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## RESEARCH ON CHARACTERISTICS OF TRANSITION ELEMENTS IN SOLUTION



 Studies on rhodium chemistry with a note on palladium by CLARA BERECKI-BIEDERMANN

2. Studies on ruthenium chemistry by FELIPE BRITO and DEREK C. LEWIS

> LARS GUNNAR SILLÉN Contractor

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TECHNICAL REPORT CONTRACT NO AF 61(052)-417 1963

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#### MONITORING AGENCY DOCUMENT NO.

ASTIA DOCUMENT NO.

RESEARCH ON CHARACTERISTICS OF TRANSITION ELEMENTS IN SOLUTION

- Studies on rhodium chemistry, with a note on palladium by Clara Berecki-Biedermann
- 2. Studies on ruthenium chemistry by Felipe Brito and Derek C. Lewis

Lars Gunnar Sillén Contractor

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#### Abstract

#### Rhodium

Systematic studies have been made on the preparation and characterization of halogenide-free rhodium sulfate and perchlorate solutions. Improved methods of preparation and analysis have been worked out.

Three oxidation states were met with.

Rhodium(III) (yellow) has a practically constant hydroxide number,  $Z \approx 1.75$  in the range of  $[H^+]$  studied, so that the formula is close to  $Rh_n(OH)_{1.75n}^{1.25n+}$  in acid solutions. For rhodium(V) (green) other valencies were ascribed by earlier authors; evidence for the oxidation number 5+ was obtained by careful analysis. A third violet species has an oxidation number > 5. Because of its instability the oxidation number has not yet been determined.

Some redox emfs for Rh(III, V) mixtures are given. They do not correspond to real equilibrium, but the apparent standard electrode potential in  $0.5 - 1 \text{ M HClO}_A$  is around +1.42 V.

Absorption spectra are given for the solutions prepared. The work will be continued using, in addition to the other methods, conductivity and freezing-point measurements.

#### Palladium

Pure palladium(II) perchlorate and sulfate solutions were prepared by precipitating first - with  $HClo_4$  - hydrous palladium oxide from a clear alkaline solution of  $Pd(NO_3)_2$  and then dissolving the precipitate in cold  $HClo_4$  ( $H_2SO_4$ ). Ruthenium

The preparative and analytical methods described earlier (Brito 1960) have been improved, and new ones introduced. Catalytic reduction with  $H_2$  gas on a Pt catalyst proved a very useful tool. The various solutions obtained during the reactions are characterized by redox potential e, oxidation number X, color and spectra, and some often recurring solutions are denoted by letters as  $R_1$ ,  $G_2$  etc.

Redox reactions of Ru in 1 M  $H_2SO_4$  medium were studied: X was varied stepwise by chemical means (Ti(III), Cr(II), Ce(IV)) or coulometrically, and e was measured. The resulting curves e (X) (schematic survey in Fig 1) bring out the existence of slow, irreversible reactions, and of polynuclear species of mixed oxidation number.

Relatively well-defined states are the red Ru(IV), "R<sub>1</sub>", the green Ru(III) "G<sub>2</sub>", and the pink Ru(II), "P<sub>1</sub>". The Ru(II, III) redox potentials in 1  $\underline{W}$  H<sub>2</sub>SO<sub>4</sub>

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are fairly well-defined with the  $e_{\alpha} \approx 180$  mV.

Between X = 3 and X = 4, dark-brown solutions ( $B_3$ ,  $B_4$ ,  $B_5$  etc) are obtained which change their properties with time and may contain several species. The redox curves indicate one or several species with X  $\approx$  3.5, one with X  $\approx$  3.25, and one with X  $\approx$  3.7.

A mathematical analysis of some of the redox curves e(X) has been attempted. The tentative values for the oxidation number, and the number of Ru atoms in the various species, are by no means certain since most curves were irreversible. They may have some connection with reality, however.

For the red species  $R_1$  analysis indicated the formula  $Ru_n(OH)_{3n}^{n+}$ . Tentative formulas are given also for some other species.

Absorption spectra are given, and possible lines for future work on ruthenium chemistry are indicated.

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#### Studies on rhodium chemistry, with a note on palladium

by Clara Berecki-Biedermann

#### Introduction

This research project was undertaken in November 1958 with the intention to find experimental methods suitable for the determination of the fundamental properties of the simple rhodium species prevailing in aqueous solutions. We shall call simple species those which occur in solutions containing ligands of minimum tendency for complex formation such as  $\operatorname{Clo}_{h}^{-}$ ,  $\operatorname{SO}_{h}^{2-}$  and  $\operatorname{NO}_{\pi}^{-}$ .

Very little quantitative results have been reported on such solutions. The main reason for this lack of data seems to be the fact that the investigators working with solutions of the platinum group metals have been mainly concerned with the study of those robust rhodium species which can be easily obtained in the crystalline state and which do not undergo any reaction when dissolved. As a consequence the composition, the exidation state, the absorption spectra and the electrochemical constants of the simple rhodium ions were not known with certainty. Thus Latimer who reviewed the data available up to 1952, could give but rough estimates for the standard potentials of the rhodium ions and for the formation constants of the halide complexes.

As the present work proceeded it became evident that no adequate methods were at one's disposal for the preparation and analysis of the rhodium solutions. No successful study of ionic equilibria can be carried out before these problems are satisfactorily solved; thus some time had to be devoted to preparative and analytical questions.

In connection with the study of these problems it was discovered and confirmed that the dark green colored species formed when Rh(III) is exidized has the exidation number five.

The solutions prepared and analyzed according to the improved methods served for the study of the hydrolysis equilibria of Rh(III), Some redox potential measurements were carried out with the Rh(III) - Rh(V) couple. The characteristic absorption spectra of the Rh[III) and Rh(V) species are given as well as that of a violet colored Rh ion having an oxidation state exceeding five.

Some preliminary work has been made on the preparation and analysis of palladium(II) perchlorate and sulfate solutions. It was found that the principles worked out for rhodium solutions are of considerable value also for palladium.

## Preparation of halogenide-free rhodium(III) perchlorate and sulfate solutions

#### Summary of the main results

Since the main scope of this work has been the investigation of the hydrolysis equilibria it was necessary to prepare rhodium(III) perchlorate and sulfate solutions of moderate acidity which should contain neither substances forming complexes with rhodium(III) lons nor protolyzing impurities in detectable amounts. None of the numerous methods used for the preparation of pure perchlorate solutions of the common metals proved to be applicable to rhodium. This failure is to be explained by the fact that the ionic species existing in solutions of rhodium halides - which had to be used as starting material for reasons given in ref. 1 - are extremely inert in most ligand displacement and redox reactions. Recognition of this difficulty made necessary a rather extensive study to find special experimental conditions rendering the rhodium comp lexes reactive. The results of this study are summarized in ref. 1 which is included in this report as Appendix No 1. In this paper two convenient methods are recommended for the preparation of pure rhodium(III) perchlorate and sulfate solutions.

Current work in this laboratory has given evidence that the principles utilized for the preparation of rhodium solution are also applicable to other members of the platinum group metals.

#### Additional attempts of preparation

a) Use of anion exchange resin. The scope of these experiments was to develop a method which would yield halogenide-free solutions without precipitating rhodium hydroxide. Dilute (0.1 to 1 mM) solutions of rhodium chloride were first slightly acidified and boiled for half an hour, and then slowly passed through an anion exchanger, saturated with perchlorate, of the quaternary amine type such as Dowex 2. Cl<sup>-</sup> could not be detected in the eluate but a considerable part of the rhodium remained adsorbed on the resin causing a severe loss of rhodium. Washing with a large amount of HCl(6 M) was required to elute the rhodium from the resin face. Further experiments are needed to establish the potentialities of this method, which might find application to prepare very dilute rhodium(III) solutions, where the relative concentration of the anionic form becomes negligible.

b) Use of high temperature and pressure. These experiments were carried out to find whether the halide bound in the inert rhodium complexes could be transformed to halide ions by heating the solutions to a temperature exceeding by far that of the boiling point at atmospheric pressure. A series of rhodium chloride (bromide) solutions with excess perchloric or sulfuric acid were sealed into thick-walled quartz tubes and they were kept at  $300^{\circ}$ C for one to two days. Then the tubes were suddenly cooled in an ica- = water mixture, opened and the cold solutions were immediately ozonized to remove the free chloride (bromide) ions. It was found that in the suddenly cooled solutions maximally 50 % of the chloride is present as Cl<sup>-</sup>. Moreover, additional complications seem

to arise at high temperatures and pressures. In the presence of sulfuric acid the rhodium precipitated as a slightly soluble salt which contained chloride as well as sulfate. On the other hand in perchloric acid solutions decomposition of  $\text{ClO}_4^-$  to  $\text{Cl}^-$  occured. In view of these difficulties it was decided to abandon this line.

c) <u>Use of T1</u><sup>+</sup>. It was mentioned in ref. 1 that by adding  $Ag^+$  to dilute rhodium halide solution a precipitate containing silver, rhodium and halogenide is formed. Attempts were therefore made to remove the halogenide by adding T1<sup>+</sup> to rhodium halogenide solution. Unfortunately, T1<sup>+</sup> also seems to form a rhodium salt which is still less soluble than that obtained with  $Ag^+$ .

#### Analysis

In connection with the equilibrium studies the need has arisen to work out a reliable and rapid volumetric method to determine the concentration of dilute rhodium solutions. The classical gravimetric procedure of Gilchrist and Wichers<sup>6</sup> is not practical for rhodium concentrations less than 100 mM because great precautions and special equipment are required to determine accurately mg amounts of rhodium metal.

It was found that under specified conditions Rh(III) may be quantitatively oxidized to green colored Rh(V) which can be determined by iodometry. Using amperometric end-point, rhodium in amounts exceeding 1 micromole, can be determined with an uncertainty less than 1 %. The detailed procedure of the analysis is given in Appendix No 2.

In ref. 1 a method is given for the detection and ditermination of halogenide present in rhodium and palladium solutions.

Rh(III) and Pd(II) were found to be easily reduced to the metals by  $H_2$  and on the basis of these reactions a convenient method was suggested for the determination of  $[Rh_{total}]$  and  $[Pd_{total}]$  in concentrated solutions. For details see Appendix No 1. p. 008.

#### Rhodium in oxidation states higher than three

#### The dark green colored species: Rh(V)

The preparation of the rhodium(V) species as well as its stability, solubility and absorption spectra are discussed in ref. 2. It contains moreover a critical survey of earlier works concerned with rhodium species of the oxidation number higher than three, generally believed to be four.

#### The violet colored species: Rh(>V)

Addition of an excess of periodate or bismuthate to an acid rhodium(III) perchlorate or sulfate solution results in the formation of a red-violet colored rhodium species in an oxidation state higher than five. The oxidation proceeds in two steps: within some minutes the characteristic dark green color of rhodium(V) develops which

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then gradually turns to violet. When the excess of oxidizing agent is removed (or sonsumed) the solution gradually turns back to green indicating the presence of Rn(V), and finally it becomes yellow, the characteristic color of Rh(III). On account of the high instability of the violet species no reliable method could as yet be found to determine its oxidation number. Work is now in progress to find the experimental conditions which render the violet species more stable. Moreover attempts are being made to achieve oxidation with electrolysis.

#### Hydrolysis studies

#### Experimental conditions

The mechanism of the hydrolysis of the rhodium(III) ion has been investigated at  $25^{\circ}$ C by determining <u>h</u>, the equilibrium concentration of hydrogen ions in a series of rhodium perchlorate solutions. These were made to contain 3 M ClO<sub>4</sub>, by adding NaClO<sub>4</sub> in order to minimize the variation of the activity factors. The concentration of rhodium(III) (B) of the test solutions ranged from 0.001 to 0.1 M and for each value of B the hydrogen ion concentration interval 0.001 to 1 M was investigated.

#### Measurement of [H<sup>+</sup>]

<u>h</u> was determined by measuring the emf of cells containing a glass electrode or a quinhydrone half-cell, as well as by conductivity measurements. The emf measurements could generally be reproduced within  $\pm$  0.2 mV, whereas the conductivity of solutions of identical composition were reproducible to within  $\pm$  0.02 %. The technique of the emf measurements and the formulas employed are described in details in ref. 3 (pages 7-13, Figs 2-4). The <u>h</u> values obtained by the conductivity data always agreed to within 1 % with those calculated on the basis of the emf measurements.

At acidities higher than 0.1 M only the conductivity data could be used because the absolute undertainty of the <u>h</u> determination by emf measurements diminishes with increasing <u>h</u>, while the relative uncertainty remains constant. This is due to the fact that the emf is a logarithmic function of <u>h</u>. On the other hand, the conductivity is an approximately linear function of <u>h</u>. No difficulty was found to obtain precise results in rhodium(III) perchlorate solutions.  $Z(\log \underline{h})_B$  data obtained in a series of measurements where the acidity was successively increased were always found to coincide within the limits of experimental uncertainty - with the  $Z(\log \underline{h})_B$  data measured in a series in which the hydrogen ion concentration was gradually diminished by adding NaOH.

#### Conclusions

In the entire (B, log h) range studied, Z proved to be a constant =  $1.75 \pm 0.1$ . This result can be explained in the simplest way by assuming that in our solution Rh(III) predominantly exists as a single polynuclear species with the general composition  $(Rh(OH)_{1.75 \pm 0.1})_n$  where n is an integer. The lowest values of n which yield integers for the number of OH bound to rhodium are 3, 4 and 5 corresponding to

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 $\operatorname{Rh}_{3}(\operatorname{OH})_{5}^{4+}$ ,  $\operatorname{Rh}_{4}(\operatorname{OH}_{7})^{5+}$  and  $\operatorname{Rh}_{5}(\operatorname{OH})_{9}^{6+}$  respectively. Since Z proved to be a constant one cannot decide on the basis of emf and conductance data alone which value of n is to be preferred. In order to determine the prevailing n values one has to measure the molecular weight of the hydrolyzed rhodium species. A convenient titration method is now being worked out in this laboratory to measure the freezing-point lowering of a series of solutions. It is hoped that these data will furnish valuable information concerning the number of rhodium atoms present in the hydroxo complex.

#### Studies on the Rh(V)-Rh(III) half-cell

A considerable effort was made to find the optimum experimental conditions for the accurate measurements of the emf of cells containing the Rh(V)-Rh(III)couple in perchlorate solution. A study of the dependence of the potential of this half-cell on the acidity and the [Rh(V)] would enable us to ascertain the composition of the Rh(V) species once the hydrolysis equilibria of Rh(III) were known. Moreover such a study would make it possible to treat quantitatively a number of important preparative and analytical methods involving Rh(V).

It is emphasized that the results presented in this section are preliminary ones. Nevertheless it is believed that the experimental approach developed is essentially correct and that continued work along the lines followed will lead us nearer to a more thorough understanding of the complicated reactions occurring in rhodium(V) perchlorate solutions.

#### Preparation of the test solutions

All the test solutions used for the emf (redox) measurements were of the general composition  $[Rh(V)]=B_5 M$ ,  $[Rh(III)]=B_3 M$ ,  $[H^+]=H M$ ,  $[Na^+]=(3.000-5B_5-3B_3-H) M$ ,  $[C10_4^-]=3.000 M =$  solution S

 $B_5$  and  $B_3$  were varied between 0.001 and 0.02 M, and the H values ranged from 0.25 to 1 M. The test solutions were prepared from a moderately acid stock solution of Rh(III) perchlorate containing 3 M ClO<sub>4</sub>. To a known volume of this stock solution 2 M NaOH (containing also 3 M NaClO<sub>4</sub>) was added until the  $[OH^-]_{excess}$  became ~ 0.1 M. Ozone was passed through this alkaline solution at  $1^{\circ}C$  which oxidized a substantial part of Rh(III) to Rh(V). Finally by adding 3 M HClO<sub>4</sub> the acidity of the ozonized solution was adjusted to a value between 0.2 and 1 M. In the last step nitrogen was passed through the test solution to expel the excess of ozone. By ozonizing for varying periods of time or by diluting the ozonized solutions with the Rh(III) perchlorate stock solution, the ratio [Rh(V)]/[Rh(III)] could be conveniently varied. The [Rh(V)] of the test solution was determined by iodometry (cf. ref. 2). Since Rh(V) oxidises water at an appreciable rate, the actual [Rh(V)] was checked at regular intervals in the course of the emf measurements.

#### Experimental details of the redox measurements

The Rh(V)-Rh(III) couple was studied at 25°C by measuring the emf of the cell

(1)

- RE / solution S / Pt or Au +

where RE denotes the reference half-cell

Ag, AgCl / 2.990 M NaClO<sub>4</sub>, 0.010 M NaCl/ 3 M NaClO<sub>4</sub>/ The emf of cell (A) may be written at  $25^{\circ}$ C

$$E_{A} = E_{0,R}^{\prime} + 29.58 \log \frac{B_{5}}{B_{3}} - e_{s} - E_{j}$$
 (1)

where  $E'_{O,R}$  denotes the <u>apparent standard potential of</u> the <u>Rh(V) - Rh(III)</u> couple in the medium 3 M (Na<sup>+</sup>)Clo<sub>4</sub>, and e<sub>s</sub> is a constant. <u>E<sub>j</sub></u> represents the liquid junction potential arising between solution S and 3 M NaClo<sub>4</sub>. To evaluate the E<sub>A</sub> data the E<sub>j</sub> values given in Biedermann and Sillén's work were used.

e was determined by measuring the emf of the cell

$$E_{B} = E_{0,0} - e_{s} - 59.15 - E_{1}$$
(2)

To calculate  $e_s$  the value of  $E_{0,Q} = 677.7$  mV according to Biedermann and Wallin<sup>5</sup> was used.

At 0°C the cell

- GE / solution S / Pt or Au + (C)

was also studied. In (C) <u>GE</u> stands for the glass electrode half-cell. The emf of cell (C) can be written

$$E_{\rm C} = E_{0,\rm R}^{\prime} + 27.14 \log \frac{B_5}{B_3} - 54.19 \log h - E_{\rm G,0}$$
 (3)

where  $E_{G,O}$  denotes a constant. Its actual value, which changed slightly from day to day was obtained by measuring the emf of the cell

-  $H_2(1 \text{ atm}) / 0.100 \text{ M H}^+$ , 2.900 M Na<sup>+</sup>, 3.000 M  $Clo_4^- / GE +$ 

In the first instance different metals were tried as <u>redox electrodes</u>. The best results were found with bright <u>platinum foil</u> electrodes. These attained equilibrium with the test solutions within half an hour, and when several foils were immersed in the same solution they never differed more than 0.5 mV after one hour. Also <u>gold plated platinum</u> foils functioned satisfactorily, although they came much slower to equilibrium than the platinum foils. In all cases the E<sub>A</sub> and  $E_{C}$  values finally measured with gold and platinum electrodes agreed at least within 1 mV.

In a series of experiments the <u>reversibility</u> of the redox electrodes was tested. First of all no cathodic or anodic polarization could be detected when  $E_A$  was measured with a compensator (Leeds and Northrup type K3) and a galvanometer of a sensitivity of 2 x 10<sup>-9</sup> A/mm. Thus charging and discharging of cell (A) for short periods with a current of 10<sup>-8</sup> A are reversible processes. When the ratio  $B_5/B_3$  was made to change by adding either the oxidized or the reduced form the value of  $E_A$  and  $E_C$  changed immediately in the direction predicted by equations (1) and (3).

#### Conclusions

The correct explanation of the  $E_A$  and  $E_C/is$  rendered difficult at the present because no truly constant values of emf could be obtained. All the plots of  $E_A$ (or  $E_C$ ) <u>versus</u> time have shown a similar behavior. In a freshly prepared test solution the emf was found to decrease rapidly at first, then the rate of decrease diminished successively. After about two days  $E_A$  and  $E_C$  were found to decrease with 0.2 - 0.3 mV / hour and this rate was maintained for two weeks.

It was first attempted to ascribe the continuous decrease of the emf to the reduction of Rh(V) by water. To test this hypothesis the [Rh(V)] of the test solution was checked concurrently with the emf readings. The first period of rapid decrease could be well explained with the reaction  $Rh(V) + H_2O \rightarrow Rh(III) + 1/2 O_2 + 2 H^+$ , but after about one day only slight changes in [Rh(V)] could be observed while the emf proved to decrease uninterruptedly. It seems that Rh(V) undergoes a slow hydrolysis and under the present experimental conditions equilibrium is not attained within two weeks. Experiments are now in progress to study the emf of cells containing solutions preserved for several months.

Although it cannot be claimed that our emf data obtained after several days represent values corresponding to the equilibrium state they seem to be worth recording since they may be of some practical value for investigators working with fresh solutions of Rh(V). Some of our results are summarized in Table 1. The last column of this Table gives the values for the apparent standard potential  $E'_{O,R}$ , which would be equal to the standard potential of the Rh(V) -Rh(III) couple if the rhodium(V) and rhodium(III) species predominating in the perchlorate solutions would contain the same number of rhodium atoms and OH groups. All the  $E'_{O,R}$  values obtained (not only those recorded) proved to be close to 1.42 V. We may thus conclude that Rh(V) is an oxidizing agent of somewhat higher strength than  $Cl_2$ ; the standard potential of the  $Cl_2 + 2 e^{-} = 2 Cl^{-}$  halfcell is known to have the value of 1.37 V.

Rh(V) mM	Rh(III) mM	E <sub>A</sub> mV	E <sub>j</sub> mV	H mM	E', mV
5.0	3.0	1069	16.5	1004	1407
14.09	5.91	1114	8.5	535	1433
13.51	6.49	1102	8.5	535	1422
13.3	6.7	1089	8.5	535	1418
6.9	3.9	1074	5.6	325	1402

Table 1. A series of measurements with Rh(V)-Rh(III) half-cells

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#### Spectropho constric measurements

In the course of this investigation the absorption spectra of the various test solutions were frequently determined. These data have been of value to follow slow reactions occuring in rhodium solutions such as the oxidation of rhodium(III) in acid solutions by ozone or by  $Ic_4^-$ , the reduction of rhodium(V) by water or the removal of chloride from rhodium complexes. Moreover an effort was made to determine with some accuracy the spectra of the pure rhodium solutions prepared by the method described earlier? These spectra may serve as a reliable basis for the study of the optical properties of the phodium(III) and the rhodium(V) ions.

The author feels that the interpretation of the spectral data, in terms of ionic species, must be postponed until the exact composition of the rhodium ions provailing under different experimental conditions will be determined with certainty by omf, conductance and freezing-point measurements. For this leason 'be solutions, for which spectra are given below, are characterized only by the way of preparation, by their stoichiometric composition and by their age.

