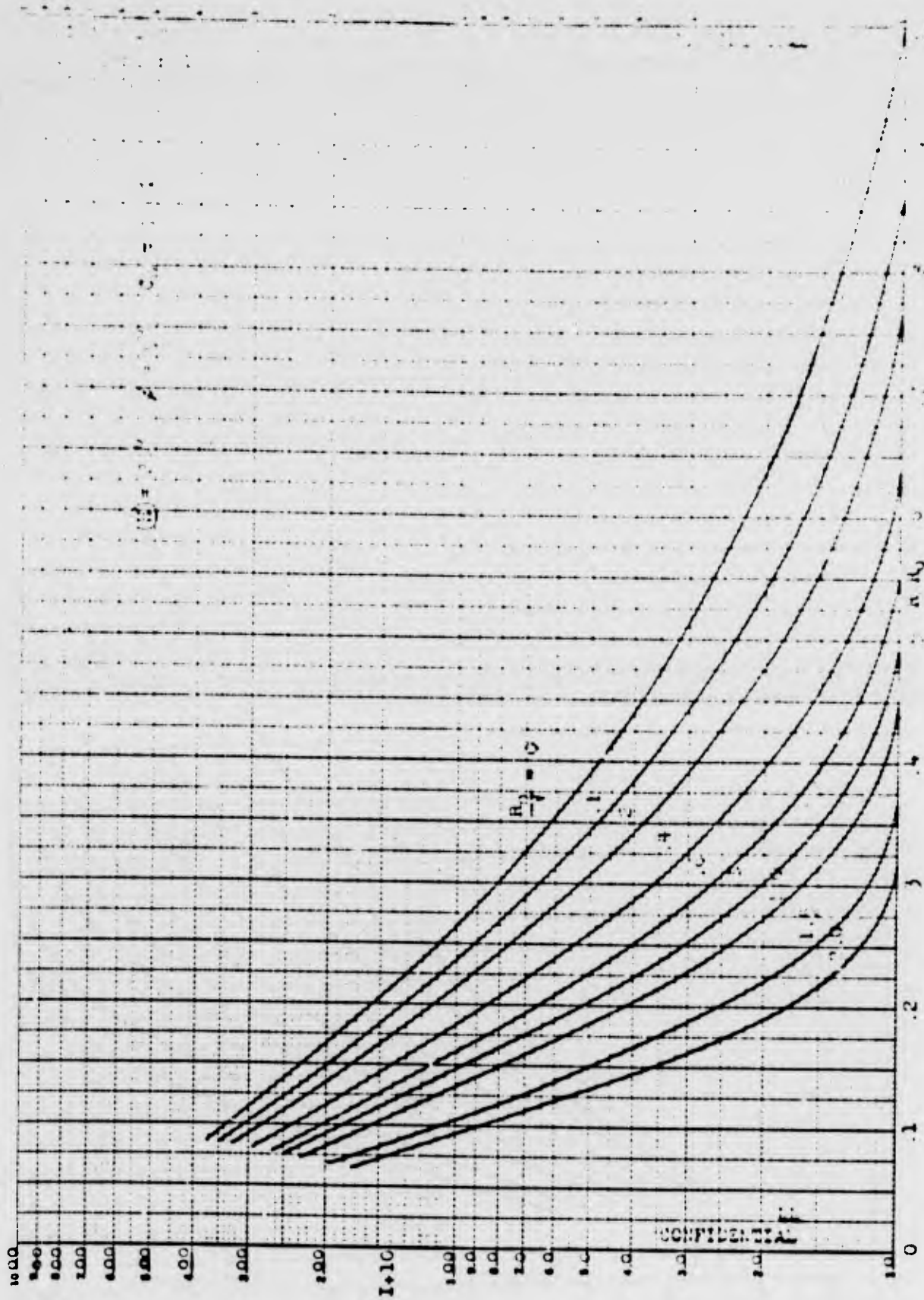
11-11-60  
11-11-60

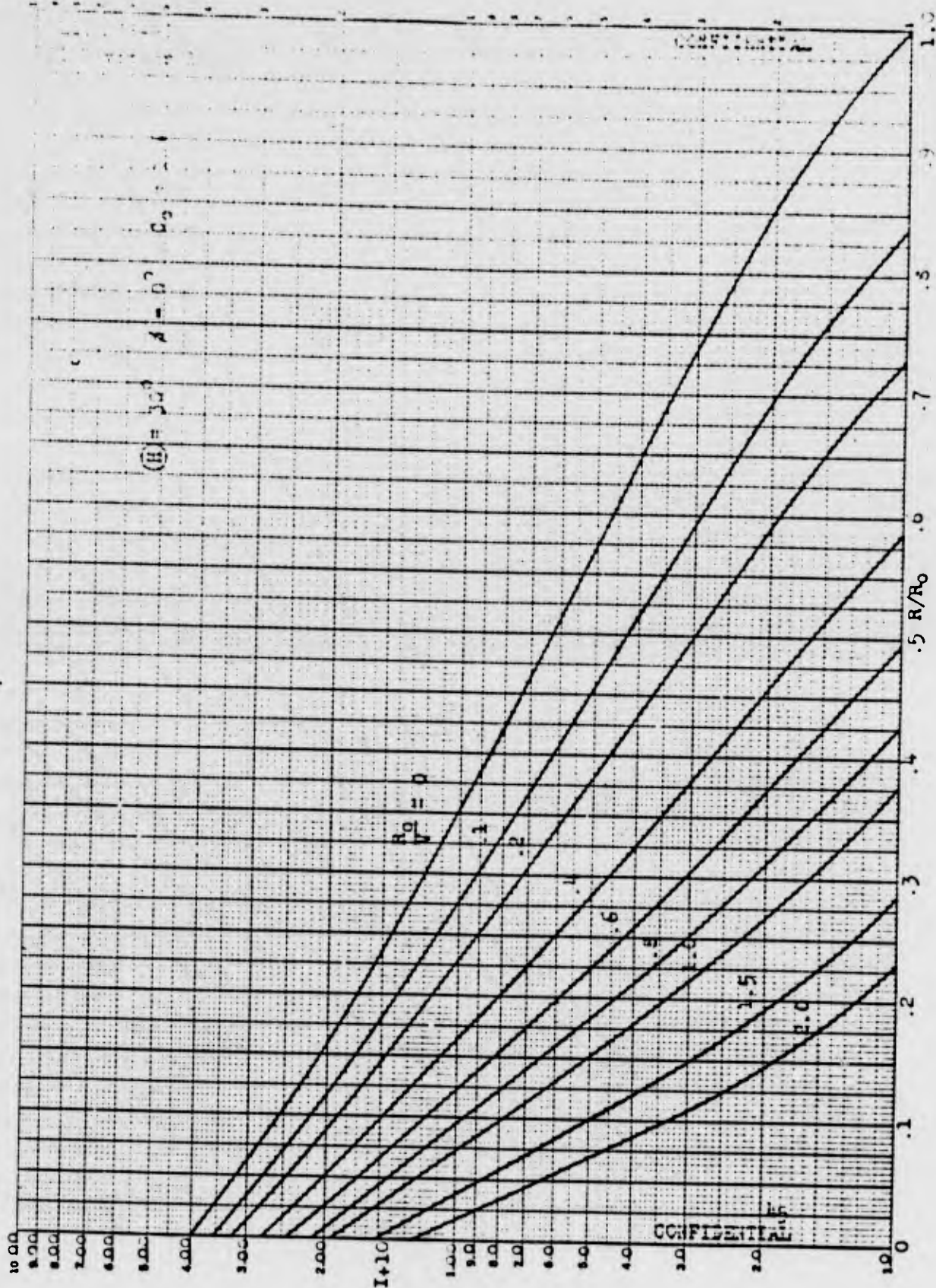
**CONFIDENTIAL**



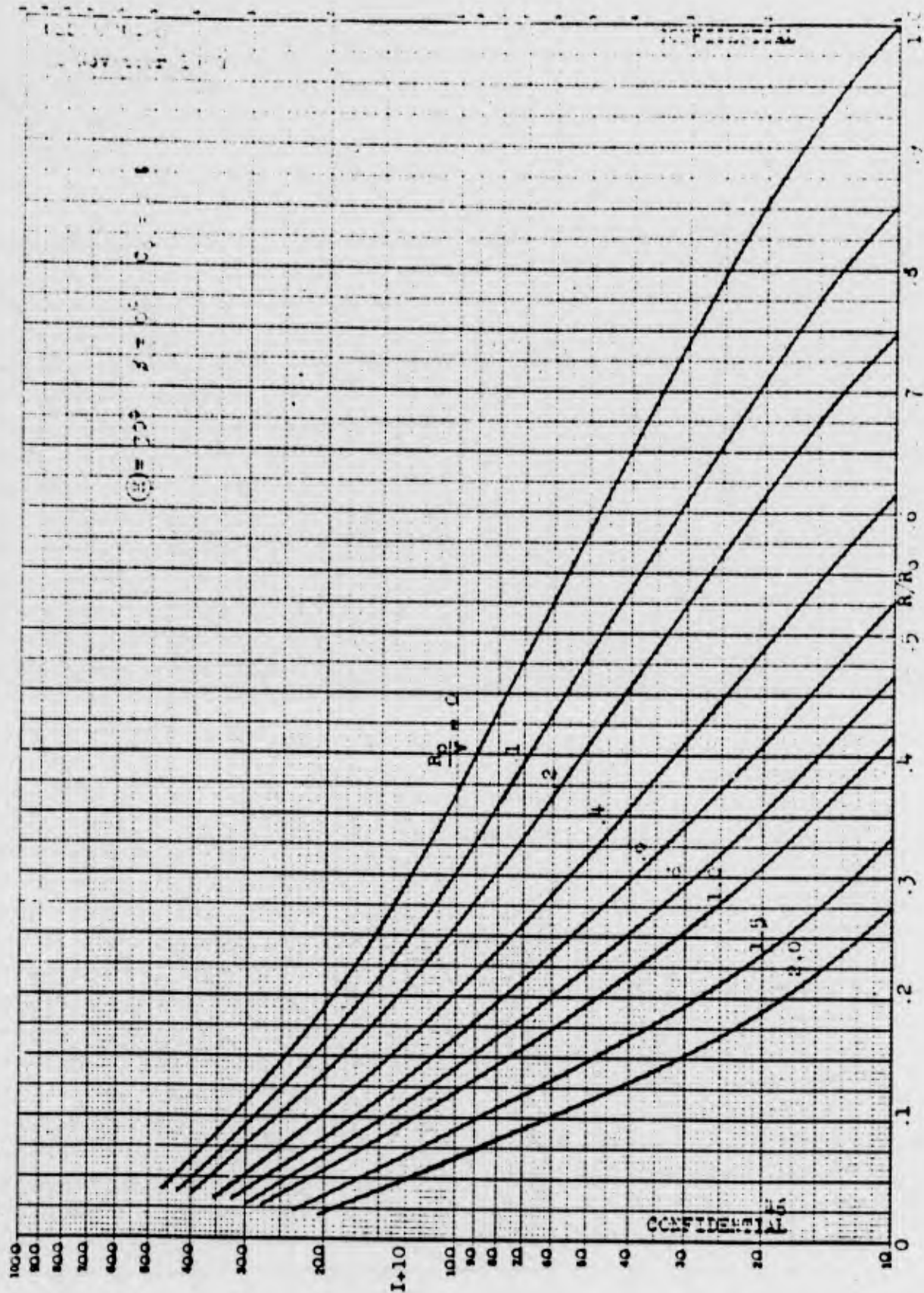


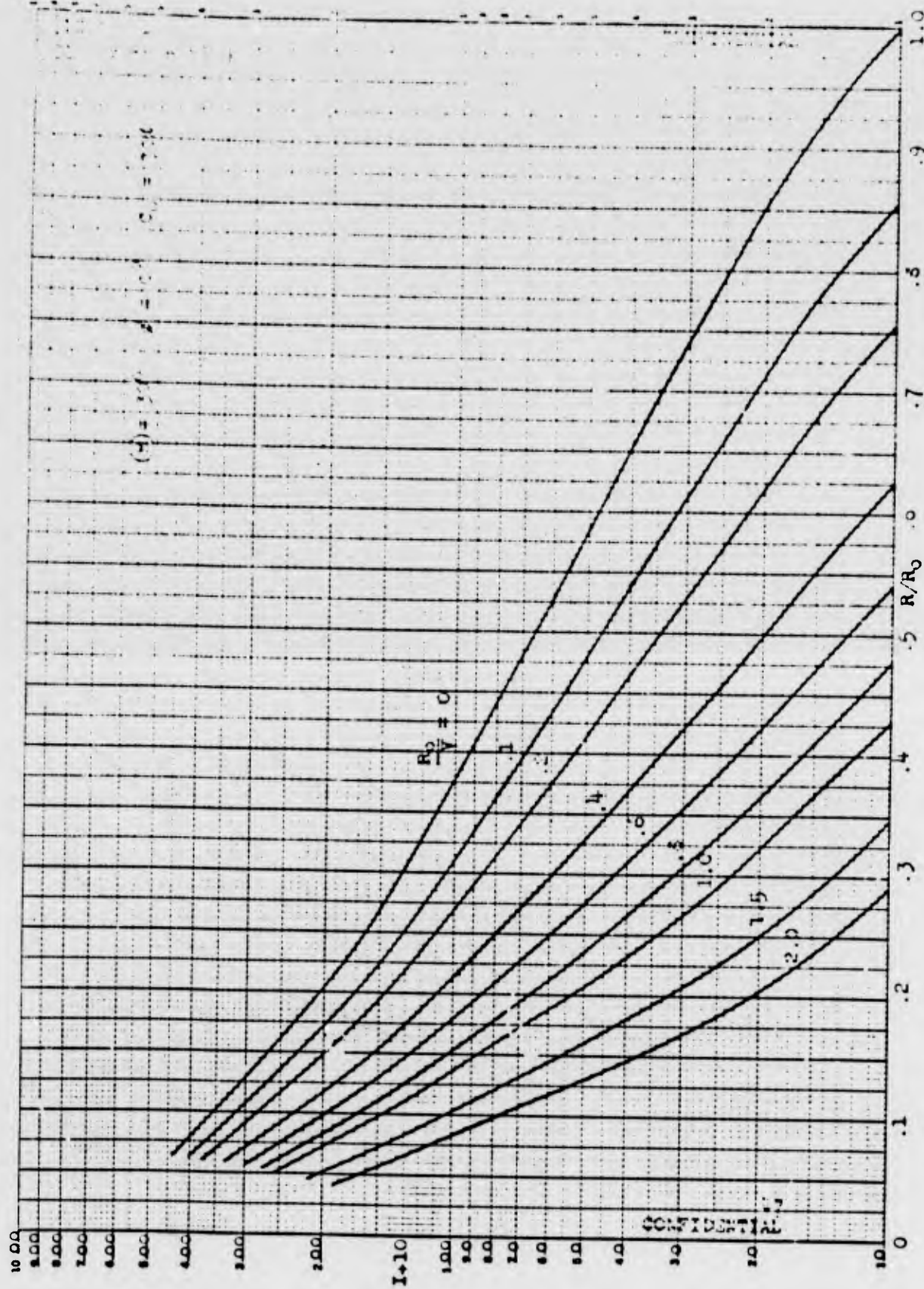


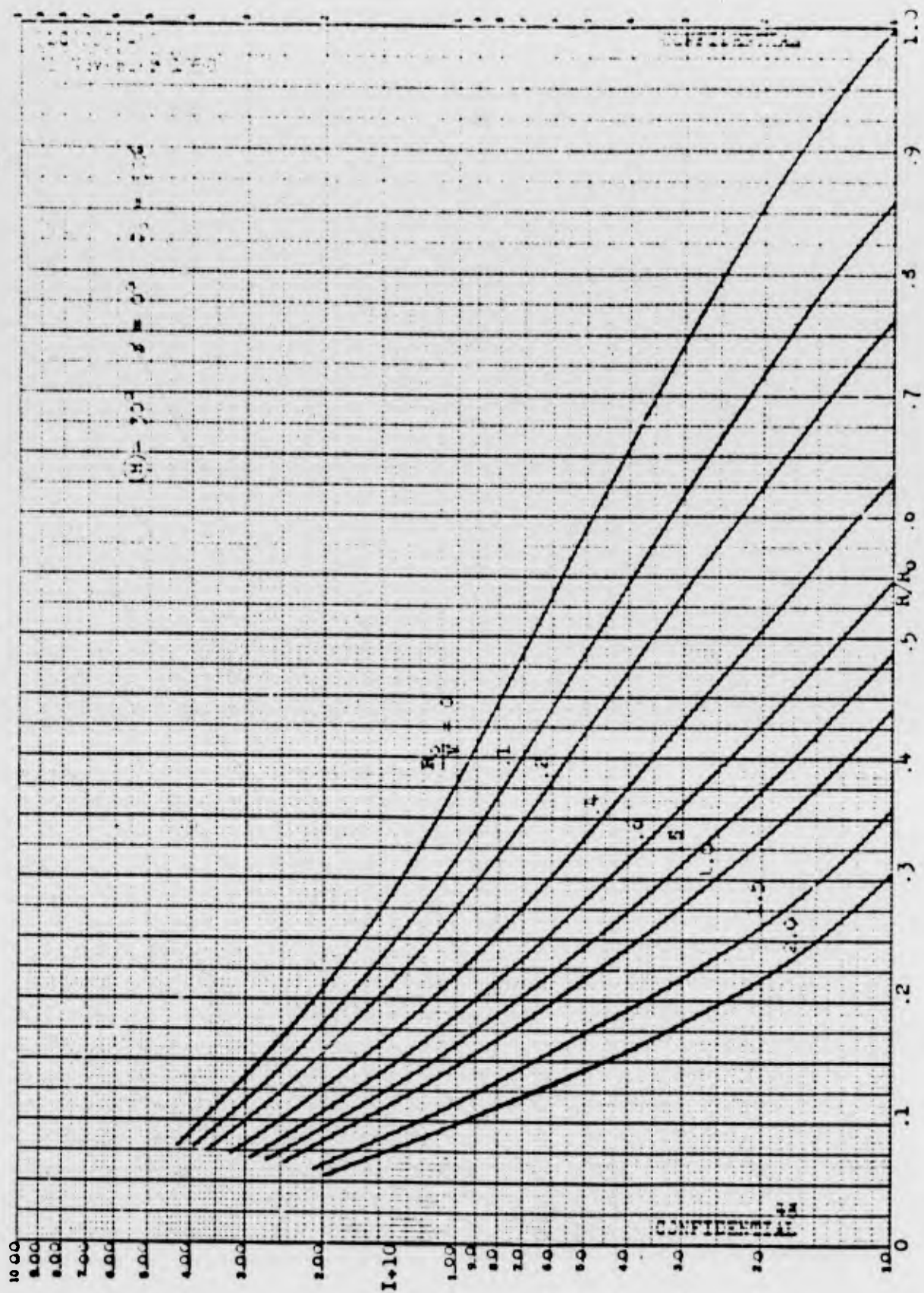




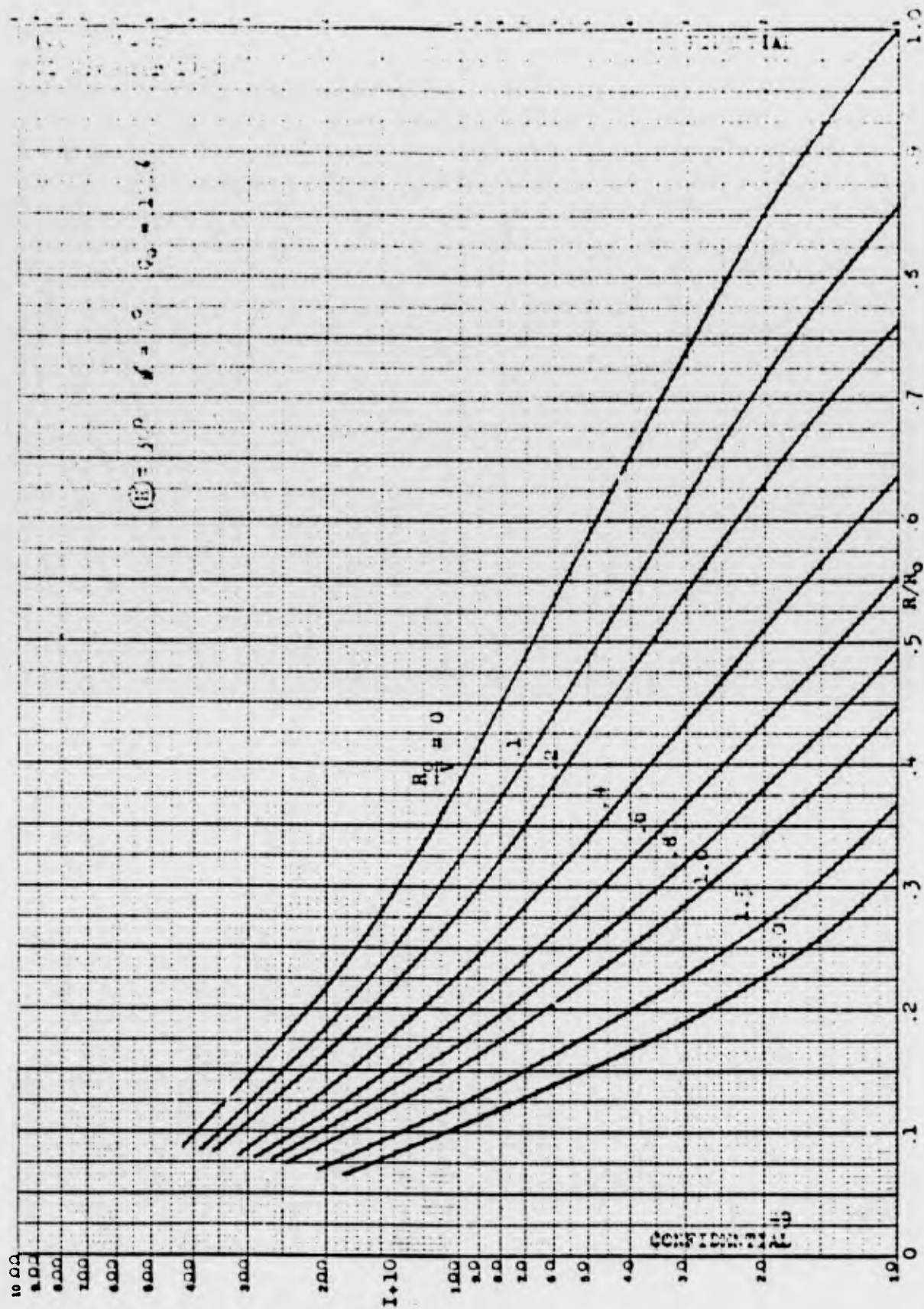