#### Spectra of rhodium(III) in and solutions

Fig.1 shows the logarithm of the molar extinction coefficient ), in mole<sup>-1</sup> cm<sup>2</sup>, as a function of wavelength (=2), in Angström units, in solution of wavelength (=2), in Angström units, in solution chlorate and sulfate solutions prepared by the method recommended in the state dol, section 4. The absorption spectra of freshly prepared solutions were found to change slowly with time. After about one month, extinction values were stated or which did not show any appreciable change for 2 years. In aged solution (=10) the maxima at 3950  $\pm$  10 Å (is perchlorate solutions) and at 4040  $\pm$  20 Å (in sulfate solutions). The maximum of  $\lambda < 2400$  Å were not quantitatively treated because the error caused by light scattering cannot be properly estimated at such low wavelengths.

Perchlorate colutions of 2h(171) prepared according to Klixbüll Jørgensen's method<sup>7</sup>, which contain some Cl<sup>-</sup> and Cl $O_2^-$  (see Appendix No 1, section 3.2), exhibit a different absorption spectrum (Fig.2). In the spectral region  $\lambda < 3000$  Å, slow changes take place and within one year no evidence was found for the attainment of a steady state. It was observed that concurrently with the epectral changes a precipitate is also formed.

Perchlorate solutions prepared by our method and kept on a steam-bath for a period exceeding 120 h were found to show an absorption spectrum characterized by four maxima at the wavelength 3930 Å ( $\varepsilon \sim 115$ ), 3000 Å ( $\varepsilon \sim 200$ ), 2480 Å ( $\varepsilon \sim 390$ ) and 2060 Å ( $\varepsilon \sim 1380$ ). Thus in the region  $\lambda > 3000$  Å it is rather similar to that found in J/rgensen's solution, shown in Fig.2. In these heated rhodium(III)

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perchlorave solutions an appreciable amount of chloride could be detected. (cf. Appendix No 1, section 3.2).

The absorption of a rhodium(III) sulfate solution is affected considerably by heating. A new maximum arises at  $\lambda = 3190 \stackrel{+}{=} 20$  Å, a behaviour similar to that observed in heated  $Clo_A^-$  and  $Cl^-$  solutions.

As it was discussed in ref.1 (section 5.2.) attempts were made to prepare rhodium(III) perchlorate at room temperature by adding  $AgClO_4$  to RhCl<sub>3</sub> solution. It was found that addition of  $Ag^+$  yields a solution in which  $[Cl^-]_{total}/$  $Rh[(III)]_{total} \approx 1$ . It is likely that in this solution rhodium prevails as RhCl<sup>2+</sup> species; its spectra is given in Fig.3.

#### Rh(III) in alkaline solutions

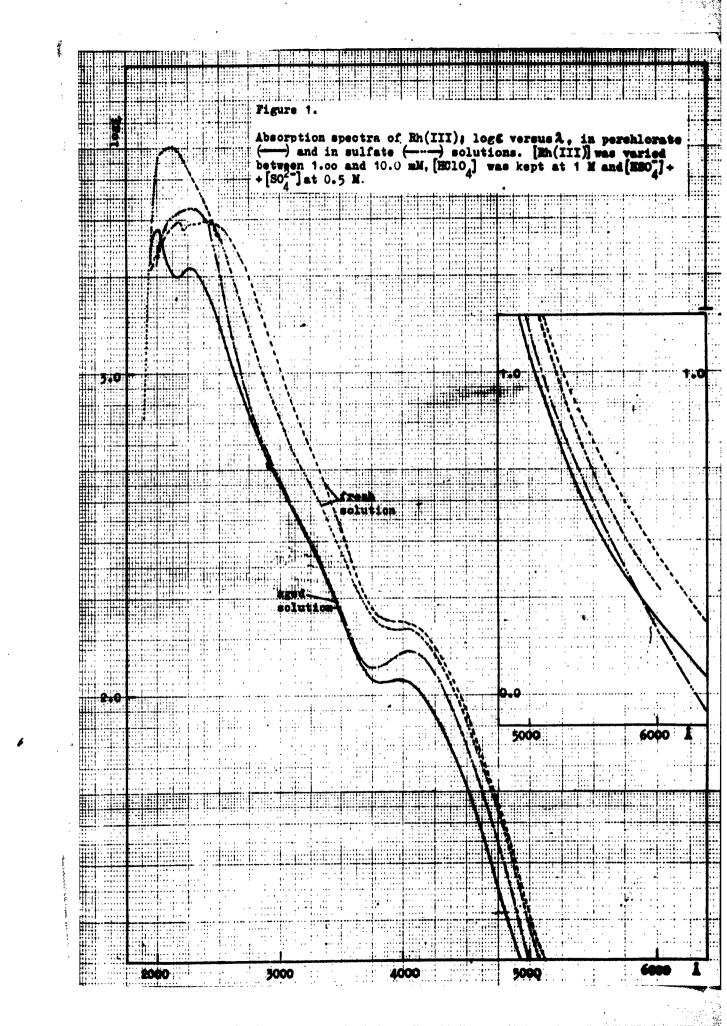
In RhCl<sub>3</sub> solutions of  $[OH^-] = 5$  M, in which no visible precipitate could be detected for several days, rapidly changing absorption spectra were recorded. The spectra obtained after 18 hours, Fig.5, curve 4, seems to coincide with those given in Fig. 4. The spectral changes in the solution illustrate the slow formation of the hydroxo species from the robust rhodium complexes. The spectra of alkalized solutions of preheated rhodium(III) perchlorate or sulfate changed similarly to that of the chloride solution.

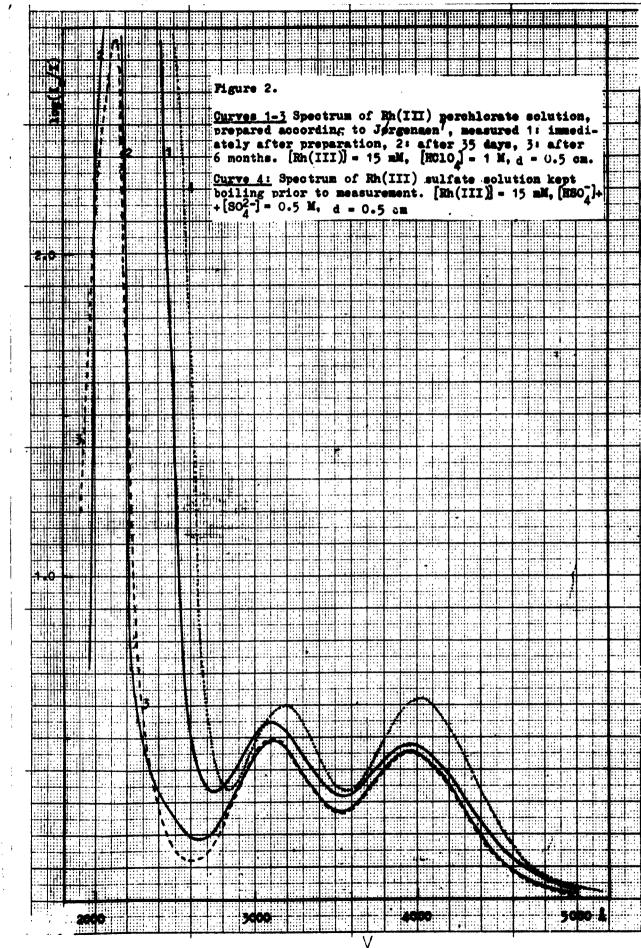
#### Spectra of the rhodium(V) species

Reference is made to Appendix No 2.

#### Spectrum of the rhodium species produced by oxidation with IO

In the visible range of the spectrum the violet colored rhodium (>V) ion (cf. page 1:3) has a high extinction shown in Fig. 6. At  $\lambda < 4000$  Å the extinction increases sharply as the wavelengths decrease. Maximum extinction is attained 8 - 10 hours after the addition of the oxidising agent. As long as an excess of periodate is present in the solution no appreciable fading of the color can be detected.

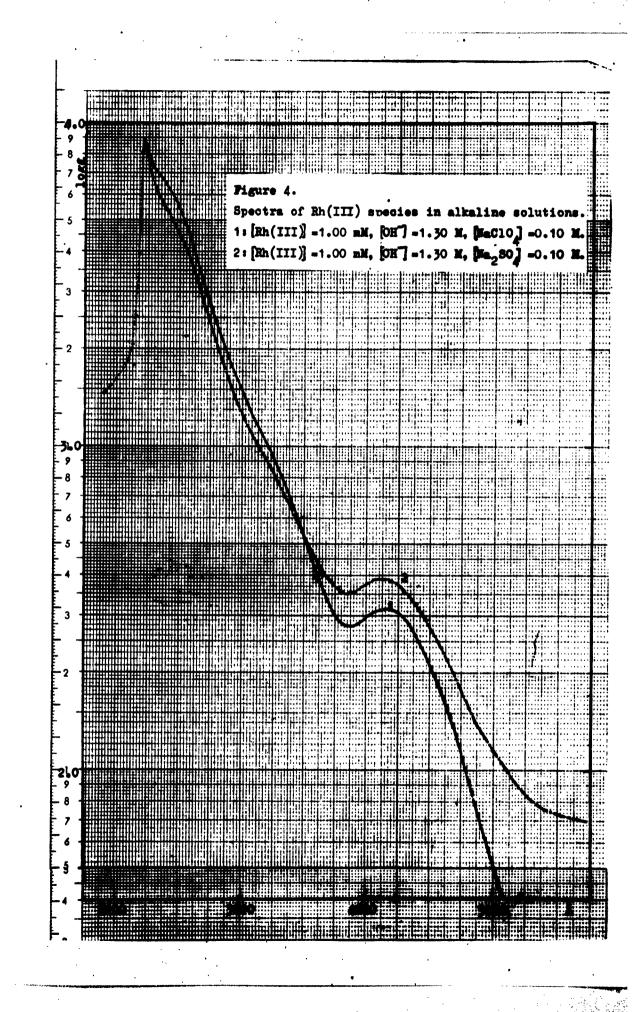


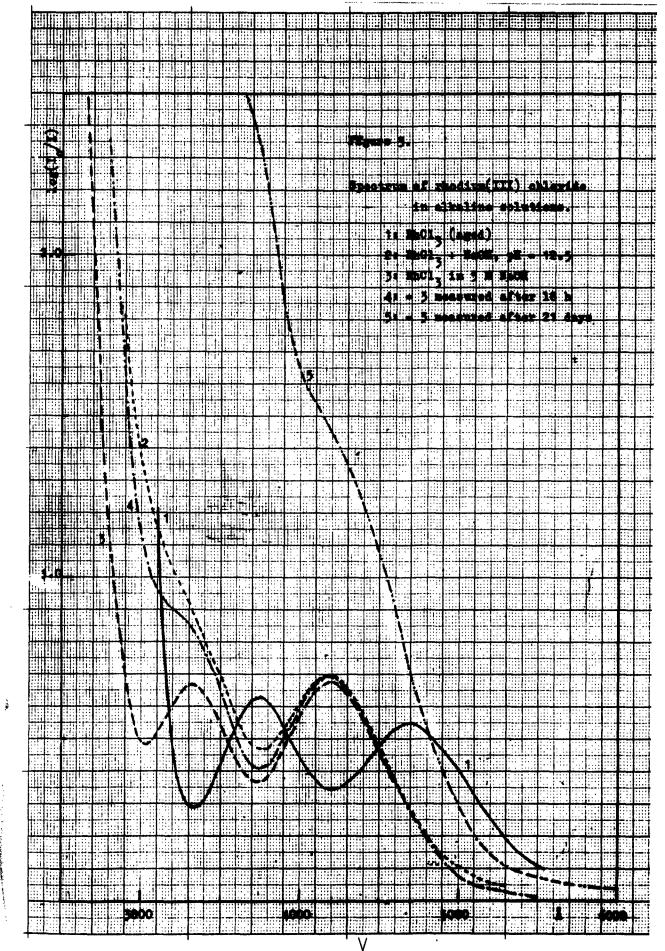


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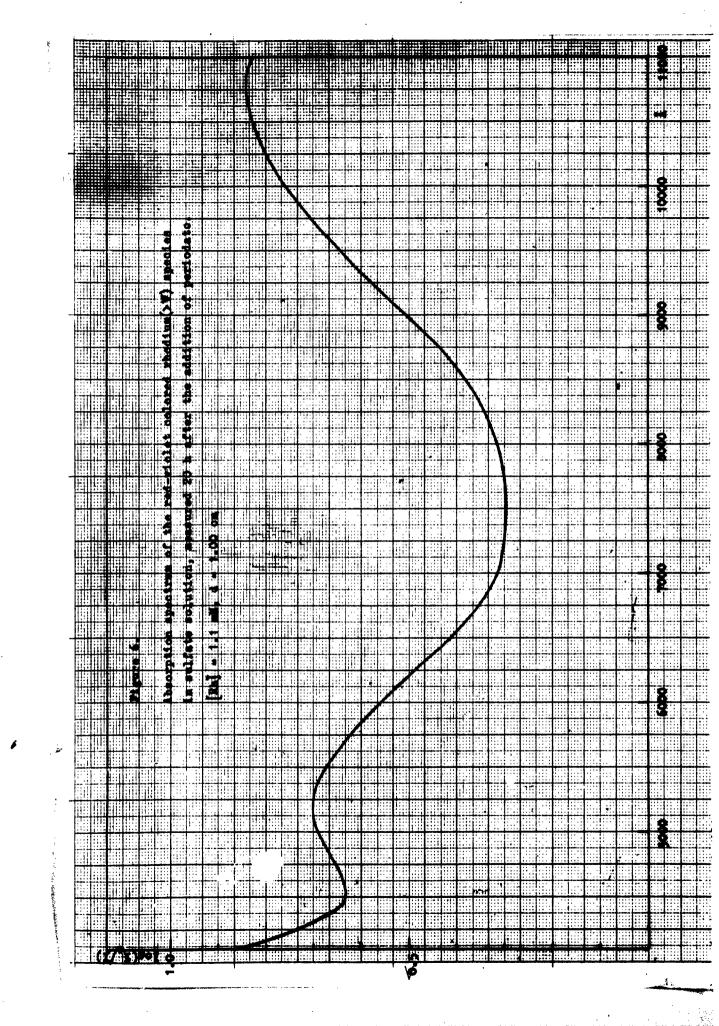
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If rhodium(III) could be quantitatively transformed to the highest exidation state a convenient colorimetric method would be available for the determination of rhodium in solutions so dilute that iodometry cannot yield accurate results. Moreover, there is experimental evidence that exidation to the violet colored state is a reaction characteristic for rhodium, thus it could serve for the detection and determination of rhodium in the presence of other metals of the platinum group.

Work is now in progress to find the optimal experimental conditions for the quantitative reaction between rhodium(III) and periodate.

The measurements were carried out with a Hilger spectrophotometer of model UVISPEK which was placed in a thermostated room kept at  $25.0 \pm 0.5^{\circ}$ C. Silica cells (of optical paths 0.10 to 4.00 cm) were used. The absorption curves were constructed from readings at every 50 Å. In the vicinity of the extrema measurements were made at every 10 Å.

# Note on the preparation and analysis of palladium(II) perchlorate and sulfate solutions

It has been claimed<sup>9</sup> that pure palladium(II) perchlorate solution can be prepared by fuming  $Pd(NO_3)_2$  with an excess of co  $HClO_4$ . It was found, however, in this laboratory that boiling 11 <u>W</u>  $HClO_4$  is capable of oxidising Pd(II) to Pd(IV) at a considerable rate and at the same time perchlorate is reduced to  $Cl^{-1}$ and  $Cl_2$ . The chloride produced is bound by the palladium forming a robust complex and consequently it will remain in the solution.

For the preparation of halogenide-free palladium(II) perchlorate and sulfate solution use was made of the principle found to be of great value for the investigation of rhodium: the palladium(II) species present in alkaline solutions proved to be reactive in contrast to those existing in acid solutions. Pd metal, purified by repeated precipitation with H<sub>2</sub> from alkalified nitrate solution was dissolved in freshly distilled nitric acid. The greatest part of the excess acid was distilled off in vacuum (at ~14 Hg mm) and then the concentrated  $Pd(NO_{x})_{2}$ solution was dropwise added to a great excess of 1 M NaOH. In solutions of [OH<sup>-</sup>] = 1 M the palladium(II) forms hydroxo complexes which after a few days are transformed to colloidal palladium(II) hydroxide. For the preparation fresh alkaline solutions were used, from which palladium(II) hydroxide was precipitated by adding HC10 in successive portions until the pH of the supernatant attained a value of 9. During the precipitation the solution was cooled and vigorously stirred. Palladium(II) hydroxide precipitated in this way settles rapidly and it can be easily washed with water and separated by centrifugation. No trace of nitrate could be detected in this palladium(II) hydroxide precipitate. It dissolved easily in cold dilute  $HClO_4$  (H<sub>2</sub>SO<sub>4</sub>).

Palladium can be quantitatively removed from such solutions by passing through  $H_2$  at 50°C, using the reduction vessel described in ref. 1. The supernatant can be used for the determination of analytical concentration of H<sup>+</sup> as well as for the detection of impurities e.g Cl<sup>-</sup>.

1:12

#### References

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#### Studies on ruthenium chemistry

by Felipe Brito and Derek Lewis.

#### Introduction

In a previous report (Brito 1960) a survey was made of preliminary work on solutions of ruthenium in perchlorate and sulfate media. The present report, which is an extension of this work deals exclusively with ruthenium chemistry in sulfate media. Sulfate was preferred to perchlorate because, in its lower oxidation states, ruthenium seems to reduce  $\text{ClO}_4^-$  to chloride. In the following, we shall occasionally refer to results and methods from the earlier report (Brito 1960) so as not to repeat experimental and other details unnecessarily.

The solution chemistry of ruthenium (like that of several other platinum metals) is complicated by the fact that reactions are often slow, so that in many regions it is hard to obtain a true equilibrium state. The formation of stable halogeno complexes, which is one of the main difficulties with rhodium (see Berecki-Biedermann 1960, 1962, 1963) is more easily overcome with Ru, since in the preparative work one can let it pass through the state of halogen-free volatile  $\operatorname{RuO}_4$ . On the other hand, in perchlorate and sulfate solutions a number of slow-reacting polynuclear Ru complexes are formed, many of them with a non-integral exidution number, which introduces further complications.

Since the provious report, Atwood and De Vries (1962) have published a polarographic study on Ru solutions in 0.1 M NaClO<sub>4</sub> and at various pH. Reading it superficially one might get the impression that this is a relatively simple system with mononuclear Ru<sup>3+</sup> and Ru<sup>4+</sup> forming a mixed binuclear complex. Potential diagrams for Ru, published earlier by other authors, also give an impression of relative simplicity. However, the real complexity of the Ru system is made clear by extended redox studies such as those reported in Fig 1.

For chloro ruthenium complexes, the existence of a binuclear complex  $Cl_5RuORuCl_5^{4-}$  has been demonstrated in a crystal structure (Mathieson, Mellor and Stephenson, 1952) and recently Fletcher and Woodhead (1962) claim evidence for a series of polynuclear chloro complexes. The present work, however, is concerned only with complexes in sulfate medium.

#### Notation

B = total concentration of Ru, in M

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C = total concentration of SO_4 (including HSO_4^- and SO_4 bound in complexes), W c (index) = concentration
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c = concentration of species

 $D = x' - x'', \operatorname{som}(9)$ 

E = emf measured in cell, usually in mV

E\_= constant

E, = liquid junction potential

 $e = redox potential of solution, against electrode Pt, H_/1 M H_SO_h/$ 

 $e_{H^{=}}$  electrode potential of hydrogen electrode (= <u>e</u> at equilibrium with H<sub>2</sub> at 1 atm)

 $e_R$  = redox potential as measured with inert electrode. At non-equilibrium,  $e_H \neq e_R$ and sometimes even different inert metals may catalyze different redox systems so that  $e_{Pt} \neq e_{Au}$  etc.

 $f = (E - E_{0}' + E_{1}')/59.15$ 

H = excess of H<sup>+</sup> over reference state with Na<sup>+</sup>, Ru<sup>X+</sup>, SO<sub>4</sub><sup>2-</sup> and H<sub>2</sub>O; often negative. H<sub>1</sub>= H+EX, H<sup>+</sup> excess after reduction of Ru to metal with H<sub>2</sub>

- h = concentration of free  $H^+$ , or, more strictly,  $H^+ + HSC_4^-$
- $h^{H}$  = true concentration of  $H^{+}(hydrated)$ , thus corrected for HSO<sub>h</sub>

 $j = constant in E_{i} = jh$ 

$$j^{\text{H}}$$
 constant in E. = j h

M = mole/liter

 $M^{*}$  mole/kg solution (practical for weight titration)

n = number of faradays added per Ru on anodic oxidation of solution

n\_= n at equivalence point

 $p = number of OH bound in species Ru_{0}(OH)_{n}^{(qx-p)+}$ 

 $pE = eF/(RT \ln 10) = -\log(e^{-})$ 

 $V_{=}$  original volume of solution

v = volume of titration solution added

v = v at equivalence point

x = average oxidation number of Ru in complex

X = average oxidation number of Ru in solution

- $y = -\Delta x =$  number of faradays added per mole dissolved Ru on cathodic reduction
- Z = average number of OH bound per Ru in solution
- Z(index) = p/q for species

Since all the measurements have been made in sulfate medium, we may (as usual in ionic medium work) neglect the complex formation with the medium ions, and thus let  $[H^+]$  stand for what is really  $[H^+] + [HSO_h^-]$  and so on.

Each complex,  $\operatorname{Ru}_{q}(OH)_{p}^{(qx-p)+}$  is characterized by three quantities q, p and x, q, p and qx are integer, whereas x may often be non-integer.

If we let  $c_{pox}$  stand for the concentration of the individual species, then we

have

 $B = \Sigma qc_{pqx} ; BZ = \Sigma pc_{pqx} ; BX = \Sigma qxo_{pqx} ;$ (1)

where the sums are taken over all ruthenium species.