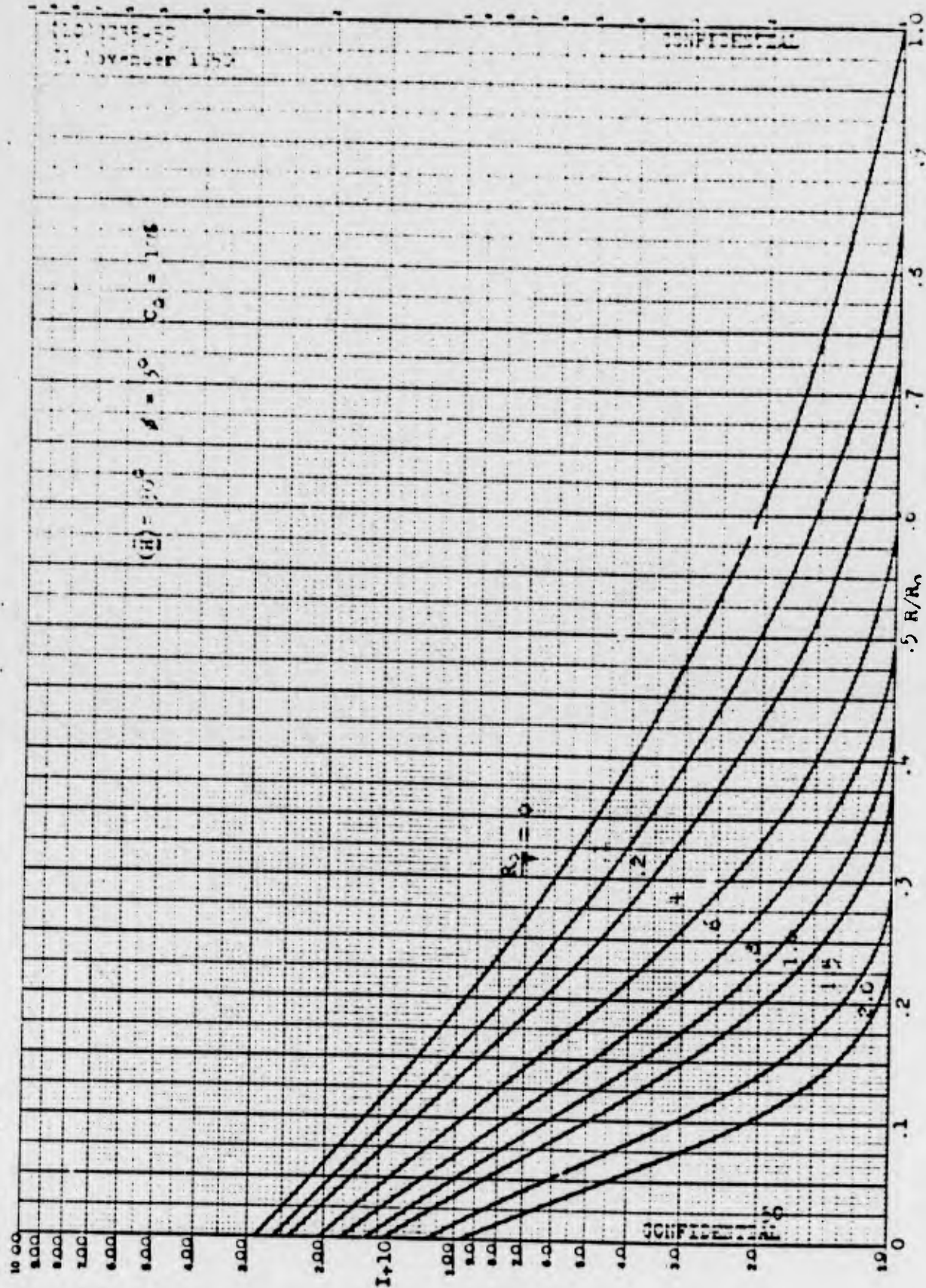




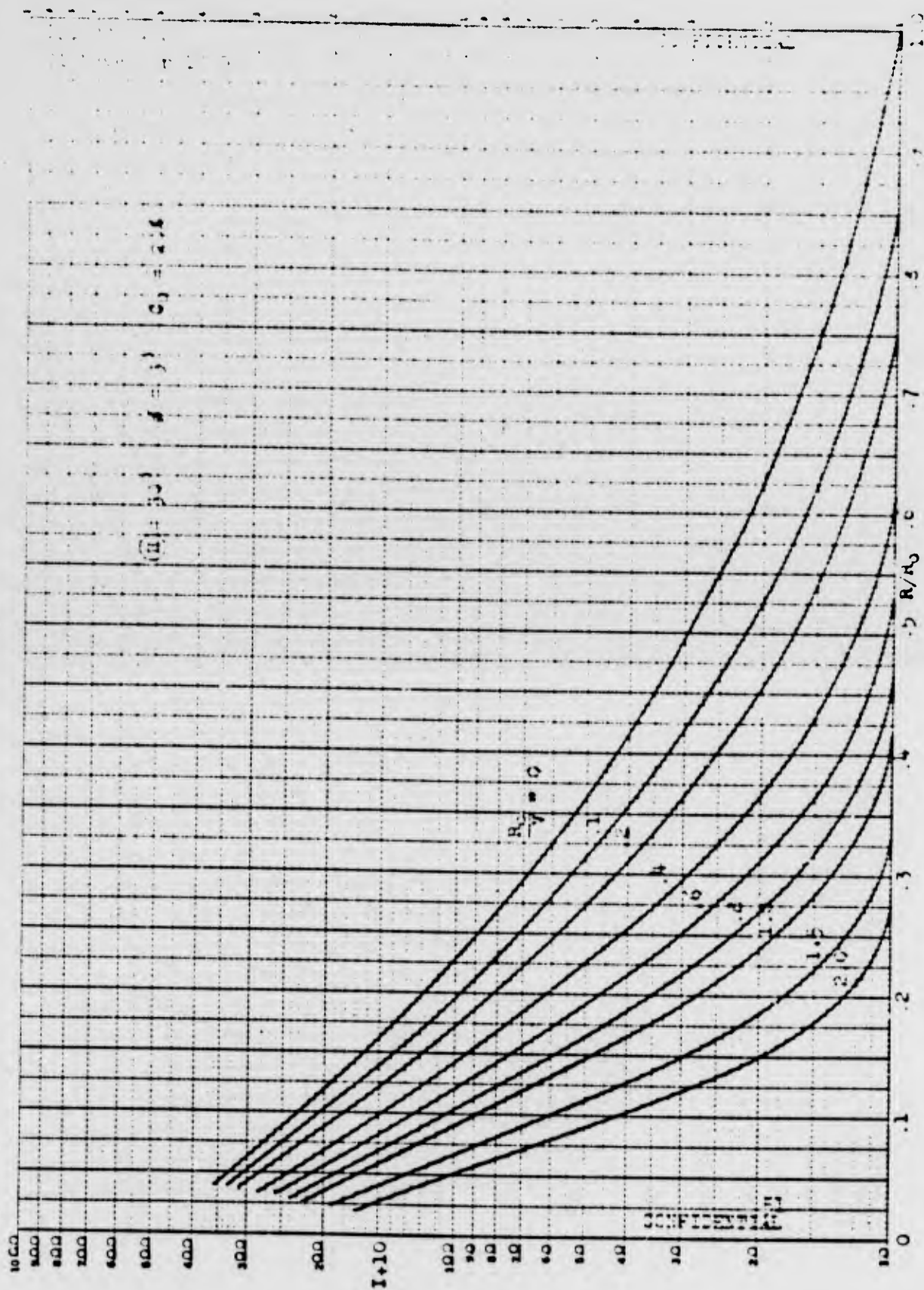


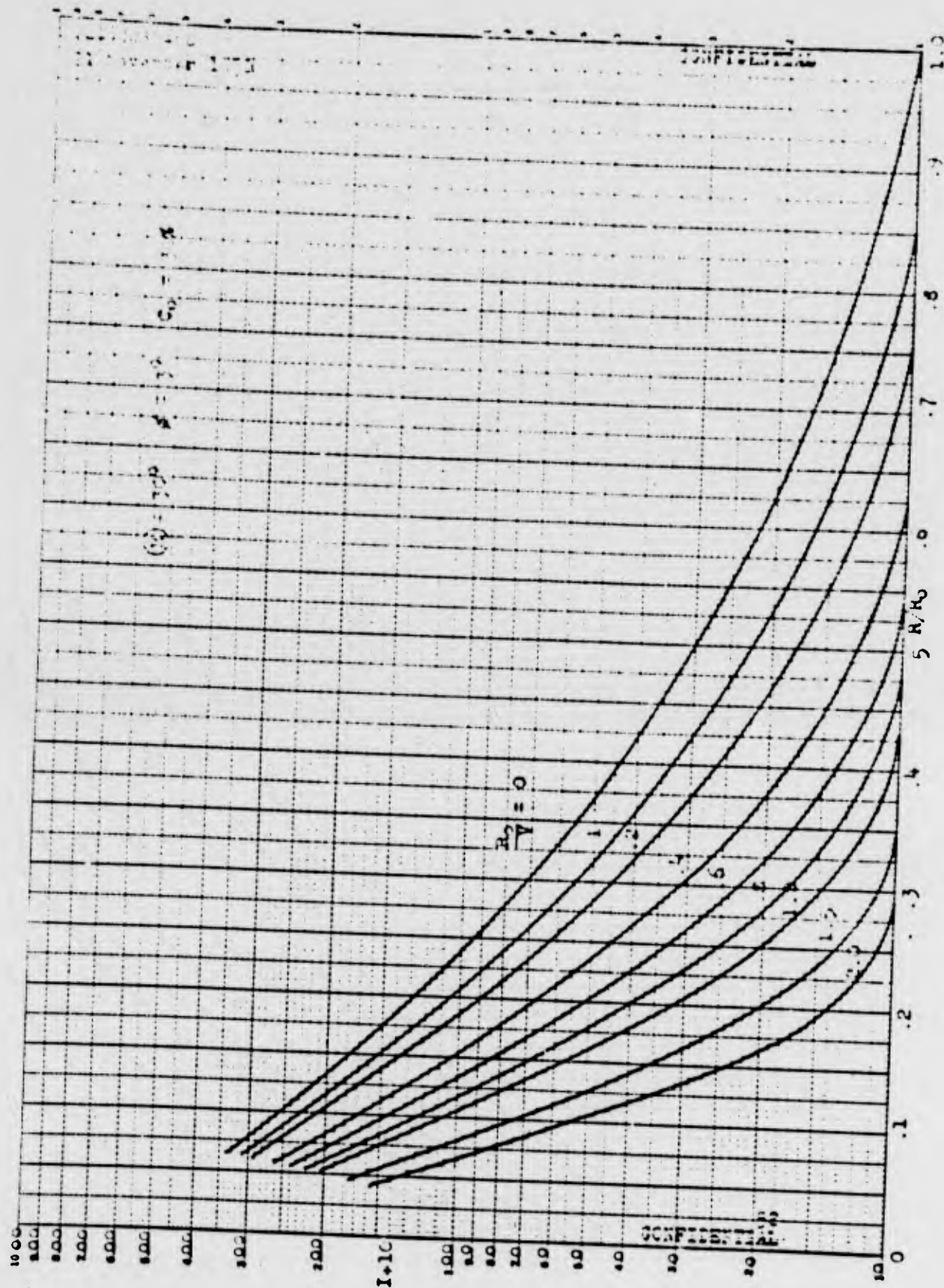


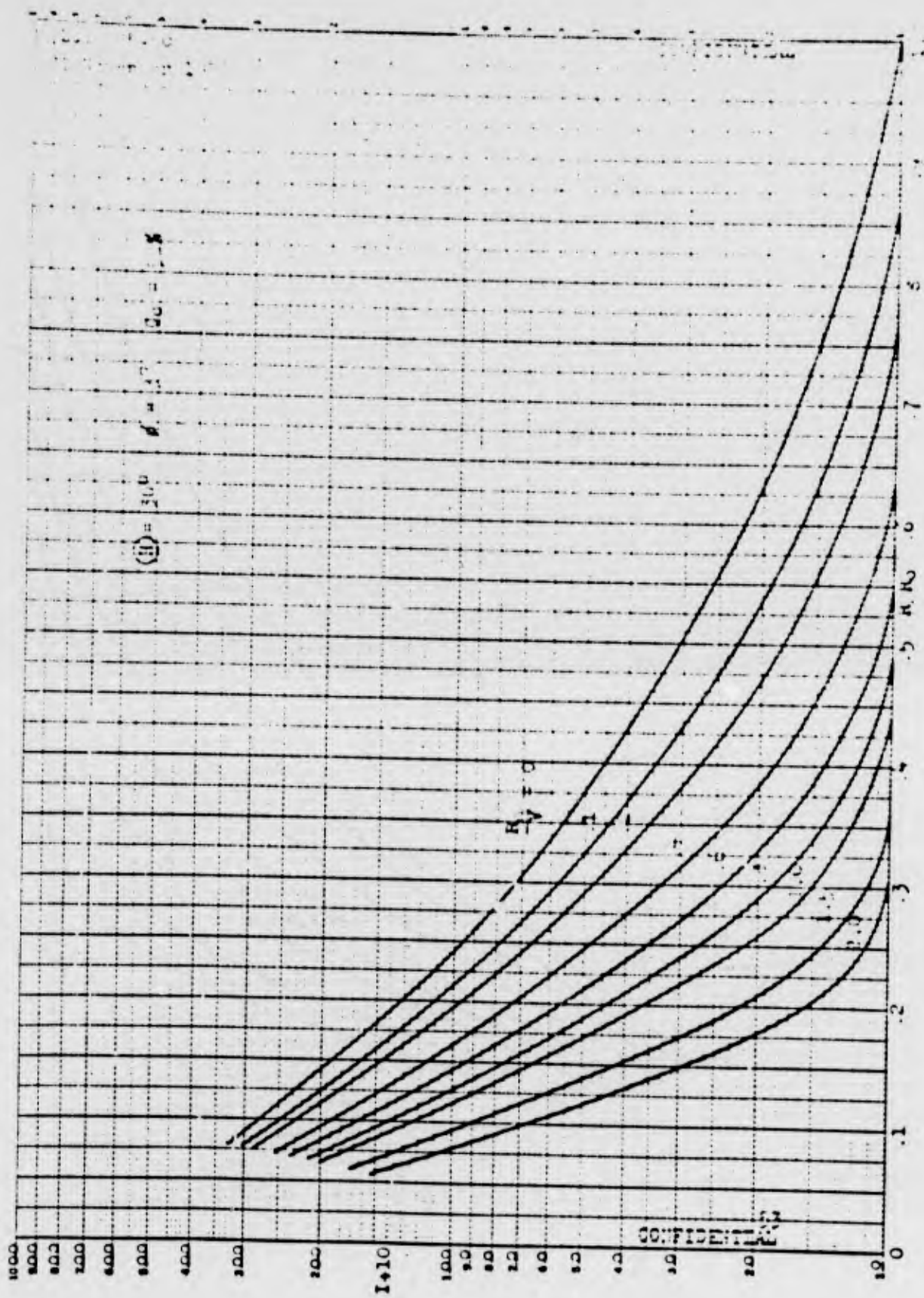


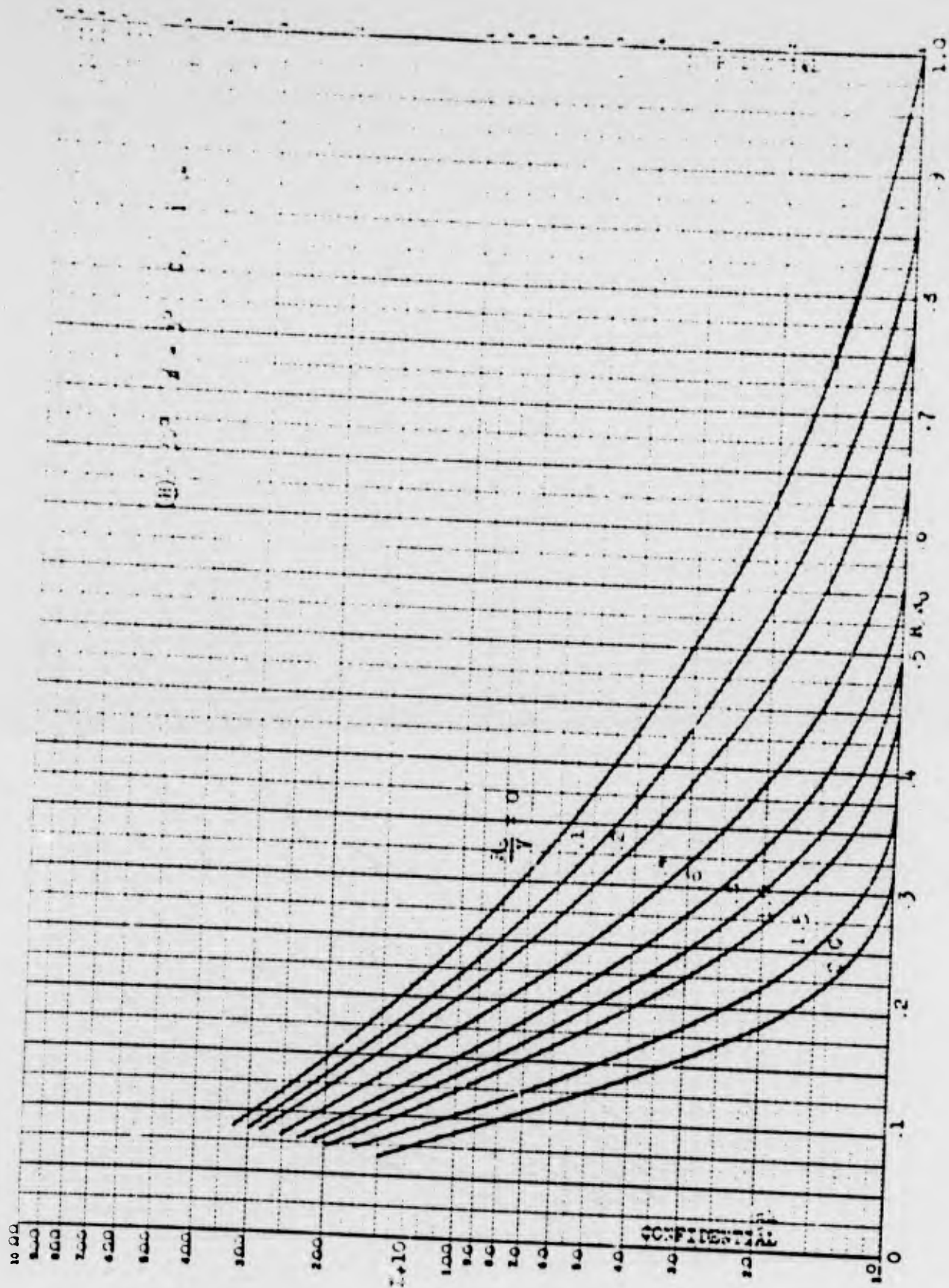




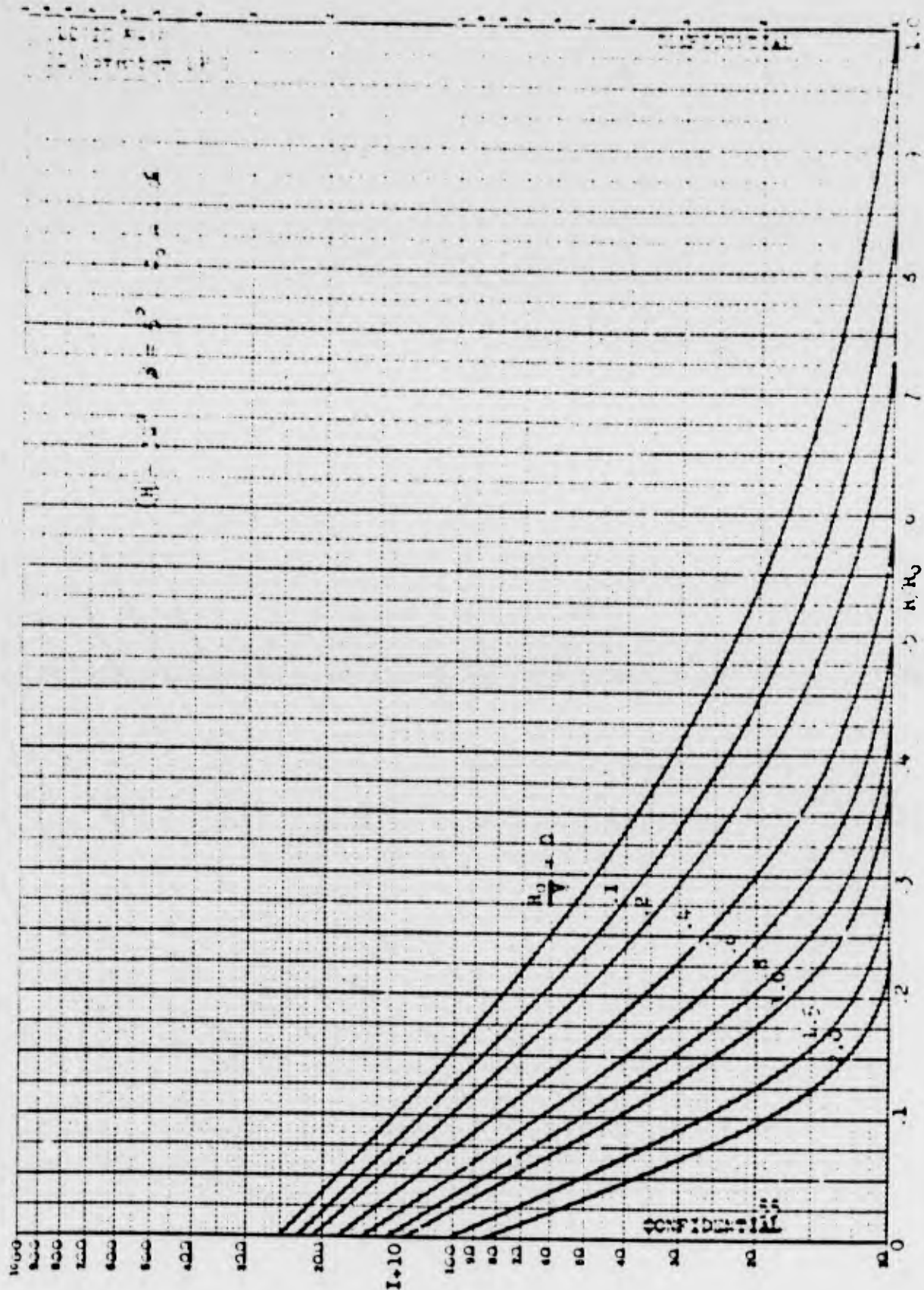




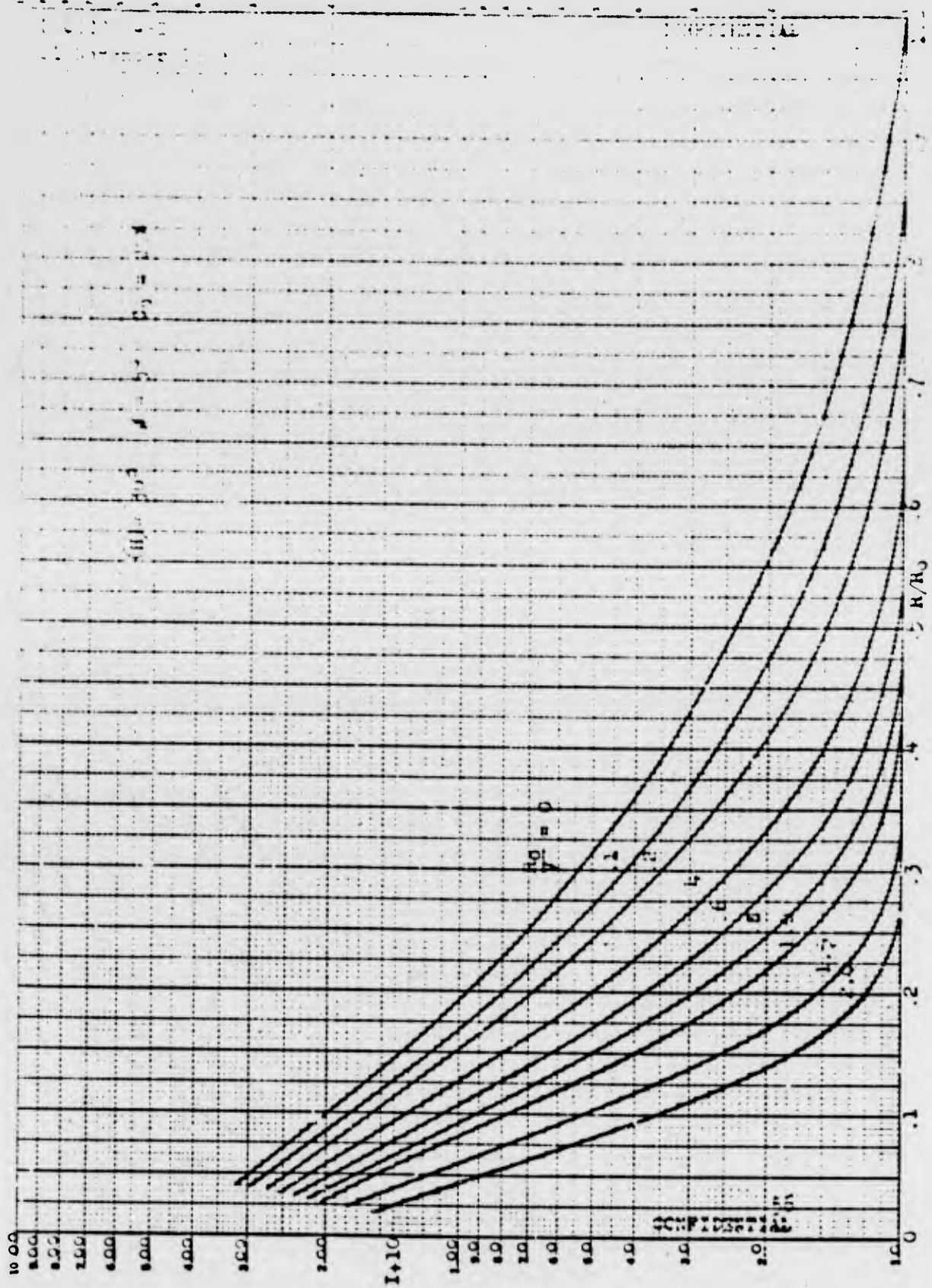


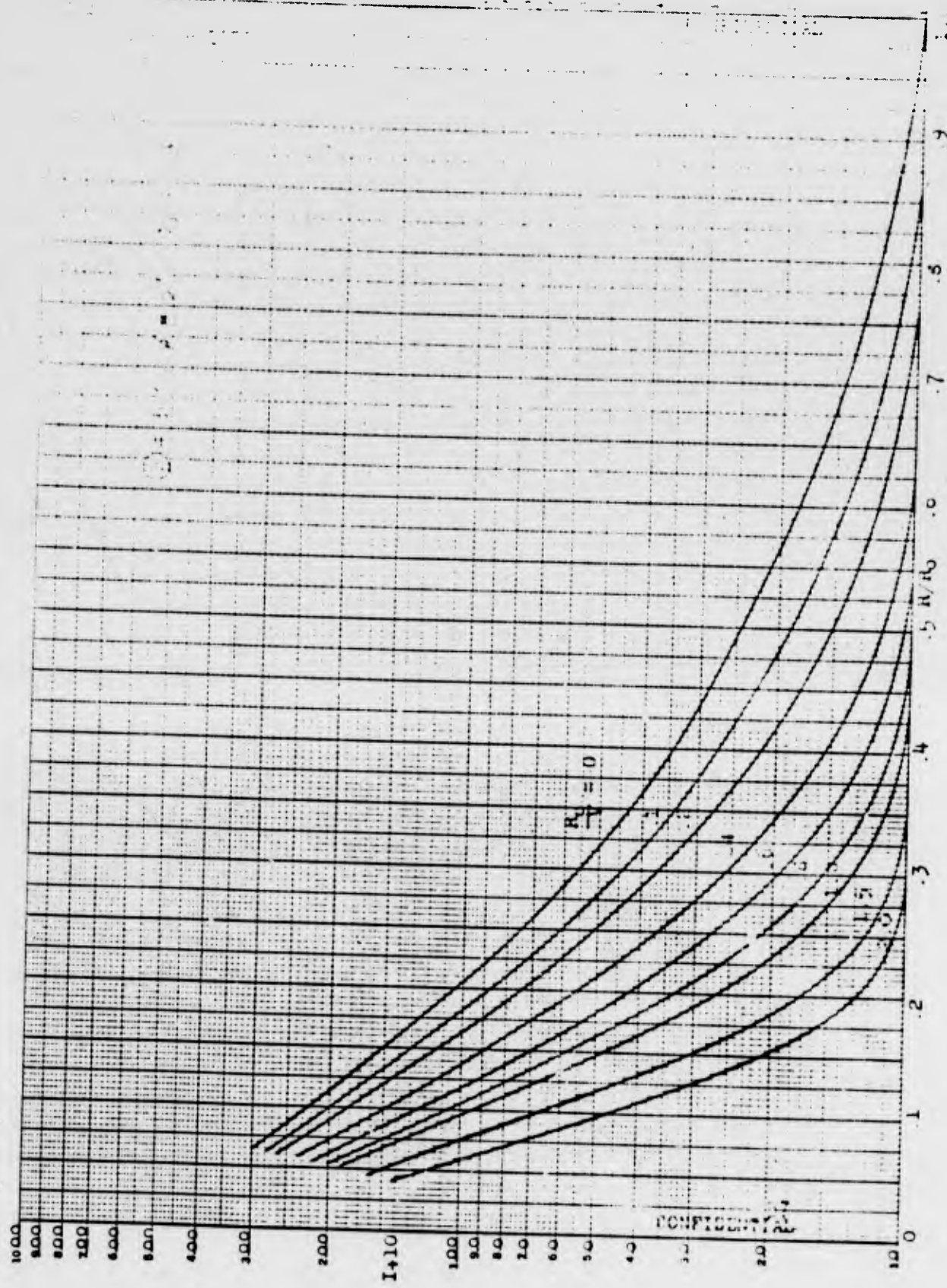




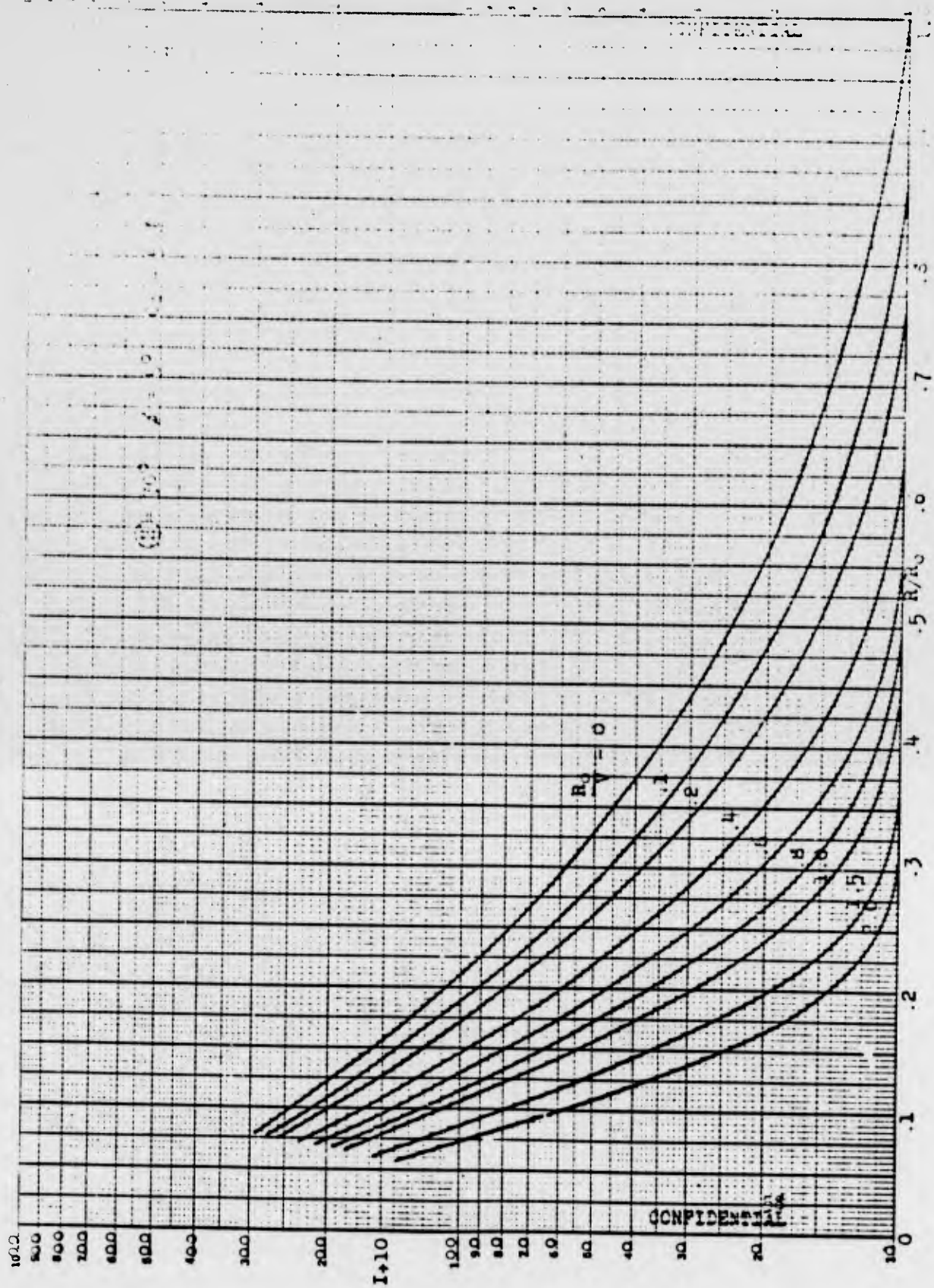


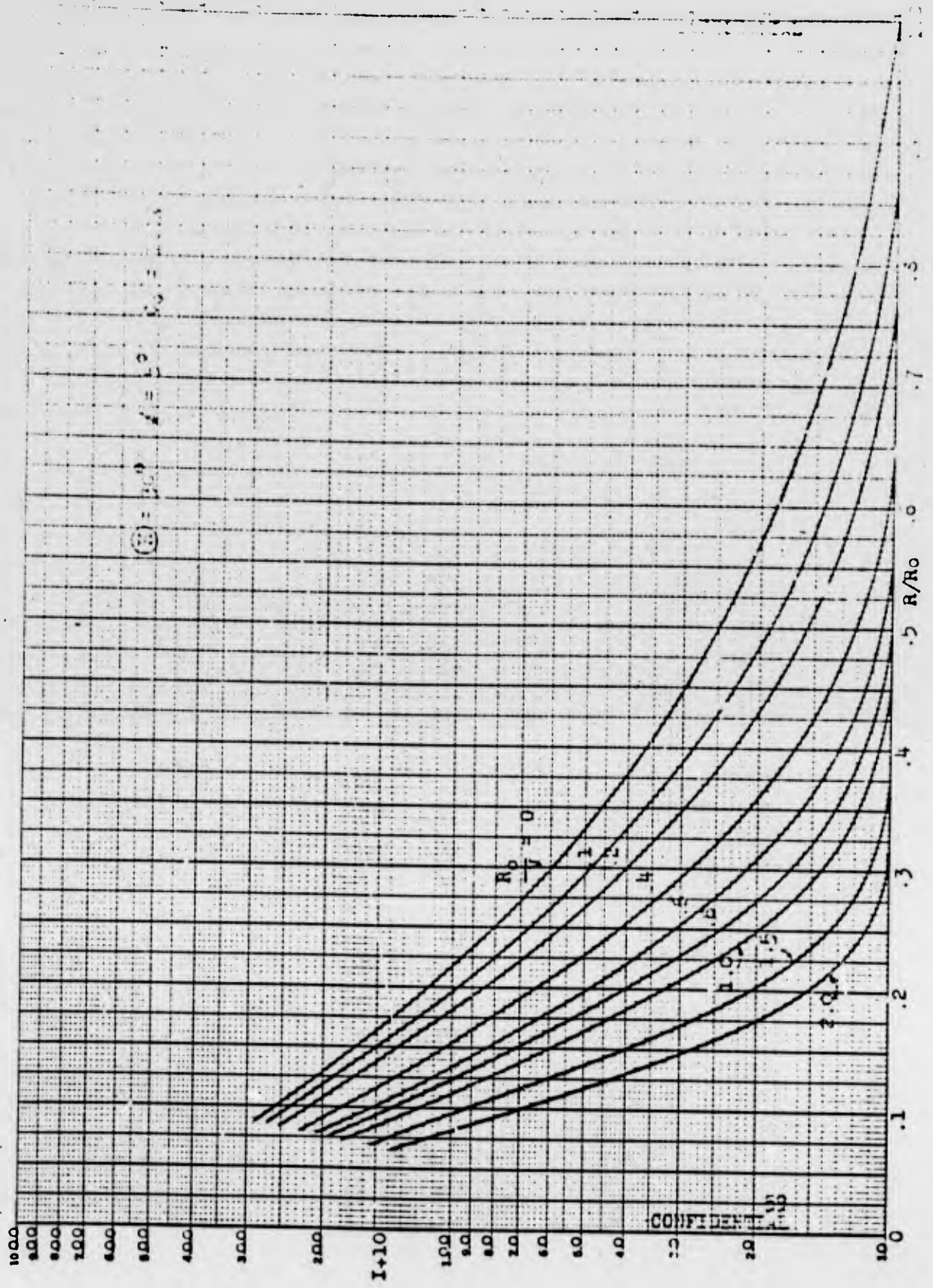






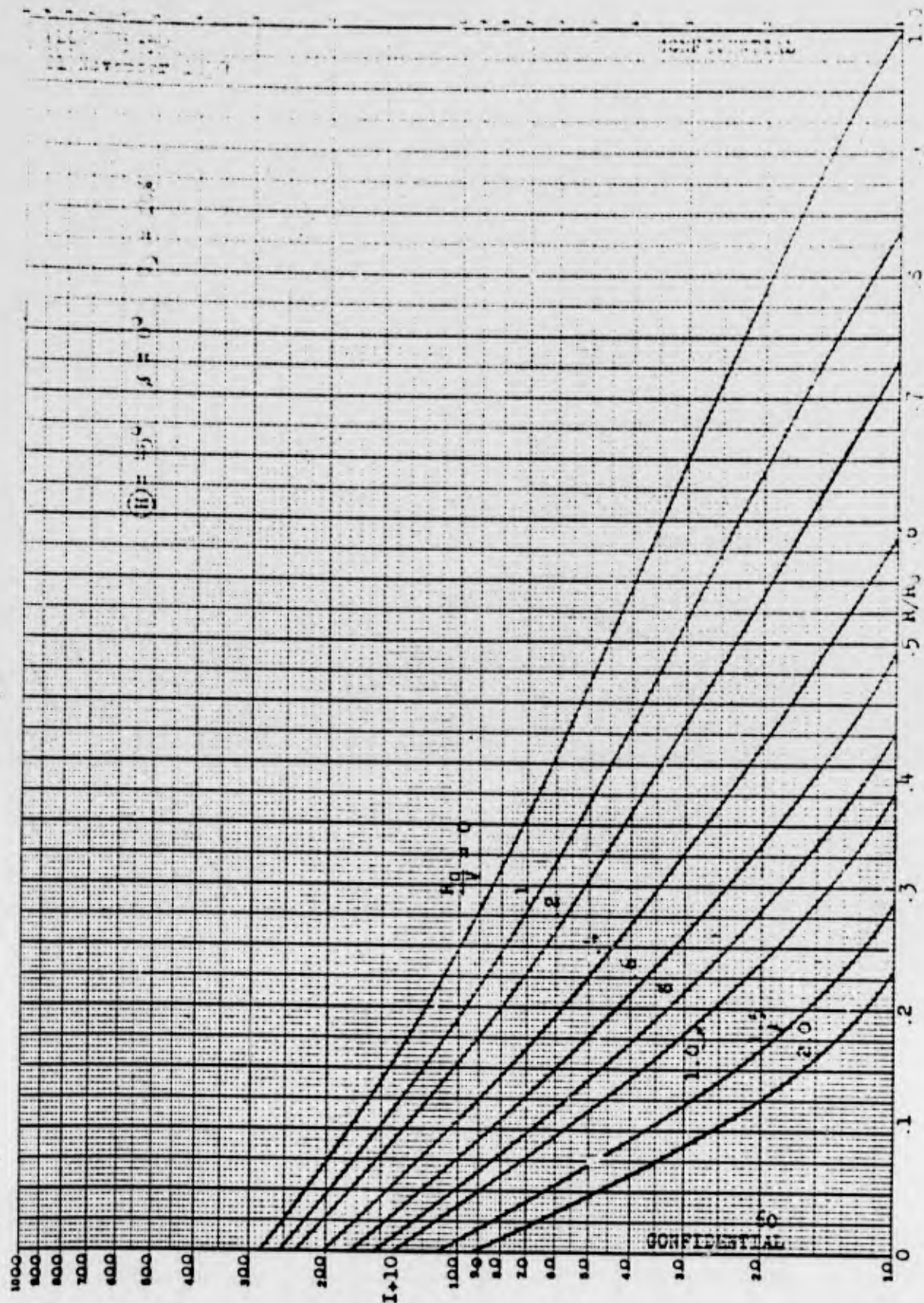
~~CONFIDENTIAL~~



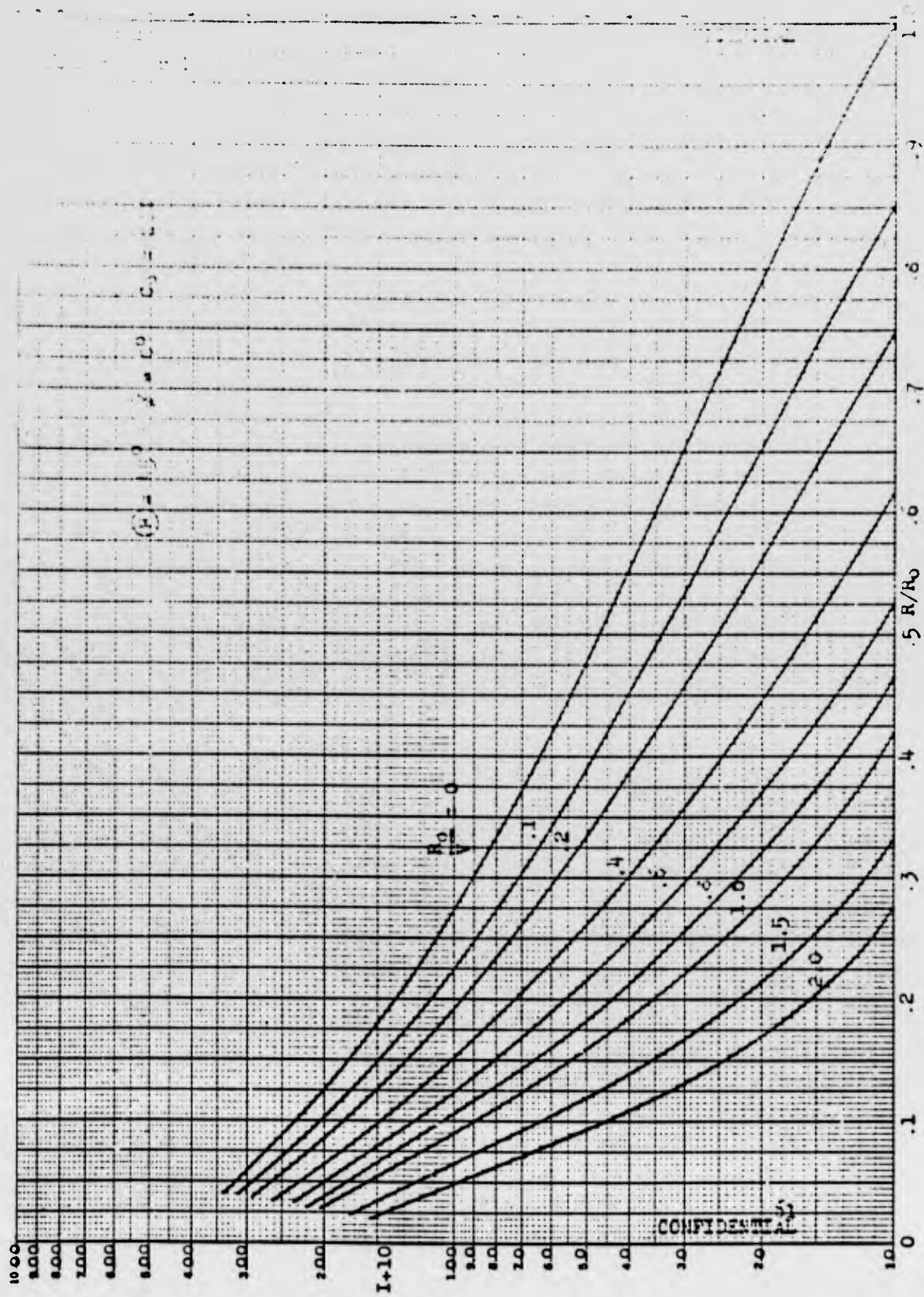


$(R_0/V) = 100$

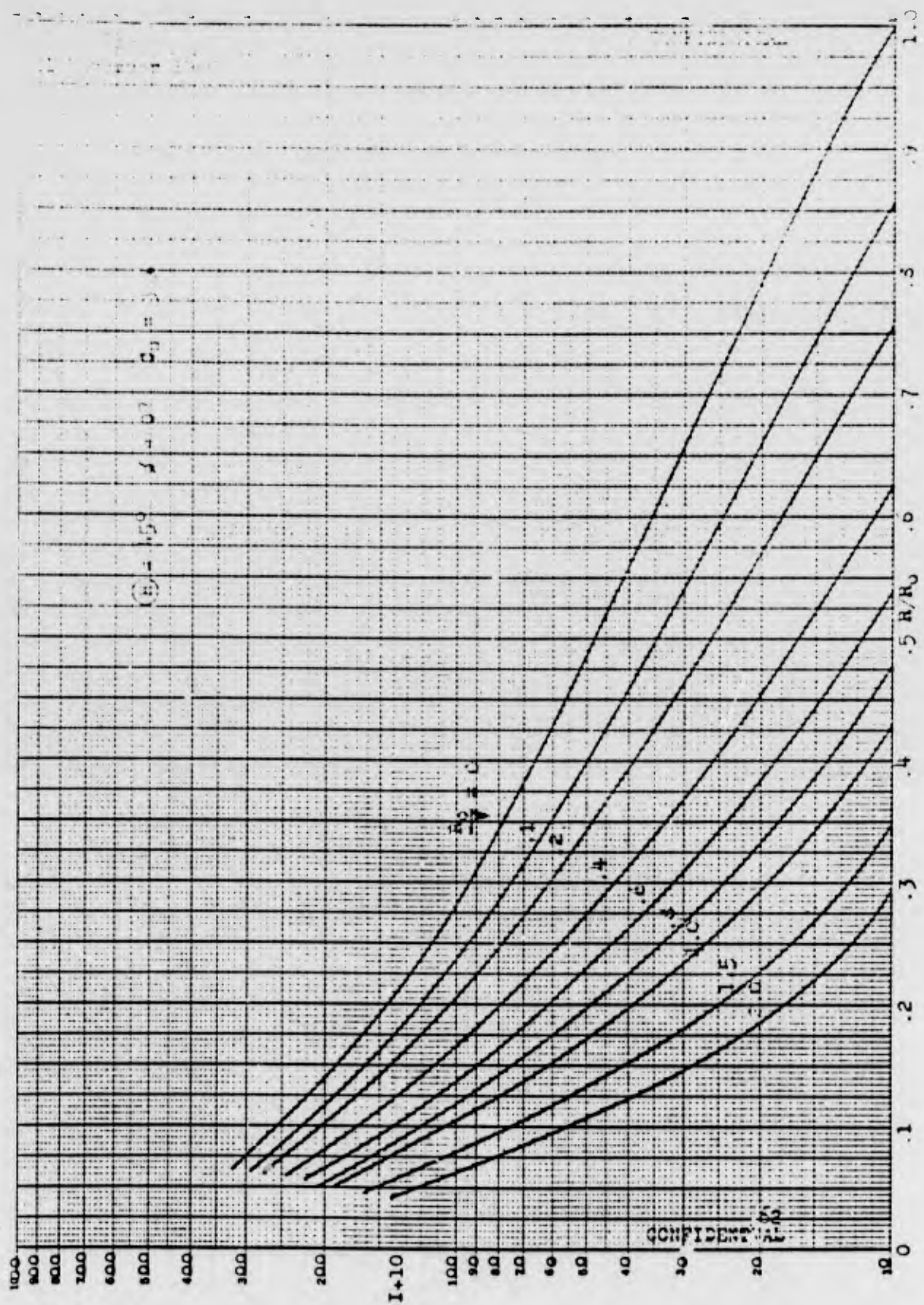