The relationship between free and total excess  $H^{T}$  is

h = BZ + H

where H is often negative. If all Ru in the solution is reduced to metal by  $H_2(Pt)$ and the excess  $H^+(H_+)$  is determined in the reduced solution, we have, considering X  $H^+$  would be set free on the reduction of Ru<sup>X+</sup>:

 $H_{\perp} = H + BX$ 

In the reduction titrations the solution was reduced either electrolytically or by adding a reducing substance. If  $X_{init}$  is the initial oxidation number, and X the value after the addition of y equivalents per Ru, then we have

 $\Delta X = X - X_{\text{init}} = -y$ 

In case  $X_{init}$  is considered as certain, the data are given in the form of e(X) otherwise as e(y).

#### Preparation

In the earlier report (Brito 1960) the starting material was commercial ruthenium chloride, which was first transformed to sulfate, and then to volatile  $\operatorname{RuO}_4$ , which was absorbed in dilute  $\operatorname{H_2SO}_4$  to which was added  $\operatorname{H_2O}_2$  or  $\operatorname{SO}_2$ . In the further treatment of Ru, two green solutions (G<sub>1</sub>, G<sub>2</sub>), two red solutions (R<sub>1</sub>, R<sub>2</sub>), one violet (V), and one yellow (Y) were described. The methods of preparation were given in the form of a diagram and compared with corresponding diagrams for earlier workers.

The present work was based on the experience from the earlier report. Since with the earlier methods of reduction, there was some risk of the formation of sulfito or peroxo complexes, preparative reduction was usually carried out either electrolytically or with H<sub>2</sub> on a catalyst of platinized Pt. Similarly oxidation was usually carried out with air, or oxygen gas, or anodically.

The methods of preparation of the various solutions studied in the present work are given in the schema below. Again, for brevity and clarity, the solutions have been denoted by letter symbols, which are intended to refer to the Ru species, or group of Ru species, existing in the solution. The same symbol is retained so long as there is no reason to believe that the set of Ru species has been essentially changed.

Symbol Product

Treatment

Ru(III,IV)ohloride (s) Ru(III, IV) sulfate RuO<sub>4</sub>

 $H_2SO_4$ , infrared lamp  $S_2O_8^{2-}$ , Ag<sup>+</sup> distil into dilute  $H_2SO_4$ 

(2)

(3)

(4)

Treatment  

$$0.2 \text{ M H}_2 SO_4$$
, electrolytic reduction  
"  
 $H_2(Pt)$   
Hilton 0 mention in contact with add

Filter, 2 months in contact with air (B=9.22 mM, 148.1 mM SO<sub>4</sub><sup>-</sup>) with the H<sub>2</sub>. $\Phi_{4}$  add 1 M H<sub>2</sub>SO<sub>4</sub> Ti<sup>3+</sup>,  $\Delta x = -0.25$ 

0.5 M H<sub>2</sub>SO<sub>4</sub> + H<sub>2</sub>O<sub>2</sub> " H<sub>2</sub>(Pt)

02

1 M 
$$H_2SO_4$$
,  $H_2O_2$ , stand, heat  
H<sup>+</sup> resin Dowex 50, throw ellette  
elute with 1 M  $Na_2SO_4$   
evaporate in vacuum, +  $Na_2SO_4(s)$ , filter  
 $H_2(Pt)$ , h  $\approx 100$  mM

elute with 1 M  $H_2SO_4$  $H_2(Pt)$ "  $C_2$ , then  $N_2$ 

**x=8** Ruo G<sub>1</sub>(X=6?) green reddish brown + R B 0<sub>2</sub>(X=3) green, e  $\approx$  300 B3 dark brown e  $\approx$  400-600  $B_{3}$ , X=3.5 dark brown e  $\approx$  785 X=3.25 clear brown, e = 510¢₂, X=3 green, e ≈ **30**0 Ru0<sub>4</sub> **x**₌8 G<sub>1</sub>, X≠6? green B<sub>1</sub>? reddish brown G<sub>2</sub>X=3 green в4 dark brown Ru0<sub>h</sub> **X=**8 B<sub>l</sub> reddish brown X=4 Ru resin R<sub>1</sub>, X=4 amber red R1, X=4 amber red <sup>B</sup>5 brown,  $e \approx 330$ **X=**4 Ru resin R<sub>1</sub>, X=4 amber red brown,  $e \approx 400-600$ G<sub>2</sub>, X=3 green, e  $\approx$  300 P<sub>1</sub>, X=2 pink,  $e \approx 100$ ¥2 yellow,  $e \approx 820-87$ U

Symbol

٦

Product

 $G_2, X=3$  green  $Y_3, X=3$ , golden yellow,  $e \approx 790$   $G_2, X=3$  green  $G_2, X=3$  green  $G_3, X=3$  green

Color in itself is obviously not a sufficient characteristic for a Ru solution but has to be supplemented by his-tory and redox potential. We have met with a number of different brown solutions, as seen from the scheme and Fig (. For example, the dark brown solutions  $B_3$  and  $B_4$  were prepared in a very similar way. The differences observed in their behavior on redox treatment may be connected with the fact that  $H_2O_2$  was used in the preparation of  $B_4$ . They may also be connected with a difference in age:  $B_3$  was studied a few weeks after preparation,  $B_4$  had been kept for several months. It is possible that  $B_5$  is identical with  $B_x$ .

 $G_2$  is used here as the symbol for a green solution,  $c \approx 0.3$  V, in all probability Ru(III), and P<sub>1</sub> is a pink solution,  $e \approx 0.1$  V, probably Ru(II). The solution denoted "G<sub>2</sub>" in the previous report (Brito 1960) probably contained a mixture of G<sub>2</sub> and P<sub>1</sub>.

#### Catalytic reduction.

Hydrogen gas in contact with platinized Pt, or another finely-divided Pt group metal, is an excellent source for electrons in preparing lower valency states, provided the standard potential of the system to be reduced is at least 200 mV higher that that of  $H^+$ ,  $H_2$ . The alternative way of preparing such solutions is electrolysis or addition of strong chemical reductors, which usually introduces undesirable impurities. With  $H_2$  as reducing agent, the product  $H^+$  causes no disturbance and one can prepare a solution of low valency of known B and H provided one has a solution of the higher valency (usually stable in air) of known B and H.

The experimental arrangement is much the same as for the usual emf titrations in this laboratory. The solution contained a foil or net of large surface, and the reaction was followed by means of glass and redox electrodes. It was possible to vary Z - the number of OH bound per metal atom - by adding acid or base. One could also vary X, the average oxidation number of the metal, by adding redox reagents, or preferably by coulometry at constant current or constant voltage.

The redox potential  $\underline{e}$  measured during the catalytical reduction is really a mixed potential of the ruthenium system and the hydrogen electrode, and its value at each moment is such as to make equal the rate of oxidation of the H<sub>2</sub> to H<sup>+</sup>, and the rate of reduction of the metal.

2:5

We shall replace  $\underline{e}$  by Jörgensen's pE (1945)

 $pE \sim e(RT \ln 10/F)^{-1} = -\log \langle e^- \rangle$ 

During reduction, since the metal system is not at equilibrium, we must consider two different values, the  $e_R$  with regard to ruthenium system, and  $e_H$  with regard to the  $H_0$ ,  $H^+$  system.

It can be shown that to attain 99.9 % efficiency we must have at the end of the  $H_2$ -Pt reduction,

 $pE_{0} > 3/(\Delta X) + \log (H + B\Delta X)$ 

where B is the total metal concentration, H is the initial total  $H^+$  and  $\Delta X$ , the difference in oxidation numbers.

By hydrogen reduction, with various experimental arrangements and ionic media, solutions of vanadium(III) have been prepared from vanadium (IV) or ( $\Psi$ ) (F Brito to be published), uranium (IV) has been prepared from uranyl, vanadate (IV) from vanadate (V). In the present report,  $H_2$  reduction has been used for preparing Ti(III), Fe(II), Ce(III), Tl(I), and especially various lower valences of Ru.

The starting solutions of Ru were Ru(IV)solutions,  $R_1$ , ruthenium  $B_2$  or  $B_4$ solutions and RuO<sub>4</sub> solutions, in  $H_2SO_4$  medium. The mixed potential, and the redox potential  $e_R$  after expelling  $H_2$ , was followed by means of Au or Pt electrodes, and when  $[H^+]$  was small, h was measured by a glass electrode.

More details will be given in the various sections below.

#### Analytical methods.

Total Ru concentration, B. Ru was determined by weighing as the metal. Either, the metal was reduced from the solution by the addition of Mg metal, (Brito 1960), or hydroxide was first precipitated with NaHCO<sub>3</sub> solution, and this hydroxide was ignited in H<sub>2</sub> and resultant metal weighed. B<sub>4</sub> and B<sub>5</sub> were determined by the addition of a measured quantity into an excess of fresh NH<sub>3</sub> solution contained in a weight orusible. It was carefully evaporated and finally ignited in H<sub>2</sub>, and weighed. <u>Test for chloride</u>. After the elimination of Ru with Mg, the stock solutions were tested with HNO<sub>3</sub> and AgNO<sub>3</sub> to see whether any Cl<sup>-</sup> was left. Usually the reaction was negative. In one typical example it was found that the ratio Cl/Ru was less than 0.002.

#### Average oxidation number, X.

The oxidation number X was determined in the main as already described by Brito (1960). We used two stock solutions of cerium(IV) which had been standardized against a Ti(III) solution, which in its turn had been standardized by dichromate and Mohr's salt. The Fe(II) solutions were prepared by diluting a solution of Mohr's salt in 2 M  $H_2SO_k$ ; they were kept under  $CO_2$  in a burst with half-succentic filling. They were always standardized against Ce(IV) before and after the determination

(5)

of X.

For the latter, known excess amount of Ce(IV) was added to the unknown Ru solution, which was exidized to  $RuO_{43}$  the tetraexide was expelled as completely as possible by boiling, and by bubbling N<sub>2</sub>. Finally, the remaining excess of Ce(IV) was determined by titration with Fe(II).

The following values for X were obtained, for a number of solutions:

 $R_1: 3.91, 4.11, 3.94$ .  $B_3: 3.35, 3.41, 3.39$ .  $B_4$  (fresh) 3.06, 3.22, 3.30, 3.39.

 $B_{ij}$  (after 6 months) 3.53, 3.55, 3.52, 3.57, 3.50.

G<sub>2</sub>: 2.90 (e ≈ 133 mV), 3.03 (e ≈ 184 mV).

For a few points obtained by exidation of  $G_2$ , the results are given in the diagram, Fig 1.

#### Analytical hydrogen ion excess H.

The redox experiments were all made in 1 M  $H_2SO_4$ . To determine Z, it was necessary, however, to study Ru solutions of lower aciaity. According to (2), the hydroxide number Z is related to the apparent hydrogen ion concentration h by h = H + BZ. Since h can be determined by emf measurements, to determine Z it is necessary to find H. Several batch methods are available, each of which gives H + some multiple of B:

a) To the sample, known excess of NaHCO<sub>3</sub> added, solid, or in solution. The precipitate is removed, and the excess  $HCO_3^-$  is back-titrated with standard acid. If the precipitate contains no anions but OH<sup>-</sup>, the reaction formula is:

 $X HCO_3^- + Ru^{X+} \rightarrow Ru(OH)_X(s) + X CO_2(g)$ 

Each Ru is then equivalent to X moles  $H^+$ , and the total acidity determined is H + BX.

 $\frac{H + BX}{(with [H^+] = 5 - 10 \text{ mM})}$ b) Ru is reduced catalytically to the metal, /using H<sub>2</sub> on a Pt catalyst, and the acidity of the remaining solution determined by titration. The reaction formula is:

0.5 X H<sub>2</sub> + Ru<sup>X+</sup>  $\rightarrow$  X Ru(s) + X H<sup>+</sup>

The resulting acidity of the solution is again, H + HX.

c) The solution is titrated with standard NaOH to  $pH \approx 6$ , using bromcoresol purpur as indicator, as described in the earlier report (Brito 1960, p 13). This gives H + BX, if the reaction is

 $X OH^{-} + Ru^{X+} \rightarrow Ru(OH)_{Y}(s)$ 

This works well for X=4, but sometimes (e.g. for  $B_{\mu}$ ) gives discordant results, probably because of side reactions.

d) Excess Br<sub>2</sub> is added, and Br<sub>2</sub> + RuO<sub>4</sub> distilled away. The remaining solution is titrated with NaOH. This gives  $H + \frac{6}{2}$  since the reaction is Ru<sup>X+</sup> + (4-0.5X)Br<sub>2</sub> + 4H<sub>2</sub>O - RuO<sub>4</sub>(g) + 8H<sup>+</sup> + (8-X)Br<sup>-</sup>.

e) To the sample is added a small excess of solid KDrO<sub>j</sub>. RuO<sub>4</sub> and Br<sub>2</sub> are expelled by boiling the solution, and the total concentration,  $H_{\rm Br}$  of acid determined by titration with standard NaOH. The reaction is:

Ru<sup>X+</sup> + (1.6 - 0.2X)BrO<sub>3</sub><sup>-</sup> + (0.6X - 0.8)H<sub>2</sub>O → RuO<sub>4</sub>(C) + (0.8 - 0.1X)Br<sub>2</sub> + (1.2X - 1.6)H<sup>+</sup>. Thus, for each Ru present in the solution, (1.2X - 1.6) H<sup>+</sup> are set free, so that the measured acidity of the final solution is H<sub>Br</sub> = <u>H + (1.2X - 1.6)</u>.

#### Determination of h by emf methods.

In order to determine the hydroxide number, Z, it was necessary to determine  $h = [H^+]$  in less acidic solutions than the ones used in the redox experiments. This was done by emf measurements, using the cell

reference electrode /Ru solution/glass electrode

As a reference electrode we used either

 $A_{12}(A_{12}C1)/5 \text{ mW}^{\text{H}} A_{152}SO_{11}$ , 995 mM<sup>H</sup>  $Na_{2}SO_{11}/1 \text{ M}^{\text{H}} Na_{2}SO_{12}$ or

Ag, AgC1/0.01 M NaC1, 1.00 M Na<sub>2</sub>SO<sub>4</sub>/1 M Na<sub>2</sub>SO<sub>4</sub>

In either case, the cell was calibrated by using solutions without Ru: reference electrode/h M H<sup>+</sup>, (2 - h) M Na<sup>+</sup>, 1 M SO<sub>4</sub><sup>2+</sup>/glass electrode or H<sub>2</sub>(Pt). The emf of the latter cell was found to follow the expected equation  $E = E_0 + 59.15^4 \log h + jh$  (6) For the first half-cell  $E_0 = -692.65^+ - 0.05 \text{ mV}$ ,  $j = 6.0^+ - 0.1 \text{ mV/M}^{34}$ 

(H<sub>2</sub> cleatrode). With a glass electrode, E varied somewhat as usual, and  $j = 14 + 1 \text{ mV/M}^{\text{H}}$ . For the second half-cell, j = 5.85 mV/M (H<sub>2</sub> electrode  $\approx$  glass electrode).

The glass electrode used was calibrated against a hydrogen electrode over the range of log h that was encountered in the Ru studies.

Before each titration of a Ru solution, the value of  $E_0$  was determined by measuring E for a cell made up with a standard solution to the right, in which B = 0 and h = 200 mM; no significant change in  $E_0$  was found to occur when the glass electrode was transferred from the standard solution to the titration vessel.

For the solutions containing Ru, the value for h was calculated from equation (6) by means of successive approximations.

Preliminary titrations with the usual technique had indicated that the quantity sought for, BZ (the concentration of bound OH per liter) came out as the difference between two large numbers. Since we had to start with a rather acidic solution,  $h \approx 0.90$  M, and in addition had to add a second Ru solution in order to keep B constant, it would have been necessary to have a base solution of inconveniently high concentration, say around 0.3 - 0.4 M. So it was decided, instead, to vary H in the solutions by adding a solid base, NaHCO<sub>3</sub>. In comparison with, for instance, using a weight buret, the addition of NaHCO<sub>3</sub> was economical of primary stock solution of ruthenium, the preparation and analysis of which was expensive, time consuming and difficult. Equilibria of  $HSO_{h}^{-}$ . We should remember that all the work has been done in a 1 M  $SO_{h}^{2-}$  modium, and that the h measured is really the sum of  $[H^{+}] + [HSO_{h}^{-}]$ . Let us consider the equilibrium

$$H^+ + SO_4^{2-} \approx HSO_4^-$$
, [HSO<sub>4</sub><sup>-</sup>] = Kn<sup>M</sup> [SO<sub>4</sub><sup>2-</sup>]  
here, h<sup>M</sup> is the true concentration of H<sup>+</sup> [hydrated].

If, now,  $[HSO_{h}^{-}] + [SO_{h}^{-}] = C$  we find

$$h = [H^{+}] + [HSO_{\mu}^{-}] = h^{\frac{1}{2}} + CKh^{\frac{1}{2}}/(1 + Kh^{\frac{1}{2}}) \approx h^{\frac{1}{2}}(1 + KC)$$
(7)

If we use, instead of h, the true  $H^{T}$  concentration, h<sup>T</sup>, then E can be expected to follow the equation

$$E = E_{0}^{H} + 59.154 \log h^{H} + E_{j}^{H}$$
 (8)

Peterson (1961) has shown experimentally and by application of the Henderson equation, that E<sub>j</sub> gives a straight line versus h = H, when h is small. This has also been confirmed by our experiments. From the present data in sulfate medium, it is not possible to obtain an independent value for K. Following Peterson we shall use the results of Bacs (1957) to estimate K in 1 M H<sub>2</sub>SO<sub>4</sub>. With this estimate, K<sup>-1</sup> = 0.29 M one may calculate h<sup>K</sup>. Such calculations show that the limiting values of log h<sup>K</sup> in this investigation are about -1 and -3.

## Redox reactions of ruthenium.

A considerable effort was made to study rodox reactions of ruthenium, especially with oxidation number X < 4, in the medium 1 M H<sub>2</sub>SO<sub>4</sub>. With this high acidity, the changes in [H<sup>+</sup>] accompaning the redox reactions are negligible. The results are reported in the form of curves c(X), where c is the electrode potential, and X is the apparent oxidation number. (See "notation").

The variation of  $\underline{e}$  with B (the total Ru concentration), and with temperature was also studied to some extent.

We define the redox potential,  $\underline{e}$ , in the solution as the emf between an "inert" metal such as Pt or Au in the solution on one side, and on the other side, the electrode 1 M H<sub>2</sub>SO<sub>4</sub>/H<sub>2</sub>(1 atm). Like several earlier authors we noticed that in certain ranges of X, particularly between X = 3.5 and 3, the <u>c</u> values measured by probe electrodes in Ru solutions are unstable and drift steadily over considerable periods of time. This arifting was observed although careful precautions were taken to exclude exclude oxiaizible or reducible impurities. Thus far, attempts to eliminate it,  $e \equiv$  by working at temperatures other than 25°C, have not been successful. The obvious interpretation is that the solutions contain several redox couples which are not in true equilibrium. What is measured is then a "mixed potential", which is mostly influenced by the couple (couples) with the fastest electrode reactions.

Although the  $\underline{o}$  values did not always correspond to the final equilibrium state, a considerable number of careful measurements were made in the ranges of instability since it was thought that they could give at least some information on the reactions going on.

For varying X, both chemical and electrolytic methods have been used. The chemical methods - reduction with Ti(III) or Cr(II), and exidation with Ce(IV) - have the advantage that one can easily and very quickly traverse the whole range of X whereas on the other hand there is a risk that the substance introduced may give rise to complications, for instance mixed polynuclear complexes. On the ether hand, the electrolytic method has the advantage that no foreign substance need be introduced into the solution being investigated, but has the drawback that one has to work slowly; also, one can not be quite cortain that side reactions do not occur.

## Survey of recent titrations.

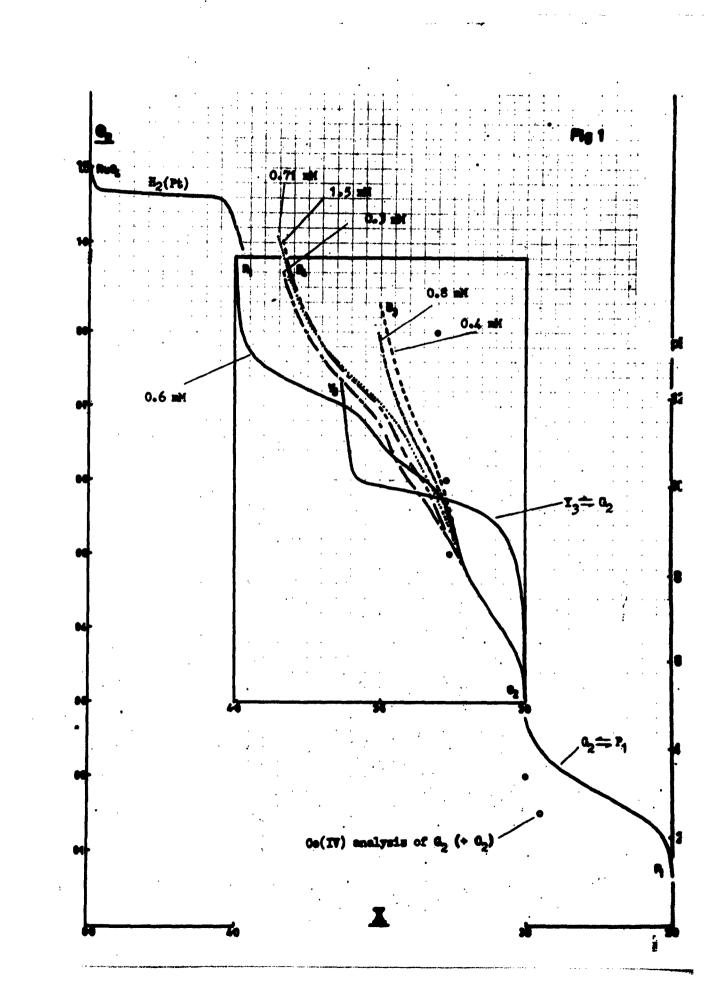
Fig. (gives a survey of the redox experiments made with the medium 1 M  $H_2SO_4$ . The coordinates are <u>e</u>, the redox potential defined with  $H_2(1 \text{ ctm})/1$  M  $H_2SO_4$ as the reference zero electrode and X, the apparent oxidation number of Ru. Most of the curves refer to reduction, either with chemical reagents ( $Ti^{3+}$ ,  $Cr^{2+}$ ), or by cathodic reduction (c<sup>-</sup>). A few curves refer to experiments in which Ru was exidized: they are denoted by arrows pointing to higher <u>e</u>. These curves are for the exidation of O<sub>2</sub> anodically (c<sup>-</sup>), and P<sub>1</sub> anodically in the presence of Co<sup>3+</sup> (c<sup>-</sup>, Co<sup>3+</sup>) or Tl<sup>+</sup> (c<sup>-</sup>, Tl<sup>+</sup>).

A few single points refer to various steps of exidation of  $G_2$  solution by  $O_2$  in which X was determined analytically.

It would be a gross exaggeration to say that all points lie on the same curve, or that we are working always with reversible reactions. In fact, the Ru system is the most recalcitrant we have ever met. It is some consolation that all other workers who have tried to work on this system, have met with similar difficulties, whether they noticed it or not.

Obviously there are irreversible reactions going on, and considerable aging effects were noticed. In a solution with the same apparent exidation number X, the average composition of the species - the average number  $\bar{q}$  of Ru atoms per complex and  $\bar{Z}$  of OH groups per Ru - may thus vary with time. It should also be remembered that there may be peroxo and hydrido ligands ( $O_2^{2-}$  or H<sup>-</sup>) which may give Ru an apparent exidation number different from that of the Ru atoms alone. This gives still more possibilities for the existence of a number of different colutions with the same apparent X.

The range between X=U and 4 will not be treated have. The dark green color that eccurs during the catalytical or electrolytic reduction at  $e_{H} = 1.34$  volt counts to be due to an unstable state, which may have X=6 (Martin 1952), but which



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gradually decomposes to  $RuO_{4}$  and lower exidation states on standing. There are indications in the literature of a state with X = 4.2 or 4.4 (Wehner and Hindman 1952, Cady 1957).

Between X=2 and X=3, the potential seems to be fairly well-defined, and in fact, this part of the system can be described quantitatively by assuming the reaction,  $Ru^{3+} + e^- \approx Ru^{2+}$  (omitting OH and SO<sub>h</sub> complex formation) with a standard potential, in 1 M H<sub>2</sub>SO<sub>h</sub>, of  $e_0 \approx 180$  mV.

The most complicated picture is between X=3 and X=4. It is our impression that the red solution  $R_1$  and the green solution  $G_2$  are fairly well-defined states of Ru.

The "anchoring" of the e(X) curves along the X axis might be open to discussion. In general, curves from experiments beginning with the R<sub>1</sub> state were fixed to begin at X=4.0 as indicated by our earlier analysis of R<sub>1</sub> (Brito 1960) Those curves that went through the green G<sub>2</sub> state were fixed so that the corresponding point was at X=3.0. It is, however, remarkable that the change in X from B<sub>1</sub> to G<sub>2</sub> was found to be  $\approx 1.15$  on eathodic reduction, but  $\approx 1.0$ from chemical reduction; one explanation might be the formation of hydrido or peroxo complexes in the former case.

It is advisable to compare reduction curves with different reducing agents: with chemical agents one might fear the formation of mixed complexes between Ru and say, Ti or Cr, whereas with cathodic reduction one might fear other side reactions. It is then reassuring that the reduction curve from X=4 to X=3.5 is fairly reproducible and has practically the same shape, using Ti<sup>3+</sup>, or cathodic  $\underline{o}^{-}$  as reducing agent. An analysis of this curve, as shown below, would indicate species, Ru<sub>3</sub><sup>12+</sup> or Ru<sub>4</sub><sup>16+</sup> (omitting OH and SO<sub>4</sub>) for X=4 and Ru<sub>2</sub><sup>7+</sup> for X=3.5. It is, however, thought-provoking that on back-titration of reduced Ru(X=3) with R<sub>1</sub>, when both solutions were fresh, a curve was obtained which could be quantitatively explained assuming mononuclear Ru<sup>3+</sup> and Ru<sup>4+</sup>, and a very large complex Ru<sub>3</sub><sup>3.5n+</sup>. A possible explanation is discussed below.

The curves for the reduction of  $H_1$ ,  $B_3$  and  $B_4$  ( $Cr^{2+}$  or  $Ti^{3+}$ ) seem to coincide roughly for X < 3.3. In all of them, one can notice at least one more break, around X=3.25, which would indicate that there is at least one more complex of mixed valency.

Quite different from this group of reactions is the practically reversible curve obtained on repeated anodic exidation and cathodic reduction of  $G_2$  to  $Y_3$ . It scens that  $Y_3$  corresponds to X=3.7.

In none of the experiments carried out so far, has it been possible to regenerate the well-defined red Au(IV) solution  $R_1$  by exidation of solutions derived from the roduction of the red sulfate.

2:11

## Methods of redox titration

2:12

Cathodie reduction.

Both constant current and controlloo-potential methods were employed.

In the <u>constant-current</u> work we used a Leeds and Northrup type 7960 coulometric analyzer, which indicates directly the number of faradays passed. This method is very convenient and especially useful during the early stages of reduction when the standard potentials of the possible redex processes are so well separated that no mixed reactions, such as the simultaneous reduction of Ru and deposition of  $H_2$  will occur in spite of the rather high overpotential applied.

In some experiments, on the reduction of  $R_1$ , the coulometer was not available, and a simpler set-up was used which was still adequate for our purpose. The electrolytic current was then taken from a 6 V battery of storage cells in series, with a variable resistor. The current was measured by a milliammeter with a long scale, which was calibrated by measuring the potential drop across a known resistance by means of a potentiometer. The current was in general between 1 and 2.5 mA and was kept constant ouring the course of experiments by manual control. The time was measured by a cronometer.

In the <u>controlled-potential</u> experiments, the source of current was a lead-storage cell of high capacity, and the potential applied to the electrolysis cell was controlled by means of a simple potential divider. The number of faradays passed was determined by means of a calibrated millianmeter, having a accuracy of 0.5 %, and a stop-watch. In most of these experiments, the applied potential was adjusted to such a value that the cathodic over-potential was  $\approx$  0.1 V at the mid-point of the first shelf of the redox potential curves, and then left unchanged.

A variety of <u>cathode materials</u> have been used in various experiments, but usually, large Pt mesh electrodes have been employed, so that the current density was low. at the cathode; they were coated with Pt black in the constant-current experiments. In a typical experiment, the cathode was a platinized Pt net of about 25 cm<sup>2</sup>, half immersed in the solution so that the current density was 0.1-0.2 mA/cm<sup>2</sup>.

The bubble overvoltage of  $H_2$  on a Hg cathode in the Ru solutions was found to be very little different from that on the platinum electrodes (in each case about 0.1 V). Hg cathodes were not further tested.

The several different electrolytic <u>cells</u> employed may be exemplified by that used in most of the experiments with controlled potential. The cethode compartment consisted of a seven-neck flask containing the solution to be investigated, the cathode, and the probe and reference electrodes. The cathode compartment was connected through a bridge with 1 M H<sub>2</sub>SO<sub>4</sub>, to the anode compartment, which contained 1.0 M H<sub>2</sub>SO<sub>4</sub>, saturated with Ag<sub>2</sub>SO<sub>4</sub>(s), and a silver electrode. The whole assembly was kept in a paraffin cil thermostat (experiments at 25°C), an icc-water bath (experiments at  $0.5^{\circ}$ C), or a special oil thermostat (experiments at  $40^{\circ}$ )

As <u>reference electrodes</u> we used either a hydrogen electrode in 1.0 M  $H_2SO_4$ connected through a ground glass joint to the Ru solution, or a Beekmann type 1190-80 glass electrode which had been calibrated against a  $H_2$  electrode in 1 M  $H_2SO_4$ . As the hydrogen electrode, we sometimes used the platinized Pt anode itself, after  $O_2$  had been removed and the electrode had been saturated with  $H_2$ .

For the <u>probe electrode</u> several different materials were tested, but in most experiments, <u>e</u> was measured with either bright Pt or gold-plated Pt electrodes or both: the cathode itself, a large platinized Pt electrode, was sometimes used, of course after the current had been suitched off. In the controlled current runs, it usually agreed well with the other probe electrodes. In the controlled potential runs; a persistent polarisation was often observed with the bright Pt cathode used.

In all experiments, a slow stream of pure hitrogen was used to stir the cathode solution, and eliminate  $O_{2}$ . The  $N_{2}$ , which was delivered from a commercial cylinder, was purified by passing it through successively 10 % NaOH, 5 % pyrogallol in 12 % KOH, concentrated  $H_{2} \circ O_{4}$ , a column of hot copper, dispersed on asbestos, (to eliminate the last traces of organ) and 1.0 M  $H_{2} \circ O_{4}$ .

In order to ensure that no absospheric oxygen entered the cell, the exhaust gas from the tightly stoppered electrolysis cell (as led through a Bunsen value or through an exit tube immersed in the thermostat bath. Anodic orderion.

For the modic exidation of solutions, the same apparatus was used, as for eathedical reduction, the current being reversed. Platinized platinum was used for the anode in the experiments at constant current in this case, the anode could be used immediately as a reference  $H_2$  electrone. In the experiments at controlled potential, bright platinum was used for the anode.

The anodic oxidation was made at constant current, or with controlled potential, sometimes after the addition of the reduced form of an auxiliary system,  $TI^+ + TI^{3+}$ , or  $Ce^{3+} + Ce^{\frac{1}{2}+}$ . Thallium(I) sulfate solution was obtained from a weighed amount of  $TI_2CO_3\mu\alpha$ . Cerium(III) sulfate solution was obtained by reduction with  $H_2(Pt)$  of cerium(IV) sulfate solution in  $H_2SO_{ij}$  of the concentration canted.

<u>Titanium(III) solutions</u> in 1 M  $H_2SO_4$  were prepared by one of the following three methods:

a) Catalytic reduction of a titanium(IV)sulfate solution by  $H_2(Pt)$ . The reaction was carried out in the storage vessel of a microburet with somi-automatic filling, which was especially constructed for solutions sensitive to air. Hydrogen gas was bubbled past a foil of platinized Pt dipping into the solution. In this way, Ti(IV) was partially reduced to Ti(III) and moreover the concentration [Ti(III)] was kept constant. Even when the Ti(III) solution was stored, a slow stream of H<sub>2</sub> was bubbled into it, to make it circulate past the Pt foil.

b) Metallic Ti was dissolved in boiling dilute  $H_2 SO_4$ , the  $SO_2$  was expelled by means of  $CO_2$ , and the solution was stored like a)

c) A cation-exchange resin, saturated with  $\text{Ti}^{3+}$  was eluted with 1 M H<sub>2</sub>SO<sub>4</sub>. A column of Dowex-50 was first washed with 1 M MSCN, then repeatedly with 3 M HCl, with water, and finally it was saturated with  $\text{Ti}^{3+}$  by passing a solution of  $\text{TiCl}_3$  in 3 M HCl. The preparation was free from iron. Under these conditions Ti(IV) is not held by the resin. The solution was stored like a).

Analysis. For analysing Ti(III) solutions an iron(III) solution was prepared by dissolving Fe (99.99 %) in boiling 1 M H<sub>2</sub>SO<sub>4</sub>, adding 30 % H<sub>2</sub>O<sub>2</sub> dropwise, and boiling. A known amount of iron(III) solution was kept in the main vessel of a cell like the one described below, and the Ti(III) solution added from a burct. The redox potential  $e(Fe^{3+}, Fe^{2+})$  was measured by means of an Au electrode, and the data were plotted in the form of  $10^{PE}(v^{-1})$  to give the equivalence point  $v_{c}$  (v=volume of Ti<sup>3+</sup> solution added). This gave  $v_e^{-1}$ . (This is a generalized Gran plot; other forms are also possible.) Identical values for  $[Ti^{3+}]$  in the initial solution were obtained when the same method was used except that a cortain amount of  $Ti^{3+}$  + excess of Fe<sup>3+</sup> was back titrated by the same corium(IV) solution as was used for titration of the Ru(IV), R<sub>1</sub>.

<u>Chromium(II)</u> solution was prepared by electrolytic reduction on a Hg cathodo, of a chromium(III) sulfate solution in 1 M  $H_2SO_4$ . The anode was a Pt electrode in 1 M  $H_2SO_4$ , kept in a narrow tube, which ended in sintered-glass disk, across which the liquid junction was made. All operations were carried out in oxygen-free  $CO_2$ , which was also used, after the reduction, for pressing the solution into a burct similar to the one used for Ti(III). The chromium(II) solution was also standardized with iron(III).

<u>Measurement of redox potential</u>. The following cell was used:  $H_2(Pt)/1 \ M \ H_2SO_{l_1}/Ru$  solution, 1 M  $H_2SO_{l_2}/Pt$  or Au.

Usually, a bright Pt electrode and an Au electrode were used. The Pt electrodes were boiled in hot 1:1 HNO<sub>3</sub> and ignited in an ethanol flame. The Au electrodes were massive or prepared by electrodeposition on Pt; they were treated in an analogous way.

The reference half-cell consisted of a platinized Pt electrone in a tube of 12 cm length and 1.5 cm diameter. The tube had a stopper with holes for electrodes and inlet and outlet for  $H_2$ . The low end of the tube was narrowed and ground to form a cone-joint. The end was scaled, but there was a small hole in the side. The cone-joint was covered by a ground socket-joint, and the liquid junction was across

the joint. The resistance was of the order of 4000 ohms. The E of the cell tas measured by a Madiometer  $pHM^{1}$ .

During the experiments, a stream of  $N_2$  was passed through the solution. It was first passed through a column with active Cu, then through 10 %  $H_2SO_{ij}$ , 10 % NaOH and finally 1 M  $H_2SO_{ij}$ . The  $H_2$  gas for the reference cell was treated in an analogous way.

In the start of an experiment, the Ru solution was introduced into the titration vessel after which  $N_2$  was bubbled for several hours, usually all the night. After this,  $Ti^{5+}$  or  $Cr^{2+}$  was adapted.

The emf measured with Pt and Au cleathodes might differ by a few mV in the segmning of a titration but in the suffered solutions they were usually identical within  $\frac{1}{2}$  1 mV. In certain ranges of the titration, the emf of one or both electrodes was found to creep; in such cases the E was read when a given time, usually 5 minutes. For each addition from the burct.

The concentration of the Ti(III) or Cr(II) solution was always chosen such as to make the volume change curing the titration less than 2 %. The consentration of the burst solution was always octendince immediately after the redox titration, against Fc(III) or Ce(IV) + Fc(III).

## General equations for e(y) curve in two-species region.

Let us assume that in a certain region - a "shelf" on the redox titration curve practically all Ru is present as one of two complexes, one with exidation number x' and q' Ru atoms per complex, the other with exidation number x'' and q'' Ru atoms. The difference in exidation numbers we may call D:

$$\mathbf{x'} - \mathbf{x}^{\mathbf{H}} = \mathbf{D}$$

(9)

We may assume that D is positive and will express curselves accordingly although all the argument is also valid for negative values for D and y below.

The redox potential would thus be determined by the equilibrium (cmitting in the formulas OH and  $SO_h$  complexing)

$$q''Ru_{q'}$$
,  $x'q' + q'q''De^{-} = q'Ru_{q''}$ ,  $x''q'' + (10)$ 

The Nernst expression for the electride potential gives

$$e = e_{p} + \frac{RT \ln 10}{Fq'q''D} (q'' \log c' - q' \log c'')$$
(11)

where o' and c" are the concentrations of the two species. The expression (11) is simplified if we divide by the factor  $(RTF^{-1} \ln 10)$  and replace e by pE:

$$pE = pE_{0} + \frac{q'' \log c' - q' \log c''}{q' q''^{D}}$$
(12)

Equation (12) may be transformed to  

$$q'q"D(pE - pE_0) = q" \log c' - q' \log c"$$
 (12a)

This can also be obtained directly by applying the law of mess action to (11), setting  $\log \left[e^{-\frac{1}{2}} = pE\right]$  (15) and  $\log K = pE_0$  for (10)

Equations (12) and (12a) do not contain the absolute values for x' and x'', but culy the difference **B**. The material balance of ruthenium atoms and oxidation number gives, for the total concentration B of ruthenium, and the average oxidation number X:

$$B = q'c' + q''c''$$
(13)

$$BX = x'q'c' + x''q''c''$$
(14)

In an actual experiment, X may not be exactly known. What is measured is y, the number of reducing equivalents added per Ru, either by electrolysis or by chemical means. We must have (provide there are no unknown side reactions) X + y =constant; denoting by y' and y" the values y at the points corresponding to x' and x", we have

$$X + y = x' + y' = x'' + y''$$
 (15)

It follows directly from (9) and (15) that

$$\mathbf{y}'' - \mathbf{y}'' = \mathbf{D} \tag{15a}$$

$$Dq'c' = B(y''-y) ; Dq''c'' = B(y-y')$$
 (10)

We may now use (16) to eliminate c' and c" from(12) and obtain

$$pE = (q'D)^{-1} log (y''-y) - (q''D)^{-1} log (y-y') + constant$$
(17)  

$$constant = pE_0 + ((q'D)^{-1} - (q''D)^{-1}) (log B - log D) - (q'D)^{-1} log q'' + (q''D)^{-1} log q''$$
(17a)

The constant in (17a) is of course, really constant only when B is constant. Equation (17) is a suitable starting point for the analysis of the redox curves.

#### Generalized Gran diagram

The exact values for y' and y" can be derived using a diagram analogous to the Gran diagram for acid-base titrations. (Gran 1952), by using the points in the neighborhood of the two ends of the shelf.

For 
$$y \not \leq y''$$
 we may transform (17) to

$$10^{(\mathbf{q}^{"}\mathbf{D}^{*}\mathbf{p}\mathbf{E})}(\mathbf{y}-\mathbf{y}')^{\mathbf{q}^{"}/\mathbf{q}'} + (\mathbf{y}^{"}-\mathbf{y}) \cdot \text{constant}$$
(18)

We may plot versus y the left hand term in (18), or only its first factor since the second factoris practically constant, (multiplied by a practical scale factor); the intercept with the y axis of the linear plot will then give y".

Similarly, close to  $y \approx y$  one may use the expression, also derived from (17)

$$10^{-(q'P*pE)} (y''-y)^{q'/q''} = (y-y') \cdot \text{constant}$$
(19)

A plot of the left hand member or only its left factor, will be linear and the intercept will give y'.

#### Application to irreversible curves

In several of the redox titrations to be described below, it was possible to describe quantitatively the course of the e(z) curve between two "jumps" by equations derived from (12a) or (17), which are founded on the assumption of a reversible equilibrium (10). Nevertheless, in only two of these cases was something like a reversible reaction observed. In the others, a very different curve was obtained on back-titration. One may then ask, if the quantitative agreement in those latter cases is a sheer coincidence, or if it corresponds to a real reaction.

Let us for example consider the two very different curves obtained on electrolytic reduction of  $R_1 = Ru(IV)$ , and on titrating partly reduced Ru with Ru(IV). The course of the curve between X = 4 and X = 3.5 can be explained by assuming in the latter case a mononuclear Ru(IV) species, in the former case a polynuclear one, perhaps tri- or tetranuclear, which looks like a perfect contradiction.

One explanation may be the following. R<sub>1</sub> contains two different Ru(IV) species, say A and A', and it takes some time (of the order of several hours or days) for A

and A' to come to equilibrium with each other. Of the two species, A' is present only in a small amount, but it undergoes redox reactions more readily than A. If A and A' are not at equilibrium, the redox potential  $\underline{e}$  measured with an inert electrode is a mixed potential which is in between the two potentials that would correspond to electron exchange equilibrium 1) between the prevalent concentration [A] and some lower oxidation state present, and 2) between [A'] and the same or another lower oxidation state. If A' reacts more readily with electrons there would be a tendency for the mixed  $\underline{e}$  to be mainly determined by the second equilibrium, as long as there is any A' left.

If these assumptions are true, in the electrolytic or chemical reduction of  $R_1$ , A' is then used up before A, so <u>e</u> will be primarily determined by A. On the other hand, when  $R_1$  is added to the solution, A' (like A) is left unchanged after the equivalence point at X = 3.5, and e will be determined by A'.

It is very likely that the reduced state in the <u>e</u>-determining reaction is different in the two cases. The important point, however, is that there is a possibility that the equilibrium law (Nernst equation) can be applied so that the formulas deduced for A (trior tetranuclear) and A' (monomer) may be correct, although the system as a whole is not at true equilibrium.

A similar explanation may be true in other cases, too, so that the formulas derived may have some sence.

A complication is that the reactive species sometimes may have another oxidation number than the one present in large amounts. We may remind of the  $U^{4+} + UO_2^{2+}$  system where a low concentration of  $UO_2^+$  is built up by a slow equilibrium reaction of  $U^{4+}$  and  $UO_2^{2+}$  whereas the electrode potential is mainly determined by the momentary ratio  $UO_2^{2+}/UO_2^+$ .

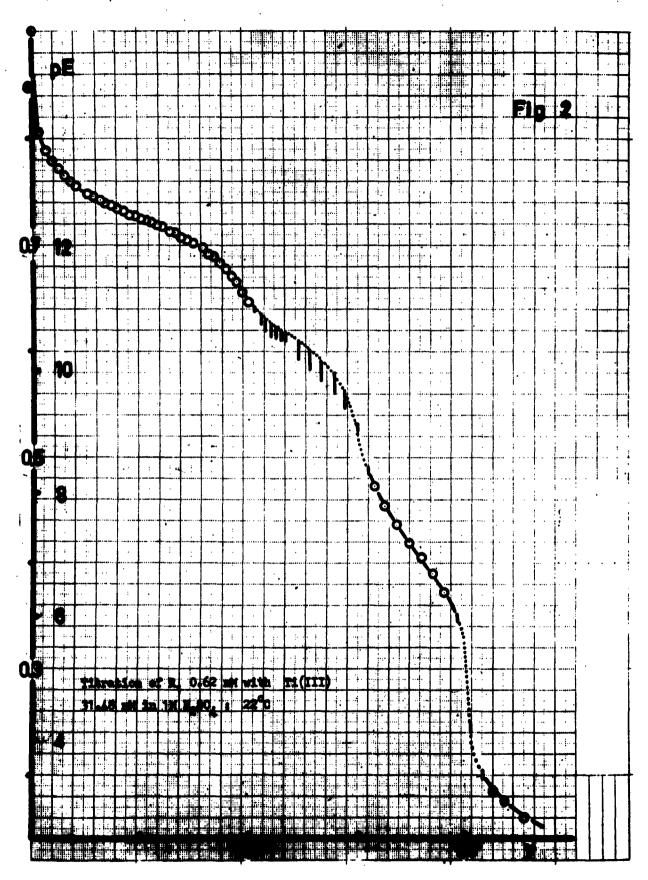
# Reduction of ruthenium (IV), R

#### Reduction with Ti(III)

The R<sub>1</sub> solutions used in these experiments were prepared by dilution with 1 M H<sub>2</sub>SO<sub>4</sub> of two stock solutions, a) 18.48 mM<sup>×</sup> Ru (IV), 1113 mM<sup>×</sup> Na<sub>2</sub>SO<sub>4</sub>, 44 mM<sup>×</sup> H<sup>+</sup>; b) 1.43 mM<sup>×</sup> Ru(IV), saturated Na<sub>2</sub>SO<sub>4</sub>, pH = 2.3.