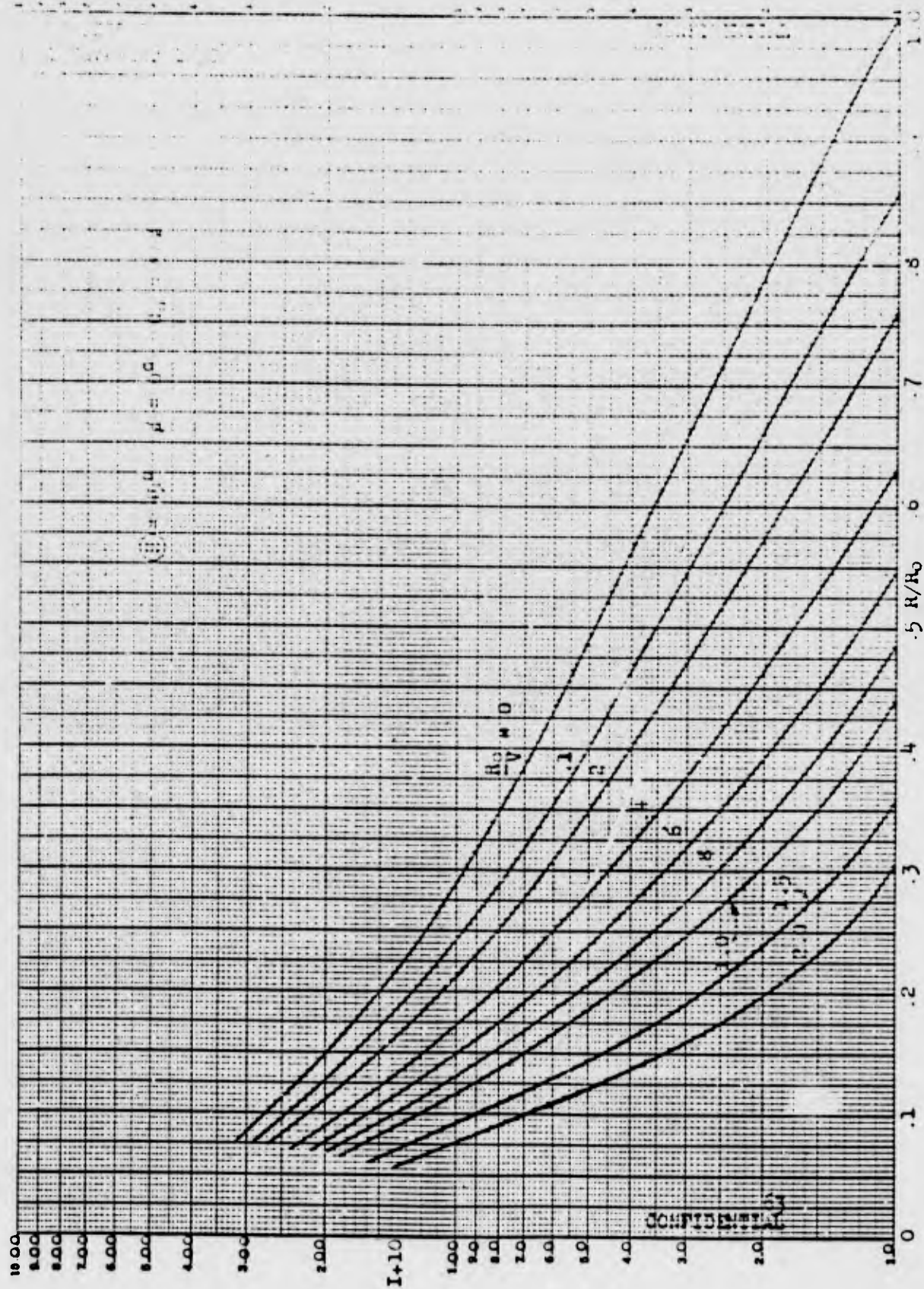




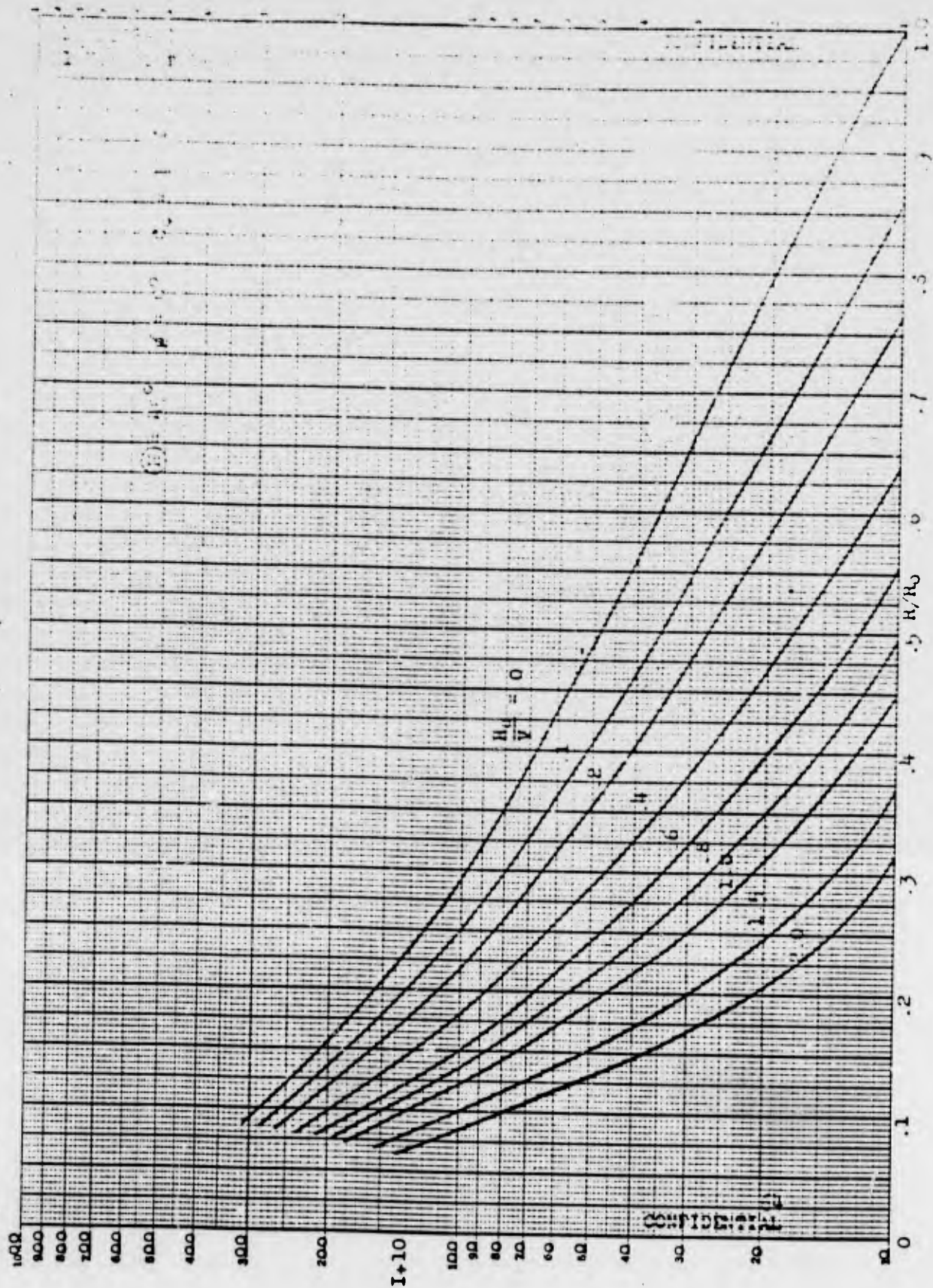


$(R) = 1.0^0 \quad \lambda = 0.0 \quad C_0 = 0.0$

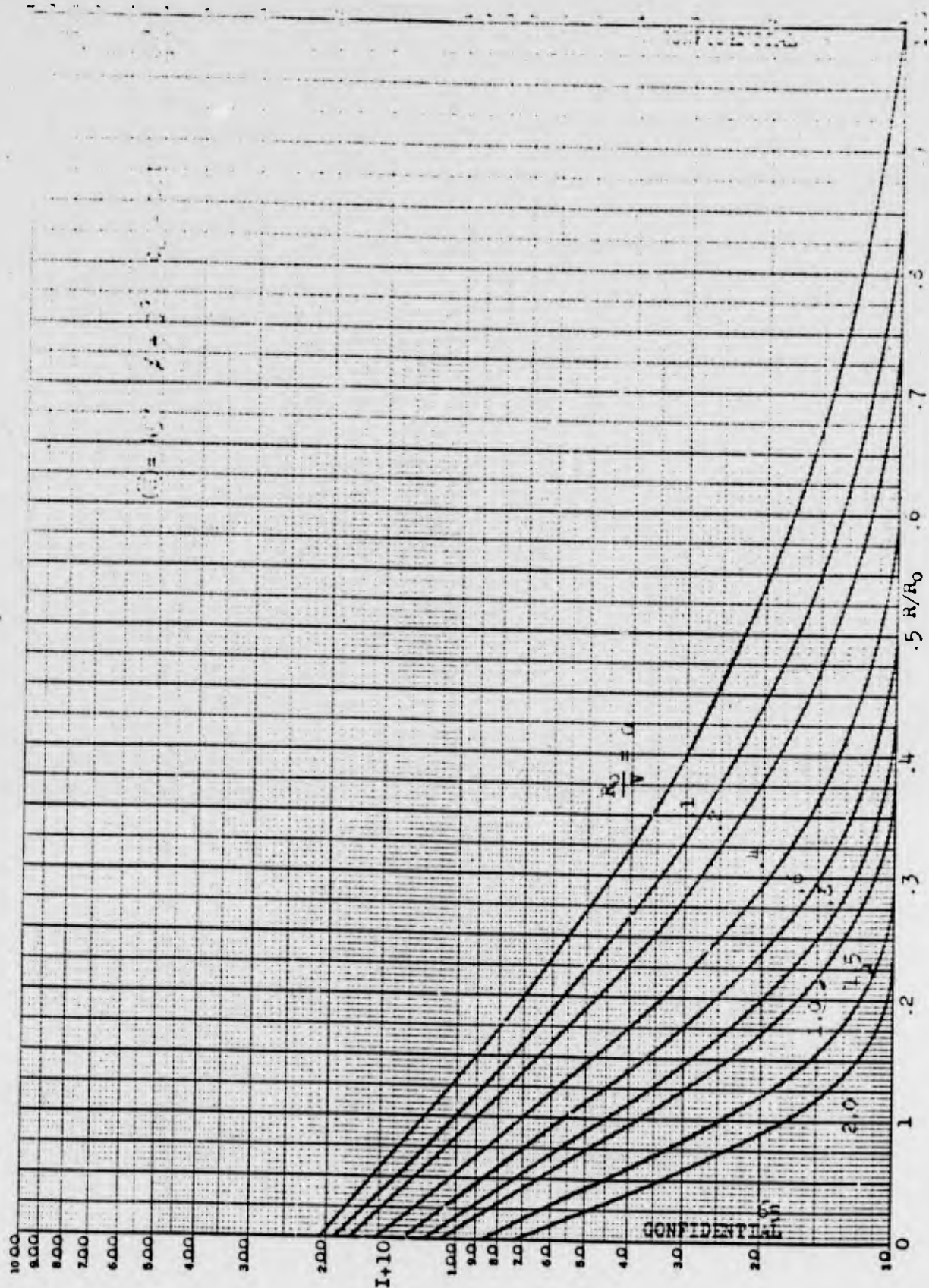


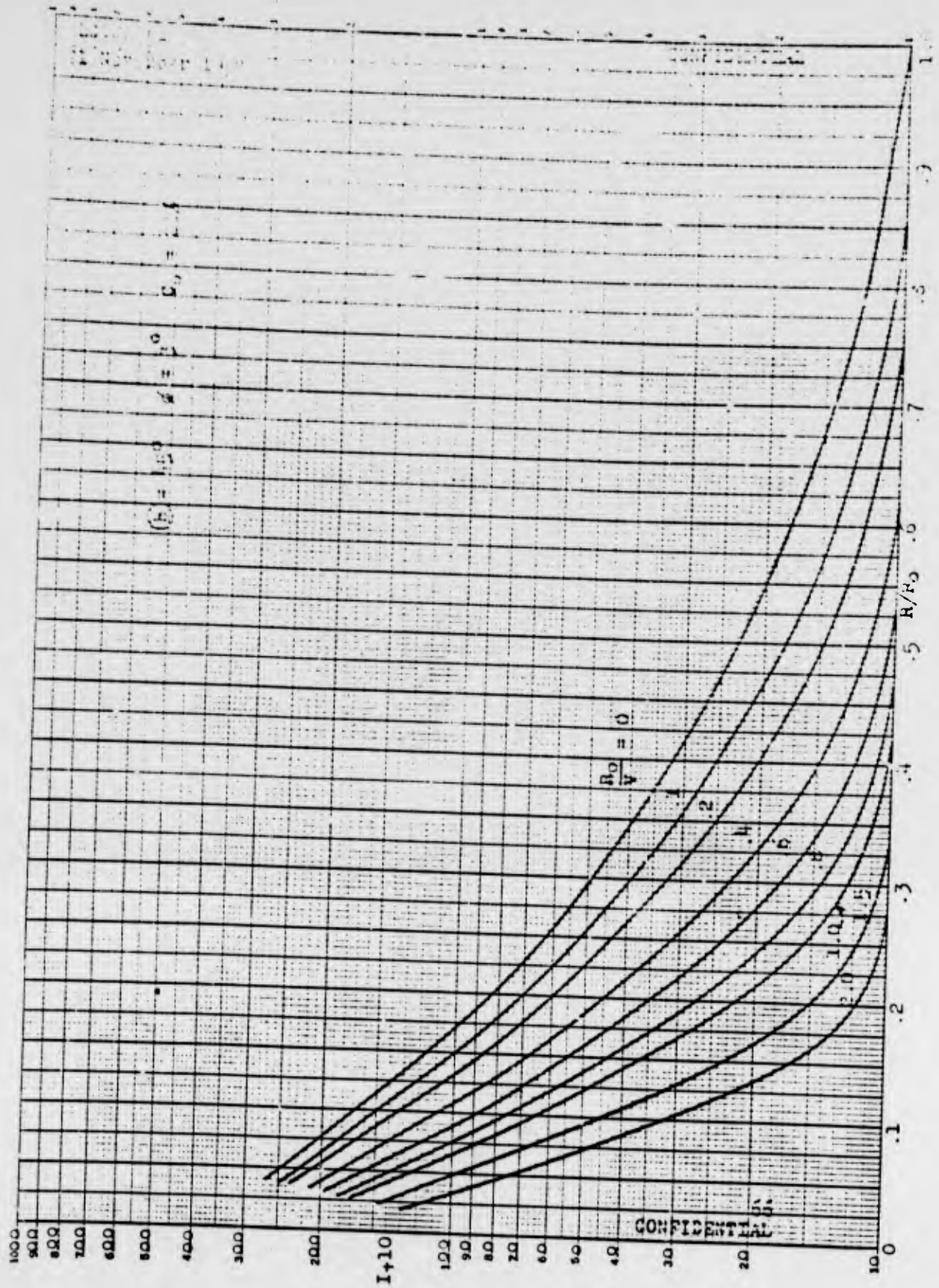


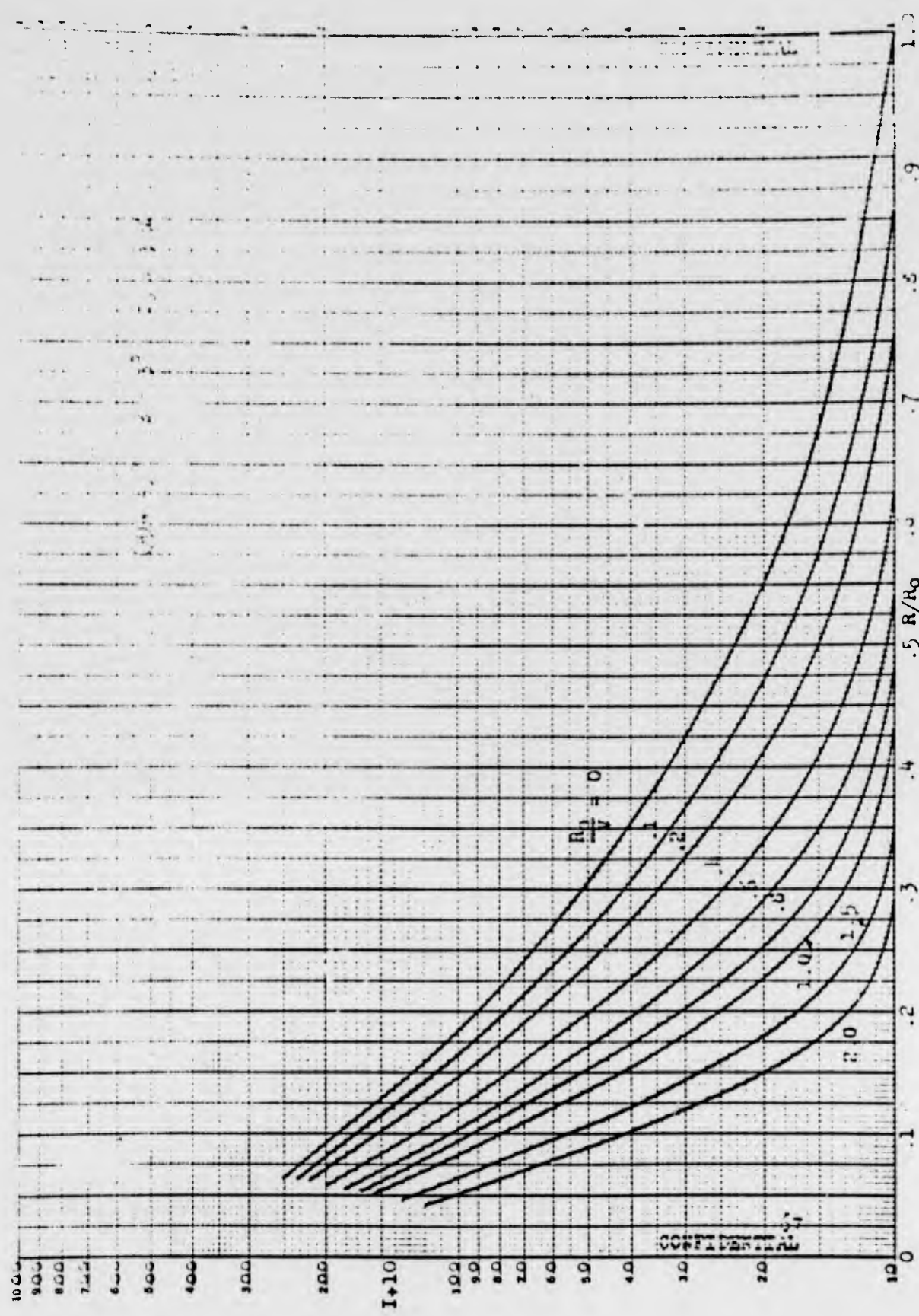