One of the e(y) curves obtained we given in Fig 2. The e of the R<sub>1</sub> solutions was arround 900 mV, which may correspond to some equilibrium with minor Ru species, determined by earlier contacts with air. On adding Ti<sup>3+</sup>, e(y) had a plateau at  $\approx 725 \pm 10$  mV and decreased steeply at  $y \approx 0.5$  (reddish-brown solution). In this interval, the <u>e</u> with both electrodes seemed to be constant and reproducible. However, as soon as this jump had started, and after the jump, the <u>e</u> with both electrodes, still equal, crept slowly toward higher values. In such cases, <u>e</u> was read after exactly 5 minutes from the addition of the solution from the buret.

On further increase of y, a second plateau was met at  $e \approx 450$  mV on which the emf with both electrodes seem to be more stable. Finally, there was a jump around  $y = 1.0 \pm 0.05$  (green solution): in this region the emf crept a little to lower values.



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Even if it is difficult to make exact measurements because of the instability of <u>e</u>, it seems that between y = 0.5 and the plateau at  $e \approx 450$  mV there is a second jump, corresponding to  $y \approx 0.75 \stackrel{+}{=} 0.10$  (brown solution).

We can thus conclude that there are equivalence points, presumably corresponding to definite states, at y = 0.5, 0.75 and 1.0, corresponding to X = 3.5, 3.25 and 3.0. The latter probably corresponds to the solution  $G_2$ , which we think is ruthenium (III). The contradiction with the results on cathodic reduction with controlled primetial has been pointed out.

The part of the curve between y = 0 and 0.5 was treated in the same way as for the other reduction curves in this region (Fig 3a).

#### Cathodic reduction, controlled current

The R<sub>1</sub> solution used in these experiments was prepared by diluting weighed amounts of R<sub>1</sub> stock solution (15.77 mM<sup>\*</sup> Ru(IV), 102 mM<sup>\*</sup> H<sup>+</sup>, 1 M<sup>\*</sup> SO<sub>µ</sub><sup>2-</sup>) with 1 M H<sub>2</sub>SO<sub>µ</sub>.

For y values lower than 0.5, both the Au and Pt electrodes seem to give constant potentials. For y > 0.5, <u>e</u> increased slowly, and reproducible values could not be obtained. For this reason, only the data for y < 0.5 will be treated here.

On the e(y) curve, there is a well-defined "shelf" between X = 4 and  $\approx 3.5$ . We shall apply to this part the treatment, equations (9-19). Since the jump is at  $y \approx 0.5$ , we may set y' = 0, y'' = 0.5, and D = 0.5, Let  $q' = q_1$ ,  $q'' = q_2$ . We may then write equation (17) in the form:

0.5 pE = 
$$q_1^{-1} \log (0.5 - y) - q_2^{-1} \log y + constant$$
 (20)

By plotting 0.5 pE against log y we could obtain an approximate value for  $q_2$ , since at least for small values for y, one may neglect the term log (0.5 - y). Indeed, the plot seems to indicate  $q_2 \approx 1.5 \approx 2$ . Assuming  $q_2 = 2$ ,  $(0.5 \text{ pE} - q_1^{-1} \log (0.5 - y))$  was plotted versus log y for  $q_1 = 1,2,3$ , and 4. For the last three values, the plot seems to give a straight line of slope 0.5  $(q_2 = 2)$ ; the fit is especially good for  $q_1 = 3$ .

Accordingly, a plot pE versus  $(2/3) \log (0.5 - y) - \log y$  gives a straight line of slope 1.

In Fig 3b (to the right) the experimental values e(y) are plotted versus curves calculated for D = 0.5 and  $q_2 = 2$ , and  $q_1 = 2,3$  and 4. The best fit obviously is for  $q_1 = 3$ .

As shown by Fig 3, the measurements with controlled potential (Fig 3b to the left) reduction and with chemical reduction  $(Ti^{3+} (Fig 3a)$  of  $R_1$  also gave e(y) curves that agreed very well with those for controlled current: in our cases, the agreement is best with  $q_1 = 3$  and  $q_2 = 2$  whereas the agreement with  $q_1 = 4$  is acceptable.

The conclusion is that the predominating complexes in the solutions would be  $\operatorname{Ru}_{2}^{7+}(X=35)$  and  $\operatorname{Ru}_{3}^{12+}$  or  $\operatorname{Ru}_{4}^{16+}(X=4)$ , omitting OH and SO<sub>4</sub> groups.

## Cathodic reduction, controlled potential

The  $R_1$  solution to be reduced was prepared from the stock solution as above and 1 M  $H_2SO_{\rm h}$  .

The redox potential, <u>e</u> of the  $R_1$  solutions so prepared was found to increase slowly for some time, even if the  $H_2SO_4$  had been thoroughly degassed. In one experiment, for instance, with B = 0.385 mM, <u>e</u> increased by 40 mV during the first 5 h after the preparation, and after 20 h it had reached a stable value, 60mV higher than the initial one. With B = 2 mM, the increase was only about 20 mV during the first 20 h. For this reason, the reduction experiments were not started until about 20 h from the preparation of the solutions.

The controlled-potential circuit was closed for a suitable period, during which the current was measured at equidistant times. Immediately after the circuit was opened, <u>e</u> was found to increase or decrease until after 3-5 minutes it reached a maximum or minimum value, which was noted. The process was repeated until the cathode potential attained about 200 mV; this limit was set to avoid the reduction of  $H^+$  to  $H_0$ .

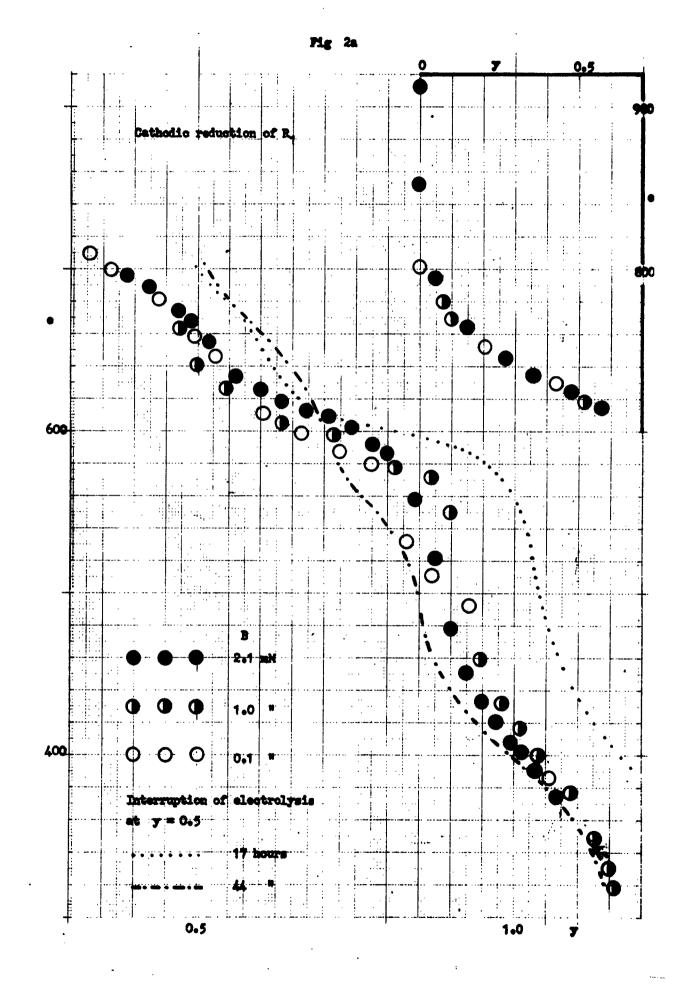
Fig 2a gives <u>e</u> as a function of y (the number of faradays passed per mole of Ru) at  $25^{\circ}$ C for experiments with B = 2.13, 1.0 and 0.1 mM Ru. These graphs, like all others obtained in these experiments, show three breaks between y = 0 and y  $\approx$  1.2.

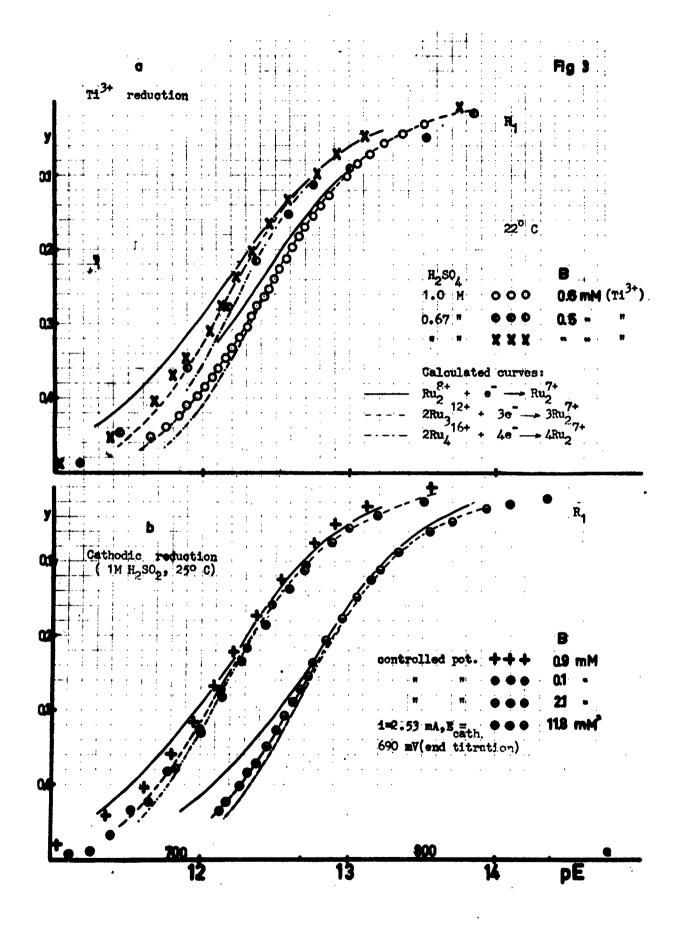
In the region before the first break at  $y = 0.50^{+} 0.05$ , the curves for the three concentrations coincide; <u>e</u> is relatively stable, and changes by no more than about 1 mV per hour. From  $y \approx 0.5$  on, <u>e</u> becomes markedly unstable and drifts toward higher values. The rate of drift appears to increase with y and decrease with B. For example, for y = 0.5, <u>e</u> changes little if at all after the first 20 h, whilst for y = 1.0, <u>e</u> first changes rapidly for several hours but then increase; slowly for at least several days. Fig 2a shows also two curves obtained on interrighting the electrolysis at e = 0.5 for 17 h and 44 h, and then continuing.

These observations indicate several simultaneous reactions, with half-lives from very short values (of the order of seconds) to perhaps many days. For this reason, attempts were made to work at  $40^{\circ}$ C or  $0.5^{\circ}$ C, in the hope either speeding up or freezing in some of the slow reactions. This was not too successful: at  $40^{\circ}$ C, <u>e</u> became unstable even for y < 0.5, and even at  $0.5^{\circ}$ C a drift was observed in the range y > 0.5. In spite of the drift, the shape of the curve <u>e(y)</u> was the same in all the experiments at  $25^{\circ}$ C and at  $0.5^{\circ}$ C.

A second break was found for  $y = 0.80 \div 0.05$ , after which <u>e</u> decreased more rapidly with <u>y</u> than in the earlier two ranges. A third break appears to lie at  $y \approx 1.10 \div 0.05$ .

In the range 0 < y < 0.8, the solutions remain reddish-brown, but for y > 0.8 the color rapidly changes to a golden-yellow ( $y \approx 1.0$ ) and then to a green color(apparent-ly the same as  $G_0$ ) which coincides with the third break in the e(y) curve.





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One would thus guess that, at the last break, the solution would correspond to  $G_2$ . The fact that the break comes at 1.10 rather than the expected y = 1.0 is discussed in the survey above.

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## Redox titration of reduced Ru(X=3) with R.

A special experiment was carried out, in which a certain amount of the amberred Ru(IV) solution  $R_1$  was first reduced to an oxidation state in the neighborhood of X=3, and then Ru(IV) was added from a buret.

The variation of  $\underline{e}$  with the volume v of Ru(IV) solution added has been analyzed in order to get information on the species involved. It has been assumed (as is corroborated by our earlier analysis, Brito 1959) that X=4 in the red solution, R<sub>1</sub>.

## Experimental

The amber-red Ru(IV) solution R<sub>1</sub> was prepared by the elution, with 1  $\pm$  H<sub>2</sub>SO<sub>4</sub>, of a Dowex-50 resin saturated with Ru(IV). It was then reduced with H<sub>2</sub>, using a small platinized Pt net as a catalyst. During the reduction, the mixed potential  $e_R$ , in the presence of H<sub>2</sub> was measured with at least two of the inert electrodes. At first  $e_R$  changed slowly, while the color changed from red to dark brown. After a certain time,  $e_R$  decreased rapidly, and the solution turned dark green. The electrodes (Au and Pt) had the same potential. When  $e_R$  had become close to 165 mV, N<sub>2</sub> was bubbled through the solution for one hour to remove H<sub>2</sub>. After this,  $e_R$ was  $\approx$  170 mV, and the color was still green. We then started to add, from the buret, Ru(IV) solution of the same total Ru concentration, efter taking out the small platinized Pt net.

The e(v) curve is given in Fig 4. Up to the jump, around 9 ml, <u>e</u> was stable, and the electrodes (Pt and Au) gave identical emf within  $\pm$  0.5 mV. In the jump itself (green)-brown solution and up to <u>e</u> 700 mV, the two electrodes gave identical potentials which, however, increased slowly for a considerable time. For the subsequent part of the titration, the emfs were very stable.

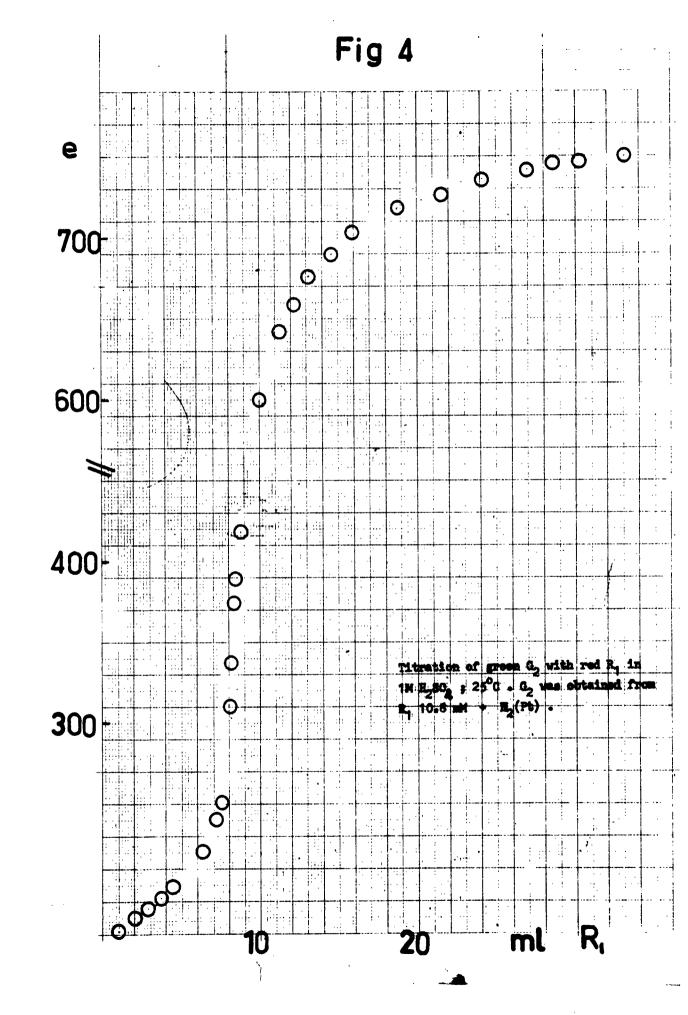
The emfs were measured using the cell

Hg,  $Hg_2SO_4/1 M H_2SO_4//1 M (Ru(IV), H^+) SO_4/Pt$  or Au).

The reference electrode (to the left above) was kept in a "Wilhelm" bridge. Its electrode potential was measured by connecting it with a 1 M  $H_2SO_4/H_2(Pt)$  electrode. For measuring the redox potential in the Ru solution we used bright Pt, massive Au, or Au prepared by electrolysis.  $H_2$  and  $N_2$  were purified as described above, and saturated with water vapor by bubbling through 1 M  $H_2SO_4$ .

## Attempt at interpretation

The red solution  $R_1$  in all probability contains Ru(IV) thus  $X_1 = 4$ ; let us assume that each complex contains  $q_1Ru$ . The jump indicates an intermediate species, say, characterized by  $X_2=4-D_2$  and  $q=q_2$ . The shape of the curve indicates that after the jump, the Ru(IV) added does not react but remains unchanged in the solution.



Since the two parts of the curve, before and after the jump, are separated by around 5 pE units ( 300mV), they will be treated independently in the following.

If B is the total concentration of Ru,  $V_0$  is the initial volume of the reduced solution, v is the volume of Ru(IV) solution added, and  $v_e$  is the value of v at the jump where  $X = X_2 = X_1 - D_2$ , then the conservation of valency would require

 $BX(V_0 + v) = BX_2(V_0 + v_e) + BX_1(v - v_e) = B(V_0 + v)(X_1 - D_2) + BD_2('-v_e)$ (21)

After the jump ( $v > v_e$  pE>9). Let us apply the general formulas (9) and following with  $q'=q_1$ ,  $c'=c_1$  etc and D=D<sub>2</sub>. The main equilibrium is then omitting OH complexing:

$$q_2 Ru_{q_1} (x_1 q_1^{+}(c_1) + q_1 q_2 D_2 e^{-} \ge q_1 Ru_{q_2} (x_1 - D_2) q^{2+}(c_2)$$
 (22)

We have (eqn 13)  $B = q_1 c_1 + q_2 c_2;$ 

$$BX = X_1 q_1 c_1 + (X_1 - D_2) q_2 c_2 = B(X_1 - D_2) + D_2 q_1 c_1$$
(23)

Hence with (9) for the concentration of the (unchanged) Ru(IV) and of the intermediate species: (compare eqn (16))

$$q_1 c_1 = B(v - v_e)/(V_0 + v) = B(y_2 - y)/D_2$$
 (24)

$$a_2 c_2 = B(v_0 + v_e) / (v_0 + v) = B(y - y_1) / D_2$$
 (25)

Introducing (24) and (25) into (12) and rearranging we find

$$\varphi = \text{constant} + \frac{1}{2} / q_1 D_2$$
(26)

where

$$\varphi = pE - (q_2 D_2)^{-1} \log(V_0 + v)$$
(27)

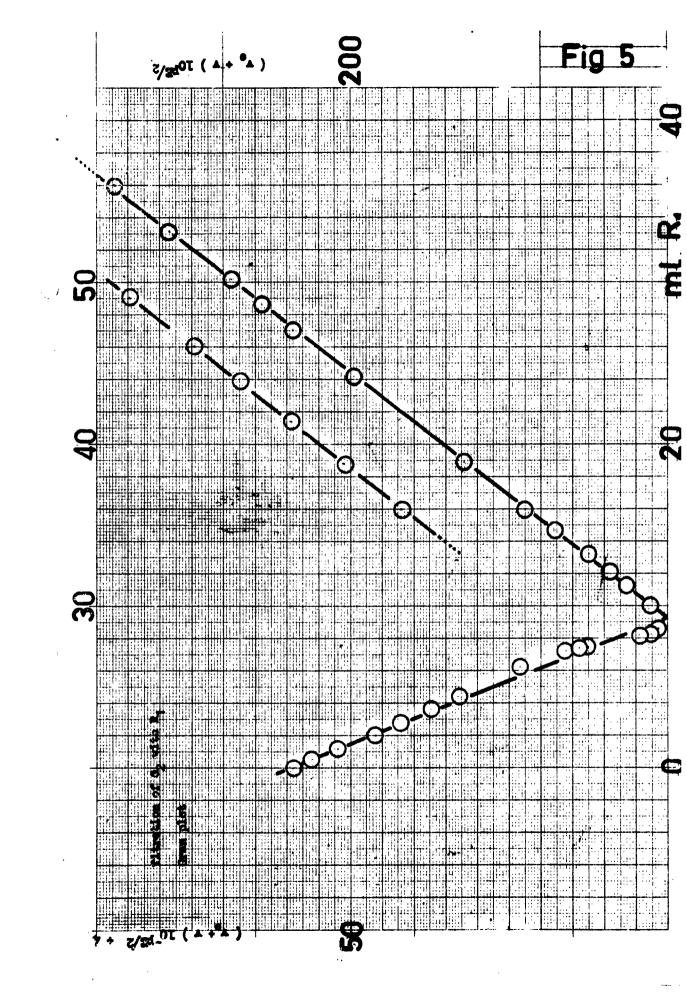
$$\Psi = \log(\mathbf{v} - \mathbf{v}_{e}) - \log(\Psi_{0} + \mathbf{v})$$
(28)

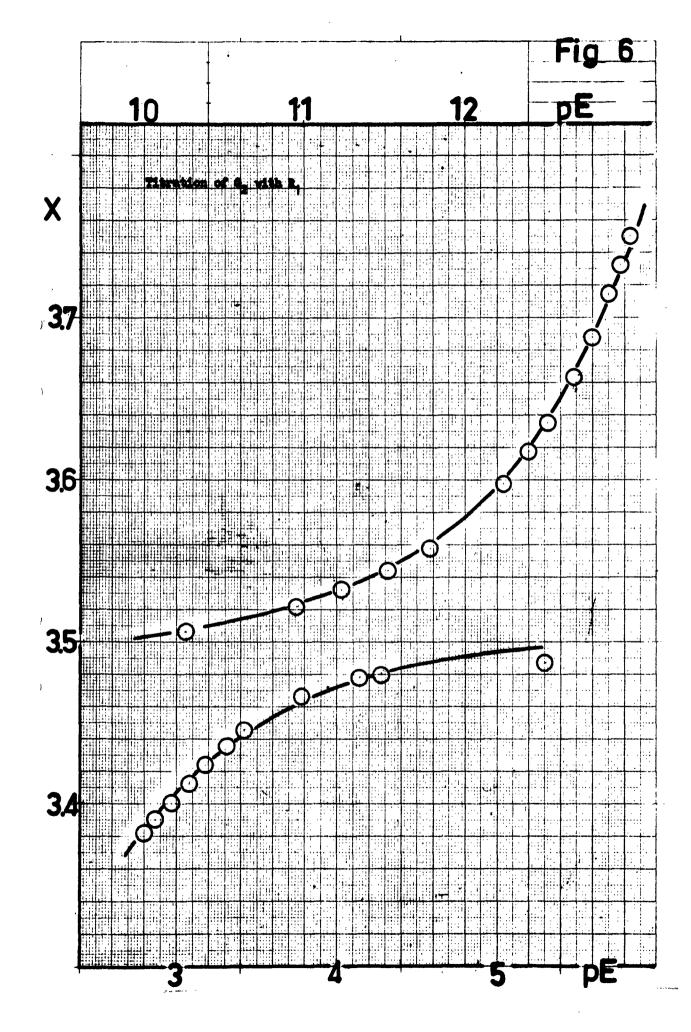
We assumed various values for  $q_2D_2$ , between 1 and 10, and for each value calculated and plotted  $\varphi$  versus  $\psi$ . From the slope we obtained values for  $q_1D_2$  from 0.42 to 0.49. This indicates that, at least under these conditions, for  $q_2 > 10$ ,  $q_1D_2 \approx 0.5$ . On the assumption that  $q_2$  is so large that the second term in (15) is negligible we plotted pE versus  $\psi$  and found a straight line of slope  $(1/q_1D_2)\approx 2$ . On the same assumption, we plotted  $(V_0 + v) \ 10^{pE/2}$  versus v (eqn (18) Fig 5) which gave a straight line, intercepting the v axis at  $v_2$ .

<u>Before the jump</u> (pE < 7). Let us assume that, before the jump, the solution contains besides the intermediate complex  $(q'=q_2, x'=X_1-D_2)$ , also a complex characterized by  $(q''=q_3, x''=X_1-D_2-D_3)$ . The equilibrium reaction is then

$$q_2 Ru_{q_3}^{(X_1 - D_2 - D_3)q_3} \ge q_3 Ru_{q_2}^{(X_1 - D_2)q_2^+} + q_2 q_3 D_3^{e^-}$$
 (29)

and we have  $B = q_2c_q + q_3c_3$ ;  $BX = q_2c_2(X_1 - D_2) + q_3c_3(X_1 - D_2 - D_3) = B(X_1 - D_2) - q_3c_3D_3$  (30)





From (30) and (21) we find, after rearrangement

$$q_2 c_2 = B(1 - wD_2/D_3); \quad q_3 c_3 = (BD_2/D_3)(v_e - v)/(V_0 + v) = BD_2 w/D_3$$
 (31)

where

$$u=v_{e}/(v_{0}+v_{e})-v/(v_{0}+v); w=(v_{e}-v)/(v_{0}+v)=u(v_{0}+v_{e})/v_{0}$$
(32)  
Eqn (12a) for the redox potential would then give

pE=(q<sub>2</sub>D<sub>2</sub>)<sup>-1</sup>log(1-wD<sub>2</sub>/D<sub>2</sub>) - (q<sub>2</sub>D<sub>2</sub>)<sup>-1</sup> log w + constant (33) The second term to the right in (31) seems to be negligible, and a graph of pE versus log w gives a straight line with slope (1/q<sub>2</sub>D<sub>2</sub>) ≈ 2. Again, (V<sub>0</sub>+v)10<sup>-pE/2</sup> versus v gives a straight line with the same intercept, v<sub>e</sub> as for the second part of the titration, Fig 5.

<u>Conclusion</u>. Because of the way of preparing the solution, it was not possible to know exactly the value for X in the original solution. However, from experience with redox titrations it seems very likely that the solution at the starting point contains green ruthenium(III), chiefly. Then,  $D_2 + D_3 = 1$ , and the most likely explanation of the curves would be that two extreme complexes are, mononuclear Ru<sup>3+</sup> and mononuclear Ru<sup>4+</sup>, omitting OH and SO<sub>4</sub> complexing. ( $q_1 = q_2 = 1$ ). We conclude that the intermediate complex has average oxidation number  $\approx 3.5$ , and that it is very large. The accuracy does not allow a very accurate determination of  $q_2$ . Fig 6 gives, for one titration, the measured points <u>e</u> (X), and the calculated for  $qRu^{3+} + 0.5q = Ru_q^{3.5q+}$ ,  $Ru_3^{3.5q} + 0.5q = * qRu^{3+}$ , assuming q=20. The agreement would be equally satisfactory with any large value for q.

# Redox reactions of ruthenium Bz

# Reduction with titanium (III)

A solution  $B_3$  of apparently the same color as  $B_{ij}$  was obtained from a solution of  $RuO_4$ , in 0.2 M  $H_2SO_4$  by electrolytic reduction to red  $R_1$ , with platinized Pt-cathode and separate Pt-anode, catalytic reduction with  $H_2(Pt)$  to green  $G_2$ , and filtering. The solution was kept in contact with air, and a color change from green to dark brown set in, which was complete after two or three weeks; the redox potential was then e = 840 mV.

Fig 1 gives - schematically - e(y) for a titration of  $B_3$  with Ti(III). There are indications of jumps around  $y \approx 0.25$  (light brown solution) and around  $y \approx 0.5$ (light green solution). The apparent oxidation number X of  $B_3$  was determined by oxidation with Ce(IV) to RuO<sub>4</sub> as described in the previous report (Brito 1960). The result for  $B_3$  was X = 3.38  $\pm$  0.05, which agrees with the jump of  $y \approx 0.5$  to green ruthenium (III), if  $B_3$  has X = 3.4  $\pm$  0.1.

## Electrochemical reduction

About one month after the experiment with Ti(III) reduction, several experiments with cathodic reduction were made, with constant current, either with a coulometer, or with the simplified apparatus. With the coulometer, the current was kept at 6.43 mA. In all cases, Ti(IV) was added as an auxiliary system.

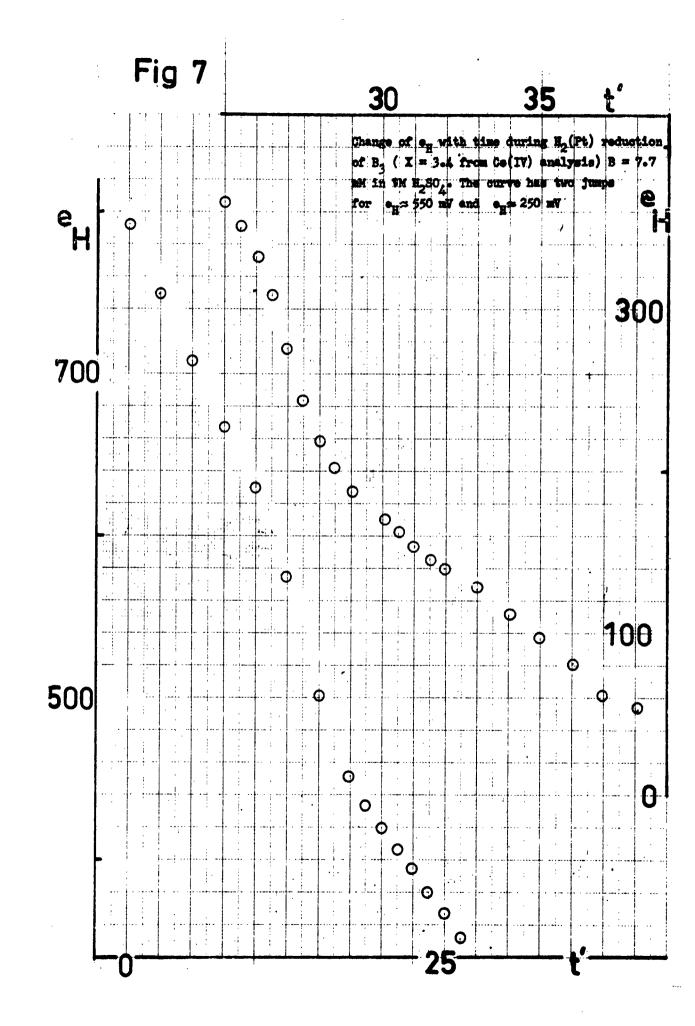
Up to y = 0.3,  $e_{Au}$  and  $e_{Pt}$  were the same and fairly stable. For  $y \ge 0.3$ , <u>e</u> was found to creep slowly toward higher values. For  $y \approx 0.87$ , there was a jump and the potential fell to  $\approx 300 \text{ mV}$  (this was in 2.5 M H<sub>2</sub>SO<sub>4</sub>). One month more later, the experiment was repeated, and the jump then same at  $y \approx 0.98$  (this time 1 M H<sub>2</sub>SO<sub>4</sub>).

The latter solution was oxidized anodically on platinized Pt: the  $o(n_{ox})$  curve was very different and already for  $n_{ox} \approx 0.48$ , <u>e</u> had increased to  $\approx 900 \text{ mV}$ .

# Oxidation number X of B3

An average of three determinations on fairly fresh ruthenium  $B_3$  gave  $X = 3.38 \pm 0.05$ .

In this connection the following experiment may be described. A B<sub>2</sub> solution was reduced with  $H_2(Pt)$  and the plot <u>e</u> versus time (Fig 7) gave a jump around 550 mV, a shelf around 380 mV, a new jump around 250 mV, and then the beginning of a shelf around 150 mV. From the resulting green solution, of <u>e</u>  $\approx$  50 mV, H<sub>2</sub> was immediately expelled with N<sub>2</sub>; the solution was slowly exidized by  $O_2$  diluted with N<sub>2</sub>, and the apparent X determined for various points, by cerium(IV)exidation. The resulting points are given in Fig 1 as single dots: the X values covered were between 2.9 and 3.34. The color again, became dark brown.



## Redox reactions of ruthenium B<sub>it</sub>

A stock solution of  $B_4$  was prepared by distilling  $RuO_4$  into a known amount of  $\approx 0.5 \text{ M H}_2SO_4$  containing an excess of  $H_2O_2$ , treating the solution with  $H_2$  for about 24 h in the presence of a platinised Pt catalyst, removing the catalyst and then treating the grey-green solution, thus obtained, with  $O_2$  for several hours. Between the preparation and the reduction-oxidation treatments to be described, several months elapsed.

#### Cathodic reduction

The solutions were made up to contain 1 M  $H_2SO_4$  and electrolyzed with controlled potential. The initial e did not change significantly with time, once thermal equililibrium has been reached, and e was also much more stable during the whole course of the reduction than in the reduction of  $R_1$ . Fig 1 gives e(y) for those B values that have hitherto been studied namely 0.30 and 1.43 mM. The curves differ somewhat between y=0 and y=0.6 but then coincide up to y\_ 0.8. From y = 0.8 on a relatively steep decrease of e begins, which is accompanied by a change in color to an intense green. In the earlier part of the titration, the solutions absorb light so strongly that it is difficult to observe any distinct color change.

## Reduction with titanium(III) and chromium(II)

The  $B_4$  solution was one of those used for determining Z and X. The Ce (IV)method gave X = 3.53  $\stackrel{+}{-}$  0.05. The stock solution contained 15 mM Ru, and was diluted with 1 M  $H_2SO_{ll}$ .

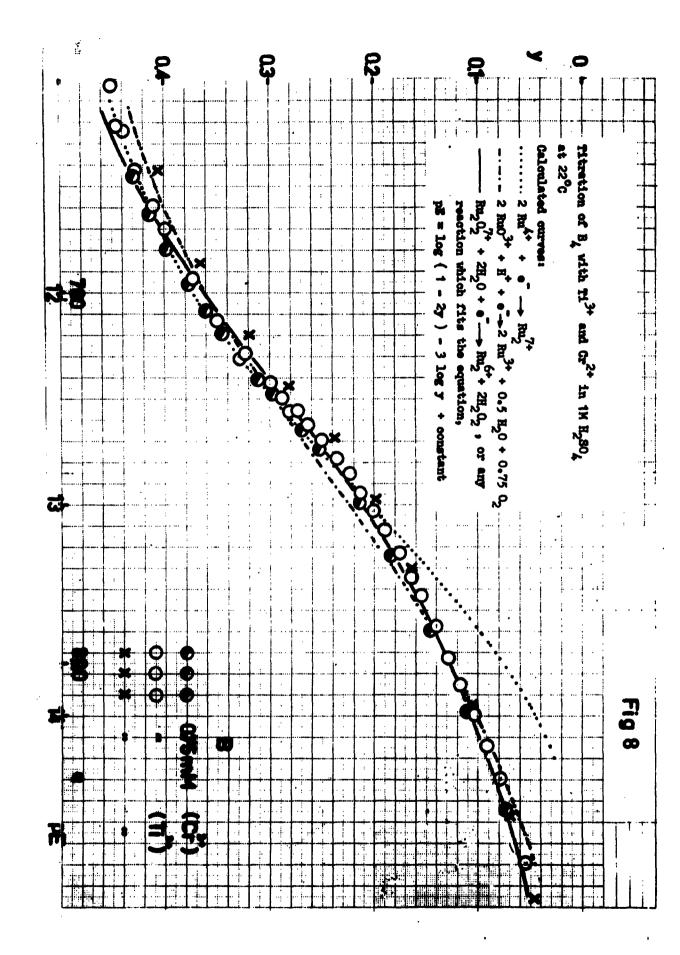
The e(y) curve is given in fig 1 (part of it in more detail in fig 8); the results with Ti(III) and Cr(II) agree reasonably well. The  $B_{4}$  solution is originally very dark brown but on titration with Ti(III) or Cr(II) it gradually clears up and at the end of the jump around  $y \approx 0.5$  it is clear brown. Around  $y \approx 0.8$  and  $e \approx 360$  mV there is another potential jump; the solution is then light green.

After the titration with Cr(II) a great excess of Cr(II) was added, about 10 times the concentration of Ru, and the solution was kept standing for one night. Next morning the <u>e</u> had increased from negative values up to + 670 mV at which value it seemed to be stabilized. Once more, a large excess of Cr(II) was added until e became negative, and again, <u>e</u> increased slowly up to an apparently stable value around 670 mV. Meanwhile one could observe gas bubbles in the bulk of the solution.

Attempts were made to apply the treatment of eqns (9 - 19) to the region 0 y:0.5. We set y' = 0 ( $x' \approx 3.8$ ),  $q' = q_1$ ; y'' = 0.5 ( $x'' \approx 3.3$ ),  $q'' = q_2$ , D = 0.5 and find from (17):

 $pE = 2q_1^{-1} \log(0.5-y) - 2q_2^{-1} \log y + const$ 

We attempted to fit the data by plotting log (0.5-y) versus  $(pE + 2q_2^{-1} \log y)$  for various  $q_2$  values. Plausible linear plots were obtained. For  $q_2=1$ , the slope



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was  $2q_1^{-1} \approx 1.5$ , thus  $q_1 \approx 1.33$ . For  $q_2 = 2$ , the slope  $2q_1^{-1} = 2$ , thus  $q_1 = 1$ . On the face value this would indicate  $q_1 \approx 1$ , and  $q_2$  possibly = 2 or higher. This, however, is hard to accept: The exidation numbers for both states have fractional values which indicates either that each consists of species with more than 3 Ru atoms or that each "state" is a mixture of several species, some perhaps with perote complexing. The "best" empirical equation  $pE = \log (0.5 - y) - 3 \log y$  (Fig 8,full-drawn curve) might be explained formally if it were assumed that also some third species, say,  $H_2 \dot{b}_2$ , takes part in the e-determining reaction. However, we think it wise to leave this question epen.

## exidation of B<sub>h</sub>

# $|e(\Delta X)$ for one anodic oxidation of $B_{\mu}$

The curve shows no marked features, after an initial rapid change in e of about 400 mV, which is nearly completed at  $\Delta X \approx 0.5$ .

# The value for X in B<sub>4</sub>

Immediately after the preparation of a  $B_{\downarrow}$  solution ( $\approx 550 \text{ mV}$ ) X was determined with cerium(IV) sulfate by the method described by Brito (1960) which gave  $X = 3 \cdot 1 \pm 0.1$ . A new batch of freshly prepared  $B_{\downarrow}$  gave  $X = 3.2 \pm 0.2$ , whereas after six months we found  $X = 3.53 \pm 0.05$ . On the other hand, the redox titration curves for this aged  $B_{\downarrow}$  indicate an oxidation number  $X\approx 3.8$ .

# Redox reactions of ruthenium(III), G

## Redox reactions G2 P1

Pink solutions of ruthenium  $(P_1)$  were prepared by reduction either of  $R_1$  or of  $B_3$  with  $H_2(Pt)$  for a night. In the presence of  $H_2$ , e = 0 as expected; when  $H_2$  was swept away by a stream of  $N_2$ . <u>e</u> increased but reached a stable value lower than 100 mV.

This solution  $P_1$  was then oxidized anodically at constant current, sometimes after the addition of  $T1^+$  or  $Ce^{3+}$ .

The measured values for <u>e</u> with Au or Pt electrodes (the anode itself, after breaking the current) were the same and very stable. The data agree well, as will be seen, with what can be calculated assuming the process  $Ru^{2+} = Ru^{3+} + e^-$ . After this reaction was complete, there was a jump at around 300 mV; the solutions were then green. Potentials higher than about 400 mV were not stable in these experiments and will not be discussed here.

If  $c_2 = [Ru^{2+}]$  and  $c_3 = [Ru^{3+}]$  we have (compare equation 12, q' = q'' = 1, D = 1):  $pE = pE_0 + \log c_3 - \log c_2$ 

Let V be the volume of the solution, n the number of faradays added, and  $n_e$  the value of n at the equivalence point around 300 mV. B is the present concentration of Ru, which need not be the same as the one added, because some Ru may have been reduced to metal. If the concentrations are  $c_{20}$  and  $c_{30}$  when the oxidation starts (n = 0), then we have

$$Ve_2 = Ve_{20} - n = n_e - n; Ve_3 = Ve_{30} + n$$

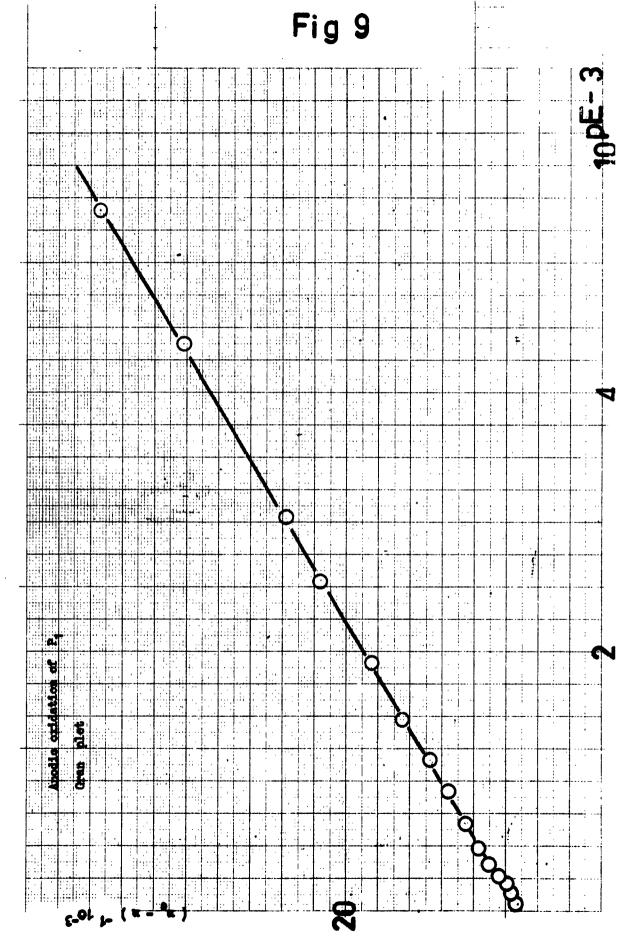
Hence

 $10^{\text{pE}} = \text{constant} (\text{Vc}_{30} + \text{n}) (\text{n}_{e} - \text{n})^{-1} = \text{constant} ((\text{Vc}_{30} + \text{n}_{e}) (\text{n}_{e} - \text{n})^{-1} - 1)$ 

The best value for  $n_e$  was found by plotting  $(n_e - n)^{-1}$  versus  $10^{pE}$  for various values for  $n_e$  and choosing the value that gives a straight line. Extrapolation of this line to  $10^{pE} = 0$  gave VB =  $Vc_{30} + n_3$  which always came out smaller than the amount of Ru added.

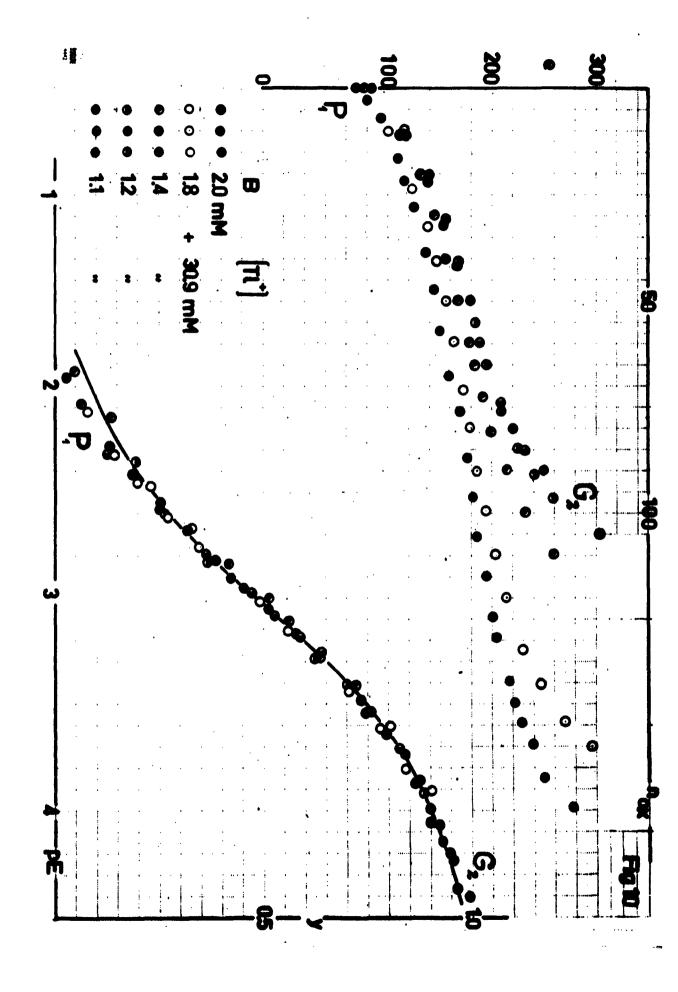
It could easily be shown that some Ru had been reduced: the Pt net used for the  $H_2$  reduction was washed and then used as anode in 2 M  $H_2SO_4$ , with a current of 1-2 A. After some time, the solution was yellow and smelled strongly from  $RuO_4$ ; if boiled with  $H_2O_2$ , reddish-brown  $B_1$  formed.