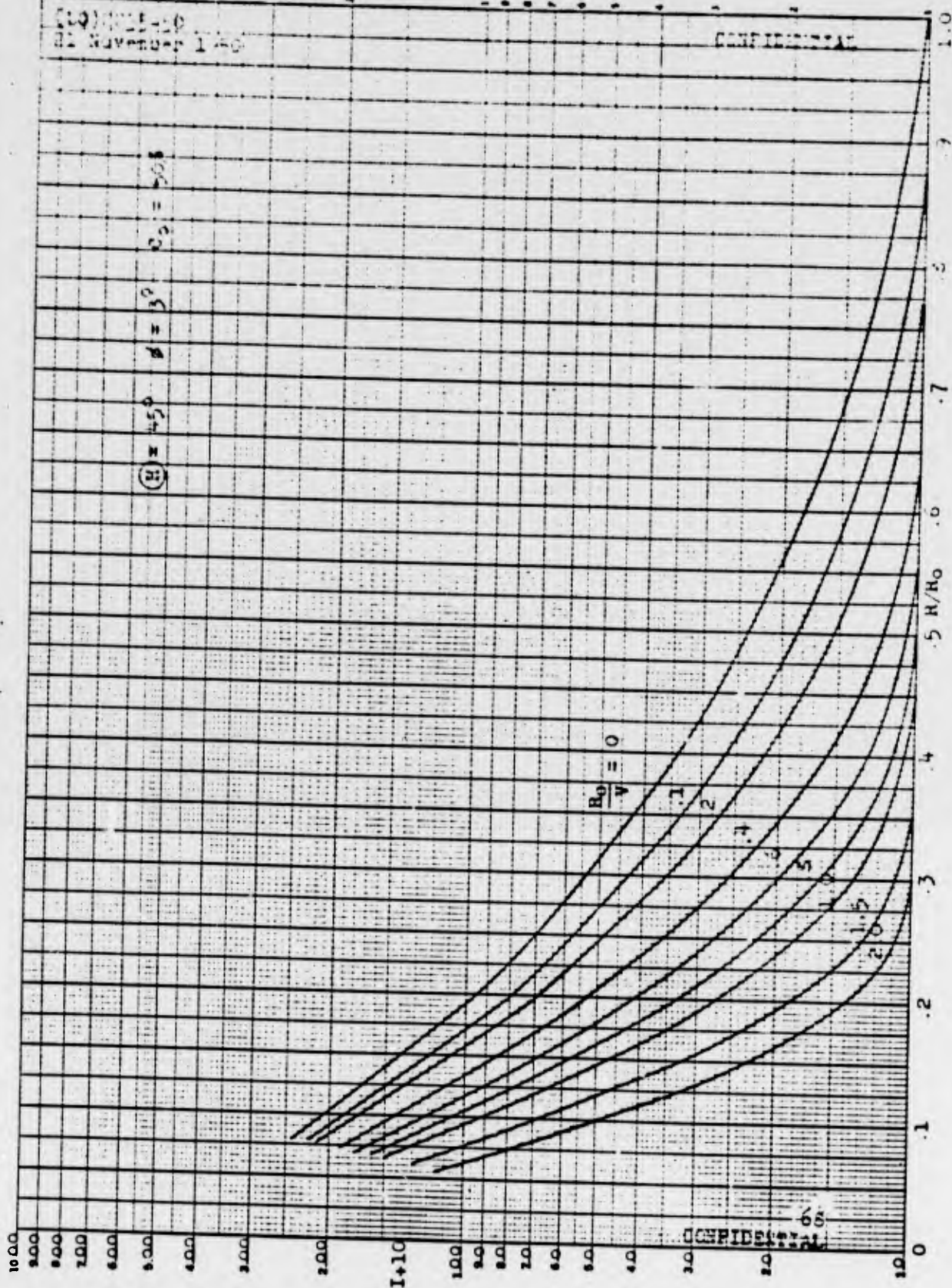




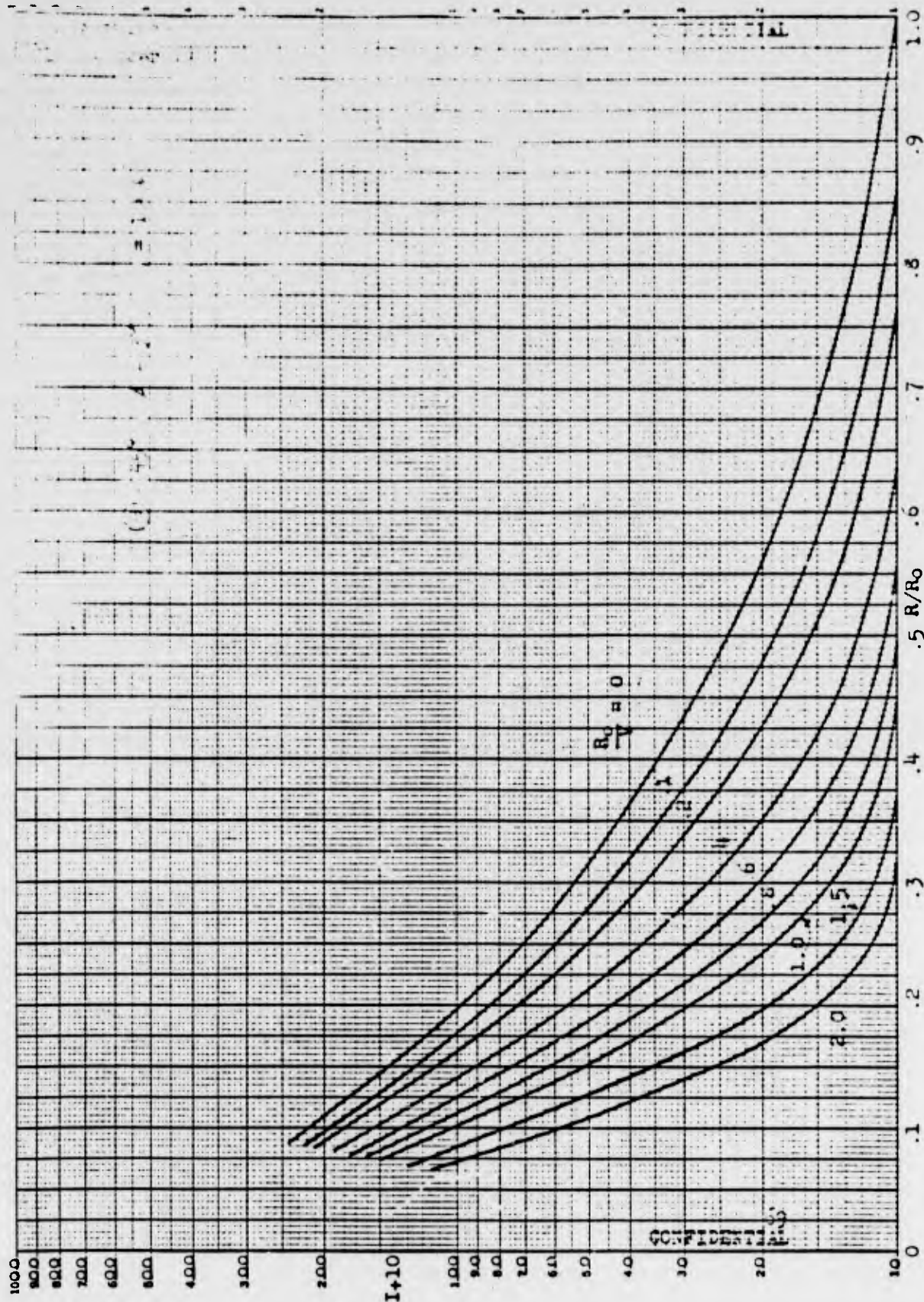


CONFIDENTIAL  
11 NOVEMBER 1960

CONFIDENTIAL



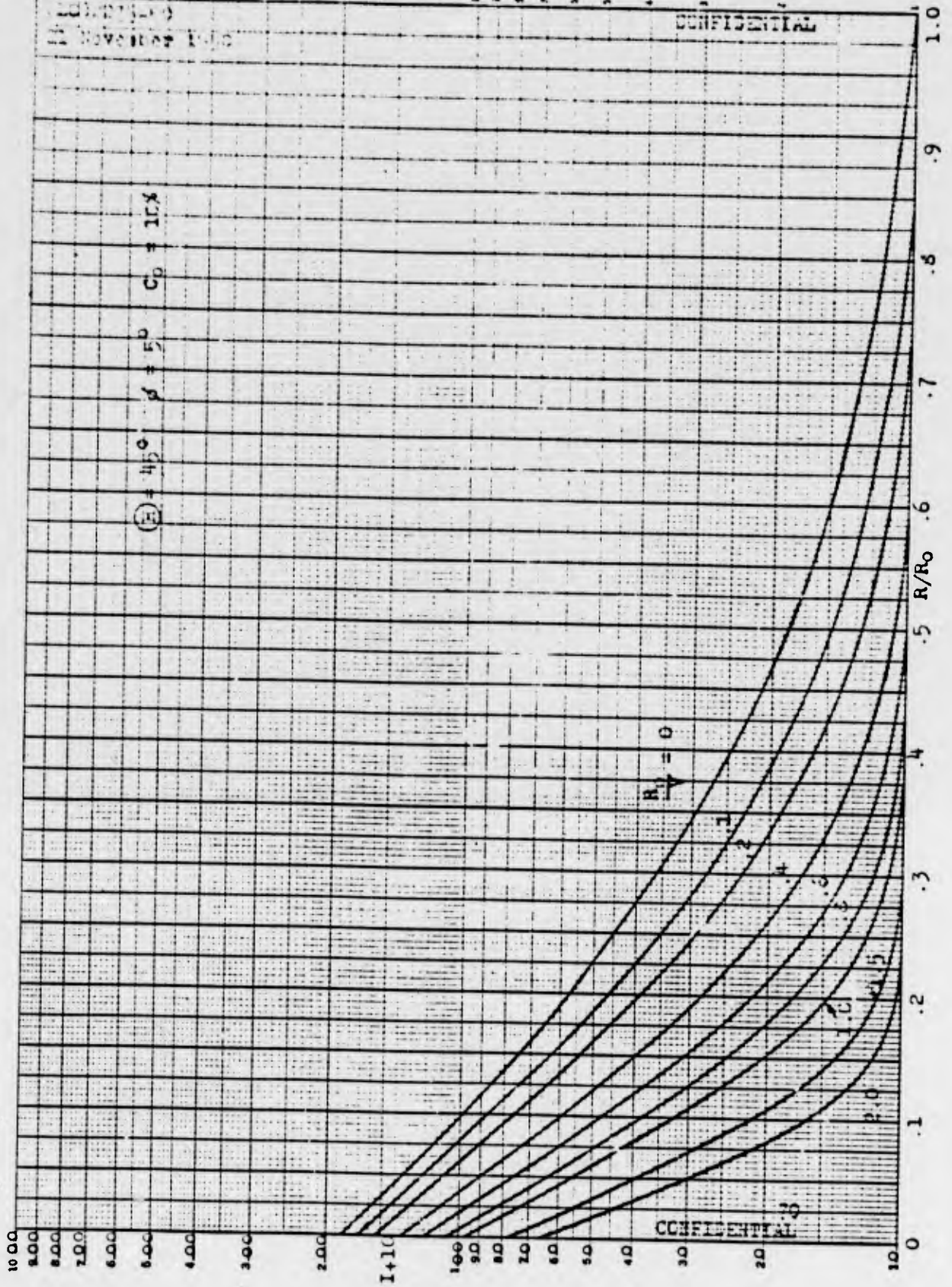




CONFIDENTIAL  
21 November 1960

CONFIDENTIAL

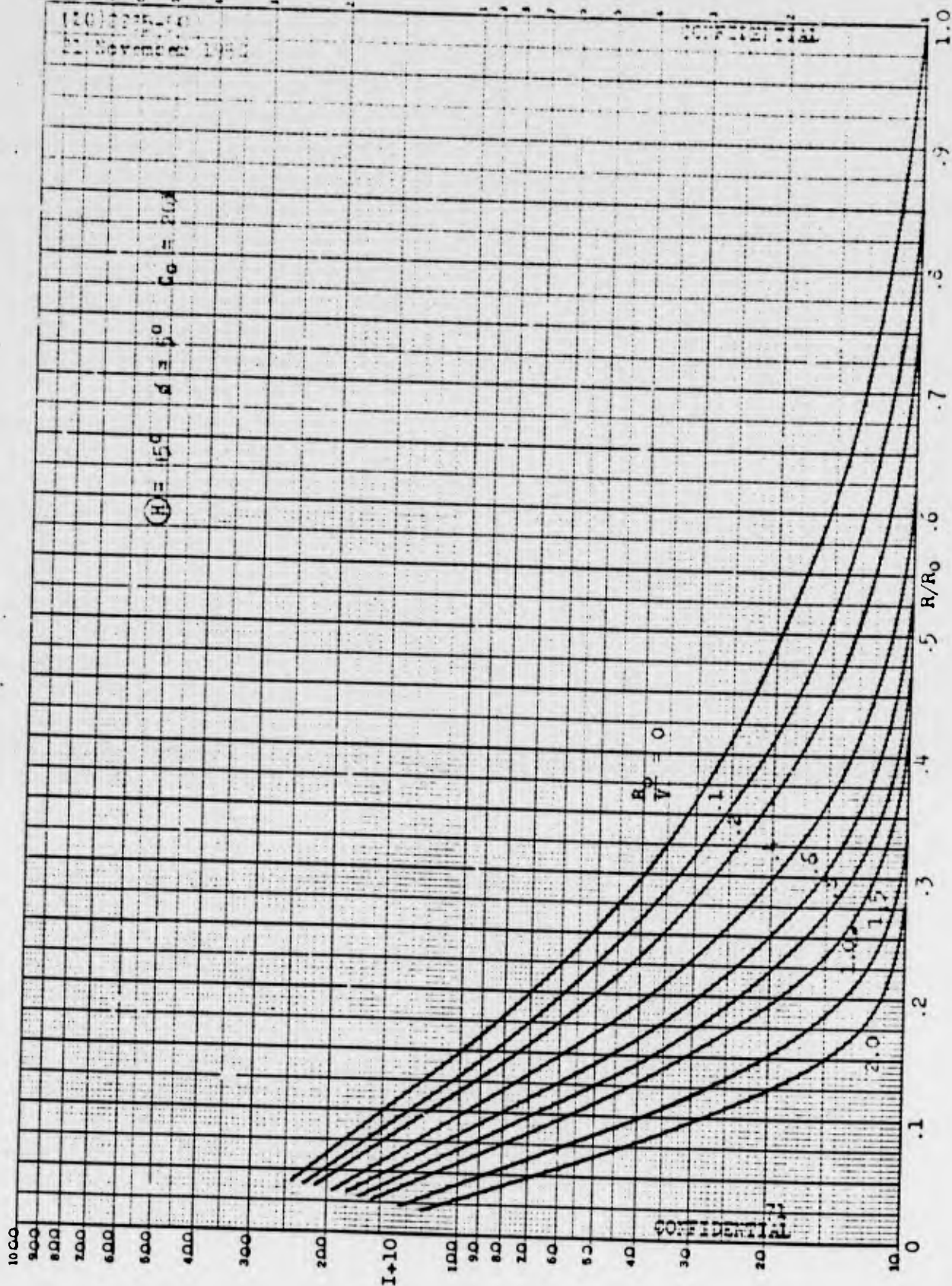
$(E) = 45^\circ$   $\mu = 50$   $C_D = 1.78$



1201225-10  
21 November 1961

CONFIDENTIAL

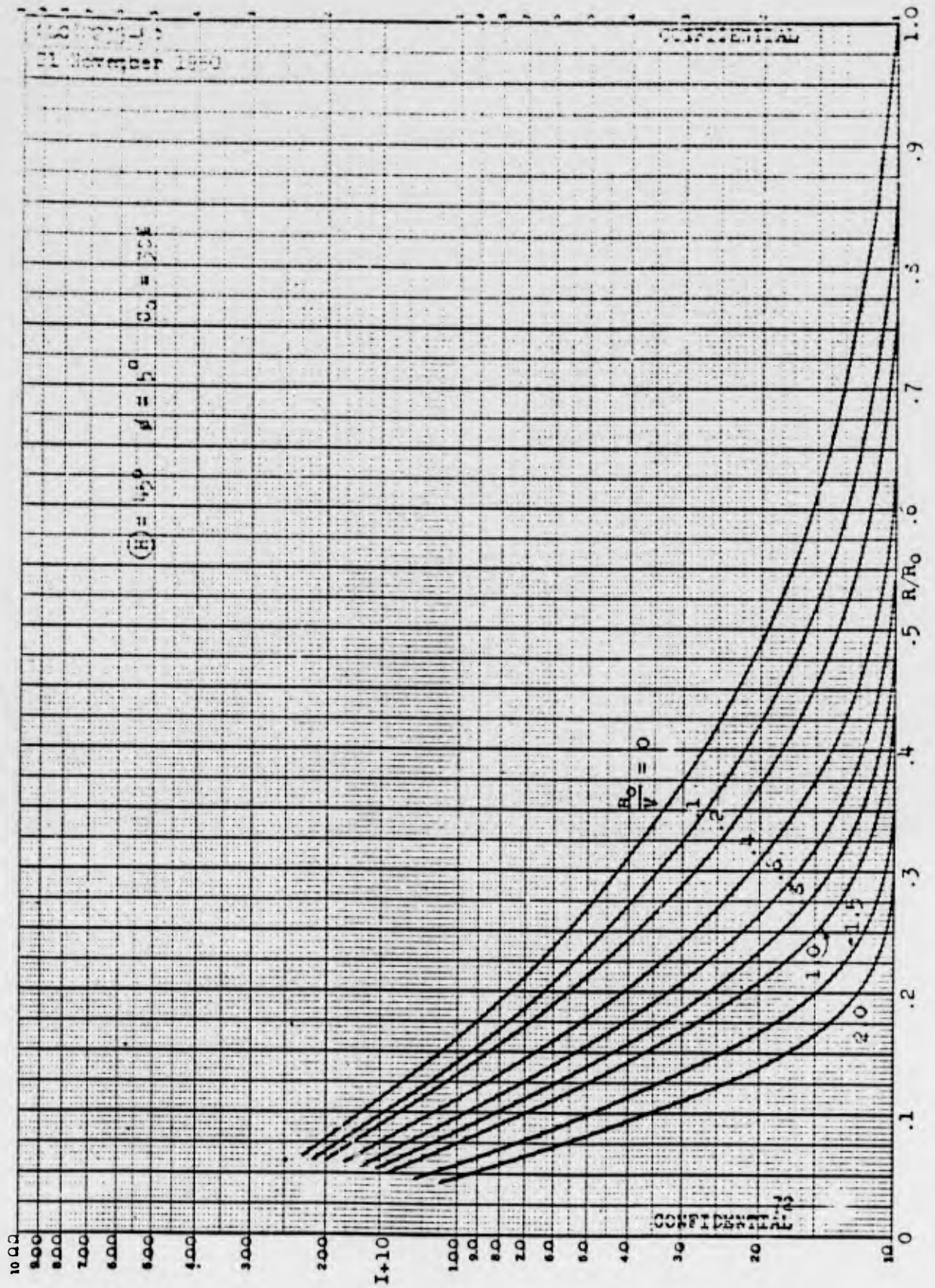
(H) = 150  $\delta = 1.0$   $C_0 = 100$





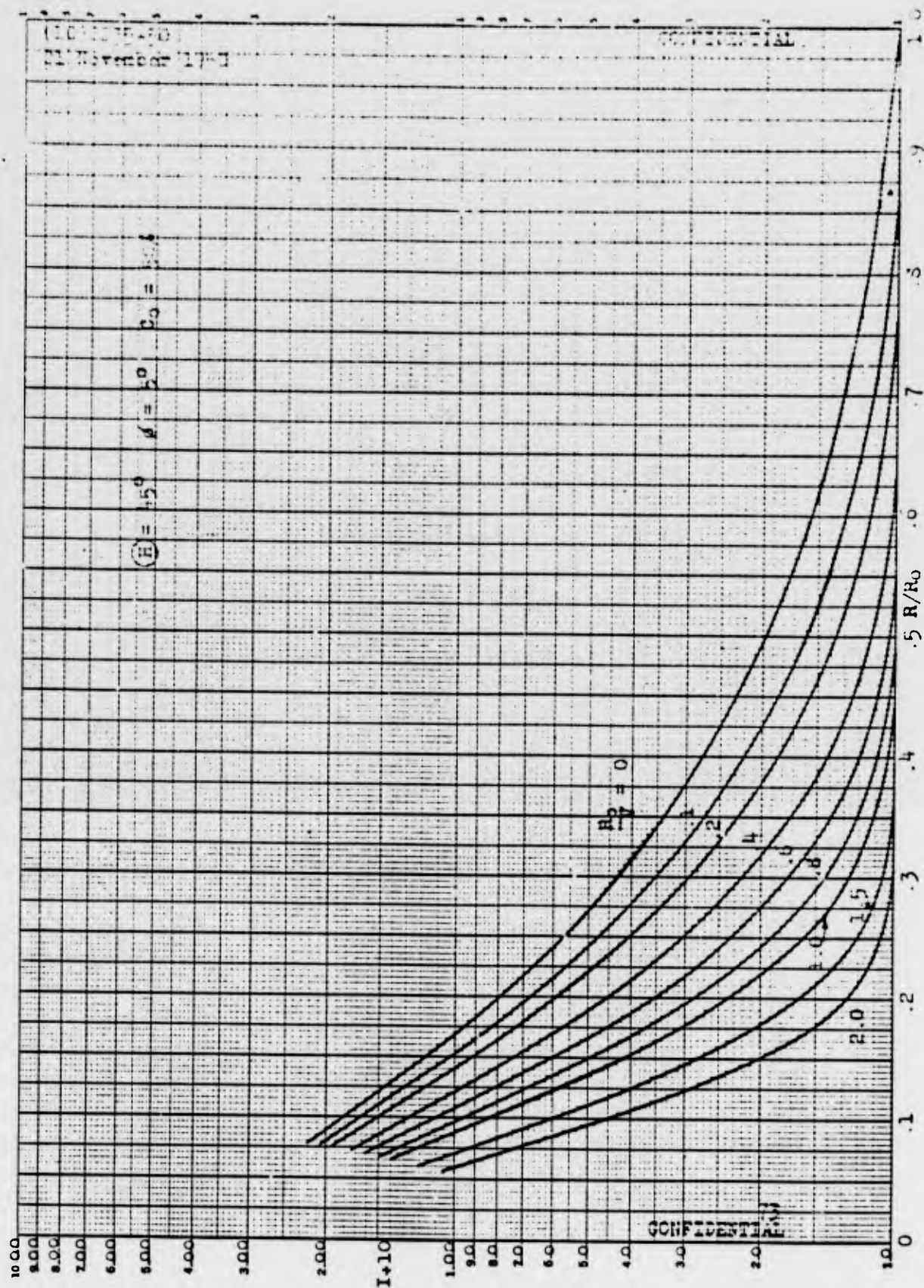
CONFIDENTIAL  
11 November 1950

CONFIDENTIAL

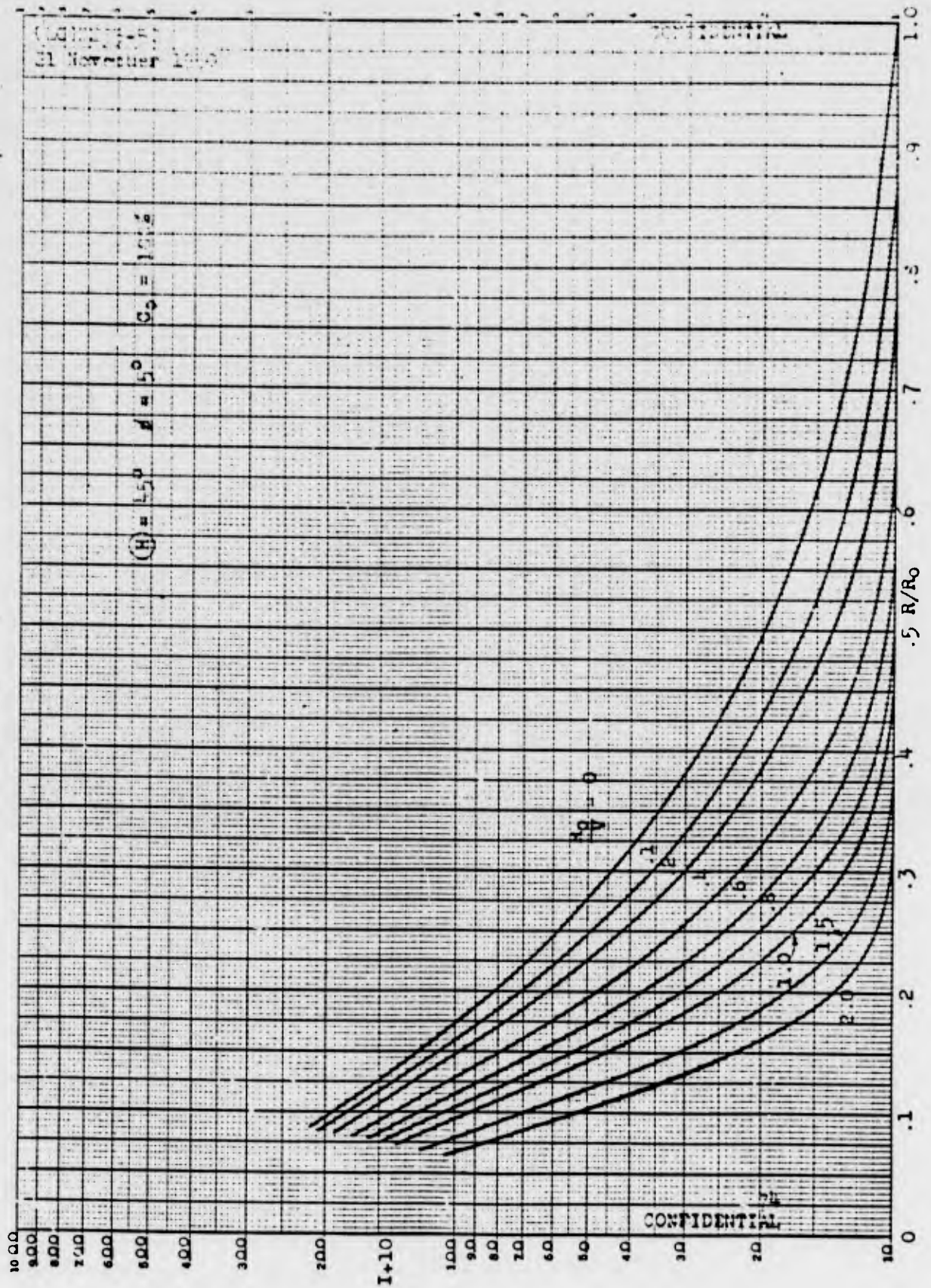


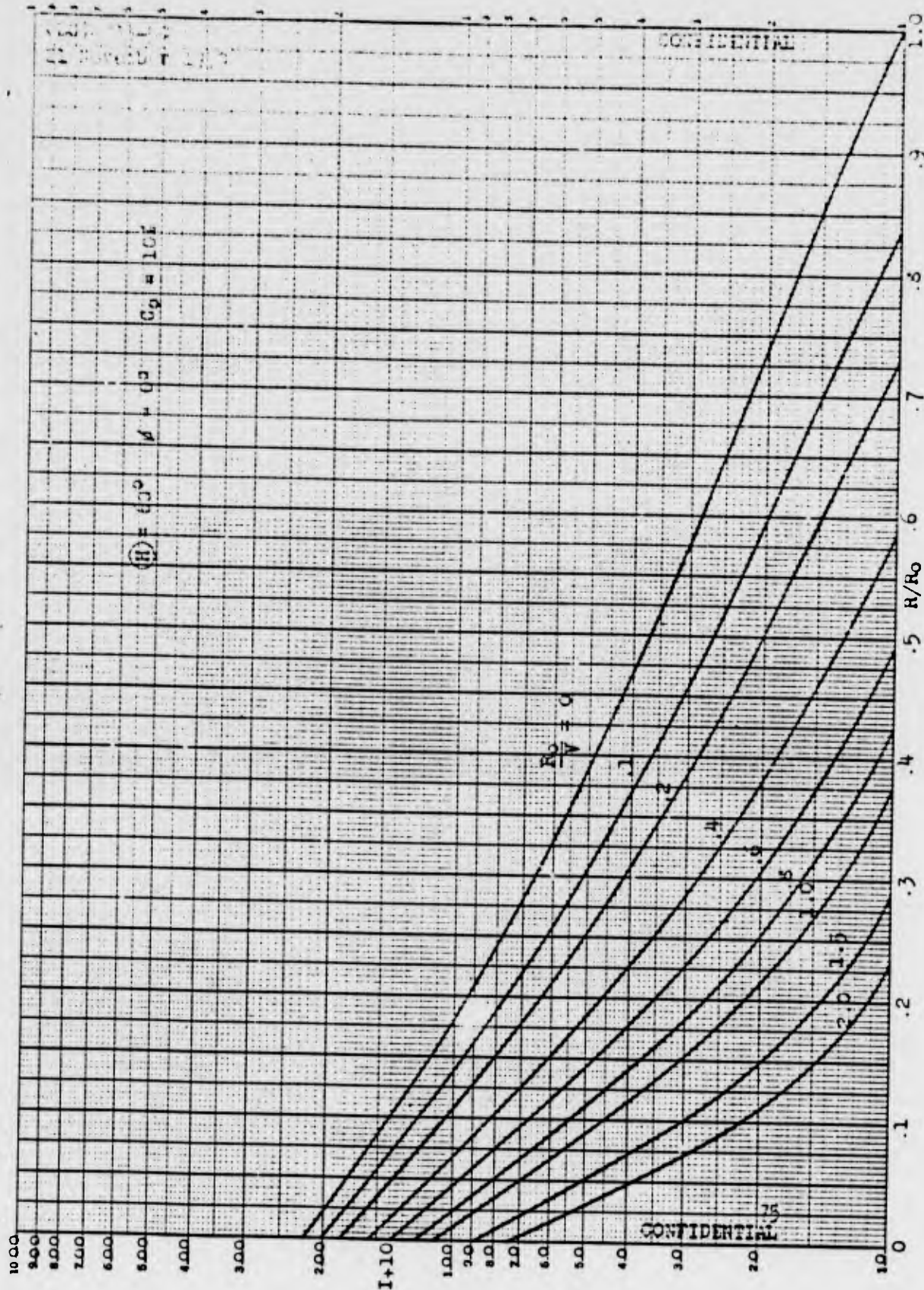


1990-1991



CONFIDENTIAL  
31 November 1960

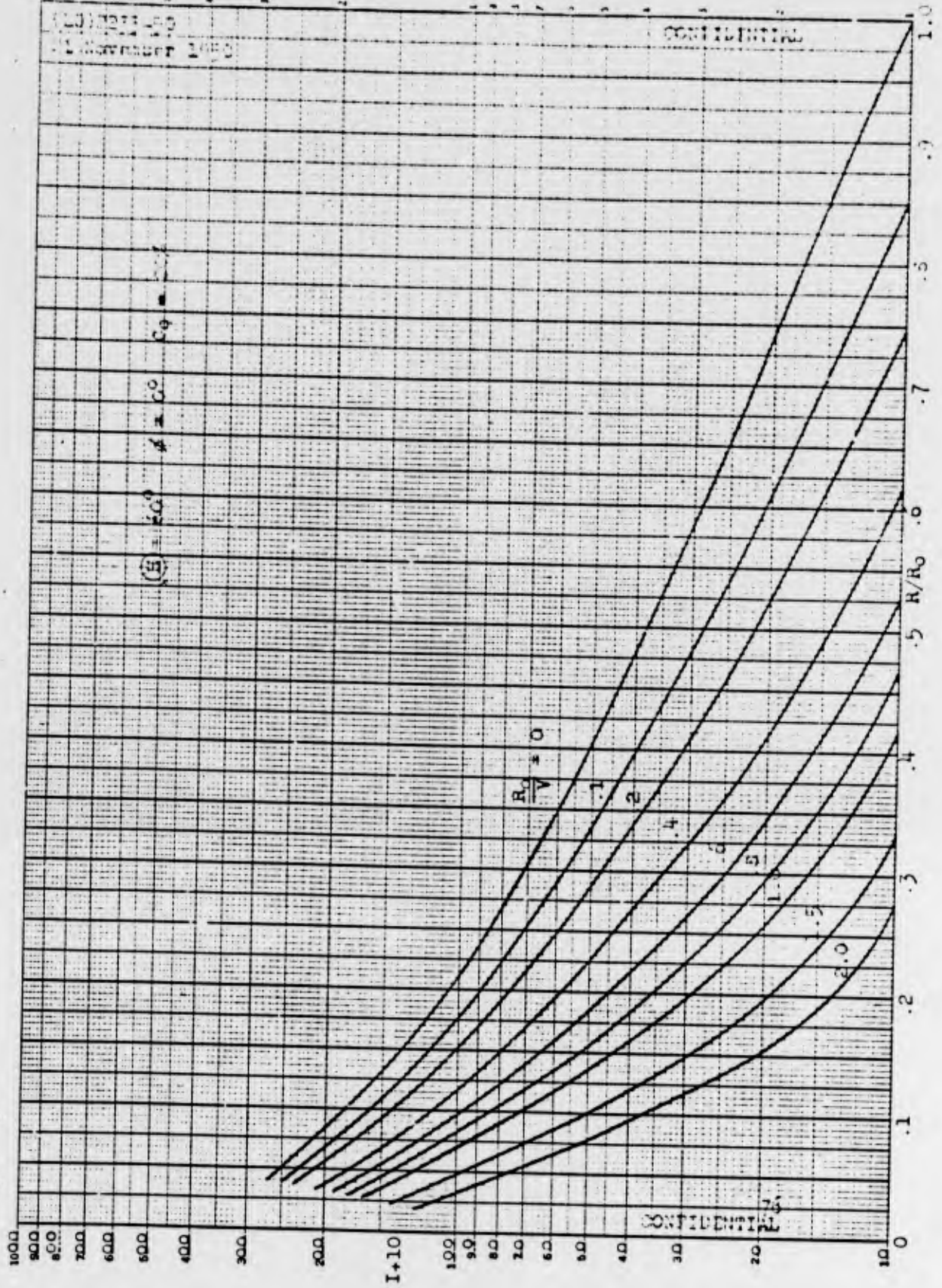






101-1011-10  
11 November 1950

CONFIDENTIAL



$\frac{R_0}{V} = 1000$   $\frac{R}{R_0} = 0.5$

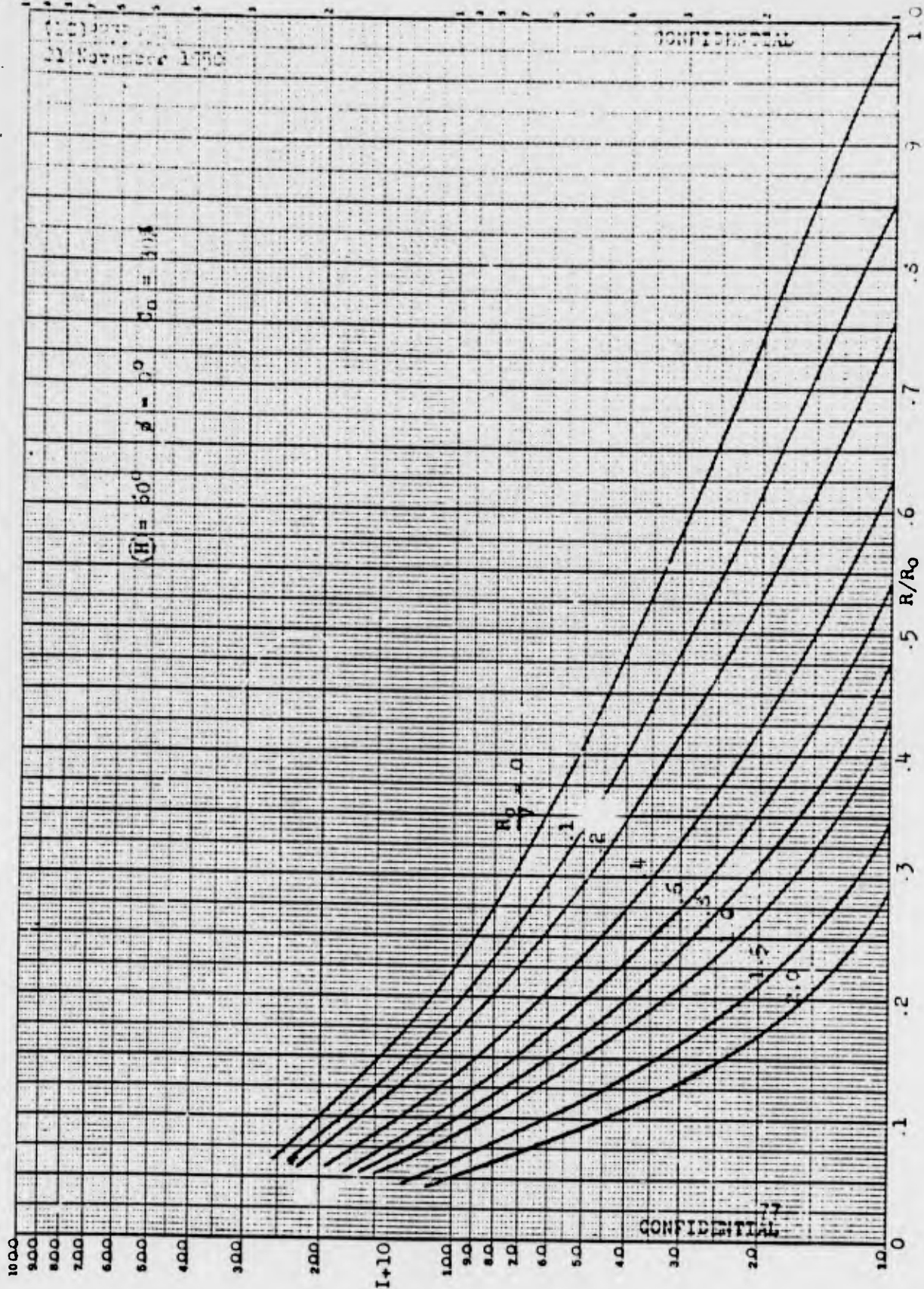
$\frac{R_0}{V} = 0$

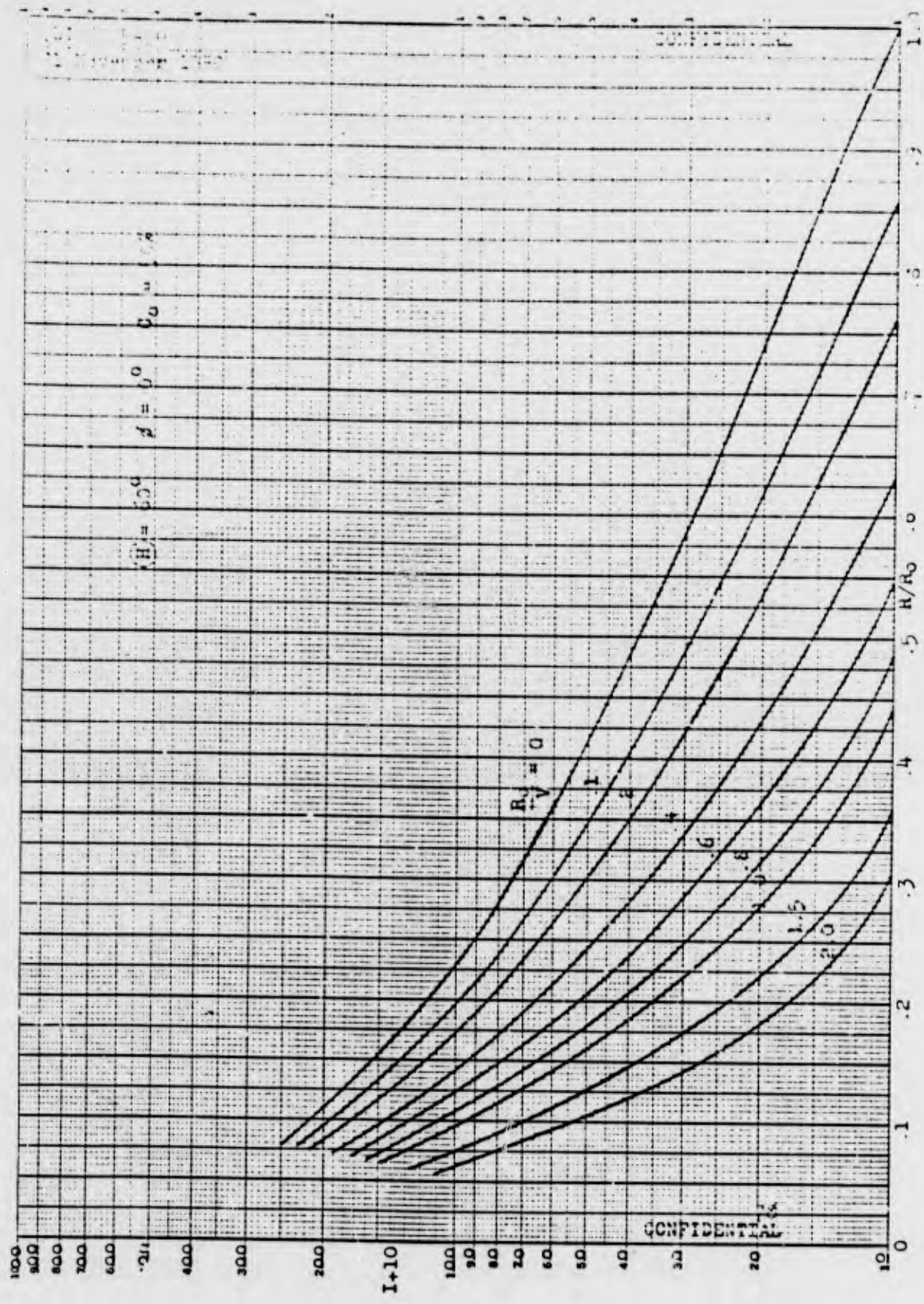
CONFIDENTIAL

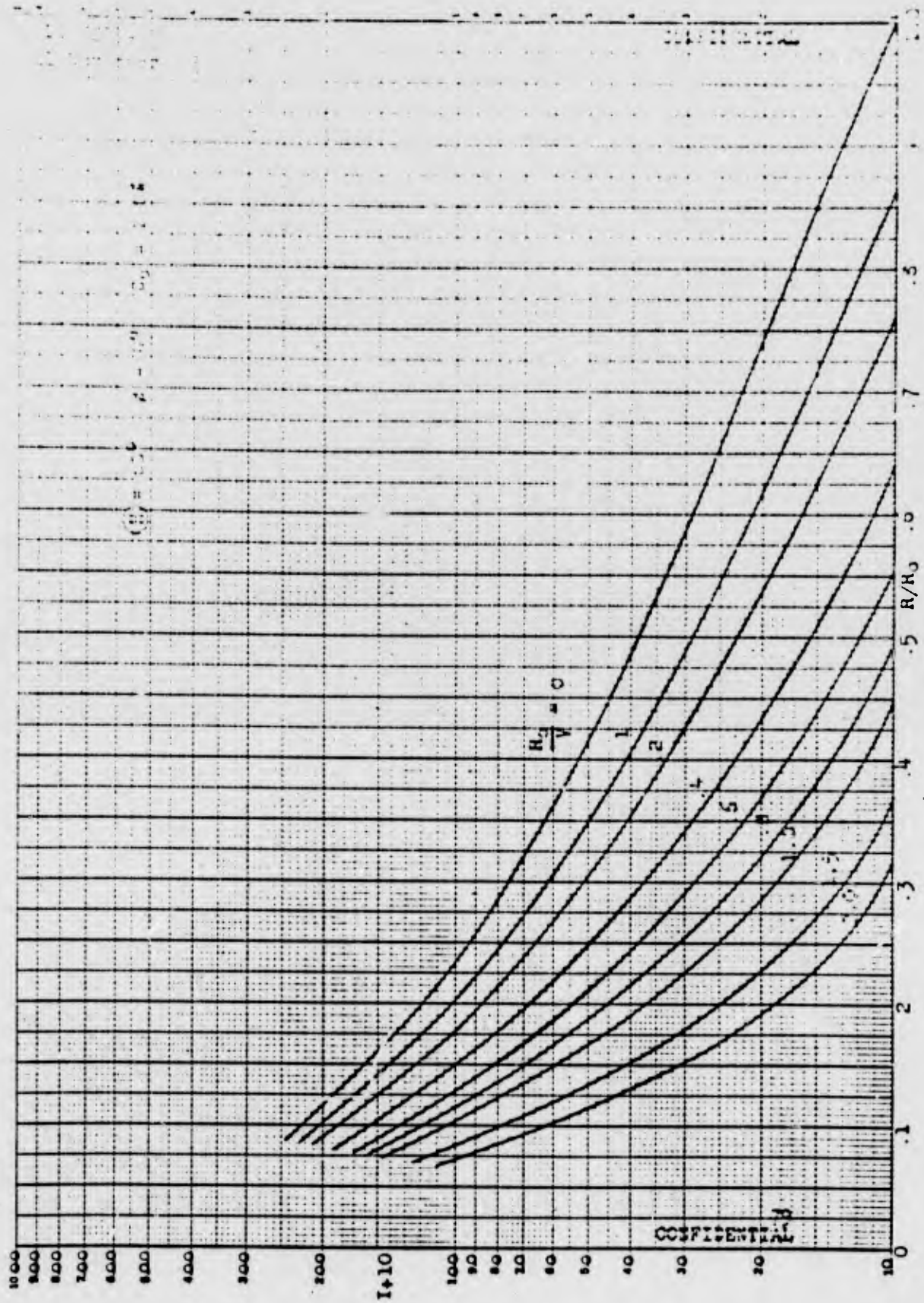


CONFIDENTIAL  
21 November 1950

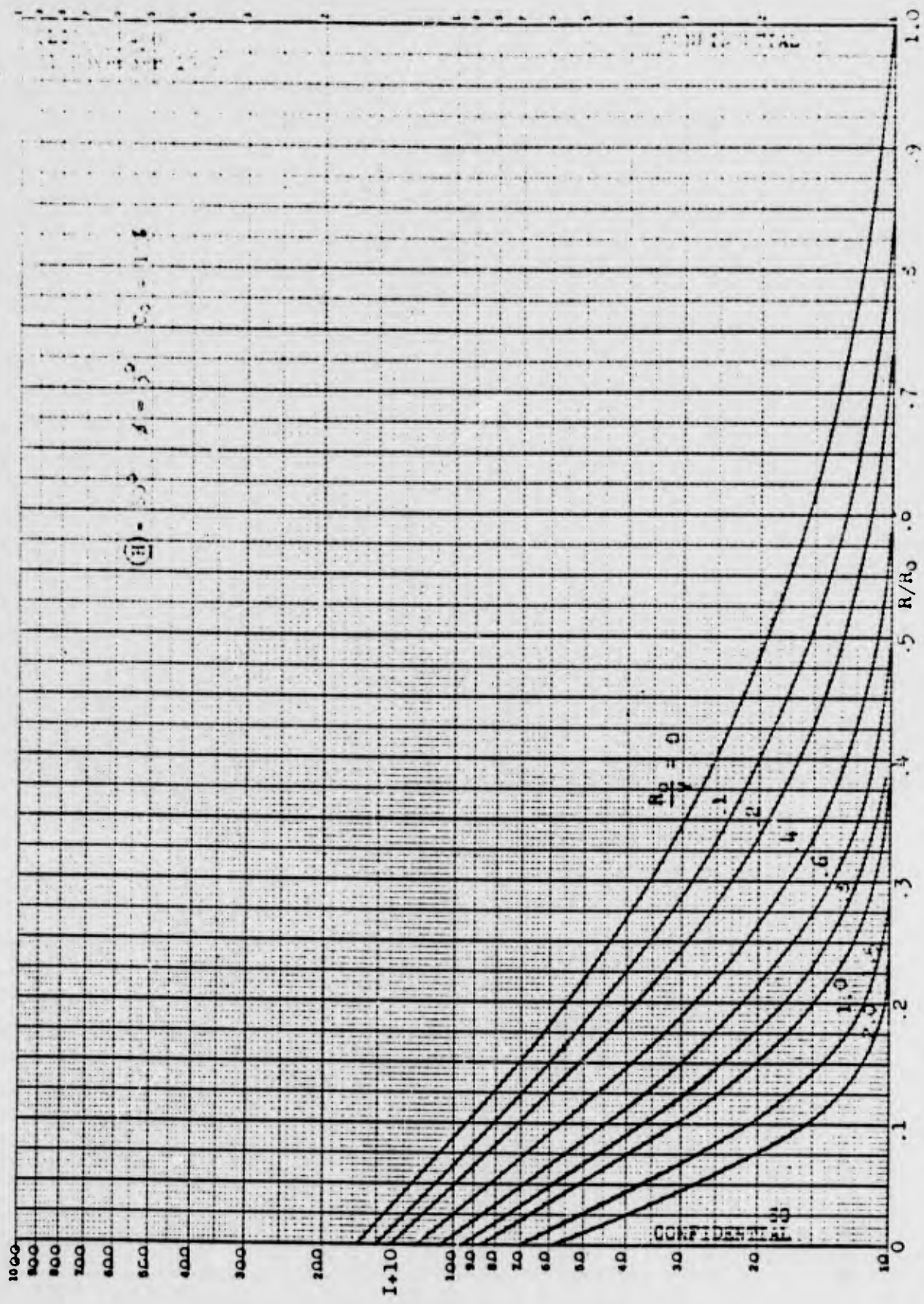
$(H) = 50^\circ$   $\beta = 0^\circ$   $\sigma_0 = 1.0$