On the other hand,  $n_e$  was found to be smaller than  $(Vc_{30} + n_e)$  by 10-20 µF, which would correspond to an initial "negative" impurity of Ru(III). We guess that this is rather due to incomplete removal of  $H_2$  from the platinized Pt than to a lower oxidation state of Ru.



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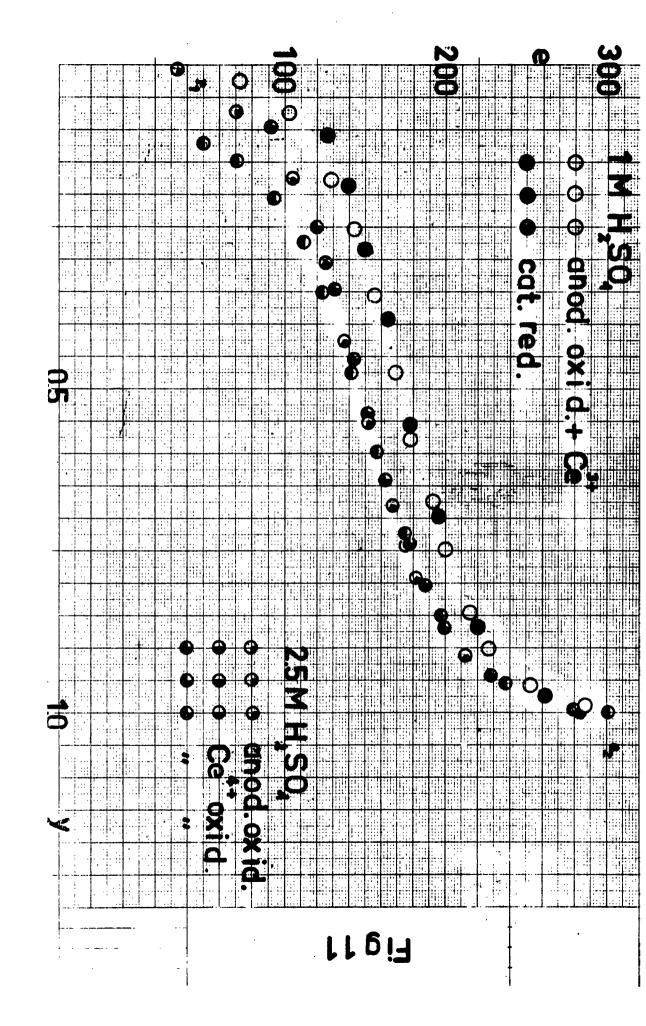


Fig 10' shows data from one experiment, in which a series of alternating roductions and oxidations was made: n and thus B obviously decreased for each cycle (upper part). Inserting the appropriate values for  $n_{e}$  and Vc<sub>30</sub> we could calculate X:

 $X = 2 + c_3/(c_2 + c_3) = 2 + (n + Vc_{30})/(n_e + Vc_{30})$ 

In a plot of pE versus X, all points seem to fall practically on the same curve (Fig 10, lower part). The full-drawn curve was calculated from the equation

 $pE = 3.03 + \log (x - 2) - \log (3 - X)$ which corresponds to  $pE_0 = 3.03$ ,  $e_0 \approx 180$  mV for  $Ru^{2+}$ ,  $Ru^{3+}/Pt$  in 1 M H<sub>2</sub>SO<sub>4</sub>.

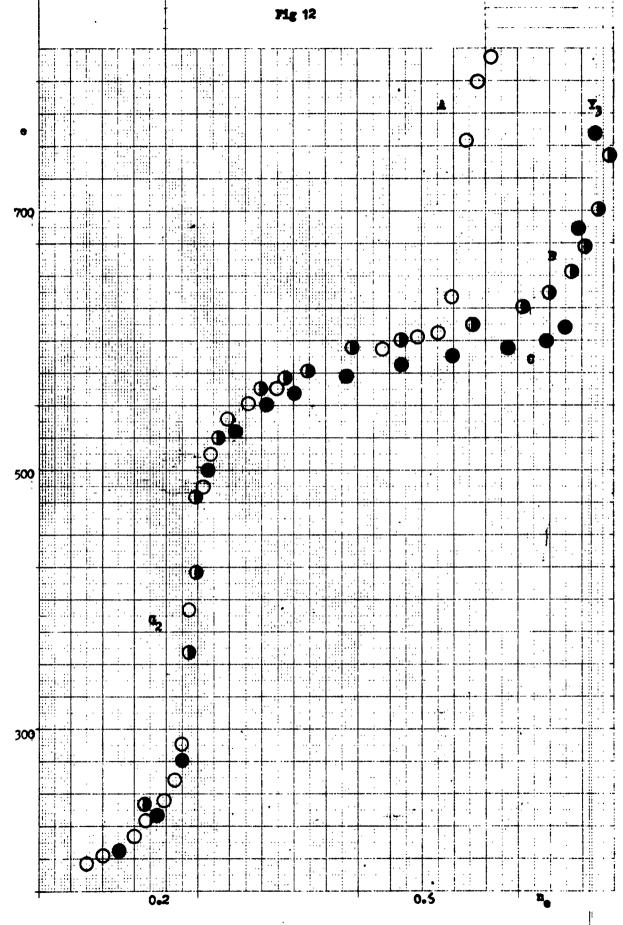
Fis 11 gives points from another experiment, in which the current was kept constant (6.43 mA), after two reductions with  $H_{0}(Pt)$  and oxidations with cerium(IV) sulfate ; the medium was 2.5 M  $H_2SO_4$ . The highest set of points - shifted parallel upwards - are from an experiment in which the resulting solution was diluted with water to 1 M  $H_2SO_A$ , the solution was reduced with  $H_2(Pt)$  and again oxidized with a current of 6.43 mA in the presence of Ce<sup>3+</sup>. At last, it was reduced with 6.43 mA (black dots).

It was observed that the shade and intensity of the pink color was not always the same in a series of repeated exidation-reduction cycles. One reason may be the decrease of B. At any rate, the measured e was very stable.

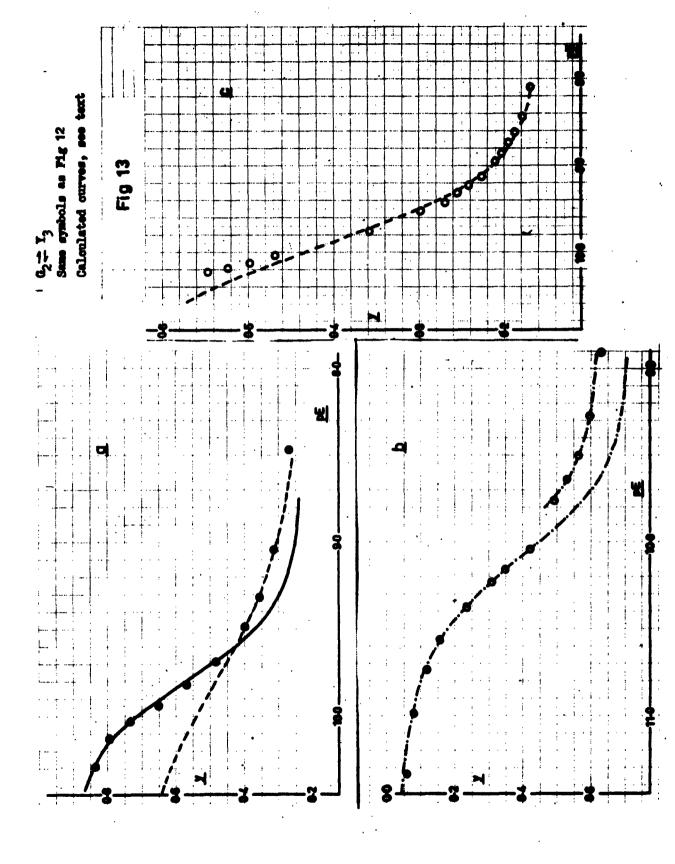
Redox reactions  $G_2 \neq Y_3$ Fig 12 gives c(y) curves from a series of experiments, consisting of successive exidations and reductions starting with green Ru(III), G2, prepared from R1. The reactions were carried out by electrolysis at controlled potential and B was 1 mM throughout.

The open circles are from the first experiment, "A", in which a freshly prepared G2 solution was exidized. There are two breaks in a, the second one about 0.45 + 0.05 X units higher than the first. Between these breaks e(X) has a sloping plateau, with midpoint  $\approx 590$  mV. At the end of the second break,  $e \approx 900$  mV, but e was unstable and decreased slowly; after 65 hours, e had decreased by  $\approx 65$  mV. The color of the solution remained green throughout the course of the exidation, but the final drift in e was accompanied by a change to an intense golden-yellow color. The solution so obtained, for which  $e \approx 790$  mV, will be denoted by  $Y_{2*}$ 

The half-filled circles describe the cathodic reduction of this golden-yellow solution  $Y_{\chi}$  in the next experiment, "B". The points have been shifted along the X axis so as to coincide with the first curve around e  $\approx$  300 mV; the curves then lie close to each other up to  $e \approx 600-900$  mV. The final solution from this experiment was again green. This solution was oxidized (full circles) in the final experiment "C". Obviously, the two last curves lie close to each other over the whole of their lengths, and the breaks in e occur after the same change in X, namely 0.65 ± 0.05.



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The solution  $Y_3$  seems to be stable: one such solution has remained apparently unchanged for several months although no special precautions have been taken to exclude air from it. Its spectrum is reported in a later section.

Attempts have been made to analyse the data obtained in these experiments using the method outlined earlier. The analysis shows that the greater part of the data is consistent with the successive occurence of the reactions A)  $\operatorname{Ru}_2^{6+} \neq$  $\operatorname{Ru}_2^{7+} + e^-$ , B)  $2\operatorname{Ru}_3^{11+} + 4e^- \neq 3\operatorname{Ru}_2^{6+}$  and, in part C)  $\operatorname{Ru}_3^{9+} \neq \operatorname{Ru}_3^{11+} + 2e^-$ . More data are needed before any conclusions can be drawn with certainty.

## Determinations of hydroxide number Z

Red Ru(IV) R

The  $R_1$  solution was obtained by elution, with 1 M Na<sub>2</sub>SO<sub>4</sub>, of a resin saturated with Ru(IV), prepared as described earlier (Brito 1960). The eluate was concentrated by evaporation in vacuum at room-temperature, adding anhydrous Na<sub>2</sub>SO<sub>4</sub> and filtering. In a number of experiments, a  $R_1$  solution with B between 1 mM<sup>H</sup> and 16 mM<sup>H</sup> and 1 M<sup>H</sup> (Na<sup>+</sup> H<sup>+</sup>)SO<sub>4</sub><sup>2-</sup> was neutralized by adding weighed amounts of NaHCO<sub>3</sub> solution, while measuring h with a glass electrode as described earlier. Fig 14 shows two typical diagrams for determining E<sub>0</sub> and j.

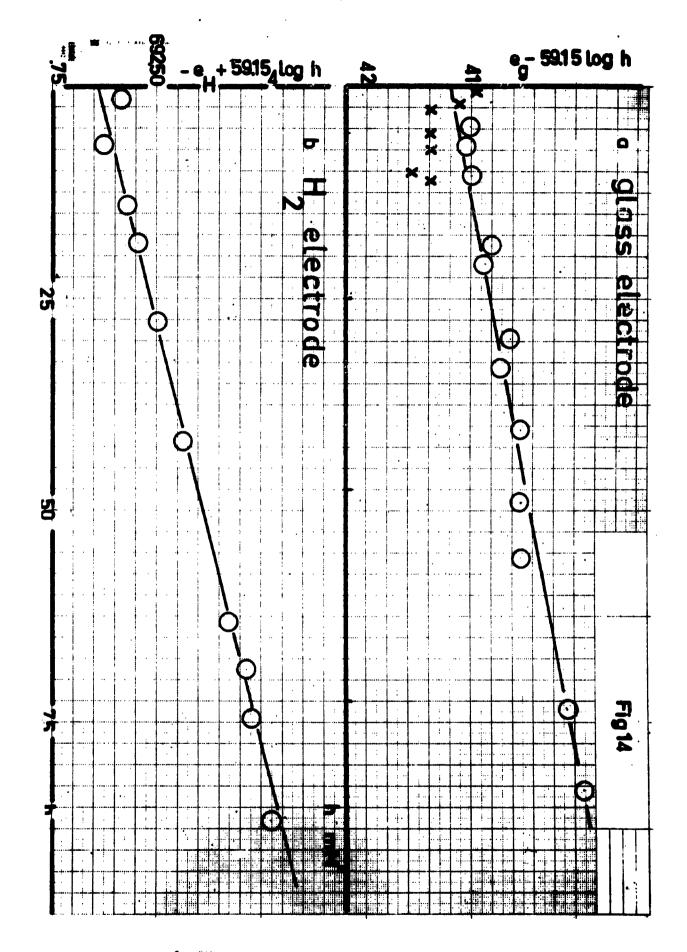
At the end of this "titration", acid was added until h  $\approx 5-10 \text{ mM}^{*}$ , after which H<sub>2</sub> was passed through, in contact with a Pt electrode of large surface. After 24 h, all Ru had precipitated as metal on the electrode and as a mirror on the bottom of the vessel. The remaining solution was neutralized with NaHCO<sub>3</sub> as earlier, the potential was measured with Ru(H<sub>2</sub>) and Pt(H<sub>2</sub>) electrodes, which agree within  $\pm$  0.05 mV and a plot analogous to a Gran plot (1952) was made. Fig 15 shows a typical diagram: the abscissa is w, the weight of NaHCO<sub>3</sub> solution added, and the ordinate is

 $G = (w_0 + w - w(CO_2)) = 10^{(E-jh)/59.154}$ .

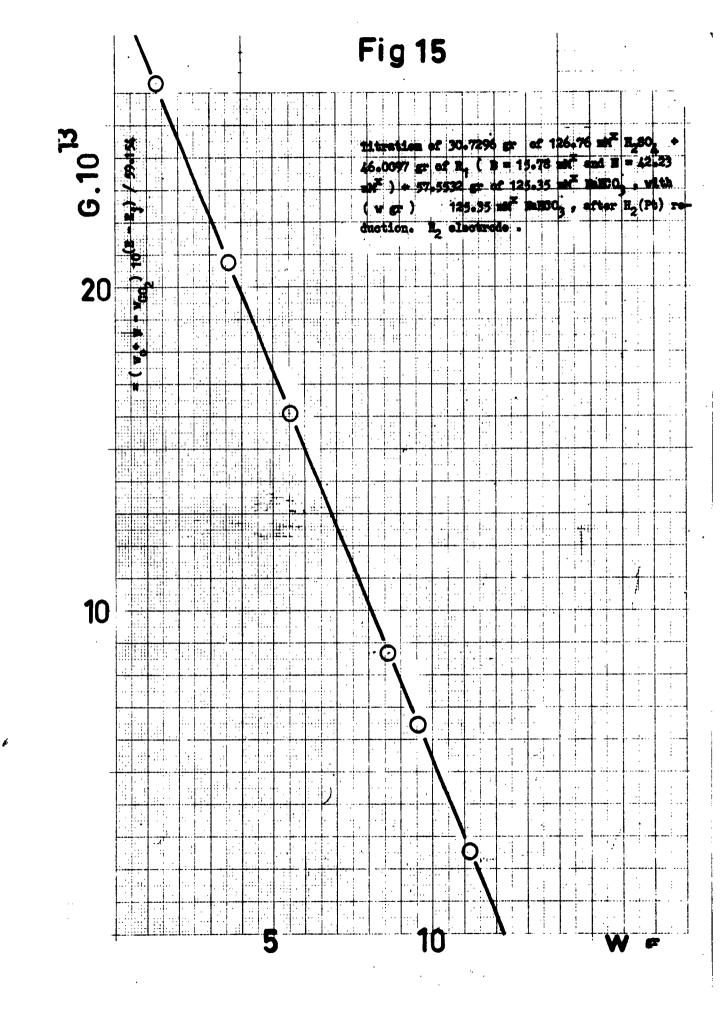
Here w is the weight of the original solution, and  $w(CO_2)$  is the weight of  $CO_2$  formed. The plot is linear, and the intercept on the w axis gives H\_=H+XB for the original solution. This, by the way, came out about 7 % higher than the approximate value obtained by NaHCO<sub>3</sub> precipitation of "RuO<sub>2</sub>".

From these data, it was now possible to calculate BZ. As seen from fig 16,  $Z \approx 3$  in all the range. As a check, corresponding Gran plots were made for all titrations: they all came out linear, as they should for a constant Z, and gave the intercept corresponding to H + BZ. (Fig 17).

We conclude that the main species in  $R_1$  solutions is  $(Ru(0H)_3^+)_n$ , with n = 3 or 4 (from redox titrations). The same conclusion was drawn by Brito (1960) for the  $R_1$  solution in perchlorate medium.



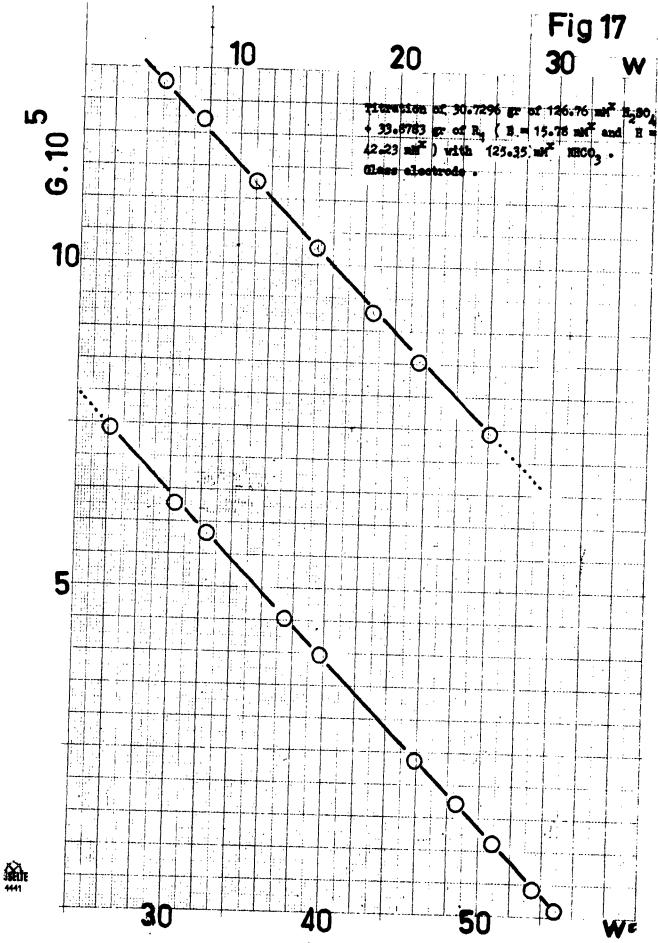
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Z for B<sub>4</sub>

The B<sub>4</sub> solution was prepared as described earlier (see Redox reactions of  $B_4$ ).

In most of the titrations, B was kept constant, but two further titrations were made, in which this was not so. In the first of these, h and B were varied by the addition of 1 M Na<sub>2</sub>SO<sub>4</sub>. In the second, they were varied by the addition of more acidic and more concentrated solution of B<sub>4</sub>, together with enough concentrated Na<sub>2</sub>SO<sub>4</sub> solution to keep  $[SO_4^{2-}]$  constant. The latter experiment was completed with a reverse titration in which B and h were varied by the addition of NaOH + Na<sub>2</sub>SO<sub>4</sub>.

What is known for each solution is really not H, but  $H_{Br} = H + B(1.2 \times - 1.6)$ since the bromate method was used. If, for each experiment with a constant B value, h was plotted as a function of  $H_{Br}$ , a set of parallel straight lines with slope = 1 was obtained (Actually, in Fig 18 we have plotted h versus  $H_{Br} - 2B$ in order to distinguish the lines for different B). Since  $h = H_{Br} - (1.2X - 1.6) +$ + BZ, this indicates that Z is constant for each B.

So, what we can obtain from the data is  $Z'=(h - H_{Br})/B$ . Fig 19 gives a plot of Z'as a function of h for the various titrations. It seems that Z'comes out as almost a constant Z'=0.25 + 0.10 for all experiments.

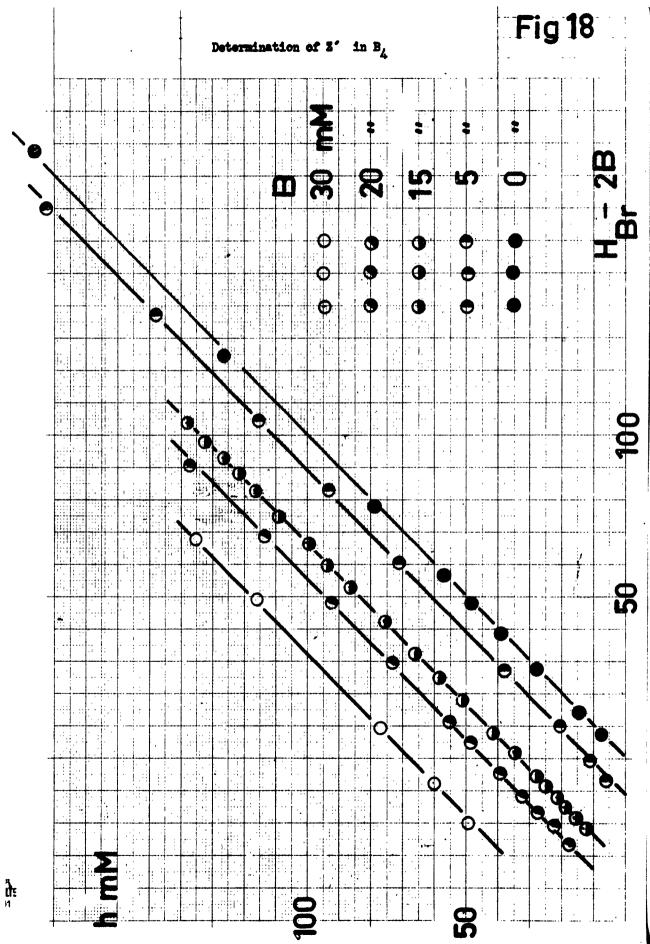
Now, we have the relationship  $Z = Z' + (1.2 \times - 1.6)$ . Thus Z depends on the value given to X. From the redox EMF titrations X seems to be  $\approx 3.8$ , even though  $Ce^{4+}$  analysis seems to indicate X = 3.2, for a fresh solution and X = 3.5 after six months. The experiments for determining Z have been made during this interval. The value for Z would be Z = 3.2 (X=3.8), Z = 2.85 (X=3.5), Z = 2.5 (X=3.2), always  $\pm$  0.1. At any rate, it seems safe to conclude that the OH number for the  $B_A$  complex is practically or completely constant, and not far from 3.