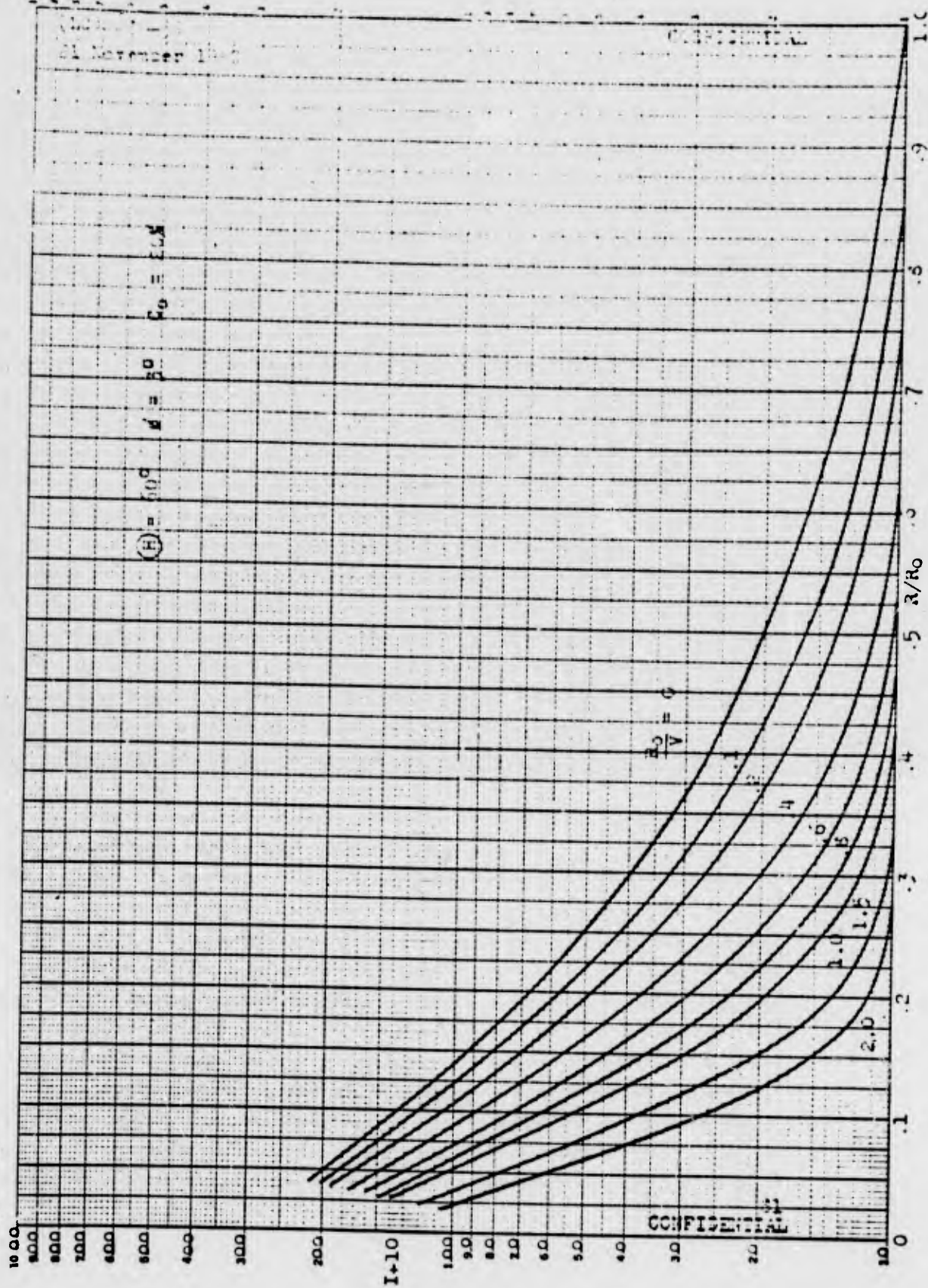


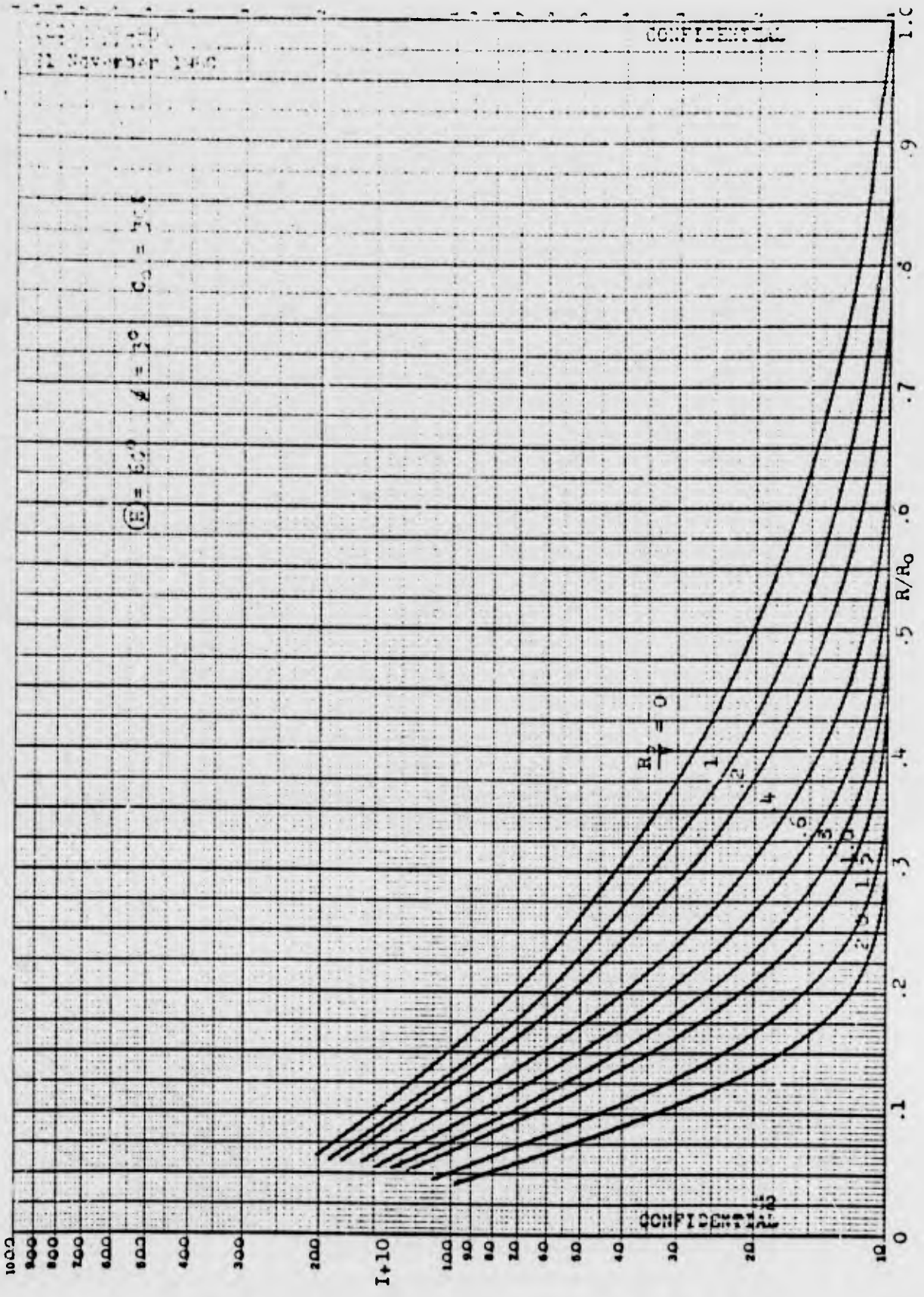








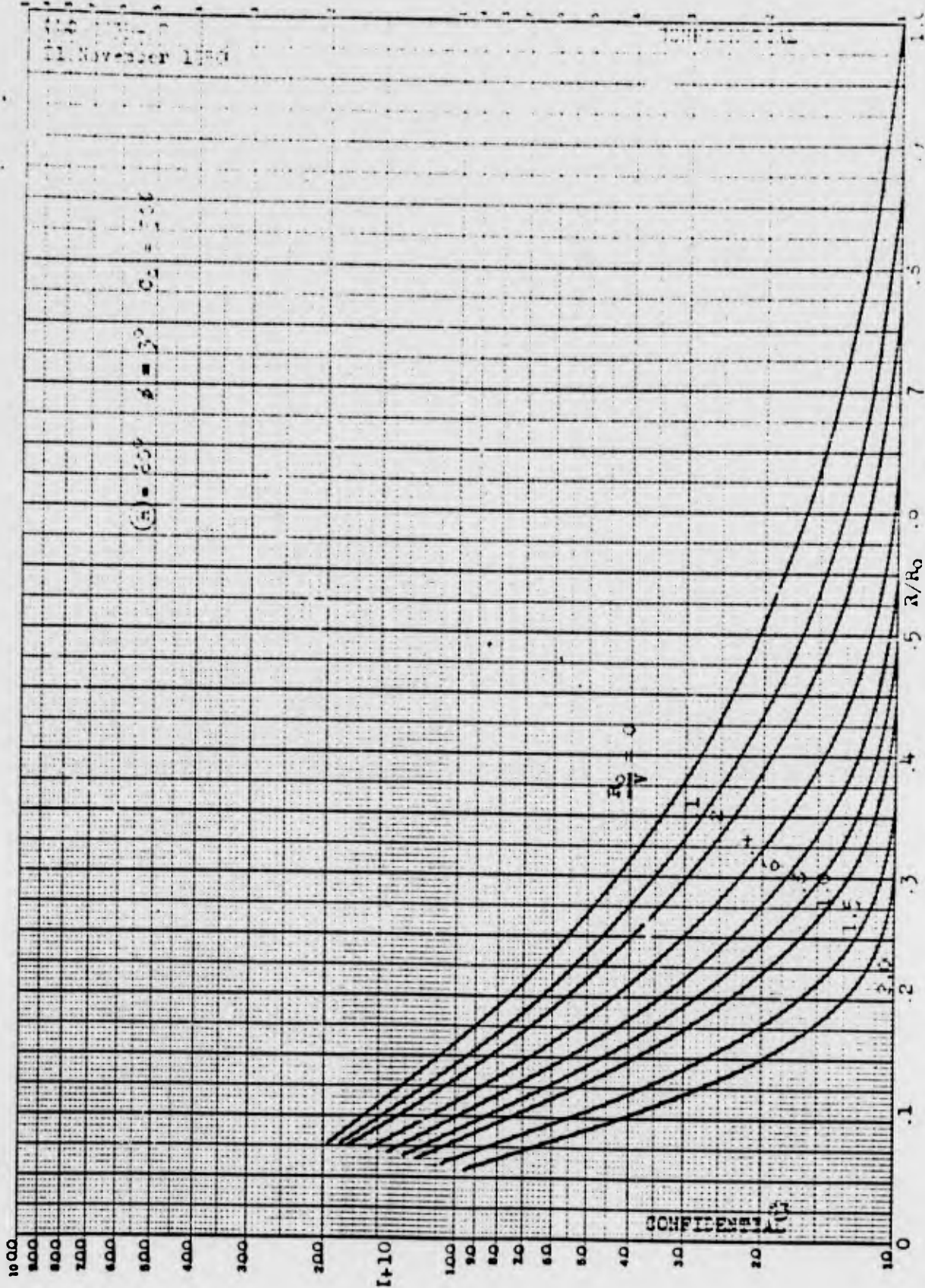




11 November 1950

CONFIDENTIAL

(S) - 20%  $\delta = 3^\circ$   $C_2 = 1.0$



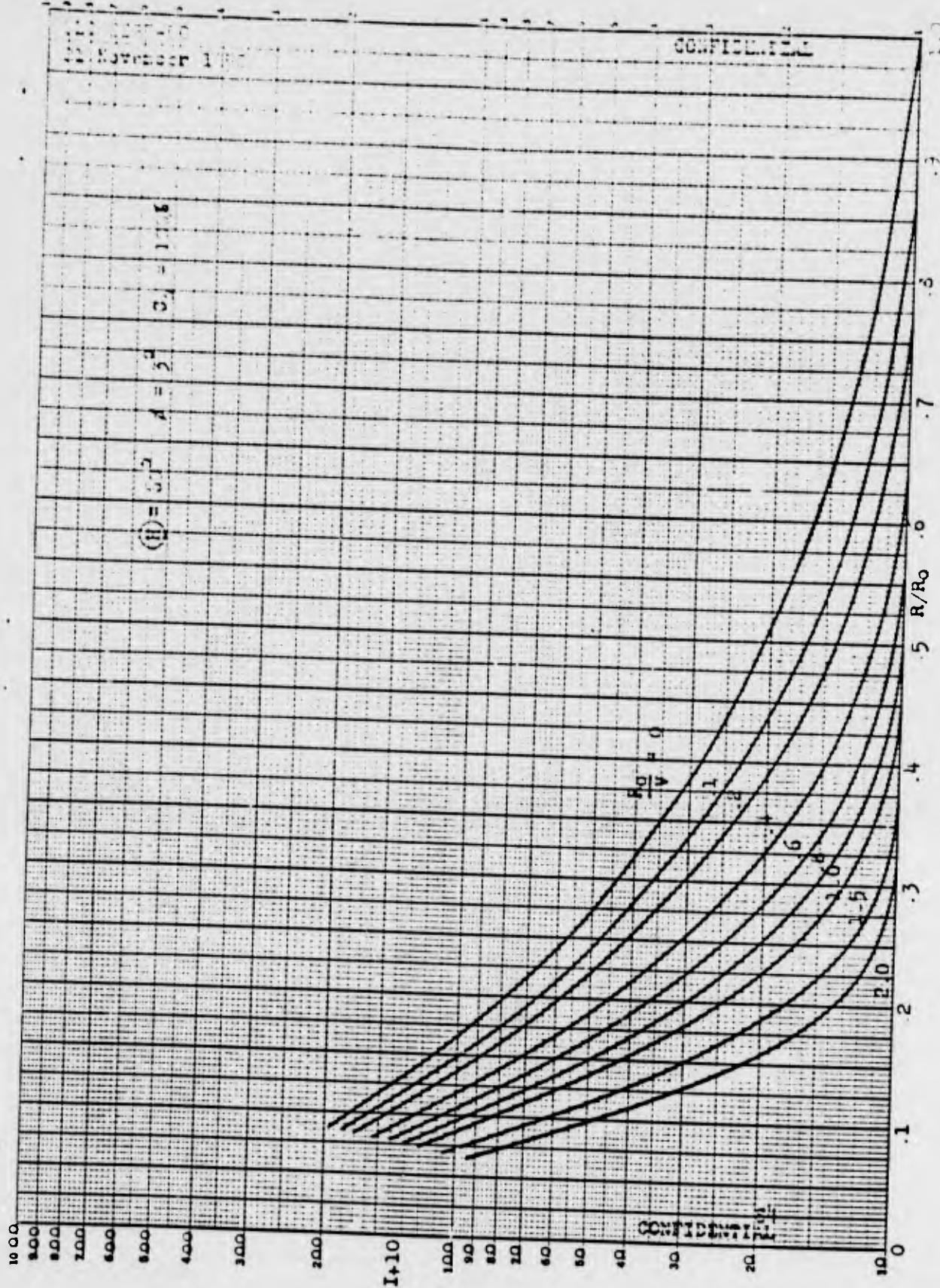
CONFIDENTIAL



CONFIDENTIAL  
22 November 1954

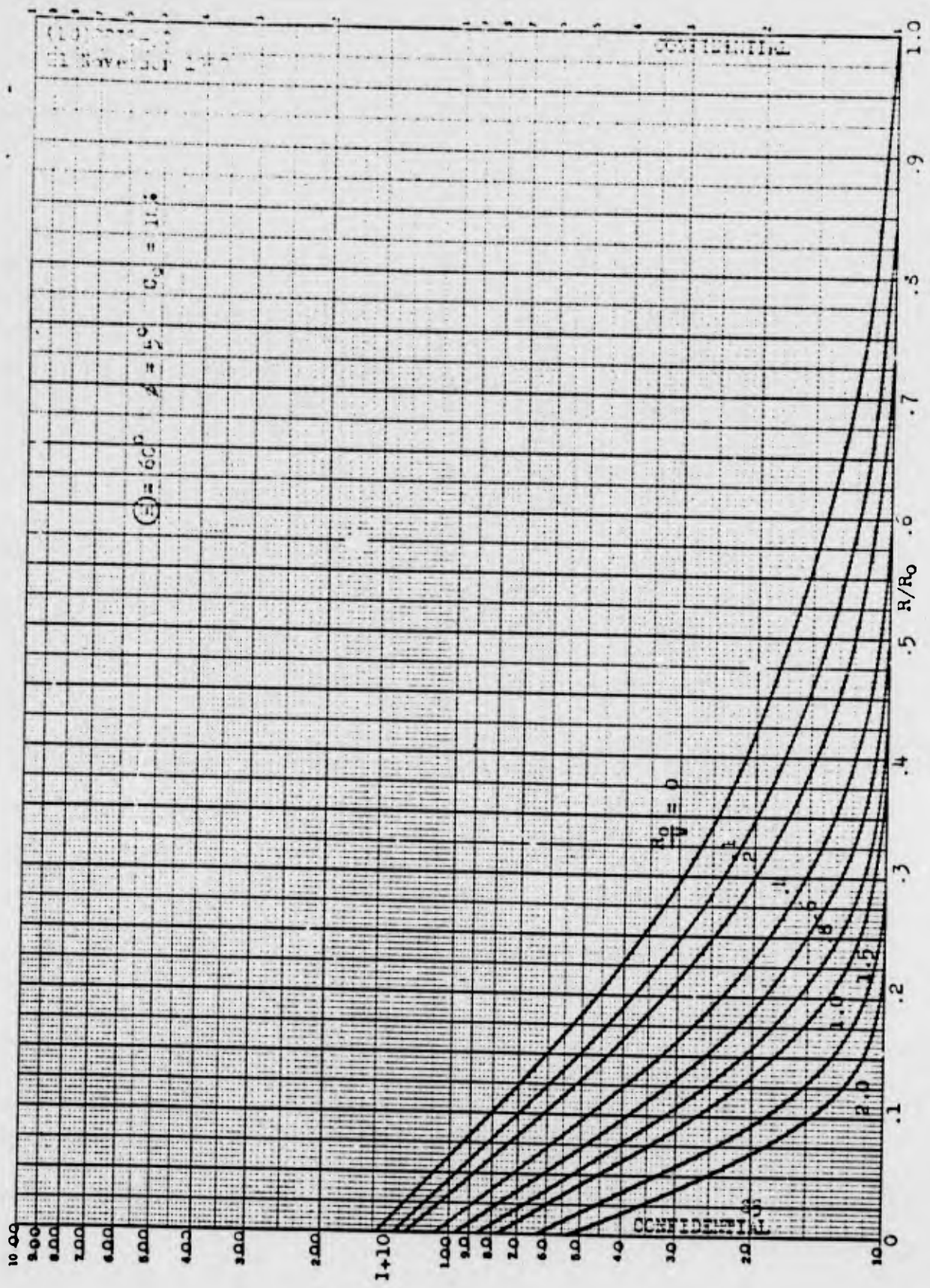
CONFIDENTIAL

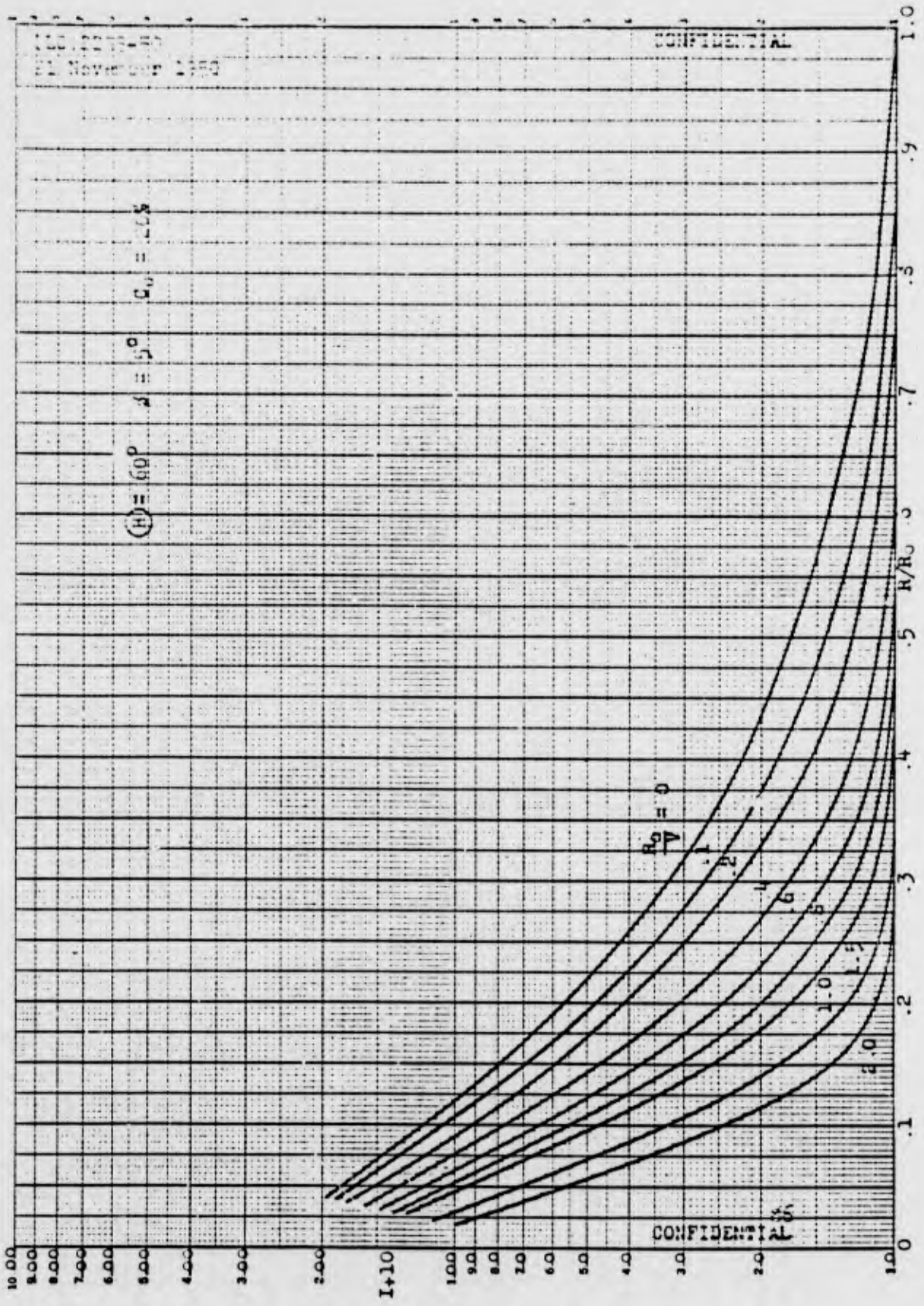
$$(H) = 5.7^2 \quad A = 5^2 \quad C_1 = 1.116$$

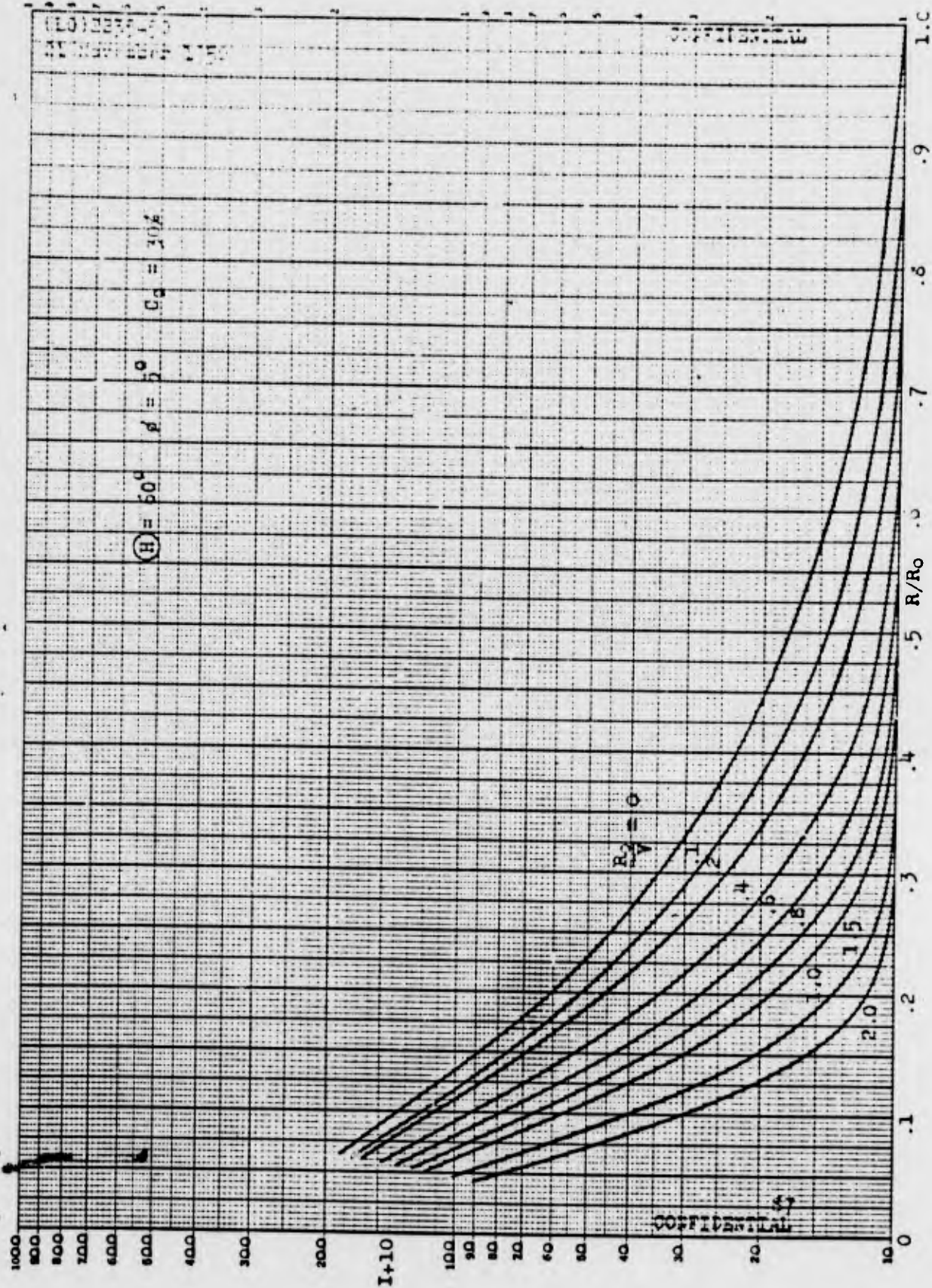


CONFIDENTIAL

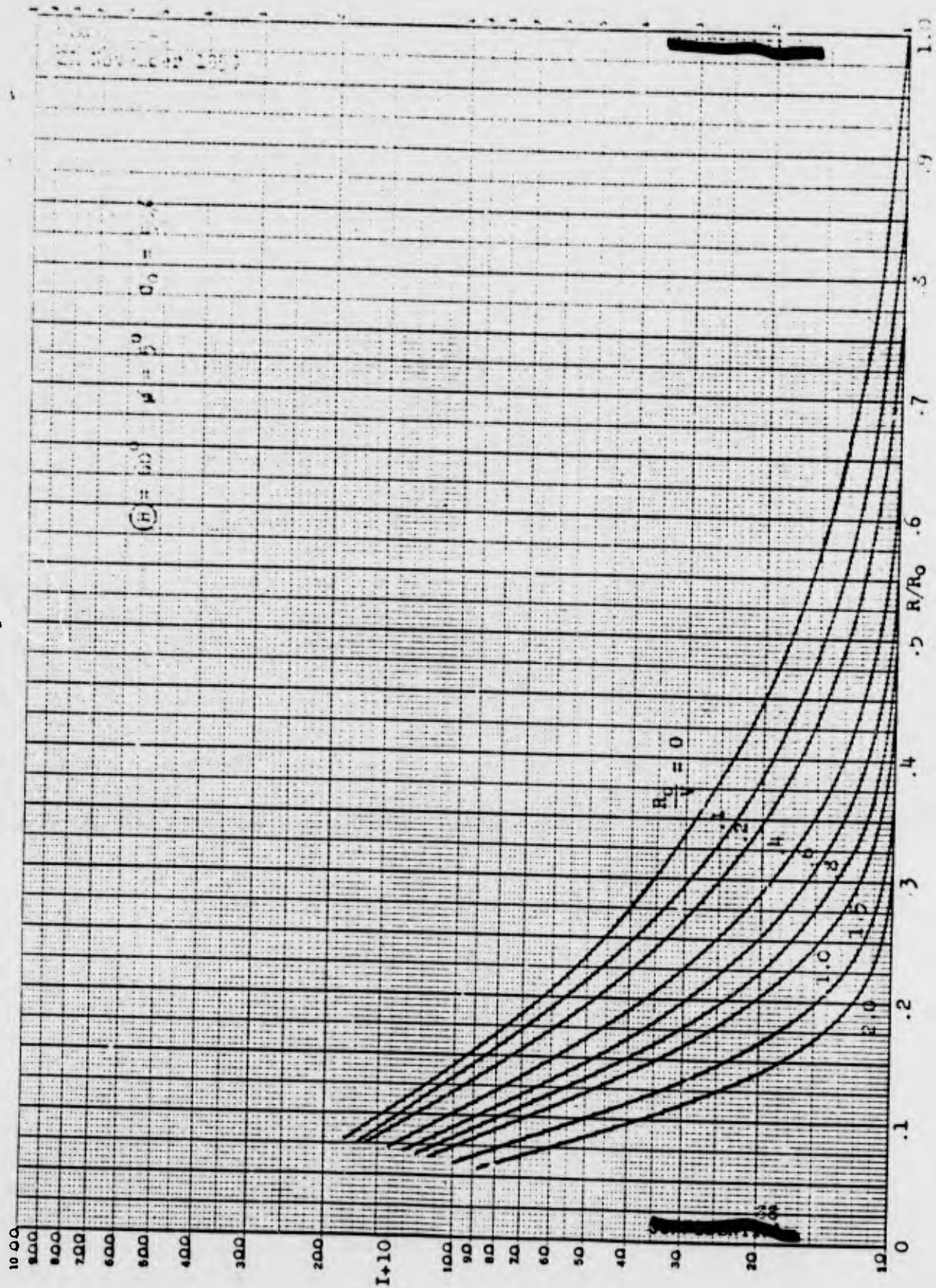








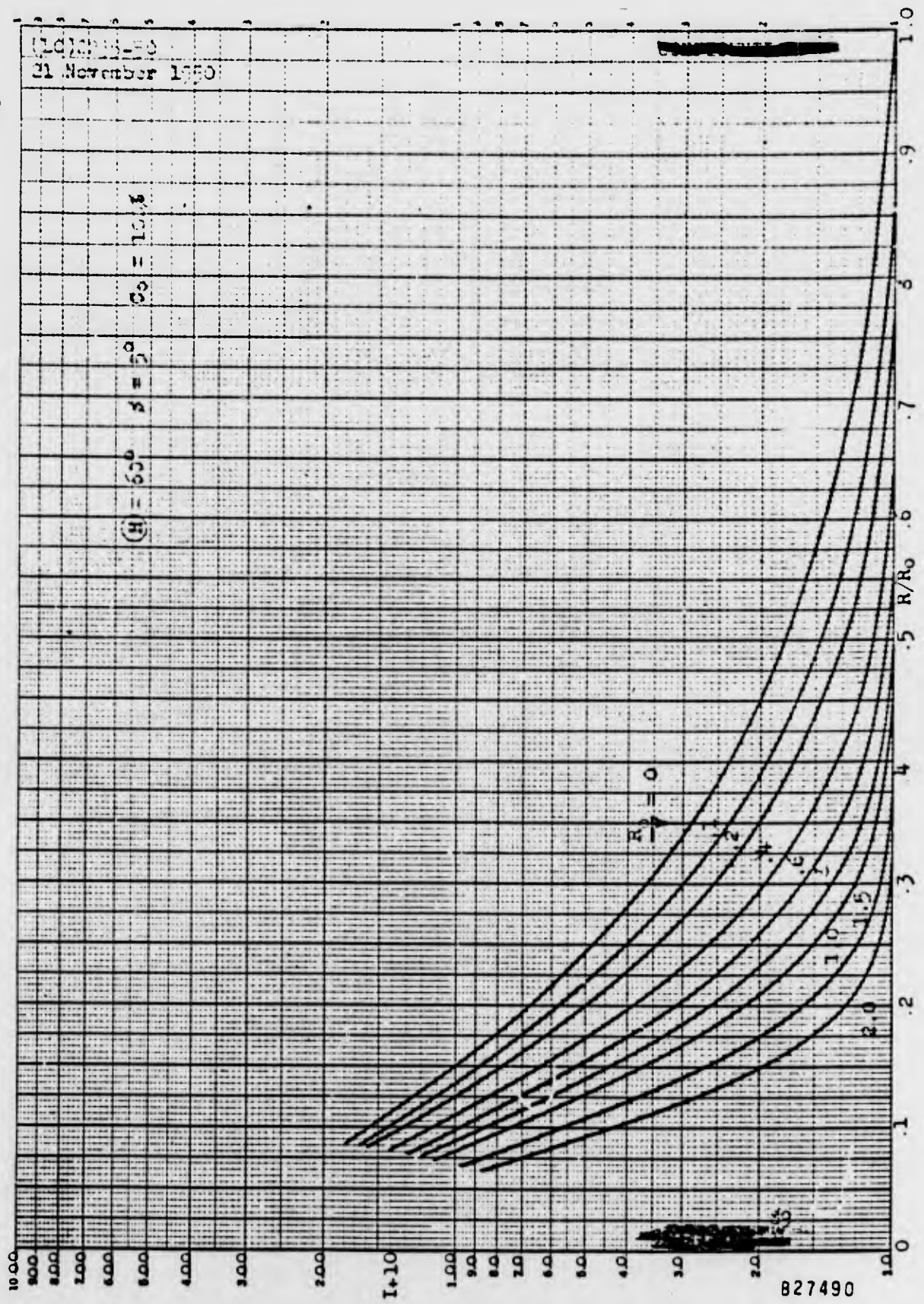






1013018-10  
21 November 1950

$(H) = 60^\circ$   $\delta = 90^\circ$   $C_0 = 10.8$



827490