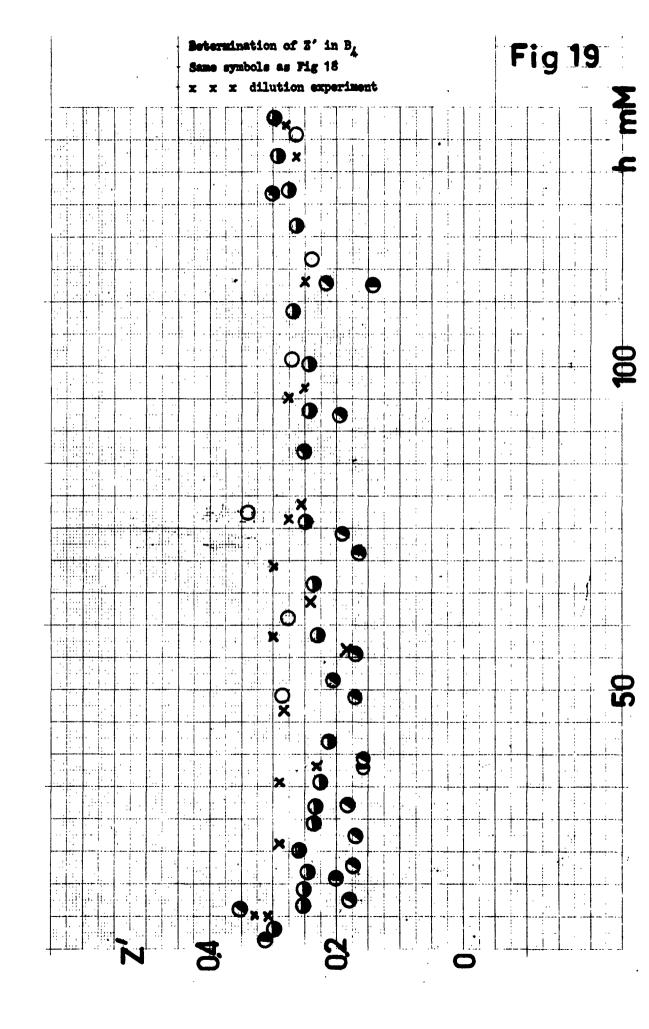
## Z for B<sub>5</sub>

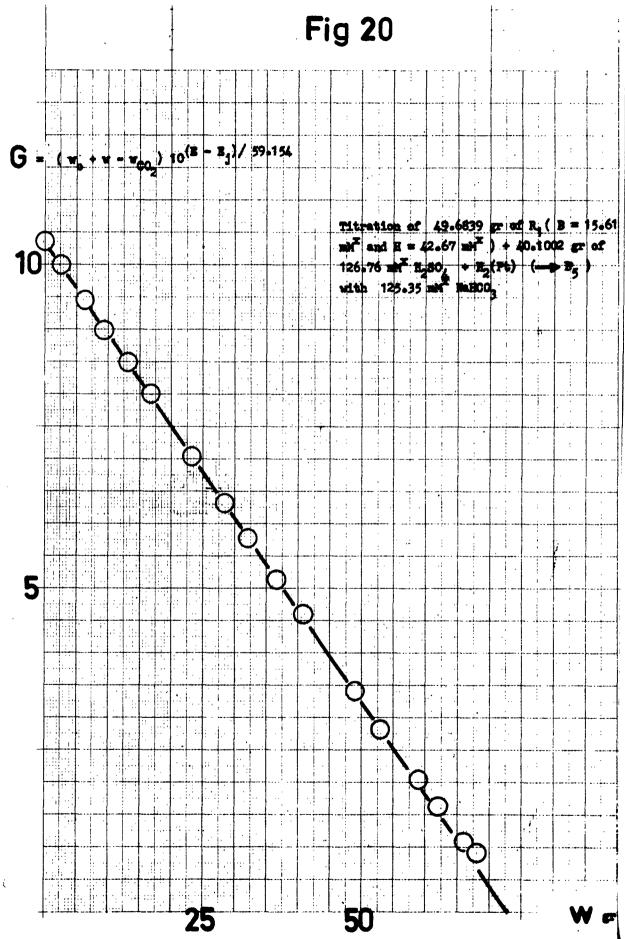
Solutions of brown ruthenium  $B_5$  were prepared by reduction of  $R_1$  with  $H_2(Pt)$ . In a typical experiment  $R_1$  with  $B = 8.64 \text{ mM}^x$  and  $h = 105.41 \text{ mM}^x$ , was reduced until  $\underline{e} = 332 \text{ mV}$  as measured with a Pt electrode after expelling  $H_2$  with  $N_2$ . If we let the index "1" denote  $R_1$  and "2" denote  $B_5$ , the reaction formula is:  $q_1^{-1}Ru_{q_1}(CH)_{p_1}^{(x_1q_1-p_1)+} + 0.5(x_1-x_2)H_2 \rightarrow q_2^{-1}Ru_{q_2}(OH)_{p_2}^{(x_2p_2-p_2)+} + (x_1-z_1-x_2+z_2)H^+ +$ 

+  $(z_1 - z_2)H_2^0$ where  $z_1 = p_1q_1^{-1}$ ,  $z_2 = p_2q_2^{-1}$ .

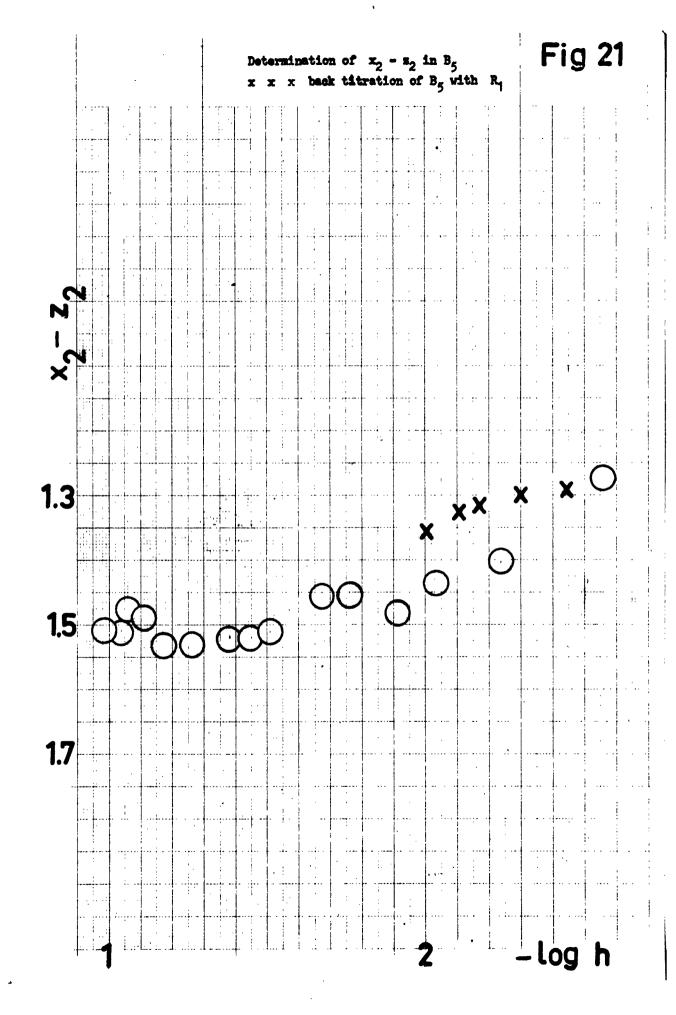
The course of the reduction was also followed with a glass electrode from whose change of potential (0.9 mV) an approximate value for the total change of







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<u>h</u> per total ruthenium concentration was found to be  $\triangle hB = (101.8 - 105.4)/8.64 = -0.42 = x_1 - z_1 - x_2 + z_2$ .

Since for red  $R_1$ ,  $x_1 = 4$ ,  $z_1 = 3$  (see above) we would have, for the resulting  $B_5$ :  $z_2 = x_2 - 1.42$ .

The solution was then neutralized with NaHCO<sub>3</sub> until h = 2.75 mM<sup>x</sup>( $\underline{e}$  = 276 mV). A Gran plot, Fig 20, carried out in the same way as for R<sub>1</sub> above, was linear (which indicates a practically constant  $z_2$ ) and gave a intercept from which we calculated:  $z_2 = x_2 - 1.505$  in the brown B<sub>5</sub> solution.

In Fig 21 we plotted the data  $as(x_2 - z_2)$  versus log h.

Then finally, the solution was backtitrated with the original  $R_1$  until  $h = 10 \text{ mM}^{x}(\underline{e} = 540 \text{ mV})$ , and  $x_2 - z_2$  was calculated assuming no reaction between  $R_1$  and  $B_5$  (crosses in Fig 21).

Thus the results seem to indicate the approximate formula

$$(Ru(OH)_{z_2}^{1.5+})q_2$$

at least for -log  $h \leq 2$ .

Now, by assuming different values for  $x_2$ , we have for  $B_5$ 

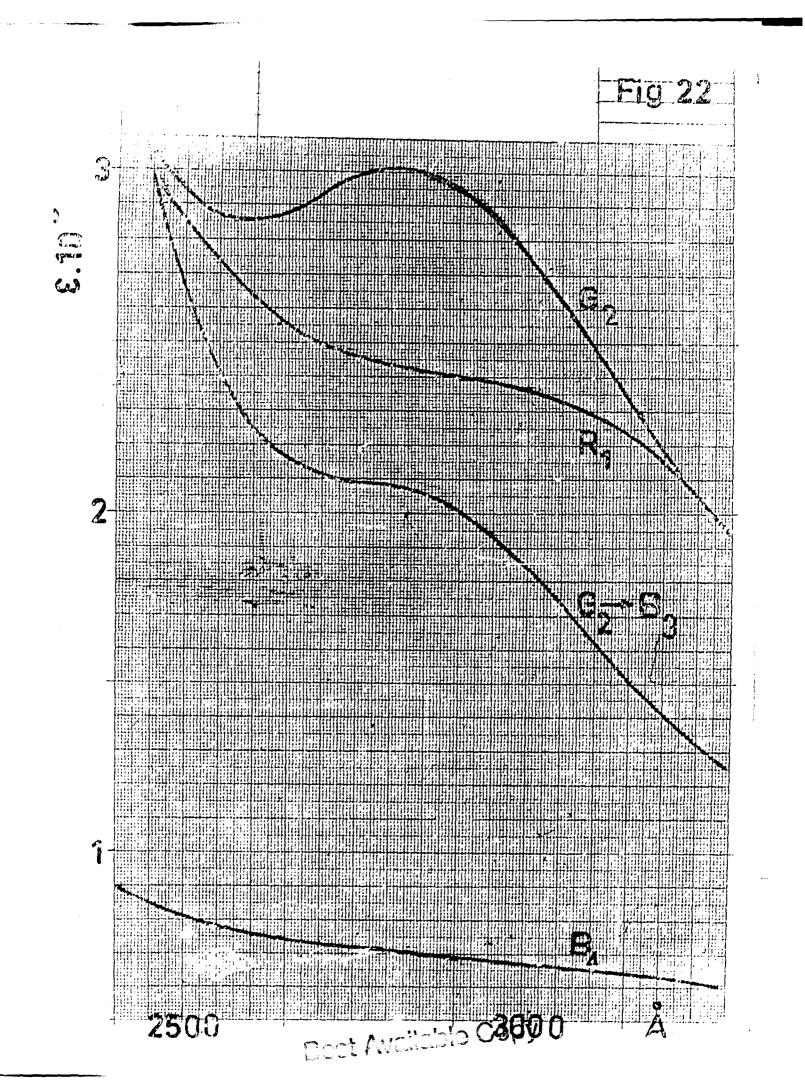
$$(\operatorname{Ru}(OH)_{1.5}^{1.5+})_{q_2}(x_2 = 3), (\operatorname{Ru}(OH)_{1.75}^{1.5+})_{q_2}(x_2 = 3.25)$$
  
 $(\operatorname{Ru}(OH)_2^{1.5+})_{q_2}(x_2 = 3.5), \text{ and } (\operatorname{Ru}(OH)_{2.25}^{1.5+})_{q_2}(x_2 = 3.75)$ 

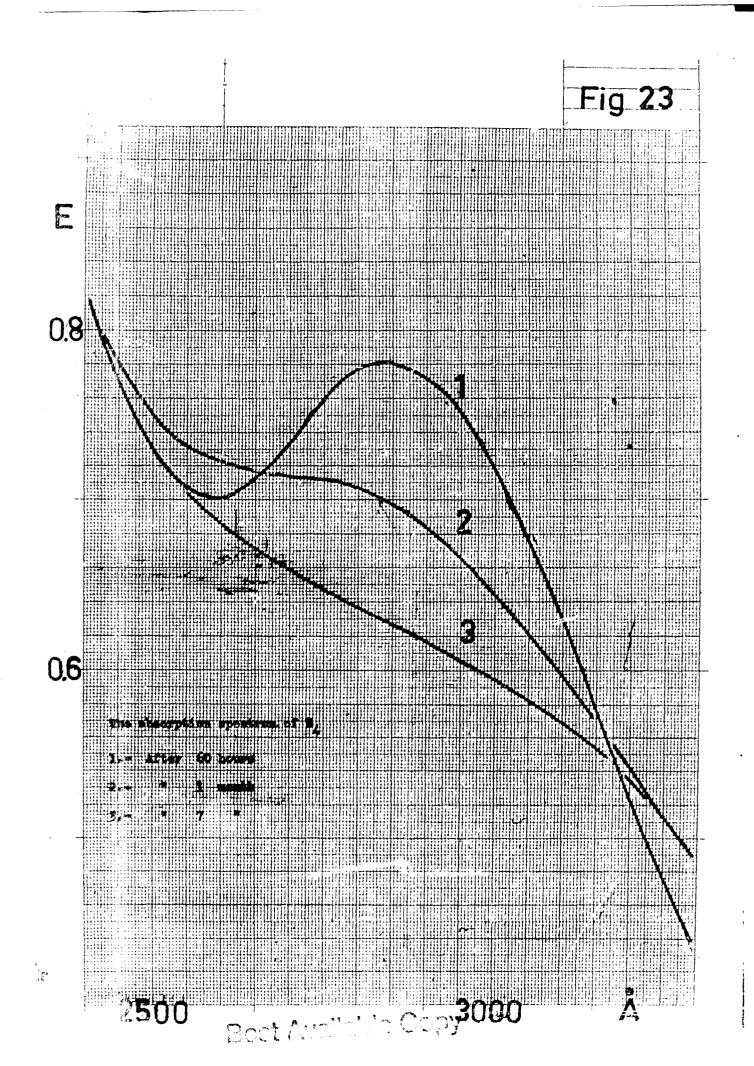
## Absorption spectra

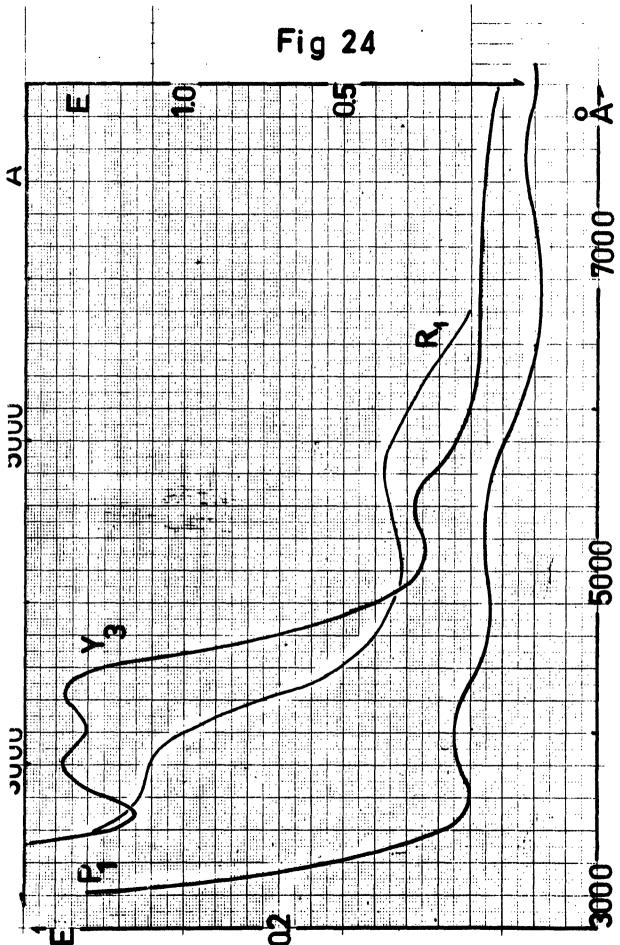
The absorption spectra of various solutions met with during our studies on Ru solutions were measured using a Hilger or a Beckman recording spectrophotometer, and are given in Figs 22, 23 and 24.

Fig 22 gives, in the range 2400 to 3300 Å, the spectrum for green  $G_2$ , which was obtained by reduction of  $R_1$  in 1 M  $H_2SO_4$  with  $H_2(Pt)$  until  $e_H \simeq 0$  and kept in  $O_2$ -free  $CO_2$  during the measurements; and also that for the same solution after two days' keeping in air  $(G_2 \rightarrow B_3)$ . Likewise, it gives the spectrum of red  $R_1$  in 1 M  $H_2SO_4$ , and that of  $B_4$  in the same medium measured six months after preparation.

Fig 23 gives the spectrum of  $B_4$  in 0.5 M  $H_2SO_4$ , 1) 60 h after preparation, 2) after 1 month and 3) after 7 months. In the visible range the peak around







4800 Å, that has been found for red  $R_1$ , (Fig 24), was not encountered. The peak around 2850 Å occurs for freshly prepared solutions and is similar to the peak at 2800 Å for green  $G_2$ . However, that peak slowly becomes less marked, and finally disappears, as the solution ages.

Fig 24 contains the spectra of pink  $P_1$  (coordinates to lower left), red  $R_1$  and golden yellow  $Y_3$  (coordinates to upper right), all in 1 M  $H_2SO_4$ .

 $P_1$  was obtained by reduction of  $R_1$  with  $H_2(Pt)$  and kept in  $O_2$ -free  $CO_2$  during the measurements. Since some Ru has precipitated as metal during the  $H_2(Pt)$  reduction we do not know B and cannot give  $\boldsymbol{\xi}$ .

The spectrum of golden yellow  $Y_3$  was measured in a 1 mM solution prepared as described, p. 2:29, and waiting one month, when it had assumed the golden yellow colour. It has some features similar to those of other ruthenium solutions described here as well as some different. The peak centered at 4600 Å is closely similar to that at 4800 Å, obtained with  $R_1$  solutions. On the other hand, the two closely-spaced peaks centered at 3000 and 3450 Å have no very similar counterpart in the spectra of other ruthenium sulfate solutions. There is, however, some resemblance between these features and the spectrum of  $G_1$  (Brito 1960) which has a peak at 3000 Å, a shelf at 3400 Å and a peak at 4800 Å.

## Conclusions and outlines for future work

It may be apparent from the report given, and perhaps especially from fig 1, that the ruthenium system is greatly complicated by the formation of polynuclear complexes of mixed valency, and by the slowness of many of the reactions.

Even if we cannot claim to have ended up with a clear picture at least we think we have collected enough information for planning a worth-while larger attack on aqueous ruthenium chemistry.

The choice of sulfate medium seems to be right: in this way one avoids chloro complexing, and the reduction of  $\text{ClO}_4^-$ . For studies of robor remeticies, without bothering about the number of hydroxo groups bound,  $\text{H}_2\text{SO}_4$  solutions seem suitable: one should in the future also try higher concentrations than 1 M.

For future work it is imperative to search for water-proof equilibrium and structure data. It should not be impossible to work at considerably higher temperatures, say  $75^{\circ}$ C, which would speed up the attainment of equilibrium, so that equilibrium analysis could be applied to a large part of the system. Another important task is trying to prepare crystalline phases containing some of the species met with in the solutions, and to find the structure of these species by X-ray structure analysis.

By these two ways, equilibrium analysis and structure analysis, one may hope to find with some certainty the formula of the complexes. Other methods, such as studies of irreversible curves (for instance polarography) and spectra may give good finger-prints for characterizing certain species but cannot be expected to lead to a certain assignment.

The two species that give the best reversible potential in 1 M  $H_2SO_4$  are  $Ru^{2+}("P_1")$  and  $Ru^{3+}("G_2")$ . One should however try to study the behavior of Ru(III) at various pH and also to find out whether some green solutions found in this region - which have in this report been undiscriminatingly denoted as  $G_2$  - may not contain other species.

Another well characterized solution is  $R_1$ , which seems to contain  $(Ru(OH)_3)_{u}^{n+}$ . The existence of species with X = 3.5 seems well established: however, they may have very different properties depending on the way of preparation, (Ti<sup>3+</sup> reduction or electrolytic reduction of  $R_1$ , addition of  $R_1$  to  $G_2$ ). The relationship between these species and the species found in  $B_3$ ,  $B_4$ ,  $Y_2$  and  $Y_3$  would certainly be interesting to know. It seems uncertain whether the deviations in X for these other complexes, especially  $B_3$  and  $B_4$ , may be connected with some peroxo complexing or whether it is only a gradual shift in the ratio between different oxidation estates of Ru.

Finally it should be noted that a state with  $X \approx 3.25$  seems to be well defined.

It is our intention to pursue these studies further, even after the sponsorship of USAF has terminated.

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A few more references to older literature are given by Brito (1960)

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